

SPheno is a program that accurately calculates the supersymmetric particle spectrum within a high scale theory, such as minimal supergravity, gauge mediated supersymmetry breaking, anomaly mediated supersymmetry breaking, or string effective field theories. An interface exists for an easy implementation of other high scale models. The program solves the renormalization group equations numerically to two-loop order with user-specified boundary conditions. The complete one-loop formulas for the masses are used which are supplemented by two-loop contributions in case of the neutral Higgs bosons and the μ parameter. The obtained masses and mixing matrices are used to calculate decay widths and branching ratios of supersymmetric particles as well as of Higgs bosons, $b \rightarrow s\gamma$, $\Delta\rho$ and $(g-2)_\mu$. Moreover, the production cross sections of all supersymmetric particles as well as Higgs bosons at e^+e^- colliders can be calculated including initial state radiation and longitudinally polarized photons.

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[illegible]

for the n -th iteration, $n = 1, 2, \dots, N$, the n -th iteration is performed as follows:

$$L_{soft,1} = \frac{1}{2} \left(M_1 \tilde{B} \tilde{B} + M_2 \tilde{W}_a \tilde{W}^a + M_3 \tilde{g}_\alpha \tilde{g}^\alpha \right) + h.c. \ , \quad (2)$$

in the first of the

the set of $\tilde{\chi}^0$ on $\tilde{\chi}^0$ and $\tilde{\chi}^0$ on N :

$$M_{D,\tilde{\chi}^0} = N^* Y N^\dagger. \quad (10)$$

The CP-odd \tilde{h}^0 is the lightest CP-odd Higgs boson, H_1^0, H_2^0 are the CP-even Higgs bosons, h^0, H^0 are the CP-even Higgs bosons.

$$\begin{pmatrix} h^0 \\ H^0 \end{pmatrix} = \begin{pmatrix} -\sin\alpha & \cos\alpha \\ \cos\alpha & \sin\alpha \end{pmatrix} \begin{pmatrix} H_1^0 \\ H_2^0 \end{pmatrix} \quad (11)$$

The $m_{h^0} < m_{H^0}$. The CP-odd \tilde{h}^0 is the lightest CP-odd Higgs boson, H_1^0, H_2^0 are the CP-even Higgs bosons.

$$m_{A^0}^2 = B\mu \tan\beta + \rho\beta, \quad m_{H^\pm}^2 = m_{A^0}^2 + m_W^2 \quad (12)$$

the t and b .

N is the n dimensional vector, \tilde{N} is the n dimensional vector.

$$M_{\nu_i}^2 = M_{L_{ii}}^2 + \frac{1}{2} m_Z^2 \cos 2\beta \quad (13)$$

the \tilde{h}^0 is the lightest CP-odd Higgs boson, H_1^0, H_2^0 are the CP-even Higgs bosons.

$$M_{l,i}^2 = \begin{pmatrix} M_{L,ii}^2 - \left(\frac{1}{2} - s_W^2\right) c_{2\beta} m_Z^2 + m_{l,i}^2 & \frac{1}{\sqrt{2}} (v_1 A_{ii}^L)^* - \mu Y_{ii}^L v_2 \\ \frac{1}{\sqrt{2}} (v_1 A_{ii}^L - \mu Y_{ii}^L)^* v_2 & M_{E,ii}^2 - s_W^2 c_{2\beta} m_Z^2 + m_{l,i}^2 \end{pmatrix} \quad (14)$$

$$M_u^2 = \begin{pmatrix} M_{Q,ii}^2 + \left(\frac{1}{2} - \frac{2}{3} s_W^2\right) c_{2\beta} m_Z^2 + m_{u,i}^2 & \frac{1}{\sqrt{2}} (v_2 A_{ii}^U)^* - \mu Y_{ii}^U v_1 \\ \frac{1}{\sqrt{2}} (v_2 A_{ii}^U - \mu Y_{ii}^U)^* v_1 & M_{U,ii}^2 + \frac{2}{3} s_W^2 c_{2\beta} m_Z^2 + m_{u,i}^2 \end{pmatrix} \quad (15)$$

$$M_d^2 = \begin{pmatrix} M_{Q,ii}^2 - \left(\frac{1}{2} - \frac{1}{3} s_W^2\right) c_{2\beta} m_Z^2 + m_{d,i}^2 & \frac{1}{\sqrt{2}} (v_1 A_{ii}^D)^* - \mu Y_{ii}^D v_2 \\ \frac{1}{\sqrt{2}} (v_1 A_{ii}^D - \mu Y_{ii}^D)^* v_2 & M_{D,ii}^2 - \frac{1}{3} s_W^2 c_{2\beta} m_Z^2 + m_{d,i}^2 \end{pmatrix} \quad (16)$$

The $c_{2\beta} \cos 2\beta$ and $s_W^2 \sin^2 \theta_W$. The \tilde{h}^0 is the lightest CP-odd Higgs boson, H_1^0, H_2^0 are the CP-even Higgs bosons.

$$m_{\tilde{f}}^2 = R_{\tilde{f}} M_{\tilde{f}}^2 R_{\tilde{f}}^\dagger \quad (17)$$

The \tilde{h}^0 is the lightest CP-odd Higgs boson, H_1^0, H_2^0 are the CP-even Higgs bosons. The \tilde{h}^0 is the lightest CP-odd Higgs boson, H_1^0, H_2^0 are the CP-even Higgs bosons.

2.3 High scale models

In this section we consider the high scale models. The \tilde{h}^0 is the lightest CP-odd Higgs boson, H_1^0, H_2^0 are the CP-even Higgs bosons. The \tilde{h}^0 is the lightest CP-odd Higgs boson, H_1^0, H_2^0 are the CP-even Higgs bosons.

$$|\mu|^2 = \frac{1}{2} \left[\tan 2\beta (M_{H_2}^2 \tan\beta - M_{H_1}^2 \cot\beta) - m_Z^2 \right]. \quad (18)$$

The \tilde{h}^0 is the lightest CP-odd Higgs boson, H_1^0, H_2^0 are the CP-even Higgs bosons. The \tilde{h}^0 is the lightest CP-odd Higgs boson, H_1^0, H_2^0 are the CP-even Higgs bosons.

2.3.1 Minimal Supergravity

In the $\mathcal{N} = 1$ supergravity (RA) model, the soft terms are determined by the parameters of the superpotential W and the gauge kinetic function f . The superpotential is assumed to be of the form

$$W = M_{GUT} \left(\frac{1}{2} \sum_i A_i \Phi_i^2 + \frac{1}{6} \sum_{ijk} Y_{ijk} \Phi_i \Phi_j \Phi_k \right) \quad (19)$$

$$M_{GUT}^2 = M_0^2 \quad (20)$$

$$A_i = A_0 Y_i / M_{GUT} \quad (21)$$

2.3.2 Minimal Supergravity including right handed neutrinos

In the $\mathcal{N} = 1$ supergravity (RA) model, the soft terms are determined by the parameters of the superpotential W and the gauge kinetic function f . The superpotential is assumed to be of the form

$$W = M_{GUT} \left(\frac{1}{2} \sum_i A_i \Phi_i^2 + \frac{1}{6} \sum_{ijk} Y_{ijk} \Phi_i \Phi_j \Phi_k + \sum_i m_{\nu_R} \Phi_i \right) \quad (22)$$

It is not a sufficient condition for the existence of a solution in OI of the problem (P) in the form (2) of $[]$:

$$M_i = -g_i^2 m_{3/2} \left\{ \sqrt{s} \ln \theta + \left[b_i + s \sqrt{s} \ln \theta g_s^2 \left(C_i - \sum_j C_i^j \right) + 2 t \rho_s(\theta, G_2(t)) \left(\delta_{\text{GS}} + b_i - 2 \sum_j C_i^j + n_j \right) \right] / 6 \pi^2 \right\} \quad (2)$$

$$M_j^2 \quad m_{3/2}^2 \left\{ \left(1 + n_j \rho_{\mathbb{S}}^2 \theta \right) + 2\sqrt{-s} \ln \theta \left[\sum_i \gamma_j^i g_i^2 - \frac{1}{2s} \sum_{km} \gamma_j^{km} \right] \right. \\ \left. + \gamma_j + 2t \rho_{\mathbb{S}} \theta G_2(t) \sum_{km} \gamma_j^{km} n_j + n_k + n_m + \dots \right\} \quad (2.10)$$

$$A_{jkm} = m_{3/2} \left[-\sqrt{\frac{2}{3}} \ln \theta - 2t \left(\frac{\theta}{3} (n_j + n_k + n_m + 3) G_2(t) + \gamma_j + \gamma_k + \gamma_m \right) \right] \quad (4)$$

$$s \quad \langle S \rangle \quad p \quad \langle T \rangle / m_{3/2} \quad t \quad G_2(t) - 2\zeta(t) + 1/2t \quad \delta_{GS} \quad \gamma_j^{km} \quad Y^a \quad C_i, C_i^j \quad G_i, \quad i, j, k \quad H_1, H_2, \tilde{E}, \tilde{L}, \tilde{D}, \tilde{U} \quad \tilde{Q} \quad A$$

$$A_{e,n}(GUT) Y_{e,n}(GUT) A_{\tilde{E}_n \tilde{L}_n H_1} \quad (1)$$

$$A_{d,v}(GUT) \quad Y_{d,nv}(GUT) A_{\tilde{D}_n \tilde{Q}_n H_1} \quad (6)$$

$$A_{u,n}(GUT) Y_{u,n}(GUT) A_{\tilde{U}_n \tilde{Q}_n H_2} \quad (7)$$

[illegible]

