

Illumination Distribution-Aware Thermal Pedestrian Detection

Appendix

Anonymous Author(s)

Submission Id: 1559

A FURTHER EXPERIMENTS

A.1 Further visualization results

Visualization comparisons based on different detector backbones. In this part, we print the prediction results and annotations on some images and save them for visual comparison. We compare FasterRCNN+IDA (Ours) with FasterRCNN and CascadeRCNN+IDA (Ours) with CascadeRCNN on the KAIST dataset. As shown in Fig. 1, our method can reduce false positive predictions, improve true positive predictions and the confidence of predictions. Through the visual analysis of these experiments, we can further verify that the detectors with our method as a plug-in can get better performance. As shown in Fig. 2, our method can get better performance on the FLIR-aligned dataset. Highlighted by blue circles, with IDA, the detector can improve confidence, reduce FP, and reduce FN.

A.2 Further studies on FasterRCNN+IDA

Ablation Studies. To explore the effectiveness of our method, we conduct an ablation study on the KAIST dataset. As shown in Table 1, our method reduces the MR by -2.19% from 21.07% to 18.88% . Only predicting mean vector or variance vector reduces -1.06% from 21.07% to 20.06% or -0.21% from 21.07% to 20.86% , respectively. Predicting both mean and variance vectors improves performance better because only using mean and variance can accurately describe the Gaussian distribution. The same applies to FLIR-aligned dataset. As shown in Table 2, with IDA, our method improves by $+1.4\%$ from 38.9% to 40.3% .

Table 1: Ablation study (MR) of FasterRCNN on KAIST dataset.

Mean	Variance	All	Day	Night
×	×	21.07	26.83	8.56
✓	×	20.06	26.44	6.91
×	✓	20.86	26.88	7.67
✓	✓	18.88	24.97	6.61

Table 2: Ablation study (mAP) of FasterRCNN on FLIR-aligned dataset.

Mean	Variance	mAP	mAP50	mAP75
×	×	38.9	74.3	34.3
✓	×	39.9	75.5	35.8
×	✓	40.0	75.3	35.9
✓	✓	40.3	75.4	35.8

Length of the mean and variance vectors. On the KAIST dataset, to explore the effectiveness of the length of the mean and

variance vector, We modify the value of K as $\{8, 16, 32, 64, 128\}$ respectively. As shown in Table 3, the detector performs best when $K = 32$. The low value of K means that the feature losses too much in the process of feature dimensionality reduction. If the value of K is high, predicting the mean and variance vectors will be difficult, which leads to bad performance. The same applies to FLIR-aligned dataset as shown in Table 2.

Table 3: Detection results (MR) of FasterRCNN with varying K and N on KAIST dataset.

K	All	Day	Night	N	All	Day	Night
8	20.58	26.33	9.50	10	19.83	25.06	8.55
16	20.84	27.13	8.13	25	21.08	26.71	9.45
32	18.88	24.97	6.61	40	18.88	24.97	6.61
64	21.03	26.86	8.48	55	19.79	25.82	8.17
128	21.05	27.03	9.27	70	21.27	27.55	8.60

Table 4: Detection results (mAP) of FasterRCNN with varying K and N on FLIR-aligned dataset.

K	mAP	mAP50	mAP75	N	mAP	mAP50	mAP75
8	39.4	74.9	34.7	10	39.5	75.1	35.1
16	39.1	75.7	34.3	25	39.4	75.2	34.9
32	40.3	75.4	35.8	40	40.3	75.4	35.8
64	39.3	74.2	35.0	55	39.7	75.2	35.7
128	39.8	74.9	34.9	70	39.0	74.0	34.9

Size of the conditional feature co-occurrence matrices. On the KAIST dataset, to explore the effectiveness of the size of the conditional feature co-occurrence matrices, we modify the value of N by changing $\{10, 25, 40, 55, 70\}$. As shown in Table 3, the detector performs best when $N = 40$. The low value of N leads to the matrices cannot accurately represent the joint Gaussian distribution, because two values with large difference maybe be quantized into the same interval. The high value of N leads to the matrices being sparse. Since the total samples are a constant number N_s , the number assigned to a specific row of the matrix will be small. Therefore, frequency cannot be used to approximate a probability. The same applies to FLIR-aligned dataset as shown in Table 4.

