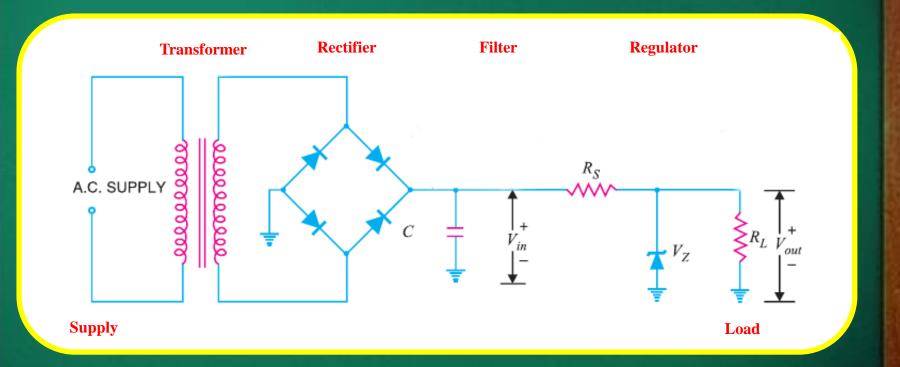
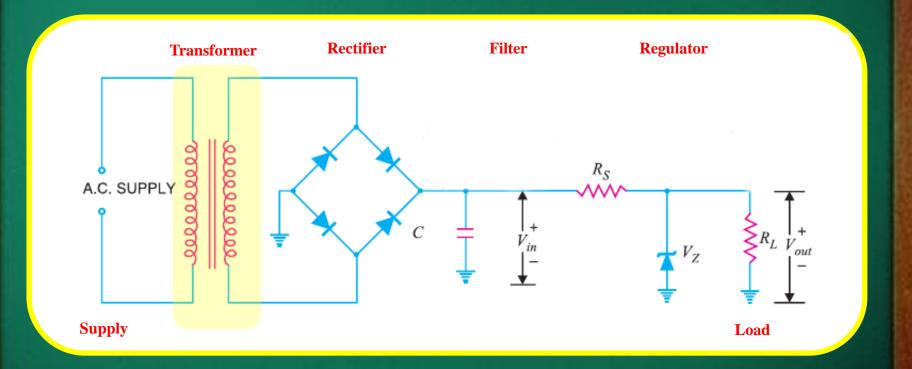
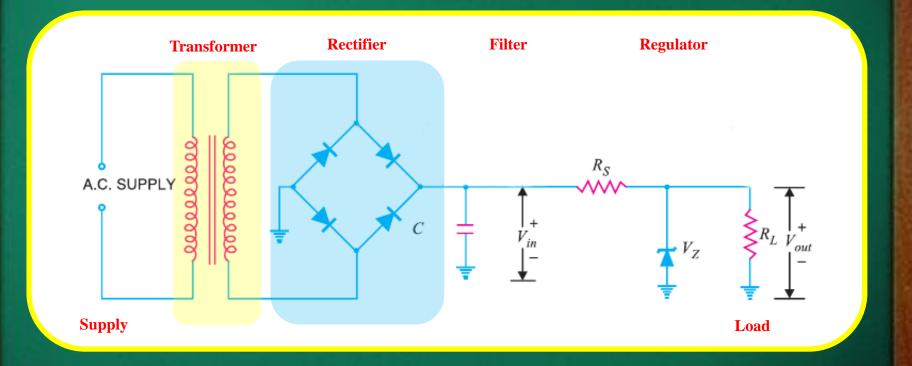
Basic Electronic Circuits (IEC-103)

