

Basic Electronic Circuits

(IEC-103)

Lecture-04

Operational Amplifiers

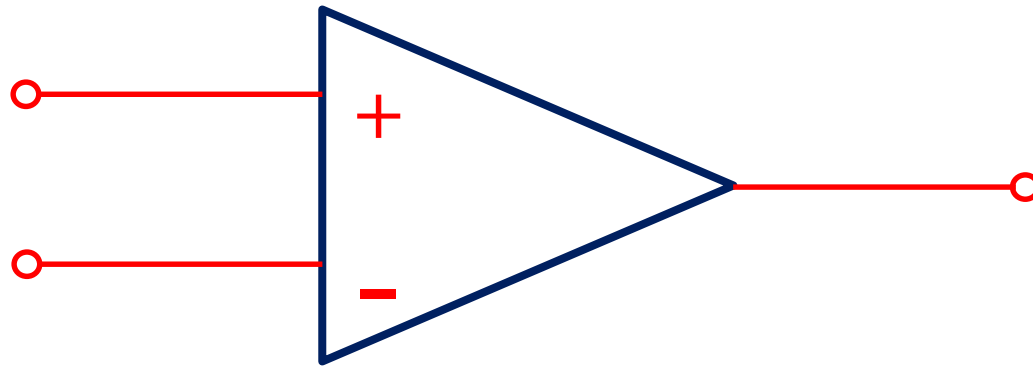
Differential & Common Mode Signals

- **Differential Mode Input:** In this mode two signals of same amplitude and 180° out of phase signals are applied to the inputs of the op-amp.

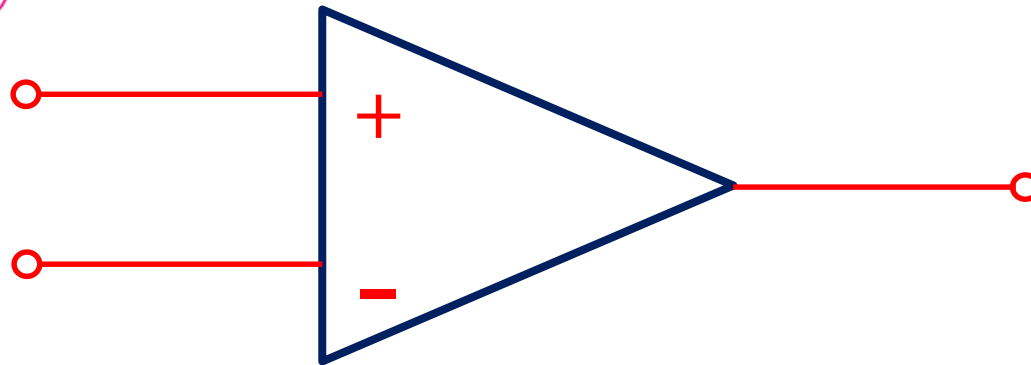
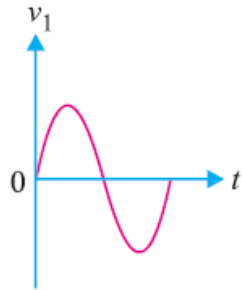
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- ❑ **Differential Mode Input:** In this mode two signals of same amplitude and 180° out of phase signals are applied to the inputs of the op-amp.
- ❑ **Common Mode Input:** In this mode two signals of same amplitude and phase applied to the inputs of the op-amp.

