

6

0

0

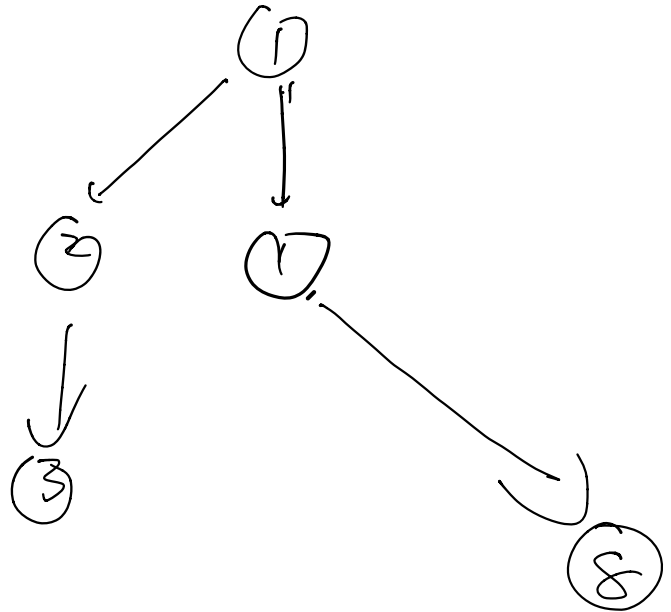
0

0

方文量

$$len = \overbrace{\max}^{\text{max}} \underbrace{\text{min}}_{\text{min}} (c, b, ) - \underline{a.} \underline{tl.}$$