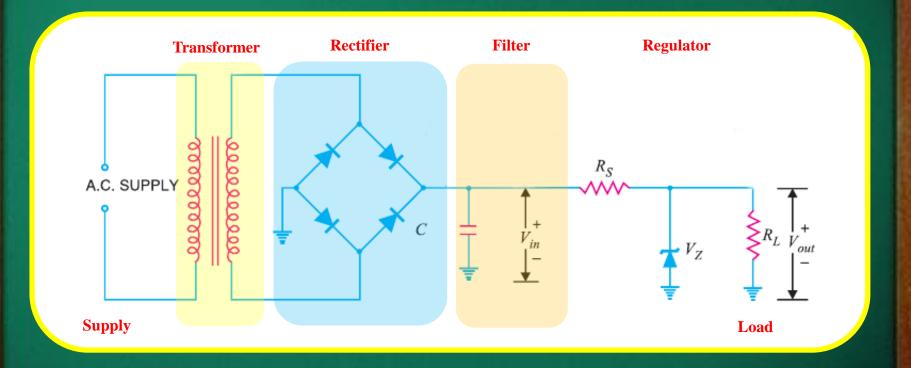
Lecture-12

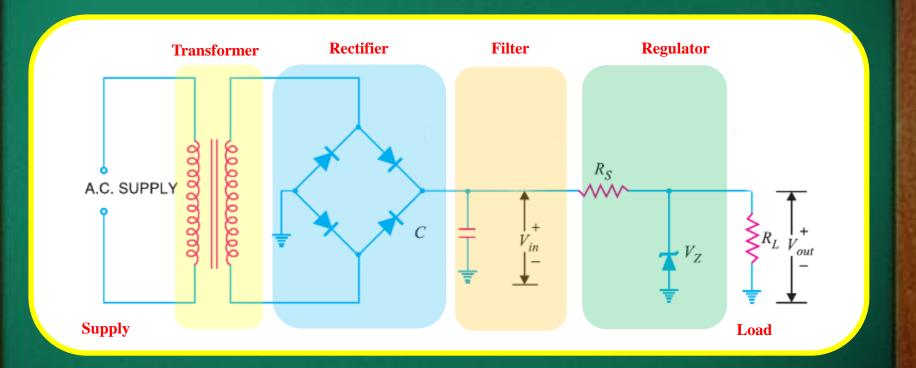
DC Power Supplies

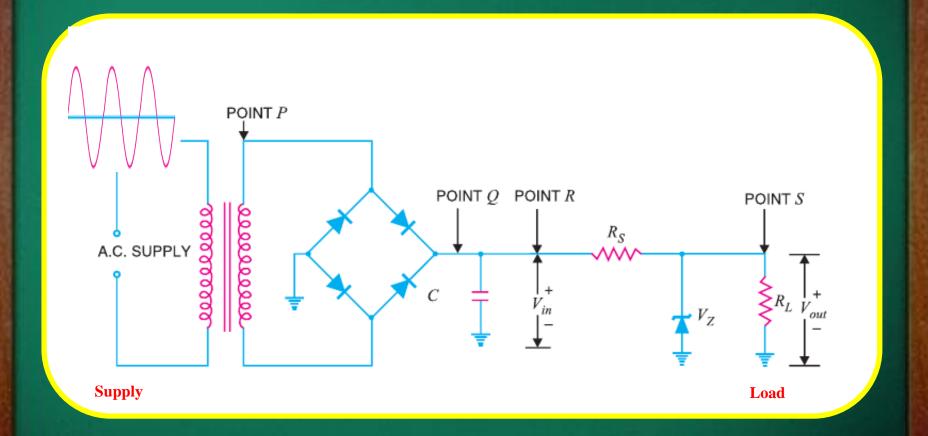


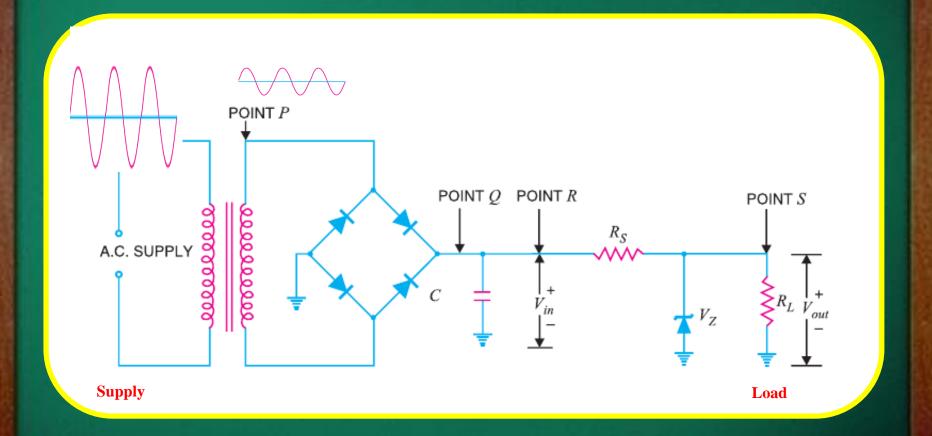


