## Computational Chemistry Homework 3

Jeonghyun Ko, Gray Laughlin, Yujia Wang

Due: 10/24/2017

Here is an example input deck for a HFS/6-31G calculation on NH<sub>3</sub>. This is a good starting template for the calculations below. You can also construct an input deck in Avogadro. Refer to the GAMESS manual for more information.

! File created by the GAMESS Input Deck Generator Plugin for Avogadro \$BASIS GBASIS=N31 NGAUSS=6 \$END \$CONTRL RUNTYP=ENERGY DFTTYP=SLATER \$END

```
$DATA
Title
C1
N
      7.0
              -1.03363
                            0.80618
                                         0.00000
Η
      1.0
              -0.01363
                            0.80618
                                         0.00000
Η
      1.0
              -1.37362
                            1.64340
                                        -0.47314
Η
              -1.37363
                            0.79732
                                         0.96162
      1.0
 $END
```

#### 1 GAMESS vs. FDA

Using GAMESS, perform a DFT/Hartree-Fock-Slater (DFTTYP=SLATER) calculation on an Ar atom using the 6-31G basis set.

# 1.1 How many primitive Gaussians are included in this calculation? How many total basis functions? How do they divide between s, p, and d?

```
Input file of GAMESS for Ar

$BASIS GBASIS=N31 NGAUSS=6 $END

$CONTRL RUNTYP=ENERGY DFTTYP=SLATER $END

$DATA
Title
C1
Ar 18.0 -3.86612 1.03789 0.00000
$END
```

Let's look at the log file. We used 13 primitive Gaussians.

grep "GAUSSIAN BASIS FUNCTIONS" Ar/Ar.log

#### NUMBER OF CARTESIAN GAUSSIAN BASIS FUNCTIONS = 13

Because we used 6-31G Basis set, 6 gaussian functions are used for core shells and 3 and 1 gaussian functions are used for inner and outer regions of valance shells. See table below.

Orbital	Basis Sets	Primitive gauss functions	Total gauss functions
1s	1	6	6
2s	1	6	6
2p	3	6	18
3s	1	3	3
3p	3	3	9
3s+	1	1	1
3p+	3	1	3
Total	13		46

### 1.2 How many SCF iterations does the calculation take to converge?

Let's look at the log file again. 12 iterations are required to reach convergence.

grep "ITER" Ar/Ar.dat

$$E(R-SLATER) = -524.4520526614$$
  $E(NUC) = 0.0000000000$  12 ITERS

#### 1.3 What is the final calculated HFS/6-31G energy of the atom?

The final HFS/6-31G energy: -524.452 Hartree.

# 1.4 What are the identities (1s, 2p, etc.) and energies of the occupied atomic orbitals?

E FDA values are from HW2.

Orbital	$E_{GAMESS}$ (Hartree)	E <sub>FDA</sub> (Hartree)
1s	-113.6768	-116.9366
2s	-10.7172	-11.6037
2p	-8.3677	-9.2721
3s	-0.8218	-1.1022
3p	-0.3222	-0.5735
3s+	0.4316	
3p+	0.5206	

1.5 Compare your computed total energy and atomic orbital energies with those you got from Homework 2 using the fda code for Ar.

The total energy from FDA is -526.8275 Hartree. Compared to HFSs/6-31G energy (-254.425 Hartree), FDA shows slightly lower total energy.

### 2 The Generalized Gradient Approximation

The generalized gradient approximation (GGA) is an improvement on Hartree-Fock-Slater that gives a nice balance between accuracy and computational expense. Using GAMESS, perform a single point calculation (RUNTYP=ENERGY) on the bent triatomic SO<sub>2</sub> using the GGA (DFTTYP=PBE) and PC1 basis set (GBASIS=PC1, ISPHER=1; no NGAUSS flag needed). Guess appropriate bond lengths and angle. Be sure to report your input file for your calculation.

2.1 What is the spin multiplicity of  $SO_2$ ? (Recall, the spin multiplicity is 2S + 1, where S = 1/2 for one unpaired electron, S = 1 for two unpaired electrons, and so on).

The spin multiplicity for  $SO_2$  is 2 \* 0 + 1 = 1.