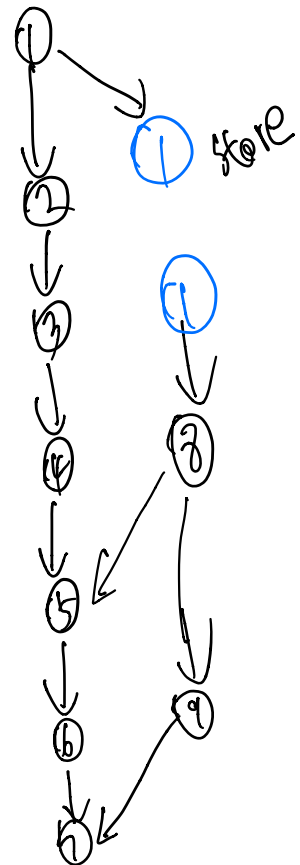
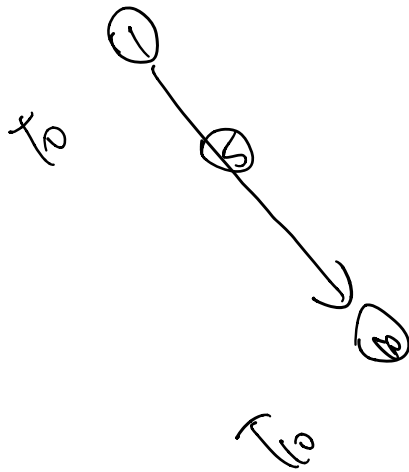
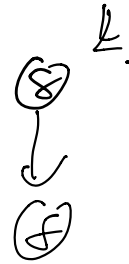
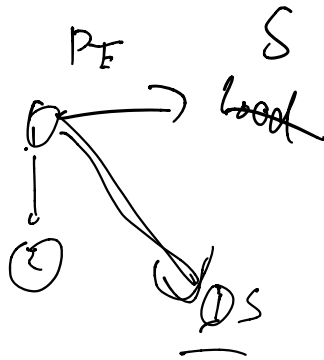
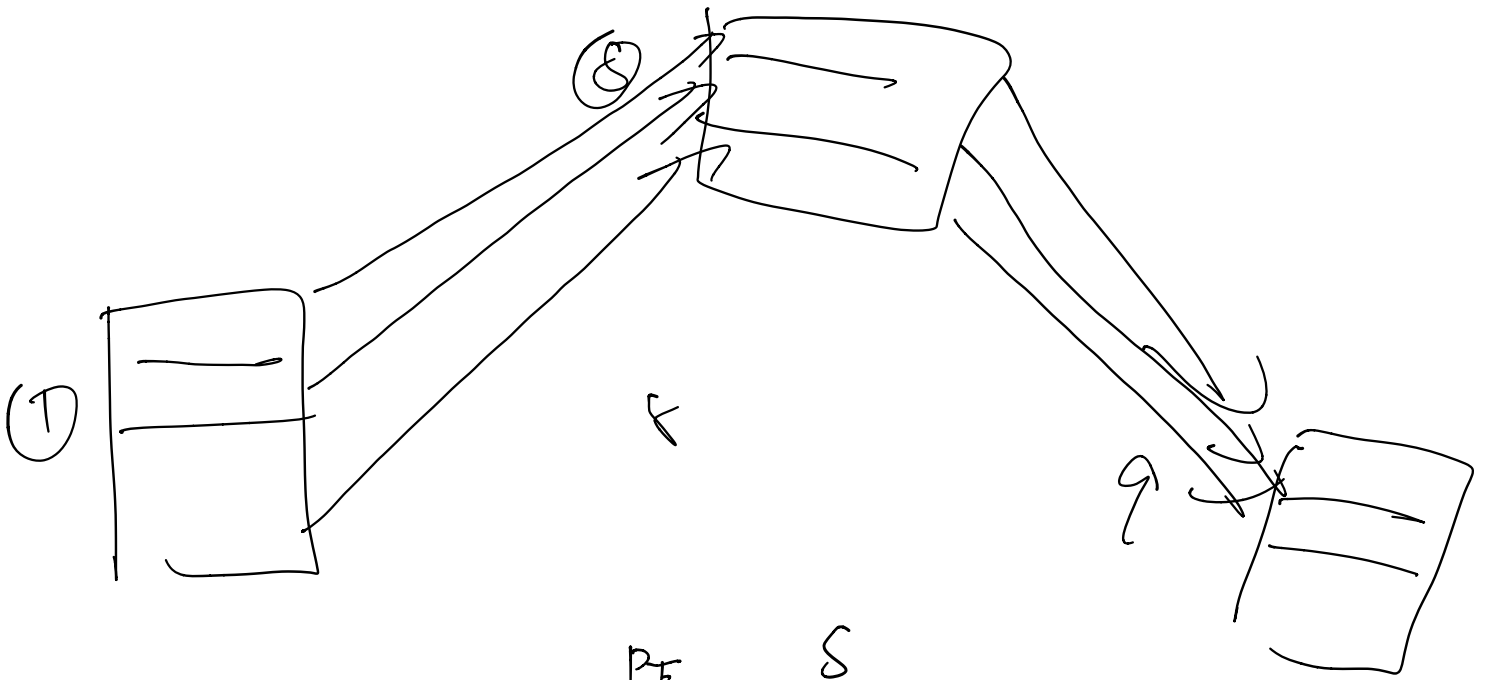
x100
x101
x102

