

Cambridge International Examinations
Cambridge International Advanced Subsidiary and Advanced Level

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PHYSICS

Paper 4 A Level Structured Questions

9702/42

October/November 2018

2 hours

Candidates answer on the Question Paper.

No Additional Materials are required.

READ THESE INSTRUCTIONS FIRST

Write your Centre number, candidate number and name on all the work you hand in.

Write in dark blue or black pen.

You may use an HB pencil for any diagrams or graphs.

Do not use staples, paper clips, glue or correction fluid.

DO NOT WRITE IN ANY BARCODES.

Answer **all** questions.

Electronic calculators may be used.

You may lose marks if you do not show your working or if you do not use appropriate units.

At the end of the examination, fasten all your work securely together.

The number of marks is given in brackets [] at the end of each question or part question.

This document consists of **27** printed pages and **1** blank page.

Data

speed of light in free space	$c = 3.00 \times 10^8 \text{ m s}^{-1}$
permeability of free space	$\mu_0 = 4\pi \times 10^{-7} \text{ H m}^{-1}$
permittivity of free space	$\epsilon_0 = 8.85 \times 10^{-12} \text{ F m}^{-1}$
	$(\frac{1}{4\pi\epsilon_0} = 8.99 \times 10^9 \text{ N C}^{-1}\text{m}^{-1})$
elementary charge	$e = 1.60 \times 10^{-19} \text{ C}$
the Planck constant	$h = 6.63 \times 10^{-34} \text{ J s}$
unified atomic mass unit	$1 \text{ u} = 1.66 \times 10^{-27} \text{ kg}$
rest mass of electron	$m_e = 9.11 \times 10^{-31} \text{ kg}$
rest mass of proton	$m_p = 1.67 \times 10^{-27} \text{ kg}$
molar gas constant	$R = 8.31 \text{ J K}^{-1} \text{ mol}^{-1}$
the Avogadro constant	$N_A = 6.02 \times 10^{23} \text{ mol}^{-1}$
the Boltzmann constant	$k = 1.38 \times 10^{-23} \text{ J K}^{-1}$
gravitational constant	$G = 6.67 \times 10^{-11} \text{ N m}^2 \text{ kg}^{-2}$
acceleration of free fall	$g = 9.81 \text{ m s}^{-2}$

Formulae

uniformly accelerated motion

$$s = ut + \frac{1}{2}at^2$$

$$v^2 = u^2 + 2as$$

work done on/by a gas

$$W = p\Delta V$$

gravitational potential

$$\phi = - \frac{Gm}{r}$$

hydrostatic pressure

$$p = \rho gh$$

pressure of an ideal gas

$$p = \frac{1}{3} \frac{Nm}{V} \langle c^2 \rangle$$

simple harmonic motion

$$a = -\omega^2 x$$

velocity of particle in s.h.m.

$$v = v_0 \cos \omega t$$

$$v = \pm \omega \sqrt{(x_0^2 - x^2)}$$

Doppler effect

$$f_o = \frac{f_s v}{v \pm v_s}$$

electric potential

$$V = \frac{Q}{4\pi\epsilon_0 r}$$

capacitors in series

$$1/C = 1/C_1 + 1/C_2 + \dots$$

capacitors in parallel

$$C = C_1 + C_2 + \dots$$

energy of charged capacitor

$$W = \frac{1}{2} QV$$

electric current

$$I = Anvq$$

resistors in series

$$R = R_1 + R_2 + \dots$$

resistors in parallel

$$1/R = 1/R_1 + 1/R_2 + \dots$$

Hall voltage

$$V_H = \frac{BI}{ntq}$$

alternating current/voltage

$$x = x_0 \sin \omega t$$

radioactive decay

$$x = x_0 \exp(-\lambda t)$$

decay constant

$$\lambda = \frac{0.693}{t_{\frac{1}{2}}}$$

Answer **all** the questions in the spaces provided.

- 1 (a) (i) State what is meant by *gravitational field strength*.

.....
.....
.....

[1]

- (ii) Explain why, at the surface of a planet, gravitational field strength is numerically equal to the acceleration of free fall.

.....
acceleration = $\frac{F}{m}$, gravitational field strength is also force per unit mass
.....

[1]

- (b) An isolated uniform spherical planet has radius R .

The acceleration of free fall at the surface of the planet is g .

On Fig. 1.1, sketch a graph to show the variation of the acceleration of free fall with distance x from the centre of the planet for values of x in the range $x = R$ to $x = 4R$.

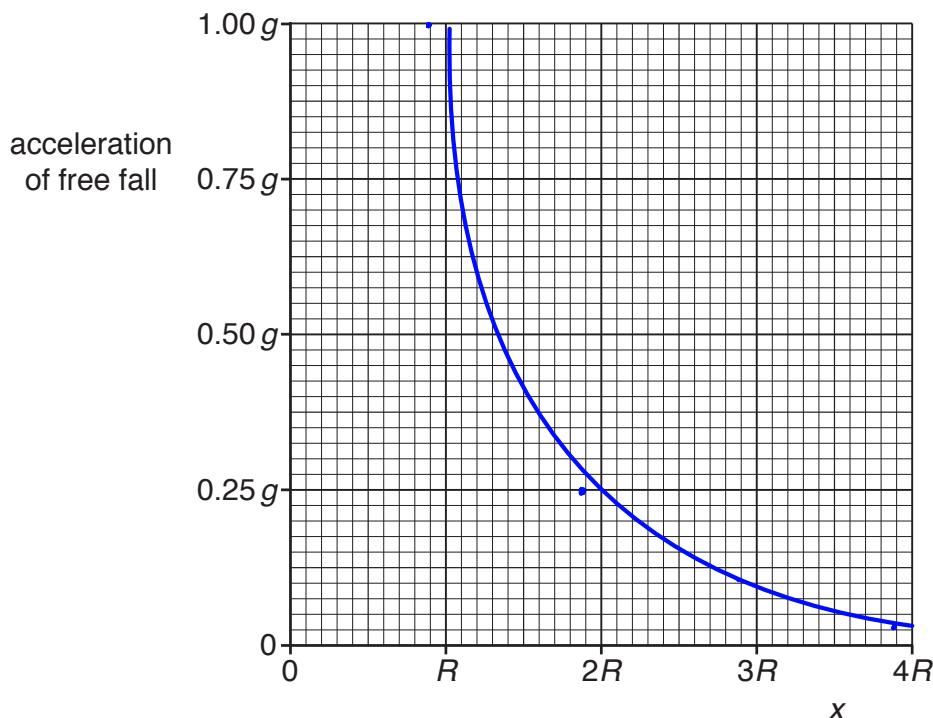


Fig. 1.1

[3]

- (c) The planet in (b) has radius R equal to 3.4×10^3 km and mean density 4.0×10^3 kg m $^{-3}$.