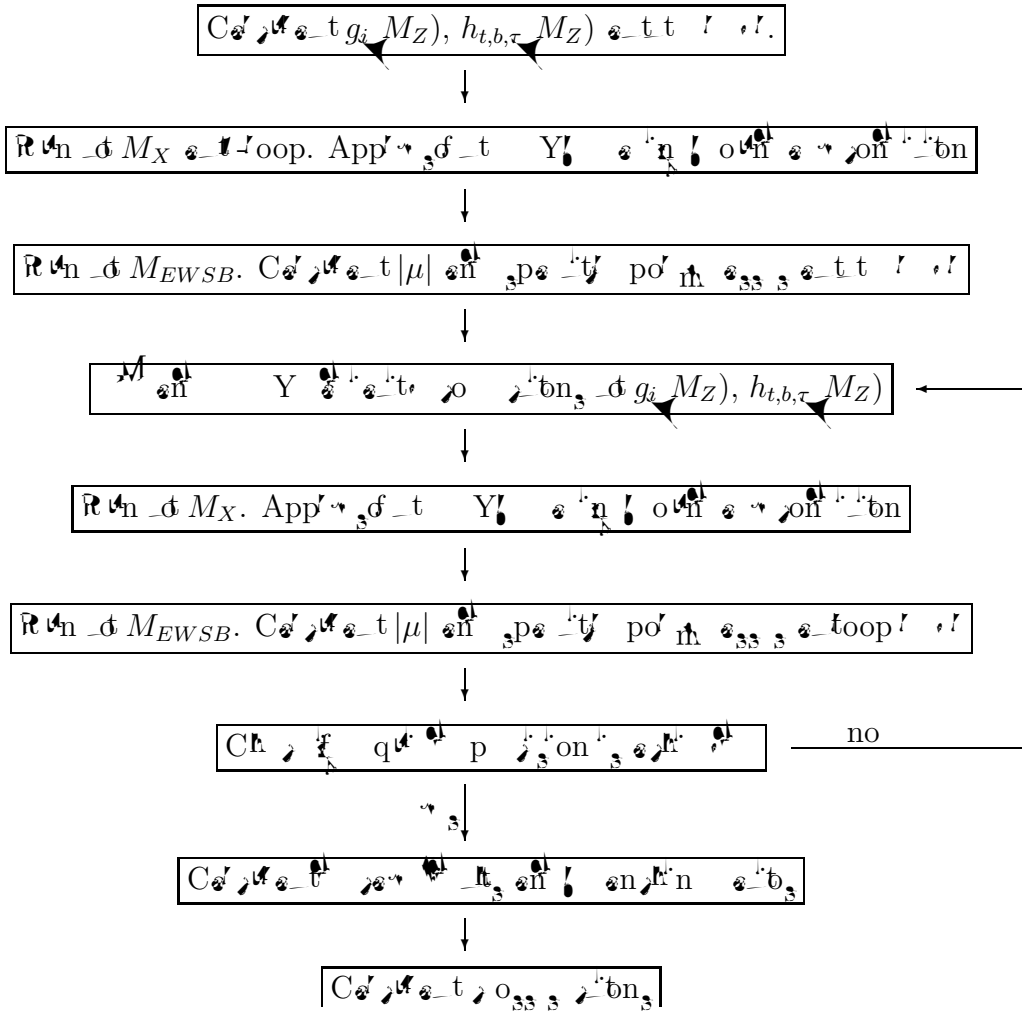
$$M_i - g_i^2 m_{3/2} \left\{ \frac{\sqrt{s} \ln \theta}{2k_{s\bar{s}}^{1/2}} + \frac{1}{16\pi^2} \left[2t \rho_s \theta G_2 \delta_{\text{GS}} + b_i \right) + b_i \right. \\ \left. + \frac{\sqrt{s} g_s^2 \ln \theta}{2k_{s\bar{s}}^{1/2}} \left(C_i - \sum_j C_i^j \right) \right] \right\}. \quad (8)$$

The following table shows the results of the regression analysis for the dependent variable $\ln(\text{turnover})$ in the year 1998. The table is divided into two parts: the first part shows the results for the full sample, and the second part shows the results for the subsample of firms that are not in the top 100. The variables in the table are: $\ln(\text{turnover})$, $\ln(\text{sales})$, $\ln(\text{employees})$, $\ln(\text{assets})$, $\ln(\text{equity})$, $\ln(\text{debt})$, $\ln(\text{market value})$, $\ln(\text{R\&D})$, $\ln(\text{capital expenditures})$, $\ln(\text{dividends})$, $\ln(\text{leverage})$, $\ln(\text{size})$, $\ln(\text{age})$, $\ln(\text{industry})$, $\ln(\text{region})$, $\ln(\text{country})$, $\ln(\text{year})$, $\ln(\text{industry \times year})$, $\ln(\text{region \times year})$, $\ln(\text{country \times year})$, $\ln(\text{industry \times region})$, $\ln(\text{industry \times country})$, $\ln(\text{region \times country})$, $\ln(\text{industry \times region \times country})$.

$$M_i^2 = m_{3/2}^2 \left\{ \sin^2 \theta + \gamma_i + \frac{\sqrt{3} \sin \theta}{k_{\text{eff}}^{1/2}} \left[\sum_a \gamma_i^a g_a^2 + \frac{1}{2} \sum_{jk} \gamma_i^{jk} (k_s + k_{\bar{s}}) \right] \right\}, \quad (9)$$

$$A_{ijk} \quad m_{3/2} \left\{ \gamma_i + \gamma_j + \gamma_k - \frac{\sqrt{k_s} \ln \theta}{k_s^{1/2}} \right\} \quad (40)$$

$$\begin{aligned}
\phi &\longrightarrow \tilde{\chi}_r^+ \tilde{\chi}_s^- & (72) \\
h^0 &\longrightarrow Z^0 Z^{0*}, W^+ W^{-*}, W^{+*} W^- & (73) \\
h^0 &\longrightarrow g g & (74) \\
H^0 &\longrightarrow g g & (75) \\
H^0 &\longrightarrow Z^0 Z^0, W^+ W^- & (76) \\
H^0 &\longrightarrow h^0 h^0 & (77) \\
A^0 &\longrightarrow h^0 Z^0 & (78) \\
H^+ &\longrightarrow f \bar{f}' & (79) \\
H^+ &\longrightarrow \tilde{f}_i \tilde{f}_j' & (80) \\
H^+ &\longrightarrow \tilde{\chi}_k^0 \tilde{\chi}_s^- & (81) \\
H^+ &\longrightarrow h^0 W^+ & (82)
\end{aligned}$$



6.3 Calculation of the other observables

The first of the two is the *MEWSB*. The second is the *MEWSB*. The third is the *MEWSB*. The fourth is the *MEWSB*. The fifth is the *MEWSB*. The sixth is the *MEWSB*. The seventh is the *MEWSB*. The eighth is the *MEWSB*. The ninth is the *MEWSB*. The tenth is the *MEWSB*. The eleventh is the *MEWSB*. The twelfth is the *MEWSB*. The thirteenth is the *MEWSB*. The fourteenth is the *MEWSB*. The fifteenth is the *MEWSB*. The sixteenth is the *MEWSB*. The seventeenth is the *MEWSB*. The eighteenth is the *MEWSB*. The nineteenth is the *MEWSB*. The twentieth is the *MEWSB*. The twenty-first is the *MEWSB*. The twenty-second is the *MEWSB*. The twenty-third is the *MEWSB*. The twenty-fourth is the *MEWSB*. The twenty-fifth is the *MEWSB*. The twenty-sixth is the *MEWSB*. The twenty-seventh is the *MEWSB*. The twenty-eighth is the *MEWSB*. The twenty-ninth is the *MEWSB*. The thirtieth is the *MEWSB*. The thirty-first is the *MEWSB*. The thirty-second is the *MEWSB*. The thirty-third is the *MEWSB*. The thirty-fourth is the *MEWSB*. The thirty-fifth is the *MEWSB*. The thirty-sixth is the *MEWSB*. The thirty-seventh is the *MEWSB*. The thirty-eighth is the *MEWSB*. The thirty-ninth is the *MEWSB*. The fortieth is the *MEWSB*. The forty-first is the *MEWSB*. The forty-second is the *MEWSB*. The forty-third is the *MEWSB*. The forty-fourth is the *MEWSB*. The forty-fifth is the *MEWSB*. The forty-sixth is the *MEWSB*. The forty-seventh is the *MEWSB*. The forty-eighth is the *MEWSB*. The forty-ninth is the *MEWSB*. The fiftieth is the *MEWSB*. The fifty-first is the *MEWSB*. The fifty-second is the *MEWSB*. The fifty-third is the *MEWSB*. The fifty-fourth is the *MEWSB*. The fifty-fifth is the *MEWSB*. The fifty-sixth is the *MEWSB*. The fifty-seventh is the *MEWSB*. The fifty-eighth is the *MEWSB*. The fifty-ninth is the *MEWSB*. The sixtieth is the *MEWSB*. The sixty-first is the *MEWSB*. The sixty-second is the *MEWSB*. The sixty-third is the *MEWSB*. The sixty-fourth is the *MEWSB*. The sixty-fifth is the *MEWSB*. The sixty-sixth is the *MEWSB*. The sixty-seventh is the *MEWSB*. The sixty-eighth is the *MEWSB*. The sixty-ninth is the *MEWSB*. The seventieth is the *MEWSB*. The seventy-first is the *MEWSB*. The seventy-second is the *MEWSB*. The seventy-third is the *MEWSB*. The seventy-fourth is the *MEWSB*. The seventy-fifth is the *MEWSB*. The seventy-sixth is the *MEWSB*. The seventy-seventh is the *MEWSB*. The seventy-eighth is the *MEWSB*. The seventy-ninth is the *MEWSB*. The eightieth is the *MEWSB*. The eighty-first is the *MEWSB*. The eighty-second is the *MEWSB*. The eighty-third is the *MEWSB*. The eighty-fourth is the *MEWSB*. The eighty-fifth is the *MEWSB*. The eighty-sixth is the *MEWSB*. The eighty-seventh is the *MEWSB*. The eighty-eighth is the *MEWSB*. The eighty-ninth is the *MEWSB*. The ninetieth is the *MEWSB*. The ninety-first is the *MEWSB*. The ninety-second is the *MEWSB*. The ninety-third is the *MEWSB*. The ninety-fourth is the *MEWSB*. The ninety-fifth is the *MEWSB*. The ninety-sixth is the *MEWSB*. The ninety-seventh is the *MEWSB*. The ninety-eighth is the *MEWSB*. The ninety-ninth is the *MEWSB*. The hundredth is the *MEWSB*.

