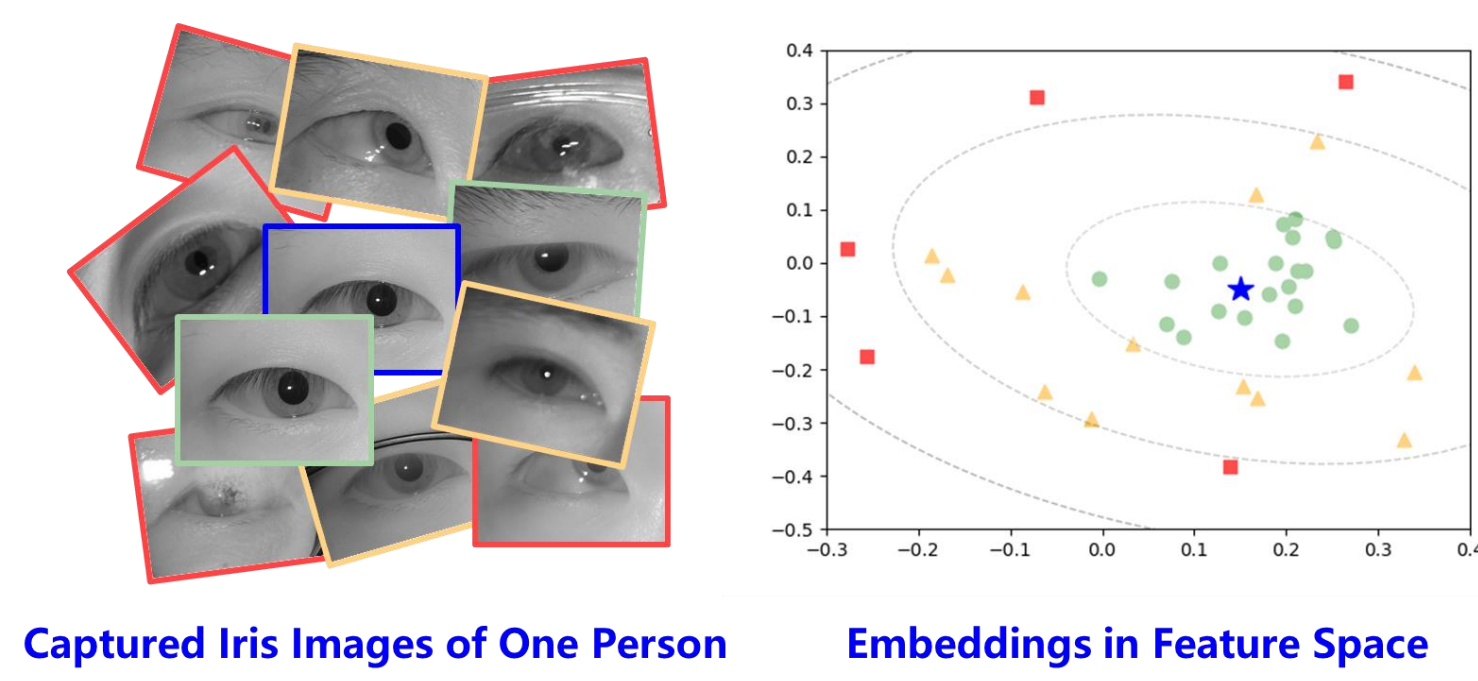
