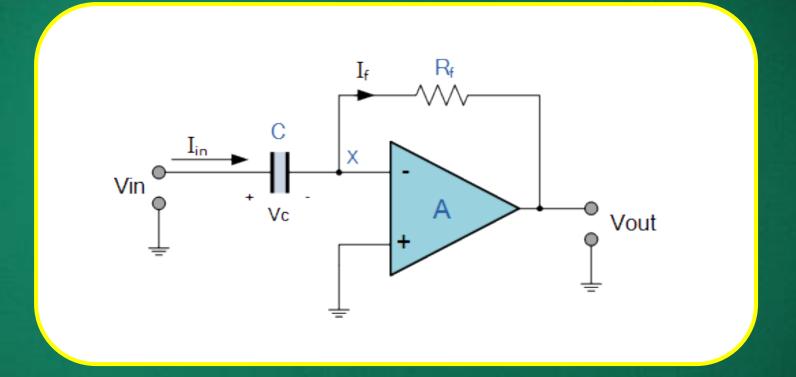
# Basic Electronic Circuits (IEC-103)

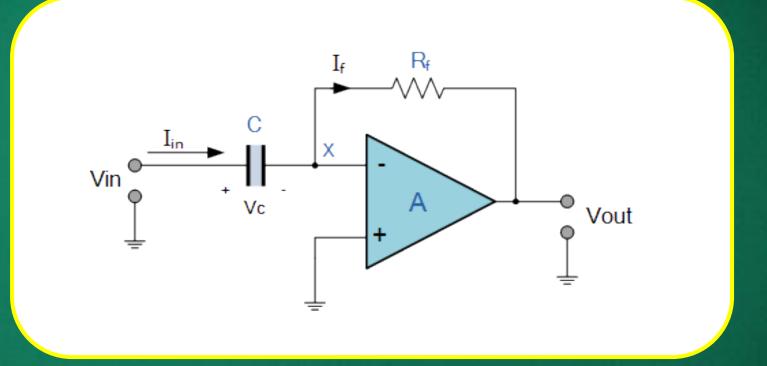
Lecture-06

## **Op-Amp Circuits**

### Example

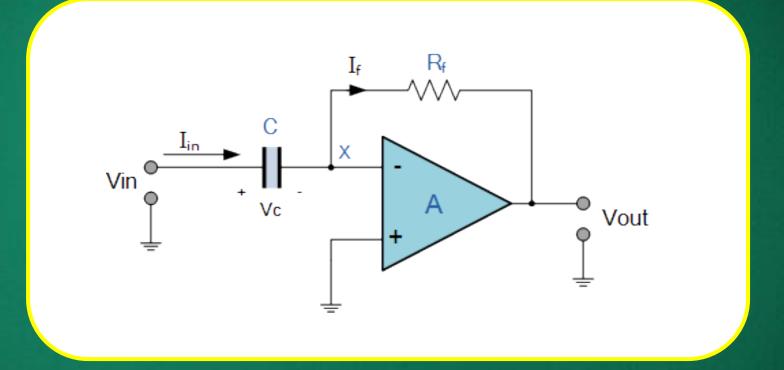


### **Example (Continued)**



$$V_{out} = -R_f C \frac{dV_{in}}{dt}$$

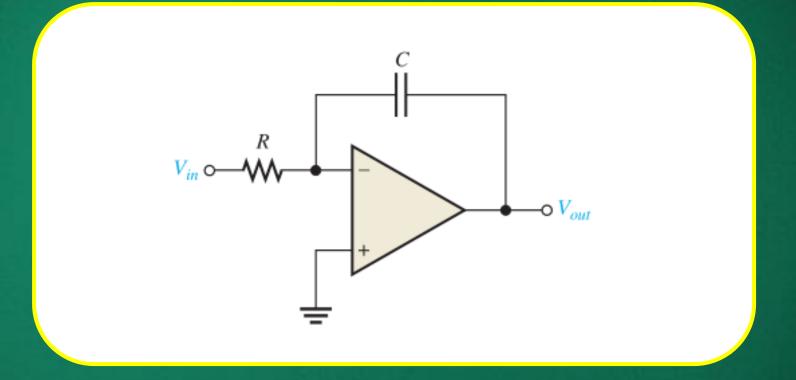
### **Example (Continued)**



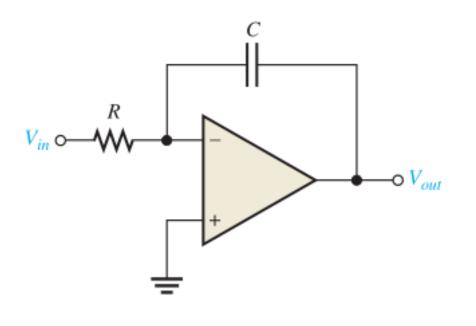