no_t Af_t p o on e+e- f p sin t p t
M o o , n s n f l o n n p o f n n n s
no_t

[illegible]

$$C_{\gamma W^+}) - \frac{K_{ts}K_{tb}x_{tW}}{4m_W^2} \left(-2F_1(x_{tW}) + F_2(x_{tW}) \right) \quad (99)$$

$$C_{\triangleleft}^{H^+}) - \frac{K_{ts}K_{tb}}{4m_{H^+}^2} \left[\frac{Y_t^2 \mathcal{O}_3^2 \beta}{4} \left(-2F_{\triangleleft} x_{tH^+} \right) + F_{\triangleleft} x_{tH^+} \right) \right. \\ \left. - \frac{Y_b Y_t \mathcal{O}_3 \beta}{m_b} \ln \beta m_t \left(-2F_{\triangleleft} x_{tH^+} \right) + F_{\triangleleft} x_{tH^+} \right) \right] \quad (00)$$

$$C_{\tau_{\blacktriangleleft}^+ \tilde{\chi}^+}) \sum_{i,j=1}^2 \frac{K_{ts} K_{tb}}{4 m_{\tilde{t}_i}^2} \left[C_{R,ij}^2 \left(\frac{2}{3} F_{2\blacktriangleleft} x_{\tilde{\chi}_j^+ \tilde{t}_i} \right) + F_{1\blacktriangleleft} x_{\tilde{\chi}_j^+ \tilde{t}_i} \right) \right. \\ \left. - C_{L,ij} C_{R,ij} \left(\frac{2}{3} F_{4\blacktriangleleft} x_{\tilde{\chi}_j^+ \tilde{t}_i} \right) + F_{3\blacktriangleleft} x_{\tilde{\chi}_j^+ \tilde{t}_i} \right) \right] \quad (0)$$

$$C_{L,ij} = Y_b R_{t,i1} U_{j2} \quad (102)$$

$$C_{R,ij} \quad -gR_{\tilde{t},i1}V_{j1} + Y_t R_{\tilde{t},i2}V_{j2} \quad \text{10}$$

[7]. A similar prediction on the one-loop contribution of C_8 to the anomalous magnetic moment of the muon, a_μ , has been obtained by [9] and can be written as

$$BR(b \rightarrow s\gamma) = 1.28 \pm 0.82r_7^2 + 0.01r_8^2 + 1.9r_7 + 0.16r_8 + 0.08r_7r_8 \quad (104)$$

$r_7 = C_7/C_7 W^+)$ and $r_8 = C_8/C_8 W^+)$. In this paper, we point out the possibility of the production of $b \rightarrow s \gamma$ [6].

MSMData	<code>complex(dp) :: phase_mu</code>
e^{φ_μ}	<code>real(dp) :: tanb</code>
$\tan \beta$	<code>complex(dp) :: M(3)</code>
M_1, M_2, M_3	<code>complex(dp), dimension(3,3) :: M_E, M_L</code>
M_E^2, M_L^2	<code>complex(dp), dimension(3,3) :: M_D, M_Q, M_U</code>
M_D^2, M_Q^2, M_U^2	<code>complex(dp), dimension(3,3) :: A_l, A_d, A_u</code>
A_l, A_d, A_u	<code>complex(dp) :: mu</code>
μ	<code>complex(dp) :: B</code>
$B\mu$	<code>real(dp) :: M_H(2)</code>
M_H^2	<code>real(dp) :: gp, g</code>
g', g	<code>complex(dp), dimension(3,3) :: Y_l, Y_d, Y_u</code>
Y_l, Y_d, Y_u	<code>real(dp) :: vevSM(2)</code>
v_1, v_2	<code>real(dp) :: gauge(3)</code>
g', g, g_s	

7 A sample example

SPheno.f90. In the following is a sample program that calculates the pole masses of the top quark and the Higgs boson. The program is written in Fortran 90 and is compiled with the gfortran compiler. The program is called `SPheno.f90`. The program is a sample program and is not intended to be used as a reference.

Call ReadingData(kont)

The following is a sample program that calculates the pole masses of the top quark and the Higgs boson. The program is written in Fortran 90 and is compiled with the gfortran compiler. The program is called `SPheno.f90`. The program is a sample program and is not intended to be used as a reference.

LesHouches.in is a sample input file for the program. It contains the parameters of the model and the initial conditions. The program is called `Control.in` and is a sample program. The program is a sample program and is not intended to be used as a reference.

StandardModel.in is a sample input file for the program. It contains the parameters of the model and the initial conditions. The program is called `Control.in` and is a sample program. The program is a sample program and is not intended to be used as a reference.

HighScale.in is a sample input file for the program. It contains the parameters of the model and the initial conditions. The program is called `Control.in` and is a sample program. The program is a sample program and is not intended to be used as a reference.

Messages.out is a sample output file for the program. It contains the results of the calculation. The program is called `Control.in` and is a sample program. The program is a sample program and is not intended to be used as a reference.

CalculateSpectrum is a sample program that calculates the pole masses of the top quark and the Higgs boson. The program is written in Fortran 90 and is compiled with the gfortran compiler. The program is called `SPheno.f90`. The program is a sample program and is not intended to be used as a reference.

! Call SetGUTScale(2.e16_dp) ! please put the GUT scale

! Call SetRGEScale(1.e3_dp2) ! please put the scale M_{EWB} squared**

The following is a sample program that calculates the pole masses of the top quark and the Higgs boson. The program is written in Fortran 90 and is compiled with the gfortran compiler. The program is called `SPheno.f90`. The program is a sample program and is not intended to be used as a reference.

M_{EWB} is a sample parameter for the program. It is the scale of the electroweak interaction. The program is called `SPheno.f90`. The program is a sample program and is not intended to be used as a reference.

$\sqrt{m_{t_1} m_{t_2}}$ is a sample parameter for the program. It is the geometric mean of the top quark masses. The program is called `SPheno.f90`. The program is a sample program and is not intended to be used as a reference.

- [illegible]

```
epsI = 1.e-5_dp
deltaM = 1.e-3_dp
CalcTBD = .False.
ratioWbM = 0._dp
Couplings_At_M =
```

End If

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Fig. 4: Comparison of the results for the no pole limit and the full calculation.

Process	BR(C)
$\tilde{\chi}_i^+ \rightarrow \tilde{l}_{m,k}^+ \nu_m$	1-6
$\tilde{\chi}_i^+ \rightarrow \tilde{\nu}_m l_m^+$	7-9
$\tilde{\chi}_i^+ \rightarrow \tilde{d}_{m,k}^+ u_m$	10-11
$\tilde{\chi}_i^+ \rightarrow \tilde{u}_{m,k}^+ \bar{d}_m$	16-21
$\tilde{\chi}_i^+ \rightarrow \tilde{\chi}_j^0 W^+$	22-23
$\tilde{\chi}_i^+ \rightarrow \tilde{\chi}_j^0 H^+$	26-29
$\tilde{\chi}_2^+ \rightarrow \tilde{\chi}_1^+ Z^0$	0
$\tilde{\chi}_2^+ \rightarrow \tilde{\chi}_1^+ A^0$	1
$\tilde{\chi}_2^+ \rightarrow \tilde{\chi}_1^+ h^0$	2
$\tilde{\chi}_2^+ \rightarrow \tilde{\chi}_1^+ H^0$	
$\tilde{\chi}_i^+ \rightarrow \tilde{\chi}_j^0 u_m \bar{d}_m$	64-73
$\tilde{\chi}_i^+ \rightarrow \tilde{\chi}_j^0 l_m^+ \nu_m$	76-87
$\tilde{\chi}_i^+ \rightarrow \tilde{g} u_m \bar{d}_m$	88-90
$\tilde{\chi}_2^+ \rightarrow \tilde{\chi}_1^+ u_m \bar{u}_m$	91-93
$\tilde{\chi}_2^+ \rightarrow \tilde{\chi}_1^+ d_m \bar{d}_m$	94-96
$\tilde{\chi}_2^+ \rightarrow \tilde{\chi}_1^+ l_m l_m^+$	97-99
$\tilde{\chi}_2^+ \rightarrow \tilde{\chi}_1^+ \nu_m \bar{\nu}_m$	100-102

- **Couplings_At_M** : If the mass of the particle is not zero, then it is set to TRUE. If the mass of the particle is zero, then it is set to FALSE. If the mass of the particle is zero, then it is set to FALSE.

If the mass of the particle is not zero, then it is set to TRUE. If the mass of the particle is zero, then it is set to FALSE.

```
If ((L_CS).and.(kont.eq.0)) then
  Call CalculateCrossSections(Ecms, Pm, Pp, ISR
    & , nSup, RSup, nf_u, nSdown, RSdown, nf_d, nglu
    & , SigSup, SigSdown, nslepton, RSlepton
    & , nsneut, RSneut, SigSle, SigSn, nC, U, V, nN, N
    & , SigC, SigChi0, nS0, RS0, vevSM, nP0, RP0, nSpm
    & , RSpm, SigS0, SigSP, SigHp )
```

End If

If the mass of the particle is not zero, then it is set to TRUE.

- **Ecms** : The center of mass energy of the collision.
- **Pm Pp** : The mass of the particle and the mass of the antiparticle.
- **ISR** : If the mass of the particle is not zero, then it is set to TRUE. If the mass of the particle is zero, then it is set to FALSE.

Table 1: Composition of the $\tilde{\chi}_i^0$ in the $\tilde{\chi}_i^0 \rightarrow \tilde{l}_m^+ l_m^-$ and $\tilde{\chi}_i^0 \rightarrow \tilde{\nu}_m \nu_m$ decays. The numbers in parentheses are the branching ratios.