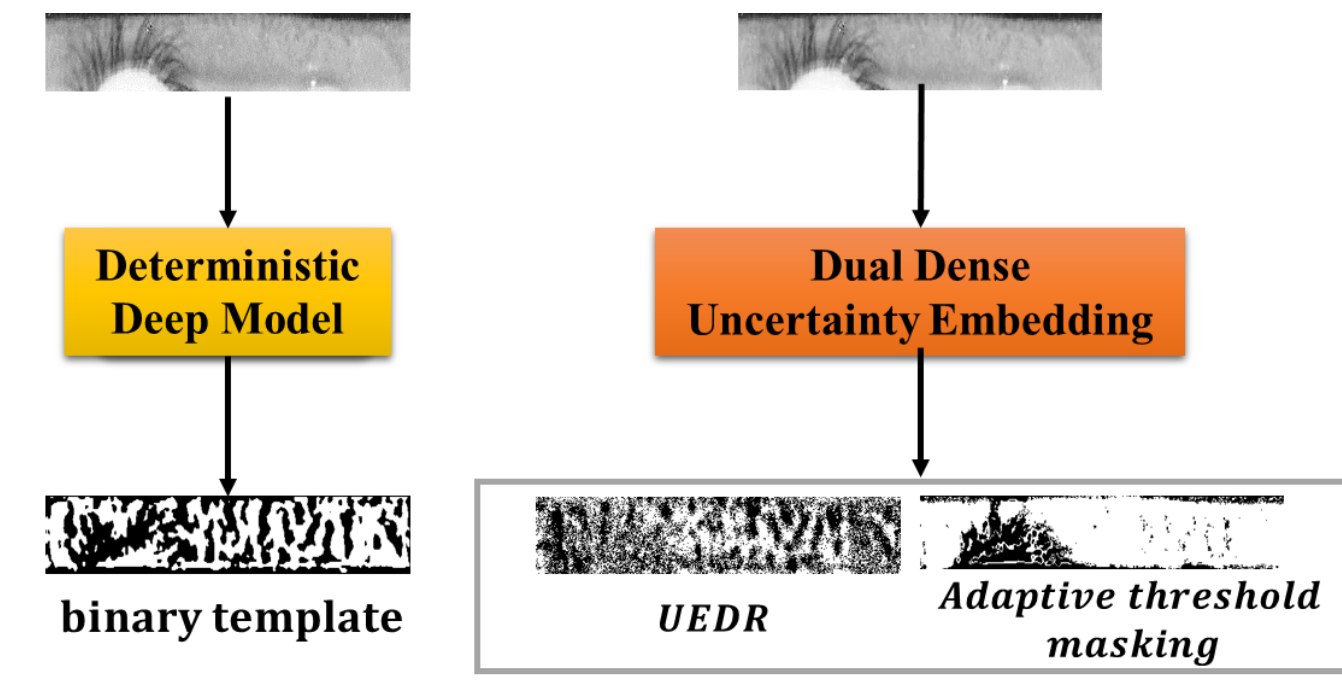