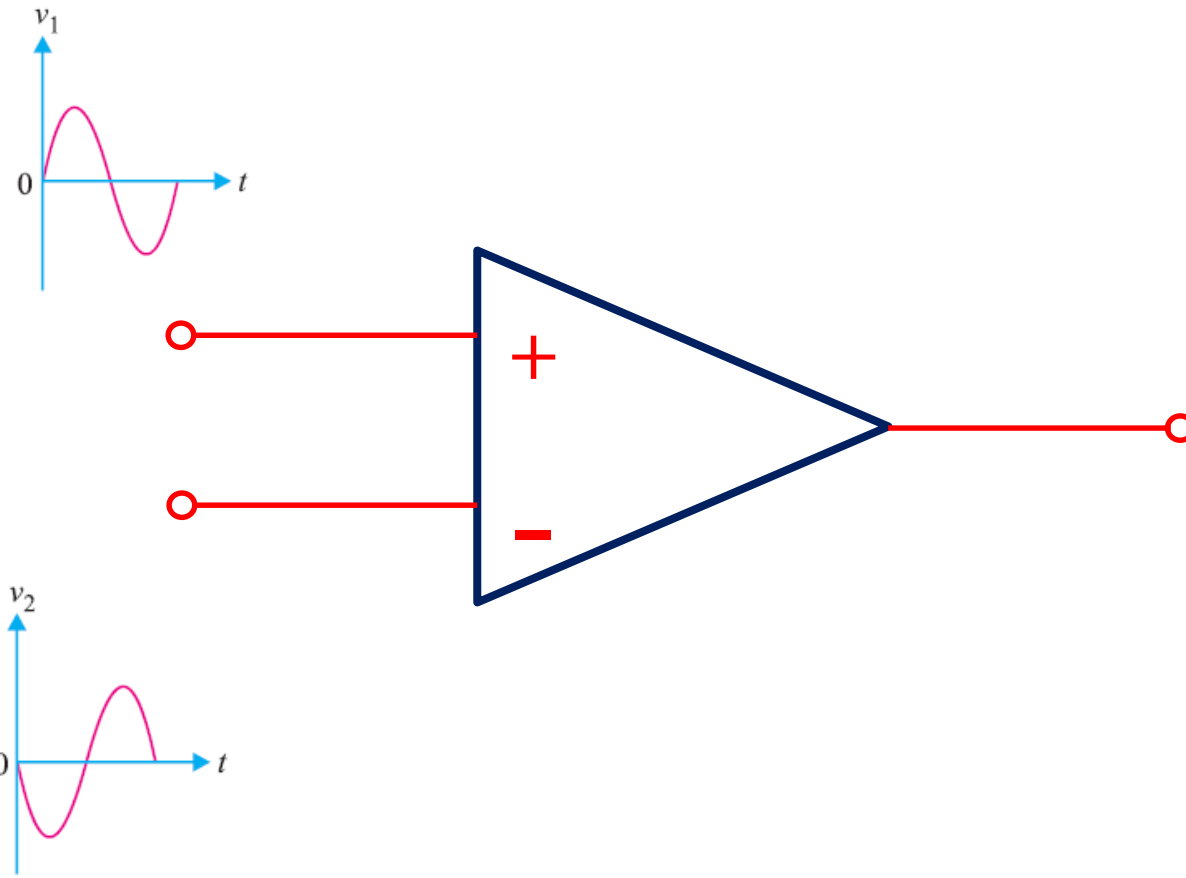
Differential Mode Signal Input



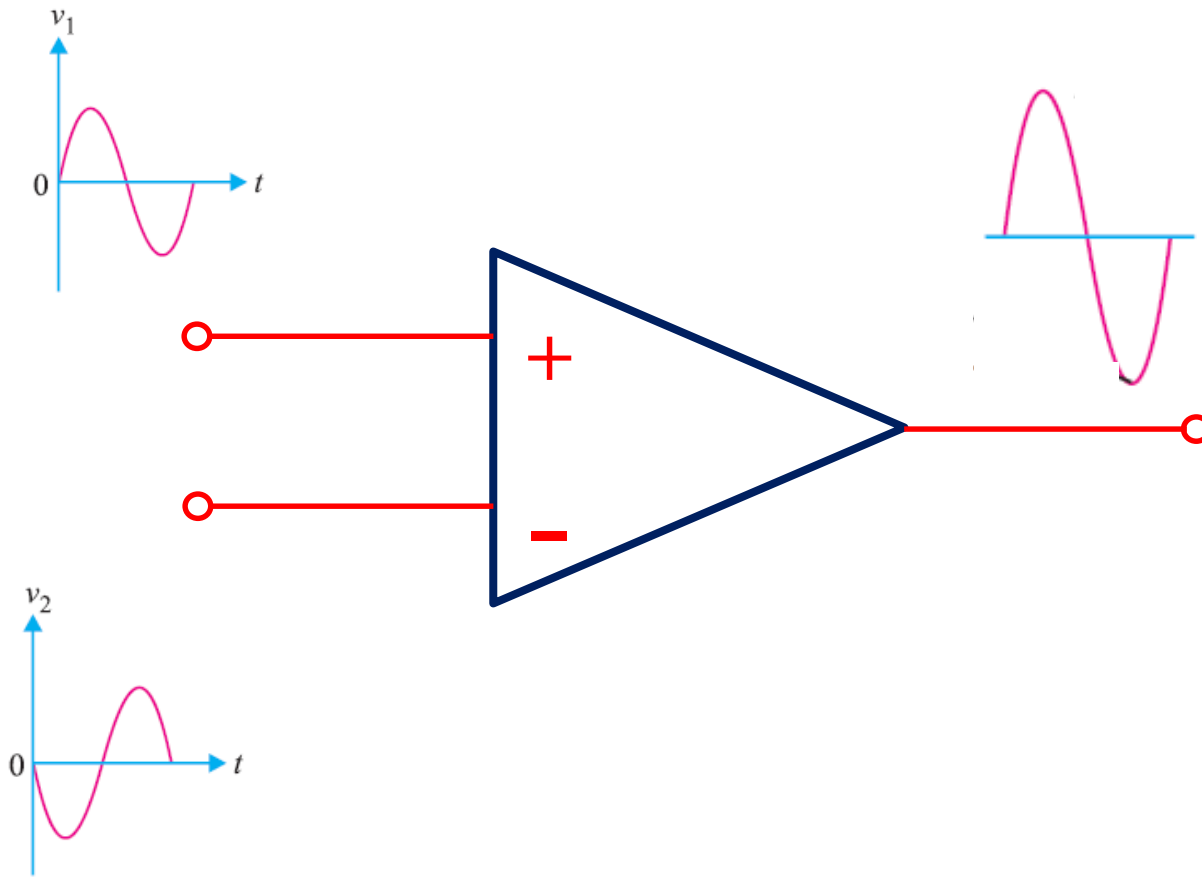
Differential Mode Signal Input



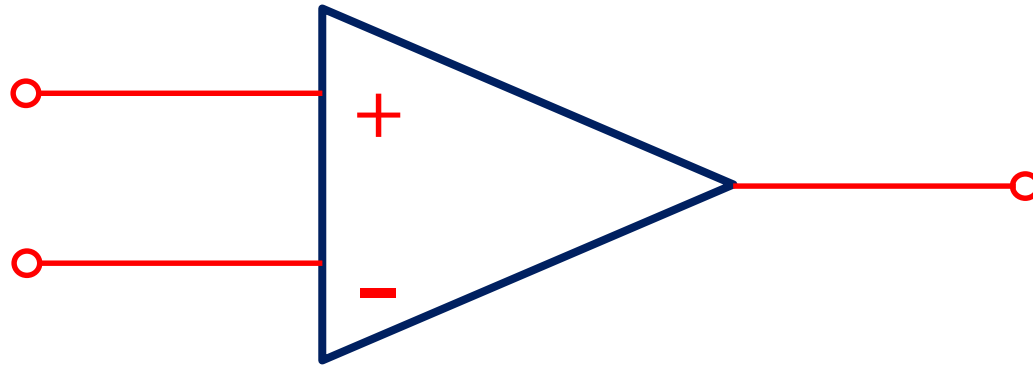
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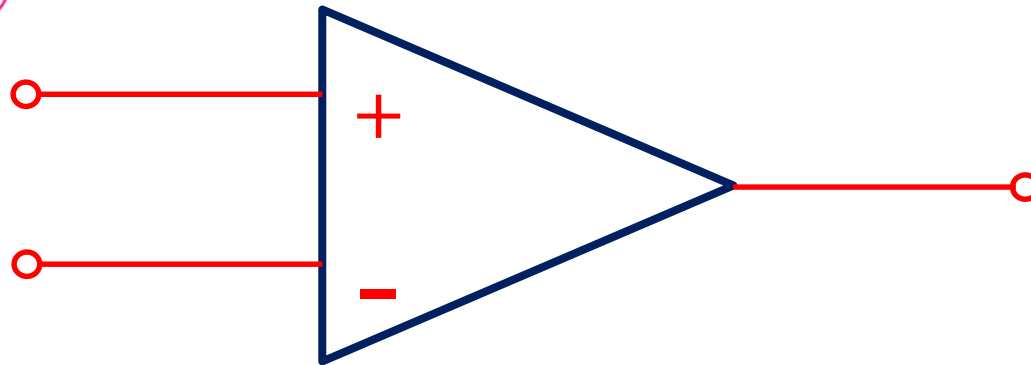
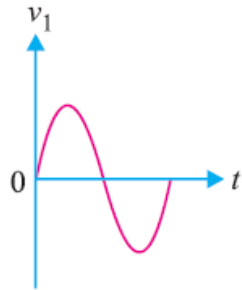
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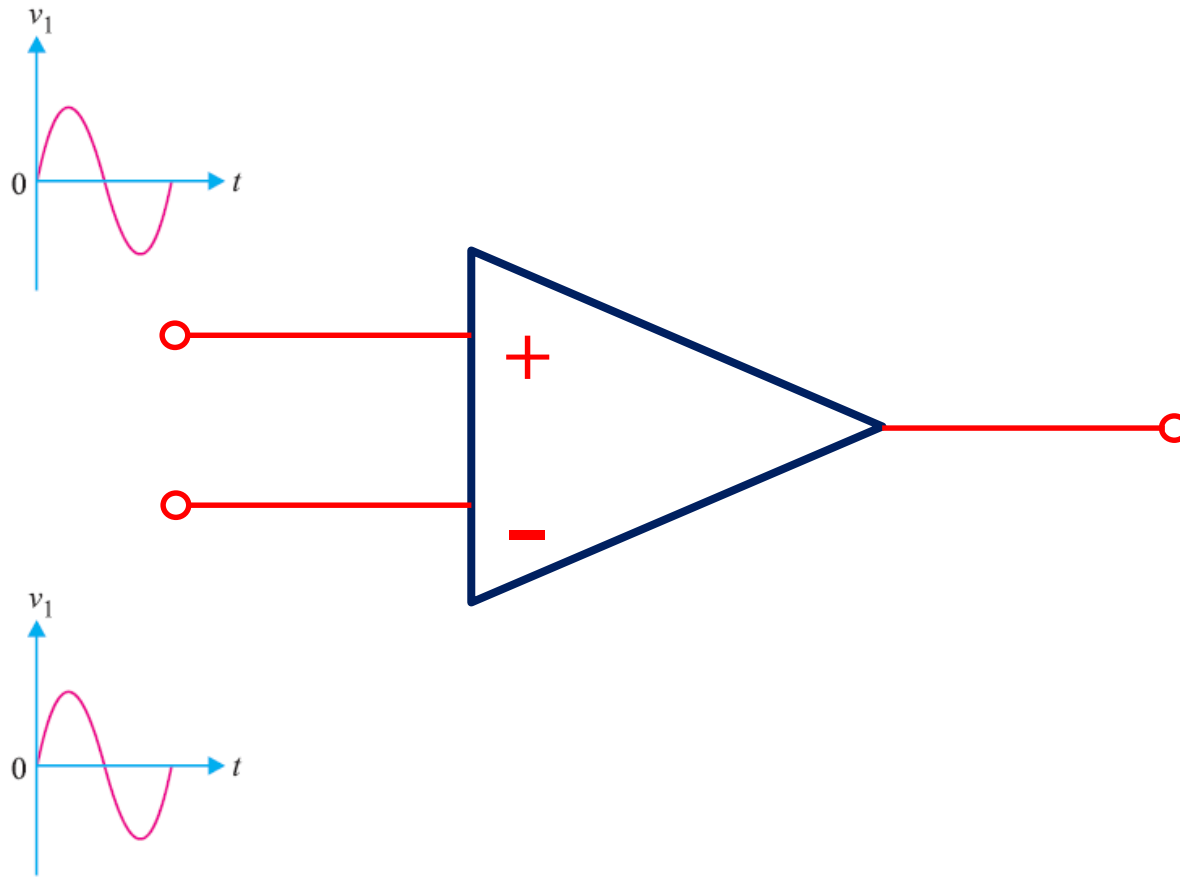
Common Mode Signal Input



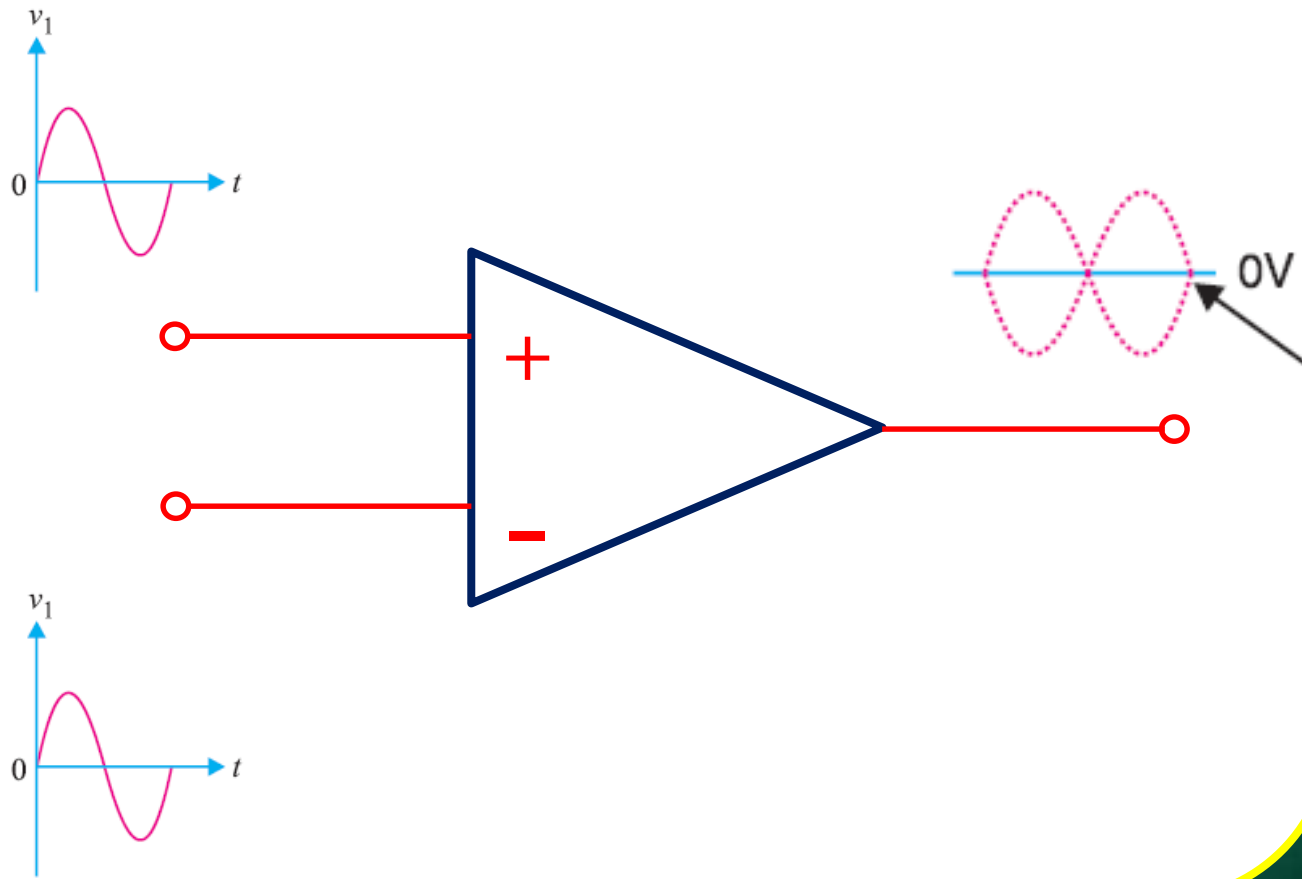
Common Mode Signal Input



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Common Mode Signal Input



Differential & Common Mode Gain

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- Ideally the voltage gains in differential mode and common mode are infinity and zero, but practical op-amp has very large A_{DM} and very low A_{CM} .

