

Robust Loop Closing Over time for Pose Graph SLAM

主要贡献

- 1、能够区分loop closure 是否正确； correct or incorrect
- 2、不正确的loop closure约束从pose-graph中移除
- 3、将RRR算法扩展为增量的方式，便于计算
- 4、可以统一的方式处理多场景

RRR algorithm

Realizing, Reversing, and Recovering

Given one or more sets of sequential constraints provided by odometry and a set of potential loop closing constraints provided by a place recognition system, the algorithm is able to differentiate between the correct and incorrect loop closures.

Key idea is that of consensus: correct loop closures tend to agree among themselves and with the sequential constraints, while incorrect ones do not.

序列约束

Input: the sequential pose constraints, and a place recognition system for the non-consecutive loop closure constraints.

The output : an optimized pose graph

The RRR algorithm

节点： 机器人姿态

边： 约束（里程计以及闭环）

$\mathbf{x} = (x_1 \dots x_n)^T$ be a vector of parameters that describes the configuration of the nodes. Let ω_{ij} and Ω_{ij} be the mean and the information of the observation of node j from node i . Given the state \mathbf{x} , let the function $f_{ij}(\mathbf{x})$ be a function that calculates the perfect observation according to the current state. The residual r_{ij} can then be calculated as:

$$r_{ij}(\mathbf{x}) = \omega_{ij} - f_{ij}(\mathbf{x}) \quad (1)$$

Constraints can either be introduced by odometry which are sequential constraints ($j = i + 1$), or

$$d_{ij}(\mathbf{x})^2 = r_{ij}(\mathbf{x})^T \Omega_{ij} r_{ij}(\mathbf{x}) \quad (2)$$

and therefore the overall error, assuming all the constraints to be independent, is given by:

$$D^2(\mathbf{x}) = \sum d_{ij}(\mathbf{x})^2 = \sum r_{ij}(\mathbf{x})^T \Omega_{ij} r_{ij}(\mathbf{x}) \quad (3)$$

The solution to graph-SLAM problem is to find a state \mathbf{x}^* that minimizes the overall error.

$$\mathbf{x}^* = \underset{\mathbf{x}}{\operatorname{argmin}} \sum r_{ij}(\mathbf{x})^T \Omega_{ij} r_{ij}(\mathbf{x}) \quad (4)$$

Iterative approaches such as Gauss-Newton or Levenberg Marquadt can be used to compute the optimal state estimate [12].

We divide the constraints into two sets; S contains sequential links and R contains links from place recognition. Since all constraints are mutually independent, the error in (3) can be written as:

$$D^2(\mathbf{x}) = \sum_{(i,j) \in S} d_{ij}(\mathbf{x})^2 + \sum_{(i,j) \in R} d_{ij}(\mathbf{x})^2 \quad (5)$$

We further divide the set R into n disjoint subsets R_c , where each subset only contains topologically related constraints (sequences of links that relate similar portions of the robot trajectory) such that $R = \cup_{c=1}^n R_c$ and $\forall(i \neq j) R_i \cap R_j = \emptyset$. We term each of these subsets as “clusters”.

Then the error for set R can be written as:

$$\sum_{(i,j) \in R} d_{ij}(\mathbf{x})^2 = \sum_{c=1}^n \sum_{(i,j) \in R_c} d_{ij}(\mathbf{x})^2 = \sum_{c=1}^n d_{R_c}(\mathbf{x})^2 \quad (6)$$

where $d_{R_c}(\mathbf{x})^2$ is the error contributed by the c th subset. This simply means that the overall error introduced due to place recognition constraints is the sum of the individual errors of each cluster.

第一步、Clustering

We use a simple incremental way to group them using timestamps.

第二步、Intra-Cluster Consistency

对每个cluster内部进行一致性检验，不符合的约束将删除

第三步、Inter-Cluster Consistency

check for any links whose residual error satisfies the χ^2 test.

第四步、通过上述检验的goodset 移除之后重新检验

idea behind doing so is that in the absence of the good clusters, other correct clusters will be able to pass the threshold tests.

Algorithm 1 Intra_Cluster_Consistency

Input: *poses, slinks, cluster of rlinks*

Output: *cluster*

add *poses, slinks* to PoseGraph

PoseGraphIC \leftarrow PoseGraph

add *cluster* to PoseGraphIC

optimize PoseGraphIC

if $D_G^2 < \chi_{\alpha, \delta_G}^2$ then

 for each $rlink_l \in cluster$ do

 if $D_l^2 < \chi_{\alpha, \delta_l}^2$ then

 Accept $rlink_l$

 else

 Reject $rlink_l$

 end if

 end for

else

 Reject *cluster*

end if

Algorithm 2 Inter_Cluster_Consistency

Input: *goodSet*, *candidateSet*, PoseGraph

Output: *goodSet*, *rejectSet*

PoseGraphJC \leftarrow PoseGraph

add (*goodSet*, *candidateSet*) to PoseGraphJC

rejectSet $\leftarrow \{\}$

optimize PoseGraphJC

if $D_C^2 < \chi_{\alpha, \delta_C}^2 \wedge D_G^2 < \chi_{\alpha, \delta_G}^2$ **then**