## Motivation



Uncertain acquisition factors inevitably affect the process of iris imagery formation. Deep uncertainty embedding (DUL) is leveraged to represent the iris image using a Gaussian distribution.



The binary mask indicating valid iris regions is solely determined by a fixed threshold or the output of standalone segmentation and localization algorithms. Deterministic threshold masking strategy is suboptimal considering the versatile uncertainties in the iris images collected from various scenarios.

## Framework

### Uncertainty Embedded Dense Representation (UEDR)

Model each pixel's uncertainty by a univariate Gaussian distribution,  $\mu$ -branch and  $\sigma$ -branch are constructed by a simple transformation with a convolutional layer and an instance normalization (IN) layer

$$\begin{aligned} \mathcal{P}_\mu &= \text{IN}_\mu(\text{Conv}_\mu(\mathcal{H})) \\ \mathcal{P}_\sigma &= \text{IN}_\sigma(\text{Conv}_\sigma(\mathcal{H})) \end{aligned}$$

Training phase

$$\mathcal{S}_{ij} = \mathcal{P}_\mu^{ij} + \varepsilon_{ij} \times \mathcal{P}_\sigma^{ij}$$

Inference phase

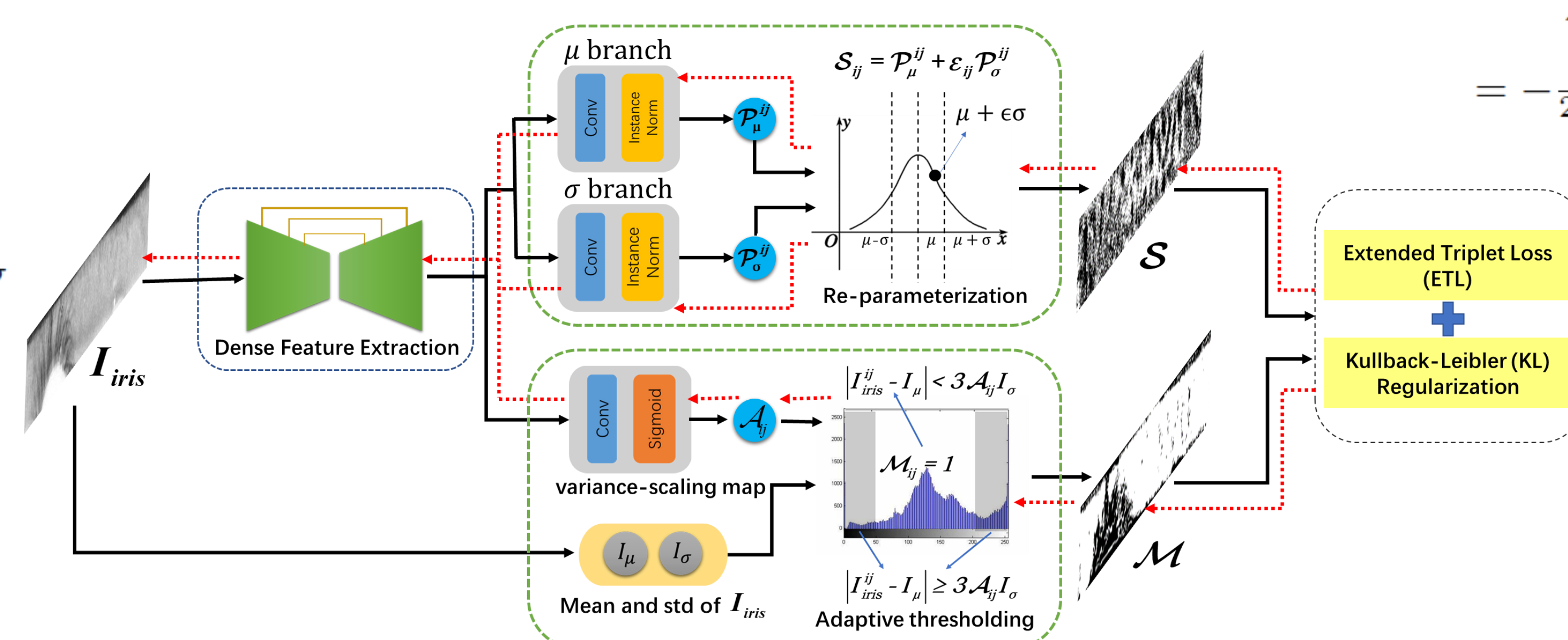
$$\mathcal{S}_{ij} = \mathcal{P}_\mu^{ij}$$

### Adaptive Threshold Masking

Find a optimal  $\alpha$  for each pixel in an iris image through predicting a variance scaling map (VSM), taking not only the intensity distribution of the iris image but also each pixel's low-level uncertainty into consideration.

$$\mathcal{A} = \text{Sigmoid}(\text{Conv}(\mathcal{H}))$$

$$\mathcal{M}_{ij} = \begin{cases} 1, & \text{if } |I_{ij}^{ij} - I_\mu| < 3\mathcal{A}_{ij}I_\sigma \\ 0, & \text{otherwise} \end{cases}$$



### Loss function

### Extended Triplet Loss (ETL)

$$\mathcal{L}_{etl} = \frac{1}{M} \sum_{i=1}^M \max(D(\mathcal{S}_i^P, \mathcal{S}_i^A) - D(\mathcal{S}_i^N, \mathcal{S}_i^A) + \tau, 0)$$