Differential & Common Mode Gain

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- ❑ Typical values A_{DM} and A_{CM} are several thousands and less than 1 respectively.
- ❑ Most of the noises & unwanted signals are common mode signals. These unwanted signals appear at the inputs of the op-amp and are virtually eliminated at the output.
- ❑ Any RF signal picked up by op-amp inputs would be considered undesirable.

Common Mode Rejection Ratio

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$$CMRR_{dB} = 20 \log_{10} \left(\frac{A_{DM}}{A_{CM}} \right)$$

Common Mode Rejection Ratio

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Common Mode Rejection Ratio

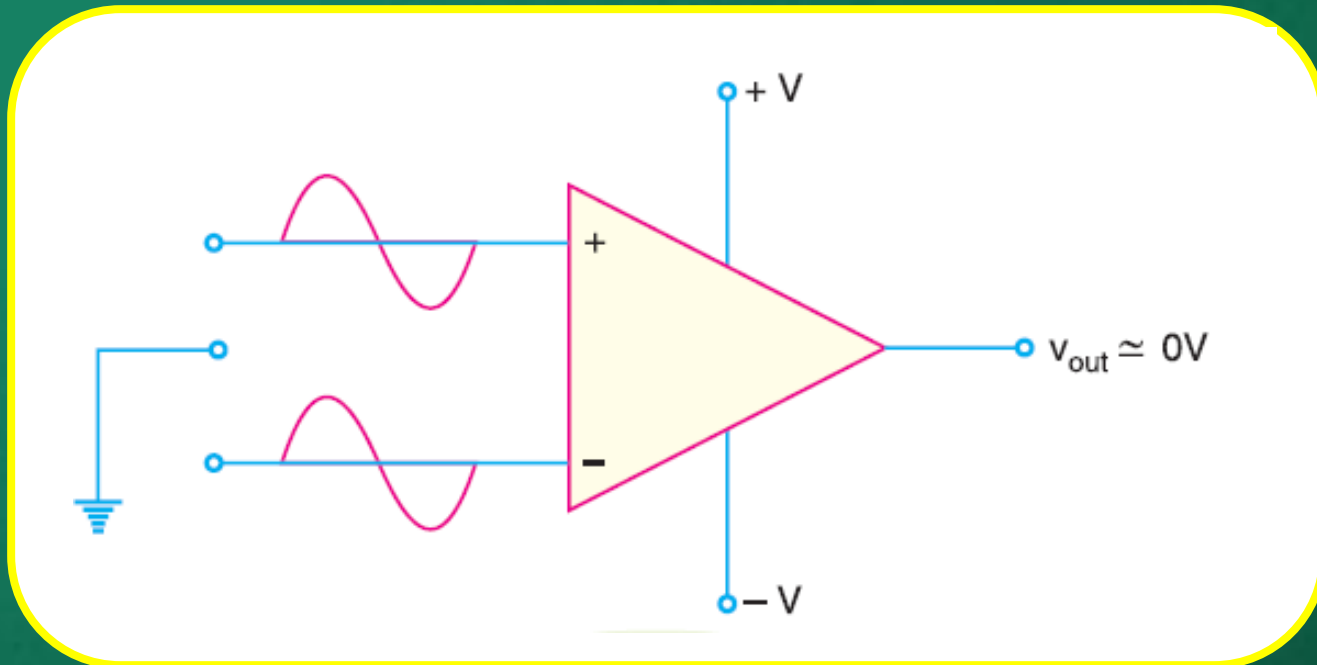
- ❑ **Common mode rejection ratio is the ability of an op-amp to reject common mode signals.**
- ❑ **The larger the CMRR, better is op-amp at eliminating the common mode signals.**

Example

**An op-amp has $A_{DM} = 1500$ and $A_{CM} = 0.01$.
Find CMRR.**

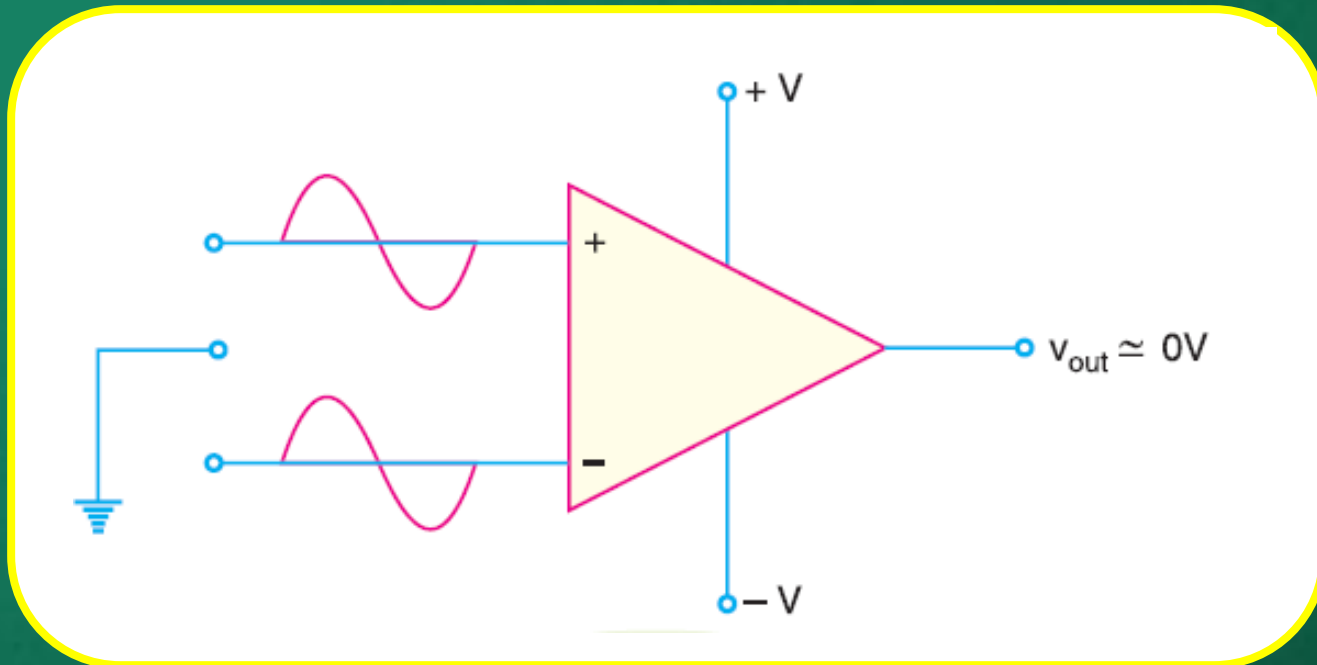
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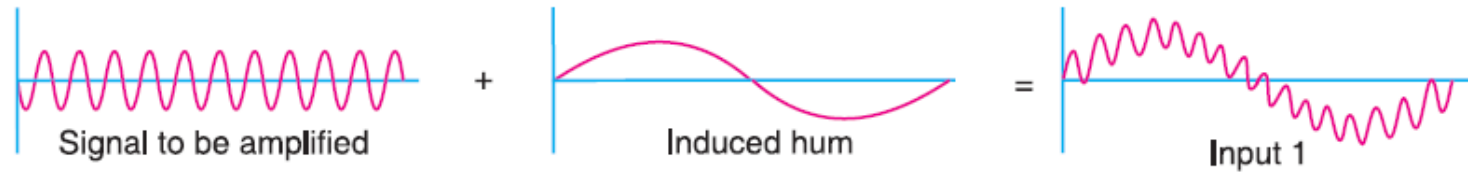
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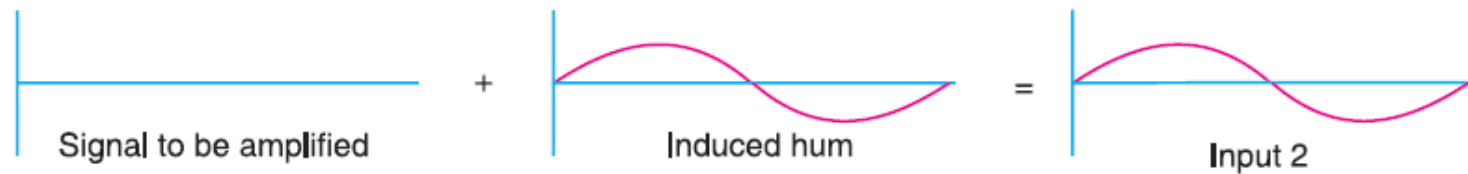


