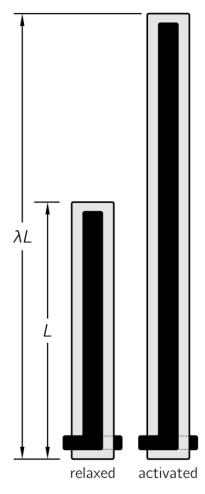
Embedded Magnetic Sensing for Feedback Control of Soft HASEL Actuators

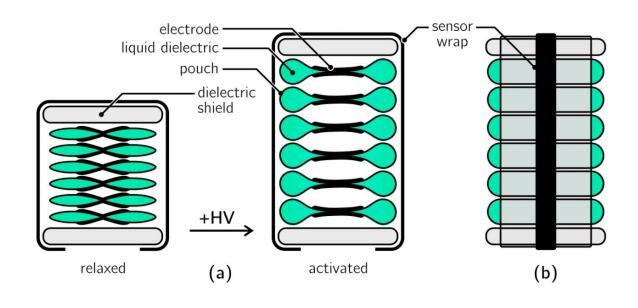
Vani Sundaram, Khoi Ly, et al.





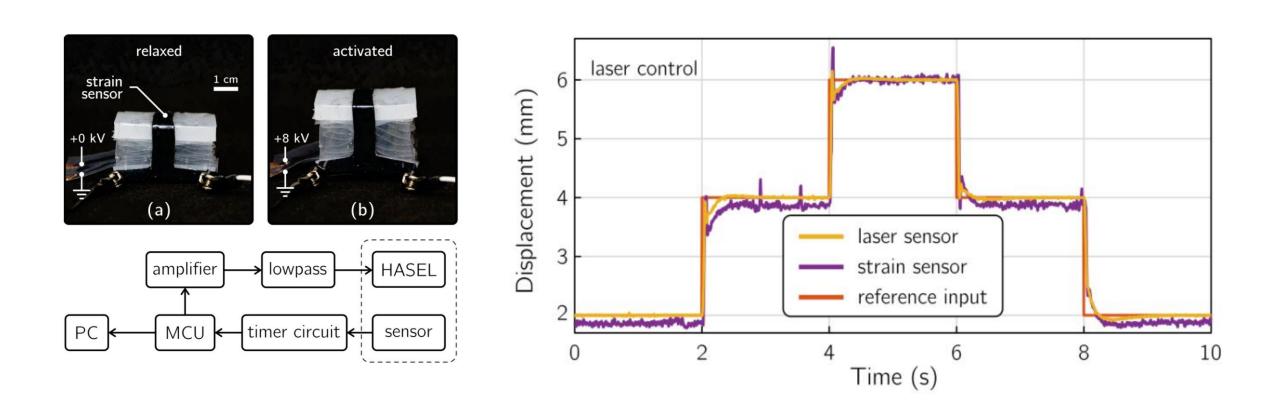


Capacitive sensor wrap



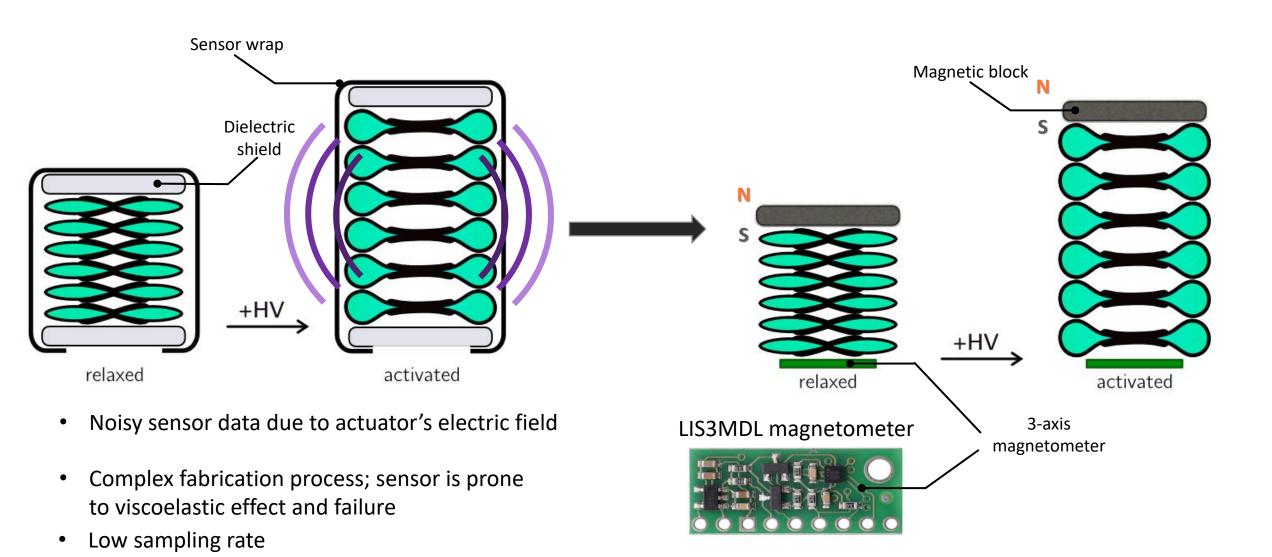
Johnson, Sundaram, Narris, Acome, Ly, et. al. (2020). RA-L