### Kullback-Leibler (KL) Regularization

$$\begin{aligned} \mathcal{L}_{kl} &= \mathbb{E} \{KL[\mathcal{N}(\mathcal{S}_{ij}|\mu_{ij}, \sigma_{ij}) \parallel \mathcal{N}(\varepsilon_{ij}|0, 1)]\} \\ &= -\frac{1}{2NHW} \sum_{n=1}^N \sum_{h=1}^H \sum_{w=1}^W (1 + \log \sigma_{n,i,j}^2 - \mu_{n,i,j}^2 - \sigma_{n,i,j}^2) \end{aligned}$$

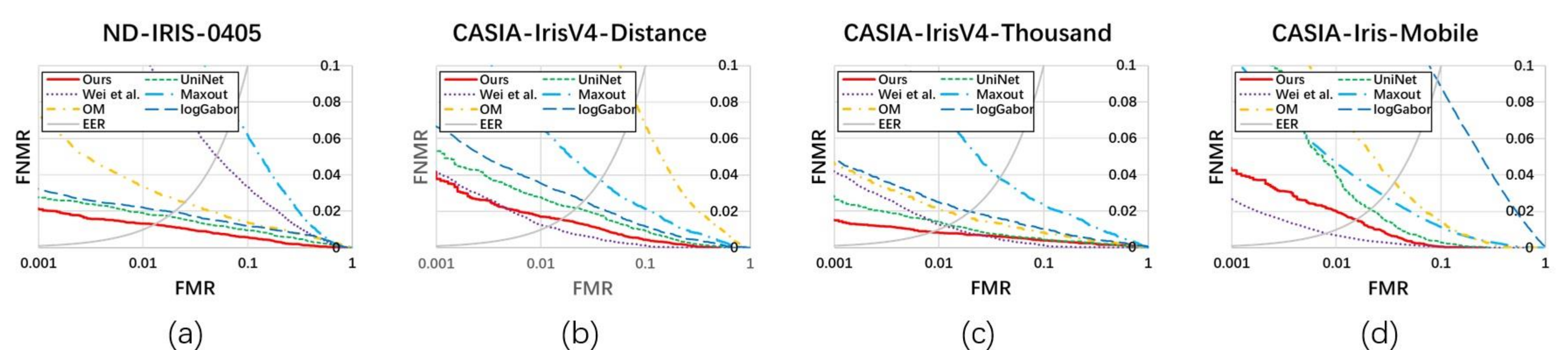
### Total loss

$$\mathcal{L}_{total} = \mathcal{L}_{etl} + \lambda \mathcal{L}_{kl}$$

## Experimental Results

### Within-database comparisons

		logGobar	Ordinal	Maxout	Wei et al.	UniNet <sup>†</sup>	Ours
ND0405	EER	1.94	2.49	7.33	5.05	1.74	<b>1.61</b> ( $\downarrow 0.13$ )
	FNMR	3.24	7.51	32.31	20.90	2.75	<b>2.11</b> ( $\downarrow 0.64$ )
Distance	EER	2.60	8.01	3.73	<b>1.17</b>	2.17	<b>1.57</b> ( $\downarrow 0.60$ )
	FNMR	6.61	40.73	14.85	4.18	5.32	<b>3.95</b> ( $\downarrow 1.37$ )
Thousand	EER	1.97	1.75	3.78	1.17	1.22	<b>0.85</b> ( $\downarrow 0.37$ )
	FNMR	4.81	4.62	16.24	4.17	2.73	<b>1.51</b> ( $\downarrow 1.22$ )
Mobile	EER	9.24	3.62	2.85	<b>0.79</b>	2.11	<b>1.56</b> ( $\downarrow 0.55$ )
	FNMR	37.94	19.73	10.58	<b>2.67</b>	12.50	<b>4.25</b> ( $\downarrow 8.25$ )