Calculate the acceleration of free fall at a height R above its surface.

$$g = \frac{GM}{(r+r)^2} = \frac{G \times 6.585 \times 10^{23}}{(2 \times 3.4 \times 10^6)^2} = 1.646 \times 10^0$$

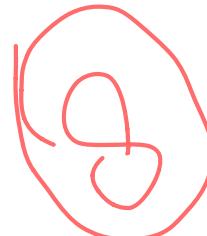
$$M = 1.646 \times 10^0 \times 4 \times 10^3$$

$$= 6.585 \times 10^{23}$$

$$= 0.950$$

acceleration of free fall = 0.95 ms $^{-2}$ [3]

[Total: 8]



- 2 (a) State what is meant by an *ideal gas*.

A gas that follows $PV = \text{constant}$, where V is volume, T is temp in Kelvin, P is pressure

[2]

- (b) An ideal gas comprised of single atoms is contained in a cylinder and has a volume of $1.84 \times 10^{-2} \text{ m}^3$ at a pressure of $2.12 \times 10^7 \text{ Pa}$.
The mass of gas in the cylinder is 3.20 kg.

- (i) Determine, to three significant figures, the root-mean-square (r.m.s.) speed of the atoms of the gas.

$$PV = \frac{1}{3}N m < c^2 >$$

$$N = \frac{V}{24}$$

$$1.84 \times 10^{-2} (2.12 \times 10^7) = \frac{1}{2}(1)(3.2) < c^2 >$$

$$\text{r.m.s. speed} = \dots \text{ms}^{-1} [3]$$

- (ii) The temperature of the gas in the cylinder is 22°C.

Determine, to three significant figures,

1. the amount, in mol, of the gas,

$$n = \frac{PV}{RT} = \frac{(2 \cdot (2 \times 10^7))(1.84 \times 10^{-2})}{8.31 \times (273 + 22)}$$

$$= 159.122$$

159
amount = mol [2]

2. the mass of one atom of the gas.

$$159 \times 6.02 \times 10^{23} = 3.2 \text{ kg}$$

$$1 = x$$

$$x = \frac{3.2}{159 \times 6.02 \times 10^{23}}$$

mass = 3.34×10^{-26} kg [2]

- (c) Use your answer in (b)(ii) part 2 to determine the nucleon number A of an atom of the gas.

$$\frac{3.3 \times 10^{-26}}{1.66 \times 10^{-27}} = 20.124$$

$A = 20$ [1]

[Total: 10]

7

- 3 (a) Define specific latent heat of fusion.

Amount of thermal energy required in order to melt a solid at a constant temperature.

(1)

[2]

- (b) A student sets up the apparatus shown in Fig. 3.1 in order to investigate the melting of ice.

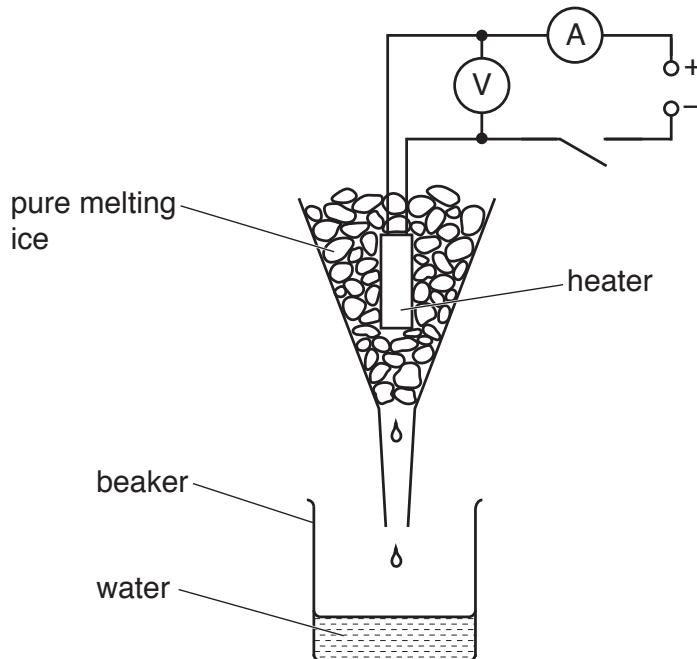


Fig. 3.1

The heater is switched on.

When the pure ice is melting at a constant rate, the data shown in Fig. 3.2 are collected.

voltmeter reading /V	ammeter reading /A	initial mass of beaker plus water/g	final mass of beaker plus water/g	time of collection /minutes
12.8	4.60	121.5	185.0	5.00

Fig. 3.2

The specific latent heat of fusion of ice is 332 J g^{-1} .

- (i) State what is observed by the student that shows that the ice is melting at a constant rate.

number of droplets ^{dropping} _{per unit time} are constant

(1)

~~(ii)~~ Use the data in Fig. 3.2 to determine the rate at which

- thermal energy is transferred to the melting ice,

$$\text{rate} = \frac{\Delta_{\text{melt}}}{63.5 \times 332} = \frac{21082}{5 \times 60} \times 10^{-3}$$

$$12.8 \times 4.6 = 58.88$$

?
 2.2
 5.9 $\times 10^{-3}$ W

- thermal energy is gained from the surroundings.

$$(5 \cancel{10}) 58.88 + h = 63.5 (332)$$

$$h = 34.8$$



$$\frac{34.8}{5 \times 60} \times 10^{-3}$$

$$\text{rate} = 11.4$$

[4]

[Total: 7]



- 4 A U-tube contains liquid, as shown in Fig. 4.1.

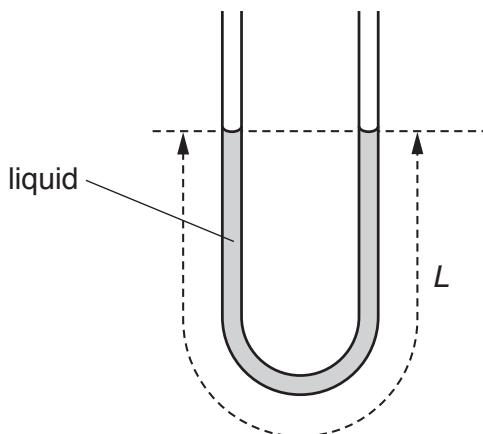


Fig. 4.1

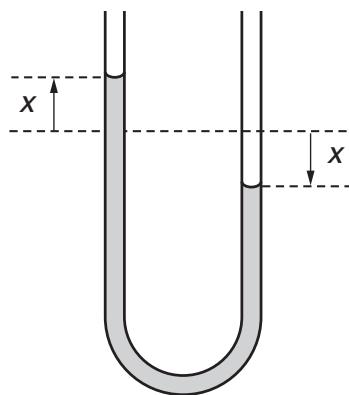


Fig. 4.2

The total length of the liquid column is L .

$$\alpha = \omega^2 - \frac{2g}{L}x$$

The column of liquid is displaced so that the change in height of the liquid level from the equilibrium position in each arm of the U-tube is x , as shown in Fig. 4.2.