$$V_{out} = -R_f C \frac{dV_{in}}{dt}$$

**Differentiator** 

## Example

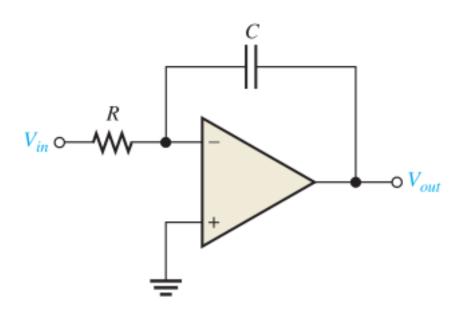


### **Example (Continued)**



$$V_{out} = -\frac{1}{RC} \int V_{in} dt$$

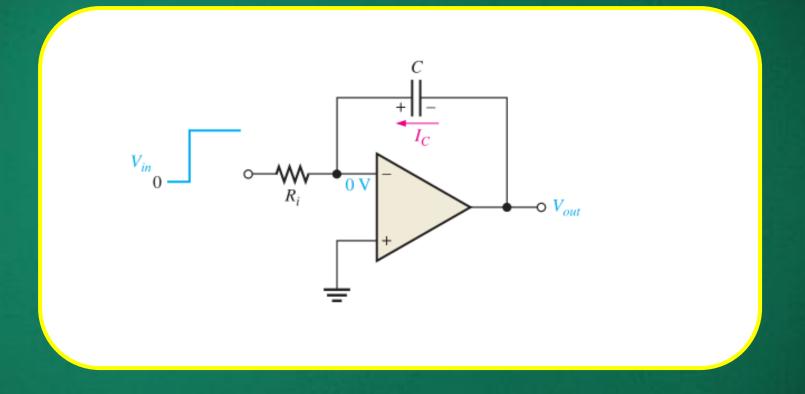
### **Example (Continued)**



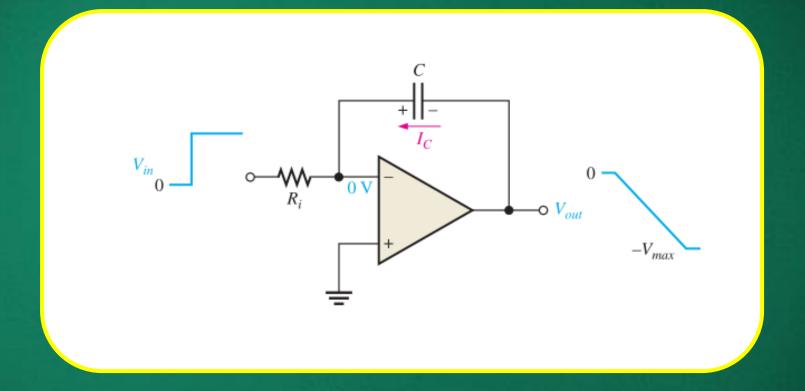
$$V_{out} = -\frac{1}{RC} \int V_{in} dt$$