Sensitivity Analysis. We perform analysis on λ_m and λ_v on the KAIST dataset. (1) We modify the value of λ_m by changing $\{0.05, 0.075, 0.1, 0.125, 0.15\}$ when $\lambda_v = 0.125$. As shown in the left of Fig.3, the performance is the best when $\lambda_m = 0.1$. Our model can keep a relatively stable result in a wide range of λ_m . Besides, the low-value λ_m means that the detector cannot accurately distinguish day, night, and ambiguous samples by predicting the mean of the conditional probability distribution. The high-value λ_m leads to bad performance because of insufficient training for detection L_{OD} . (2) We

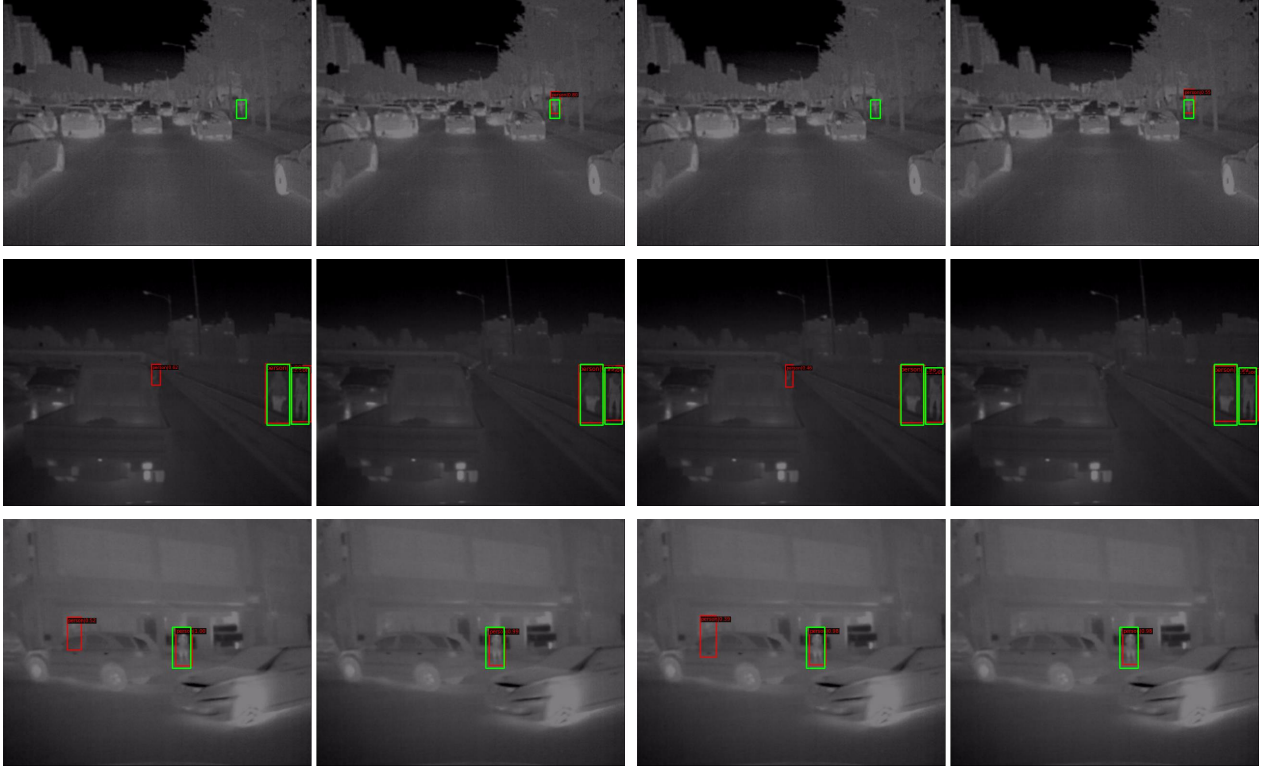


Figure 1: Pedestrian detection results on KAIST dataset. The first, second, third, and fourth columns are the results of FasterRCNN, FasterRCNN+IDA(Ours), CascadeRCNN, and CascadeRCNN+IDA(Ours) respectively. Green boxes are ground truth. Red boxes are prediction results. The first, second and third rows are results of the day, night and ambiguous samples respectively.

modify the value of λ_v by changing $\{0.075, 0.1, 0.125, 0.15, 0.175\}$ when $\lambda_m = 0.1$. As shown in the right of Fig.3, the performance is the best when $\lambda_v = 0.125$. Our model can keep a relatively stable result in a wide range of λ_v . Besides, the low-value λ_v means that the detector cannot accurately distinguish day, night, and ambiguous samples by predicting the variance of the conditional probability distribution. The high-value λ_v leads to bad performance because of insufficient training for detection L_{OD} . The same applies to FLIR-aligned dataset as shown in Fig. 4.