Johnson, Sundaram, Narris, Acome, Ly, et. al. (2020). RA-L

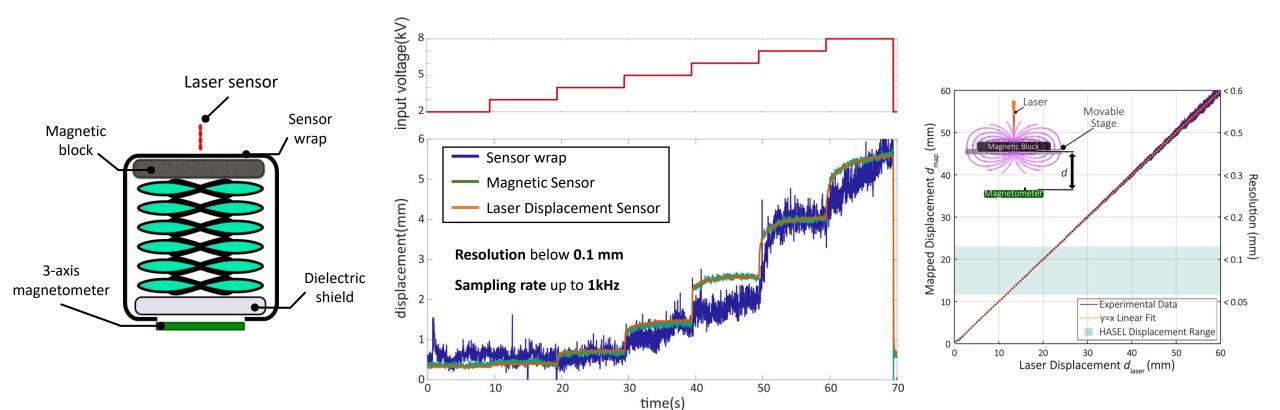






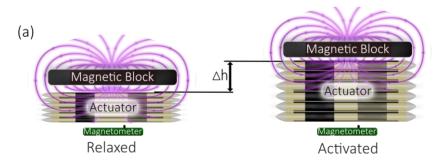
Fitted polynomial relationship between the magnetic sensor output and displacement:

$$z = (-3.04 \times 10^{-8})B_z^3 + (1.60 \times 10^{-4})B_z^2 - 0.30B_z + 212.30$$

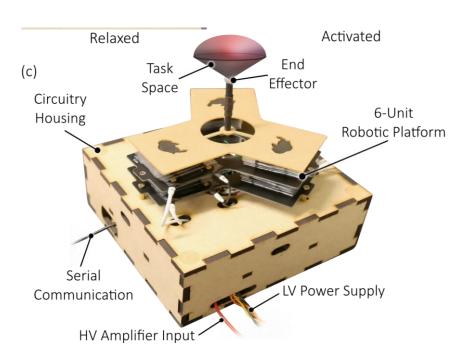


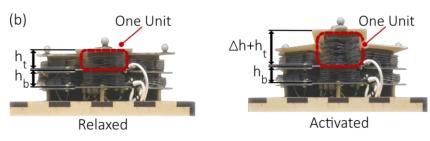
Note: only z-axis is used for the fitting





One unit includes the magnetic sensing mechanism (composed of the magnetometer and soft magnetic block) used to measure the change in height, Δh , of a folded HASEL actuator

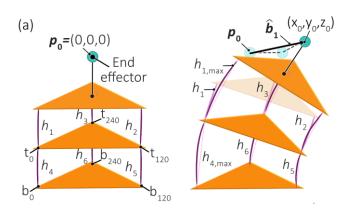




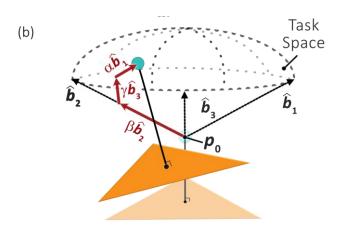
The front view of the 6-unit deformable robotic platform when relaxed and when one actuator on the top layer is activated. Each layer is comprised of three of the units shown in (a).

