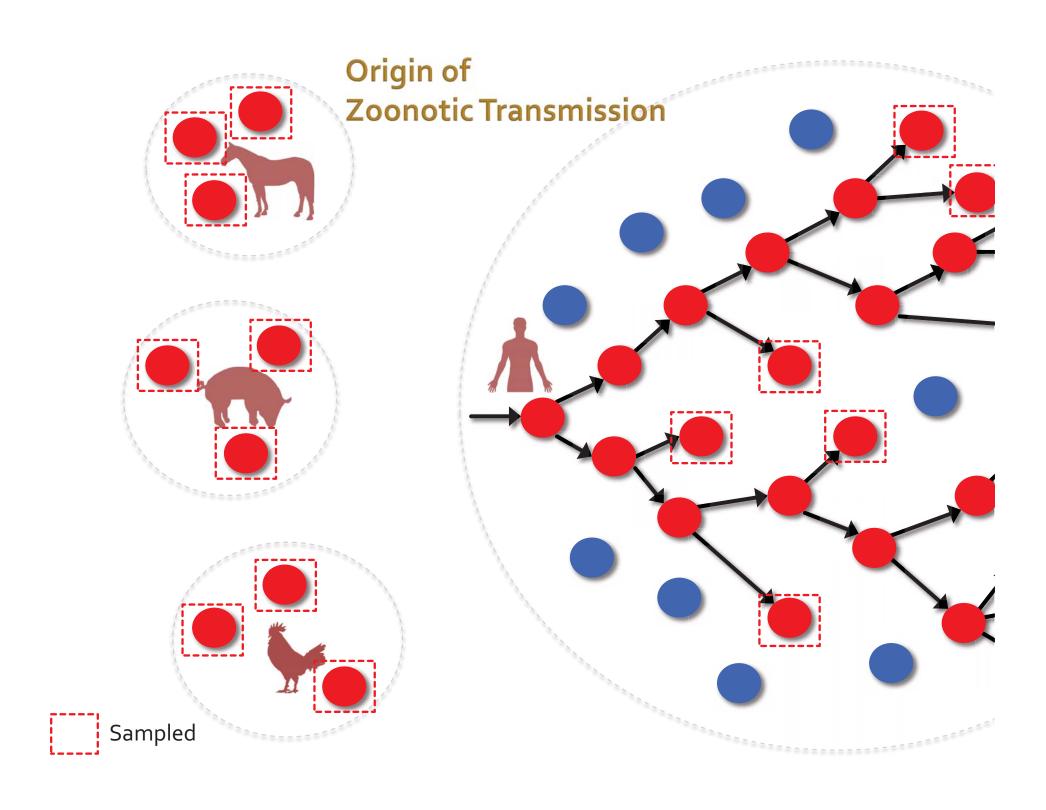
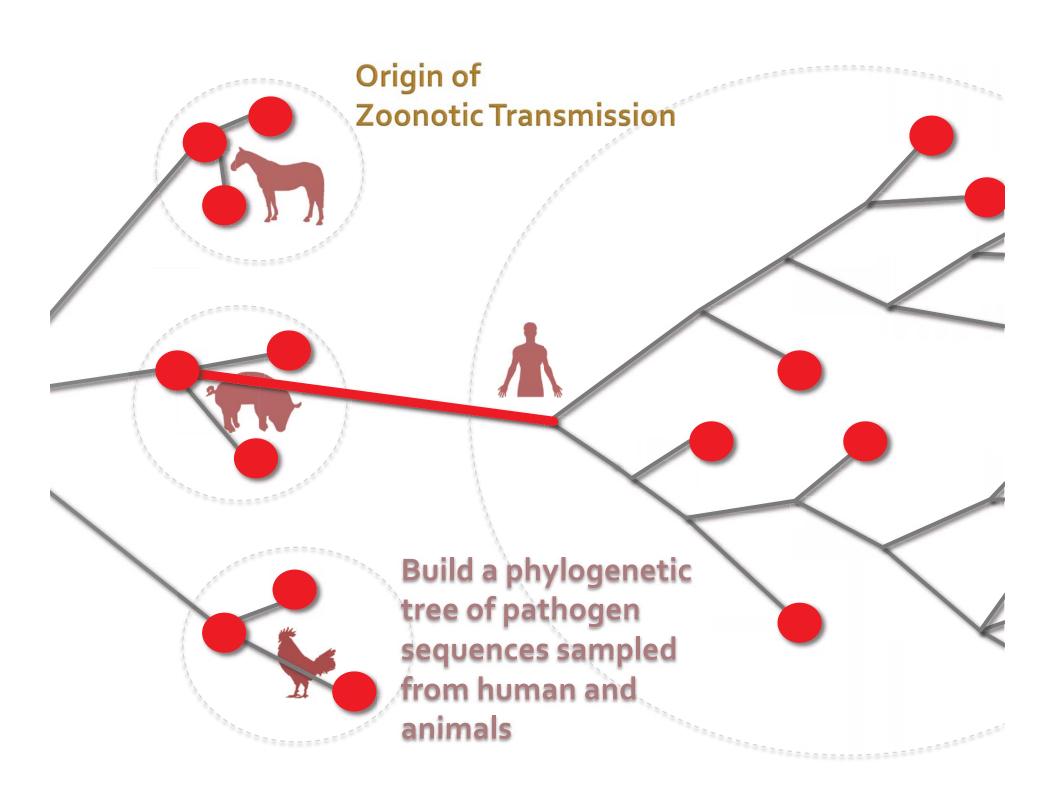