Integrator

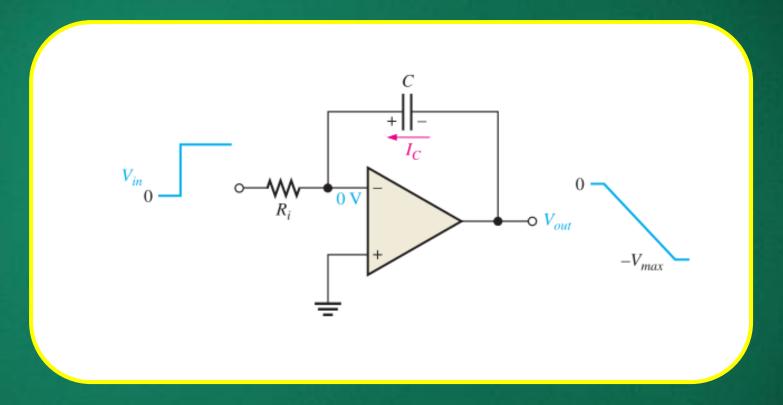
### Integrator



### Integrator



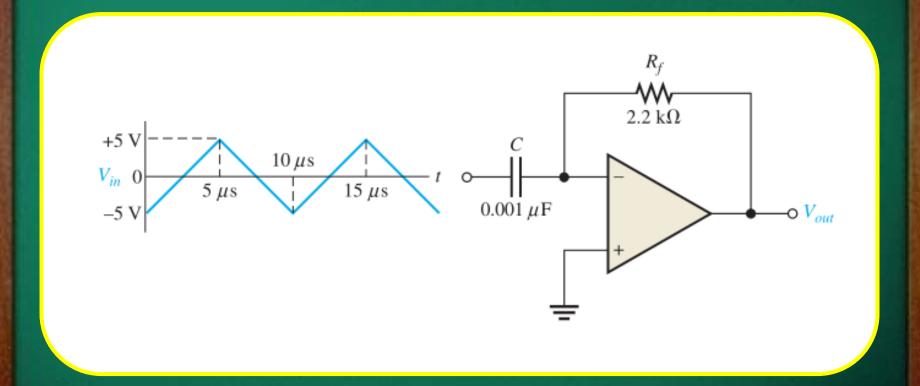
#### Integrator



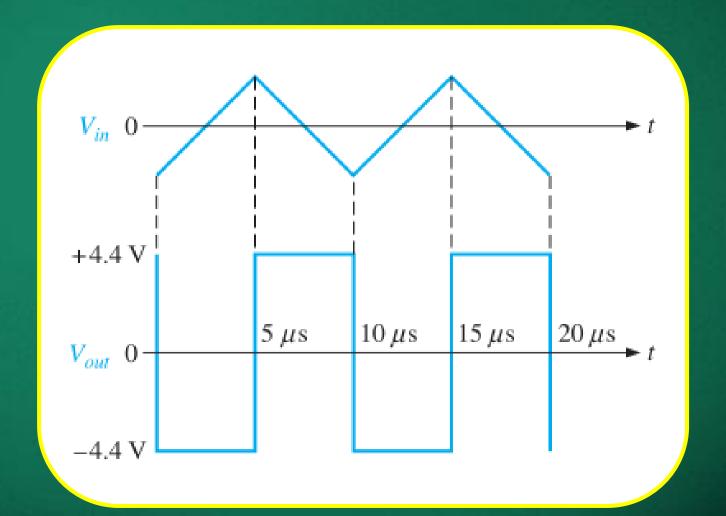
A constant input voltage produces a ramp on the output of the integrator before it saturates.

### Example

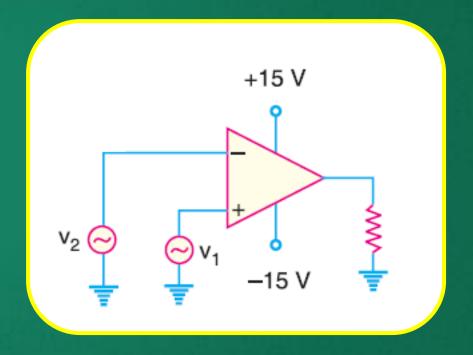
Determine the output voltage of the op-amp ckt.