A.3 Further studies on CascadeRCNN+IDA

Ablation Studies. To explore the effectiveness of our method, we conduct an ablation study on the KAIST dataset. As shown in Table 5, our method reduces the MR by -2.02% from 20.95% to 18.93%. Only predicting mean vector or variance vector reduces -1.21% from 20.95% to 19.74% or -1.11% from 20.95% to 19.84% respectively. Predicting both mean and variance vectors improves performance better because only using both mean and variance can accurately describe a Gaussian distribution. The same applies to FLIR-aligned dataset. As shown in Table 6, with IDA, our method improves by $+0.4\%$ from 41.0% to 41.4%.

Length of the mean and variance vector and size of the conditional feature co-occurrence matrices. To explore the effectiveness of the length of the mean and variance vectors, we

Table 5: Ablation study (MR) of CascadeRCNN on KAIST dataset.

Mean	Variance	All	Day	Night
×	×	20.95	26.90	8.86
✓	×	19.74	25.70	7.33
×	✓	19.84	26.61	6.50
✓	✓	18.93	25.63	5.86

Table 6: Ablation study (mAP) of CascadeRCNN on FLIR-aligned dataset.

Mean	Variance	mAP	mAP50	mAP75
×	×	41.0	75.6	36.6
✓	×	41.1	75.5	36.6
×	✓	40.9	74.5	36.9
✓	✓	41.6	76.2	36.7

also modify the value of K by changing $\{8, 16, 32, 64, 128\}$. Similar to the FasterRCNN, as shown in Table 7, the detector performs the best when $K = 32$. To explore the effectiveness of the size of the conditional feature co-occurrence matrices, we modify the value of N by changing $\{10, 25, 40, 55, 70\}$. Similarly, as shown in Table 7, the detector performs the best when $N = 40$. On the FLIR-aligned

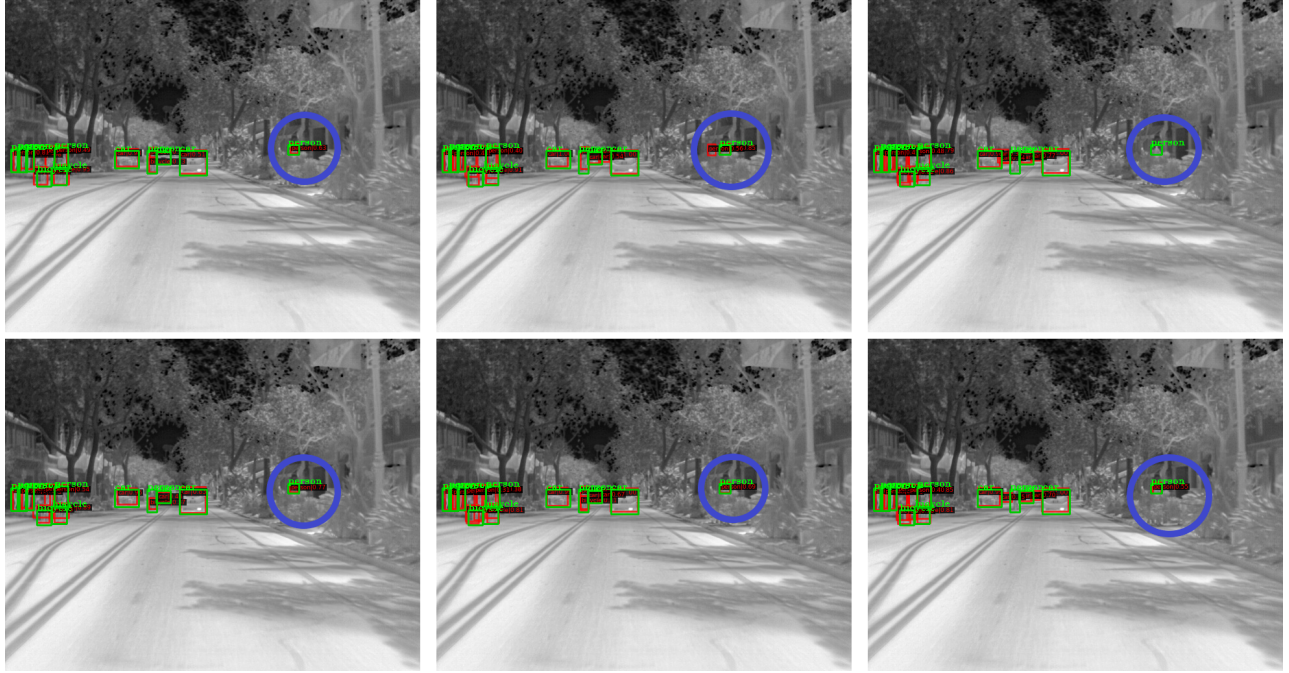


Figure 2: Detection results on FLIR-aligned dataset. The first, second, and third columns are the results of YOLOv3, FasterRCNN, and CascadeRCNN, respectively. The first and second rows are without and with IDA, respectively. Green boxes are ground truth. Red boxes are prediction results.

