

Poisson-GP

ref.  $\mu_w^{\star}$  (location)  $\sigma_w^{\star}$  (scale)

w > 0

 $-\infty = \sup(\emptyset).$ 

Point-Process

exceedances over u:  $T_i \sim \mathsf{PoisProc}(\lambda_u)$  marks:  $Y_i \sim \mathsf{GP}(u, \sigma_u, \xi)$  excesses:  $Y_i - u \sim \mathsf{GPD}(0, \sigma_u, \xi)$ .

The maximum M of the marks  $Y_i$  on an interval with duration w has a tail which is  $\operatorname{GEV}(\mu_w^\star, \sigma_w^\star, \xi^\star)$ . It has a mixed distribution with an atom at M =

 $\xi^*$  (shape)