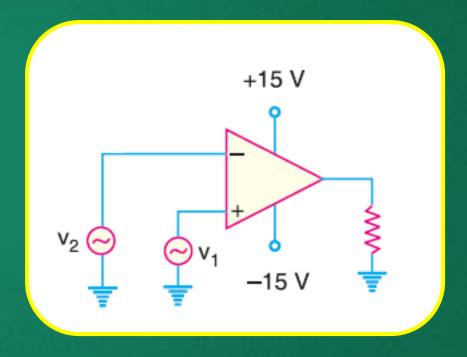


### Example

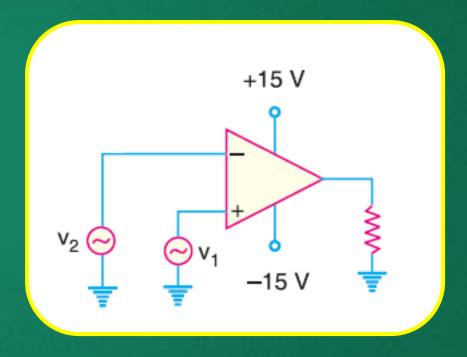


## Non-linear Applications





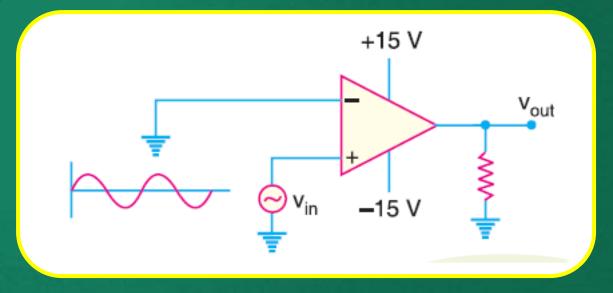
☐ A comparator is an op-amp circuit without negative feedback and takes the advantage of very high open-loop gain.



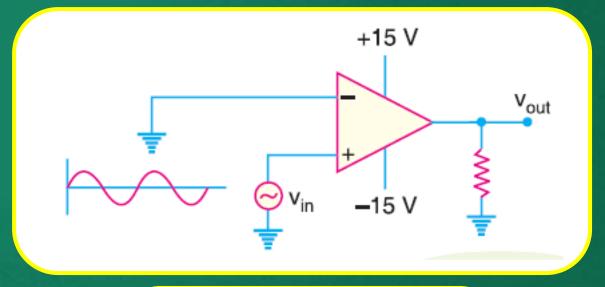
- ☐ A comparator is an op-amp circuit without negative feedback and takes the advantage of very high open-loop gain.
- ☐ It is operated in a non-linear mode.

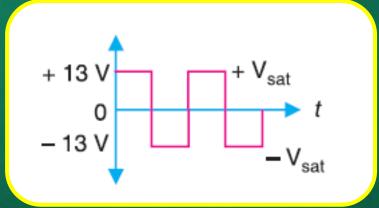
$$+V_{sat} = +V_{supply} - 2 = 15 - 2 = +13 \text{ V}$$
  
 $-V_{sat} = -V_{supply} + 2 = -15 + 2 = -13 \text{ V}$ 

# Comparator (Square Wave Generator)

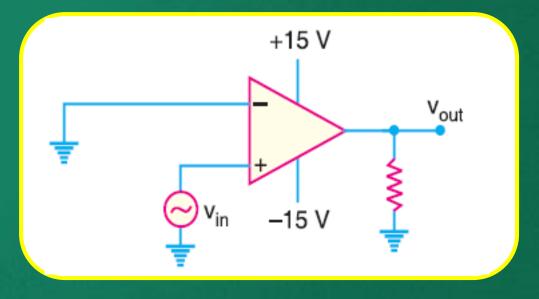


# Comparator (Square Wave Generator)

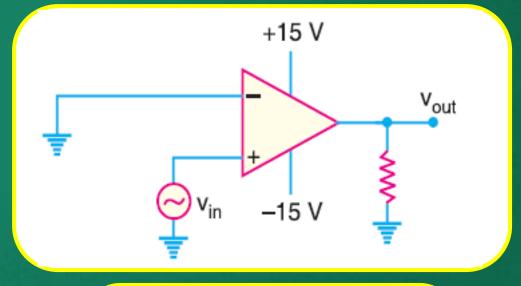


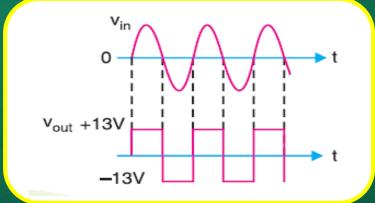


# Comparator (Zero Crossing Detector)

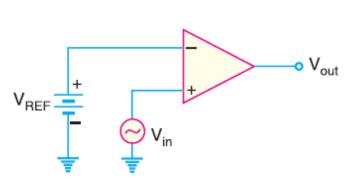


# Comparator (Zero Crossing Detector)

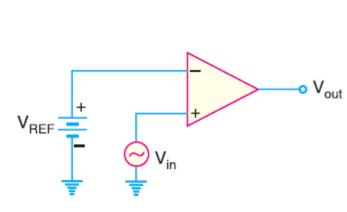




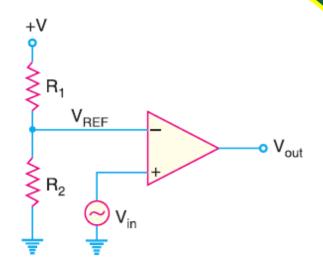
# Comparator (Level Detector)



