

MARMARA UNIVERSITY – FACULTY OF ENGINEERING

CSE 2046/2246 HOMEWORK #1 REPORT



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Input Files

There are 7 input files in total as HTML file. 3 of them are generated with random Latin words such as Lorem ipsum etc. These files are larger than 1MB. Other 3 of them are generated with random binary values. These files are larger than 1MB also. 6 files that are mentioned above are different from each other. Last input file is given by lecturer which includes 'AT_THAT' pattern inside.

The reason that we generated Latin words in input files is they are meaningless and they are not in order. It means algorithms will not be able to find patterns easy. Lengths of them are very long and it is hard to find the pattern with human eye. Also, binary inputs are very complex for algorithms because there are just two numbers inside of very large text. So, running time will increase because there will be overlaps, and shift values will be small. There will be lots of comparisons. Comparison count and running time will increase.

Example of Latin input HTML file (it continues, it is a section):

```
<HTML> <BODY>
Nulla tincidunt hendrerit enim, non fringilla metus iaculis id. Fusce finibus, arcu quis mattis eleifend, augue odio lobortis tellus, eget sodales.
Fusce non sem ante. Praesent aliquam nunc sit amet nisl condimentum tempus. Maecenas tincidunt volutpat orci sed ultricies. Proin elementum placerat.
Etiam laoreet mattis tincidunt. Donec accumsan metus ac eleifend imperdiet. Sed laoreet turpis id tincidunt ultricies. In porttitor sollicitudin.
Morbi vitae augue ultrices, tempus dui vitae, rutrum nibh. Fusce commodo faucibus mattis. Morbi fermentum congue erat, ac posuere diam. Sed sit amet.
Vivamus orci dui, rutrum ac hendrerit sit amet, iaculis vel enim. Fusce venenatis tempor mattis. Ut aliquam consectetur nibh id lacinia. Aliquam.
Proin quis felis scelerisque, ultrices erat nec, elementum metus. Curabitur metus nisi, viverra vehicula fringilla nec, tincidunt eget massa. Maecenas.
Praesent pretium lacus mollis malesuada fringilla. Nam sed ex id neque vehicula lobortis quis consequat mi. Fusce magna sapien, scelerisque id faucibus.
Integer pulvinar turpis ut laoreet dapibus. Etiam id dapibus leo. Proin pretium lectus a nisl iaculis semper. Vestibulum porttitor non augue in t
```

Figure-1: HTML Latin Input File Section

Example of Binary input file it continues, it is a section):

```
<HTML> <BODY>
110000100010011111101011111100010010100001000100100101110110011010111011000101010111000111001011010
0100000100011010111110110101110111011001100110001011010110001011101100001000001011001000101110111
0110100000110110010001000010100110001101100101000101010010011101010011111110111110101111111101
10111100010100111010100101000000101000010000110110110001011011111000001010011000110000011001101101
1000011111101010100101101000100111111100101000111000000110011111101100010011111101010100010110000
0001000011011011001101000101000010011101101100101011111000001100111110011101110010001000000100001
101100011011000010010011001010111110000001011101111011010100001000111110110011100010111011111010
1010010000101111010011010110110111110001110010010001010001101000011001100101100101101111001101100
100000011000100100010110001100001001100010101100100100111011011000001100110110000110000000010100110
0011001100011000000000001111110000001010110001010011101111010111100011101001110111100101111110011
1101111010111000010111111111010000111011110011010011001100111001010111111000001000000110010100100110
000111101001111000011100010011001111101110011001110001011111100000110011100000000110010001010011001
10000000001001010100000100011100100100000001001011011100100100101110001110111100111001101100001010
1011011110100101100010011101011100110011001110100000010001110111001101110001010001000100111010100101
101100100111011111010000010011000011111001110001110110110110010001000100010011101010111011100
```

Figure-2: HTML Binary Input File Section

Code

Brute-force Algorithm

```
def brute_force_search(text, pattern):
    #To measure runtime
    start_time = time.time()
    n = len(text)
    m = len(pattern)
    comparisons = 0
    matches = []
    found_index_start = []
    found_index_end = []
    match_count = 0

    #Check every letter of the pattern starting from 0th index and shift by one.
    for i in range(n - m + 1):
        j = 0

        while j < m and text[i + j] == pattern[j]:
            j += 1
            comparisons += 1

        #if comparison count in the while loop equals to pattern lenght increase match count by one.
        if j == m:
            matches.append(i)
            found_index_start.append(i)
            found_index_end.append(i+len(pattern)-1)
            comparisons += 1
            match_count += 1
        comparisons += 1

    brute_force_time = (time.time() - start_time) * 1000
    markText(found_index_start,found_index_end,text,match_count,comparisons,"bruteforce")
    return brute_force_time, comparisons
```

Figure-3: Code of Brute-Force Algorithm

In brute force algorithm we start checking starting indexes of pattern and text and if they are equal algorithm checks that if they are equal after the starting index until keys do not match or match occurs, then increasing the text index by one and doing the same operations until text index reaches end of the text. By calling the function markText with predetermined boundaries of the text and name of the algorithm we do mark the corresponding indexes of the text. Returning runtime of brute force algorithm and comparison count.

Boyer-Moore Algorithm

```
def boyerMoore(pattern, text, badChar, goodSuffix, patternIndex, textIndex):  
  
    start_time = time.time()  
    i = patternIndex - 1 # i = lenght of pattern - 1  
    never_match = True #At the beginning there is not one match. If there is one we will use this later.  
    found_index_start = []  
    found_index_end = []  
    comparison_count = 0  
    match_count = 0  
  
    #While index of text is less than or equal to lenght of text.  
    while i <= textIndex - 1:  
        temp_i = i  
        j = len(pattern) - 1  
        any_match = False  
  
        shift = 0  
  
        #While chars of pattern and text is equal and their indexes are more than zero.  
        while pattern[j] == text[i] and j >= 0 and i >= 0:  
            any_match = True  
            i -= 1  
            j -= 1  
  
        #If there is complete match of pattern to text.  
        if (j == -1):  
            found_index_start.append(temp_i + 1 - len(pattern)) #Noting start of the match index to use later.  
            found_index_end.append(temp_i) #Noting end of the match index to use later.  
            never_match = False #In this if condition there is complete match so never_match becomes false.  
            shift = 1 #To check overlapping matches we shift text index by 1.  
            i = temp_i + shift  
            comparison_count += len(pattern) #Since there is complete match our comparison_count will be equal to lenght of pattern.  
            match_count += 1
```

Figure-4: Code of Boyer-Moore Algorithm

```

#When there is partial match we do shift by the first match letter's value in bad symbol table.
elif(any_match):

    bad_char_shift = badChar[ord(text[i])] - (temp_i - i)
    good_suffix_shift = goodSuffix[temp_i-i]
    shift = 0
    #Compare the shift values of bad symbol table and good suffix table get the greater one.
    if bad_char_shift >= good_suffix_shift:
        shift = bad_char_shift
    else:
        shift = good_suffix_shift

    comparison_count += temp_i - i
    i = temp_i + shift

#When there is not any match we do shift by the length of the pattern due to bad symbol table.
else:
    #shift = length of pattern
    shift = badChar[ord(text[temp_i])]
    i = temp_i + shift
    comparison_count += 1

#When pattern is not found in text.
if(never_match == True):
    print("Pattern not found in text!")
boyer_moore_time = (time.time() - start_time) * 1000
markText(found_index_start,found_index_end,text,match_count,comparison_count,"boyermoore")
return boyer_moore_time, comparison_count

```

Figure-5: Code of Boyer-Moore Algorithm

In Boyer Moore algorithm we start checking the chars from right to left by decreasing index by one until a mismatch occurs or match occurs. In case of mismatch shift index of text by length of the pattern. In case of match shift index of text by one due to possibility of overlapping. In case of partial match shift index of text by maximum of bad symbol table and good suffix table at the index of text which mismatch occurs. By calling the function markText with predetermined boundaries of the text and name of the algorithm we do mark the corresponding indexes of the text. Returning runtime of Boyer Moore algorithm and comparison count.

