# Essential R Markdown Exercises for MATH513 Big Data and Social Network Visualization

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# 1 Exercise 1

Reproduce all the material that appears here using RMarkdown.

To save you typing, most of the text is given in the file TEXT\_ONLY\_of\_Tutorial\_8\_R\_Markdown.txt.

This material is meant to be instructive.

Please proceed step by step!

Check that your formatting works as you go along.

Your task is to:

- Re-create this document

#### 1.1 Slides

It is possible to produce slides using RMarkdown. The following steps will get you started:

- Go to 'File', then
- 'New File', then
- 'R Markdown'...

#### Choose:

- Presentation
- Give the presentation a **Title**, such as 'First Presentation', and specify the **Author(s)**
- Specify PDF (Beamer), then OK. Please note that this assumes that a working version of LaTeX is installed

RStudio should open an example R Markdown Beamer Presentation document:

• Run the document by clocking the Knit or Knit PDF button

Please make sure that you have saved the document to a suitable directory, with a sensible file name.

• Have a look at what is produced. You should see slides containing R code, together with the output that it produces, including a figure

Warning: There may be problems with creating slides

You may have to keep pressing the 'Knit PDF' button, replying 'Install' (or similar) each time. This is because not all the underlying LaTeX packages have been properly installed. This is a nuisance, but only has to be done **once** for each R session.

## 1.2 Some Topics that We Will See in this Module

- 1. R Packages: Create and develop your R package as a collection of R functions and datasets
- 2. Social Media Sentiment Analysis: How to associate user sentiments to social media text data

#### 1.3 Statistical Tests

By the end of the module, we will have studied the following:

- Tests on the shape of a simple linear regression model
- Test on means:
  - Comparing two means: the *i*-test
  - Comparing more than two means: the analysis of variance (ANOVA)

### 1.4 The Analysis of Variance

Here is an example of initial analysis from:

Anderson, D, R., Sweeney, D. J., Williams, T. A., Freeman, J. and Shoesmith, E. (2010). Statistics for Business and Economics, Second Edition. South-Western CENGAGE Learning.

National Computer Products (NCP) manufactures printers at plants located in Ayr, Dusseldorf and Stockholm. To measure how much employees at these plants know about total quality management, a random sample of six employees was selected from each plant and given a quality awareness examination.

Here is one way to analyze this data:

• First, input the data into R:

```
ayr \leftarrow c(85, 85, 82, 76, 71, 85)
dusseldorf \leftarrow c(71, 75, 73, 74, 69, 82)
stockholm \leftarrow c(59, 64, 62, 69, 75, 67)
```

• Put these vectors into a dataframe:

```
df <- data.frame(ayr, dusseldorf, stockholm)
df</pre>
```

```
ayr dusseldorf stockholm
##
     85
                  71
                              59
## 1
## 2
      85
                   75
                              64
## 3
      82
                   73
                              62
## 4
      76
                   74
                              69
## 5
      71
                   69
                              75
                  82
## 6
      85
                              67
```

• Use functionality from tidyr to convert the dataframe to the long format so that all of the scores are in one column:

```
require(tidyr)

df_2 <- df %>%
  gather(Location, Score, 1:3)

df_2
```

```
##
        Location Score
## 1
             ayr
                     85
## 2
                     85
             ayr
## 3
             ayr
                     82
## 4
                     76
             ayr
## 5
             ayr
                     71
## 6
             ayr
                     85
## 7
      {\tt dusseldorf}
                     71
## 8
      dusseldorf
                     75
      dusseldorf
                     73
## 9
## 10 dusseldorf
                     74
## 11 dusseldorf
                     69
## 12 dusseldorf
## 13 stockholm
                     59
## 14
       stockholm
                     64
## 15
                     62
       stockholm
## 16 stockholm
                     69
## 17
       stockholm
                     75
## 18
       stockholm
                     67
```