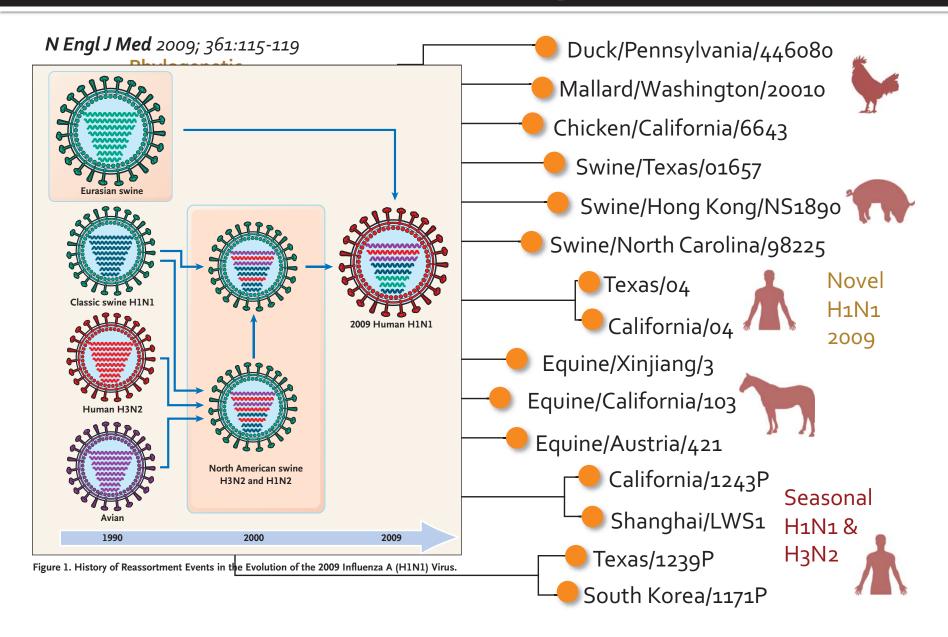
Qualitative interpretations of phylogenetic trees: Examples