Horspool Algorithm

```
def horspool(pattern, text, badChar, patternIndex, textIndex):
    start_time = time.time()
    i = patternIndex - 1 #i = lenght of pattern - 1
    never_match = True #At the beginning there is not one match. If there is one we will use this later.
    found_index_start = []
    found_index_end = []
    comparison_count = 0
    match_count = 0

    #While index of text is less than or equal to lenght of text.
    while i <= textIndex - 1:
        temp_i = i
        j = len(pattern) - 1
        any_match = False

        shift = 0

        #While chars of pattern and text is equal and their indexes are more than zero.
        while pattern[j] == text[i] and j >= 0 and i >= 0:

            any_match = True
            i -= 1
            j -= 1

        #If there is complete match of pattern to text.
        if(j == -1):
            found_index_start.append(temp_i + 1 - len(pattern)) #Noting start of the match index to use later.
            found_index_end.append(temp_i) #Noting end of the match index to use later.
            never_match = False #In this if condition there is complete match so never_match becomes false.
            shift = 1 #To check overlapping matches we shift text index by 1.
            i = temp_i + shift
            comparison_count += len(pattern) #Since there is complete match our comparison_count will be equal to lenght of pattern.
            match_count += 1

    #When there is partial match we do shift by the first match letter's value in bad symbol table.
    elif(any_match):
        #shift = first matches' bad symbol value
        shift = badChar[ord(text[temp_i])]
        comparison_count += temp_i - i
        i = temp_i + shift

    #When there is not any match we do shift by the lenght of the pattern due to bad symbol table.
    else:
        #shift = length of pattern
        shift = badChar[ord(text[temp_i])]
        i = temp_i + shift
        comparison_count += 1

    #When pattern is not found in text.
    if(never_match == True):
        print("Pattern not found in text!")
    horspool_time = (time.time() - start_time) * 1000
    markText(found_index_start, found_index_end, text, match_count, comparison_count, "horspool")

    return horspool_time, comparison_count
```

Figure-6: Code of Horspool Algorithm

```
    #When there is partial match we do shift by the first match letter's value in bad symbol table.
    elif(any_match):
        #shift = first matches' bad symbol value
        shift = badChar[ord(text[temp_i])]
        comparison_count += temp_i - i
        i = temp_i + shift

    #When there is not any match we do shift by the lenght of the pattern due to bad symbol table.
    else:
        #shift = length of pattern
        shift = badChar[ord(text[temp_i])]
        i = temp_i + shift
        comparison_count += 1

    #When pattern is not found in text.
    if(never_match == True):
        print("Pattern not found in text!")
    horspool_time = (time.time() - start_time) * 1000
    markText(found_index_start, found_index_end, text, match_count, comparison_count, "horspool")

    return horspool_time, comparison_count
```

Figure-7: Code of Horspool Algorithm

In Horspool algorithm we start checking the chars from right to left. Increasing the text index by one until text index is equals to text length. While key of pattern equals to key of text decrease both indexes by one if a complete match occurs shift text index by one and keep doing the same. If there is partial match of some keys take the starting index of that iterations text index and find its bad symbol value and shift by that value. If there is not any partial match, then shift by length of the pattern. By calling the function markText with predetermined boundaries of the text and name of the algorithm we do mark the corresponding indexes of the text. Returning runtime of Horspool algorithm and comparison count.

Results of these three algorithms can be seen in 'brute_force_result.html', 'horspool_result.html' and 'boyermoore_result.html' files.

Analysis of Experiment

First experiment is searching '1000110' pattern in 'Binary.html'. Results of three algorithms are below. Bad Symbol Table, good suffix table, and detailed results of three algorithms are printed.

```
Bad Symbol Table: {'\x00': 7, '\x01': 7, '\x02': 7, '\x03': 7, '\x04': 7, '\x05': 7, '\x06': 7, '\x07': 7, '\x08': 7, '\t': 7, '\n': 7, '\x0b': 7, '\x0c': 7, '\r': 7, '\x0e': 7, '\x0f': 7, '\x10': 7, '\x11': 7, '\x12': 7, '\x13': 7, '\x14': 7, '\x15': 7, '\x16': 7, '\x17': 7, '\x18': 7, '\x19': 7, '\x1a': 7, '\x1b': 7, '\x1c': 7, '\x1d': 7, '\x1e': 7, '\x1f': 7, ' ': 7, '!': 7, '"': 7, '#': 7, '$': 7, '%': 7, '&': 7, "'": 7, '(': 7, ')': 7, '*': 7, '+': 7, ',': 7, '-': 7, '.'': 7, '/': 7, '0': 3, '1': 1, '2': 7, '3': 7, '4': 7, '5': 7, '6': 7, '7': 7, '8': 7, '9': 7, ':': 7, ';': 7, '<': 7, '=': 7, '>': 7, '?': 7, '@': 7, 'A': 7, 'B': 7, 'C': 7, 'D': 7, 'E': 7, 'F': 7, 'G': 7, 'H': 7, 'I': 7, 'J': 7, 'K': 7, 'L': 7, 'M': 7, 'N': 7, 'O': 7, 'P': 7, 'Q': 7, 'R': 7, 'S': 7, 'T': 7, 'U': 7, 'V': 7, 'W': 7, 'X': 7, 'Y': 7, 'Z': 7, '[': 7, '\': 7, ']': 7, '^': 7, '_': 7, '`': 7, 'a': 7, 'b': 7, 'c': 7, 'd': 7, 'e': 7, 'f': 7, 'g': 7, 'h': 7, 'i': 7, 'j': 7, 'k': 7, 'l': 7, 'm': 7, 'n': 7, 'o': 7, 'p': 7, 'q': 7, 'r': 7, 's': 7, 't': 7, 'u': 7, 'v': 7, 'w': 7, 'x': 7, 'y': 7, 'z': 7, '{': 7, '|': 7, '}'': 7, '~': 7, '\x7f': 7, '\x80': 7, '\x81': 7, '\x82': 7, '\x83': 7, '\x84': 7, '\x85': 7, '\x86': 7, '\x87': 7, '\x88': 7, '\x89': 7, '\x8a': 7, '\x8b': 7, '\x8c': 7, '\x8d': 7, '\x8e': 7, '\x8f': 7, '\x90': 7, '\x91': 7, '\x92': 7, '\x93': 7, '\x94': 7, '\x95': 7, '\x96': 7, '\x97': 7, '\x98': 7, '\x99': 7, '\x9a': 7, '\x9b': 7, '\x9c': 7, '\x9d': 7, '\x9e': 7, '\x9f': 7, '\xa0': 7, '¡': 7, '¢': 7, '£': 7, '¥': 7, '¦': 7, '§': 7, '¨': 7, '©': 7, 'ª': 7, '«': 7, '¬': 7, '\xad': 7, '®': 7, '¯': 7, '°': 7, '±': 7, '²': 7, '³': 7, '´': 7, 'µ': 7, '¶': 7, '·': 7, '¸': 7, '¹': 7, 'º': 7, '»': 7, '¼': 7, '½': 7, '¾': 7, '¿': 7, 'À': 7, 'Á': 7, 'Â': 7, 'Ã': 7, 'Ä': 7, 'Å': 7, 'Æ': 7, 'Ç': 7, 'È': 7, 'É': 7, 'Ê': 7, 'Ë': 7, 'Ì': 7, 'Í': 7, 'Î': 7, 'Ï': 7, 'Ð': 7, 'Ñ': 7, 'Ò': 7, 'Ó': 7, 'Ô': 7, 'Õ': 7, 'Ö': 7, '×': 7, 'Ø': 7, 'Ù': 7, 'Ú': 7, 'Û': 7, 'Ü': 7, 'Ý': 7, 'Þ': 7, 'ß': 7, 'à': 7, 'á': 7, 'â': 7, 'ã': 7, 'ä': 7, 'å': 7, 'æ': 7, 'ç': 7, 'è': 7, 'é': 7, 'ê': 7, 'ë': 7, 'ì': 7, 'í': 7, 'î': 7, 'ï': 7, 'ð': 7, 'ñ': 7, 'ò': 7, 'ó': 7, 'ô': 7, 'õ': 7, 'ö': 7, '÷': 7, 'ø': 7, 'ù': 7, 'ú': 7, 'û': 7, 'ü': 7, 'ý': 7, 'þ': 7, 'ÿ': 7}]

Good Suffix Table: {'0': 3, '10': 5, '110': 5, '0110': 5, '00110': 5, '000110': 5, '1000110': 5}

-----BRUTE-FORCE ALGORITHM:-----
Pattern: 1000110
Match Count: 8171
Comparison Count: 2211094
Brute Force Running Time: 330.2652835845947 milliseconds.

-----HORSPPOOL ALGORITHM:-----
Pattern: 1000110
Match Count: 8171
Comparison Count: 1000960
Horspool Running Time: 240.0050163269043 milliseconds.

-----BOYER MOORE ALGORITHM:-----
Pattern: 1000110
Match Count: 8171
Comparison Count: 747040
Boyer Moore Running Time: 227.996826171875 milliseconds.
```

