

INTRODUCTION TO COMPUTER SCIENCE

Computer model: Von Neumann Model

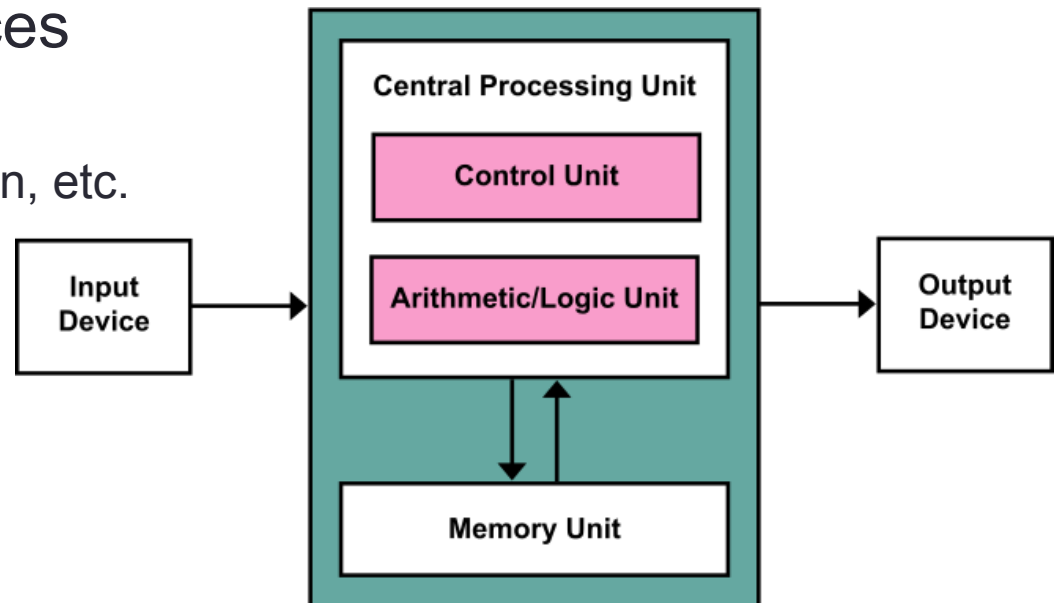
How programs and data are stored: Binary System

How computers are built: Logic Gates

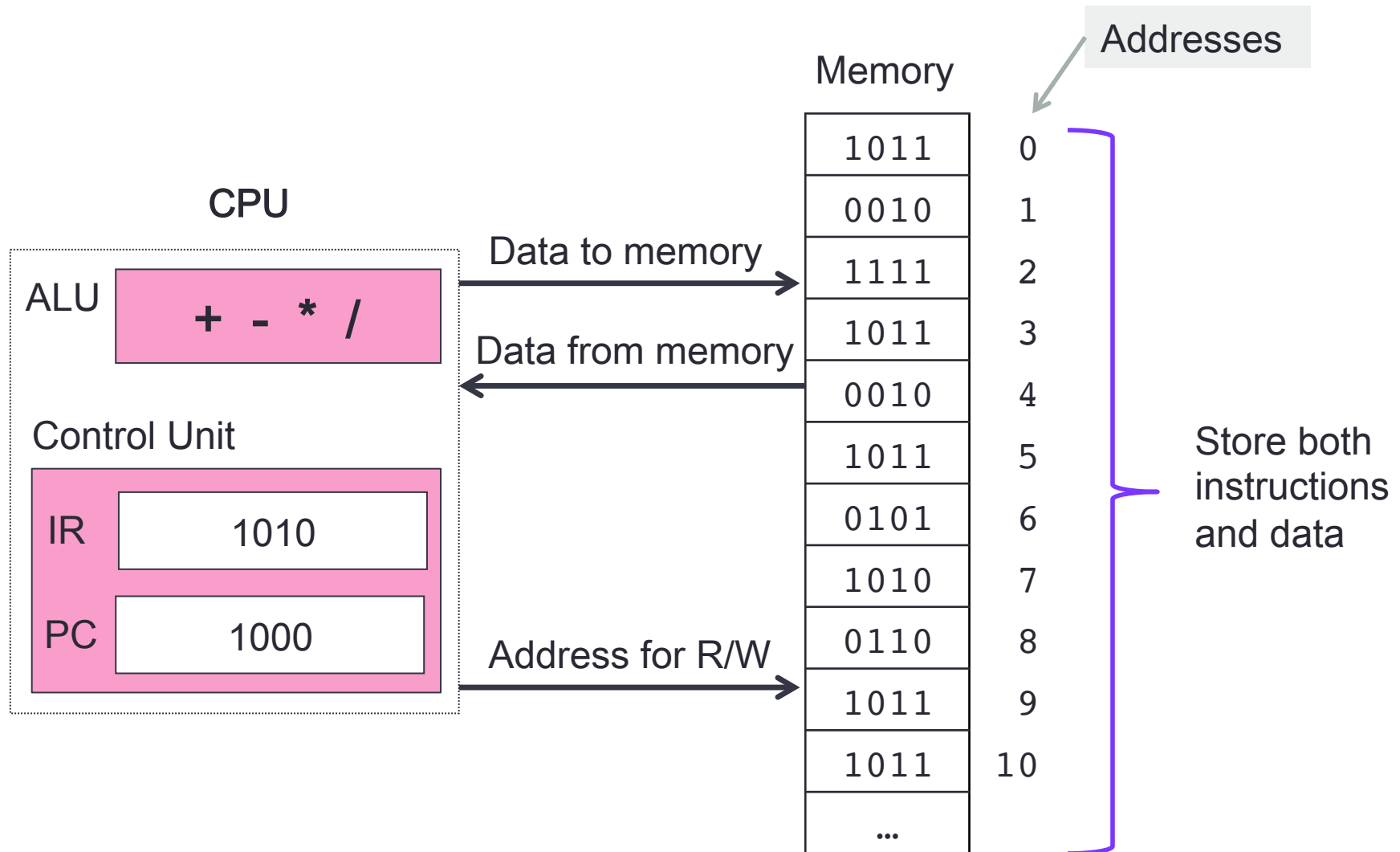
From higher level languages to machine language