The liquid in the U-tube then oscillates such that its acceleration a is given by the expression

$$a = -\left(\frac{2g}{L}\right)x$$

where g is the acceleration of free fall.

- (a) Show that the liquid column undergoes simple harmonic motion.

$$a = -\omega^2 x$$

$$a \propto \omega^2$$

$$a \propto -x$$

by comparing we can see $\omega^2 = \frac{2g}{L}$
and a is also proportional to $-x$ [2]

Waves??

grav. const
[2]

- (b) The variation with time t of the displacement x is shown in Fig. 4.3.

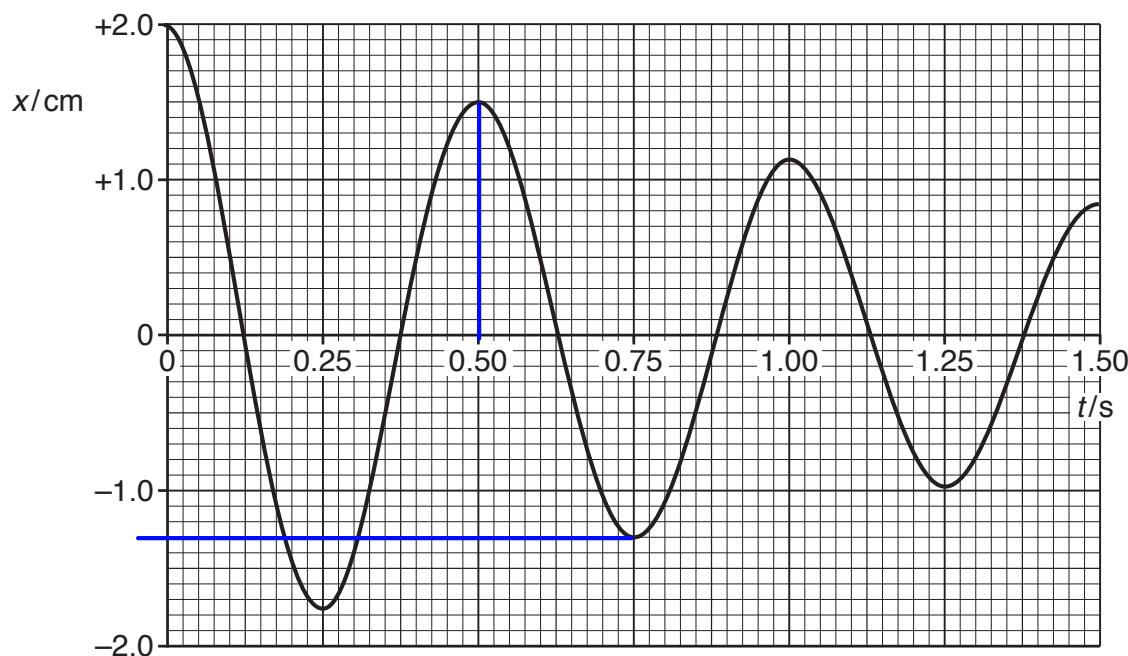


Fig. 4.3

Use data from Fig. 4.3 to determine the length L of the liquid column.

$$\begin{aligned}
 T &= 0.5 \quad \therefore \omega^2 = \left(\frac{2\pi}{0.5} \right)^2 = \frac{2g}{L} \\
 &\quad = \frac{4\pi^2}{0.25} = \frac{2g}{L} \\
 L &= \frac{2 \times g \times 0.25}{4\pi^2} = 0.124 \text{ m}
 \end{aligned}$$

$L = \dots \quad 0.12 \quad \text{m} [3]$

(c) The oscillations shown in Fig. 4.3 are damped.

(i) Suggest one cause of this damping.

loss of energy because of friction between liquid and walls of the tube

[1]

(ii) Calculate the ratio

$$\frac{\text{total energy of oscillations after 1.5 complete oscillations}}{\text{total initial energy of oscillations}}$$

$$E_r = \frac{\frac{1}{2} m \omega^2 x_{0,5}^2}{\frac{1}{2} m \omega^2 x_0^2} = \frac{(1.3)^2}{2^2} = 0.4225$$

ratio = 0.42 ✓

[Total: 8]

1

- 5 (a) In radio communication, the radio wave is usually modulated.

State what is meant by *amplitude modulation (AM)*.

amplitude of carrier wave varies in synchrony with the displacement of the information signal and the frequency of modulated carrier wave varies is constant

[2]

- (b) A sinusoidal radio carrier wave has a frequency of 900 kHz and an unmodulated amplitude measured to be 4.0 V.

- # The carrier wave is amplitude modulated by a signal of frequency 5.0 kHz.

For the amplitude modulated wave,

$$\begin{aligned} f &= k \times \\ V &= f \times \end{aligned}$$

- (i) determine the wavelength,

$$\begin{aligned} f &= \lambda \times \\ \lambda &= \frac{V}{f} = \frac{900 \times 10^6}{4} = \end{aligned}$$

$$\lambda = \frac{V}{f} = \frac{3 \times 10^8}{900000} =$$

more q's??

wavelength = 225000 m [1]

- # (ii) describe the amplitude variation,

*amplitude varies b/w min and max value
and repeats itself 5000 times a second*

[2]

- (iii) state the bandwidth.

bandwidth = 10000 Hz [1]

- (c) Communication is sometimes made using satellites in geostationary orbits that have a period of rotation about the Earth of 24 hours.

- (i) State two other features, apart from the period, of a geostationary orbit.

1. *west to east rotation*

2. *above equator*

[2]

(ii) Suggest why

1. frequencies of the order of gigahertz are used for satellite communication,
*to be able to penetrate the atmosphere
and be strong enough for it to be picked up by satellite* [1]
 2. the uplink frequency to the satellite is different from the downlink frequency.
-
.....
.....

②

[Total: 11]

3

6 (a) State

- (i) what is meant by the electric potential at a point,

work done per unit charge in bringing a small +ve test charge from infinity to a point.

[2]

- (ii) the relationship between electric potential at a point and electric field strength at the point.

- gradient of potential = E

[2]

- (b) Two similar solid metal spheres A and B, each of radius R , are situated in a vacuum such that the separation of their centres is D , as shown in Fig. 6.1.

