S(ui) = p (Xbuno (Xu=i)

= \(\frac{1}{3\langle}\) p(\(\text{Xuno1}\text{Xu=\frac{1}{3}\text{Xw=\frac{1}{3}\text

= Z p(Xv=j, Xw=h | Xu=i) p(Xuno(Xv=j, Xw=h)

 $= \sum_{j \in \mathcal{N}} p(x_{u=j}) p(x_{w=h}(x_{u=i})) p(x_{u,v,o}(x_{v=j})) p(x_{u,v,o}(x_{v=j})) p(x_{u,v,o}(x_{v=j})) p(x_{u,v,o}(x_{v=i})) p(x_{u,v,o}(x_{v=i$

 $= \left(\sum_{j} p(x_{v}=j|X_{u}=i) p(X_{j}u_{n}o|X_{v}=j) \right) \left(\sum_{k} p(x_{w}=k|X_{k}=i) p(X_{j}u_{n}o|X_{w}=k|X_{v}=i) \right)$

t (uii)

= p(Krunoi Ku=i)

= \(\bar{\gamma} \beta \bar{\gamma} \) (\(\text{Knno} \) (\(\text{Kn=i} \) (\(\text{Kp=\bar{\gamma}} \) , \(\text{Ku=h} \))

= Z p(xnpno(xp=j) p(xuino(xui=k(xp=j))

 $= \sum_{j \in \mathbb{Z}} f(p_i j) S(w_i k_i) p(x_{ui} = k_i) x_{p} = j)$ $\lim_{j \in \mathbb{Z}} f(x_{ui} = k_i) x_{p} = j$

smaller done op