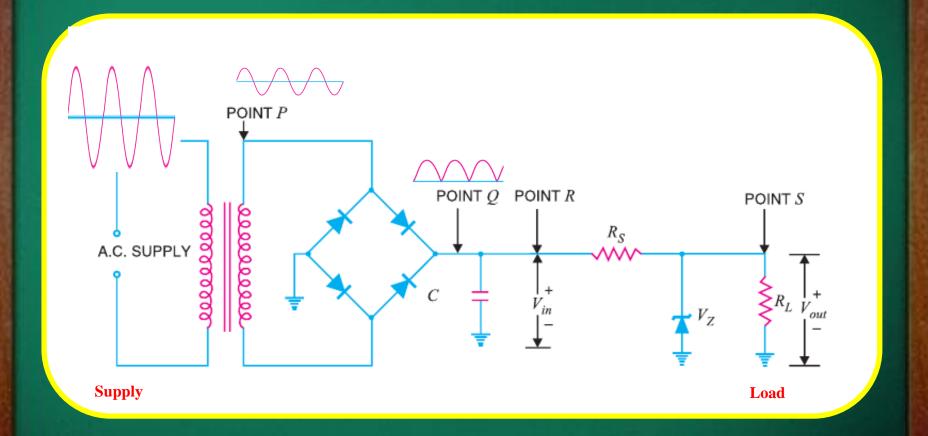


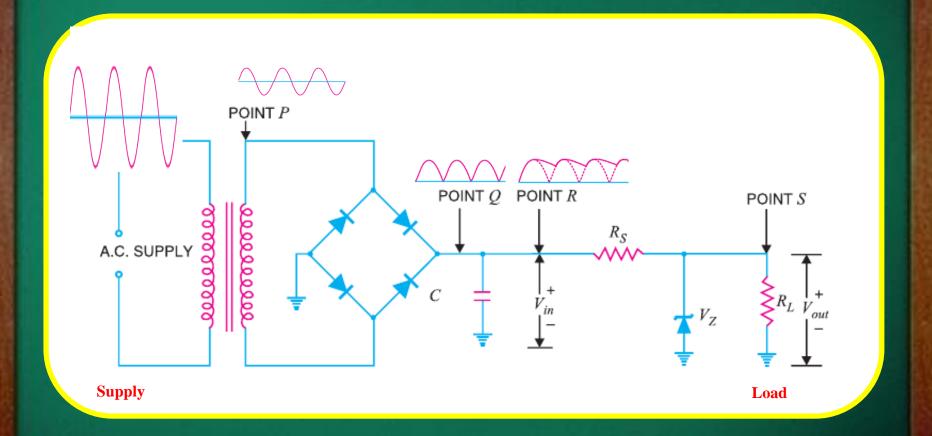


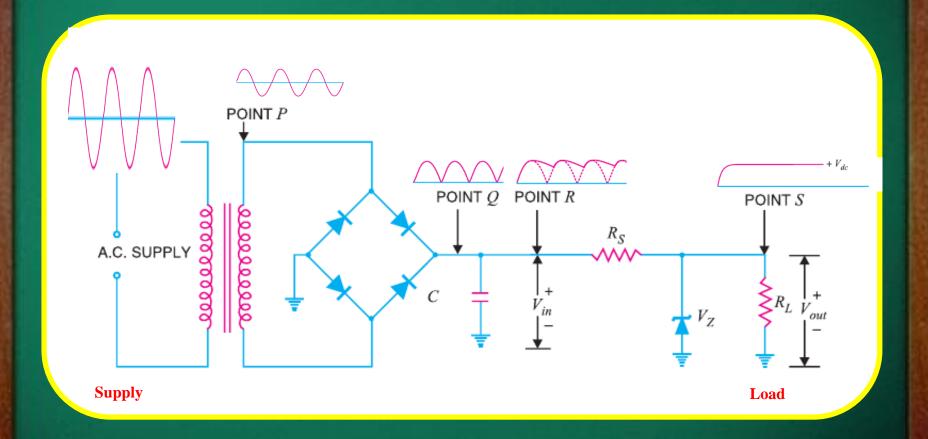












☐ Ripple Factor: The ratio of rms value of AC to DC component of a signal.