# Comparator (Level Detector)

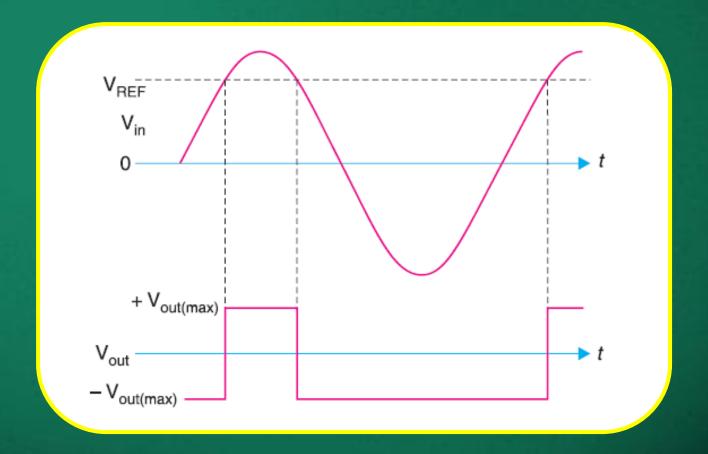


(i) Battery reference



(ii) Voltage-divider reference

# Comparator (Level Detector)



□ 2 types of feedback: regenerative (+ve feedback) degenerative (-ve feedback).

- 2 types of feedback: regenerative (+ve feedback) degenerative (-ve feedback).
- ☐ Unless we want your circuit to oscillate, we use NEGATIVE FEEDBACK.

- 2 types of feedback: regenerative (+ve feedback) degenerative (-ve feedback).
- Unless we want your circuit to oscillate, we use NEGATIVE FEEDBACK.
- ☐ This idea negative feedback was first used in the late 1920's when building amplifiers with certain gain was difficult.

- 2 types of feedback: regenerative (+ve feedback) degenerative (-ve feedback).
- Unless we want your circuit to oscillate, we use NEGATIVE FEEDBACK.
- ☐ This idea negative feedback was first used in the late 1920's when building amplifiers with certain gain was difficult.
- ☐ Harold Black invented negative feedback.

☐ The gain of the circuit is made less sensitive to the values of individual components.

- ☐ The gain of the circuit is made less sensitive to the values of individual components.
- Nonlinear distortion can be reduced.

- ☐ The gain of the circuit is made less sensitive to the values of individual components.
- Nonlinear distortion can be reduced.
- ☐ The effects of noise can be reduced (but not the noise itself).

- ☐ The gain of the circuit is made less sensitive to the values of individual components.
- Nonlinear distortion can be reduced.
- The effects of noise can be reduced (but not the noise itself).
- ☐ The input and output impedances of the amplifier can be modified.

- ☐ The gain of the circuit is made less sensitive to the values of individual components.
- Nonlinear distortion can be reduced.
- ☐ The effects of noise can be reduced (but not the noise itself).
- The input and output impedances of the amplifier can be modified.
- ☐ The bandwidth of an amplifier can be extended.

### Implementation of Feedback

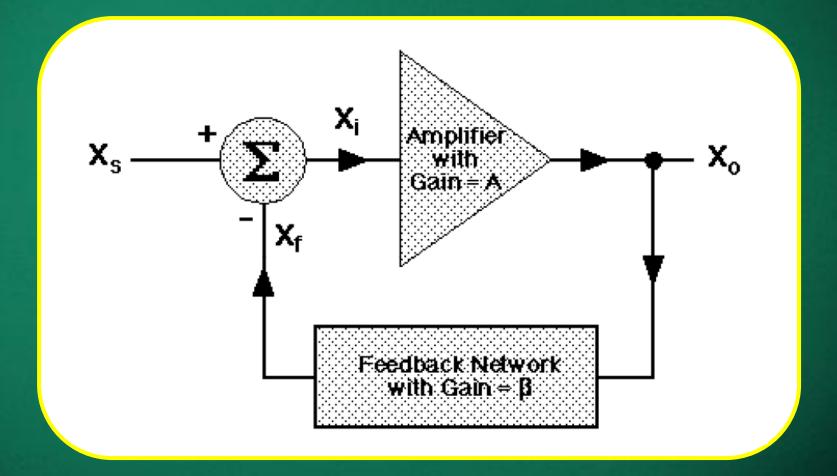
Portion of output is fed back to the inverting terminal of the amplifier.