$\tilde{\chi}_i^0$	$\tilde{\chi}_i^0 \rightarrow \tilde{l}_m^+ l_m^-$ (BR, %)
$\tilde{\chi}_1^0 \rightarrow \tilde{l}_{m,k}^+ l_m^-$	1-12
$\tilde{\chi}_1^0 \rightarrow \tilde{\nu}_m \nu_m$	1-18
$\tilde{\chi}_1^0 \rightarrow \tilde{u}_{m,k} u_m$	19-0
$\tilde{\chi}_1^0 \rightarrow \tilde{d}_{m,k} \bar{d}_m$	1-42
$\tilde{\chi}_1^0 \rightarrow \tilde{\chi}_j^\pm W^\mp$	4-46
$\tilde{\chi}_1^0 \rightarrow \tilde{\chi}_j^\pm H^\mp$	47-0
$\tilde{\chi}_1^0 \rightarrow \tilde{\chi}_j^0 Z^0$	1-24(+)
$\tilde{\chi}_1^0 \rightarrow \tilde{\chi}_j^0 A^0$	2(+)-2(+2(+))
$\tilde{\chi}_1^0 \rightarrow \tilde{\chi}_j^0 h^0$	26(+)-22(+)
$\tilde{\chi}_1^0 \rightarrow \tilde{\chi}_j^0 H^0$	27(+)-21(+4(+))
$\tilde{\chi}_1^0 \rightarrow \gamma \tilde{G}$	6
$\tilde{\chi}_1^0 \rightarrow Z^0 \tilde{G}$	64
$\tilde{\chi}_1^0 \rightarrow h^0 \tilde{G}$	6
$\tilde{\chi}_1^0 \rightarrow \gamma \tilde{\chi}_j^0$	6-1
$\tilde{\chi}_1^0 \rightarrow \tilde{\chi}_j^\pm q_m \bar{q}_m$	69-80
$\tilde{\chi}_1^0 \rightarrow \tilde{\chi}_j^\pm l_m^\mp \nu_m$	81-92
$\tilde{\chi}_1^0 \rightarrow \tilde{G} u_m \bar{u}_m$	9-9
$\tilde{\chi}_1^0 \rightarrow \tilde{G} d_m \bar{d}_m$	96-98
$\tilde{\chi}_{i>1}^0 \rightarrow \tilde{\chi}_1^0 u_m \bar{u}_m$	99-101
$\tilde{\chi}_{i>1}^0 \rightarrow \tilde{\chi}_1^0 d_m \bar{d}_m$	102-104
$\tilde{\chi}_{i>1}^0 \rightarrow \tilde{\chi}_1^0 l_m^+ l_m^-$	10-107
$\tilde{\chi}_{i>1}^0 \rightarrow \tilde{\chi}_1^0 \nu_m \bar{\nu}_m$	108-110
$\tilde{\chi}_{i>2}^0 \rightarrow \tilde{\chi}_2^0 u_m \bar{u}_m$	111-11
$\tilde{\chi}_{i>2}^0 \rightarrow \tilde{\chi}_2^0 d_m \bar{d}_m$	114-116
$\tilde{\chi}_{i>2}^0 \rightarrow \tilde{\chi}_2^0 l_m^+ l_m^-$	117-119
$\tilde{\chi}_{i>2}^0 \rightarrow \tilde{\chi}_2^0 \nu_m \bar{\nu}_m$	120-122
$\tilde{\chi}_4^0 \rightarrow \tilde{\chi}_3^0 u_m \bar{u}_m$	12-12
$\tilde{\chi}_4^0 \rightarrow \tilde{\chi}_3^0 d_m \bar{d}_m$	126-128
$\tilde{\chi}_4^0 \rightarrow \tilde{\chi}_3^0 l_m^+ l_m^-$	129-11
$\tilde{\chi}_4^0 \rightarrow \tilde{\chi}_3^0 \nu_m \bar{\nu}_m$	12-14

6: Co spon n n n n f o n o p e n n n n n

$\tilde{g} \rightarrow \tilde{d}_{m,k} d_m$	$\tilde{g} \rightarrow \tilde{u}_{m,k} \bar{u}_m$
$\tilde{g} \rightarrow \tilde{d}_{m,k} d_m$	$\tilde{g} \rightarrow \tilde{u}_{m,k} \bar{u}_m$
$\tilde{g} \rightarrow \tilde{t}_1 \bar{c}$	$\tilde{g} \rightarrow \tilde{t}_1 \bar{c}$
$\tilde{g} \rightarrow \gamma \tilde{\chi}_j^0$	$\tilde{g} \rightarrow \gamma \tilde{\chi}_j^0$
$\tilde{g} \rightarrow \tilde{\chi}_1^0 u_m \bar{u}_m$	$\tilde{g} \rightarrow \tilde{\chi}_1^0 u_m \bar{u}_m$
$\tilde{g} \rightarrow \tilde{\chi}_1^0 d_m \bar{d}_m$	$\tilde{g} \rightarrow \tilde{\chi}_1^0 d_m \bar{d}_m$
$\tilde{g} \rightarrow \tilde{\chi}_2^0 u_m \bar{u}_m$	$\tilde{g} \rightarrow \tilde{\chi}_2^0 u_m \bar{u}_m$
$\tilde{g} \rightarrow \tilde{\chi}_2^0 d_m \bar{d}_m$	$\tilde{g} \rightarrow \tilde{\chi}_2^0 d_m \bar{d}_m$
$\tilde{g} \rightarrow \tilde{\chi}_3^0 u_m \bar{u}_m$	$\tilde{g} \rightarrow \tilde{\chi}_3^0 u_m \bar{u}_m$
$\tilde{g} \rightarrow \tilde{\chi}_3^0 d_m \bar{d}_m$	$\tilde{g} \rightarrow \tilde{\chi}_3^0 d_m \bar{d}_m$
$\tilde{g} \rightarrow \tilde{\chi}_4^0 u_m \bar{u}_m$	$\tilde{g} \rightarrow \tilde{\chi}_4^0 u_m \bar{u}_m$
$\tilde{g} \rightarrow \tilde{\chi}_4^0 d_m \bar{d}_m$	$\tilde{g} \rightarrow \tilde{\chi}_4^0 d_m \bar{d}_m$
$\tilde{g} \rightarrow \tilde{\chi}_i^\pm q_m \bar{q}_m$	$\tilde{g} \rightarrow \tilde{\chi}_i^\pm q_m \bar{q}_m$
$\tilde{g} \rightarrow \tilde{t}_i W^- \bar{b}$	$\tilde{g} \rightarrow \tilde{t}_i W^- \bar{b}$

 $\gamma \quad b \quad .$

CrossSections.in.

Fig. 7: Comparison of the number of the produced particles for the decay of the h^0 (H^0) into h^0 (H^0) for the production of the h^0 (H^0) in the h^0 (H^0) decay. The number of the produced particles for the decay of the h^0 (H^0) into h^0 (H^0) is shown in the table. The number of the produced particles for the decay of the h^0 (H^0) into h^0 (H^0) is shown in the table. The number of the produced particles for the decay of the h^0 (H^0) into h^0 (H^0) is shown in the table.

h^0	h^0	H^0	A^0	h^0	h^0	H^0	A^0
$\phi \rightarrow l_m^+ l_m^-$	1-	1-	1-	$H^0 \rightarrow Z^0 Z^0$	-	6	-
$\phi \rightarrow d_m d_m$	4-6	4-6	4-6	$H^0 \rightarrow W^+ W^-$	-	64	-
$\phi \rightarrow u_m \bar{u}_m$	7-9	7-9	7-9	$H^0 \rightarrow h^0 h^0$	-	70	-
$H^0 \rightarrow \tilde{e}_1^+ \tilde{e}_1^-$	-	10	-	$A^0 \rightarrow h^0 Z^0$	-	-	6
$\phi \rightarrow \tilde{e}_1^\mp \tilde{e}_2^\pm$	-	11-12	11-12	$h^0 \rightarrow W^+ W^{*-}$	70	-	-
$H^0 \rightarrow \tilde{e}_2^+ \tilde{e}_2^-$	-	1	-	$h^0 \rightarrow W^{+*} W^-$	71	-	-
$H^0 \rightarrow \tilde{\mu}_1^+ \tilde{\mu}_1^-$	-	14	-	$h^0 \rightarrow Z^0 Z^{0*}$	72	-	-
$\phi \rightarrow \tilde{\mu}_1^\mp \tilde{\mu}_2^\pm$	-	1-16	1-16	$\phi \rightarrow gg$	80	80	-
$H^0 \rightarrow \tilde{\mu}_2^+ \tilde{\mu}_2^-$	-	17	-				
$H^0 \rightarrow \tilde{\tau}_1^+ \tilde{\tau}_1^-$	-	18	-				
$\phi \rightarrow \tilde{\tau}_1^\mp \tilde{\tau}_2^\pm$	-	19-20	19-20				
$H^0 \rightarrow \tilde{\tau}_2^+ \tilde{\tau}_2^-$	-	21	-				
$H^0 \rightarrow \tilde{\nu}_m \tilde{\nu}_m$	-	21-22	-				
$H^0 \rightarrow \tilde{d}_1^+ \tilde{d}_1^-$	-	2	-				
$\phi \rightarrow \tilde{d}_1^\mp \tilde{d}_2^\pm$	-	26-27	2-24				
$H^0 \rightarrow \tilde{d}_2^+ \tilde{d}_2^-$	-	28	-				
$H^0 \rightarrow \tilde{s}_1^+ \tilde{s}_1^-$	-	29	-				
$\phi \rightarrow \tilde{s}_1^\mp \tilde{s}_2^\pm$	-	30-31	27-28				
$H^0 \rightarrow \tilde{s}_2^+ \tilde{s}_2^-$	-	2	-				
$H^0 \rightarrow \tilde{b}_1^+ \tilde{b}_1^-$	-	-	-				
$\phi \rightarrow \tilde{b}_1^\mp \tilde{b}_2^\pm$	-	4-	1-2				
$H^0 \rightarrow \tilde{b}_2^+ \tilde{b}_2^-$	-	6	-				
$H^0 \rightarrow \tilde{u}_1^+ \tilde{u}_1^-$	-	7	-				
$\phi \rightarrow \tilde{u}_1^\mp \tilde{u}_2^\pm$	-	8-9	-6				
$H^0 \rightarrow \tilde{u}_2^+ \tilde{u}_2^-$	-	40	-				
$H^0 \rightarrow \tilde{c}_1^+ \tilde{c}_1^-$	-	41	-				
$\phi \rightarrow \tilde{c}_1^\mp \tilde{c}_2^\pm$	-	42-4	9-40				
$H^0 \rightarrow \tilde{c}_2^+ \tilde{c}_2^-$	-	44	-				
$H^0 \rightarrow \tilde{t}_1^+ \tilde{t}_1^-$	-	4	-				
$\phi \rightarrow \tilde{t}_1^\mp \tilde{t}_2^\pm$	-	46-47	4-44				
$H^0 \rightarrow \tilde{t}_2^+ \tilde{t}_2^-$	-	48	-				
$\phi \rightarrow \tilde{\chi}_r^0 \tilde{\chi}_s^0$ (s)	49-8	49-8	46-				
$\phi \rightarrow \tilde{\chi}_1^+ \tilde{\chi}_1^-$	9	9	6				
$\phi \rightarrow \tilde{\chi}_1^\pm \tilde{\chi}_2^\mp$	60-61	60-61	7-8				
$\phi \rightarrow \tilde{\chi}_2^+ \tilde{\chi}_2^-$	62	62	9				

Fig. 8: Composition of the production cross section (BR in %) of the processes in the tb channel.