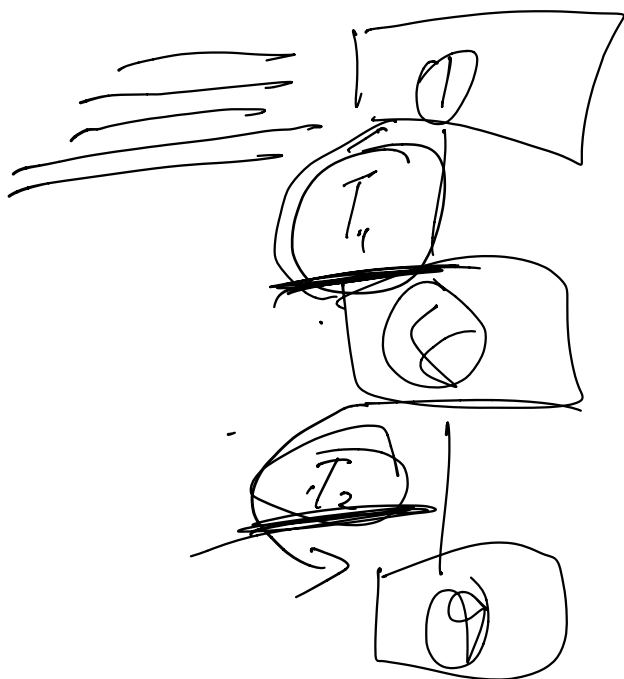
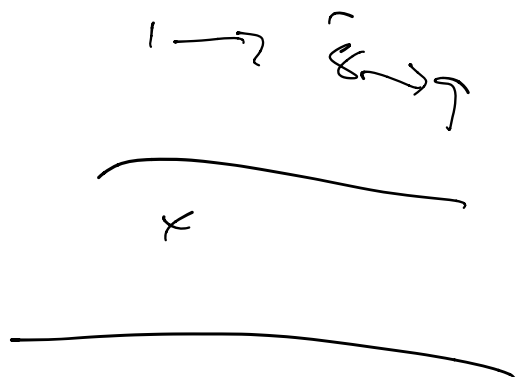
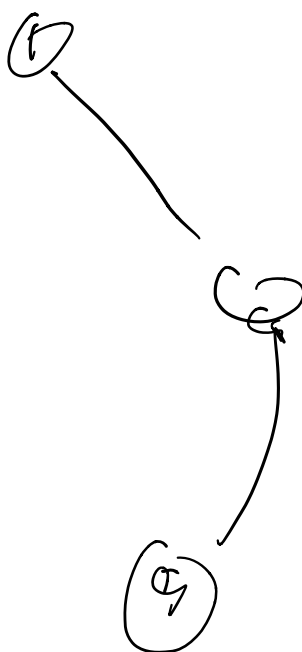