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$$\gamma = \frac{V_{ac}}{V_{dc}} = \frac{\sqrt{V_{rms}^{2} - V_{dc}^{2}}}{V_{dc}}$$

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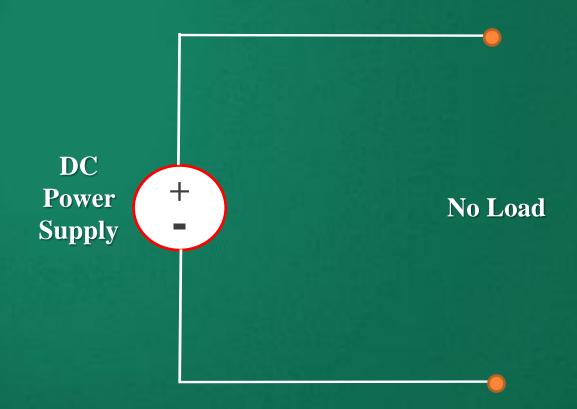
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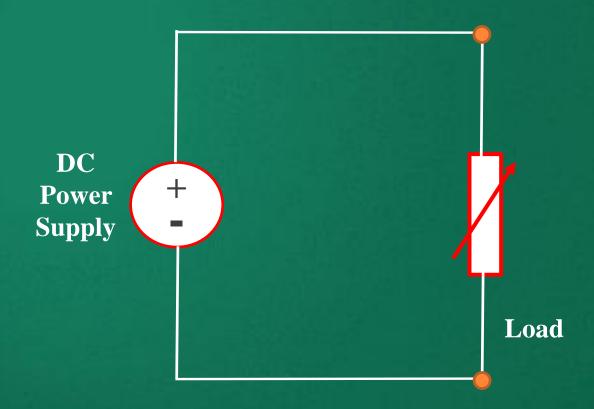
$$\% LR = \frac{V_{NL} - V_{FL}}{V_{FL}} \times 100$$

No Load & Full Load for a Voltage Source

No Load & Full Load



No Load & Full Load



Transformer is an AC device which can step up or step down AC voltages.

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- Secondly transformer isolates the rectifier circuit from power line and thus reduces the risk of electric shock.

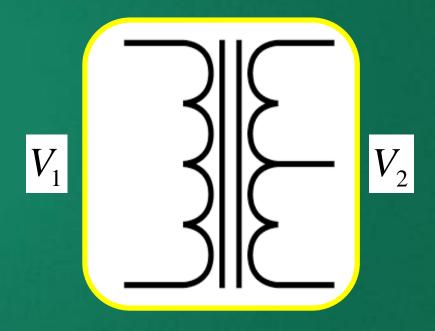
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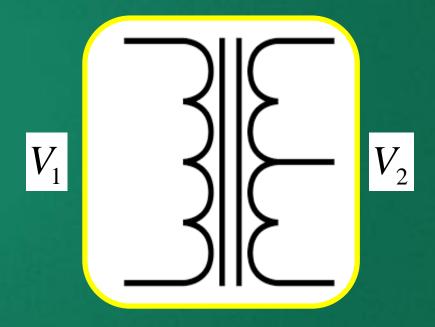


Without Centre Tap



With Centre Tap





$$\frac{V_2}{V_1} = \frac{N_2}{N_1}$$

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- ☐ Can be classified into two types
 - Half wave rectifiers
 - Full wave rectifiers

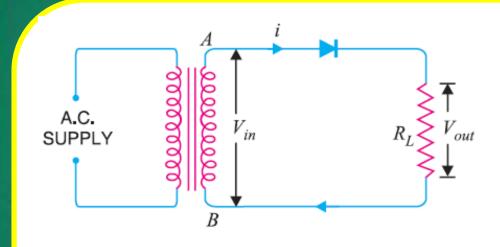
Diode Equivalent Circuits

S.No.	Type	Model	Characteristic
1.	Approximate model	+ V ₀ r _f - IDEAL DIODE	$ \begin{array}{c c} & I_F \\ \hline & / \\ \hline & 0 & V_0 \end{array} $
2.	Simplified model	+ V ₀ - IDEAL DIODE	$ \begin{array}{c c} & I_F \\ \hline & V_0 \\ \hline & V_F \end{array} $
3.	Ideal Model	†	V_F