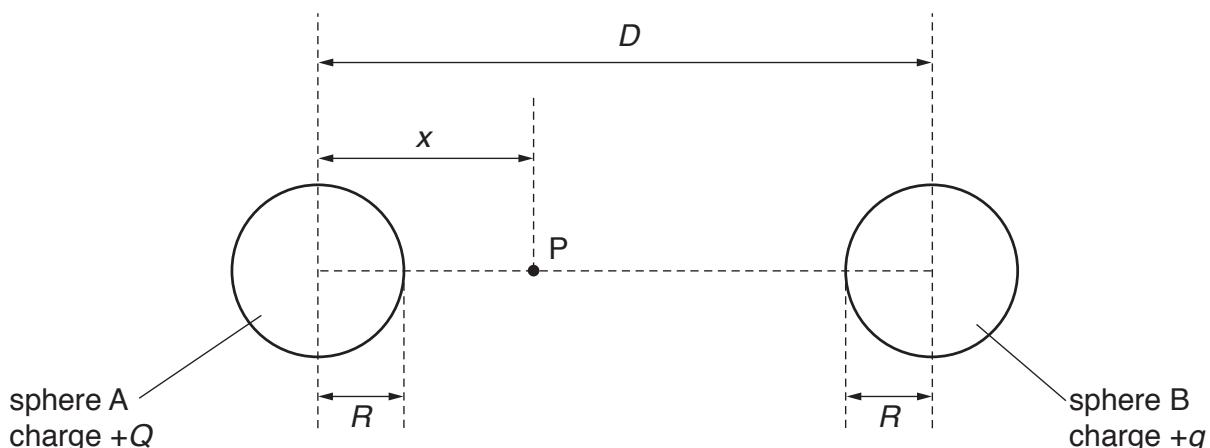


Fig. 6.1

The charge $+Q$ on sphere A is larger than the charge $+q$ on sphere B.

A movable point P is located on the line joining the centres of the two spheres.
The point P is a distance x from the centre of sphere A.

On Fig. 6.2, sketch a graph to show the variation with x of the electric potential V between the centres of the two spheres.

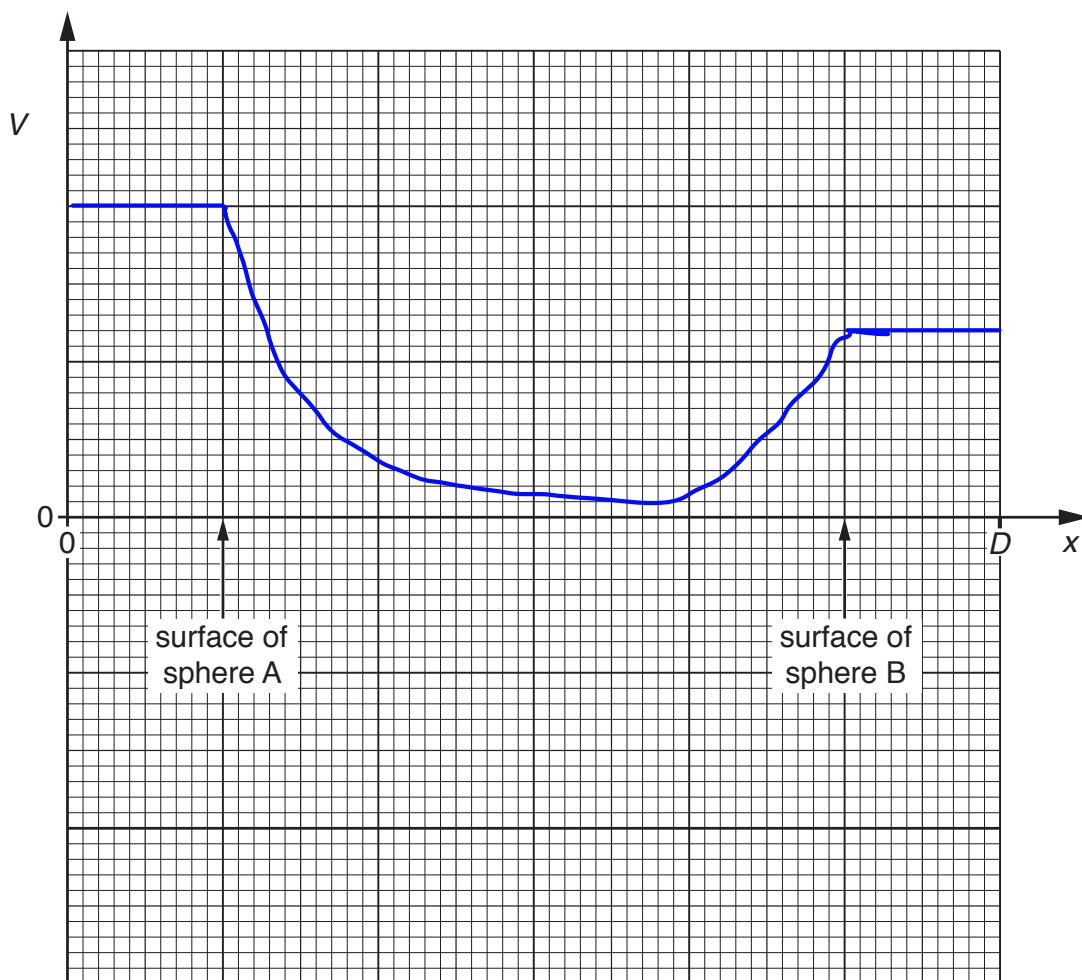


Fig. 6.2

[4]

[Total: 8]



- 7 A circuit incorporating an ideal operational amplifier (op-amp) is shown in Fig. 7.1.