## Implementation of Feedback

Portion of output is fed back to the inverting terminal of the amplifier.

☐ If we use negative feedback, overall gain of the amplifier is always less than the maximum achievable by the amplifier without feedback.

## **Basic Block Diagram**



## Closed Loop Gain

$$A_f = \frac{x_o}{x_s} = \frac{A}{1 + A\beta} \approx \frac{1}{\beta}$$
 (for very large A)

#### **Open loop gain**

$$A(s) = \frac{A_0}{1 + \frac{s}{\omega_H}}$$

**Open loop gain** 

$$A(s) = \frac{A_0}{1 + \frac{s}{\omega_H}}$$

If we use amplifier with negative feedback

**Open loop gain** 

$$A(s) = \frac{A_0}{1 + \frac{s}{\omega_H}}$$

If we use amplifier with negative feedback

$$A_f(s) = \frac{A(s)}{1 + \beta A(s)}$$

$$A_f(s) = \frac{\frac{A_0}{1 + \beta A_0}}{1 + \frac{s}{\omega_H(1 + \beta A_0)}}$$

$$A_{f}(s) = \frac{\frac{A_{0}}{1 + \beta A_{0}}}{1 + \frac{s}{\omega_{H}(1 + \beta A_{0})}} = \frac{A_{0f}}{1 + \frac{s}{\omega_{Hf}}}$$

$$A_{f}(s) = \frac{\frac{A_{0}}{1 + \beta A_{0}}}{1 + \frac{s}{\omega_{H}(1 + \beta A_{0})}} = \frac{A_{0f}}{1 + \frac{s}{\omega_{Hf}}}$$

#### where

$$\omega_{\rm Hf} = \omega_{\rm H} (1 + \beta A_0)$$

$$A_{f}(s) = \frac{\frac{A_{0}}{1 + \beta A_{0}}}{1 + \frac{s}{\omega_{H}(1 + \beta A_{0})}} = \frac{A_{0f}}{1 + \frac{s}{\omega_{Hf}}}$$

#### where

$$\omega_{\rm Hf} = \omega_{\rm H} (1 + \beta A_0)$$

$$A_{0f} = \frac{A_0}{(1+\beta A_0)}$$

$$A_{f}(s) = \frac{\frac{A_{0}}{1 + \beta A_{0}}}{1 + \frac{s}{\omega_{H}(1 + \beta A_{0})}} = \frac{A_{0f}}{1 + \frac{s}{\omega_{Hf}}}$$

#### where

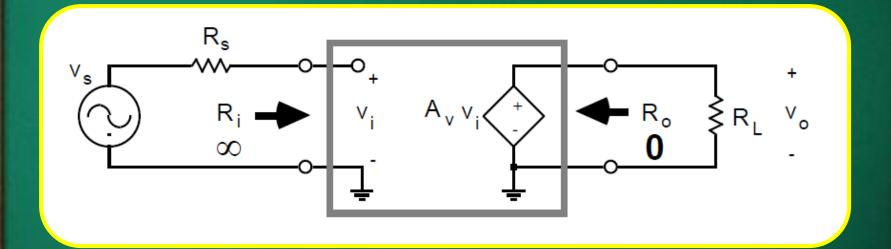
$$\omega_{\rm Hf} = \omega_{\rm H} (1 + \beta A_0)$$

$$A_{0f} = \frac{A_0}{(1+\beta A_0)}$$

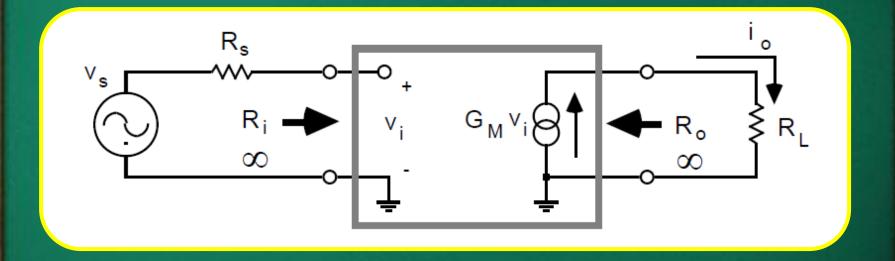
The cut-off frequency is increased by a factor (1+ ${
m A}_0eta$ )