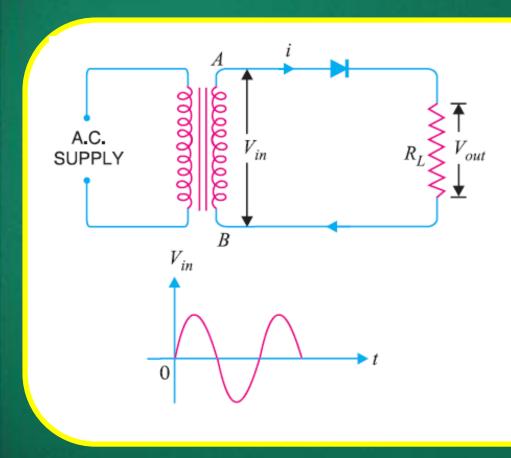
Diode Equivalent Circuits

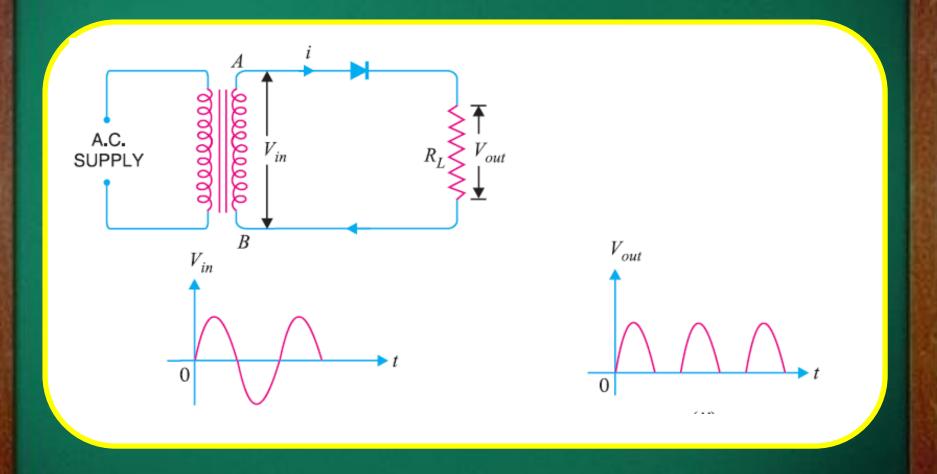
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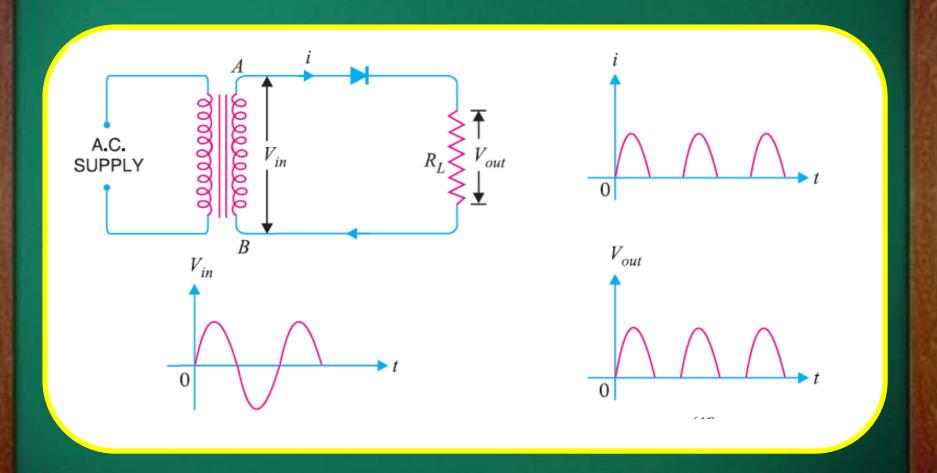
Half Wave Rectifier



Half Wave Rectifier







$$\gamma = \frac{V_{ac}}{V_{dc}} = \frac{\sqrt{V_{rms}^2 - V_{dc}^2}}{V_{dc}} = \frac{1}{2}\sqrt{\pi^2 - 4} = 1.21$$

□ Ripple Factor

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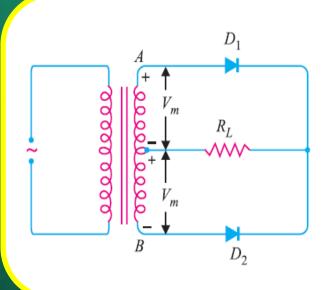
☐ The ripple content is high, so an elaborate filter is required to produce steady current.