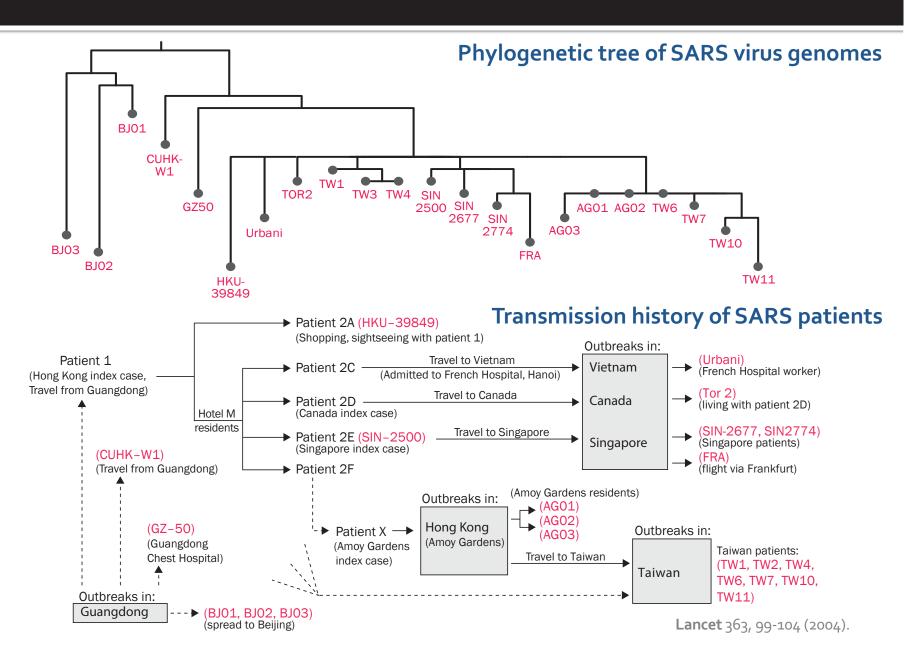




Tracing the source or origin of diseases: H1N1 human influenza pandemic 2009



Examples – SARS Outbreak 2003

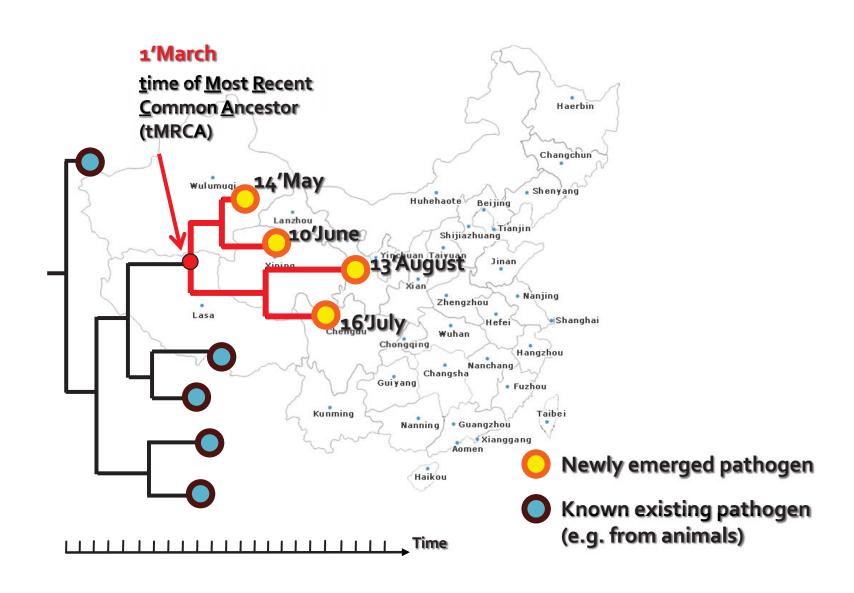


Summary

- Mutations accumulated in the pathogen genome sequence along the transmission chain.
- Phylogenetic tree inferred from these sequences illustrate the evolutionary history of the pathogens, which is a reflection of the disease transmission history.
- Raw sequences must be aligned to build the phylogeny.
- Phylogenetic tree can be estimated with Markov model on formal statistical framework (e.g. maximum likelihood, Bayesian).
- Qualitative interpretations on disease origin and related transmission.

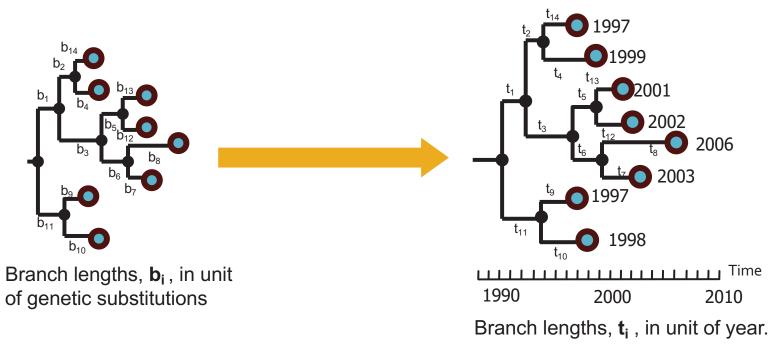
Quantitative inferences on phylogenetic trees – Epidemic timescale

'Dating' the starting time of epidemic

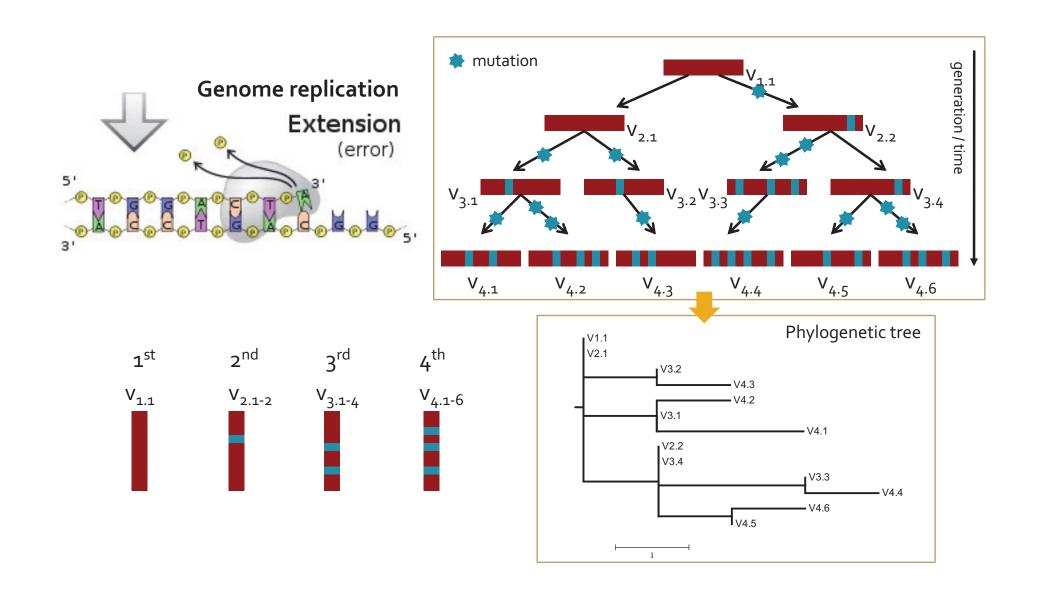


Time-scaled tree

- A tree measured in genetic distance is transformed to a tree in a time scale.
- b_i is known, but t_i is unknown.