Figure-8: Result of First Experiment

We can see that most efficient algorithm is Boyer Moore by looking comparison count and running time. Shifting algorithm of Boyer Moore is more useful than others because it computes both bad symbol and good suffix heuristics and takes best one of them. After Boyer-Moore, Horspool algorithm is second best. It is an algorithm which uses only bad symbol heuristic that simpler than Boyer-Moore. Brute-force is worst one because it searches all the text shifting pattern one by one. Comparison count and running time are largest because of that.

Three algorithm found same match count which is 8171, so we can say that they worked properly.

Running time and comparison count can be seen better in plots below.

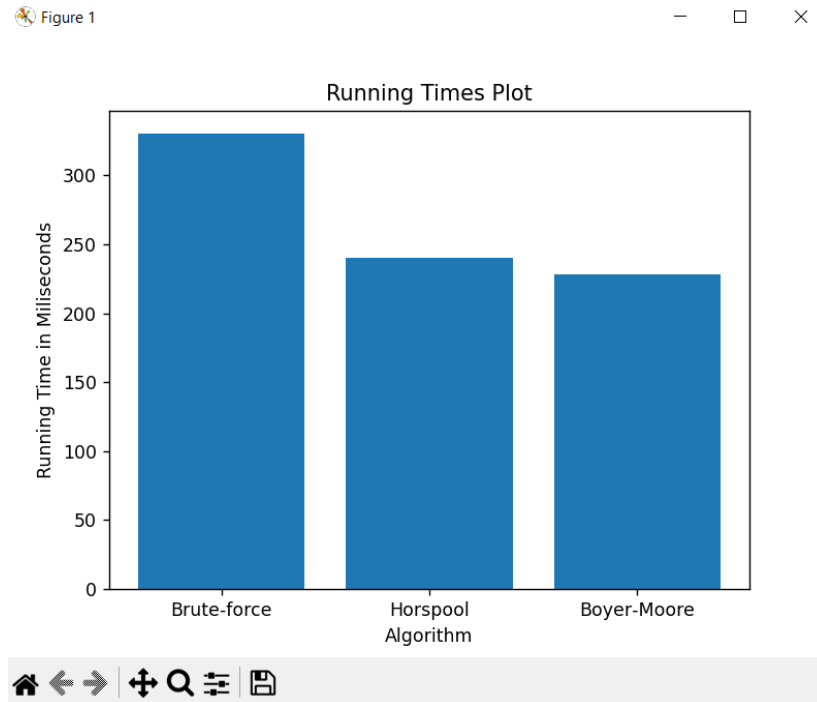


Figure-9: Running Time Plot of First Experiment

Brute-force is an algorithm that has worst efficiency. In this experiment, using Boyer-Moore algorithm is best choice to search binary pattern in binary text.