Process	BR (%)
$H^+ \rightarrow l_m^+ \nu_m$	1
$H^+ \rightarrow u_m \bar{d}_m$	4-6
$H^+ \rightarrow \tilde{e}_i^+ \tilde{\nu}_e$	7-8
$H^+ \rightarrow \tilde{\mu}_i^+ \tilde{\nu}_\mu$	9-10
$H^+ \rightarrow \tilde{\tau}_i^+ \tilde{\nu}_\tau$	11-12
$H^+ \rightarrow \tilde{u}_i \bar{\tilde{d}}_j$	$12 + 2^*(j-1) + 1$
$H^+ \rightarrow \tilde{c}_i \bar{\tilde{s}}_j$	$16 + 2^*(j-1) + 1$
$H^+ \rightarrow \tilde{t}_i \bar{\tilde{b}}_j$	$20 + 2^*(j-1) + 1$
$H^+ \rightarrow \tilde{\chi}_r^+ \tilde{\chi}_s^0$	$24 + 4^*(s-1) + 1$
$H^+ \rightarrow h^0 W^+$	4

Fig. 9: Composition of the production cross section (BR in %) of the processes in the tb channel.

Process	BR (%)
$e^+ e^- \rightarrow \tilde{u}_i \tilde{u}_j$	1 p) :: 6,6)
$e^+ e^- \rightarrow \tilde{d}_i \tilde{d}_j$	1 p) :: 6,6)
$e^+ e^- \rightarrow \tilde{l}_i \tilde{l}_j$	1 p) :: 6,6)
$e^+ e^- \rightarrow \tilde{\nu}_i \tilde{\nu}_j$	1 p) :: 6,6)
$e^+ e^- \rightarrow \tilde{\chi}_k^0 \tilde{\chi}_n^0$	1 p) :: CE(4,4)
$e^+ e^- \rightarrow \tilde{\chi}_r^+ \tilde{\chi}_s^-$	1 p) :: N(4,4)
$e^+ e^- \rightarrow h^0 Z, H^0 Z$	1 p) :: 0,2)
$e^+ e^- \rightarrow h^0 A^0, H^0 A^0$	1 p) :: 0,2)
$e^+ e^- \rightarrow H^+ H^-$	1 p)

! output according to SUSY Les Houches Accord

```
Call LesHouches_Out(HighScaleMdel, M_GUT, BRbtosgamma, a_mu, Delta_Rho &
& , Ecms, Pm, Pp, ISR, SigSup, SigSdown, SigSle, SigSn, SigChi0 &
& , SigC, SigS0, SigSP, SigHp)
```

! output according to original SPheno style

```
Call WriteOutPut0(11, kont, HighScaleMdel, M_GUT, BRbtosgamma, a_mu &
& , Delta_Rho, Ecms, Pm, Pp, ISR, SigSup, SigSdown, SigSle , SigSn &
& , SigChi0, SigC, SigS0, SigSP, SigHp)
```

```
! o u t h SetWriteMnBR an SetWriteMnSig an! u s t o n t! an!
n e b s an o s s s t o n s [ n f ] , s p t t h e t t n o u p t h
o u t h LesHouches_Out , s t o u p t o n d t Y s f o u s A p o [28]
h s t o u t h WriteOutPut0 , s t n t o n e SPheno s s n App n D.
h l e s t e m n t o s s o p n f i s .
```

call closing() ! closes the files

8 Conclusions

SPheno, a p o h p t h an n e b s an o s s s t o n s d s p s i m t p e t n e e e n n t e b n t n t M M h u s an h o o s t n t f o l o n h h s o m o l s i m h s p e t h h s p e t n t n t n h t h e n n t n o s u h s t p s i m t v n , a n s t n t t o n a n s i m e t s p s i m t v e n , s t n t t s p s i m t o n a n s i m p e r e b n . h p e r e b n d t s p t h e o n u s n t o o o p n o n e b n o u p q u e b n s an t a p t o n o o p f o m u s f o t Y h s s s n s s d t n u t e f s o s o n s an t u p e a t t e n t o o p t e n t n t h s s s an h n n an l s o u d e r e t t h o s m p o n t t o o e n t o u s s s h o s s o u s f o t e r e b n d t Y p o u b n o s s s t o n s n e e e n n t e b n . f r t t f n t s t e b n an t o n t n a l p o e b n s n t n t . n a l f o l o n l o n r q u e n t t e r e t : $BR(b \rightarrow s\gamma)$, t s p s i m t p o n t u b n s d t a n s o u s e n t a h n t f t h o n a_μ an t f m o n o n t u b n d t ρ p e a t . d h t h s o n 2.2.0 **SPheno** o f o n p u t a n o u p t o n d t Y s f o u s s o o [28].

h p o h s s t u p n s u h e t t n s o n s an s s s n t n t . h p a n s f o u p a n , s o n s d n t p p h s f o t s p s i m t p e a t s , d n t n e b n n , d n t C D an Y e p o b n s f o o u s p o s s s s u h s f m o n an p o u b n an s s . n e b n h s t e m n f o o u s o r n s n s i m p m n t .

Acknowledgments

h o u t e d t a n B. All e n s , A. D i o u s an . h f o s s o n s o n t h o o s o b n s d t Y u s s o p n s p e t n s o d t) . l e f o s s o n s o n 2 o o p o b n s d t n u t e f s o s o n s s s s an t u p e a t s s s f o p o n e o t a n o p f o m n t s p e r e b n s .) . M u n t f o e e t

the position of the ν_{τ} and ν_{μ} in the ν_{τ} and ν_{μ} channels. For the ν_{τ} channel, the position of the ν_{τ} and ν_{μ} in the ν_{τ} and ν_{μ} channels is determined by the position of the ν_{τ} and ν_{μ} in the ν_{τ} and ν_{μ} channels. The position of the ν_{τ} and ν_{μ} in the ν_{τ} and ν_{μ} channels is determined by the position of the ν_{τ} and ν_{μ} in the ν_{τ} and ν_{μ} channels.

A Switches

In this appendix we describe the switches for the ν_{τ} and ν_{μ} channels. The position of the ν_{τ} and ν_{μ} in the ν_{τ} and ν_{μ} channels is determined by the position of the ν_{τ} and ν_{μ} in the ν_{τ} and ν_{μ} channels.

1. The M_{EWSB} switch is used to set the loop on the ν_{τ} and ν_{μ} channels. The position of the ν_{τ} and ν_{μ} in the ν_{τ} and ν_{μ} channels is determined by the position of the ν_{τ} and ν_{μ} in the ν_{τ} and ν_{μ} channels.

Call SetRGEScale(1.e3_dp**2)

M_{EWSB} is set to 10^3 V in the ν_{τ} and ν_{μ} channels. The position of the ν_{τ} and ν_{μ} in the ν_{τ} and ν_{μ} channels is determined by the position of the ν_{τ} and ν_{μ} in the ν_{τ} and ν_{μ} channels.

2. The M_{GUT} switch is used to set the loop on the ν_{τ} and ν_{μ} channels. The position of the ν_{τ} and ν_{μ} in the ν_{τ} and ν_{μ} channels is determined by the position of the ν_{τ} and ν_{μ} in the ν_{τ} and ν_{μ} channels.

Call SetGUTScale(2.e16_dp)

M_{GUT} is set to $2 \cdot 10^{16}$ V in the ν_{τ} and ν_{μ} channels. The position of the ν_{τ} and ν_{μ} in the ν_{τ} and ν_{μ} channels is determined by the position of the ν_{τ} and ν_{μ} in the ν_{τ} and ν_{μ} channels.

In the ν_{τ} and ν_{μ} channels, the position of the ν_{τ} and ν_{μ} in the ν_{τ} and ν_{μ} channels is determined by the position of the ν_{τ} and ν_{μ} in the ν_{τ} and ν_{μ} channels.

test = SetStrictUnification(.TRUE.)

The **test** switch is used to set the loop on the ν_{τ} and ν_{μ} channels. The position of the ν_{τ} and ν_{μ} in the ν_{τ} and ν_{μ} channels is determined by the position of the ν_{τ} and ν_{μ} in the ν_{τ} and ν_{μ} channels.

B Input files

In this appendix we describe the input files for the ν_{τ} and ν_{μ} channels. The position of the ν_{τ} and ν_{μ} in the ν_{τ} and ν_{μ} channels is determined by the position of the ν_{τ} and ν_{μ} in the ν_{τ} and ν_{μ} channels.

B.1 Control.in

It's not so hard to

0 ! ErrorLevel

.True. ! Calculation of branching ratios

```

! True.      ! Calculation of cross sections

```

```
Control.in = no_top_n_t
ErrorLevel = en_n_t_n_en [-2,2]
no_top_n_t = 0
no_top_n_t = 0
no_top_n_t = 0
```

2.1. Introduction

onnoptenn

0 p n t , n n

1 o - t n f n n

2. $\text{dot}(n, n)$ of $\text{dot}(n, n)$

A $n \times n$ matrix A is called *normal* if $A^*A = AA^*$. A normal matrix is called *unitary* if $A^{-1} = A^*$. A unitary matrix is called *orthogonal* if A is real.

B.2 CrossSections.in

Reflections on the Role of the

500. ! c.m.s. energy in GeV

0. α ! degree of longitudinal polarization of electrons

0. ! degree of longitudinal polarization of positrons

```

.TRUE.      ! calculation of initial state radiation if .TRUE.