Von Neumann Model

- Basic model of a computer architecture
- Processing Unit
 - ALU and processor registers
 - Control Unit: Program Counter and Instruction Register
 - Memory: holds data and instructions
- Input and output devices
 - Human Interface
 - Mouse, keyboard, screen, etc.
 - Storage
 - Networking
 - Graphics

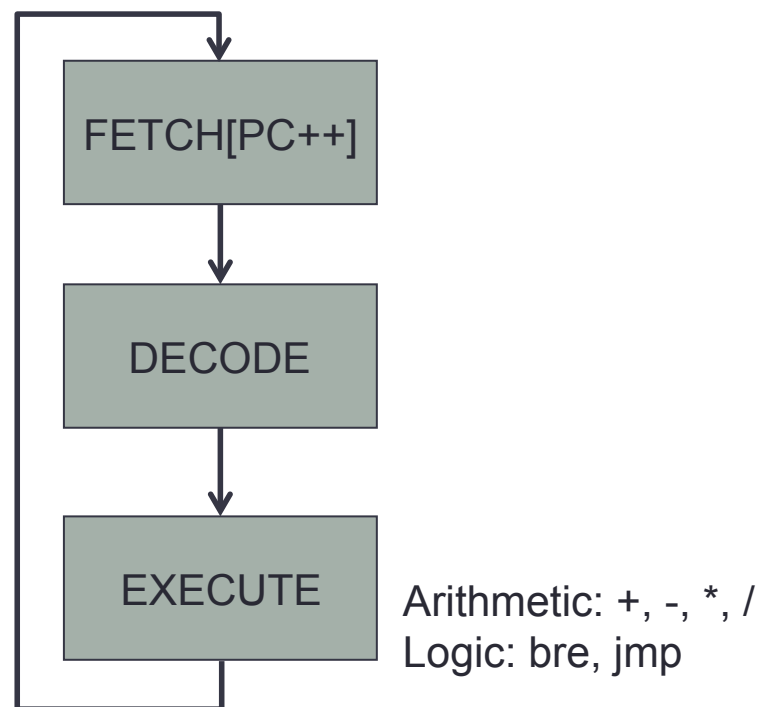