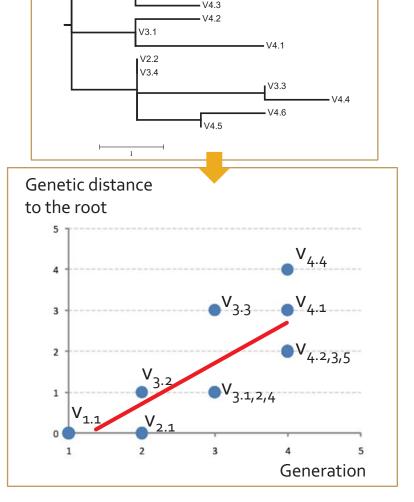
Accumulation of mutations from generations to generations



Tempo pattern of evolution

V1.1 V2.1

V3.2



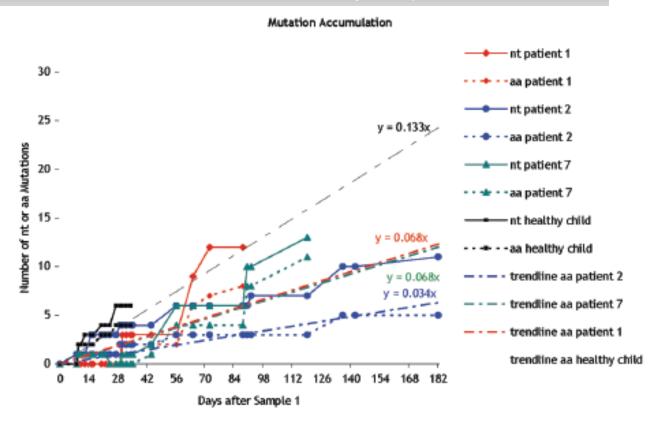
Maximum parsimony tree

Slope (rate) = 0.98 mutations per generation

Tempo pattern of evolution

- observation from serial samples from patients

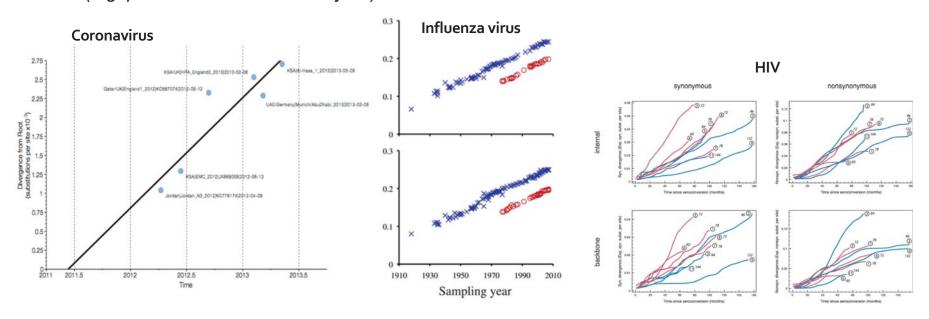
Mutations Accumulated since the 1st Day Sample of Norovirus GII.4



J. Siebenga. et al. (2008) J. Infect. Dis

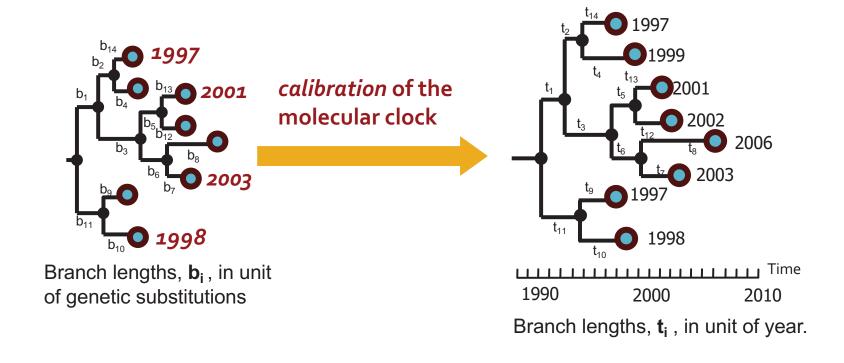
Molecular clock

- A simple molecular clock assumes mutations are accumulated in the pathogen genome in a constant rate.
 - observed in many fast-evolving viruses, e.g. human and swine influenza, HIV, rabies, PRRSV, EV71, HCV, RSV, etc.....
 - Substitution (b) = clock rate (μ) x Time (t)
 - $b = \mu t$
 - the expected distance between sequences increases linearly with their time of divergence
 - (e.g. μ is in unit of substitution/year)



Molecular clock estimation of time-scaled tree

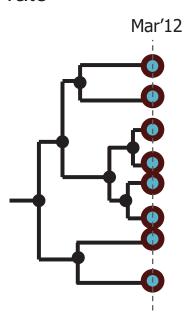
- Molecular clock assumption provides a simple yet powerful way of transforming a distance tree to time tree.
- If external information about the ages of one or more nodes on the phylogeny is available, sequence distances or branch lengths can be converted into absolute calendar times, and the clock rate