```

CrossSections.in no top n.t. of the, son 2.2.2 p. 100 an. in bn, of the
 of on ebn 77! 2.2.2 p. 100 an. in bn, of the
 of on ebn 77! 2.2.2 p. 100 an. in bn, of the

B.3 HighScale.in

[illegible]

B.3.1 mSUGRA

[illegible]

mSugra

250.	! M_1/2
100.	! M_0
-100.	! A_0
10.	! tan(beta)
1.	! sign of mu
.TRUE.	! if 2-loop RGEs should be used

B.3.2 mSUGRA including right handed neutrinos

In this section, we focus on the four-dimensional case. For $d=4$, the renormalization group equation (RGE) for the Wilson coefficient C_{eff} is given by

nSugra

```

250.          ! M_1/2
100.          ! M_0
-100.         ! A_0
   10.        ! tan(beta)
    1.         ! sign of mu
1.e14         ! m_nu_R
1.e-14 3.e-12 0.06e-9 ! m_nu_i
.TRUE.        ! if 2-loop RGEs should be used

```

B.3.3 GMSE

The boundary conditions for the metric tensor $M_{\mu\nu}$ and the matter fields ϕ are given by

$$M_{\mu\nu}|_{\partial M} = 0, \quad \phi|_{\partial M} = 0,$$
 where ∂M is the boundary of the manifold M . The action S is then defined as

$$S = \int_M \left(\frac{1}{2} \text{tr}(\dot{M}^2) - \frac{1}{2} \text{tr}(\dot{\phi}^2) \right) d^4x,$$
 where \dot{M}^2 and $\dot{\phi}^2$ are the squared norms of the time derivatives of the metric and matter fields, respectively. The equations of motion are derived from the variation of the action with respect to the metric and matter fields.

GMSB

100000.	! Lambda
200000.	! M_M
1	! N_5
0	! N_10
0.	! A0
15.	! tan(beta)
1.	! sign of mu
.TRUE.	! if 2-loop RGEs should be used

[illegible]

B.3.5 String I

[illegible]

180.	! M_3/2
14. 0	! <t>
0. 5	! g_s^2
0. 9	! sin^2(theta)
0.	! delta_GS
-1 -3	! n_E n_L
1 -2 0	! n_D n_U n_Q
-1 -1	! n_H1 n_H2
10.	! tan(beta)
-1.	! phase(mu)
. TRUE.	! if 2-loop RGEs should be used

δ_{GS} . The value of δ_{GS} is determined by the ratio of the mass of the gravitino to the mass of the gluino, $m_3/2$, and the ratio of the mass of the gluino to the mass of the top quark, m_t/m_g . The value of δ_{GS} is also determined by the ratio of the mass of the gluino to the mass of the top quark, m_t/m_g .


```

5.      ! tan(beta)
1.      ! phase(mu)
.TRUE.  ! if 2-loop RGEs should be used

```

String_0IIb

300.	! M_3/2
14.6	! <t>
0.5	! g_s^2
0.9	! sin^2(theta)
0.	! delta_GS
5.	! tan(beta)
1.	! phase(mu)
.TRUE.	! if 2-loop RGEs should be used

B.3.7 SUGRA

Sugra

```

480. 300. 300.      ! M1/2i
150. 150. 150.      ! MEii
150. 150. 150.      ! MLii
150. 150. 150.      ! MDii
150. 150. 150.      ! MQii
150. 150. 150.      ! MUii
150. 150.           ! MHi
0. 0. 0.            ! A0uii
0. 0. 0.            ! A0dii
0. 0. 0.            ! A0eii
10.                 ! tan(beta)
1.                  ! phase(mu)
.TRUE.              ! if 2-loop RGEs should be used

```

B.3.8 MSSM

MSSM

99.13 192.74 580.51 ! M_1 M_2 M_3
 136.23 136.23 133.55 ! M_E i
 196.64 196.64 195.75 ! M_L i
 519.53 519.53 516.86 ! M_D i
 539.86 539.86 495.91 ! M_Q i
 521.66 521.66 424.83 ! M_U i
 0. 0. -510.01 ! A_u
 0. 0. -772.66 ! A_d
 0. 0. -254.20 ! A_e
 10. 454.65 ! $\tan(\beta)$ Q
 352.39 393.63 ! μ m_A

In this section we describe the MSSM tree level calculation of the MSSM parameters. The calculation is performed in the \overline{MS} scheme. The parameters are defined as follows:

10. ! $\tan(\beta)$
 352.39 393.63 ! μ m_A

In this section we describe the pMSSM calculation of the MSSM parameters. The calculation is performed in the \overline{MS} scheme. The parameters are defined as follows:

- m_A is the pole mass of the A boson
- $\tan\beta$ is the ratio of the vacuum expectation values

The top quark mass is defined as m_t in the \overline{MS} scheme at the scale m_t [7].

B.4 StandardModel.in

In this section we describe the Standard Model calculation of the parameters. The calculation is performed in the \overline{MS} scheme. The parameters are defined as follows:

91.1876 ! m_Z
 2.499.281(4)2.327.687(d)1.94718(54)256(n)1.94411(e)3.56154
 2. 0.

66907(T*-66907L T*>.67009(5)1.919.288(m)1-270.6 -14.5199 Td [(3))-519.287(0)2.66958(.)-56

o the o u p t t n t n o n s i o h e s i n s n . h i f o n e b n o n n n n t
 o s s s s b n t t n o u t n S P h e n o p f f o S P h e n o C r o s s S e c t i o n s . h
 s n d t t o i f o n e b n o n t n s n p o e b n d t n n n
 h s s s s n f f R n n o n o f o n p f o \sqrt{s} 00 V e n t n p o e h s :

Block SPhenoCrossSections # cross sections

XS 11 -11 500.0 0.00 0.00 1 # e+ e- XS, Pe-, Pe+, including ISR

h R R A N f o n e t s n s s :

Format("XS 11 -11 ", F7.1, " ", F5.2, " ", F5.2, " ", A)

h o s s s s b n s n f f) t n s f e t t n s

#	Sigma [fb]	NDA	ID1	ID2	#	~e_R-	~e_R+
2.83574498E+02	2	2000011	-2000011				

f f s t n t s s o s s s b n n f f , t s o n n t s p f f s t n h ! d
 p o p e t s t q u n t t o n t s , t s D o d p e t s h e ,
 s t R A N f o n e t

Format(3x, 1P, e16.8, 0p, 3x, I2, 3x, 2(i9, 1x), 2x, " # ", A)

A e n p s s s s b n s f o t s s n e o e t e n 00 V e + e - t n s
 o t t n p o e h s :

Block SPhenoCrossSections # cross sections

XS 11 -11 500.0 0.00 0.00 1 # e+ e- XS, Pe-, Pe+, including ISR

#	Sigma [fb]	NDA	ID1	ID2	#	~e_R-	~e_R+
2.83574498E+02	2	2000011	-2000011				
7.79728001E+01	2	2000011	-1000011				
4.57495061E+01	2	1000011	-1000011				
5.47916441E+01	2	2000013	-2000013				
6.00045490E-03	2	2000013	-1000013				
1.90114309E+01	2	1000013	-1000013				
5.96228076E+01	2	1000015	-1000015				
1.26426385E+00	2	1000015	-2000015				
1.59684572E+01	2	2000015	-2000015				
4.52889205E+02	2	1000012	-1000012				
1.36168303E+01	2	1000014	-1000014				
1.39168830E+01	2	1000016	-1000016				
2.75869582E+02	2	1000022	1000022				
6.56937491E+01	2	1000022	1000023				
7.10141133E+00	2	1000022	1000025				
8.27993814E-01	2	1000022	1000035				
6.90281358E+01	2	1000023	1000023				
1.60903760E+02	2	1000024	-1000024				
2.47077869E+01	2	25	23				

```

      BR(b -> s gamma), Y
      (g - 2)_mu in Delta(rho))
SPhenoLowEnergy.
1 : BR(b -> s gamma)
2 : Y on (g - 2)_mu
3 : Y on Delta(rho)
As an input, the output file is:

```

Block SPhenoLowEnergy # low energy observables

```

1      4.55809155E+00  # BR(b -> s gamma)
2      5.42193822E-09  # (g-2)_muon
3      1.97608480E-04  # Delta(rho)

```

D Sample output

for the run of the file **SPheno.out** on the file **HighScale.in**
 for the RA_s_nz.o file in App dir. B. J. in the file of the
Control.in, **CrossSections.in** and **StandardModel.in**.

SPheno output file

Version 2.2.2 , created: 14.09.2004, 17:14

mSugra input at the GUT scale 2.4620574378552756E+16

```

M1/2      :      2.5000000000000000E+02
M0        :      1.0000000000000000E+02
A0        :      -1.0000000000000000E+02
tan(beta) at mZ : 10.0000000000000000
sign(mu)   :      1.0000000000000000

```

Running masses have been used for the boundary conditions at mZ

Parameters at the scale 4.8442121445544416E+02

```

      g'      g      g_3
3.61098068E-01  6.46530088E-01  1.09487945E+00

```

```

      Y_e      Y_mu      Y_tau
2.88425398E-05  5.96372335E-03  1.00306479E-01

```

```

      Y_u      Y_c      Y_t
8.84588597E-06  3.53835431E-03  8.92075460E-01

```

```

      Y_d      Y_s      Y_b
1.91353683E-04  3.28034867E-03  1.37341541E-01

```

Gaugino mass parameters

```

1.0155024266722937E+02  1.9167894566112778E+02  5.8533134393167563E+02

```

mi, B

3.5775913791766874E+02 1.6731090082362174E+04

Slepton mass parameters

A_l

-2.5344637795775390E+02 -2.5344027822464955E+02 -2.5172098902647821E+02

M_E

1.8443988295117768E+04 1.8441668307344480E+04 1.7789728306764348E+04

M_L

3.8222680589380434E+04 3.8221538628557908E+04 3.7900699251843856E+04

Squark mass parameters

A_d

-8.5558462724494541E+02 -8.5558116731465941E+02 -7.9140619867408907E+02

A_u

-6.8014557244910873E+02 -6.8014185758548206E+02 -4.9696697403034966E+02

M_D

2.7491167922793247E+05 2.7490965928240586E+05 2.7157606836767372E+05

M_U

2.7715958460406726E+05 2.7715762927385850E+05 1.7637959938821895E+05

M_Q

2.9720857969470561E+05 2.9720661515585968E+05 2.4639278946889582E+05

Higgs mass parameters

3.2551122776108325E+04 -1.2811756834297138E+05

Masses and mixing matrices

Gluino : 6.0453116356737542E+02 1.0000000000000000

Charginos

1.8029681792857122E+02 3.8336666782688877E+02

U

**-0.91584 0.40153
0.40153 0.91584**

V

**-0.97278 0.23175
0.23175 0.97278**

Neutralinos

97.0684422442318606 1.8069642547695042E+02 3.6506776000040759E+02 3.82276404251164

N

**1 1 (-0.98582, 0.00000)
1 2 (0.05596, 0.00000)
1 3 (-0.14856, 0.00000)
1 4 (0.05430, 0.00000)
2 1 (-0.10355, 0.00000)**