①

8

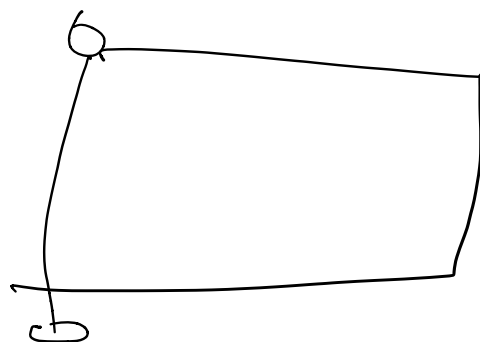
9

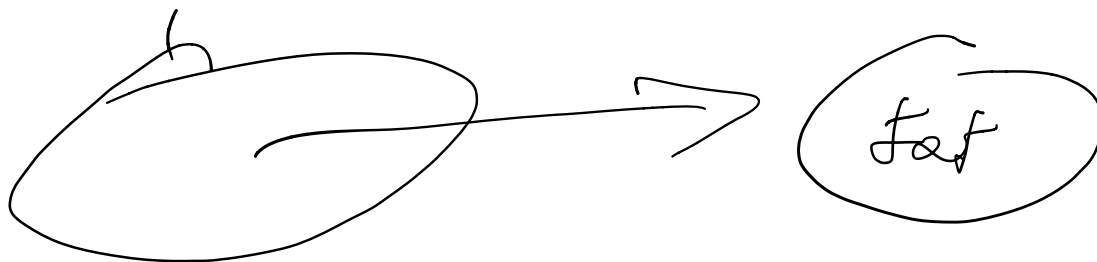




最终

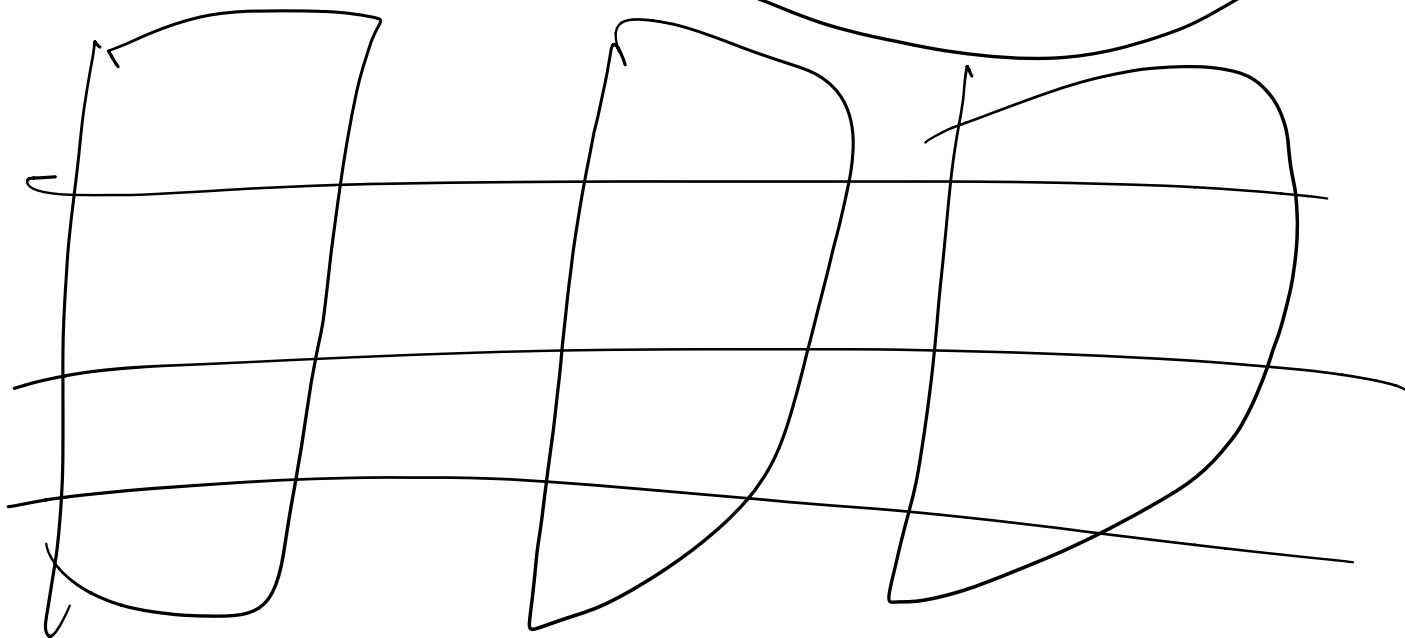
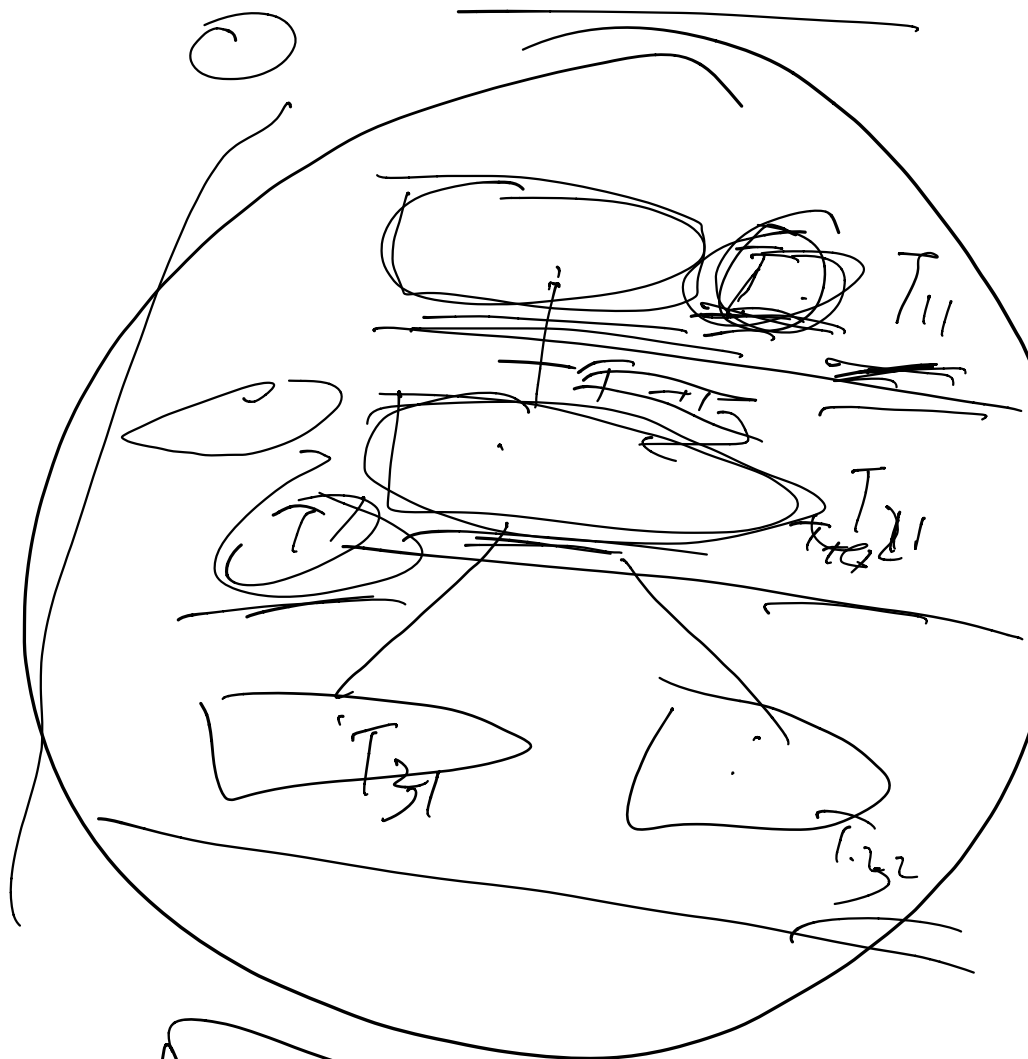
④ 路径.