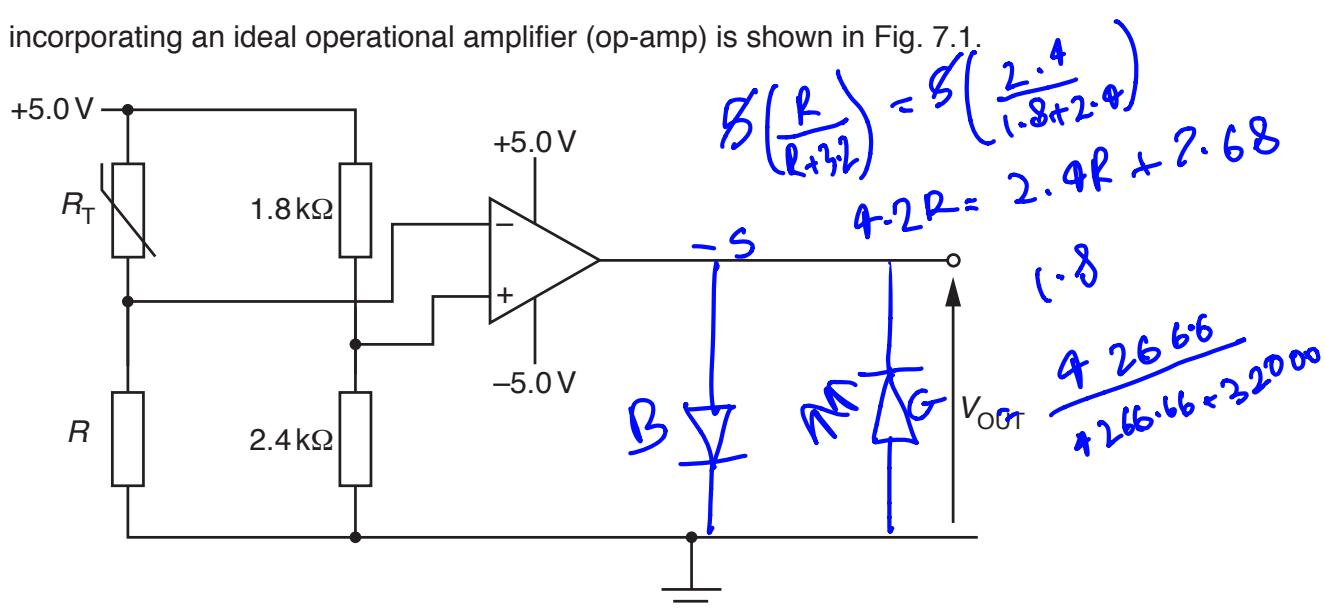


Fig. 7.1

The variation with temperature θ of the resistance R_T of the thermistor is shown in Fig. 7.2.

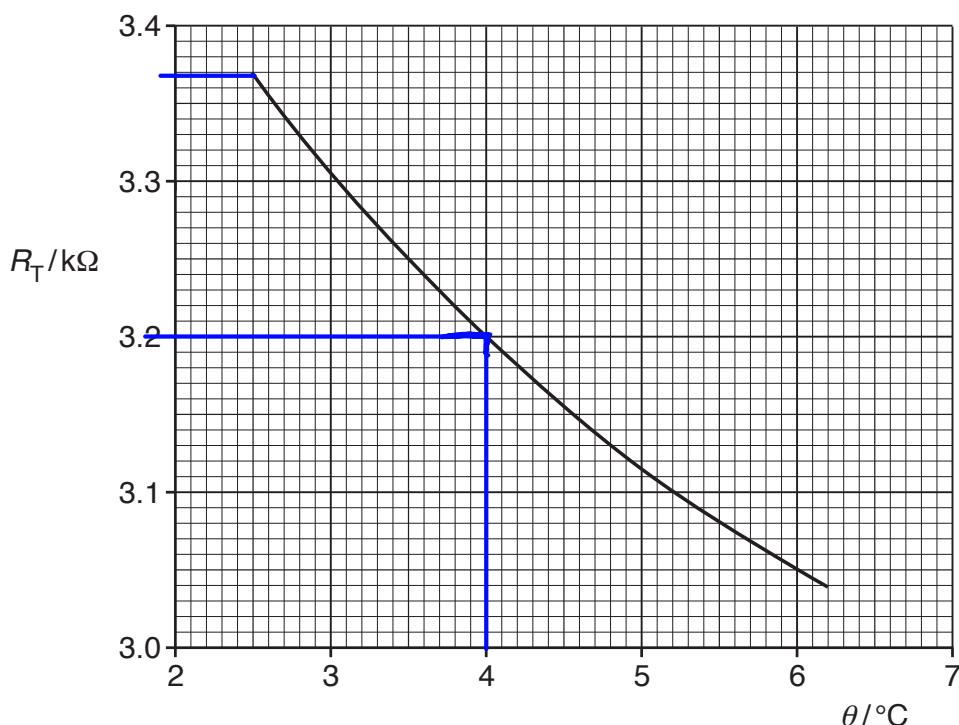


Fig. 7.2

- (a) The output potential V_{OUT} of the op-amp circuit changes sign when the temperature of the thermistor is 4.0°C .

Calculate the resistance R .

$$R_T = 3200$$

$$\frac{S_x \frac{R}{R+3200}}{S_x \frac{2400}{2900+1300}} = \frac{2400}{2900+1300}$$

$$4200R = 2400R + 7680000$$

$$1800R = 7680000$$

$$R = 4.2666 \quad R = \dots \quad 4.26 \quad 4.3 \quad \text{k}\Omega [2]$$

- (b) State and explain whether the output potential V_{OUT} is $+5.0\text{V}$ or -5.0V for a thermistor temperature of 2.5°C .

$$S_x \left(\frac{4.2666}{4.2666 + 3.7} \right) = 2.671$$

$$V^- = 2.85?$$

$$(V^+ - V^-) \text{ is negative} \therefore -5.0V$$

[3]

- (c) The output of the op-amp is to be displayed using two light-emitting diodes (LEDs) labelled G and B.

When the temperature of the thermistor is below 4.0°C , only the LED labelled G emits light. The LED labelled B emits light only when the temperature of the thermistor is above 4.0°C .

Mistaken 'dead' red
On Fig. 7.1, draw and label the symbols for the two LEDs.

[3]

[Total: 8]



- 8 (a) Define magnetic flux density.

amka

It's symbol is ϕ , $\phi = BA$, it is the magnetic flux formed via a coil perpendicular to its cross section area. B is MFS, A is CSA.

[3]

- (b) A stiff copper wire is balanced horizontally on a pivot, as shown in Fig. 8.1.

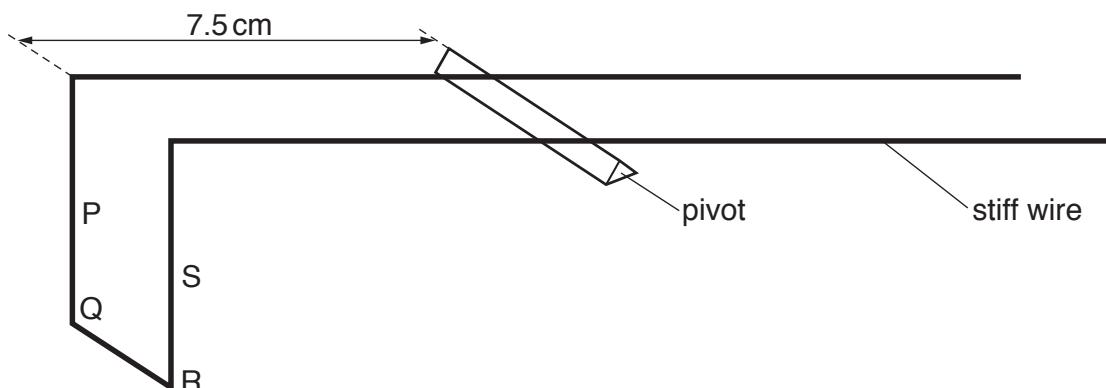


Fig. 8.1

Sections PQ, QR and RS of the wire are situated in a uniform magnetic field of flux density B produced between the poles of a permanent magnet.

