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Section: 2

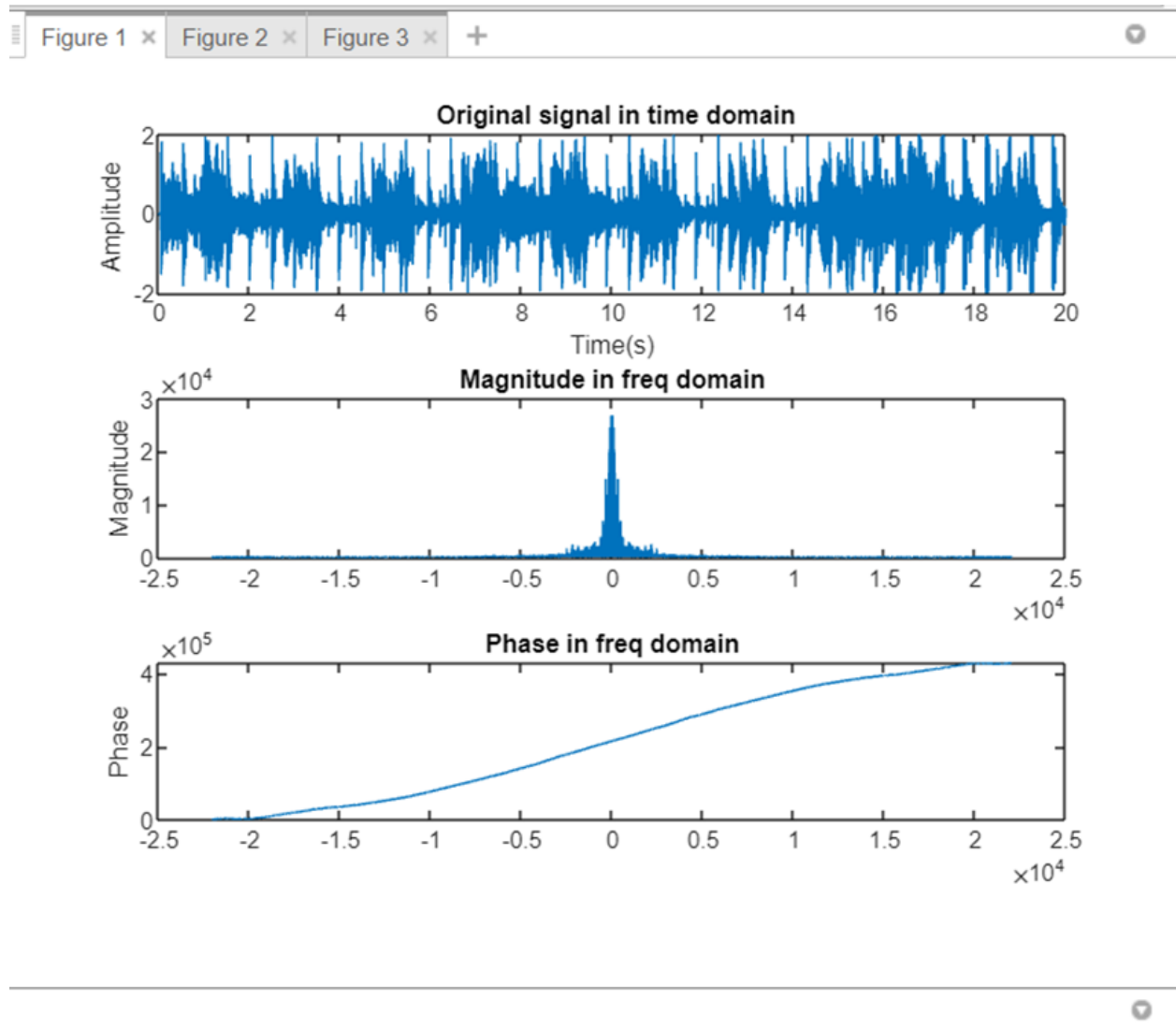