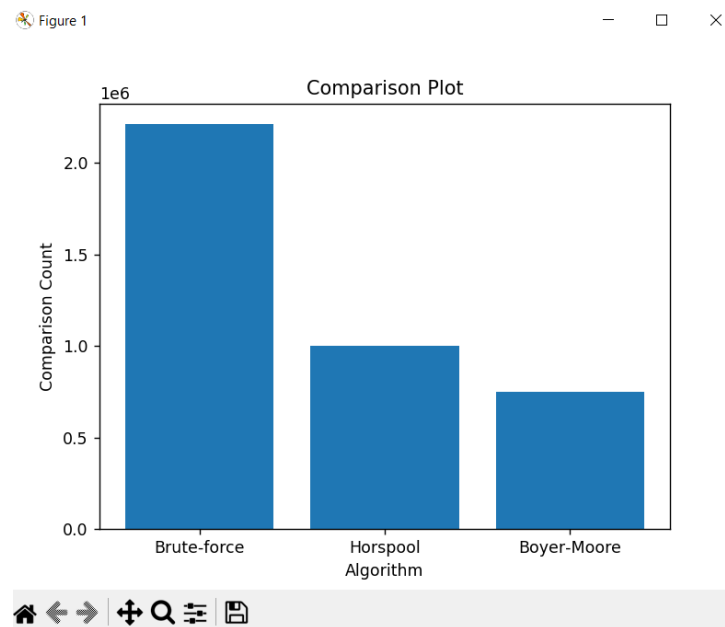


Figure-10: Comparison Count of First Experiment

Also, we can see that Boyer-Moore has the smallest comparison count. There is a huge difference between brute-force and others because of shifting algorithms of them. Horspool can be used because sometimes it is hard to implement Boyer-Moore.

```

1100001000100111111010111111000100101000010001001001011101100110101101100010101011000111001011010
0100000100011011111010101110111011010011001100010110101100010110110000100000101100100010110111
01101000001101100100010000101001100011010010100010010110101001111110111110100111111101
101110001010011010100101000000101000010000110110110001010111100000010100110001101101101
100001111101010101001011010001001111110010100011000000111001111101100010011111010100010110000
000100001101101100110100010100001001110110100101111100000111001111001101110010001000000100001
101100011010001001001100101011110000001011101110110101000010001111101100110001011101111010
1010010000101110100110101011100011100100100010100011000011100110011001011010111001101100
100000011000100100010110001100110010011011011000001100110110000110000000001000110
0011001100011000000000111110000001010110001010100111011101011100011101001101110010111110011
110111010110000101111110100001101111001101001100110111001010111100001000000110010100100110
000111010001110000111000100110011110110011000110011100000110011000000000110010001010011001
100000000100101010000100011100100100000010010110110010010010111000111011100111001101100001010
101101110100101100010011101011001100110110100000010001110110011011000101000100010011010100101
10110010011101111010000010011000011110011000111011011001000111011001101010101011011100
1010010100101110111010010110000110100100010011101000001110110111011100110111001100000111001011
000101100110100100000000010001100010101001100010000110011111001010000010001001010000001001111
0101011000000111110100001110111010100010101010100100001100110011001010000110110100011100010011
01000111101010001111101101101011100110010011000100111011101000100001010100100100111010100001000
001001101100100001101010011000100110011100000101001011101100011110101000001010100110010010011011
0000000110001101001110101101011100101100000110001110000101100110101001101001110010101111101
10000100110110011011000100010001001000111011001010111011010000100011101000111110001011
100110110010101010000101000010100101100010101000111011111101100100111000010011101111101011110
0101000110011011011101001100100001111110100000100001100110000111011111111000010111011011
011011010110001010101101010100000011010000000000010101111001000100111011110101110001101100
111000010010001000101000100110001111010101010101010001001101110001111000010111001110110000111010
011011001110100110010110000111001101001111111001001110000011000101100000010001010000000100010
111011001101100001110001011011000001010110100010100010111001001000001010110111010101000000000
1010000100110111010101000010010111011001011011101101101010101010101100001010011101100001010011
00000111010101101101101000010110101011010001011101100000111111000111111001100001111101011100
0110111000111100111000101001011111110011111011101111100011001110110000010011100
1011011100100010101100101100010000001101001001110000011110110100010111110011101101000001
1100111100101000100001110001000001010110001001101110001110000010011001010101110110001011100000
00101100011100011111110100101011101001011101100100111001111000101110110011000111110011110
1011001000001001111110010101000011110000001001011110110010111100010111001111101001111111
0001110100111011011010011101100110000101001010100010011101111101110011001101111011101100111
100110001111001001010101110000001010110100010101000001001101001101010011111111001110011
00101111111111011000011101001010000001010010101001000111001010101100000001000011001011100111011
0110101100011000101001110011000100100101011001100110000010001110000010000111011100110011

```

Figure-11: Section of Output HTML File

Patterns that are found in HTML file is marked and highlighted. Section of it can be seen above. Also, overlap example in this text can be seen below.

```

10010100011111010000001110
100101110001100011010000
11101100010000010001111110

```

Figure-12: Section of Output HTML File (Overlap)

This highlighted text above includes two patterns that are overlapped. They are marked correctly and printed in output file. Needed controls of overlap situation is done in the code.

```
Bad Symbol Table: {'\x00': 4, '\x01': 4, '\x02': 4, '\x03': 4, '\x04': 4, '\x05': 4, '\x06': 4, '\x07': 4, '\x08': 4, '\t': 4, '\n': 4, '\x0b': 4, '\x0c': 4, '\r': 4, '\x0e': 4, '\x0f': 4, '\x10': 4, '\x11': 4, '\x12': 4, '\x13': 4, '\x14': 4, '\x15': 4, '\x16': 4, '\x17': 4, '\x18': 4, '\x19': 4, '\x1a': 4, '\x1b': 4, '\x1c': 4, '\x1d': 4, '\x1e': 4, '\x1f': 4, ':': 4, '!': 4, '"': 4, '#': 4, '$': 4, '%': 4, '&': 4, "'": 4, '(': 4, ')': 4, '*': 4, '+': 4, ',': 4, '-': 4, '.'': 4, '/': 4, '0': 4, '1': 4, '2': 4, '3': 4, '4': 4, '5': 4, '6': 4, '7': 4, '8': 4, '9': 4, ':': 4, ';': 4, '<': 4, '=': 4, '>': 4, '?': 4, '@': 4, 'A': 4, 'B': 4, 'C': 4, 'D': 4, 'E': 4, 'F': 4, 'G': 4, 'H': 4, 'I': 4, 'J': 4, 'K': 4, 'L': 4, 'M': 4, 'N': 4, 'O': 4, 'P': 4, 'Q': 4, 'R': 4, 'S': 4, 'T': 4, 'U': 4, 'V': 4, 'W': 4, 'X': 4, 'Y': 4, 'Z': 4, '[': 4, '\\': 4, ']': 4, '^': 4, '_': 4, '`': 4, 'a': 4, 'b': 4, 'c': 4, 'd': 4, 'e': 4, 'f': 4, 'g': 4, 'h': 4, 'i': 4, 'j': 4, 'k': 4, 'l': 4, 'm': 4, 'n': 4, 'o': 4, 'p': 4, 'q': 3, 'r': 4, 's': 4, 't': 4, 'u': 2, 'v': 4, 'w': 4, 'x': 4, 'y': 4, 'z': 4, '{': 4, '|': 4, '}'': 4, '~': 4, '\x7f': 4, '\x80': 4, '\x81': 4, '\x82': 4, '\x83': 4, '\x84': 4, '\x85': 4, '\x86': 4, '\x87': 4, '\x88': 4, '\x89': 4, '\x8a': 4, '\x8b': 4, '\x8c': 4, '\x8d': 4, '\x8e': 4, '\x8f': 4, '\x90': 4, '\x91': 4, '\x92': 4, '\x93': 4, '\x94': 4, '\x95': 4, '\x96': 4, '\x97': 4, '\x98': 4, '\x99': 4, '\xa9': 4, '\x9b': 4, '\x9c': 4, '\x9d': 4, '\x9e': 4, '\x9f': 4, '\xa0': 4, '¡': 4, '¢': 4, '£': 4, '¤': 4, '¥': 4, '¦': 4, '§': 4, '¨': 4, '©': 4, 'ª': 4, '«': 4, '¬': 4, 'xad': 4, '®': 4, '¯': 4, '°': 4, '±': 4, '²': 4, '³': 4, '´': 4, 'µ': 4, '¶': 4, '·': 4, '¸': 4, '¹': 4, 'º': 4, '»': 4, '¼': 4, '½': 4, '¾': 4, '¿': 4, 'À': 4, 'Á': 4, 'Â': 4, 'Ã': 4, 'Ä': 4, 'Å': 4, 'Æ': 4, 'Ç': 4, 'È': 4, 'É': 4, 'Ê': 4, 'Ë': 4, 'Ì': 4, 'Í': 4, 'Î': 4, 'Ï': 4, 'Ò': 4, 'Ó': 4, 'Ô': 4, 'Õ': 4, 'Ö': 4, '×': 4, 'Ø': 4, 'Ù': 4, 'Ú': 4, 'Û': 4, 'Ü': 4, 'Ý': 4, 'Þ': 4, 'ß': 4, 'à': 4, 'á': 4, 'â': 4, 'ã': 4, 'ä': 4, 'å': 4, 'æ': 4, 'ç': 4, 'è': 4, 'é': 4, 'ê': 4, 'ë': 4, 'ì': 4, 'í': 4, 'î': 4, 'ï': 4, 'ð': 4, 'ñ': 4, 'ô': 4, 'õ': 4, 'ö': 4, 'ý': 4, 'ÿ': 4, 'þ': 4, 'ÿ': 4}
```

```
-----BRUTE-FORCE ALGORITHM:-----
Pattern: quis
Match Count: 2340
Comparison Count: 1239808
Brute Force Running Time: 163.0623340666895 milliseconds.
```

```
-----HORSPPOOL ALGORITHM:-----
Pattern: quis
Match Count: 2340
Comparison Count: 355713
Horspool Running Time: 117.01297760009766 milliseconds.
```

```
-----BOYER MOORE ALGORITHM:-----  
Pattern: quis  
Match Count: 2340  
Comparison Count: 355713  
Boyer Moore Running Time: 105.99946975708008 milliseconds.
```

We can see that most efficient algorithm is Boyer Moore by looking comparison count and running time in this experiment also. After Boyer-Moore, Horspool algorithm comes as second. Brute-force is worst one because it searches all the text shifting pattern one by one. Comparison count and running time are largest because of that. In binary and normal inputs, Boyer-Moore is the best string search algorithm so far.