Von Neumann Model: closer look

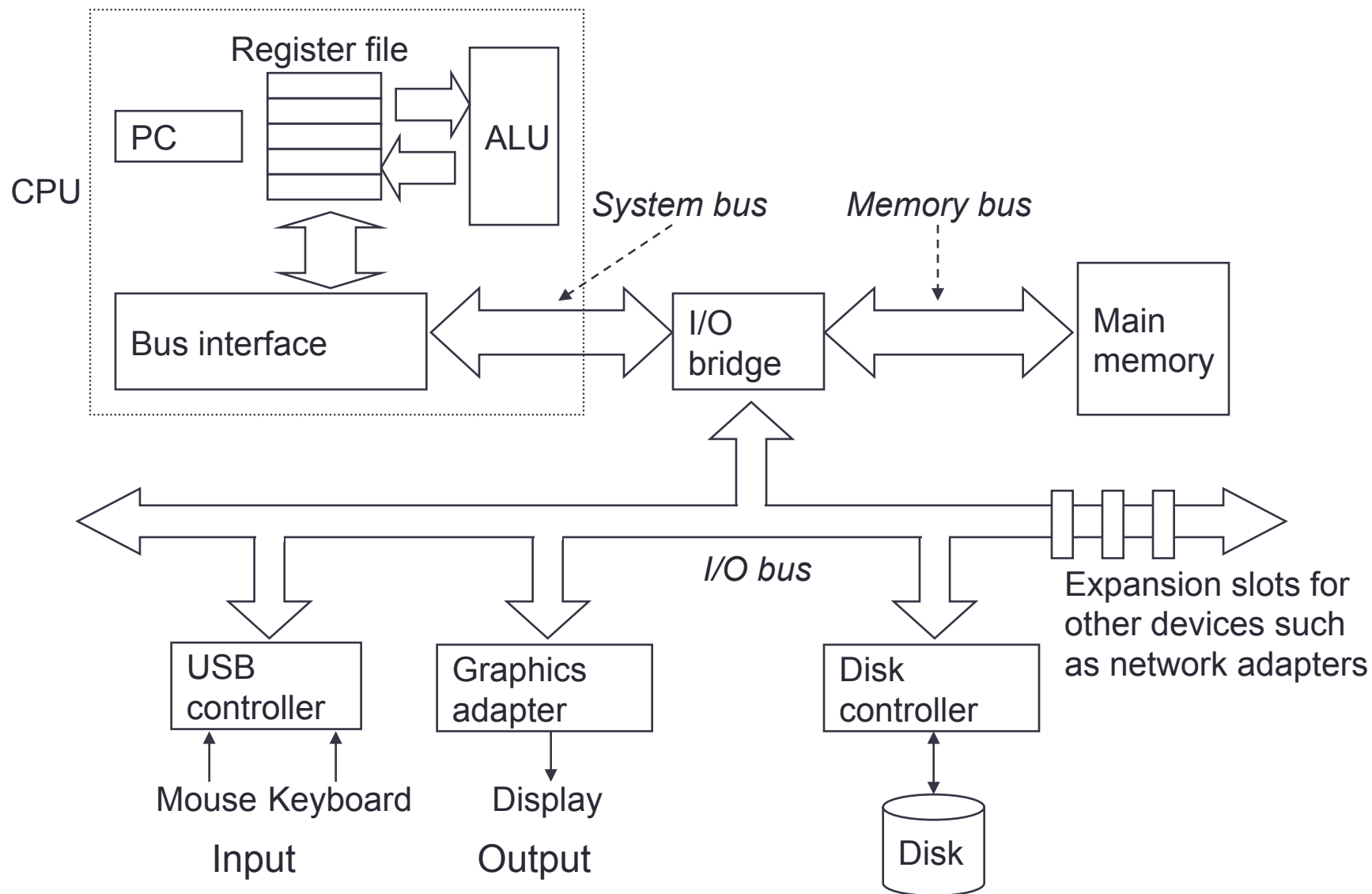


CPU Fetch-and-Execute Cycle

- Programs
 - Written in a high level language
 - Translated into machine language that can be executed by the CPU
- CPU executing a program
 - Program is in main memory



Von Neumann Model: in practice



How data is stored?