Norm - it

PE





	x	y	z
1	1	0	0
1	1	0	0
1	1	0	0
1	1	0	0
1	1	0	0
0	0	1	0
0	0	0	0
0	0	0	0
0	0	0	0
0	0	0	0

x	y	z
1	0	0
1	0	1
1	0	0
1	0	0

x	y	z
0	0	0
<del>0</del>	1	0
0	0	0
0	0	1

①  $x_i + y_i + z_i \leq 1$  : 不能同时存在

②  $\sum_{i=1}^n \text{abs}(x_i - x_{i-1}) \leq 2$  : 只有一段连续1

③  $x_i \cdot (x_i - x_{i-1}) \leq \frac{x_{i-1} + x_i}{2} \cdot \frac{z_{i-1} + z_i}{2}$  父子均有

④ for time in  $\phi \rightarrow \text{end}$ :  $\text{pe pass}$   
 tot = 0  
 for son in cur point.getSonList():  
 tot += x[son][time] ✓

tot ≤ 4;

⑤  $\sum y_i \leq 1$  ,  $\sum z_i \leq 1$

⑥  $\Delta = \sum [(z_i - z_{i-1}) \cdot i - (y_i - y_{i-1}) \cdot i]$   
 opera =  $\Delta \% 2 + (\Delta + 1) \% 2$  (-1 or 1)