Sampling strategy to enable molecular clock dating

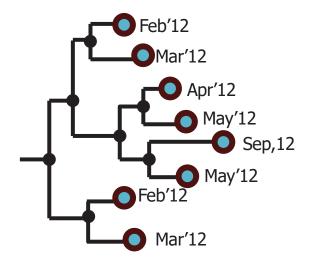
Contemporary sampling

- Samples collected at a single time point
- No information for calibration
- Explicit assumption on clock rate



Heterochronous sampling

- Samples are collected at different time points
- Useful to calibrate molecular clock to estimate the time-scale of phylogeny

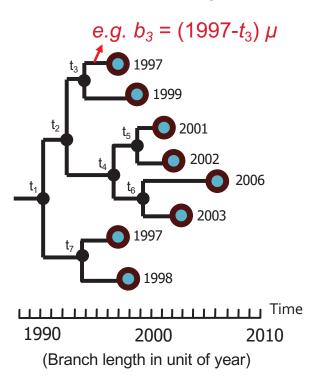


Molecular Clock Dating: Maximum likelihood

• In the clock model, s parameters: t_{1-7} and μ Likelihood can be calculated because $b = \mu t$

$$L = P(D|\{b_{1...2s-2},\lambda\})$$

 $L = P(D|\{t_{1...s-1}, \mu, \lambda\})$ with clock model



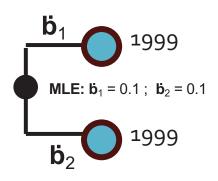
- The time parameters have to satisfy the constraints that any node should not be younger than any of its child nodes, e.g. t3 < min(1997, 1999)
- Numerical optimization of the likelihood function to be performed under such constraints
- Achieved by constrained optimization or through variable transformations (Yang and Yoder 2003).

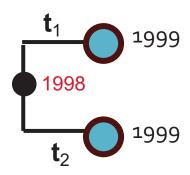
Molecular Clock Dating: Dated-Tips

Heterochronous samples provide 'dated-tips' with measurable time and genetic difference to estimate rates and timescale of the phylogeny

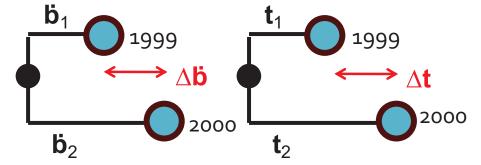
of substitution

 $\mathbf{b}_{1,2}$ are branches in unit $\mathbf{t}_{1,2}$ are branches in unit of time (year)





$$\mathbf{t}_1 = 1 \text{ year}$$
; $\mathbf{t}_2 = 1 \text{ year}$; $\mu = 0.1$
 $\mathbf{b}_1 = 0.1$; $\mathbf{b}_2 = 0.1$



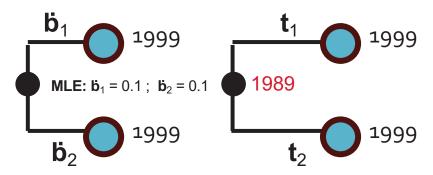
MLE: $\mathbf{\dot{b}}_1 = 0.1$; $\mathbf{\dot{b}}_2 = 0.2$

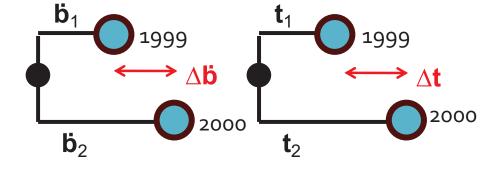
Molecular Clock Dating: Dated-Tips

 Heterochronous samples provide 'dated-tips' with measurable time and genetic difference to estimate rates and timescale of the phylogeny

b_{1,2} are branches in unit of substitution

<u>t_{1,2} are branches in unit</u> of time (year)





MLE: $\mathbf{\dot{b}}_1 = 0.1$; $\mathbf{\dot{b}}_2 = 0.2$

 $\mathbf{t}_1 = 1 \text{ year}$; $\mathbf{t}_2 = 1 \text{ year}$; $\boldsymbol{\mu} = 0.1$ $\mathbf{t}_1 = 10 \text{ years}$; $\mathbf{t}_2 = 10 \text{ years}$; $\boldsymbol{\mu} = 0.01$ $\mathbf{b}_1 = 0.1$; $\mathbf{b}_2 = 0.1$

Give the same likelihood, hard to estimate the rate and timescale

Heterochronous samples give $\Delta \mathbf{b} \& \Delta \mathbf{t}$, allowing calibration and estimation of clock rate: $\boldsymbol{\mu} \approx \Delta \mathbf{b} / \Delta \mathbf{t}$

Different Clocks: 'Relaxed Clock'

- More complicated clocks 'Relaxed clock' (Huelsenbeck et al. Genetics. 154 (2000); Kishino et al. MBE. 18. (2001); Drummond et al. PLoS Biol (5) (2006); Rannala et al. Syst. Biol. 56. (2007))
 - allow some rate variations in different lineages, which is more biologically realistic
 - auto-correlated and uncorrelated rate variation
 - variation follows some distributions, e.g. exponential, lognormal
 - In ML framework, clocks can be tested using likelihood ratio tests (if models are nested).

