

# Uncontrolled 1D BB-8

## Governing equations and simulation

### Setup problem

```
In[1]:= params = <| i → 10, m → 3, l → 1, g → 9.81 |>
```

```
Out[1]= <| i → 10, m → 3, l → 1, g → 9.81 |>
```

```
In[2]:= (* Define force magnitudes *)
```

```
Fg = m g;
```

```
Fn = fn[t];
```

```
Ff = drive[t];
```

```
In[5]:= (* Define equations of motion *)
```

```
eq1 = m (-l θ'[t]^2) == Fn - Fg Cos[θ[t]]
```

```
eq2 = m l θ''[t] == -Ff + Fg Sin[θ[t]]
```

```
eq3 = Ff l == i ω'[t]
```

```
Out[5]= -l m θ'[t]^2 == -g m Cos[θ[t]] + fn[t]
```

```
Out[6]= l m θ''[t] == -drive[t] + g m Sin[θ[t]]
```

```
Out[7]= l drive[t] == i ω'[t]
```

```
In[8]:= (* Initial Conditions *)
```

```
initial = {θ[0] == .1, θ'[0] == 0, ω[0] == 0};
```

```
In[9]:= (* Drive equation *)
```

```
driveeq = drive[t] == 0
```

```
Out[9]= drive[t] == 0
```

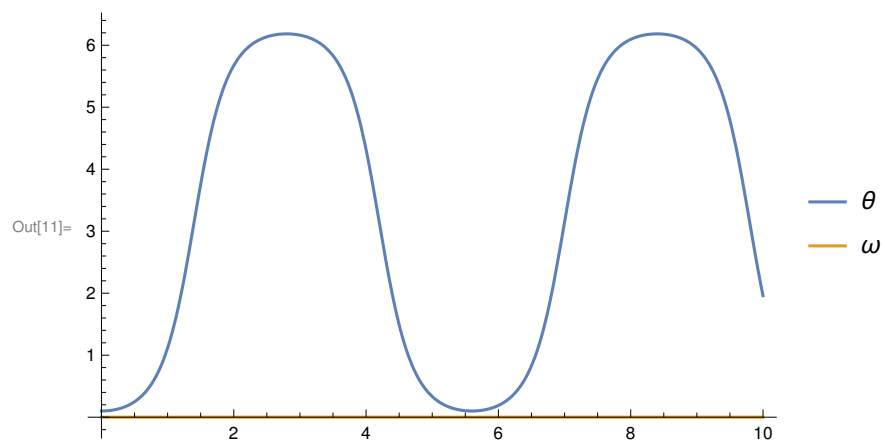
### Solve problem

```
In[10]:= Dynamic[  
  sol = NDSolveValue[{eq1, eq2, eq3, driveeq, initial} /. params, {θ[t], ω[t]}, {t, 0, 10}]]
```

```
Out[10]= {InterpolatingFunction[ Domain: {{0., 10.}}  
Output: scalar][t],
```

```
InterpolatingFunction[ Domain: {{0., 10.}}  
Output: scalar][t]}
```

```
In[11]:= Dynamic@  
Plot[Evaluate@sol, {t, 0, 10}, PlotLegends -> { $\theta$ ,  $\omega$ , "normal force"}, PlotRange -> All]
```



```
sol[[1]] /. t -> 10  
1.96058
```