Running time and comparison count can be seen better in plots below.

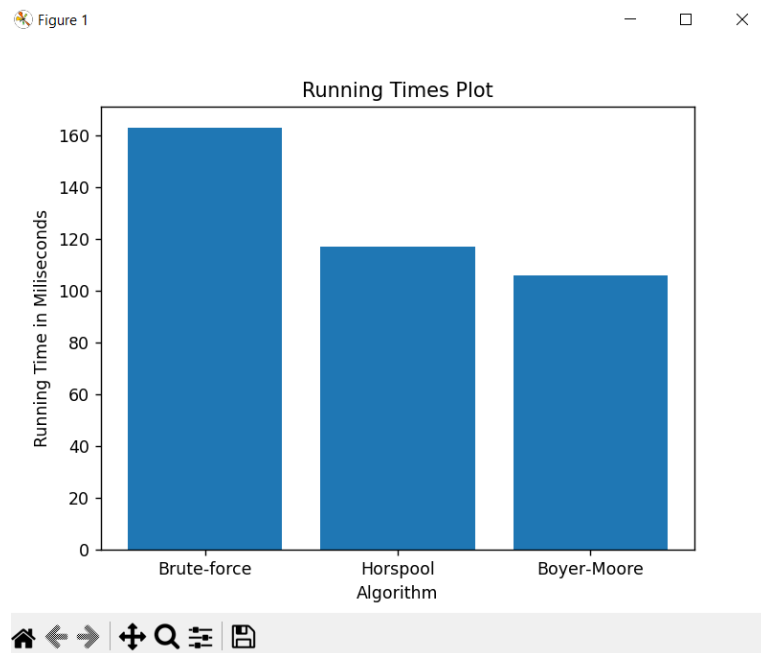


Figure-14: Running Time Plot of Second Experiment

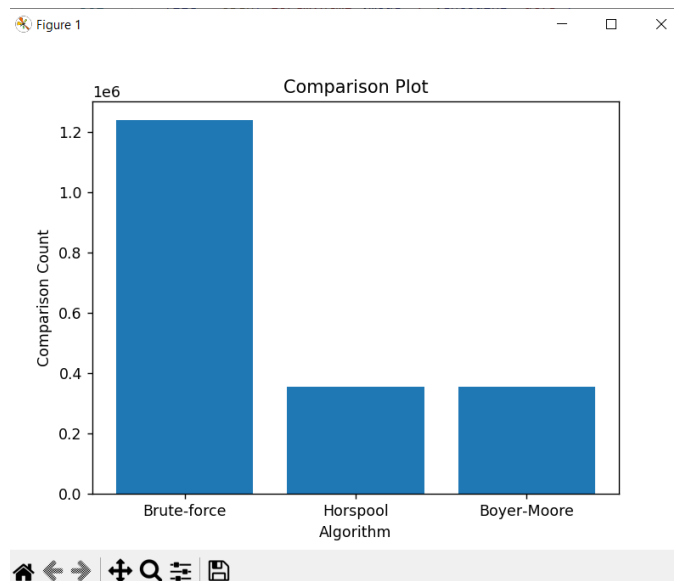


Figure-15: Comparison Count of Second Experiment

We can see the difference between first and second experiment better by looking plots of running time and comparison count. Also, we can observe that efficiency difference between three algorithms.

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Figure-16: Section of Output HTML File

Pattern ‘quis’ is found in the text. They are highlighted with yellow in output file.

Third Experiment is searching ‘lorem’ pattern in ‘Lorem2.html’. Results of three algorithms are below. Bad Symbol Table, good suffix table, and detailed results of three algorithms are printed.

```
Bad Symbol Table: {'\x00': 5, '\x01': 5, '\x02': 5, '\x03': 5, '\x04': 5, '\x05': 5, '\x06': 5, '\x07': 5, '\x08': 5, '\t': 5, '\n': 5, '\x0b': 5, '\x0c': 5, '\r': 5, '\x0e': 5, '\x0f': 5, '\x10': 5, '\x11': 5, '\x12': 5, '\x13': 5, '\x14': 5, '\x15': 5, '\x16': 5, '\x17': 5, '\x18': 5, '\x19': 5, '\x1a': 5, '\x1b': 5, '\x1c': 5, '\x1d': 5, '\x1e': 5, '\x1f': 5, ' ': 5, '!': 5, '"': 5, '#': 5, '$': 5, '%': 5, '&': 5, "'": 5, '(': 5, ')': 5, '*': 5, '+': 5, ',': 5, '-': 5, '.': 5, '/': 5, '0': 5, '1': 5, '2': 5, '3': 5, '4': 5, '5': 5, '6': 5, '7': 5, '8': 5, '9': 5, ':': 5, ';': 5, '<': 5, '=': 5, '>': 5, '?': 5, '@': 5, 'A': 5, 'B': 5, 'C': 5, 'D': 5, 'E': 5, 'F': 5, 'G': 5, 'H': 5, 'I': 5, 'J': 5, 'K': 5, 'L': 5, 'M': 5, 'N': 5, 'O': 5, 'P': 5, 'Q': 5, 'R': 5, 'S': 5, 'T': 5, 'U': 5, 'V': 5, 'W': 5, 'X': 5, 'Y': 5, 'Z': 5, '[': 5, '\': 5, ']': 5, '^': 5, '_': 5, '`': 5, 'a': 5, 'b': 5, 'c': 5, 'd': 5, 'e': 5, 'f': 5, 'g': 5, 'h': 5, 'i': 5, 'j': 5, 'k': 5, 'l': 5, 'm': 5, 'n': 5, 'o': 5, 'p': 5, 'q': 5, 'r': 5, 's': 5, 't': 5, 'u': 5, 'v': 5, 'w': 5, 'x': 5, 'y': 5, 'z': 5, '{': 5, '|': 5, '}' : 5, '~': 5, '\x7f': 5, '\x80': 5, '\x81': 5, '\x82': 5, '\x83': 5, '\x84': 5, '\x85': 5, '\x86': 5, '\x87': 5, '\x88': 5, '\x89': 5, '\x8a': 5, '\x8b': 5, '\x8c': 5, '\x8d': 5, '\x8e': 5, '\x8f': 5, '\x90': 5, '\x91': 5, '\x92': 5, '\x93': 5, '\x94': 5, '\x95': 5, '\x96': 5, '\x97': 5, '\x98': 5, '\x99': 5, '\x9a': 5, '\x9b': 5, '\x9c': 5, '\x9d': 5, '\x9e': 5, '\x9f': 5, '\xa0': 5, '\xa1': 5, '\xa2': 5, '\xa3': 5, '\xa4': 5, '\xa5': 5, '\xa6': 5, '\xa7': 5, '\xa8': 5, '\xa9': 5, '\xaa': 5, '\xab': 5, '\xac': 5, '\xad': 5, '\xae': 5, '\xaf': 5, '\xb0': 5, '\xb1': 5, '\xb2': 5, '\xb3': 5, '\xb4': 5, '\xb5': 5, '\xb6': 5, '\xb7': 5, '\xb8': 5, '\xb9': 5, '\xba': 5, '\xbb': 5, '\xbc': 5, '\xbd': 5, '\xbe': 5, '\xbf': 5, '\xc0': 5, '\xc1': 5, '\xc2': 5, '\xc3': 5, '\xc4': 5, '\xc5': 5, '\xc6': 5, '\xc7': 5, '\xc8': 5, '\xc9': 5, '\xca': 5, '\xcb': 5, '\xcc': 5, '\xcd': 5, '\xce': 5, '\xcf': 5, '\xd0': 5, '\xd1': 5, '\xd2': 5, '\xd3': 5, '\xd4': 5, '\xd5': 5, '\xd6': 5, '\xd7': 5, '\xd8': 5, '\xd9': 5, '\xda': 5, '\xdb': 5, '\xdc': 5, '\xdd': 5, '\xde': 5, '\xdf': 5, '\xe0': 5, '\xe1': 5, '\xe2': 5, '\xe3': 5, '\xe4': 5, '\xe5': 5, '\xe6': 5, '\xe7': 5, '\xe8': 5, '\xe9': 5, '\xea': 5, '\xeb': 5, '\xec': 5, '\xed': 5, '\xee': 5, '\xef': 5, '\xf0': 5, '\xf1': 5, '\xf2': 5, '\xf3': 5, '\xf4': 5, '\xf5': 5, '\xf6': 5, '\xf7': 5, '\xf8': 5, '\xf9': 5, '\xfa': 5, '\xfb': 5, '\xfc': 5, '\xfd': 5, '\xfe': 5, '\xff': 5}

Good Suffix Table: {'m': 5, 'em': 5, 'rem': 5, 'orem': 5, 'lorem': 5}

-----BRUTE-FORCE ALGORITHM:-----
Pattern: lorem
Match Count: 1496
Comparison Count: 1805613
Brute Force Running Time: 288.99598121643066 miliseconds.

-----HORSPPOOL ALGORITHM:-----
Pattern: lorem
Match Count: 1496
Comparison Count: 401987
Horspool Running Time: 107.06067085266113 miliseconds.

-----BOYER MOORE ALGORITHM:-----
Pattern: lorem
Match Count: 1496
Comparison Count: 401987
Boyer Moore Running Time: 123.05784225463867_miliseconds.
```