The perpendicular distance of PQRS from the pivot is 7.5 cm.

When a current of 2.7 A is passed through the wire, a small mass of 45 mg is placed a distance 8.8 cm from the pivot in order to restore the balance of the wire, as shown in Fig. 8.2.

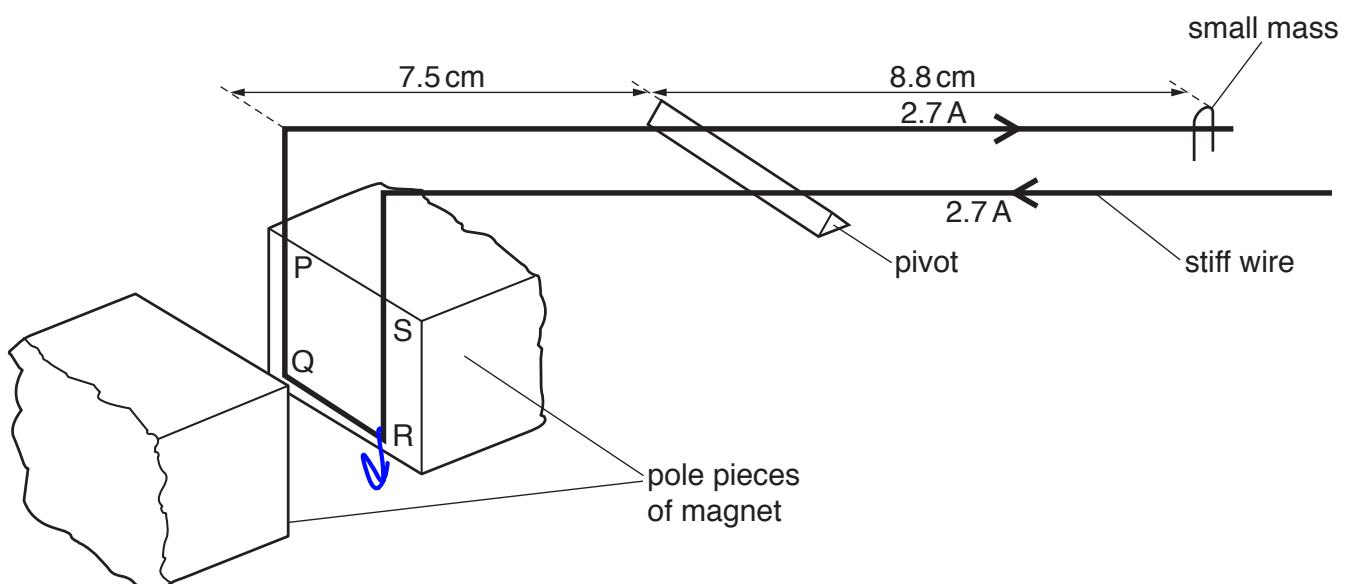


Fig. 8.2

- (i) Explain why, when the current is switched on, the current in the sections PQ and RS of the wire does not affect the balance of the wire.

force on PQ and SR is equal and opposite
so net force is 0

[2]

- (ii) The length of section QR of the wire is 1.2cm.
Calculate the magnetic flux density B .

$$m = 8.8 \times 10^{-2} \times \left(\frac{4.5 \times 10^{-3}}{1000} \right) \times 9.81$$

$$= 3.88 \times 10^{-5}$$

$$3.88 \times 10^{-5} = 0.072 F$$

$$m = 0.07 S \times f > 3.88 \times 10^{-5}$$

$$f = 4.974 \times 10^{-4}$$

$$4.974 \times 10^{-4} = B (2.7) (0.012)$$

$$B = 1.535 \times 10^{-2}$$

$$B = \underline{\underline{1.5 \times 10^{-2}}}$$

T [3]

[Total: 8]

(1)

(1)

- 9 (a) A Hall probe is placed near one end of a solenoid that has been wound on a soft-iron core, as shown in Fig. 9.1.

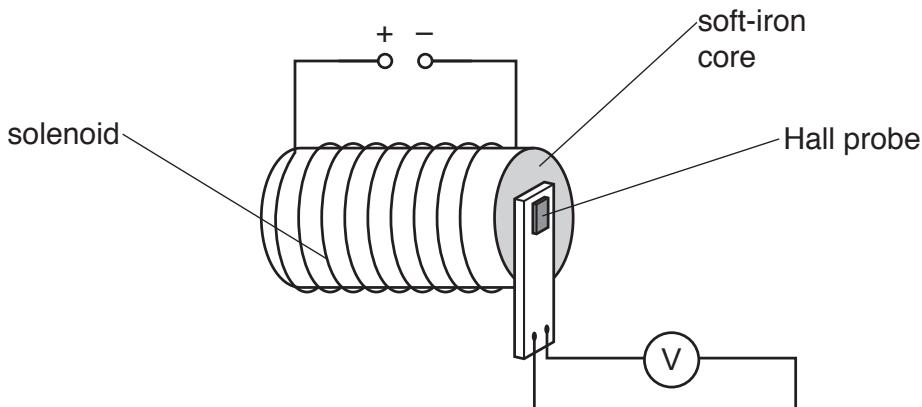


Fig. 9.1

$$V_H = \frac{B I}{n e T}$$

$V_H \propto B$

The current in the solenoid is switched on.

The Hall probe is rotated until the reading V_H on the voltmeter is maximum.

The current in the solenoid is then varied, causing the magnetic flux density to change.

The variation with time t of the magnetic flux density B at the Hall probe is shown in Fig. 9.2.

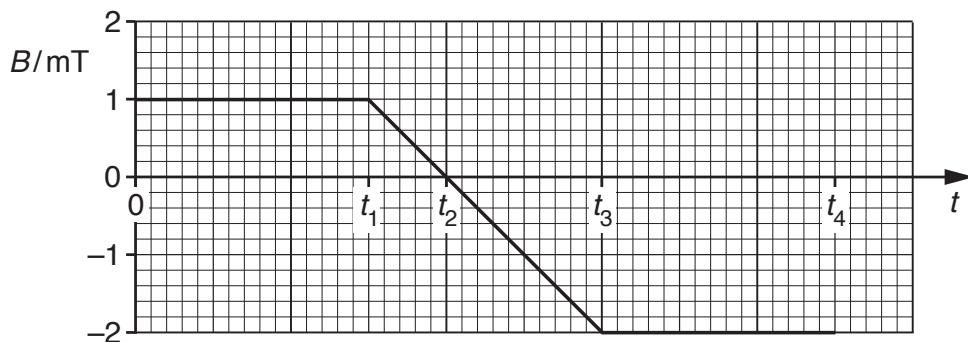


Fig. 9.2

At time $t = 0$, the Hall voltage is V_0 .

On Fig. 9.3, draw a line to show the variation with time t of the Hall voltage V_H for time $t = 0$ to time $t = t_4$.