2	2	(-0.94298,	0.00000)
2	3	(0.27441,	0.00000)
2	4	(-0.15735,	0.00000)
3	1	(0.00000,	0.06043)
3	2	(-0.00000,	-0.09021)
3	3	(-0.00000,	-0.69486)
3	4	(-0.00000,	-0.71090)
4	1	(0.11737,	0.00000)
4	2	(-0.31546,	0.00000)
4	3	(-0.64792,	0.00000)
4	4	(0.68331,	0.00000)

e-sneutrino mass : 1.8629967789333597E+02
 mu-sneutrino mass : 1.8629643037340736E+02
 tau-sneutrino mass : 1.8538056982341820E+02

selectron masses

1.4394583534020416E+02 2.0249814925123943E+02

R_e

0.00009	1.00000
-1.00000	0.00009

smuon masses

1.4391005493518603E+02 2.0251437533591726E+02

R_mu

0.01958	0.99981
-0.99981	0.01958

stau masses

1.3430774918769018E+02 2.0648286202975819E+02

R_tau

0.28332	0.95903
-0.95903	0.28332

u-squark masses

5.4818625728877964E+02 5.6590020431737230E+02

R_u

0.00006	1.00000
-1.00000	0.00006

c-squark masses

5.4817448074068113E+02 5.6590853096426122E+02

R_c

0.02385	0.99972
-0.99972	0.02385

t-squark masses

3. 9989424629928800E+02 5. 8682205427167264E+02

R_t

0. 55322 0. 83304
-0. 83304 0. 55322

d-squark masses

5. 4791161728759471E+02 5. 7129911929796879E+02

R_d

0. 00058 1. 00000
-1. 00000 0. 00058

s-squark masses

5. 4790724305571359E+02 5. 7129944562180071E+02

R_s

0. 00999 0. 99995
-0. 99995 0. 00999

b-squark masses

5. 1564470876393955E+02 5. 4769779167739352E+02

R_b

0. 94719 0. 32066
-0. 32066 0. 94719

m_A0, m_H+

3. 9982837260329677E+02 4. 0811814345802685E+02

m_h0, m_H0

1. 1082357413611736E+02 4. 0020427017852177E+02

R_S0

0. 11369 0. 99352
-0. 99352 0. 11369

Low energy constraints

10^4 Br(b -> s gamma) : 0. 4581123E+01
Delta(a_mu) : 0. 5696755E-08
Delta(rho) : 0. 2001459E-03

Anti particles are marked with a * in case of
(s)neutrinos and (s)quarks in the decay section.

Decay widths (GeV) and branching ratios

Selectron_1

Neutralino_1 e 0. 21291502 100. 00000000
Total width : 0. 21291502

Selectron_2		
Neutralino_1 e	0.12098066	55.98037525
Neutralino_2 e	0.03480167	16.10348944
Chargino_1 neutrino	0.06033029	27.91613531
Total width :	0.21611263	

Smion_1		
Neutralino_1 mu	0.21263340	100.00000000
Total width :	0.21263340	

Smion_2		
Neutralino_1 mu	0.12115824	55.99761649
Neutralino_2 mu	0.03482867	16.09731436
Chargino_1 neutrino	0.06037630	27.90506915
Total width :	0.21636321	

Stau_1		
Neutralino_1 tau	0.14502344	100.00000000
Total width :	0.14502344	

Stau_2		
Neutralino_1 tau	0.15977947	58.63841454
Neutralino_2 tau	0.04134796	15.17453244
Chargino_1 neutrino	0.07135516	26.18705302
Total width :	0.27248259	

e-Sneutrino		
Neutralino_1 neutrino	0.14973207	94.94284818
Neutralino_2 neutrino	0.00211800	1.34299390
Chargino_1 e	0.00585751	3.71415792
Total width :	0.15770758	

mu-Sneutrino		
Neutralino_1 neutrino	0.14972554	94.94874820
Neutralino_2 neutrino	0.00211562	1.34162573
Chargino_1 mu	0.00584974	3.70962607
Total width :	0.15769090	

tau-Sneutrino

Neutralino_1 neutrino	0.14788387	96.53891386
Neutralino_2 neutrino	0.00149472	0.97575508
Chargino_1 tau	0.00380717	2.48533106
Total width :	0.15318576	

Sdown_1

Neutralino_1 d-quark	0.28838606	98.56429027
Neutralino_2 d-quark	0.00269444	0.92090214
Neutralino_3 d-quark	0.00035714	0.12206173
Neutralino_4 d-quark	0.00114758	0.39221887
Total width :	0.29258676	

Sdown_2

Neutralino_1 d-quark	0.12870838	2.41531292
Neutralino_2 d-quark	1.64327451	30.83732443
Neutralino_3 d-quark	0.00857068	0.16083549
Neutralino_4 d-quark	0.08252004	1.54855280
Chargino_1 u-quark	3.23407423	60.68991849
Chargino_2 u-quark	0.23170134	4.34805586
Total width :	5.32884919	

S-strange_1

Neutralino_1 s-quark	0.28839626	98.33512617
Neutralino_2 s-quark	0.00291737	0.99474185
Neutralino_3 s-quark	0.00036637	0.12492215
Neutralino_4 s-quark	0.00114598	0.39074858
Chargino_1 c-quark	0.00045256	0.15431122
Total width :	0.29327899	

S-strange_2

Neutralino_1 s-quark	0.12869979	2.41541244
Neutralino_2 s-quark	1.64305243	30.83648512
Neutralino_3 s-quark	0.00859993	0.16140172
Neutralino_4 s-quark	0.08255413	1.54935962
Chargino_1 c-quark	3.23357116	60.68702822
Chargino_2 c-quark	0.23179659	4.35031288
Total width :	5.32827402	

Sbottom_1

Neutralino_1 b-quark	0.16653332	4.31243760
Neutralino_2 b-quark	1.34625440	34.86172159
Neutralino_3 b-quark	0.01956140	0.50654921

Neutralino_4 b-quark	0.04233574	1.09629870
Chargino_1 t-quark	1.72259277	44.60713339
Stop_1 W	0.56442035	14.61585951
Total width :	3.86169797	

Sbottom_2

Neutralino_1 b-quark	0.24058254	31.91983477
Neutralino_2 b-quark	0.09329885	12.37863659
Neutralino_3 b-quark	0.04185389	5.55305967
Neutralino_4 b-quark	0.05807690	7.70548478
Chargino_1 t-quark	0.12191203	16.17495579
Stop_1 W	0.19798439	26.26802841
Total width :	0.75370860	

Sup_1

Neutralino_1 u-quark	1.15420363	98.56401566
Neutralino_2 u-quark	0.01078281	0.92080534
Neutralino_3 u-quark	0.00143143	0.12223802
Neutralino_4 u-quark	0.00460140	0.39293982
Total width :	1.17101929	

Sup_2

Neutralino_1 07(0)2.66907(1)2.66907(4)2.66907(0)-2085.15(0)2.66907(.)2.66907(3)2.66907(

Neutralino_4 c-quark	0.06008384	1.08645601
Chargino_1 s-quark	3.59645144	65.03223042
Chargino_2 s-quark	0.07414186	1.34065776
Total width :	5.53026002	

Stop_1

Neutralino_1 t-quark	0.39786160	19.42136860
Neutralino_2 t-quark	0.24313066	11.86827336
Chargino_1 b-quark	1.37082175	66.91581865
Chargino_2 b-quark	0.01991200	0.97199197
c-quark neutralino_1	0.00040360	0.01970164
c-quark neutralino_2	0.01643838	0.80242915
Total width :	2.04857653	

Stop_2

Neutralino_1 t-quark	0.22193261	3.01781302
Neutralino_2 t-quark	0.64232737	8.73429056
Neutralino_3 t-quark	0.30940040	4.20718955
Neutralino_4 t-quark	1.44196179	19.60762341
Chargino_1 b-quark	1.62955414	22.15848167
Chargino_2 b-quark	1.44485203	19.64692457
Stop_1 Z	1.39455443	18.96298387
Stop_1 h0	0.26950476	3.66469336
Total width :	7.35408754	

Chargino_1

Snuon_1 neutrino	0.00004613	0.28874351
Stau_1 neutrino	0.01510357	94.54518351
Neutralino_1 W	0.00071260	4.46072016
neutralino_1 e ⁺ nu	0.00003745	0.23441594
neutralino_1 mu ⁺ nu	0.00003745	0.23441507
neutralino_1 tau ⁺ nu	0.00003773	0.23615356
Total width :	0.01597497	

Chargino_2

Selectron_2 neutrino	0.13339597	5.23062736
Snuon_2 neutrino	0.13343849	5.23229482
Stau_1 neutrino	0.00064169	0.02516131
Stau_2 neutrino	0.14518928	5.69305830
e-sneutrino e	0.04987592	1.95569876
mu-sneutrino mu	0.04994101	1.95825114
tau-sneutrino tau	0.06840093	2.68208833
Neutralino_1 W	0.16988544	6.66142664
Neutralino_2 W	0.73896629	28.97581836

Chargino_1 Z	0.60911313	23.88410873
Chargino_1 h0	0.45051419	17.66524071
neutralino_1 b ⁺ t	0.00030103	0.01180365
neutralino_2 b ⁺ t	0.00003051	0.00119636
chargino_1 b b ⁺	0.00054500	0.02137000
Total width :	2.55028619	