Figure-17: Result of the Third Experiment

Fourth Experiment is searching ‘**maximus**’ pattern in ‘Lorem3.html’. Results of three algorithms are below. Bad Symbol Table, good suffix table, and detailed results of three algorithms are printed.

Figure-18: Result of the Fourth Experiment

Boyer-Moore gives the best result for this experiment. It is the most efficient way to search 'maximus' in the text of 'Lorem3.html'. They found 858 'maximus' pattern in the input file. Brute-force is the worst one for this algorithm. Difference in comparison time is huge, and also running time is worst among three of them.

Fifth Experiment is searching ‘100111100011011’ pattern in ‘Binary2.html’. Results of three algorithms are below. Bad Symbol Table, good suffix table, and detailed results of three algorithms are printed.

```
Bad Symbol Table: {'\x00': 15, '\x01': 15, '\x02': 15, '\x03': 15, '\x04': 15, '\x05': 15, '\x06': 15, '\x07': 15, '\x08': 15, '\t': 15, '\n': 15, '\x0b': 15, '\x0c': 15, '\r': 15, '\x0e': 15, '\x0f': 15, '\x10': 15, '\x11': 15, '\x12': 15, '\x13': 15, '\x14': 15, '\x15': 15, '\x16': 15, '\x17': 15, '\x18': 15, '\x19': 15, '\x1a': 15, '\x1b': 15, '\x1c': 15, '\x1d': 15, '\x1e': 15, '\x1f': 15, ' ': 15, '!': 15, '"': 15, '#': 15, '$': 15, '%': 15, '&': 15, "'": 15, '(': 15, ')': 15, '*': 15, '+': 15, ',': 15, '-': 15, '.'': 15, '/': 15, '0': 2, '1': 1, '2': 15, '3': 15, '4': 15, '5': 15, '6': 15, '7': 15, '8': 15, '9': 15, ':': 15, ';': 15, '<': 15, '=': 15, '>': 15, '?': 15, '@': 15, 'A': 15, 'B': 15, 'C': 15, 'D': 15, 'E': 15, 'F': 15, 'G': 15, 'H': 15, 'I': 15, 'J': 15, 'K': 15, 'L': 15, 'M': 15, 'N': 15, 'O': 15, 'P': 15, 'Q': 15, 'R': 15, 'S': 15, 'T': 15, 'U': 15, 'V': 15, 'W': 15, 'X': 15, 'Y': 15, 'Z': 15, '[': 15, '\\': 15, ']' : 15, '^': 15, '_': 15, '`': 15, 'a': 15, 'b': 15, 'c': 15, 'd': 15, 'e': 15, 'f': 15, 'g': 15, 'h': 15, 'i': 15, 'j': 15, 'k': 15, 'l': 15, 'm': 15, 'n': 15, 'o': 15, 'p': 15, 'q': 15, 'r': 15, 's': 15, 't': 15, 'u': 15, 'v': 15, 'w': 15, 'x': 15, 'y': 15, 'z': 15, '{': 15, '|': 15, '}': 15, '~': 15, '\x7f': 15, '\x80': 15, '\x81': 15, '\x82': 15, '\x83': 15, '\x84': 15, '\x85': 15, '\x86': 15, '\x87': 15, '\x88': 15, '\x89': 15, '\x8a': 15, '\x8b': 15, '\x8c': 15, '\x8d': 15, '\x8e': 15, '\x8f': 15, '\x90': 15, '\x91': 15, '\x92': 15, '\x93': 15, '\x94': 15, '\x95': 15, '\x96': 15, '\x97': 15, '\x98': 15, '\x99': 15, '\x9a': 15, '\x9b': 15, '\x9c': 15, '\x9d': 15, '\x9e': 15, '\x9f': 15, '\xa0': 15, '¡': 15, '¢': 15, '£': 15, '¤': 15, '¥': 15, '¦': 15, '§': 15, '¨': 15, '©': 15, 'ª': 15, '«': 15, '¬': 15, '\xad': 15, '®': 15, '¯': 15, '°': 15, '±': 15, '²': 15, '³': 15, '´': 15, 'µ': 15, '¶': 15, '·': 15, '¸': 15, '¹': 15, 'º': 15, '»': 15, '¼': 15, '½': 15, '¾': 15, '¿': 15, 'À': 15, 'Á': 15, 'Â': 15, 'Ã': 15, 'Ä': 15, 'Å': 15, 'Æ': 15, 'Ç': 15, 'È': 15, 'É': 15, 'Ê': 15, 'Ë': 15, 'Ì': 15, 'Í': 15, 'Î': 15, 'Ï': 15, 'Ð': 15, 'Ñ': 15, 'Ò': 15, 'Ó': 15, 'Ô': 15, 'Õ': 15, 'Ö': 15, '×': 15, 'Ø': 15, 'Ù': 15, 'Ú': 15, 'Û': 15, 'Ü': 15, 'Ý': 15, 'Þ': 15, 'ß': 15, 'à': 15, 'á': 15, 'â': 15, 'ã': 15, 'ä': 15, 'å': 15, 'æ': 15, 'ç': 15, 'è': 15, 'é': 15, 'ê': 15, 'ë': 15, 'ì': 15, 'í': 15, 'î': 15, 'ï': 15, 'ð': 15, 'ñ': 15, 'ò': 15, 'ó': 15, 'ô': 15, 'õ': 15, 'ö': 15, '÷': 15, 'ø': 15, 'ù': 15, 'ú': 15, 'û': 15, 'ü': 15, 'ý': 15, 'þ': 15, 'ÿ': 15}

Good Suffix Table: {'1': 1, '11': 8, '011': 3, '1011': 14, '11011': 14, '011011': 14, '0011011': 14, '00011011': 14, '100011011': 14, '1100011011': 14, '1110011011': 14, '111100011011': 14, '0111100011011': 14, '00111100011011': 14, '100111100011011': 14}

-----BRUTE-FORCE ALGORITHM:-----
Pattern: 100111100011011
Match Count: 30
Comparison Count: 2209803
Brute Force Running Time: 294.994592666626 milliseconds.

-----HORSPPOOL ALGORITHM:-----
Pattern: 100111100011011
Match Count: 30
Comparison Count: 1125616
Horspool Running Time: 284.03449058532715 miliseconds.

-----BOYER MOORE ALGORITHM:-----
Pattern: 100111100011011
Match Count: 30
Comparison Count: 518244
Boyer Moore Running Time: 138.99707794189453 miliseconds.
```