#### 2.2 How many basis functions are in this calculation?

Let's look at the log file. We used 49 primitive Gaussians.

grep "GAUSSIAN BASIS FUNCTIONS" S02/S02.log

NUMBER OF CARTESIAN GAUSSIAN BASIS FUNCTIONS = 49

#### 2.3 How many SCF cycles does it take to converge?

It takes 22 SCF cycles to converge.

grep "ITER" S02/S02.dat

E(R-PBE) = -548.2342329889 E(NUC) = 109.8468077125 22 ITERS

#### 2.4 What SCF algorithm does the code use?

The code uses the DIIS algorithm.

See log file. we can see "DIIS = T"

### 2.5 What is the final total energy of the molecule?

The final total energy is -548.234 Hartree

```
grep "TOTAL ENERGY = " S02/S02.log

TOTAL ENERGY = -548.2342329889
```

# 2.6 How many occupied orbitals does the molecule have? What are the energies of the HOMO and LUMO?

There are 16 occupied orbitals.

NUMBER OF OCCUPIED ORBITALS (ALPHA) = 16
NUMBER OF OCCUPIED ORBITALS (BETA ) = 16
HOMO: -0.2826 Hartree (16th)

LUMO: -0.1472 Hartree (17th)

#### 2.7 What is the final dipole moment?

The final dipole moment is 1.453 debyes

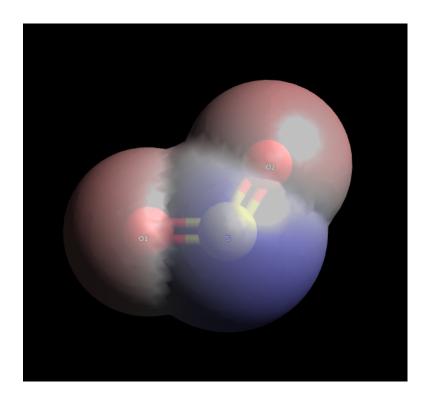
#### 2.8 What are the Mulliken gross charges on the S and O atoms?

The Mulliken charges are tabulated below.

ATOM	CHARGE
S	0.570174
O	-0.296290
O	-0.273884

# 2.9 Plot out the electrostatic potential of SO<sub>2</sub>. Which end of the molecule is electrophilic and which is nucleophilic?

The electrostatic potential can be plotted by using Avogadro.



### 3 Geometry Optimization of SO<sub>2</sub>

3.1 Do a series of calculations in which you vary the S–O distances and O–S–O angle over a regular grid of values. Approximate the combination of values that give the lowest energy.

Molecular energies were calculated using Gaussian B3LYP functional and 6-31G(d) basis set:

Energy (Ha)	1.35(Å)	1.45(Å)	1.50(Å)	1.55(Å)	1.65(Å)
105°	-548.531	-548.574	-548.574	-548.565	-548.529
115°	-548.548	-548.586	-548.584	-548.573	-548.535
120°	-548.550	-548.587	-548.585	-548.573	-548.534
125°	-548.549	-548.585	-548.583	-548.571	-548.532
135°	-548.538	-548.574	-548.572	-548.561	-548.523

As shown in the table, the combination of values that give the lowest energy is S–O distance = 1.45 Å and O–S–O angle =  $120^{\circ}$ .

3.2 A geometry optimization is a faster way to find the optimal geometry of a molecule. Perform a geometry optimization on SO<sub>2</sub> using the same computational model as above. What are the optimal S–O distances and O–S–O angle?

Geometry optimization was done using Gaussian B3LYP functional and 6-31G(d) basis set (./S02.txt): the optimal S–O distances are 1.46 Å and O–S–O angle is  $119^{\circ}$ . We got pretty close results using the rough scan.

## 4 Other Molecules

Oxygen makes bonds with lots of things. Fill out the table below by doing an appropriate set of calculations:

Geometry optimization was done using Gaussian B3LYP functional and  $6\text{-}31\mathrm{G}(\mathrm{d})$  basis set:

$AO_2$	A-O (Å)	O-A-O (°)	Spin Multiplicity	Dipole Moment (eÅ)	Mulliken Charge
$CO_2$ ./CO2.txt	1.169	180	1	0	C: 0.72, O: -0.36
$\mathrm{NO}_2$ ./NO2.txt	1.203	133.84	2	0.32	N: 0.48, O: -0.24
$SiO_2$ ./SiO2.txt	1.520	180	1	0	Si: 0.95, O: -0.48
$\mathrm{SO}_2$ ./SO2.txt	1.463	119.08	1	1.78	S: 0.82, O: -0.41