# **Types of Amplifiers**

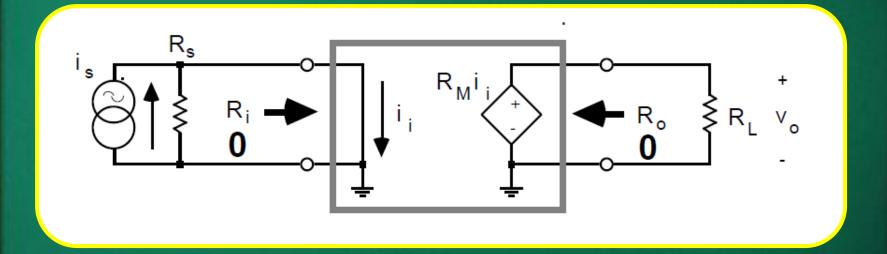
## Ideal Voltage Amplifier



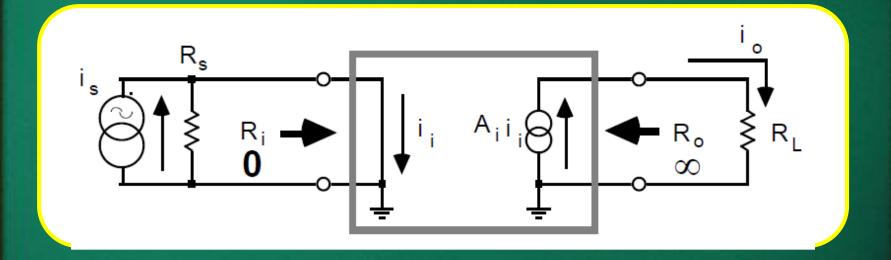
## Ideal Transconductance Amplifier



## Ideal Transresistance Amplifier



## Ideal Current Amplifier

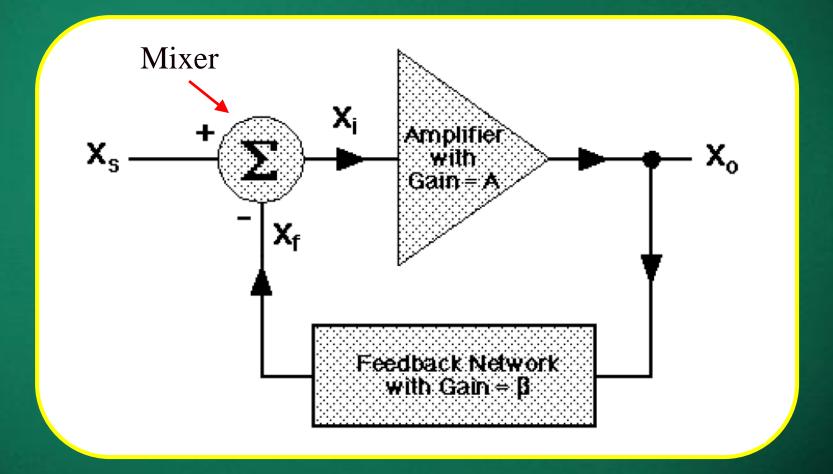


## Ideal Amplifiers

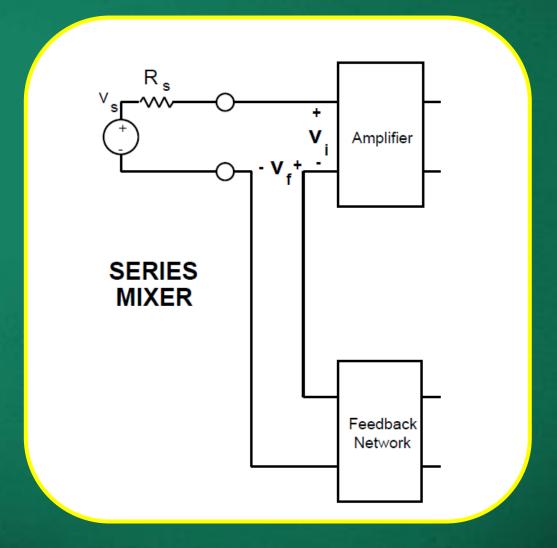
Type of Amplifier	Gain Expression	Ideal Input Impedance	Ideal Output Impedance
Voltage	A <sub>v</sub> = V <sub>o</sub> /V <sub>s</sub> Voltage Gain (dimensionless)	<b>Z</b> <sub>i</sub> = ∞	$Z_0 = 0$
Transconductance	G <sub>m</sub> = I <sub>o</sub> /V <sub>s</sub> Transconductance (Siemens)	$Z_i = \infty$	$Z_o = \infty$
Transresistance	R <sub>m</sub> = V <sub>o</sub> /I <sub>s</sub> Transresistance (Ohms)	$Z_i = 0$	$Z_0 = 0$
Current	A <sub>i</sub> = I <sub>o</sub> /I <sub>s</sub> Current Gain (dimensionless)	$Z_i = 0$	$Z_o = \infty$