### Cross-database comparisons

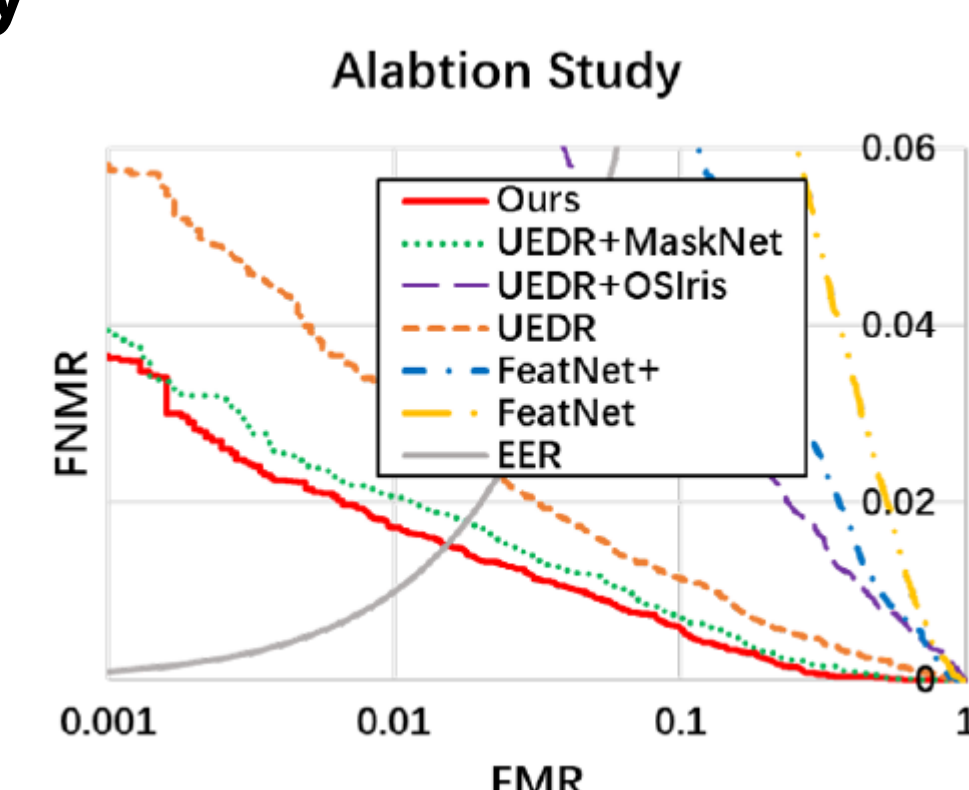
	UniNet		Ours	
	EER	FNMR	EER	FNMR
Distance	7.55	23.48	7.04	23.21
Thousand	3.10	10.68	5.3	13.82
Mobile	1.31	4.87	1.18	2.79