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- ☐ The ripple content is high, so an elaborate filter is required to produce steady current.
- ☐ It delivers power only half the time, therefore output is low.

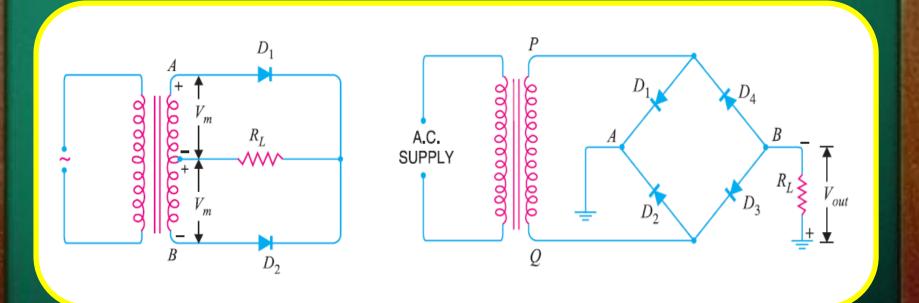
Full Wave Rectifiers

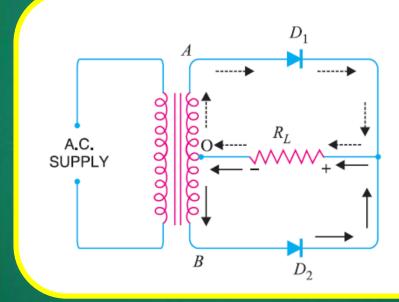
- ☐ Full Wave Rectifiers
 - Centre-Tap Full Wave Rectifier

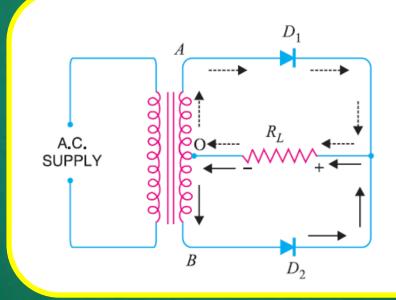


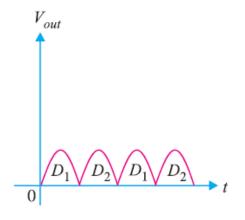
Full Wave Rectifiers

- ☐ Full Wave Rectifiers
 - Centre-Tap Full Wave Rectifier
 - Full Wave Bridge Rectifier









$$\gamma = \frac{V_{ac}}{V_{dc}} = \frac{\sqrt{V_{rms}^2 - V_{dc}^2}}{V_{dc}} = \frac{\sqrt{\pi^2 - 8}}{2\sqrt{2}} = 0.48$$

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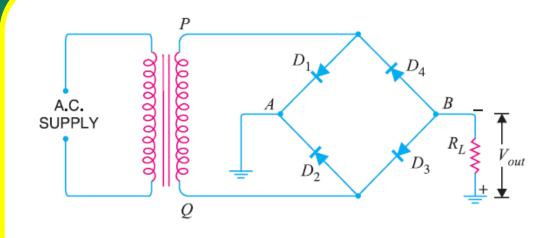
☐ Transformer with centre-tap is needed.

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- ☐ Transformer with centre-tap is needed.
- \square The diodes must have high PIV (2 $V_{\rm m}$).
- ☐ The DC output is small because each diode utilizes only one half of the transformer's secondary voltage



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- Need for centre tapped transformer is eliminated
- ☐ The output is twice that of centre tap circuit for same secondary voltage.
- ☐ The PIV is half that of centre tap circuit (for same DC output).
- ☐ It requires 4 diodes.

Rectifier Efficiency = $\frac{DC Power Output}{Input AC Power}$

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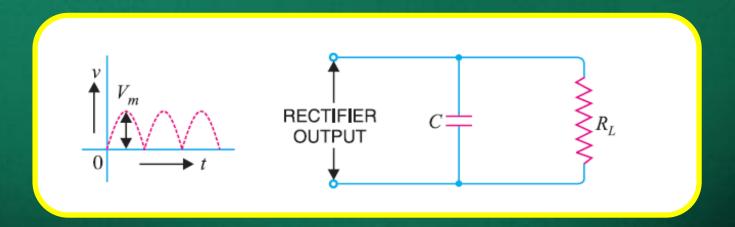
Rectifier efficiency of full wave rectifier is 81.2%.