- Computers use the binary system to represent data.
- The *binary digit*, or *bit*, is the unit of computer memory.
- Any data from numbers, alphabet to images are represented using the binary system
 - Register file
 - Disk
 - Memory
 - Network

Binary Numbers

- Base 2
 - Symbols = $\{0,1\}$ often called $\{\text{false}, \text{true}\}$ or $\{\text{off}, \text{on}\}$
- Numbers are written as $d_n \dots d_2 d_1 d_0$
- The decimal value of a binary number is $\sum_{i=0}^n d_i \times 2^i$

- 101

1	0	1
2^2	2^1	2^0

 $\rightarrow 2^2 + 2^0 = 5$

- 1101

1	1	0	1
2^3	2^2	2^1	2^0

 $\rightarrow 2^3 + 2^2 + 2^0 = 13$

Each position has a power of two value

- Binary representation is used in computers
- Bit and byte

How Many Binary Patterns from N Bits

Number of Bits	Number of Patterns	Number of Patterns as Power of Two
1	2	2^1
2	4	2^2
3	8	2^3
4	16	2^4
...
10	1024	2^{10}

Number of possible patterns of N bits = 2^N

1024 occurs often in Computer Science:

- 2^{10} bytes = 1024 bytes → 1 Kilobyte
- 2^{20} bytes = $2^{10} \times 2^{10} \rightarrow 1024$ Kilobytes (1 Megabytes)
- 2^{30} bytes = $2^{10} \times 2^{20} \rightarrow 1024$ Megabytes (1 Gigabytes)
- 2^{40} bytes = $2^{10} \times 2^{30} \rightarrow 1024$ Gigabytes (1 Terabytes)
- 2^{50} bytes = $2^{10} \times 2^{40} \rightarrow 1024$ Terabytes (1 Petabytes)

N-Bit Binary Addition

Binary Addition	
0 + 0 = 0	
0 + 1 = 1	
1 + 0 = 1	
1 + 1 = 0 (carry 1)	

- Simple circuit
Few basic logic gates

$$\begin{array}{r}
 2 \\
 + 4 \\
 \hline
 6
 \end{array}
 \quad
 \begin{array}{r}
 010 \\
 + 100 \\
 \hline
 110
 \end{array}$$

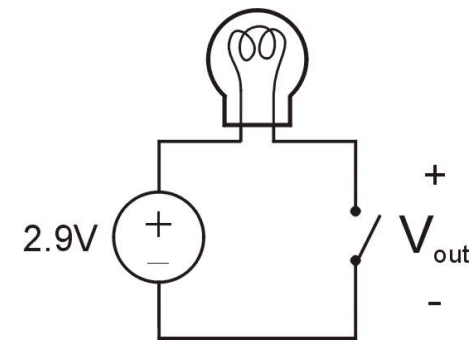
$$\begin{array}{r}
 3 \\
 + 1 \\
 \hline
 4
 \end{array}
 \quad
 \begin{array}{r}
 11 \leftarrow \text{carry} \\
 011 \\
 + 001 \\
 \hline
 100
 \end{array}$$

So far we only know how to represent *unsigned* integers

- How to represent negative integers using the binary representation?

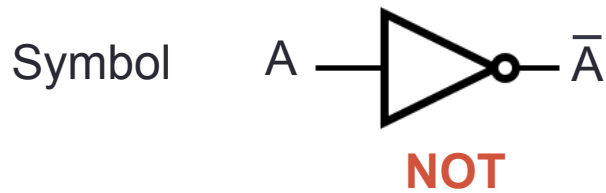
Transistor: Building Block of Computers

- Microprocessors contain millions (billions) of transistors
 - Intel Pentium 4 (2000): 48 million
 - IBM PowerPC 750FX (2002): 38 million
 - IBM/Apple PowerPC G5 (2003): 58 million
- Logically, each transistor acts as a switch
- Combine transistors to implement logic gates
 - AND, OR, NOT, NAND, NOR, XOR
- Combine gates to build higher-level structures
 - Adder, multiplexer, decoder, register, ...
- Combine higher-level structures to build processor, memory and peripherals



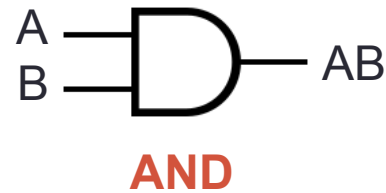
- Switch **open**:
 - Light is **off**
- Switch **closed**:
 - Light is **on**