Answer: 150000 or 103.52 dB

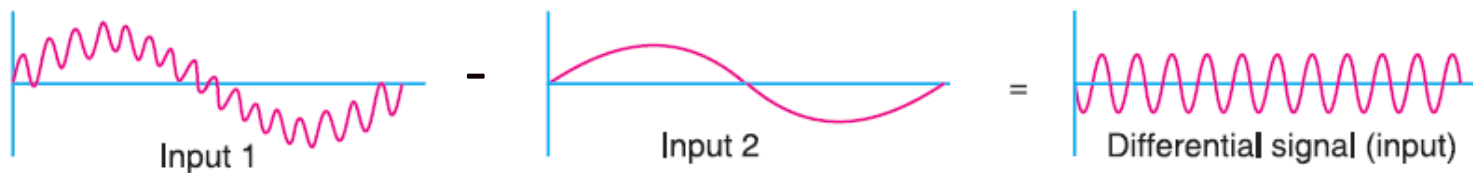
Illustration



(i) Signal input to input 1

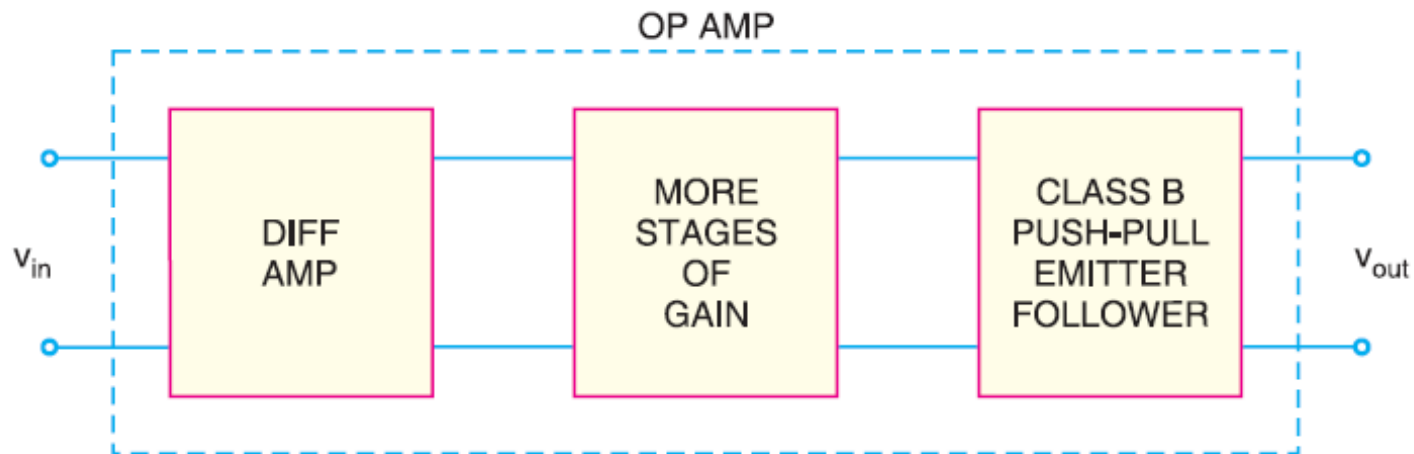


(ii) Signal input to input 2

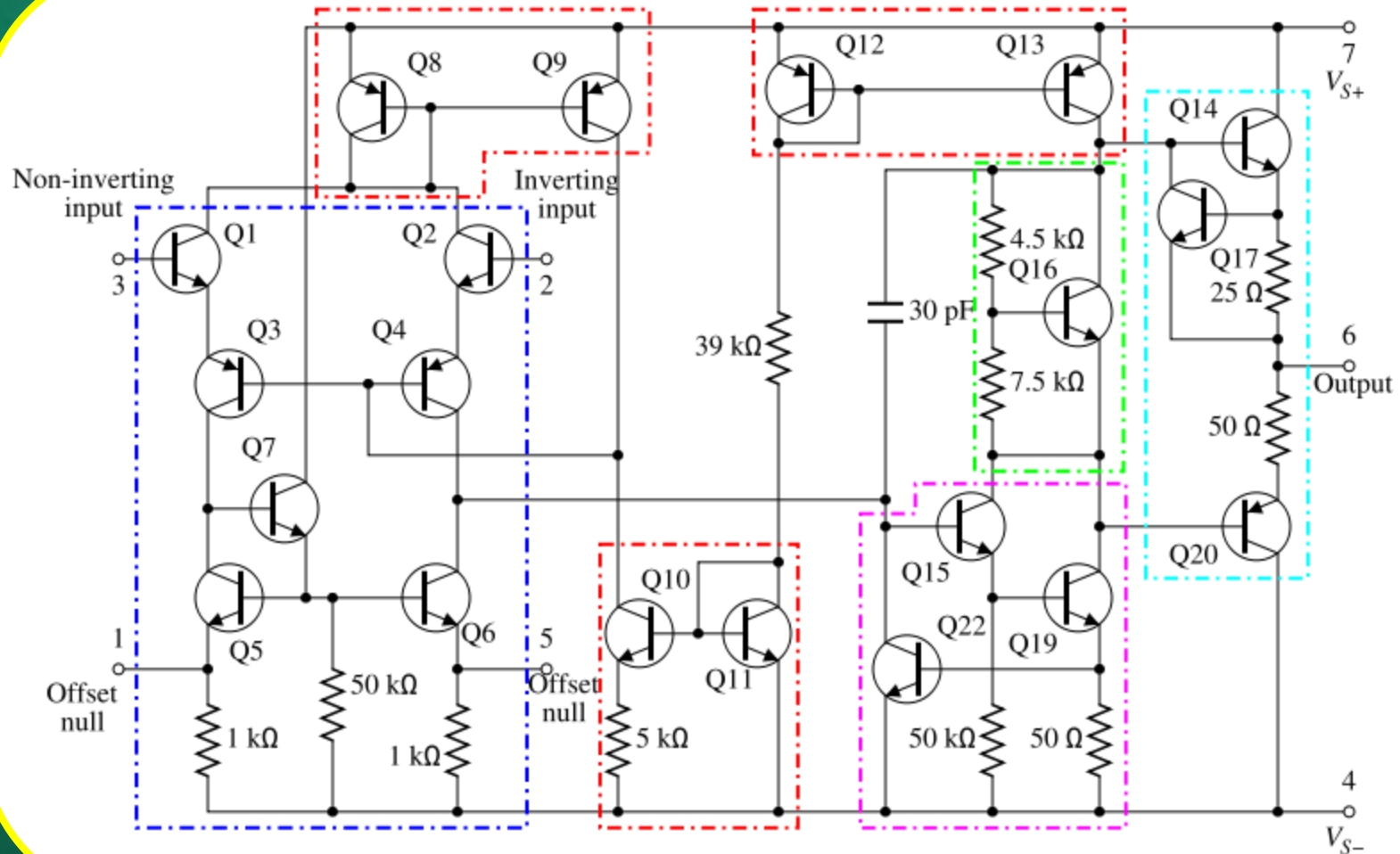


(iii) Differential input signal

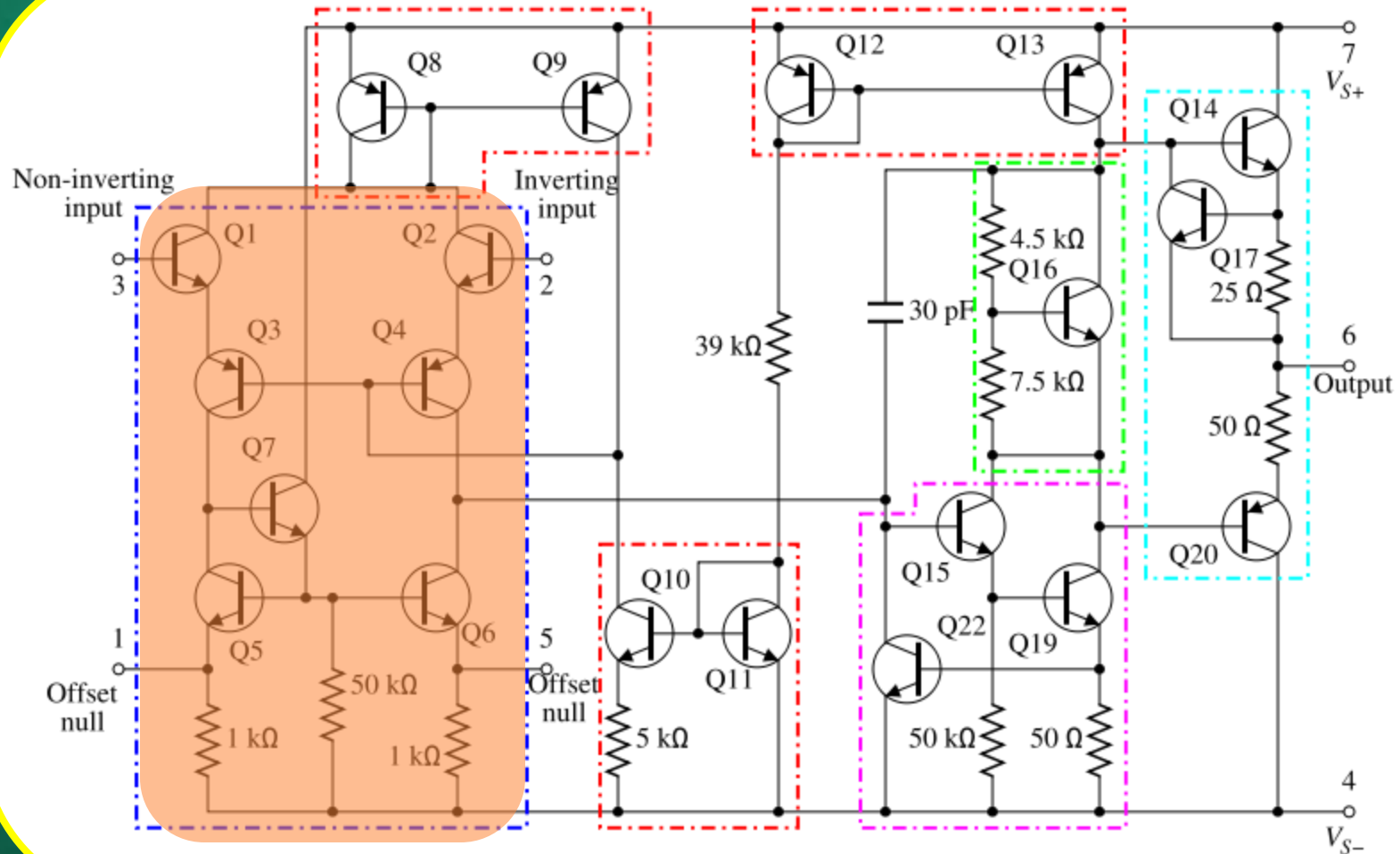
Different Stages in an Op-amp



