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TCXP - A Scalable Algorithm for Explaining Individual Tree-based Classifier Predictions

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Yes
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s Yes No Yes No No Yes No No No



Outline

- Context and terminology
- Explanations??? Please explain yourself!
- What is TCXP?
- TCXP vs. LIME
- · Demo on real data



Context and terminology

A **(hard) binary classifier** is just a (computable) function C that takes a vector of covariates (features) and outputs a a result in $\{0,1\}$

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A (soft) binary classifier is:

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(supervised) Machine learning is the science art of automatically constructing an optimal C (or p^+) from many examples $\{(\mathbf{x}^{(i)}, y^{(i)}) : i = 1, \dots, N\}$.

Examples from industry

- Credit risk: \mathbf{x} = information about a customer and a credit product $p^+(\mathbf{x})$ is the probability that she will default.
- Customer churn: \mathbf{x} = information about a customer's behavior $p^+(\mathbf{x})$ is the probability that he will stop being my client.
- Online-advertisement: \mathbf{x} = information about an online ad and a person that is looking at it $p^+(\mathbf{x})$ the probability that person will click on it



Explanations (or lack thereof) in the context of ML models

- Explanation for prediction:
 - Answer the question: **Why** did the model predict $\hat{y}^{(i)}$ on input $\mathbf{x}^{(i)}$?
 - What was each feature's contribution to the prediction?

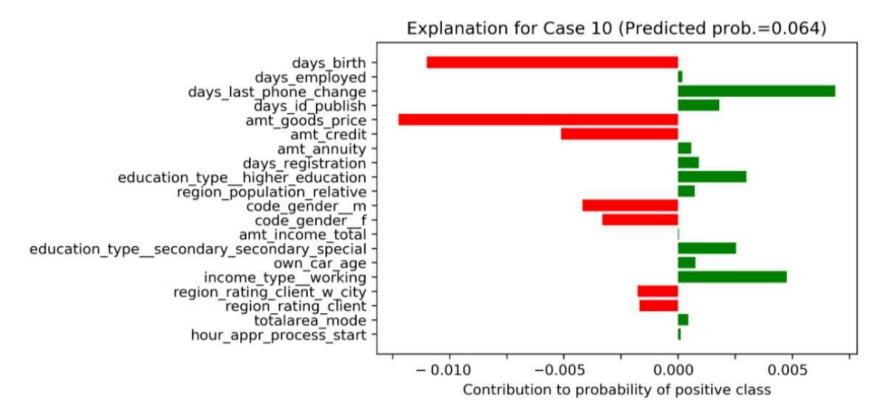


Explanations (or lack thereof) in the context of ML models

- Explanation for prediction:
 - Answer the question: Why did the model predict $\hat{y}^{(i)}$ on input $\mathbf{x}^{(i)}$?
 - What was each feature's contribution to the prediction?
- In industries (such as banking, insurance):
 - Sales staff sometimes ask about individual predictions...
 - Predictive analytics promises actionable insights:
 - \circ Individual prediction \rightarrow individual action



- One way to implement: Quantify each feature's contribution to the prediction?
- Something like this:





Explaining advanced ML algorithms to sales staff

Explaining advanced ML algorithms to sales staff







Besides... You need to produce explanations BY LAW!

- Algorithmic Fairness Provisions of the **General Data Protection regulation (GDPR)**:
- "The Right to Explanation of Automated Decision mandates that the data subject has a right to get an explanation about decisions made by algorithms and a right to opt-out of some algorithmic decisions altogether if they are not satisfied with it."
- Article: Deep Learning going illegal in Europe



A dichotomy

- Predictions by simple algoritms (e.g for Logistic regression) are "easy" to explain.
- Predictions by advanced algorithms, e.g. random forests, neural networks,
 XGBoost are hard to explain
 - black-box nature and high internal complexity of these models



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Truth and clarity are complementary

Niels Bohr

What is TCXP?

- An algo to generate **interpretable explanations** for *individual* tree-based classifier predictions.
 - Simple and scalable



What is TCXP?

- An algo to generate interpretable explanations for individual tree-based classifier predictions.
 - Simple and scalable
- **Definition:** An **explanation** fo an individual prediction $p^+(\mathbf{x}(i))$:

$$(p_0(i), \Delta p_1(i), \ldots, \Delta p_f(i))$$
 such that

$$p_0(i) + \sum_{j=1}^f \Delta p_j(i) = p^+(\mathbf{x}^{(i)})$$

 $\Delta p_j(i)$ is interpreted as the *contribution* to the prediction coming from the j-th feature, $x_j(i)$.