Logic Gates

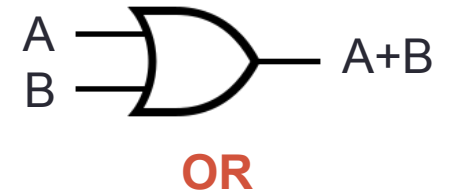


Truth Table

A	\bar{A}
0	1
1	0



A	B	AB
0	0	0
0	1	0
1	0	0
1	1	1



A	B	$A+B$
0	0	0
0	1	1
1	0	1
1	1	1

Logic Gates

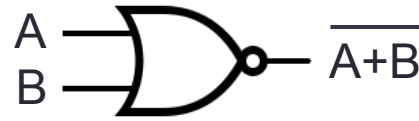
Symbol



NAND

Truth Table

A	B	\overline{AB}
0	0	1
0	1	1
1	0	1
1	1	0



NOR

A	B	$\overline{A+B}$
0	0	1
0	1	0
1	0	0
1	1	0



XOR

A	B	$A \oplus B$
0	0	0
0	1	1
1	0	1
1	1	0

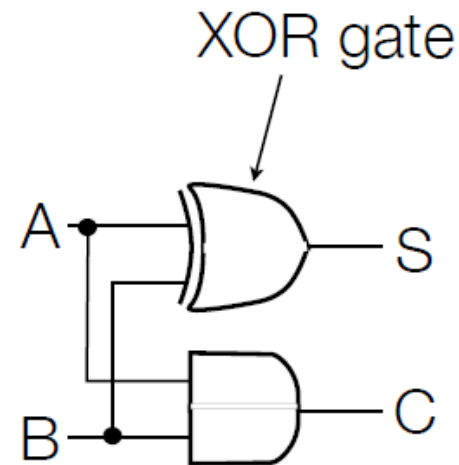
Addition: The Half Adder

- Addition of 2 bits: A & B produces summand (S) and carry (C)

A	B	S	C
0	0	0	0
0	1	1	0
1	0	1	0
1	1	0	1

$$S = A \oplus B$$

$$C = AB$$



- But to do addition, we need 3 bits at a time (to account for carries)

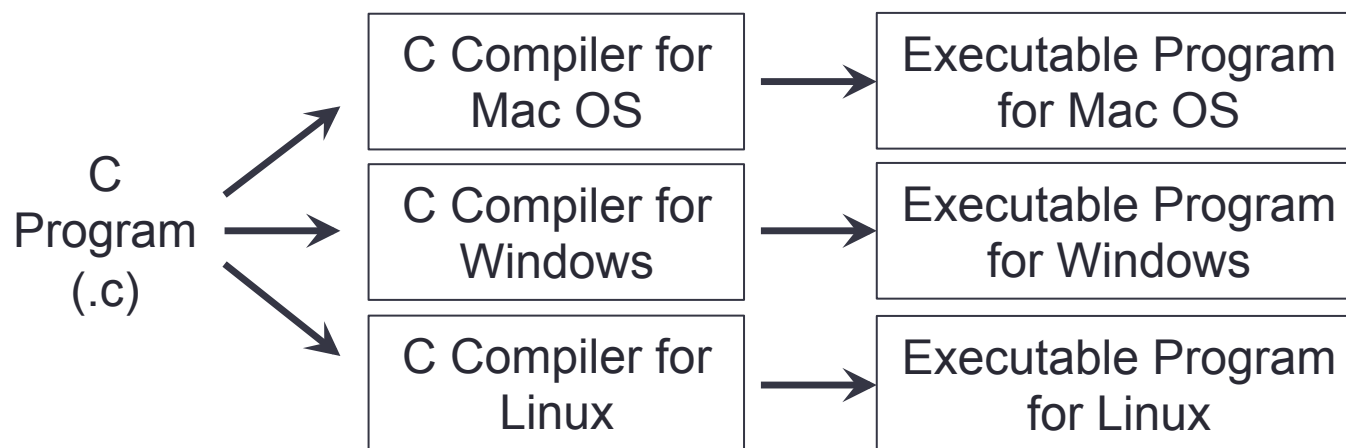
$$\begin{array}{r} 011 \leftarrow \text{carry bits} \\ + 1011 \\ \underline{1001} \\ 10101 \end{array}$$