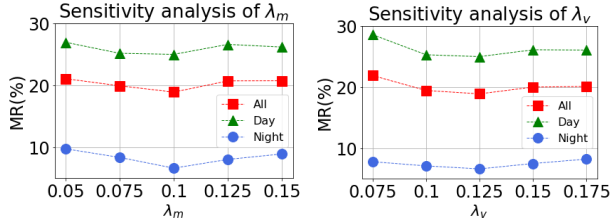


Figure 3: Hyperparameter analysis for FasterRCNN on the KAIST dataset: (left) λ_m and (right) λ_v .

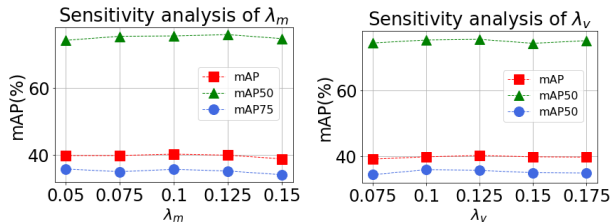


Figure 4: Hyperparameter analysis for FasterRCNN on the FLIR-aligned dataset: (left) λ_m and (right) λ_v .

dataset, we modify the value of K by changing $\{4, 8, 16, 32, 64\}$ and N by changing $\{10, 25, 40, 55, 70\}$. As shown in Table 8, the detector performs the best when $K = 16$ and $N = 40$.

Table 7: Detection results (MR) of CascadeRCNN with varying K and N on KAIST dataset.

K	All	Day	Night	N	All	Day	Night
8	20.41	26.78	7.42	10	19.49	25.71	7.53
16	19.90	25.89	7.79	25	19.96	26.22	7.77
32	18.93	25.63	5.86	40	18.93	25.63	5.86
64	20.11	26.43	7.42	55	20.04	25.52	8.29
128	20.72	27.17	7.36	70	21.40	27.17	9.10

Table 8: Detection results (mAP) of CascadeRCNN with varying K and N on FLIR-aligned dataset.

K	mAP	mAP50	mAP75	N	mAP	mAP50	mAP75
4	40.9	75.0	36.2	10	41.3	74.7	36.7
8	40.7	74.9	36.5	25	41.1	75.5	36.5
16	41.6	76.2	36.7	40	41.6	76.2	36.7
32	41.4	75.5	37.4	55	41.3	74.5	36.9
64	40.4	74.5	35.6	70	41.2	75.0	36.6

Sensitivity Analysis. We also perform the same analysis on λ_m and λ_v as Section 2.3 on the KAIST dataset. As shown in the left of Fig.5, the performance is the best when $\lambda_m = 0.1$. Our model can keep a relatively stable result in a wide range of λ_m . For the parameter λ_v , by changing the value as $\{0.1, 0.15, 0.2, 0.25, 0.3\}$ when $\lambda_m = 0.1$, as shown in Fig.5, the performance is the best when

$\lambda_v = 0.2$. This value is a little bigger than the value for FasterRCNN+IDA. This is because the variance vector values of CascadeRCNN are usually bigger than the values of FasterRCNN, which leads to a higher loss of predicting the variance vector. The higher λ_v , the faster the converge is. Our model can also keep a relatively stable result in a wide range of λ_v . The same applies to FLIR-aligned dataset as shown in Fig.6.

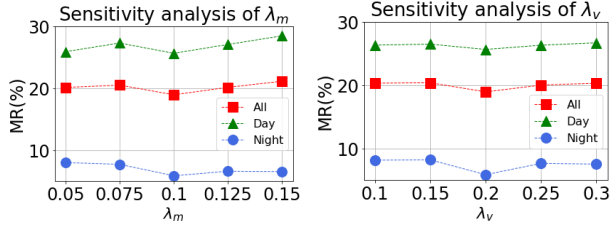


Figure 5: Hyperparameter analysis for CascadeRCNN on KAIST dataset: (left) λ_m and (right) λ_v .

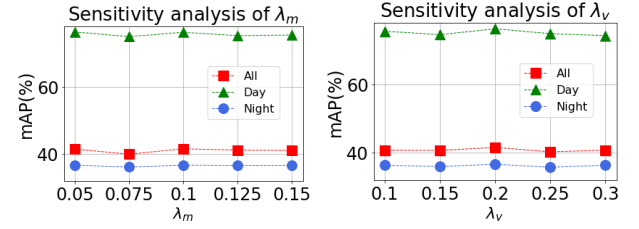


Figure 6: Hyperparameter analysis for CascadeRCNN on FLIR-aligned dataset: (left) λ_m and (right) λ_v .