☐ The rectifier produces a pulsating DC with high ripple content.

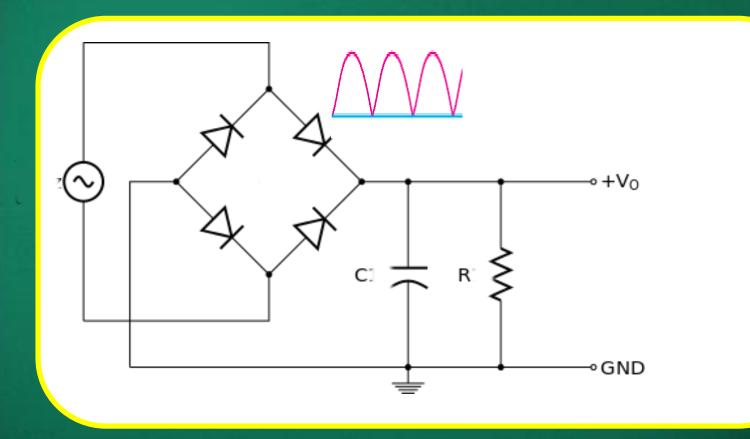
- The rectifier produces a pulsating DC with high ripple content.
- ☐ There filter is used to reduce pulsations and create almost a smooth DC output across the load.

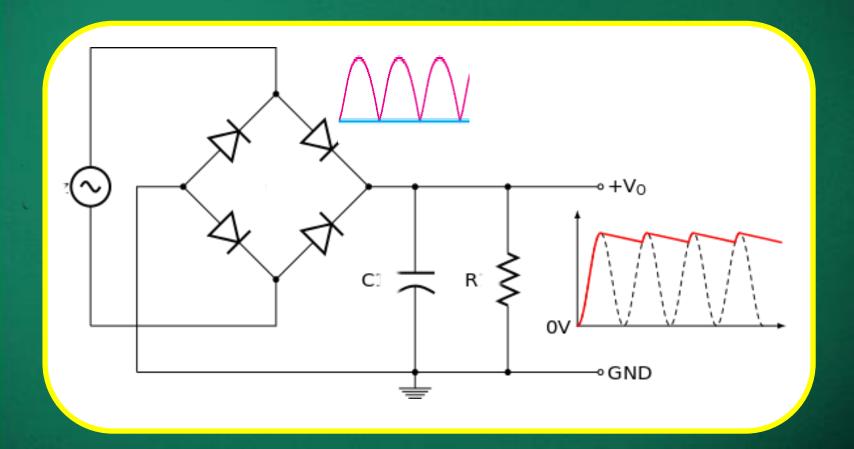
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Capacitor Filter





☐ Ripple Factor (Full Wave Rectifier)

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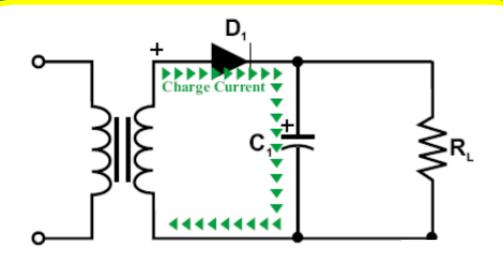
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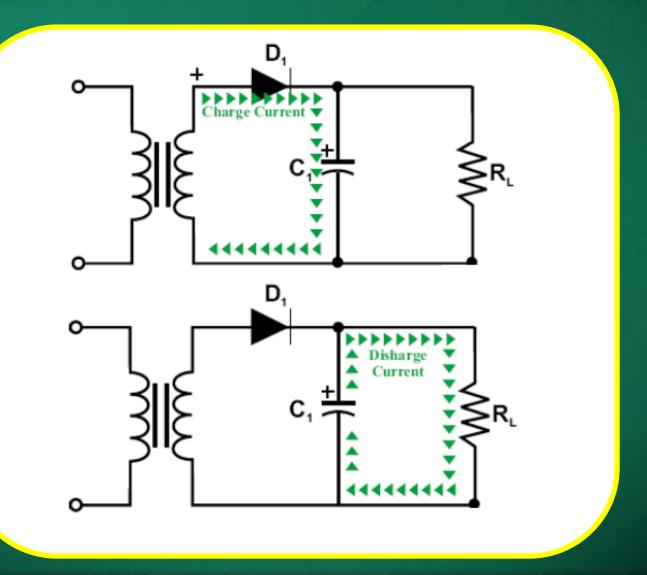
☐ Larger the value of capacitor, lesser will be the ripple.