Figure-19: Result of the Fifth Experiment

We can see that Boyer-Moore is much better than other two algorithms in terms of running time. Horspool algorithm is weak for this experiment because of large pattern and text. Good suffix table makes Boyer-Moore algorithm advantageous for fifth experiment. So, we can say that pattern, bad symbol table, good suffix table and text are very important to select which algorithm to use.

Sixth Experiment is searching ‘000111000111’ pattern in ‘Binary3.html’. Results of three algorithms are below. Bad Symbol Table, good suffix table, and detailed results of three algorithms are printed.


```

Bad Symbol Table: {'\x00': 12, '\x01': 12, '\x02': 12, '\x03': 12, '\x04': 12, '\x05': 12, '\x06': 12, '\x07': 12, '\x08': 12, '\t': 12, '\n': 12, '\x0b': 12, '\x0c': 12, '\r': 12, '\x0e': 12, '\x0f': 12, '\x10': 12, '\x11': 12, '\x12': 12, '\x13': 12, '\x14': 12, '\x15': 12, '\x16': 12, '\x17': 12, '\x18': 12, '\x19': 12, '\x1a': 12, '\x1b': 12, '\x1c': 12, '\x1d': 12, '\x1e': 12, '\x1f': 12, ' ': 12, '!': 12, '"': 12, '#': 12, '$': 12, '%': 12, '&': 12, "'": 12, '(': 12, ')': 12, '*': 12, '+': 12, ',': 12, '-': 12, '.'': 12, '/': 12, '0': 3, '1': 1, '2': 12, '3': 12, '4': 12, '5': 12, '6': 12, '7': 12, '8': 12, '9': 12, ':'': 12, ';': 12, '<': 12, '=': 12, '>': 12, '?': 12, '@': 12, 'A': 12, 'B': 12, 'C': 12, 'D': 12, 'E': 12, 'F': 12, 'G': 12, 'H': 12, 'I': 12, 'J': 12, 'K': 12, 'L': 12, 'M': 12, 'N': 12, 'O': 12, 'P': 12, 'Q': 12, 'R': 12, 'S': 12, 'T': 12, 'U': 12, 'V': 12, 'W': 12, 'X': 12, 'Y': 12, 'Z': 12, '[': 12, '\\': 12, ']'': 12, '^': 12, '_': 12, '`': 12, 'a': 12, 'b': 12, 'c': 12, 'd': 12, 'e': 12, 'f': 12, 'g': 12, 'h': 12, 'i': 12, 'j': 12, 'k': 12, 'l': 12, 'm': 12, 'n': 12, 'o': 12, 'p': 12, 'q': 12, 'r': 12, 's': 12, 't': 12, 'u': 12, 'v': 12, 'w': 12, 'x': 12, 'y': 12, 'z': 12, '{': 12, '|': 12, '}'': 12, '~': 12, '\x7f': 12, '\x80': 12, '\x81': 12, '\x82': 12, '\x83': 12, '\x84': 12, '\x85': 12, '\x86': 12, '\x87': 12, '\x88': 12, '\x89': 12, '\x8a': 12, '\x8b': 12, '\x8c': 12, '\x8d': 12, '\x8e': 12, '\x8f': 12, '\x90': 12, '\x91': 12, '\x92': 12, '\x93': 12, '\x94': 12, '\x95': 12, '\x96': 12, '\x97': 12, '\x98': 12, '\x99': 12, '\x9a': 12, '\x9b': 12, '\x9c': 12, '\x9d': 12, '\x9e': 12, '\x9f': 12, '\xa0': 12, '\xa1': 12, '\xa2': 12, '\xa3': 12, '\xa4': 12, '\xa5': 12, '\xa6': 12, '\xa7': 12, '\xa8': 12, '\xa9': 12, '\xaa': 12, '\xab': 12, '\xac': 12, '\xad': 12, '\xae': 12, '\xaf': 12, '\xb0': 12, '\xb1': 12, '\xb2': 12, '\xb3': 12, '\xb4': 12, '\xb5': 12, '\xb6': 12, '\xb7': 12, '\xb8': 12, '\xb9': 12, '\xba': 12, '\xbb': 12, '\xbc': 12, '\xbd': 12, '\xbe': 12, '\xbf': 12, '\xc0': 12, '\xc1': 12, '\xc2': 12, '\xc3': 12, '\xc4': 12, '\xc5': 12, '\xc6': 12, '\xc7': 12, '\xc8': 12, '\xc9': 12, '\xca': 12, '\xcb': 12, '\xcc': 12, '\xcd': 12, '\xce': 12, '\xcf': 12, '\xd0': 12, '\xd1': 12, '\xd2': 12, '\xd3': 12, '\xd4': 12, '\xd5': 12, '\xd6': 12, '\xd7': 12, '\xd8': 12, '\xd9': 12, '\xda': 12, '\xdb': 12, '\xdc': 12, '\xdd': 12, '\xde': 12, '\xdf': 12, '\xe0': 12, '\xe1': 12, '\xe2': 12, '\xe3': 12, '\xe4': 12, '\xe5': 12, '\xe6': 12, '\xe7': 12, '\xe8': 12, '\xe9': 12, '\xea': 12, '\xeb': 12, '\xec': 12, '\xed': 12, '\xee': 12, '\xef': 12, '\xf0': 12, '\xf1': 12, '\xf2': 12, '\xf3': 12, '\xf4': 12, '\xf5': 12, '\xf6': 12, '\xf7': 12, '\xf8': 12, '\xf9': 12, '\xfa': 12, '\xfb': 12, '\xfc': 12, '\xfd': 12, '\xfe': 12, '\xff': 12}

Good Suffix Table: {'1': 2, '11': 1, '111': 12, '0111': 12, '00111': 12, '000111': 6, '1000111': 6, '11000111': 6, '111000111': 6, '0111000111': 6, '00111000111': 6, '000111000111': 6}

-----BRUTE-FORCE ALGORITHM:-----
Pattern: 000111000111
Match Count: 234
Comparison Count: 2211881
Brute Force Running Time: 300.9977340698242 milliseconds.

-----HORSPPOOL ALGORITHM:-----
Pattern: 000111000111
Match Count: 234
Comparison Count: 960381
Horspool Running Time: 244.05860900878906 milliseconds.

-----BOYER MOORE ALGORITHM:-----
Pattern: 000111000111
Match Count: 234
Comparison Count: 482408
Boyer Moore Running Time: 155.98821640014648 milliseconds.