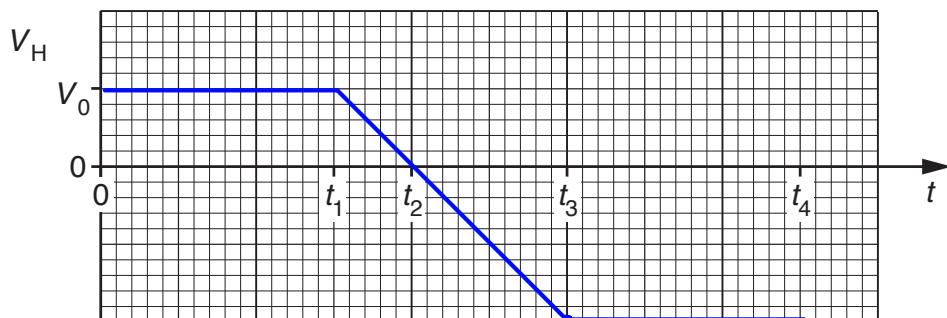


Fig. 9.3

[2]

- (b) The Hall probe in (a) is now replaced by a small coil of wire connected to a sensitive voltmeter, as shown in Fig. 9.4.

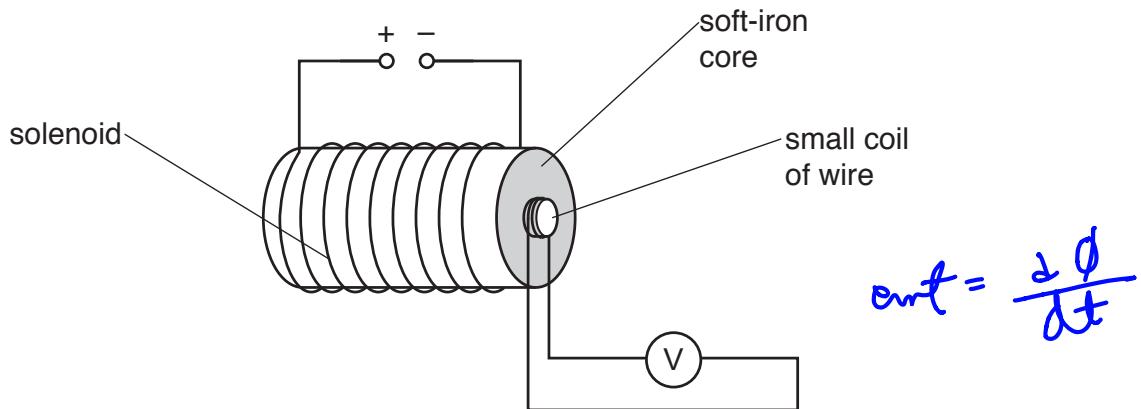


Fig. 9.4

The magnetic flux density, normal to the plane of the small coil, is again varied as shown in Fig. 9.2.

On Fig. 9.5, draw a line to show the variation with time t of the e.m.f. E induced in the small coil for time $t = 0$ to time $t = t_4$.

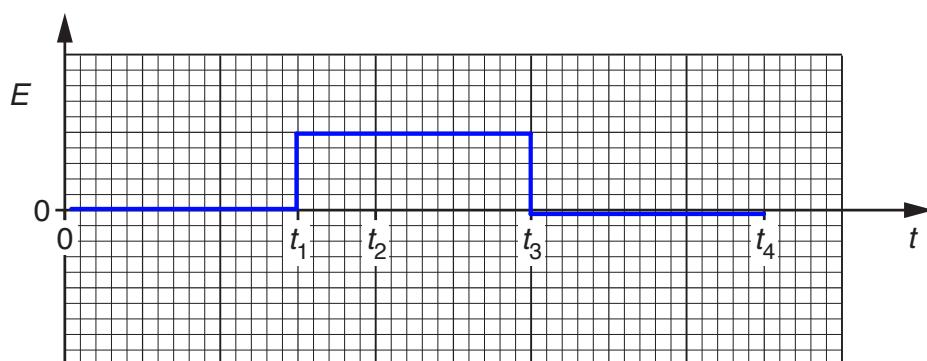


Fig. 9.5

[3]

[Total: 5]



- 10 (a) The root-mean-square (r.m.s.) value of the voltage of a sinusoidal alternating supply is 9.9 V. The frequency of the supply is 50 Hz.

Derive an expression for the variation with time t (in second) of the potential difference V (in volt) of the supply.

$$\sqrt{\langle V^2 \rangle} = \frac{V_0}{\sqrt{2}}$$

$$\langle V^2 \rangle = \frac{V_0^2}{2}$$

$$V^2 = V_0^2 \sin^2 \omega t$$

$$V = V_0 \sin \omega t$$

$$V = \dots V_0 \sin \omega t \dots [2]$$

RR
Xt
Vmax

- (b) Explain the function of the non-uniform magnetic field superposed on the large constant magnetic field in diagnosis using magnetic resonance imaging (NMRI).

(3)

X

- (c) A parallel beam of X-rays of intensity I_0 is incident normally on some soft tissue and bone, as illustrated in Fig. 10.1.

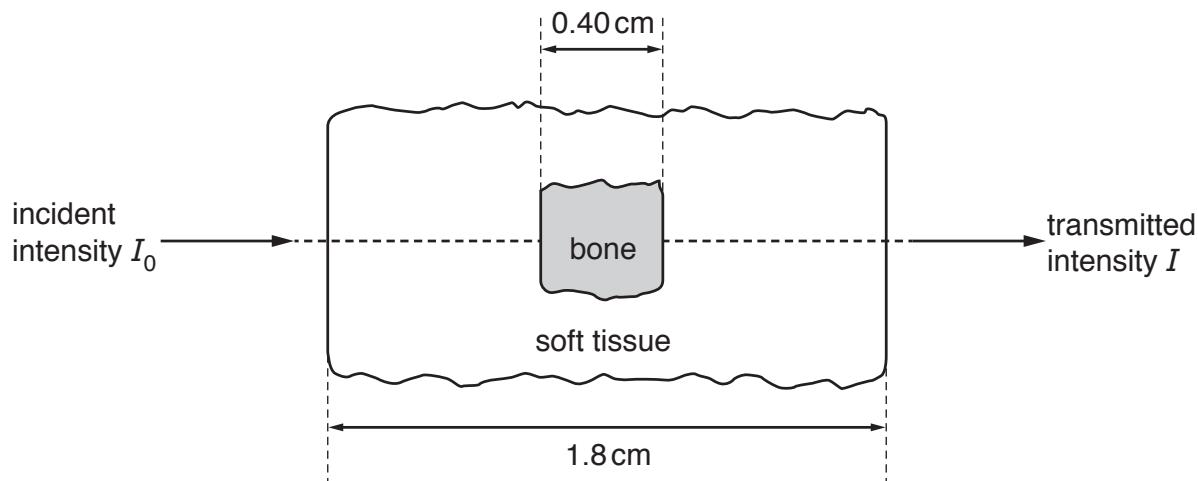


Fig. 10.1

The bone is 0.40 cm thick and the total thickness of the bone and the soft tissue is 1.8 cm. The intensity of the transmitted beam is I .