• Use functionality from dplyr in order to turn 'Location' into a factor with suitable labels:

```
##
        Location Score
                               Location_f
## 1
             ayr
                    85
                              Plant 1 Ayr
## 2
             ayr
                    85
                              Plant 1 Ayr
## 3
                    82
                              Plant 1 Ayr
             ayr
## 4
                    76
                              Plant 1 Ayr
             ayr
                              Plant 1 Ayr
## 5
             ayr
                    71
## 6
                    85
                              Plant 1 Ayr
             ayr
## 7
      dusseldorf
                    71 Plant 2 Dusseldof
## 8
      dusseldorf
                    75 Plant 2 Dusseldof
                    73 Plant 2 Dusseldof
## 9
      dusseldorf
## 10 dusseldorf
                    74 Plant 2 Dusseldof
```

```
## 11 dusseldorf
                   69 Plant 2 Dusseldof
## 12 dusseldorf
                  82 Plant 2 Dusseldof
## 13 stockholm 59 Plant 3 Stockholm
                  64 Plant 3 Stockholm
## 14 stockholm
## 15
      stockholm
                   62 Plant 3 Stockholm
## 16 stockholm
                  69 Plant 3 Stockholm
## 17 stockholm
                  75 Plant 3 Stockholm
## 18 stockholm
                   67 Plant 3 Stockholm
```

## 3 stockholm

66

• Now, compute the sample mean, the sample median, and the sample standard deviation score for each location:

```
df_3 %>%
  group_by(Location) %>%
  summarise(mean = mean(Score),
            median = median(Score),
            stdev = sd(Score))
## # A tibble: 3 x 4
##
     Location
               mean median stdev
##
     <chr>
                <dbl>
                       <dbl> <dbl>
## 1 ayr
                 80.7
                        83.5 5.89
## 2 dusseldorf
                 74
                        73.5 4.47
```

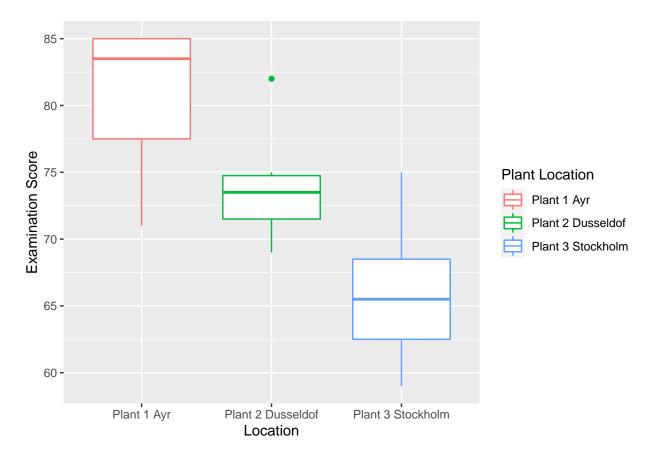
The sample standard deviations (spread) are similar for each location, while the sample means and medians seem rather different. Let's examine this graphically:

• Visualize the data by means of boxplots using ggplot2:

65.5 5.66

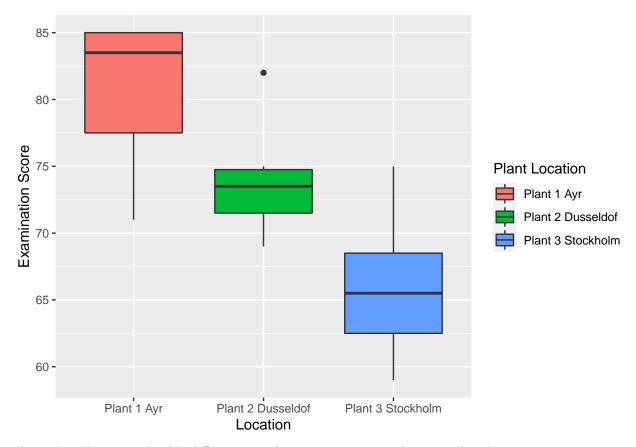
```
require(ggplot2)

ggplot(df_3, aes(x = Location_f, y = Score, col = Location_f)) +
   geom_boxplot() +
   labs(x = "Location", y = "Examination Score", col = "Plant Location")
```



or, even:

```
ggplot(df_3, aes(x = Location_f, y = Score, fill = Location_f)) +
  geom_boxplot() +
  labs(x = "Location", y = "Examination Score", fill = "Plant Location")
```



These plots show considerable differences in the examination score between plant locations.