In BMCMC framework, clocks can be tested by Bayes Factor tests.

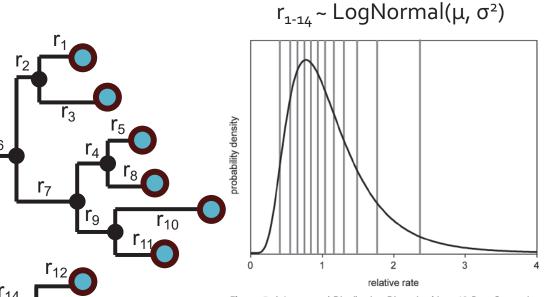


Figure 5. A Lognormal Distribution Discretized into 12 Rate Categories Each of the 12 categories has equal probability (p = 1/12). The i^{th} rate category (numbered from left to right) corresponds to the (1 - 0.5)/12quantile of the lognormal distribution.

DOI: 10.1371/journal.pbjo.0040088.g005



Libyan HIV & HCV outbreak in a children hospital

- El-Fatih Children's Hospital, Libya.
- >400 children were tested positive for HIV and/or HCV in late 1998 – early 1999.
- Six foreign (1 Palestinian & 5 Bulgarian) medics, who started their work there in March 1998, were accused.
- In 2005/06, the children's HIV & HCV were sequenced and analyzed.

de Oliveira et al. (2006) Nature 444, 836-837





HCV sequences from the hospital formed three separate clusters: two from genotype 4 and one from genotype 1.

de Oliveira et al. (2006) Nature 444, 836-837

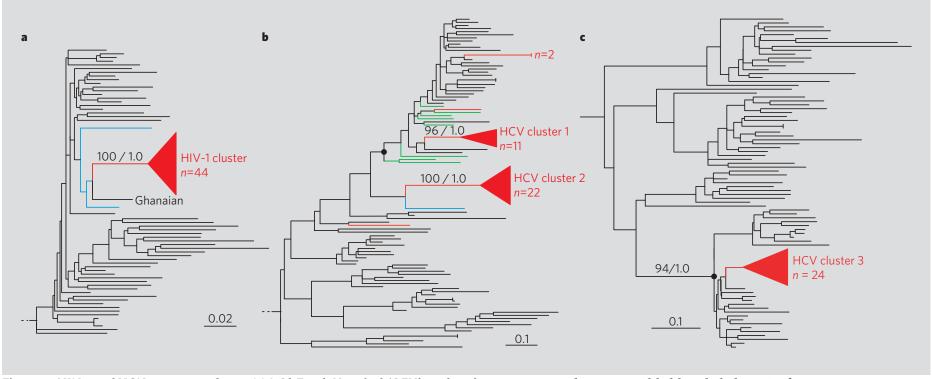


Figure 1 | HIV-1 and HCV sequences from 1998 Al-Fateh Hospital (AFH) outbreak. a-c, Estimated maximum-likelihood phylogenies for HIV-1 CRF02_AG (a), HCV genotype 4 (b) and HCV genotype 1 (c). Source of sequences used for analysis: AFH, red; Egypt, green; Cameroon, blue. Black circles mark the common ancestor of HCV subtype 4a and 1a; numbers above AFH lineages give clade support values using bootstrap and bayesian methods, respectively. Scale bar units are nucleotide substitutions per site. For visual clarity, AFH clusters are represented by triangles and some non-informative reference strains are excluded.



Libyan HIV & HCV outbreak in a children hospital

de Oliveira et al. (2006) Nature 444, 836-837

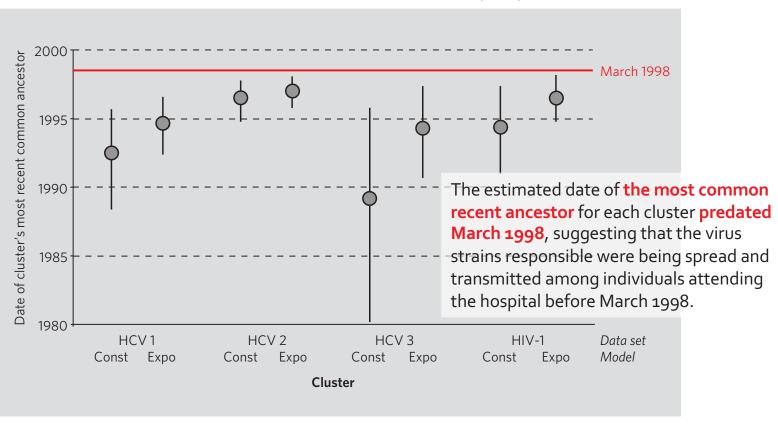


Figure 2 | **Estimated dates of the most recent common ancestor for each cluster.** Results obtained by using different evolutionary models. Vertical lines show the 95% highest posterior density intervals. Red line shows time of arrival of the foreign staff in March 1998. For further details, see supplementary information. 'Const', constant size; 'Expo', exponential growth.