Neutralino_1 : stable

Neutralino_2		
Selectron ⁻ _1 e ⁺	0.00066378	3.07448383
Selectron ⁺ _1 e ⁻	0.00066378	3.07448383
Smuon ⁻ _1 mu ⁺	0.00069076	3.19948480
Smuon ⁺ _1 mu ⁻	0.00069076	3.19948480
Stau ⁻ _1 tau ⁺	0.00939369	43.50975897
Stau ⁺ _1 tau ⁻	0.00939369	43.50975897
neutralino_1 u u ⁺	0.00000345	0.01599688
neutralino_1 c c ⁺	0.00000345	0.01597295
neutralino_1 d d ⁺	0.00000459	0.02123795
neutralino_1 s s ⁺	0.00000459	0.02123789
neutralino_1 b b ⁺	0.00000472	0.02186206
neutralino_1 nu_e nu_e ⁺	0.00001768	0.08190096
neutralino_1 nu_mu nu_mu	0.00001769	0.08192757
neutralino_1 nu_tau nu_tau	0.00001944	0.09003518
neutralino_1 e ⁻ e ⁺	0.00000630	0.02919519
neutralino_1 mu ⁻ mu ⁺	0.00000630	0.02917454
neutralino_1 tau ⁻ tau ⁺	0.00000514	0.02379866
Total width :	0.02158986	

Neutralino_3		
Selectron ⁻ _1 e ⁺	0.00245868	0.12468320
Selectron ⁺ _1 e ⁻	0.00245868	0.12468320
Selectron ⁻ _2 e ⁺	0.00115857	0.05875282
Selectron ⁺ _2 e ⁻	0.00115857	0.05875282
Smuon ⁻ _1 mu ⁺	0.00247970	0.12574917
Smuon ⁺ _1 mu ⁻	0.00247970	0.12574917
Smuon ⁻ _2 mu ⁺	0.00120501	0.06110808
Smuon ⁺ _2 mu ⁻	0.00120501	0.06110808
Stau ⁻ _1 tau ⁺	0.00993392	0.50376391
Stau ⁺ _1 tau ⁻	0.00993392	0.50376391
Stau ⁻ _2 tau ⁺	0.01297595	0.65802945
Stau ⁺ _2 tau ⁻	0.01297595	0.65802945
e-sneutrino nu_e ⁺	0.00636550	0.32280417
e-sneutrino ⁺ nu_e	0.00636550	0.32280417
mu-sneutrino nu_mu ⁺	0.00636566	0.32281210
mu-sneutrino ⁺ nu_mu	0.00636566	0.32281210

tau-sneutrino ν_{τ}^{*}	0.00640970	0.32504561
tau-sneutrino * ν_{τ}	0.00640970	0.32504561
Chargino $^{+}_1$ W^{-}	0.58233645	29.53114356
Chargino $^{-}_1$ W^{+}	0.58233645	29.53114356
Neutralino_1 Z	0.22153690	11.23446435
Neutralino_2 Z	0.42050000	21.32417766
Neutralino_1 h_0	0.04208071	2.13397535
Neutralino_2 h_0	0.02440336	1.23753049
Neutralino_2 photon	0.00002030	0.00102937
Total width :	1.97194005	

Neutralino_4

Selectron $^{-}_1$ e^{+}	0.01003487	0.37554208
Selectron $^{+}_1$ e^{-}	0.01003487	0.37554208
Selectron $^{-}_2$ e^{+}	0.02565497	0.96010376
Selectron $^{+}_2$ e^{-}	0.02565497	0.96010376
Smuon $^{-}_1$ μ^{+}	0.01001475	0.37478909
Smuon $^{+}_1$ μ^{-}	0.01001475	0.37478909
Smuon $^{-}_2$ μ^{+}	0.02572432	0.96269931
Smuon $^{+}_2$ μ^{-}	0.02572432	0.96269931
Stau $^{-}_1$ τ^{+}	0.00708230	0.26504573
Stau $^{+}_1$ τ^{-}	0.00708230	0.26504573
Stau $^{-}_2$ τ^{+}	0.04322619	1.61768406
Stau $^{+}_2$ τ^{-}	0.04322619	1.61768406
e-sneutrino ν_e^{*}	0.06696143	2.50594432
e-sneutrino * ν_e	0.06696143	2.50594432
μ -sneutrino ν_{μ}^{*}	0.06696288	2.50599874
μ -sneutrino * ν_{μ}	0.06696288	2.50599874
tau-sneutrino ν_{τ}^{*}	0.06737263	2.52133329
tau-sneutrino * ν_{τ}	0.06737263	2.52133329
Chargino $^{+}_1$ W^{-}	0.68286763	25.55543352
Chargino $^{-}_1$ W^{+}	0.68286763	25.55543352
Neutralino_1 Z	0.05548528	2.07646431
Neutralino_2 Z	0.05010799	1.87522654
Neutralino_1 h_0	0.18248851	6.82939545
Neutralino_2 h_0	0.37208545	13.92481435
Neutralino_2 photon	0.00003496	0.00130835
Total width :	2.67210349	

Gluino

Sup_1 u^{*}	0.22549273	4.93757980
Sup_1 * u	0.22549273	4.93757980
Sup_2 u^{*}	0.10927993	2.39288589
Sup_2 * u	0.10927993	2.39288589
S-charm_1 c^{*}	0.22529588	4.93326946

S-charm_1 ^{^*} c	0. 22529588	4. 93326946
S-charm_2 c ^{^*}	0. 10935220	2. 39446832
S-charm_2 ^{^*} c	0. 10935220	2. 39446832
Stop_1 t ^{^*}	0. 23631434	5. 17453901
Stop_1 ^{^*} t	0. 23631434	5. 17453901
Sdown_1 d ^{^*}	0. 22758779	4. 98345500
Sdown_1 ^{^*} d	0. 22758779	4. 98345500
Sdown_2 d ^{^*}	0. 08161707	1. 78715654
Sdown_2 ^{^*} d	0. 08161707	1. 78715654
S-strange_1 s ^{^*}	0. 22761069	4. 98395651
S-strange_1 ^{^*} s	0. 22761069	4. 98395651
S-strange_2 s ^{^*}	0. 08162105	1. 78724357
S-strange_2 ^{^*} s	0. 08162105	1. 78724357
Sbottom_1 b ^{^*}	0. 51303196	11. 23378233
Sbottom_1 ^{^*} b	0. 51303196	11. 23378233
Sbottom_2 b ^{^*}	0. 23942646	5. 24268461
Sbottom_2 ^{^*} b	0. 23942646	5. 24268461
Stop_1 c ^{^*}	0. 00526030	0. 11518395
Stop_1 ^{^*} c	0. 00526030	0. 11518395
neutralino_2 gluon	0. 00021864	0. 00478751
neutralino_3 gluon	0. 00032667	0. 00715313
neutralino_4 gluon	0. 00037459	0. 00820239
neutralino_1 t t ^{^*}	0. 00008996	0. 00196988
neutralino_2 t t ^{^*}	0. 00009543	0. 00208969
chargino ^{^+} _1 t ^{^*} b	0. 00067696	0. 01482320
chargino ^{^-} _1 t b ^{^*}	0. 00067696	0. 01482320
chargino ^{^+} _2 t ^{^*} b	0. 00030059	0. 00658192
chargino ^{^-} _2 t b ^{^*}	0. 00030059	0. 00658192
Total width :	4. 56686756	

h0

muons	0. 00000104	0. 03717403
taus	0. 00029367	10. 49412940
s-quark	0. 00000127	0. 04524099
b-quark	0. 00216519	77. 37202572
c-quark	0. 00010749	3. 84124361
W- W [*]	0. 00005707	2. 03933591
W [*] W	0. 00005707	2. 03933591
Z Z [*]	0. 00000615	0. 21967100
g g	0. 00010946	3. 91166457
Total width :	0. 00279842	

H0

muons	0. 00028046	0. 03480344
taus	0. 07932609	9. 84378583
s-quark	0. 00031273	0. 03880696

b-quark	0.54671657	67.84351804
t-quark	0.03547964	4.40276284
Selectron 1 1	0.00038368	0.04761235
Smuon 1 1	0.00039169	0.04860540
Smuon 1 2	0.00001977	0.00245370
Smuon 2 1	0.00001977	0.00245370
Stau 1 1	0.00461331	0.57247839
Stau 1 2	0.00404359	0.50178033
Stau 2 1	0.00404359	0.50178033
e-Sneutrino	0.00089263	0.11076927
μ -Sneutrino	0.00089273	0.11078183
τ -Sneutrino	0.00092078	0.11426177
neutralino_1 neutralino_1	0.01634146	2.02785540
neutralino_1 neutralino_2	0.04742007	5.88448299
neutralino_2 neutralino_2	0.01339966	1.66280004
chargino ⁺ _1 chargino ⁻ _1	0.03593261	4.45897405
Z Z	0.00145026	0.17996641
W ⁺ W ⁻	0.00310488	0.38529262
h0 h0	0.00951582	1.18084312
g g	0.00034176	0.04241034
Total width :	0.80584938	

A0

muons	0.00028106	0.02300774
taus	0.07950191	6.50800650
s-quark	0.00031341	0.02565593
b-quark	0.54815429	44.87177335
t-quark	0.11221779	9.18611989
Smuon 1 2	0.00002049	0.00167718
Smuon 2 1	0.00002049	0.00167718
Stau 1 2	0.00594160	0.48637805
Stau 2 1	0.00594160	0.48637805
neutralino_1 neutralino_1	0.02505516	2.05100917
neutralino_1 neutralino_2	0.10779205	8.82383050
neutralino_2 neutralino_2	0.09278079	7.59501200
chargino ⁺ _1 chargino ⁻ _1	0.24090139	19.72012765
h0 Z	0.00267484	0.21896208
Total width :	1.22160158	

H⁺

muon neutrino	0.00028679	0.04230494
tau neutrino	0.08112135	11.96655479
s-quark c-quark	0.00026690	0.03937192

b-quark t-quark	0.43329892	63.91775887
Selectron_2 Sneutrino	0.00073931	0.10905855
Smuon_1 Sneutrino	0.00005822	0.00858803
Smuon_2 Sneutrino	0.00073338	0.10818334
Stau_1 Sneutrino	0.01538016	2.26879229
chargino_1 neutralino_1	0.14190050	20.93234365
chargino_1 neutralino_2	0.00107290	0.15826853
h0 W	0.00303784	0.44812476
Total width :	0.67790067	

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