# 2 The Analysis of Variance - Advanced

Here is, again, an example taken from:

Anderson, D, R., Sweeney, D. J., Williams, T. A., Freeman, J. and Shoesmith, E. (2010). Statistics for Business and Economics, Second Edition. South-Western CENGAGE Learning.

The examination scores for the 18 employees are listed in the following LATEX table:

Plant 1 Ayr	Plant 2 Dusseldorf	Plant 3 Stockholm
85	71	59
75	75	64
82	73	62
76	74	69
71	69	75
85	82	67

We can perform a test to see whether the *underlying* mean examination scores for the three manufacturing plants are the same or not. We are **not** asking whether the means of the six examination scores from each plant are different; we know this from summary statistics calculated elsewhere. We are asking a **more profound** question: are the means of **all possible scores** from the plants different?

First, let us write down the analysis of variance model:

```
y_i = \mu_A + \epsilon_i for Plant 1 Ayr

y_i = \mu_D + \epsilon_i for Plant 2 Dusseldorf

y_i = \mu_S + \epsilon_i for Plant 3 Stocholm
```

In which the errors  $\epsilon_i \sim N(0, a^2)$  independently

• To answer this question about the underlying means, we formulate two hypotheses.

The *null hypotheses* is  $H_0: \epsilon_A = \epsilon_D = \epsilon_S$ , in which  $\epsilon_A/\epsilon_D/\epsilon_S$  are the underlying mean scores from Plant 1 Ayr/Plant 2 Dusseldorf/Plant 3 Stockholm.

The alternative hypothesis is  $H_1$ : underlying means are not all equal.

• We now perform an Analysis of Variance of ANOVA test. ANOVA is an example of a linear model.

First, we have to manipulate the data into a suitable format, as we have done before:

```
##
        Location Score
                                Location f
## 1
                    85
                               Plant 1 Ayr
             ayr
             ayr
                    85
                               Plant 1 Ayr
                               Plant 1 Ayr
## 3
             ayr
                    82
## 4
                    76
                               Plant 1 Ayr
             ayr
## 5
                               Plant 1 Ayr
             ayr
## 6
                               Plant 1 Ayr
             ayr
                    71 Plant 2 Dusseldorf
## 7
      dusseldorf
      dusseldorf
                    75 Plant 2 Dusseldorf
## 8
      dusseldorf
                    73 Plant 2 Dusseldorf
## 10 dusseldorf
                    74 Plant 2 Dusseldorf
## 11 dusseldorf
                    69 Plant 2 Dusseldorf
                    82 Plant 2 Dusseldorf
## 12 dusseldorf
## 13
       stockholm
                         Plant 3 Stockholm
## 14
       stockholm
                        Plant 3 Stockholm
       stockholm
                        Plant 3 Stockholm
## 15
## 16
       stockholm
                        Plant 3 Stockholm
                        Plant 3 Stockholm
## 17
       stockholm
                    75
                        Plant 3 Stockholm
## 18 stockholm
                    67
```

Now, we perform the **ANOVA** test, using the lm function:

We can extract the p-value:

```
p_value <- anova(m)$"Pr(>F)"[1]
p_value
```

```
## [1] 0.001057176
```

The p-value is 0.0010572. As this is less than 0.05, we reject the null hypothesis  $H_0$  and conclude that there is a difference in the underlying mean examination scores from the three manufacturing plants.