Program Meets Hardware

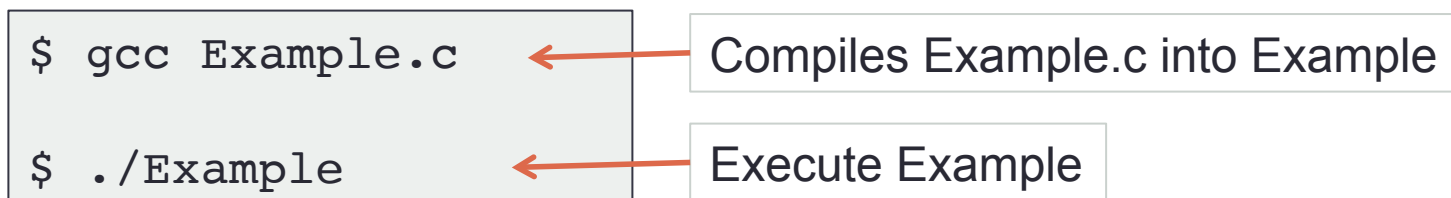
- Programs are written in higher level language
 - Java, C, C++, Perl, Python
- The CPU can execute very simple machine language instructions
 - Add, Sub, Jmp
- How to obtain runnable code from a program written in some programming language?
 - Compiler: translates a higher level language program into machine language program (executable). The executable program can be executed many times.
 - Interpreter: executes the computation written on a higher level language program.

Program Meets Hardware

- C uses compilation

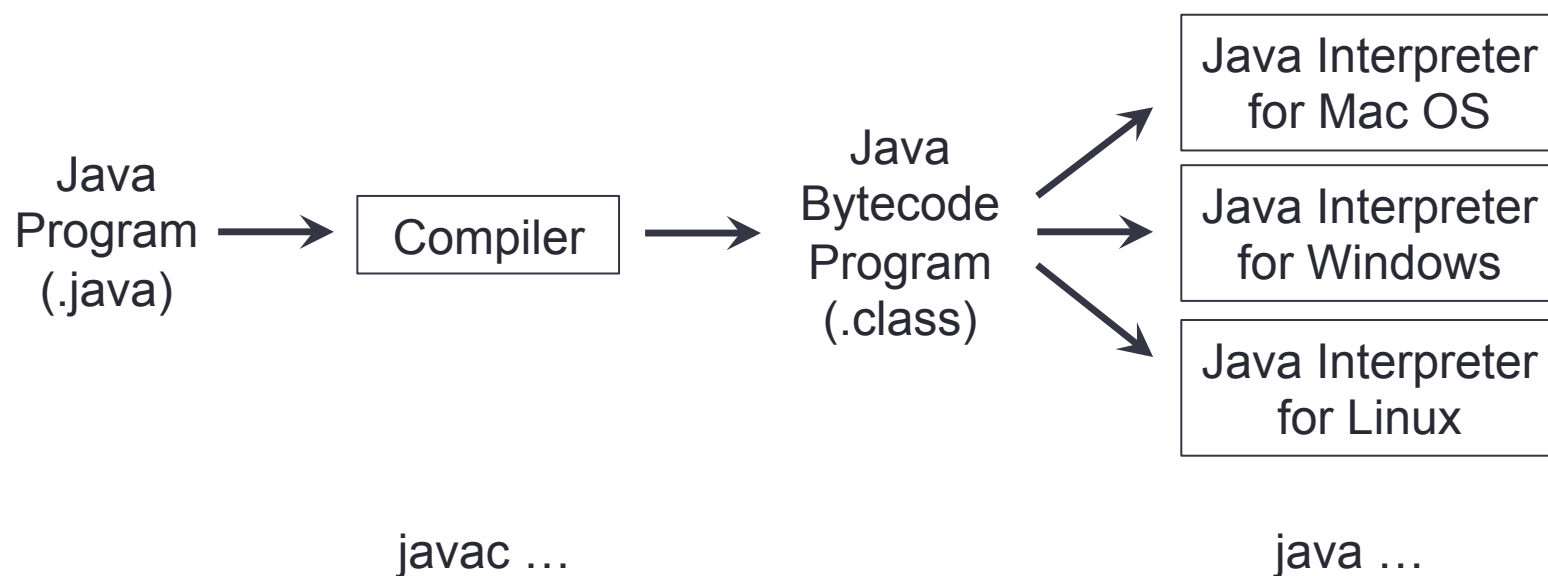


gcc ...



Program Meets Hardware

- Java combines compilation and interpretation



```
$ javac Example.java
```

Compiles Example.java into Example.class

```
$ java Example.class
```

Interprets Example.class (JVM)

Wrapping Up

- Von Neumann Model
 - Some CS courses will dive into a piece of this model while others make use of the model as a whole
- We understand that computers use the binary system to represent data
- Basic building blocks of a computer
 - The adder inside the CPU is built from a XOR and a AND gates
- How programs written in higher level languages are executed by the CPU