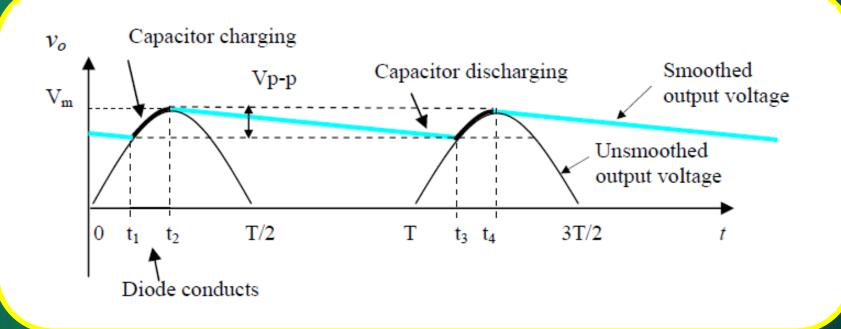
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- ☐ Larger the value of capacitor, lesser will be the ripple.
- ☐ If the load is connected across the filter, the power supply is termed as unregulated power supply.







☐ Charge removed from the capacitor during discharge cycle (t₂ to t₃)

 \Box Charge removed from the capacitor during discharge cycle (t_2 to t_3)

$$\Delta \mathbf{Q} = I_L(t_3 - t_2) \cong I_L T$$

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where I_L is the average load current and T is the time period of the AC voltage.

$$I_L = \frac{V_{avg}}{R_L} \cong \frac{V_m}{R_L}$$

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$$C = \frac{I_L T}{V_{p-p}}$$
 Farads

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□ Ripple Factor

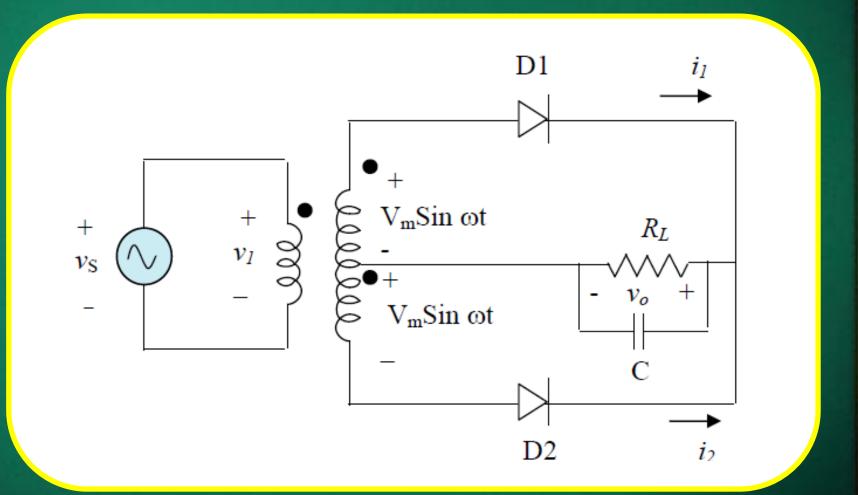
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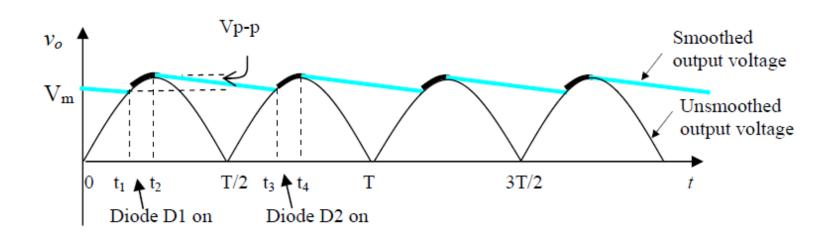
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- ☐ If the load is connected across the filter (without regulator), the power supply is termed as unregulated power supply.





Ripple Factor

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