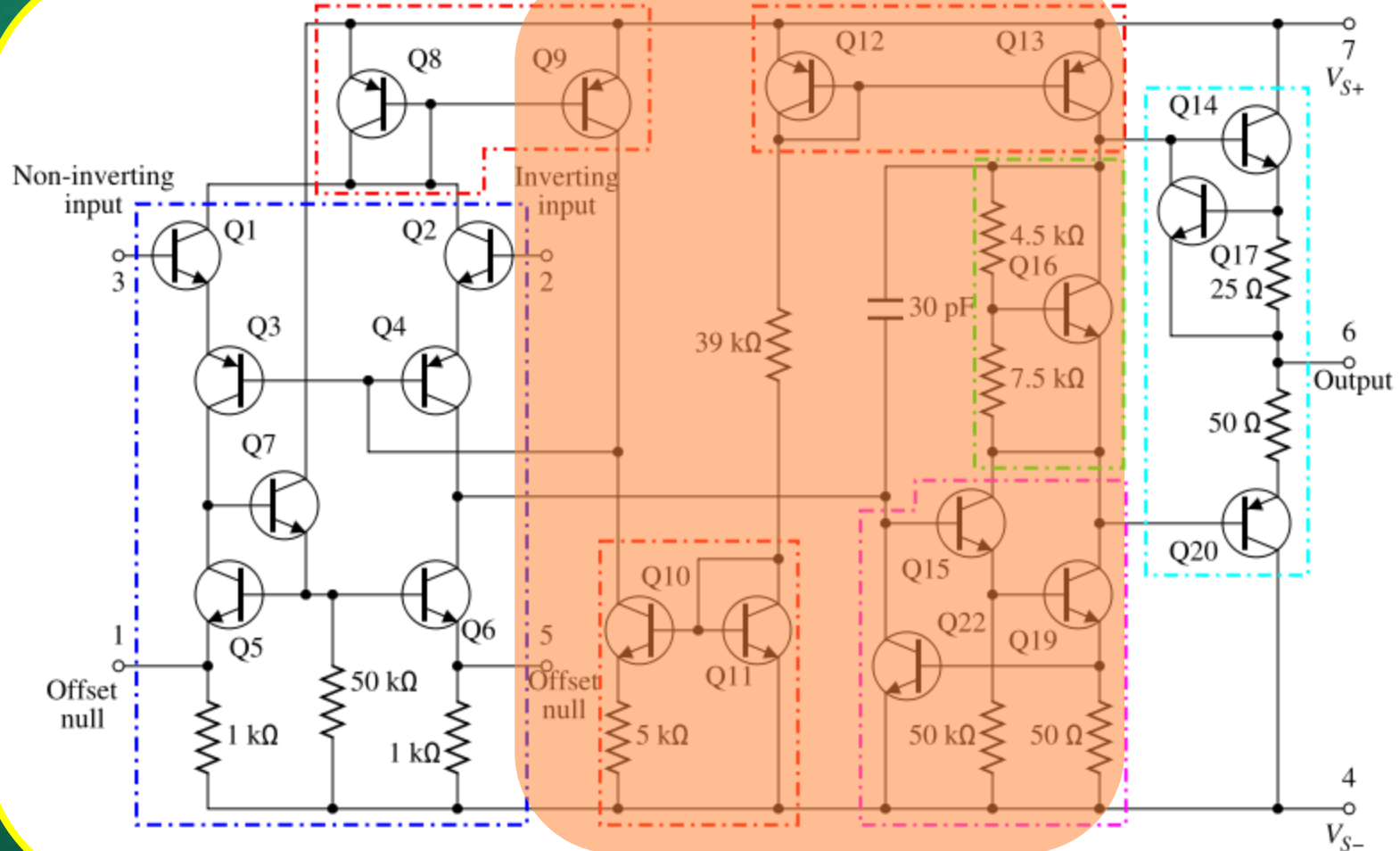
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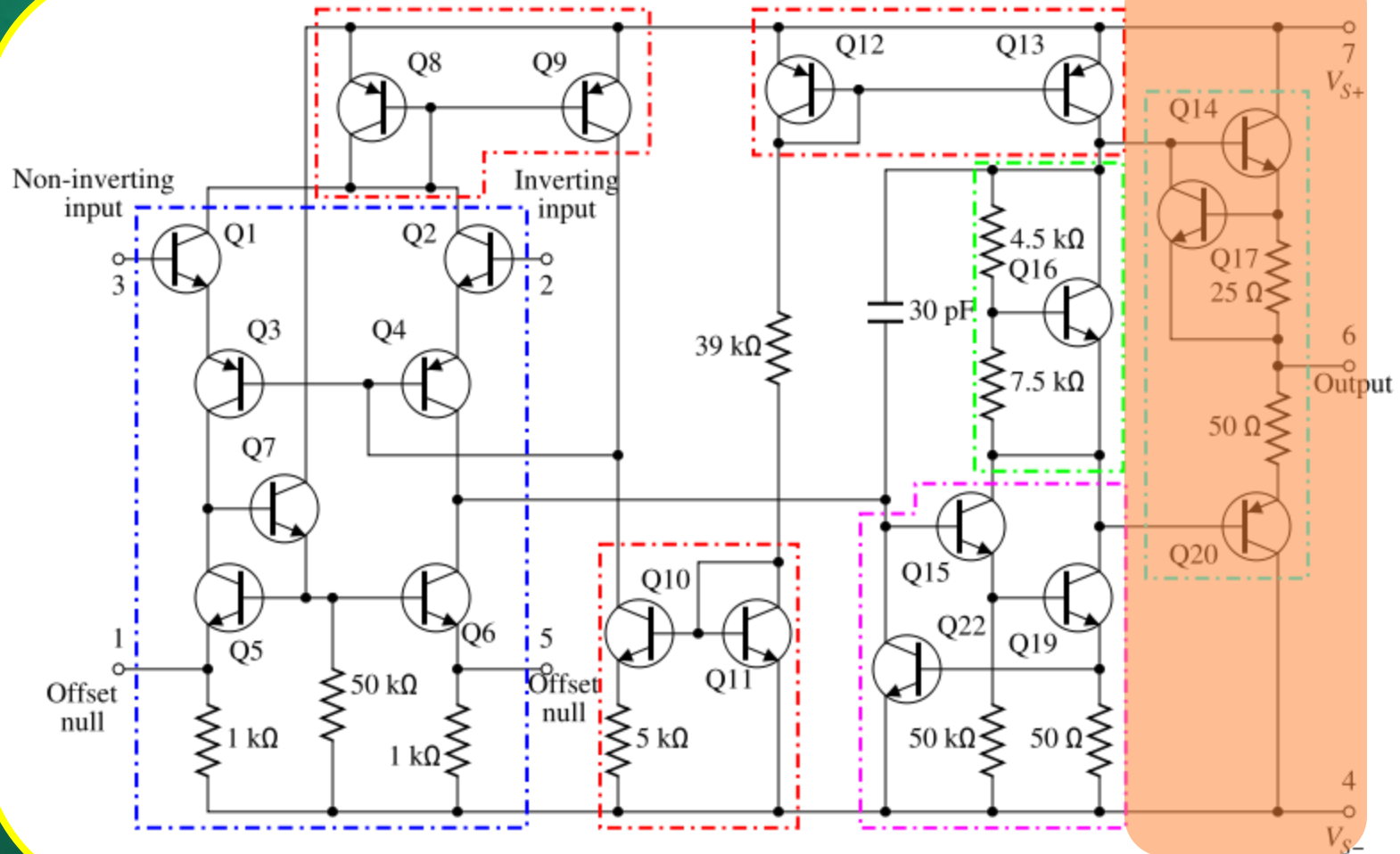
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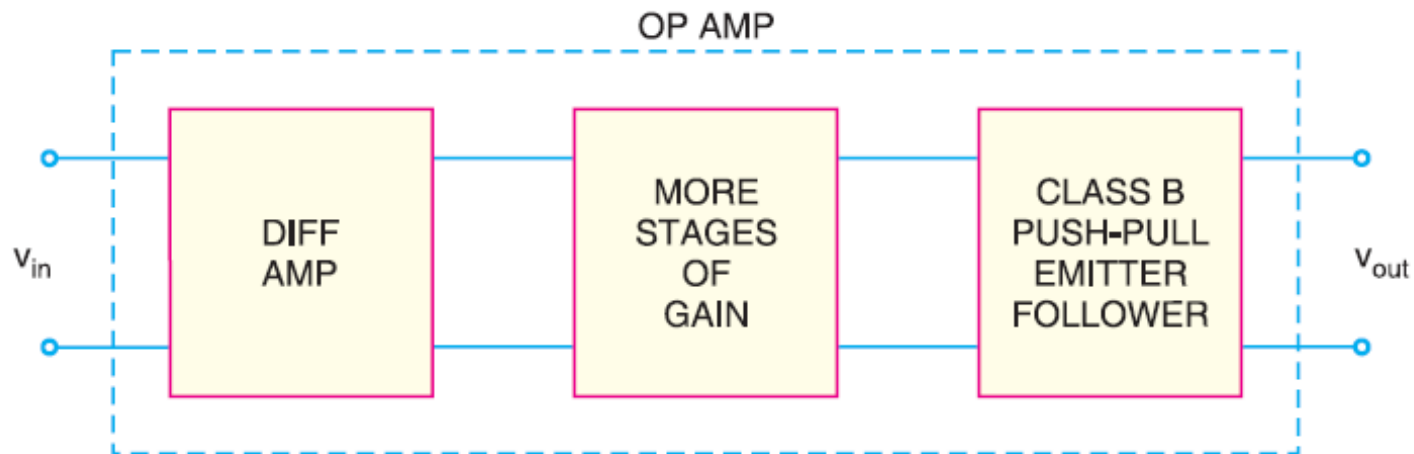
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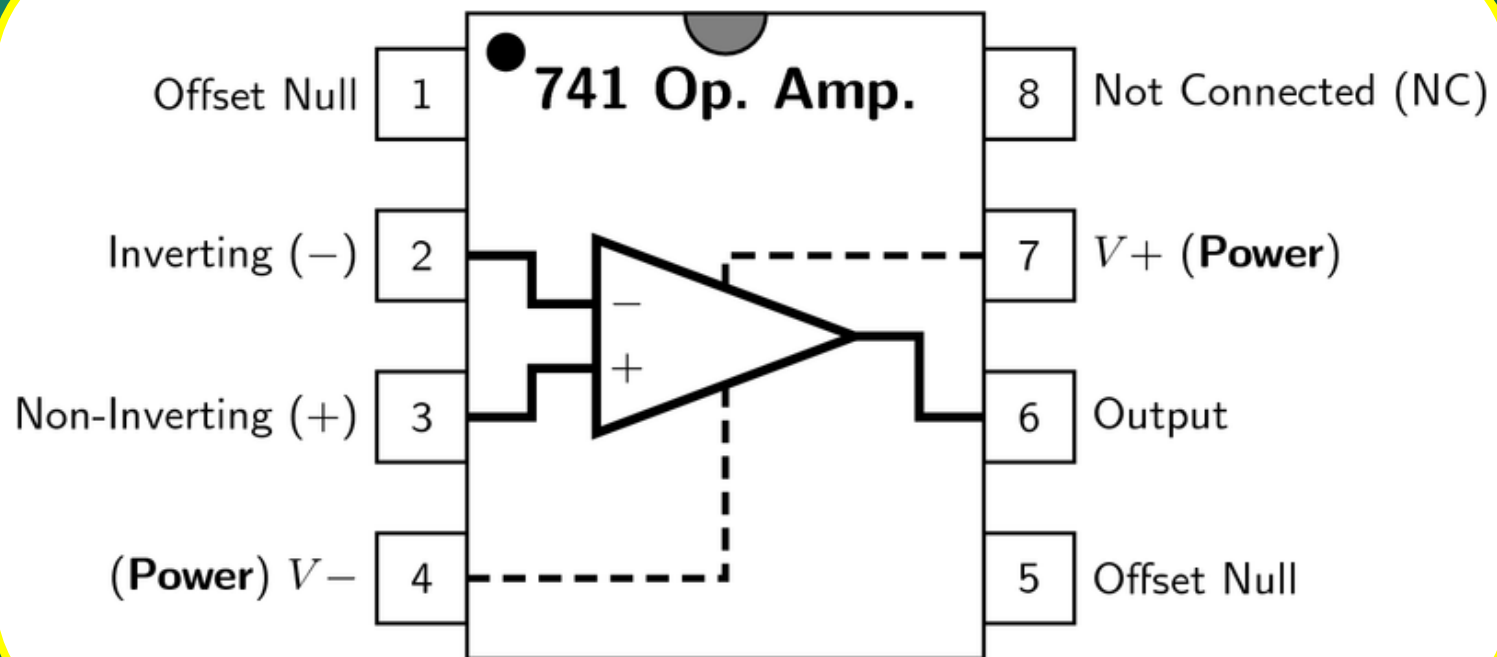
Parameters of Op-amp due to Mismatch of Transistors.