An isometric view of the two-segment deformable platform. The task space represents the volume that the deformable platform's end effector can exist. A high voltage (HV) amplifier provides 8 kV to each of the six actuators, which are individually controlled by a microcontroller unit (MCU). The low voltage (LV) power supply provides 3.3 V to the magnetometers and the low voltage circuit components that control the actuators. The MCU is mounted in the circuitry housing and communicates to a computer via serial communication.

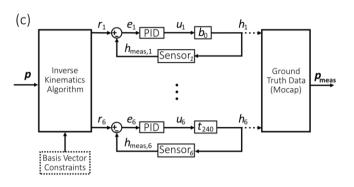




We experimentally determine three basis vectors $\{\hat{b}_1, \hat{b}_2, \hat{b}_3\}$ by determining the change in end effector position (x_0, y_0, z_0) in reference to the end effector's starting position $p_0 = (0,0,0)$ when an actuator pair (the 0°, 120°, or 240° position pairs) is at its max stroke. This diagram shows how the basis function \hat{b}_1 determined: the vector created by the end effector position when the $b_0 - t_0$ pair is fully actuated compared to p_0 . For the kinematics model, the changes in stroke are assumed to be a linear (dotted line), but the changes in actuator stroke are slightly curved (thick, curved line). Additionally, the position change between the end effector position when b_0 is fully actuated and when t_0 is fully actuated is assumed to be constant.

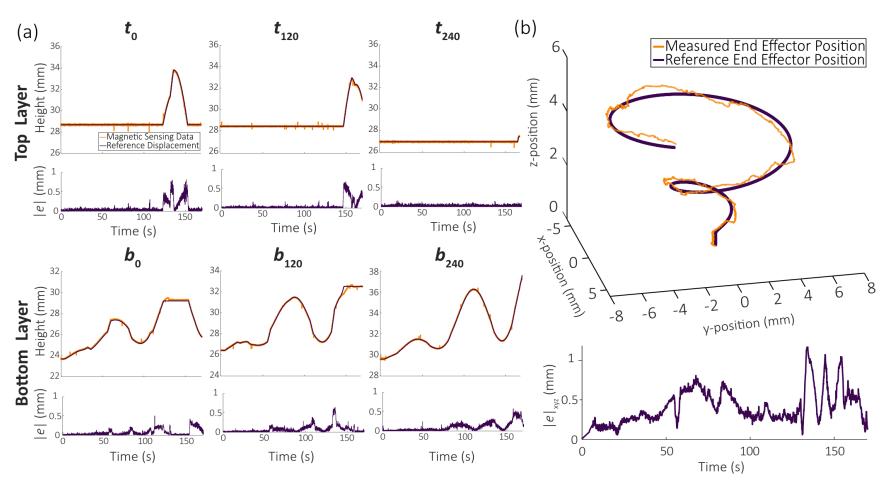


The corresponding projections of a reference end effector position $(\alpha \hat{b}_1, \beta \hat{b}_2, and \gamma \hat{b}_3)$ are used to determine the six heights $(h_1, h_2, h_3, h_4, h_5, h_6)$ of the actuators based on the reference end effector position p in \mathbb{R}^3 . In this example, b_{120} is fully actuated and t_{120} and b_0 are partially actuated. Therefore, p can be expressed as a combination of $\alpha \hat{b}_1$ and $\gamma \hat{b}_3$.



The inverse kinematic algorithm outputs the reference heights r for all six actuators. The difference between the reference height and the measured height is the error e in mm that feeds into each controller. The six, identical PID controllers independently control the heights of the folded HASEL stacks h in mm based on their respective mapped, measured height from the magnetometer output h_{meas} in mm. The resulting end effector position p_{meas} in mm is measured by the motion capture system.





a) The measured heights based on sensor data h_{meas} and the reference heights r for all six actuators. There is minimal absolute error between the mapped height from the magnetic sensing data and the commanded reference displacement, which is shown below each height subplot. The mean |e| across all six actuators is 0.093 mm. (b) The measured p_{meas} and reference end effector positions p start at $p_0 = (0,0,0)$ and move up along a predetermined spiral as each actuator follows the prescribed profile shown in (a). Tracking a reference conical helix demonstrates the precise control that the platform can accomplish using the magnetic sensing mechanism and a basic control method. The mean of the overall residual error $(|e|_{xyz})$ shows the magnitude of the error between p_{meas} and p.