dis =  $(\text{II} + \Delta \cdot \text{opera}) \% \text{II} + 1$

dis ≥ T 是时间

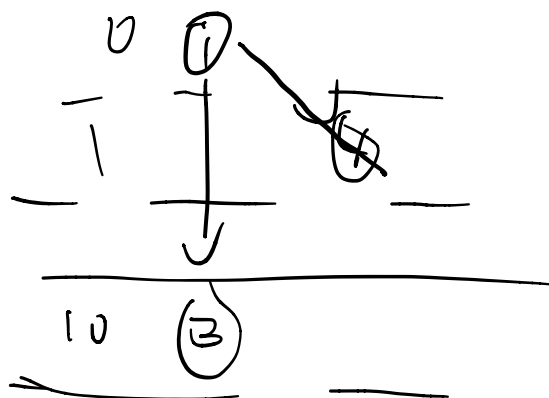
⑦ for each time  $\left\{ \begin{array}{l} \sum_{i \in \text{points}} y_{i, \text{time}} \leq \text{io limit} \\ \sum_{i \in \text{points}} z_{i, \text{time}} \leq \text{io limit} \end{array} \right.$

⑧ for each time  $\sum_{i \in \text{points}} (x_i + y_i + z_i) \leq \text{PE limit}$

	①	②	③
$T_0$	1	0	0
$T_1$	0	1	0
$T_2$	0	1	0
$T_3$	0	0	1
$T_4$	0	0	1
$T_5$			

y	6		
	6		
	6		
	0		
	1		

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$\Sigma$

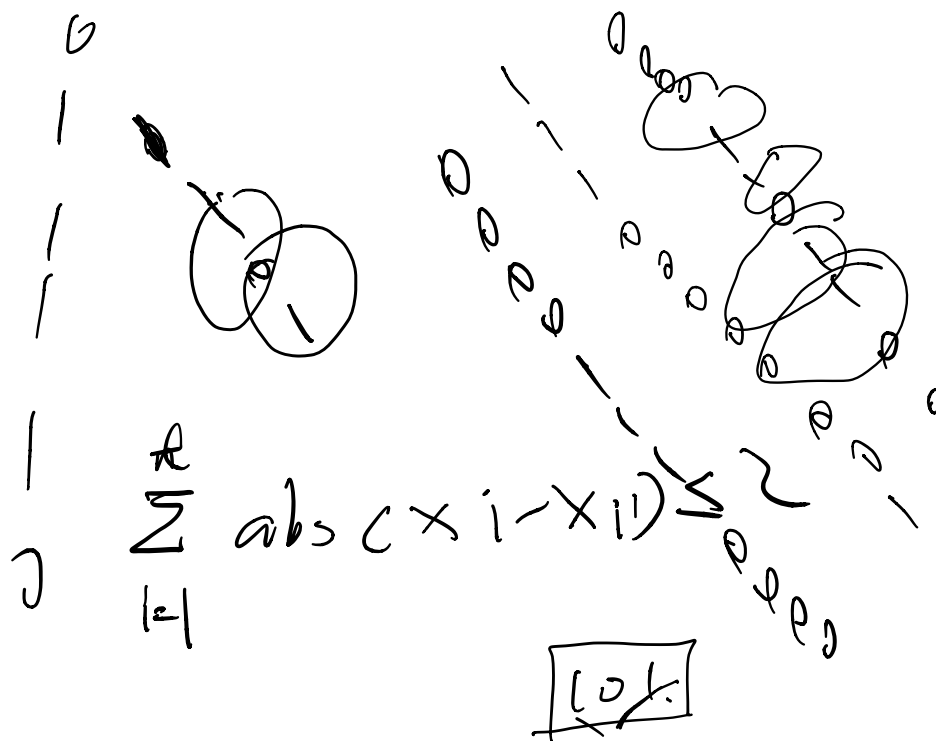
$$N_{ins} = \left[ \sum_{i \text{ in col}} \sum_{j \text{ in row}} (x_{ij} + y_{ij} + z_{ij}) \right] \text{ col len.}$$

$$N_{pe} = \max_{i \text{ in rows}} \sum_{j \text{ in row}(i)} (x_{ij} + y_{ij} + z_{ij})$$

min



|



Dezember

15