Quantitative inferences on phylogenetic trees – Epidemic growth

Coalescent inference: genealogy-based method in Population Genetics

coalescent

event

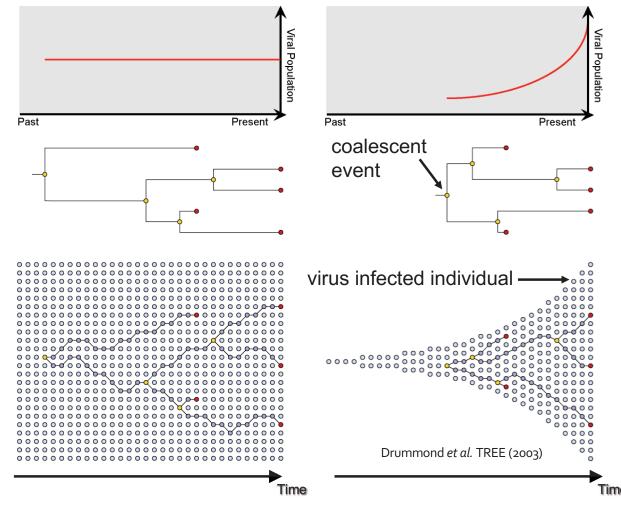
- In a genealogy(tree), if you trace the ancestry of some individuals, you will always find a common ancestor of them. A coalescent event is where two lineages merge as a common ancestor.
- The coalescent model describes the probability distribution on the coalescent events given a population history.

Kingman (1982); Griffiths and Tavare (1994)

 Therefore the model can convert information from ancestral relationships (i.e. coalescent distribution) into information about the actual population history and vice versa.

Population Inference using Coalescent Theory

Coalescent theory [Kingman (1982); Griffiths and Tavare (1994)]



In a smaller population,

- → Higher probability for two individuals to coalesce in the previous generation
- →Age of common ancestor is expected to be younger.
- \rightarrow Distribution of coalescent nodes and their time depth can be used to infer *effective* population size (N_e) over time.
- $\rightarrow N_e$ is an abstract parameter, but changes in N_e reflect changes in the census infected population size
- →The time scale was estimated by assuming a molecular clock
- → Details can be found in Pybus *et al.* Genetics (2000)

Population fluctuation of human influenza virus

Rise of the genetic population of human seasonal H3N2 flu season influenza viruses coincides with the flu season. New York H3N2 $(N_{\rm e})$ 15 Effective population size 10 New Zealand 20 15 10 1992 1994 1998 1996 2004 1990 2000 2002 2006 Year

Rambuat et al. Nature (2008)

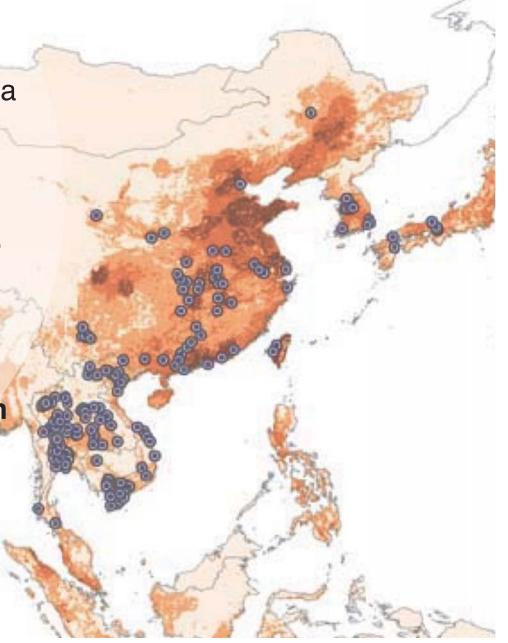
Quantitative inferences on phylogenetic trees – Spatial diffusion

Spatial spread of disease

- Data: disease reports GIS data
- Analysis methods:
 - Spatial clustering (Moran's I, Geary's c, Ripley's K, EMM, etc)
 - Risk factor modeling (regression, discriminant analyses)
 - Simulation (spatial-epidemic models)
- Empirical evidence of transmission linkage between infections
- Avian influenza outbreaks
 Poultry density (km²)