Data for the linear attenuation (absorption) coefficient μ of bone and of soft tissue are given in Fig. 10.2.

	μ/cm^{-1}
bone	2.9
soft tissue	0.92

Fig. 10.2

Calculate, in dB, the ratio

$$\frac{\text{transmitted intensity } I}{\text{incident intensity } I_0}.$$

$$\begin{aligned}
 \frac{I}{I_0} &= e^{-\mu x} \\
 &= (e^{-1.4 \times 0.92}) e^{-2.9(0.4)} \\
 &= 0.086466 \\
 &\quad \text{log } 0.086466 \\
 &= -10.69152
 \end{aligned}$$

ratio = -10.6 dB [4]

AB

- 11 (a) State what is meant by a *photon*.

add to worki

makes 2X

[2]

- (b) Describe the appearance of a visible line emission spectrum, as seen using a diffraction grating.

#

electrons get excited by absorption of photons, they jump to higher shell, while de-excitation, they give out photons of the in all directions some wavelength which they had earlier absorbed, this would be seen as colorful spots in the spectrum

1

[2]

- (c) The lowest electron energy levels in an isolated hydrogen atom are shown in Fig. 11.1.

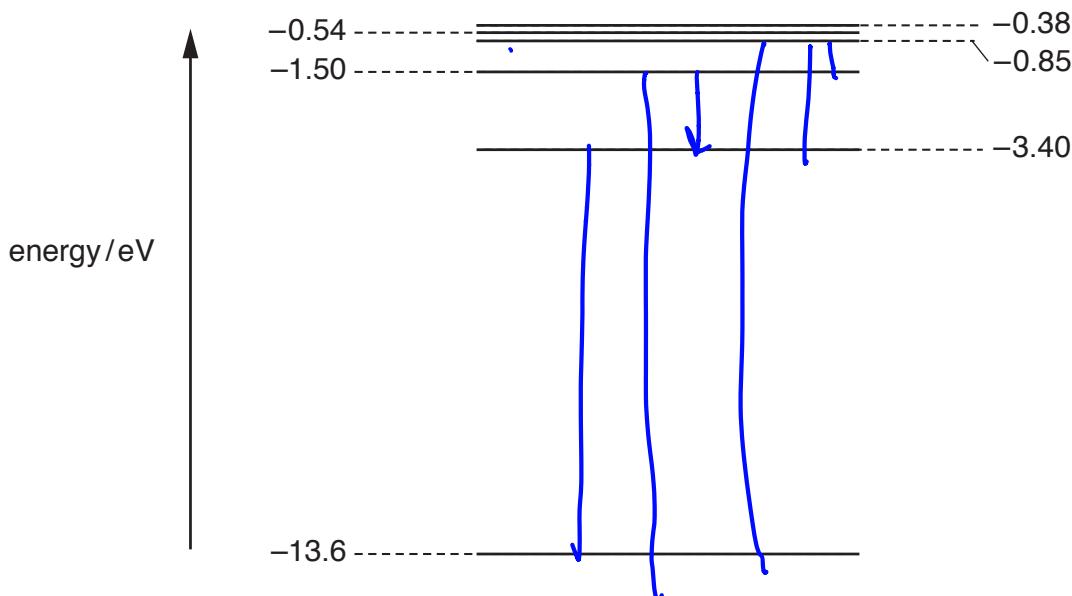


Fig. 11.1 (not to scale)

- (i) An electron is initially at the energy level -0.85 eV . State the total number of different wavelengths that may be emitted as the electron de-excites (loses energy).

number = 6

[1]

- (ii) Photons resulting from electron de-excitation from the -0.85 eV energy level are incident on the surface of a sample of platinum.

Platinum has a work function energy of 5.6 eV .

Determine

- the maximum kinetic energy, in eV, of a photoelectron emitted from the surface of the platinum,

$$K_e = (13.6 - 0.85) - 5.6 \\ = 7.15$$

maximum energy = eV [2]

- the wavelength of the photon producing the photoelectron in (ii) part 1.

wavelength?
writ down

$$\frac{hc}{\lambda} = 12.75 \times 1.6 \times 10^{-19} \\ \lambda = \frac{hc}{12.75 \times 1.6 \times 10^{-19}} = 9.737 \times 10^{-8} \\ \text{wavelength} = 9.7 \times 10^{-8} \text{ m} [3]$$

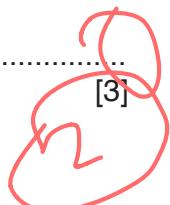


[Total: 10]

- 12 (a) State what is meant by *nuclear fusion* and *nuclear fission*.

nuclear fusion: when two or more nuclei combine
..... to make one larger nucleus

nuclear fission: when one large nucleus breaks down into
..... two or more smaller nuclei



- (b) A nuclear reaction which may, in the future, be used for the generation of electrical energy is



- (i) Name the particle x.

neutron

[1]

- (ii) Data for the binding energy per nucleon E_B of some nuclei are given in Fig. 12.1.

		binding energy per nucleon $E_B/10^{-13}\text{J}$
deuterium	${}_{1}^{2}\text{H}$	1.7813
tritium	${}_{1}^{3}\text{H}$	4.5285
helium	${}_{2}^{4}\text{He}$	11.3290

Fig. 12.1

1. State the binding energy per nucleon of x.

$$\text{binding energy per nucleon} = \dots \text{J}$$

0

2. Calculate the energy change that takes place in this reaction.

$$\left[(4 \times 11.329) - (2 \times 1.7813 + 3 \times 4.5285) \right] \times 10^{-13}$$

$$2.8168 \times 10^{-12}$$

$$\text{energy change} = \dots \text{J}$$

22

82 $\times 10^{-12}$

[3]

- (iii) Use your answer in (ii) part 2 to determine the energy release when 2.0 g of deuterium (${}_{1}^{2}\text{H}$) reacts with 3.0 g of tritium (${}_{1}^{3}\text{H}$).

$$n = \frac{2}{2} = 1$$

$$1 \text{ mol} + 1 \text{ mol} = 1 \text{ mol e}^-$$

multiply by number of 4

$$2.817 \times 10^{-12} \times 6.02 \times 10^{23} \times 4 \times 11.329 \times 10^{-13} = 4.5316 \times 10^{-12}$$

$$\text{energy} = \dots \text{J}$$

10

[Total: 8]