- **Output Offset Voltage:** Small voltage appears at the output terminal of the op-amp even the when voltage applied at both the input terminals are zero. This voltage is termed as output offset voltage. (due to V_{BE} mismatch)

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- ❑ **Output Offset Voltage:** Small voltage appears at the output terminal of the op-amp even the when voltage applied at both the input terminals are zero. This voltage is termed as output offset voltage. (due to V_{BE} mismatch)
- ❑ **Input Offset Current:** When the output offset voltage is eliminated, there will be slight difference between input currents to the non-inverting and inverting terminals of the op-amp. (due to β mismatch)

Offset Pins of an Op-Amp



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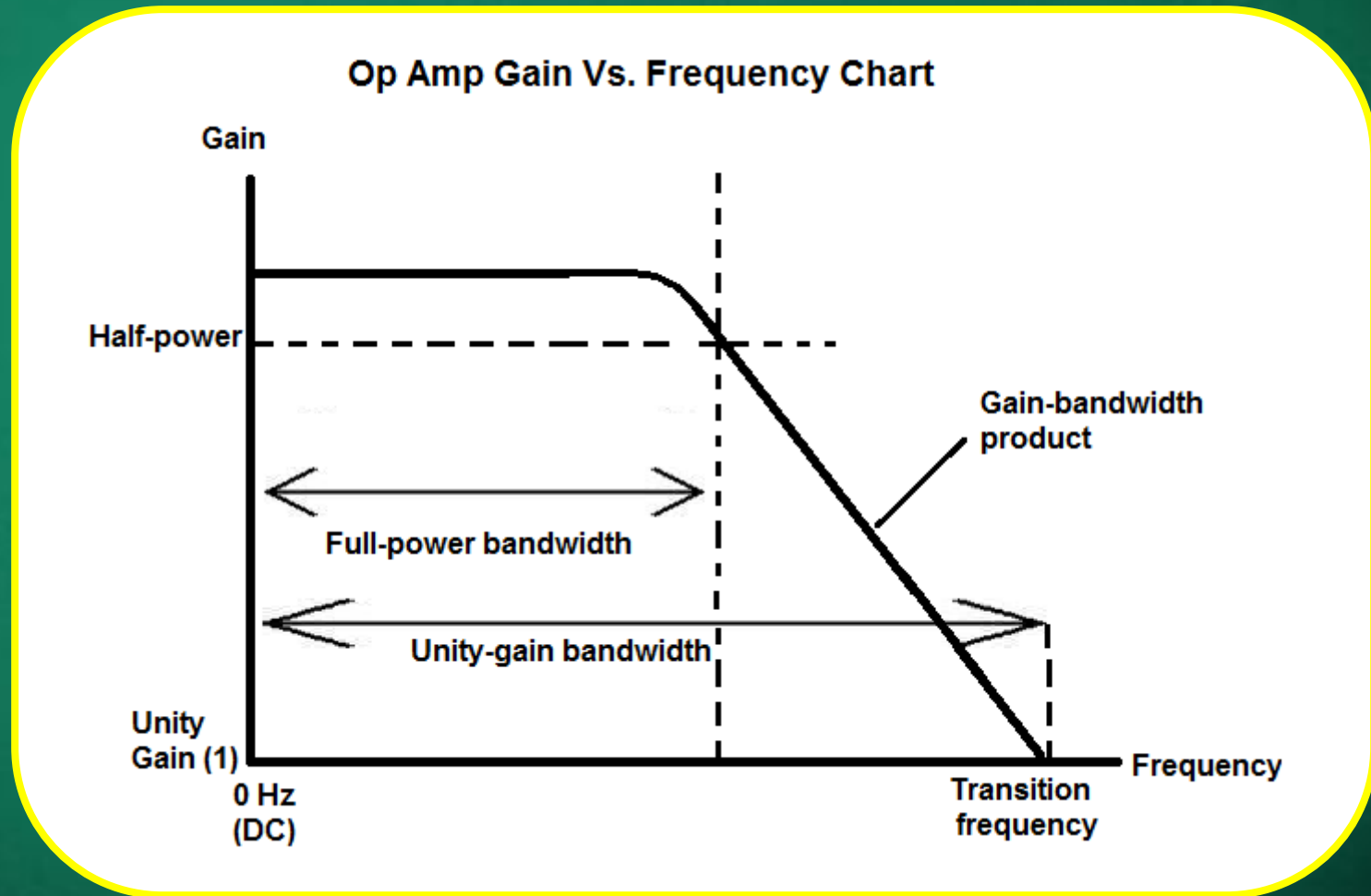
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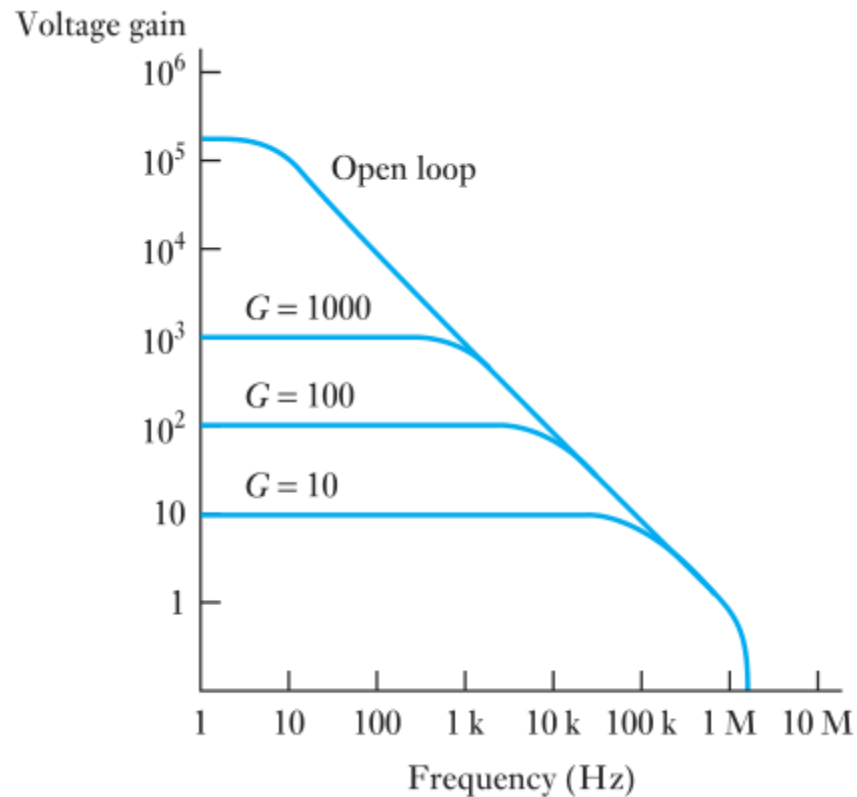
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- ☐ Any electronic device work only in a limited range of frequencies.
- ☐ This range of frequencies is called **bandwidth**.
- ☐ Op-amp has also limited frequency range of operation.
- ☐ The bandwidth of an op-amp depends on the closed-loop gain of the op-amp circuit.

Frequency response (Op-amp)



Frequency Characteristics (741)



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□ GBW can be used to find

- Maximum value of A_{CL} at a given frequency.
- The value of f_2 for a given A_{CL} .

Gain Bandwidth Product

□ Conclusion

- Higher the value of A_{CL} , narrower is frequency response.
- Lower the value of A_{CL} , broader is frequency response.