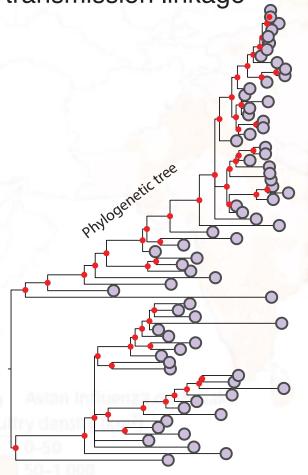
0-50 50-1 000 100-5 000

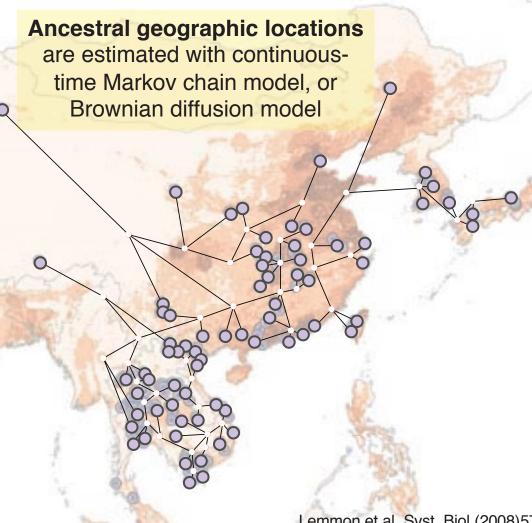




Phylogeographic inference

Phylogenetic tree provides empirical evidence of transmission linkage

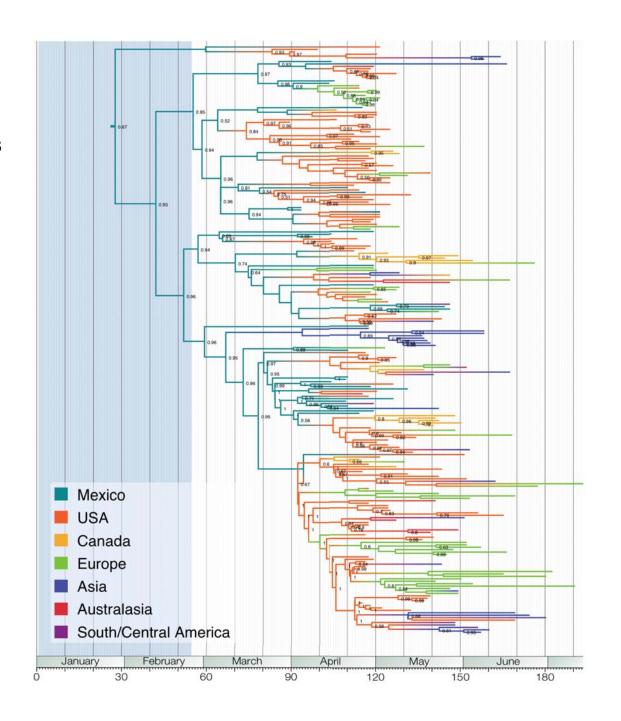




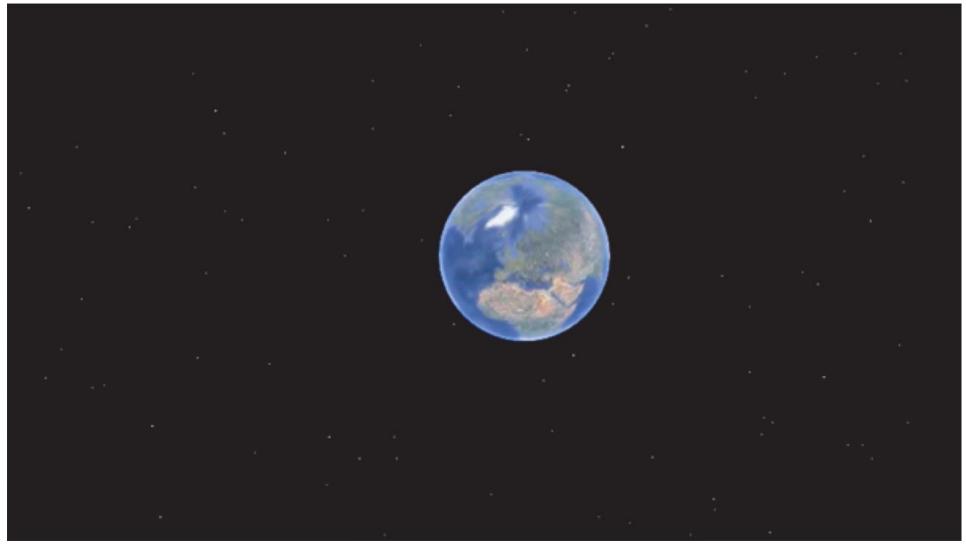
Lemmon et al. Syst. Biol (2008)57 Lemey et al. MBE (2010)27:8

Pandemic (H1N1) 2009 influenza

- Lemey et al. PLoS Currents Influenza. (2009) doi: 10.1371/currents.RRN1031
- Phylogenetic tree of 242 human pdmH1N1 sequences (40 locations; Mar-Jul 2009)
- Relaxed molecular clock model
- Spatial diffusion is modeled as discrete continuous-time Markov chain



Pandemic (H1N1) 2009 influenza



Lemey et al. PLoS Currents Influenza. (2009) doi: 10.1371/currents.RRN1031

Summary

- Some epidemic parameters (timescale, infected population, spatial diffusion rate) can be coestimated with phylogenetic tree in statistical frameworks
- Require external information about the samples, e.g. time and spatial locations of the samples, to calibrate the analyses
- Extend the study insights in both temporal and spatial scales.
- Mostly applicable to fast-evolving pathogens such as RNA viruses.