# **Types of Mixers**

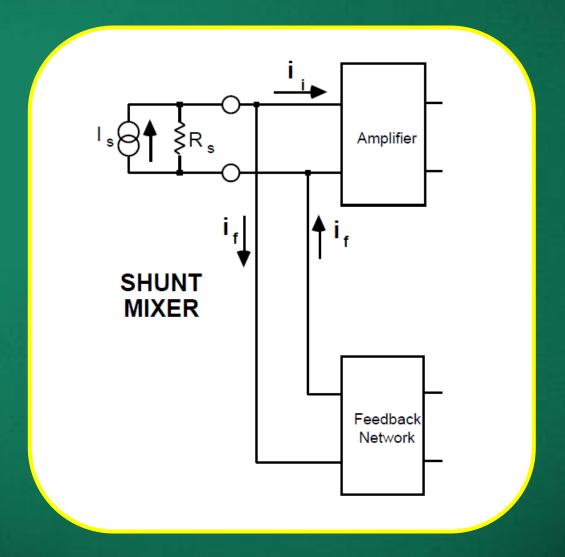
### **Basic Block Diagram**



## Series Mixer

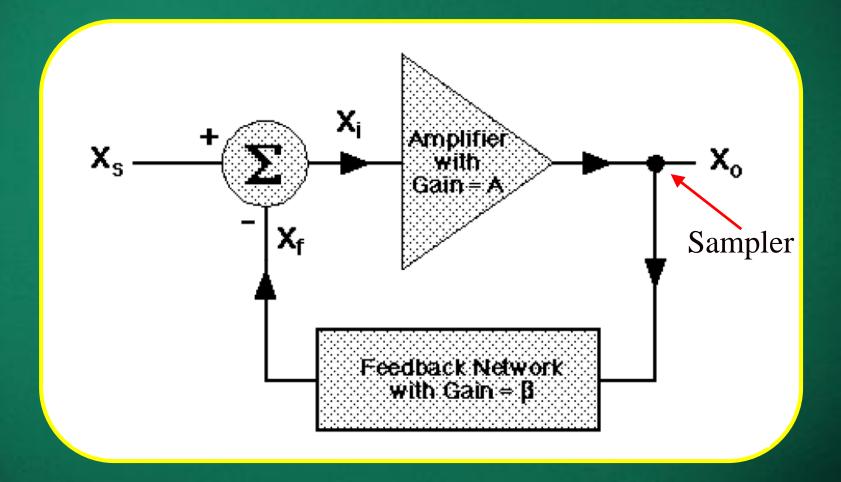


## **Shunt Mixer**

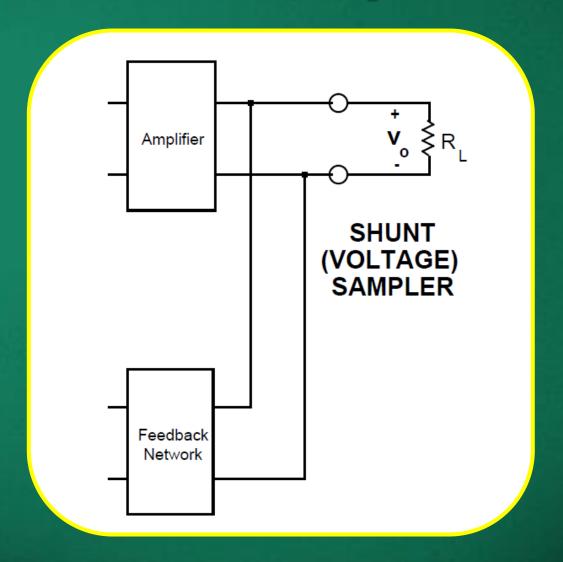


## **Types of Samplers**

### **Basic Block Diagram**



## Shunt Sampler



## Series Sampler