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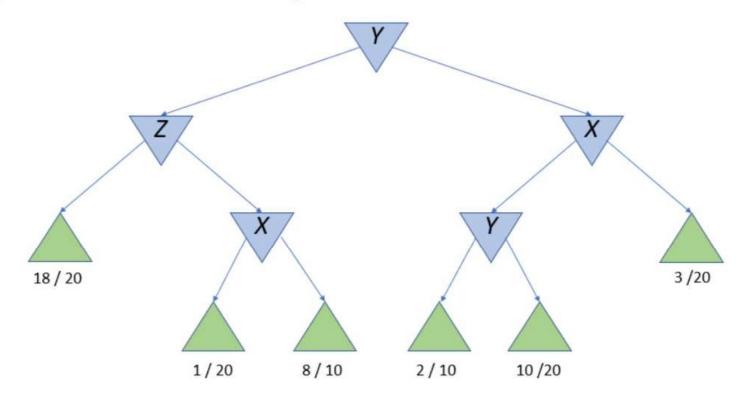
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- How?
 - Basic idea: carry out careful accounting of probability contributions of each variable.



Binary classification through a tree: leaf counts

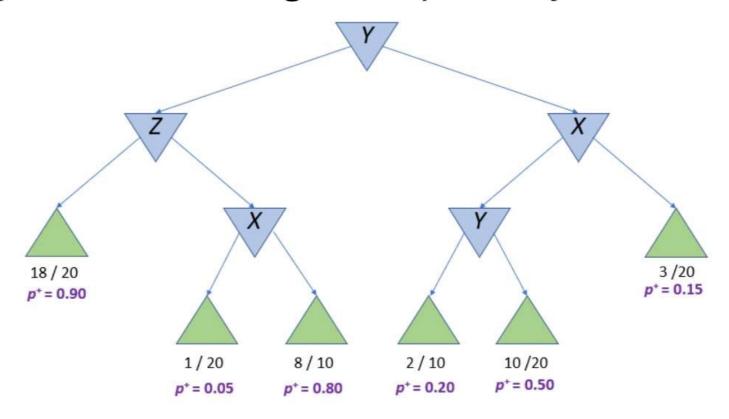


A classification trees has **internal decision** nodes, each using a single variable, and final (non-decision) **leaves**

For each leaf node k we record count of positive class over total count: $(n_k^+,\,n_k^++n_k^-)$



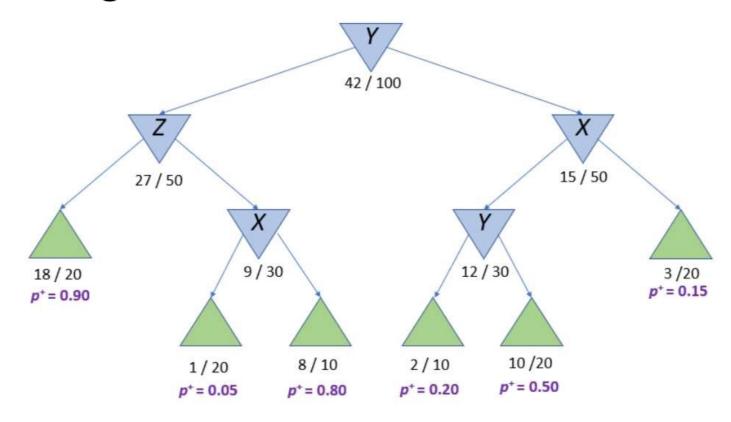
Binary classification through a tree: probability estimates