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- ❑ The maximum operating frequency (f_{max}) of an op-amp is given by

$$f_{max} = \frac{\text{slew rate}}{2\pi V_{pk}}$$

V_{pk} is the peak of output voltage

Slew Rate

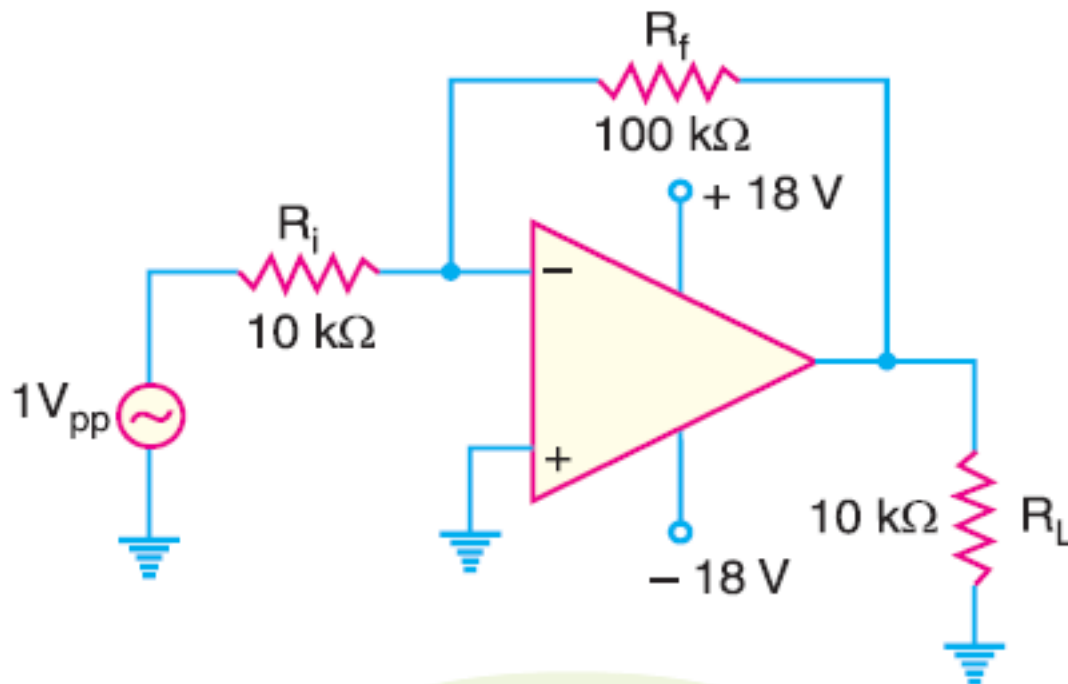
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- ❑ Exceeding maximum operating frequency results in distortion of the output waveform.

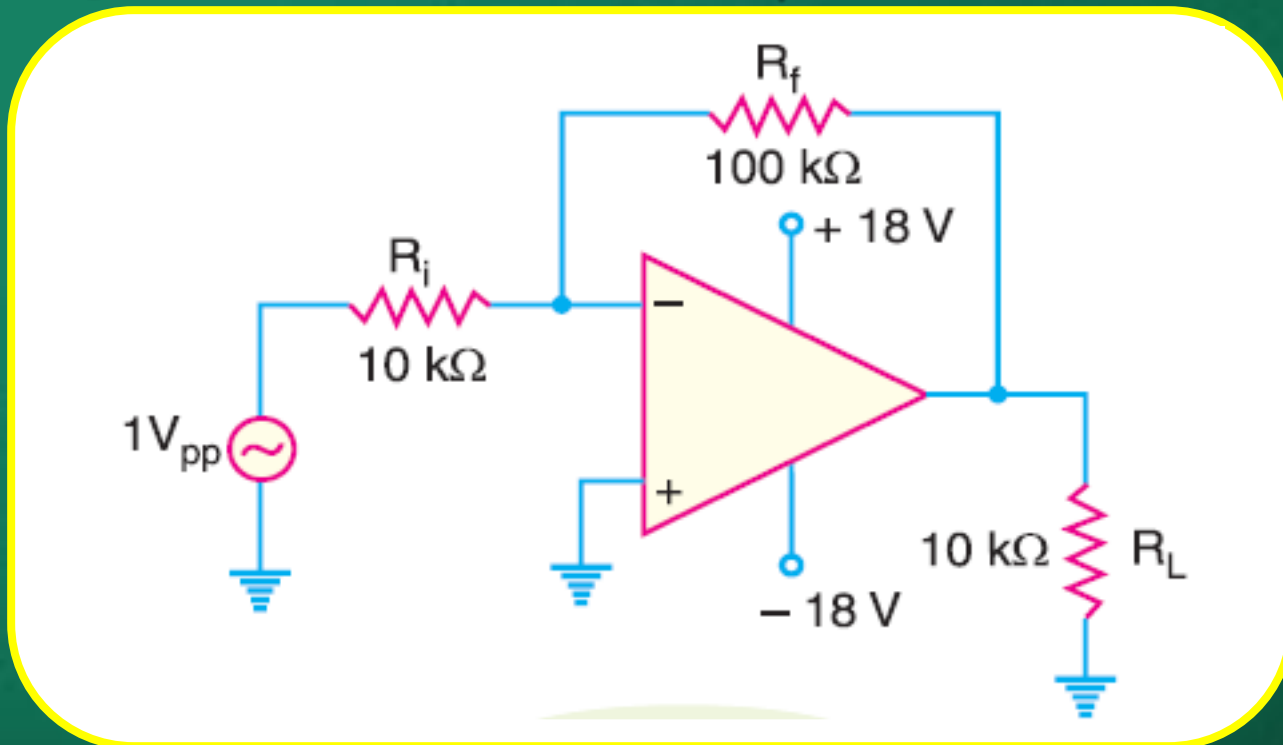
Example

For the circuit shown, find the closed-loop gain, input impedance of the circuit, maximum operating frequency if slew rate is $0.5 \text{ V}/\mu\text{s}$.



Example

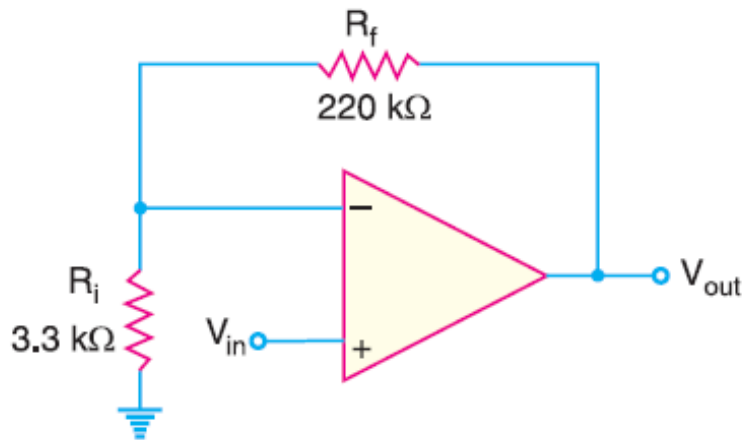
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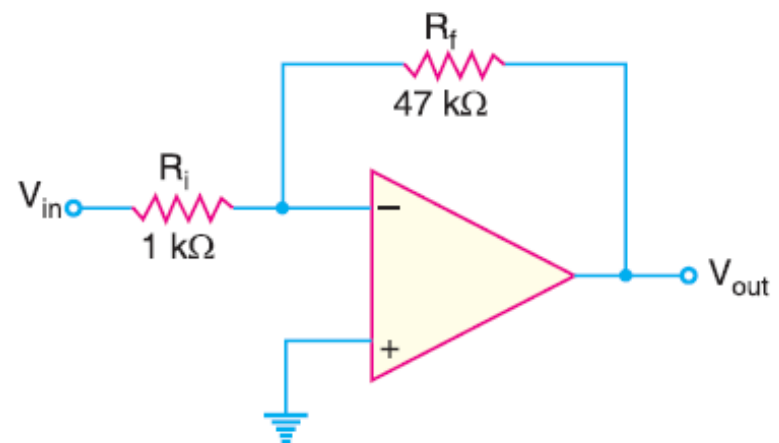
Answer: -10, $10 \text{ K}\Omega$, $0.5 \text{ V}/\mu\text{s}$, 15.9 KHz

Example

Determine the bandwidth of each of the amplifier circuits shown below. Both the op-amps have open loop gain of 100 dB and unity gain bandwidth of 3 MHz.



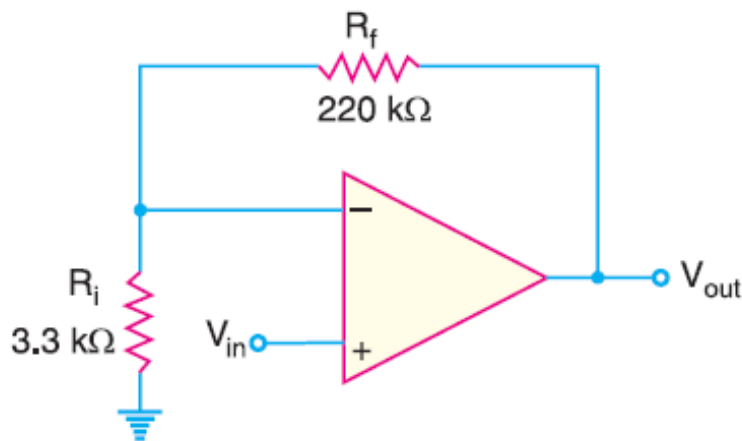
(i)



