# Real-Time Outlier Detection with Dynamic Process Limits PC 2023

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2023-5-18



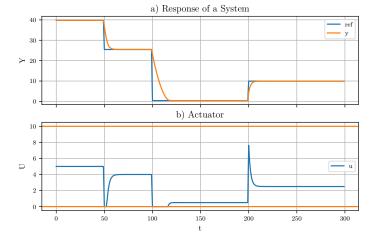


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- 2 Existing Solutions
- 3 Proposed Approach
- 4 Results

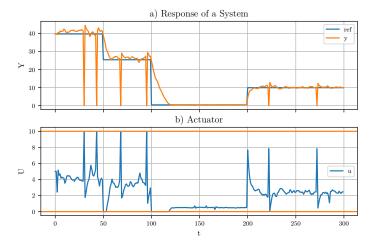
- Motivation
- 3 Proposed Approach



Motivation 0000

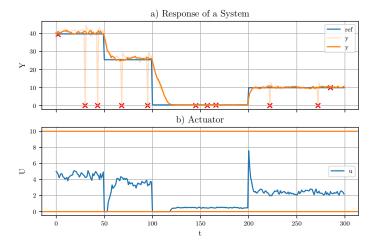
# Coming Problem

Motivation ○○●○



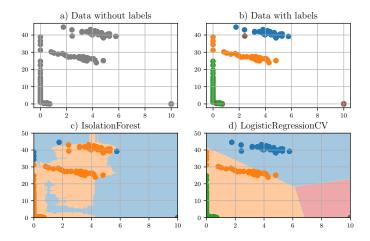
#### **Emotional Win**

Motivation ○○○●

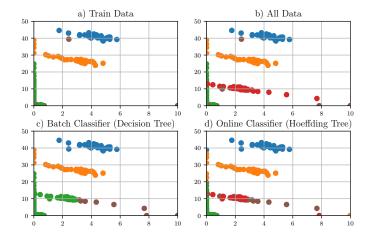


- Motivation
- 2 Existing Solutions
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## Drawbacks of Existing Solutions



### Drawbacks of Existing Solutions



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We need to make detector that:

- Does not require huge amount of data
- Adapts to unseen operation
- Offers credible interpretation
- Does not alter operation of existing systems
- Improves maintenance scheduling

Proposed Approach

- 2 Existing Solutions
- 3 Proposed Approach Proposed Solution Methodology
- 4 Results

Proposed Approach

- 3 Proposed Approach **Proposed Solution** Methodology

# Proposed Solution

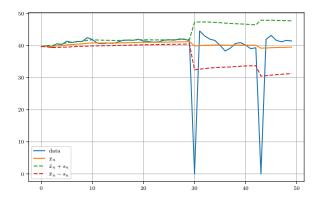
#### Combine:

- Incremental Learning
- Anomaly Detection
- Interpretable Probabilistic Model

Proposed Approach

- Motivation
- 3 Proposed Approach Methodology

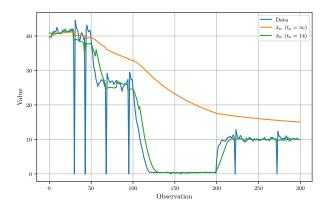
# Welford Algorithm



+ One-Pass Algorithm | - Adaptation Slows Down



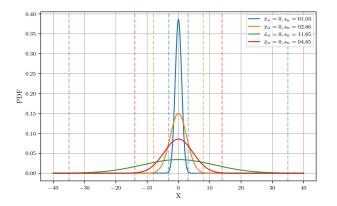
### Inverse Welford Algorithm



+ Constant Adaptation | - Memorizes Data Window

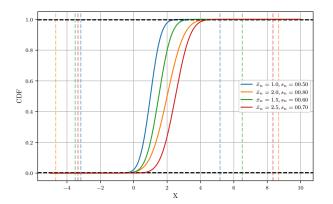


#### Deviation-based Detection



$$y_i = \begin{cases} 0 & \text{if } q \le F_X(x_i; \bar{x}_n, s_n), \\ 1 & \text{if } q > F_X(x_i; \bar{x}_n, s_n). \end{cases}$$
 (1a)

#### Inversion of CDF



$$x_1 = F_X (1 - q; \bar{x}_n, s_n)^{-1},$$
  
 $x_u = F_X (q; \bar{x}_n, s_n)^{-1}.$ 

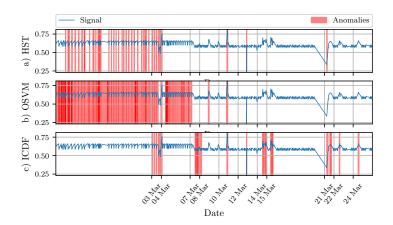


Proposed Approach

```
Input: expiration period t_{\rm e}, time constant t_{\rm c}
Output: score y_i, threshold x_{q,i}
       Initialisation:
  1: i \leftarrow 1: n \leftarrow 1: q \leftarrow 0.9973: \bar{x} \leftarrow x_0: s^2 \leftarrow 1:
  2: compute F_X(x_0);
       LOOP Process
  3: loop
  4: x_i \leftarrow \mathsf{RECEIVE}():
  5.
       y_i \leftarrow \mathsf{PREDICT}(x_i);
           x_{q,i} \leftarrow \mathsf{GET}(q,\bar{x},s^2);
  7:
           if (1a) or \sum_{y \in Y} y/n(Y) > q then
                \bar{x}, s^2 \leftarrow \mathsf{UPDATE}(x_i, \bar{x}, s^2, n);
  8:
  g.
               n \leftarrow n + 1
10:
                for x_{i-t_0} do
                    \bar{x}, s^2 \leftarrow \mathsf{REVERT}(x_{i-t_n}, \bar{x}, s^2, n);
11:
12:
                    n \leftarrow n-1:
13:
                end for
14.
           end if
15
           i \leftarrow i + 1:
16: end loop
```

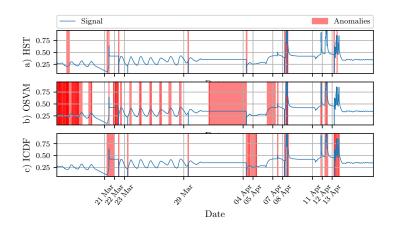
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#### ICDF-based Outlier Detection - BESS

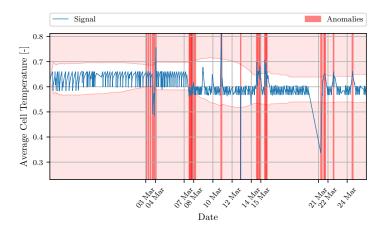




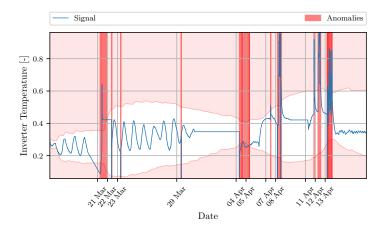
#### ICDF-based Outlier Detection - Inverter

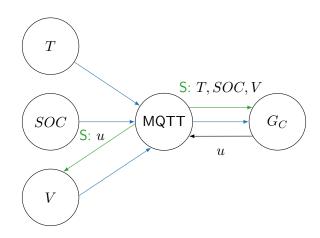


#### Dynamic Process Limits

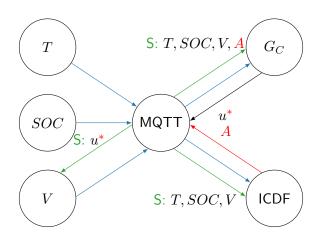


#### Dynamic Process Limits





#### Utilize Existing Infrastructure



# The Long Win

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