```

Figure-20: Result of the Sixth Experiment

In all of binary experiments, we can observe that Boyer-Moore is far better than other algorithms because it uses two heuristics that are called bad symbol and good suffix. So, if there is a text that includes few symbols, Boyer-Moore must be used. Binary inputs show this critical information.

Seventh Experiment is searching ‘**AT_THAT**’ pattern in ‘at_that_example.html’. Results of three algorithms are below. Bad Symbol Table, good suffix table, and detailed results of three algorithms are printed.


```

Bad Symbol Table: {'\x00': 7, '\x01': 7, '\x02': 7, '\x03': 7, '\x04': 7, '\x05': 7, '\x06': 7, '\x07': 7, '\x08': 7, '\t': 7, '\n': 7, '\x0b': 7, '\x0c': 7,
'\r': 7, '\x0e': 7, '\x0f': 7, '\x10': 7, '\x11': 7, '\x12': 7, '\x13': 7, '\x14': 7, '\x15': 7, '\x16': 7, '\x17': 7, '\x18': 7, '\x19': 7, '\x1a': 7, '\x1b':
7, '\x1c': 7, '\x1d': 7, '\x1e': 7, '\x1f': 7, ' ': 7, '!': 7, '"': 7, '#': 7, '$': 7, '%': 7, '&': 7, "'": 7, '(': 7, ')': 7, '*': 7, '+': 7, ',': 7, '-':
7, '.': 7, '/': 7, '0': 7, '1': 7, '2': 7, '3': 7, '4': 7, '5': 7, '6': 7, '7': 7, '8': 7, '9': 7, ':': 7, ';': 7, '<': 7, '=': 7, '>': 7, '?': 7, '@': 7, 'A':
1, 'B': 7, 'C': 7, 'D': 7, 'E': 7, 'F': 7, 'G': 7, 'H': 2, 'I': 7, 'J': 7, 'K': 7, 'L': 7, 'M': 7, 'N': 7, 'O': 7, 'P': 7, 'Q': 7, 'R': 7, 'S': 7, 'T': 3, '
U': 7, 'V': 7, 'W': 7, 'X': 7, 'Y': 7, 'Z': 7, '[': 7, '\\': 7, ']': 7, '^': 7, '_': 4, '`': 7, 'a': 7, 'b': 7, 'c': 7, 'd': 7, 'e': 7, 'f': 7, 'g': 7, 'h': 7,
'i': 7, 'j': 7, 'k': 7, 'l': 7, 'm': 7, 'n': 7, 'o': 7, 'p': 7, 'q': 7, 'r': 7, 's': 7, 't': 7, 'u': 7, 'v': 7, 'w': 7, 'x': 7, 'y': 7, 'z': 7, '{': 7, '|':
7, '}' : 7, '~': 7, '\x7f': 7, '\x80': 7, '\x81': 7, '\x82': 7, '\x83': 7, '\x84': 7, '\x85': 7, '\x86': 7, '\x87': 7, '\x88': 7, '\x89': 7, '\x8a': 7, '\x8b':
7, '\x8c': 7, '\x8d': 7, '\x8e': 7, '\x8f': 7, '\x90': 7, '\x91': 7, '\x92': 7, '\x93': 7, '\x94': 7, '\x95': 7, '\x96': 7, '\x97': 7, '\x98': 7, '\x99': 7,
'\x9a': 7, '\x9b': 7, '\x9c': 7, '\x9d': 7, '\x9e': 7, '\x9f': 7, '\xa0': 7, ' ': 7, '€': 7, '£': 7, '¥': 7, '¢': 7, '§': 7, '¨': 7, '©': 7, 'ª': 7,
'«': 7, '¬': 7, '\xad': 7, '®': 7, '¯': 7, '°': 7, '±': 7, '²': 7, '³': 7, '´': 7, 'µ': 7, '¶': 7, '·': 7, '¸': 7, '¹': 7, 'º': 7, '»': 7, '¼': 7, '½': 7, '¾':
7, '¿': 7, 'À': 7, 'Á': 7, 'Â': 7, 'Ã': 7, 'Ä': 7, 'Å': 7, 'Æ': 7, 'Ç': 7, 'È': 7, 'É': 7, 'Ê': 7, 'Ë': 7, 'Ì': 7, 'Í': 7, 'Î': 7, 'Ï': 7, 'Ð': 7, 'Ñ': 7, '
Ò': 7, 'Ó': 7, 'Ô': 7, 'Õ': 7, 'Ö': 7, '×': 7, 'Ø': 7, 'Ù': 7, 'Ú': 7, 'Û': 7, 'Ü': 7, 'Ý': 7, 'Þ': 7, 'ß': 7, 'à': 7, 'á': 7, 'â': 7, 'ã': 7, 'ä': 7, 'å': 7,
'æ': 7, 'ç': 7, 'è': 7, 'é': 7, 'ê': 7, 'ë': 7, 'ì': 7, 'í': 7, 'î': 7, 'ï': 7, 'ð': 7, 'ñ': 7, 'ò': 7, 'ó': 7, 'ô': 7, 'õ': 7, 'ö': 7, '÷': 7, 'ø': 7, 'ù':
7, 'ú': 7, 'û': 7, 'ü': 7, 'ý': 7, 'þ': 7, 'ÿ': 7}

Good Suffix Table: {'T': 3, 'AT': 5, 'HAT': 5, 'THAT': 5, '_THAT': 5, 'T_THAT': 5, 'AT_THAT': 5}

-----BRUTE-FORCE ALGORITHM:-----
Pattern: AT_THAT
Match Count: 1
Comparison Count: 69
Brute Force Running Time: 0.0 milliseconds.

-----HORSPPOOL ALGORITHM:-----
Pattern: AT_THAT
Match Count: 1
Comparison Count: 17
Horspool Running Time: 0.0 milliseconds.

-----BOYER MOORE ALGORITHM:-----
Pattern: AT_THAT
Match Count: 1
Comparison Count: 17
Boyer Moore Running Time: 0.0 milliseconds.

```

Figure-21: Results of Seventh Experiment

In this experiment, Horspool and Boyer-Moore results are nearly same because length of text is very small. So, we can look at comparison counts of them. Brute-force algorithm has 69 comparison count, but others are smaller than brute-force result. All of them found 1 occurrence of ‘AT_THAT’ pattern.

Division of Labor

Hasan Şenyurt – 150120531: Boyer-Moore Algorithm, Report (Analysis, General Design)

Mert Akbal – 150119703: Horspool Algorithm, Report (Code)

Hakan Kenar – 150119675: Brute Force, Report (Input File, Code)

Ahsen Yağmur Kahyaoğlu – 150119788: Brute Force, Report (Input File, Analysis)