For each leaf
$$k,p_k^+=n_k^+/(n_k^++n_k^-)$$



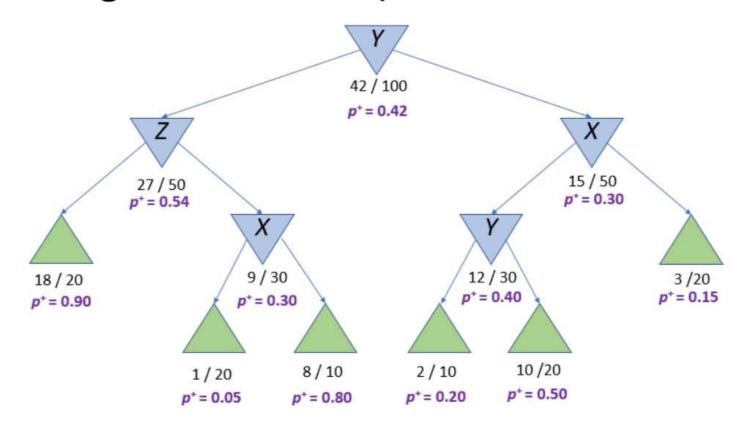
Explanation generation: all node counts



For each internal node compute $(n_k^+,\,(n_k^++n_k^-))$



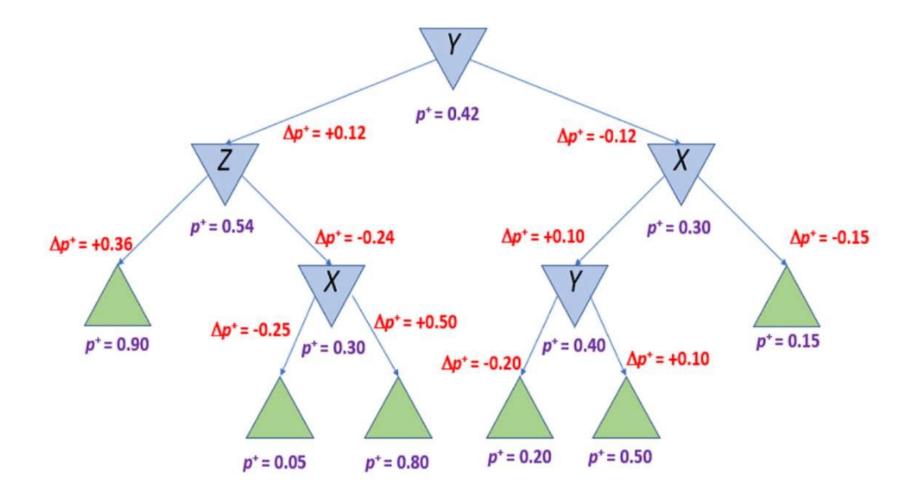
Explanation generation: all node probs



For each internal node node $k, p_k^+ = n_k^+/(n_k^+ + n_k^-)$

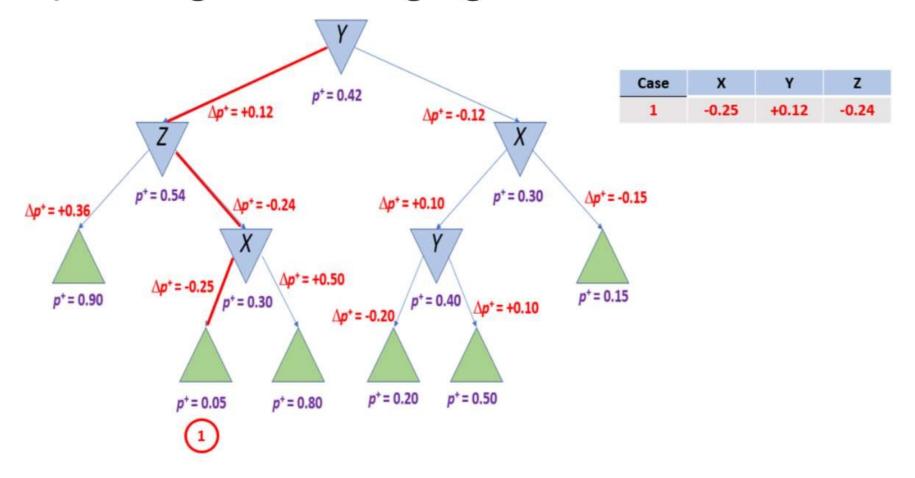


Explanation generation: deltas on all edges



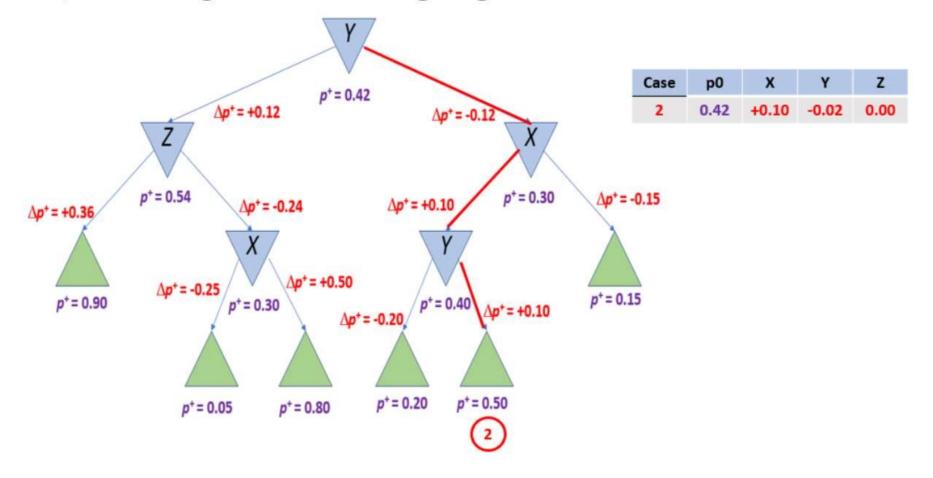
If k is the parent of l, compute $\Delta p_{(k,l)}^+ := p_l^+ - p_k^+$