### Model complexity

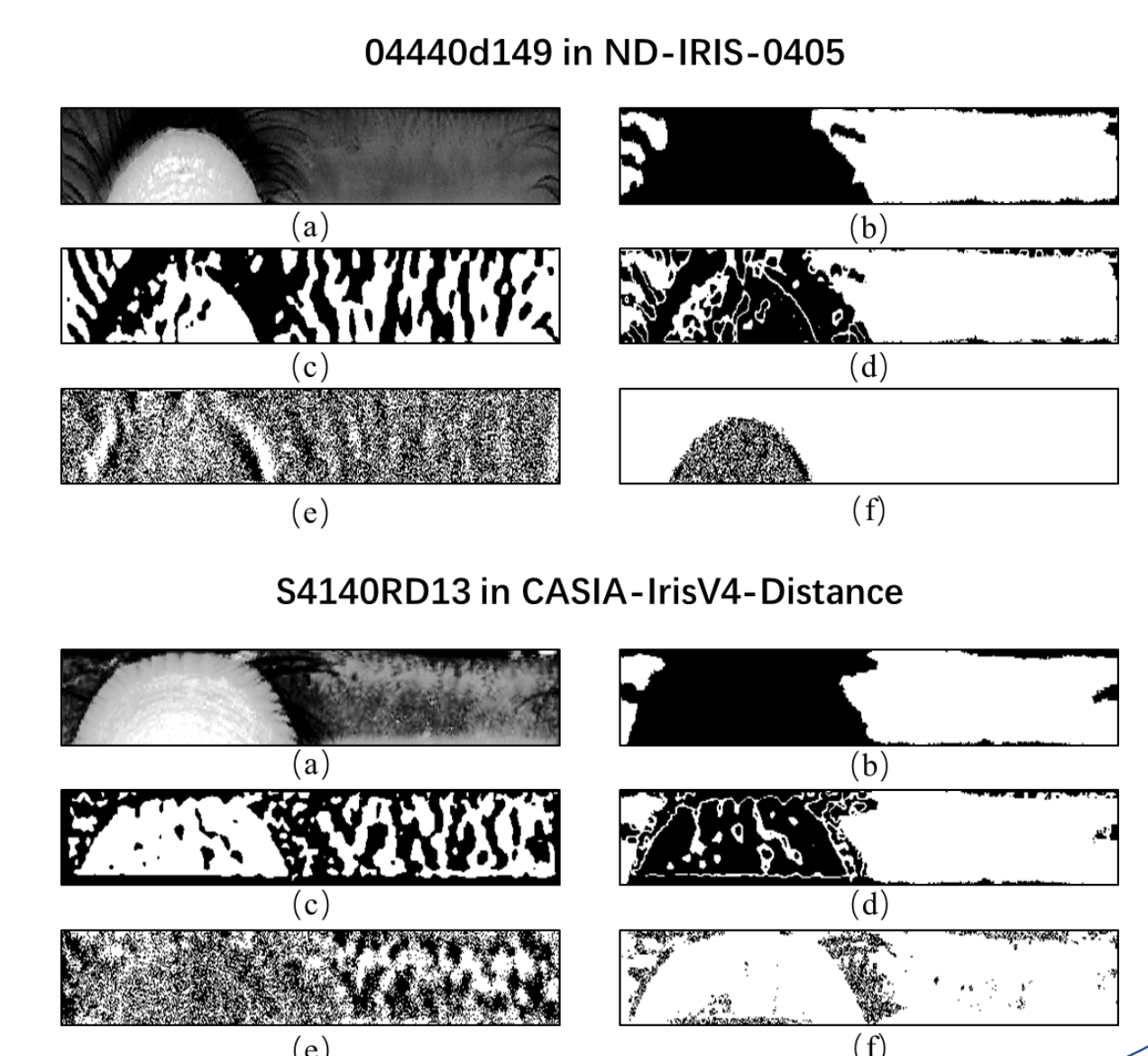
	#Params(K)	MACs(M)
Wei et al.	6558.11	1261.37
UniNet	FeatNet	27.46
	MaskNet	97.86
	Total	125.32
Ours	<b>29.48</b>	<b>211.22</b>

### Ablation study

	No Iris Mask	Deterministic Threshold Masking	Adaptive Threshold Masking	EER
FeatNet	✓			11.97
FeatNet+	✓			7.61
UEDR	✓			2.27
UEDR+OSiris		✓		5.25
UEDR+MaskNet		✓		1.79
Ours			✓	<b>1.57</b>



### Visualizations



## Conclusions

In this paper,  $D^2UE$  is proposed to model data uncertainty of iris recognition in a pixel-level manner, which can attenuate the interference caused by uncertain acquisition factors.  $D^2UE$  takes the intermediate feature map of any dense DL framework as input and generates the UEDR and VSM of an iris image. VSM is then leveraged to produce a binary mask through adaptive threshold masking, and thus pixelwise iris segmentation is no longer needed. Experimental results on several public iris datasets demonstrate the superiority of  $D^2UE$  in improving the recognition performance of baseline methods, and it is a remarkably lightweight building block.