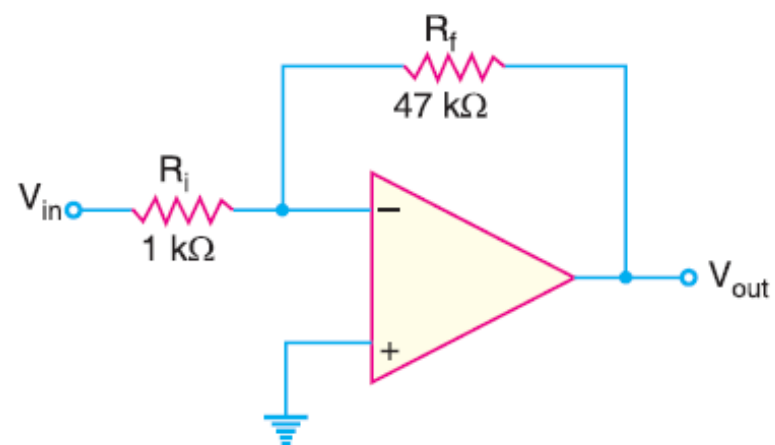
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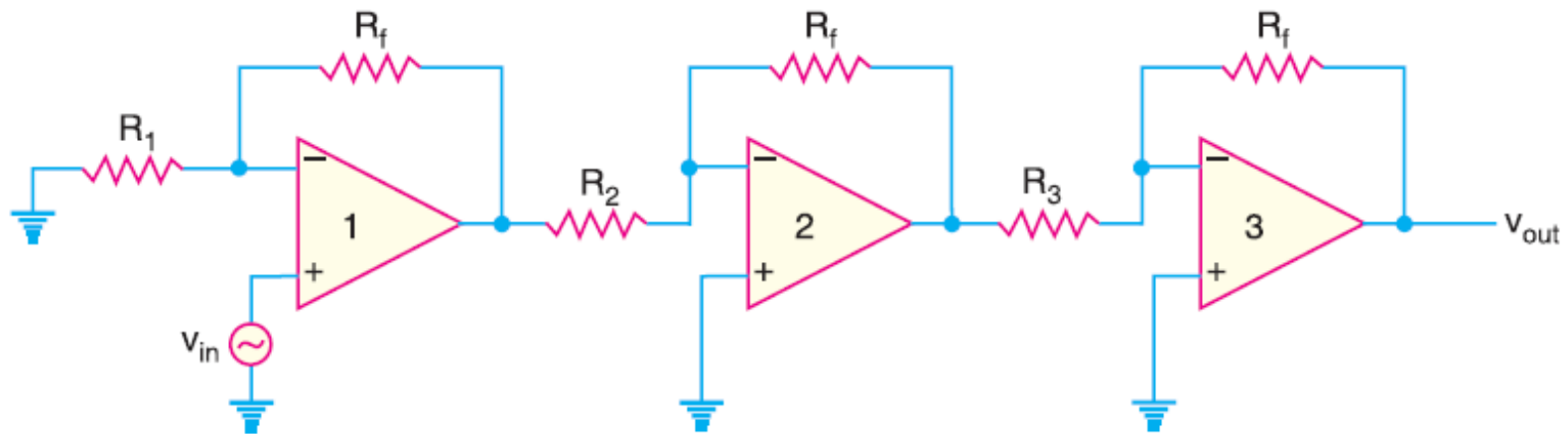


(ii)

Answer: 44.3 kHz, 63.8 kHz

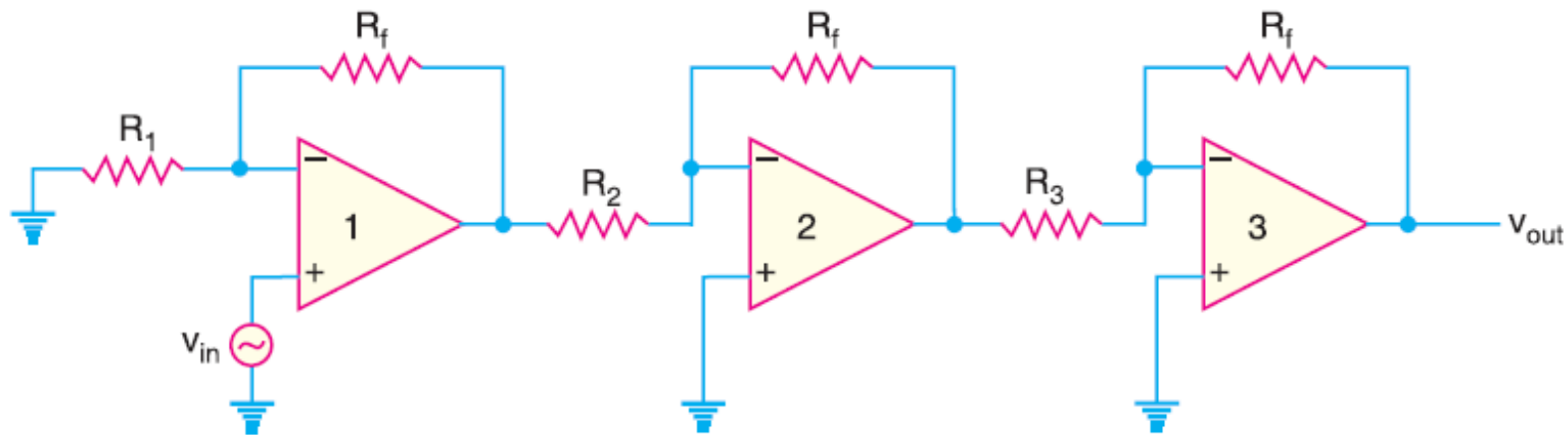
Multistage Op-amp Circuits

When number of op-amp circuits are connected in cascade, the overall gain is the product individual op-amp circuit gains.



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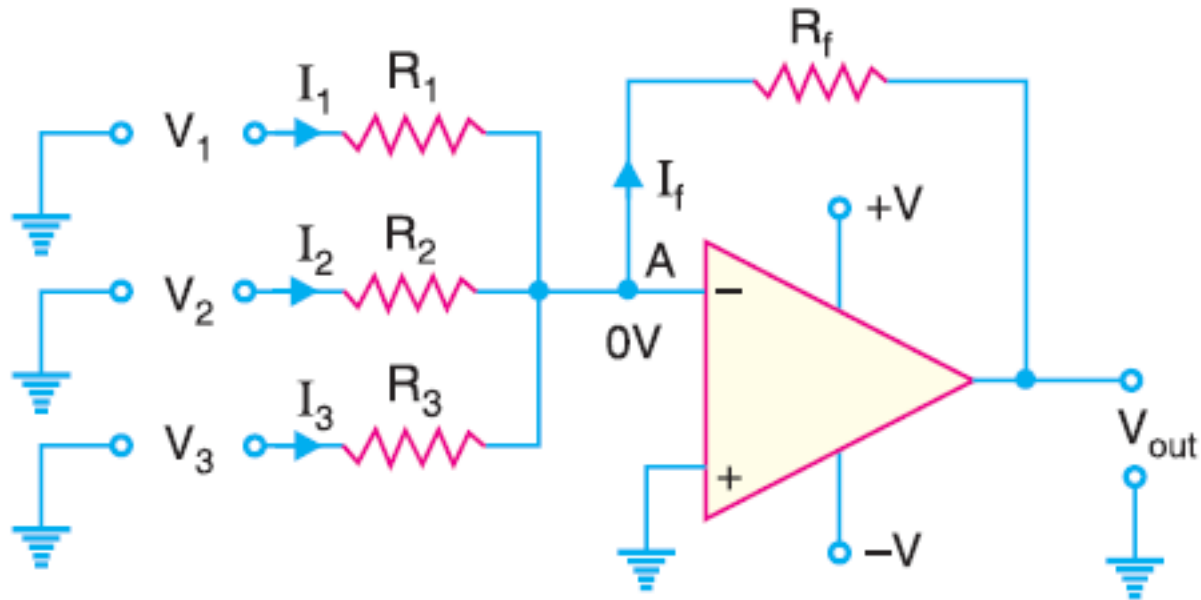
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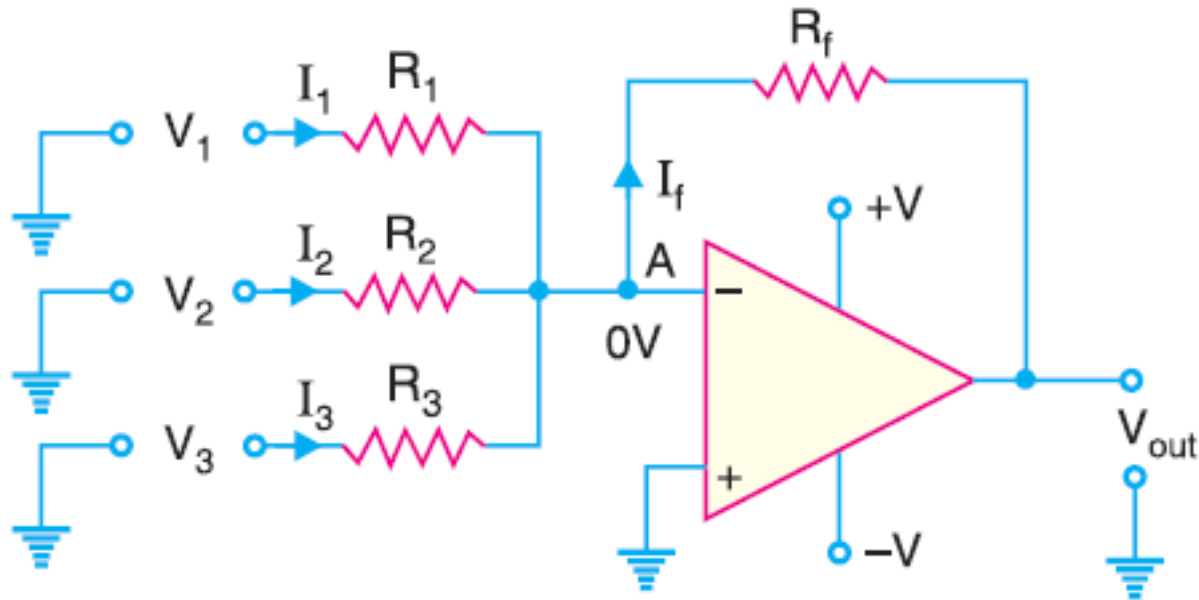
Overall gain is $V_{out}/V_{in} = A = A_1 A_2 A_3$

where $A_1 = (1 + R_f/R_1)$; $A_2 = -(R_f/R_2)$ and $A_3 = (-R_f/R_3)$

Summing Amplifier



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