B.N: 34

Communication Engineering

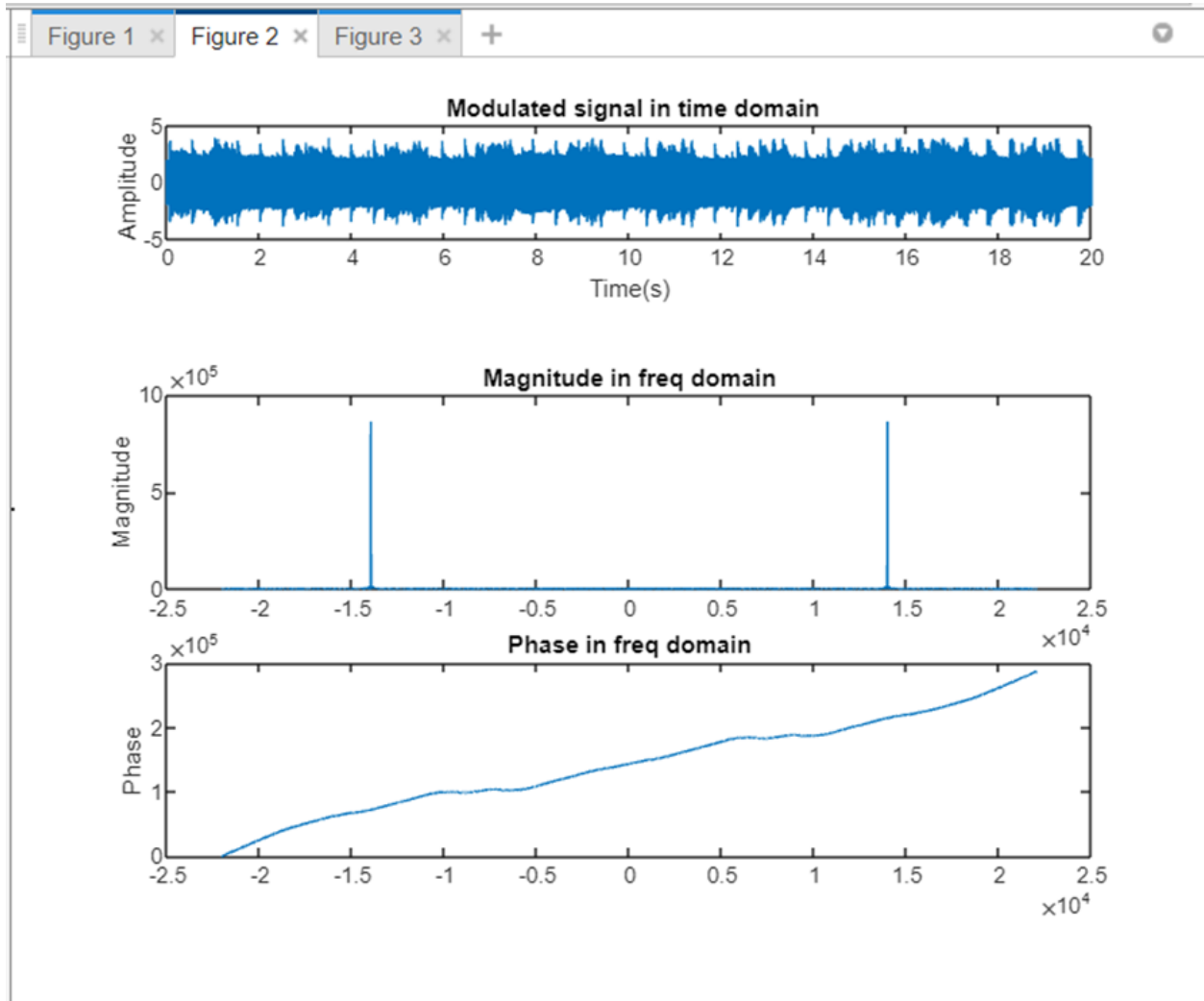
Lab 1

Simulation results:

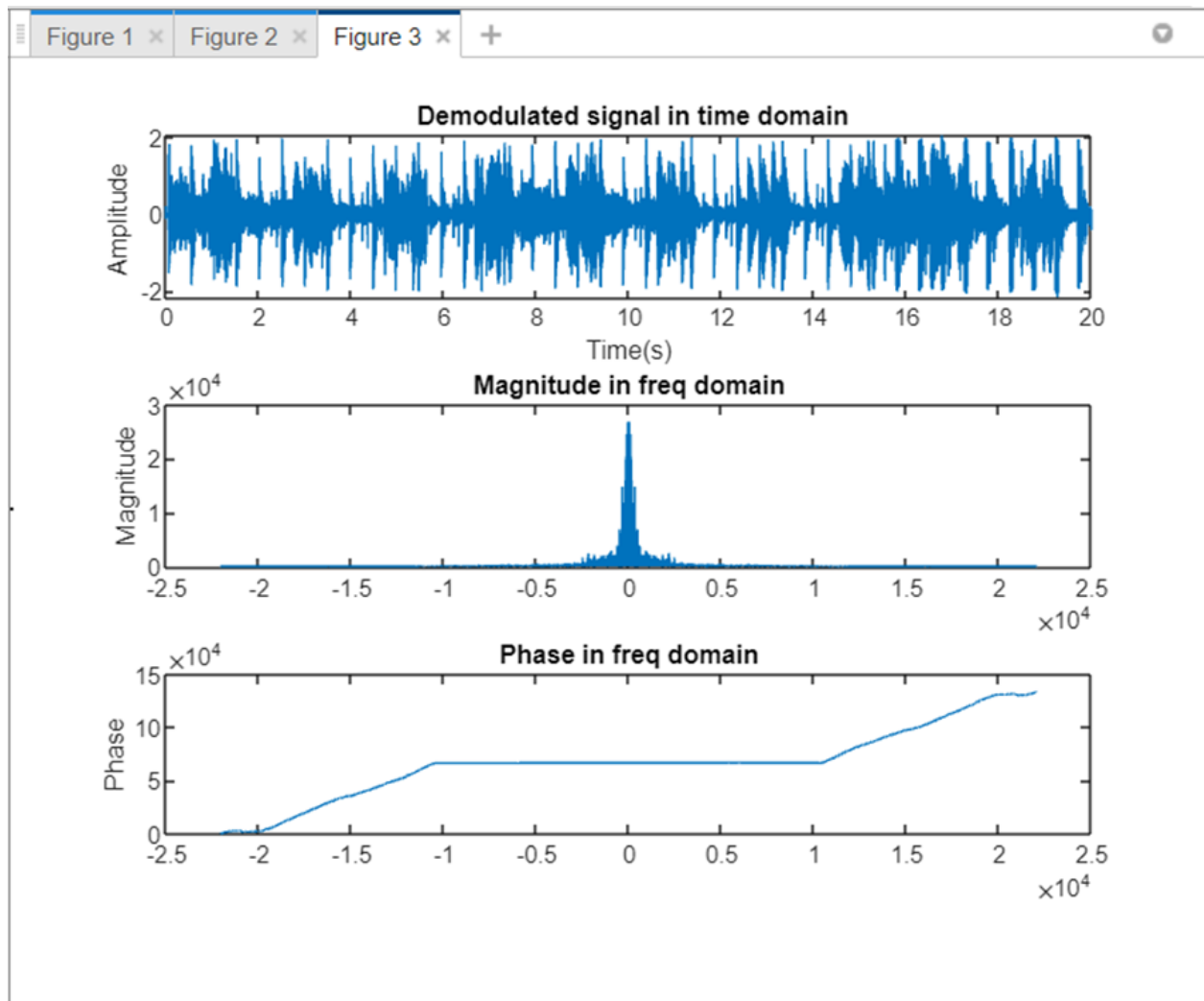
Modulating Signal:



Modulated Signal:



Demodulated Signal:



Code:

```
% Read the audio signal

clear;

[y,fs] = audioread('myaudio.mp3');

% sound(y,fs);

y = y(:,1) + y(:,2);

%time domain

t = (0:length(y) - 1)*20/length(y);

% Plot signal in time domain

subplot(3,1,1);

plot(t,y);

title(" Original signal in time domain");

xlabel('Time(s)');

ylabel('Amplitude ');

% freq domain

Y = fft(y);

Y_shift = fftshift(Y);

dfs=fs/length(y);

f=-fs/2:dfs:fs/2-dfs;
```

```
% Plot signal in frequency domain
```

```
subplot(3,1,2);
```

```
plot(f,abs(Y_shift));
```

```
title("Magnitude in freq domain");
```

```
ylabel('Magnitude');
```

```
subplot(3,1,3);
```

```
plot(f,unwrap(angle(Y)));
```

```
title("Phase in freq domain");
```

```
ylabel('Phase');
```

```
% Modulation -----
```

```
BW=bandwidth(y)/(2.*pi);
```

```
fc=(fs/2)-BW;
```

```
wc=2*pi*fc;
```

```
Ac = abs(min(y));
```

```
c= cos(wc*t).';
```

```
y_mod = (y+Ac).*c;
```

```
% Plot signal in time domain
```

```
fig=figure();
```

```
subplot(4,1,1);
```

```
plot(t,y_mod);
```

```
title(" Modulated signal in time domain");
```

```
xlabel('Time(s)');
```

```
ylabel('Amplitude ');
```

```
% freq domain
```

```
Y_mod = fft(y_mod);
```

```
Y_shift_mod = fftshift(Y_mod);
```

```
% Plot signal in frequency domain
```

```
subplot(3,1,2);
```

```
plot(f,abs(Y_shift_mod));
```

```
title("Magnitude in freq domain");
```

```
ylabel('Magnitude');
```

```
subplot(3,1,3);
```

```
plot(f,unwrap(angle(Y_mod)));
```

```
title("Phase in freq domain");
```

```
ylabel('Phase');
```

```
% Demodulation -----
```

```
y_demod = y_mod.*c;
```

```
y_demod_lpf = lowpass(y_demod,10000,fs);
```

```
y_demod_lpf=y_demod_lpf*2;
```

```
y_demod_lpf = y_demod_lpf -Ac;
```

```
% Plot signal in time domain
```

```
fig1=figure();
```

```
subplot(3,1,1);  
plot(t,y_demod_lpf);  
title(" Demodulated signal in time domain");  
xlabel('Time(s));  
ylabel('Amplitude ');
```

```
% freq domain
```

```
Y_demod = fft(y_demod_lpf);  
Y_shift_demod = fftshift(Y_demod);
```

```
% Plot signal in frequency domain
```

```
subplot(3,1,2);  
plot(f,abs(Y_shift_demod));  
title("Magnitude in freq domain");  
ylabel('Magnitude');
```

```
subplot(3,1,3);  
plot(f,unwrap(angle(Y_demod)));  
title("Phase in freq domain");  
ylabel('Phase');
```

```
sound(y_demod_lpf,fs);
```


Comments:

- **How I chose A_c and Ω_c :**

A_c as is the maximum amplitude value in the modulating signal in time domain.

$$\mu = A_m/A_c \leq 1, A_c \geq A_m$$

Min $A_c = A_m$ (max amplitude) to achieve max efficiency.

$f_c = (f_s/2) - BW \rightarrow f_c$ should be less than f_s , BW: signal bandwidth

$$\omega_c = 2\pi f_c$$

- **What do you think is a carrier's minimum Amplitude (A) to avoid over modulation?**

Over modulation happens when $\mu = A_m/A_c$ more than 1

So, to avoid that $\mu \leq 1$, $A_c \geq A_m$

Min $A_c = A_m = \text{max amplitude value in modulating signal in time domain}$

- **What is the problem with the AM signal when it is over-modulated?**

Over modulation means $A_c < A_m$

so, there is a part of the signal is still in negative part

It will cause information loss

We can't obtain the same original signal in demodulating.

- **Compare between the bandwidth of the audio signal and the modulated one by plotting both signals in the frequency domain.**

Bandwidth of modulated signal = 2 * Bandwidth of modulating signal

(The positive part in the magnitude part in freq domain)

- **Hear the demodulated signal and compare it with the original one. Are the two signals the same? Explain why?**

Demodulated signal is almost the same as the modulating(original) signal,

We almost returned to our original signal

$y = \text{signal}$

$y_{\text{modulated}} = y \cdot \cos(2\pi f_c t)$

$y_{\text{demodulated}} = y \cdot \cos(2\pi f_c t) \cdot \cos(2\pi f_c t)$

$= y(0.5 + 0.5 \cos(2 \cdot 2\pi f_c t))$

$= 0.5 y + 0.5 y \cos(2 \cdot 2\pi f_c t)$

Then the signal enters a low pass filter, then multiply by 2 and subtract A_c