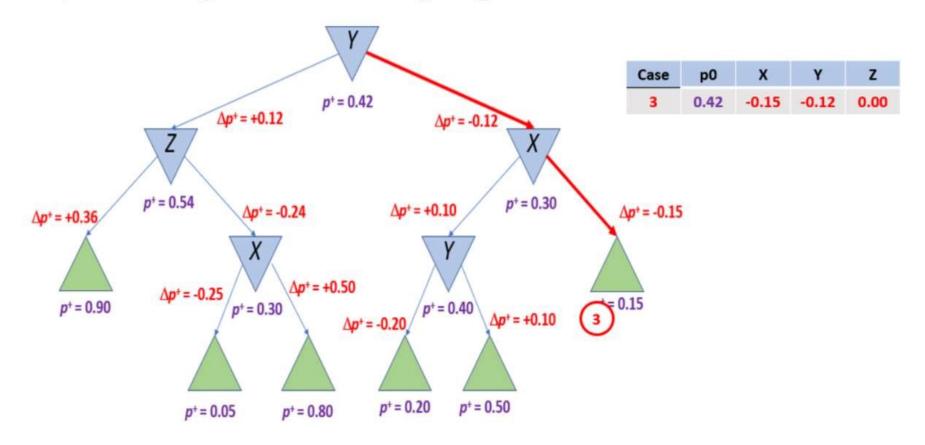
First delta is attributable to Y, second to Z, third to X



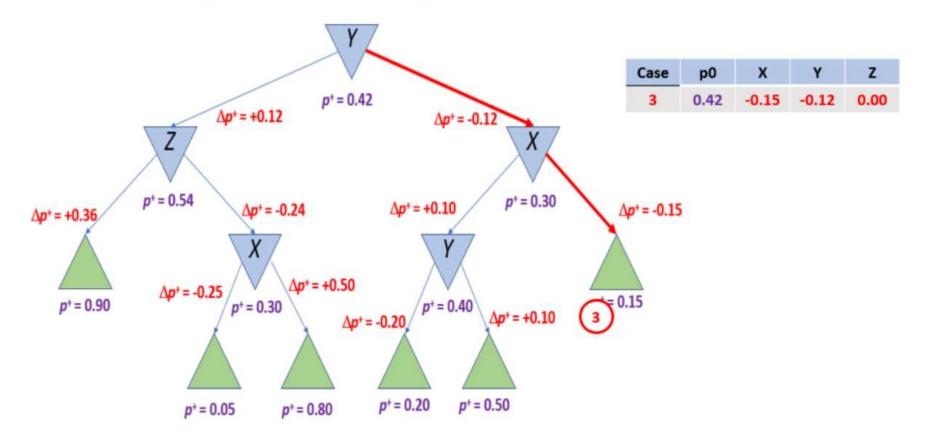


First delta is attributable to Y, second to X, third to Y again.





First delta is attributable to Y, second to X, none to Z



First delta is attributable to Y, second to X, none to Z



Another approach for explanation generation: LIME

LIME: Local Interpreatable Model-agnostic Explanations

Basic Idea: For each $\mathbf{x}(i)$:

- Generate (100s of) random samples of a neighborhood around $\mathbf{x}(i)$.
- ullet Compute prediction using model M for each sample.
- Fit linear ML model to predictions.
- Cast coefficients of linear model as variable importances.



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Main drawback:

- It is very slow to compute an explanation for a single datapoint!
 - \blacksquare \rightarrow This doesn't scale!



Comparison between LIME and TCXP

Feature	LIME	ТСХР
Model Agnostic	©	8
Easy to visualize	©	
Scalable	8	©
Handles local non-linearities	8	©
Python Implementation	©	©
Spark Implementation	8	©



Extras

- Visit Yuxi Global's site: www.yuxiglobal.com
- Add me on LinkedIn: https://www.linkedin.com/in/mateorestrepo/
- Get the codez: https://github.com/YuxiGlobal/data-analytics
- More about LIME:
 - https://arxiv.org/abs/1602.04938
 - https://github.com/marcotcr/lime
- O'Reilly: <u>An in introduction to machine-learning</u> <u>interpreatability</u>



¡Gracias!