goodSet $\leftarrow \{goodSet, candidateSet\}$

else

 find the $cluster_i \in candidateSet$ with largest Consistency Index ($D_C^2 / \chi_{\alpha, \delta_C}^2$)

 remove $cluster_i$ from *candidateSet*

rejectSet $\leftarrow cluster_i$

if $\neg \text{isempty } candidateSet$ **then**

 (*goodSet*, *rSet*) \leftarrow

 Inter_Cluster_Consistency(*goodSet*, *candidateSet*)

rejectSet $\leftarrow \{rejectSet, rSet\}$

end if

end if

Algorithm 3 RRR

Input: *poses*, *slinks*, \mathcal{R} set of clusters containing *rlinks*

Output: *goodSet* of *rlinks*

add *poses*, *slinks* to PoseGraph

goodSet $\leftarrow \{\}$

rejectSet $\leftarrow \{\}$

loop

PoseGraphPR \leftarrow PoseGraph

currentSet $\leftarrow \mathcal{R} \setminus \{goodSet \cup rejectSet\}$

candidateSet $\leftarrow \{\}$

add *currentSet* to PoseGraphPR

optimize PoseGraphPR

for each *cluster_i* \in *currentSet* **do**

if $\exists rlink_j : D_l^2 < \chi_{\alpha, \delta_i}^2 \mid rlink_j \in cluster_i$ **then**

candidateSet $\leftarrow \{candidateSet, cluster_i\}$

end if

end for

if isempty(*candidateSet*) **then**

 STOP

else

s = *goodSet.size*

 (*goodSet*, *rSet*) \leftarrow

 Inter_Cluster_Consistency(*goodSet*, *candidateSet*)

if *goodSet.size* > *s* **then**

rejectSet $\leftarrow \{\}$

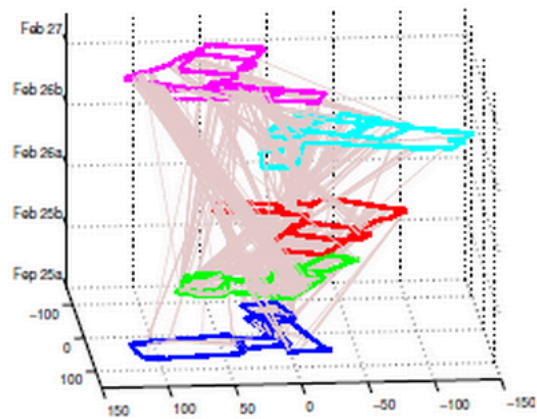
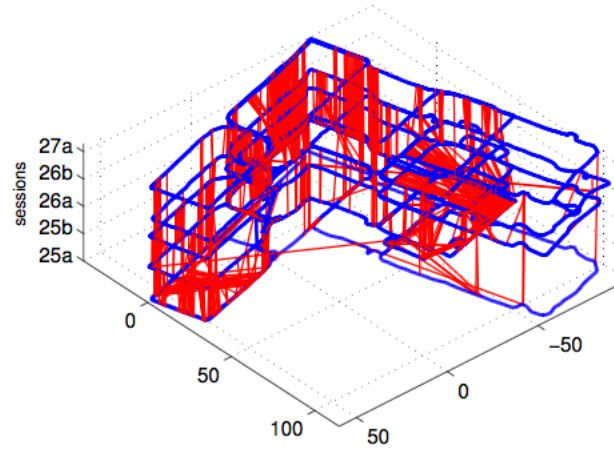
else

rejectSet $\leftarrow \{rejectSet, rSet\}$

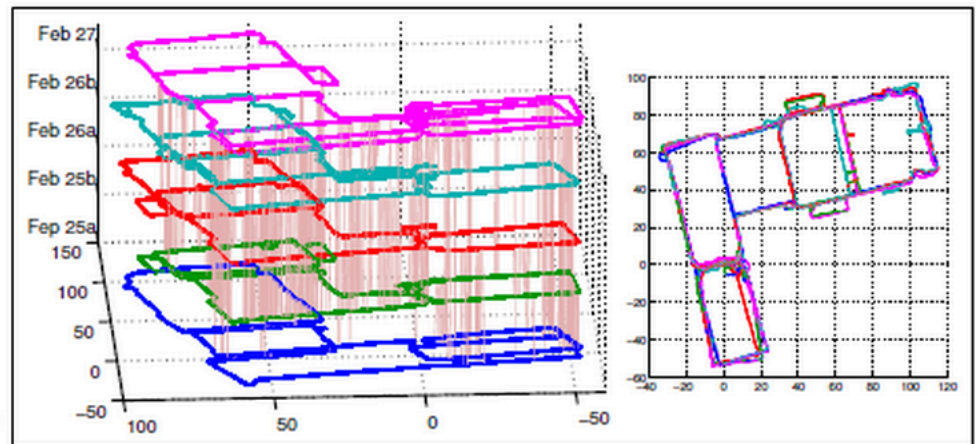
end if

end if

end loop



(a) Inputs.



(b) Output of our iRRR algorithm.