

# 数字电路与逻辑设计B

## 第十三讲

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# 4. 3钟控触发器

## 一、 钟控SRFF

1. 电路结构
2. 工作原理
3. 功能描述

## 二、 钟控DFF

## 三、 钟控触发器的空翻

# 4. 4边沿触发器

## 一、维持阻塞型DFF

1. 电路结构
2. 工作原理
3. 功能描述

## 二、边沿JKFF

## 三、TFF和T'FF

1. TFF
2. T'FF

## 4.5 触发器应用举例

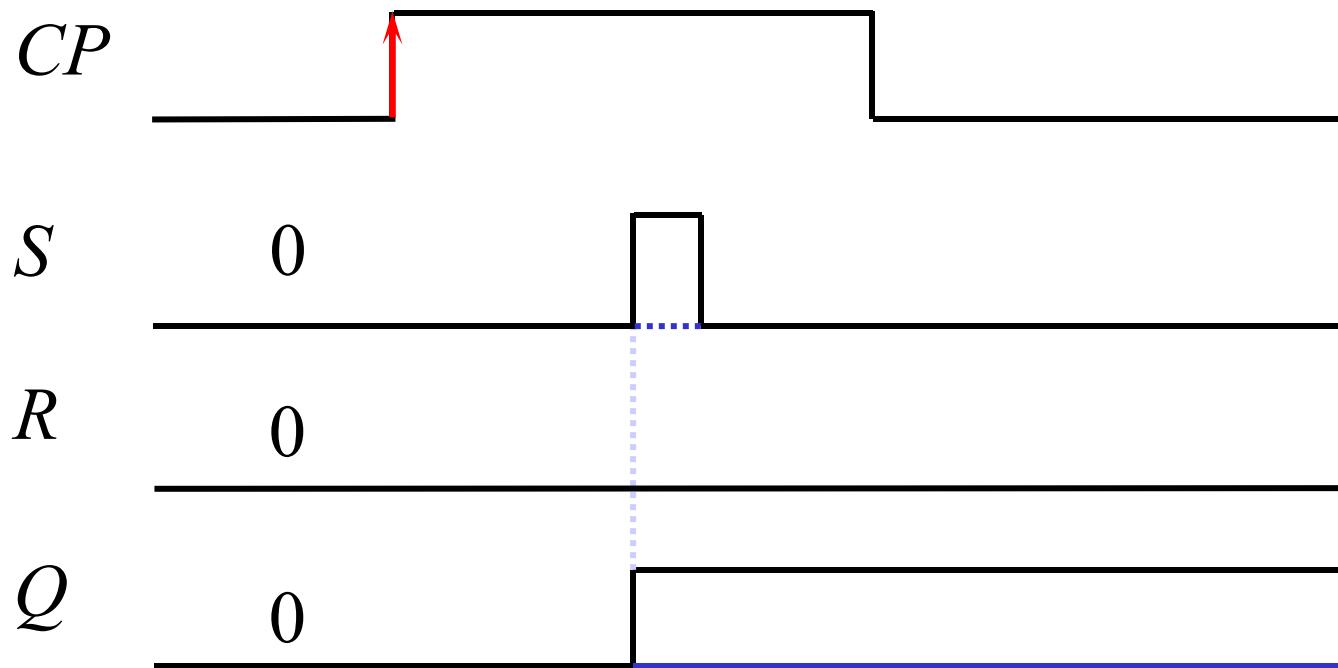
1. 消抖动开关
2. 单脉冲发生器
3. 分频器

## 4.6 Verilog描述触发器

### 一、行为建模描述DFF

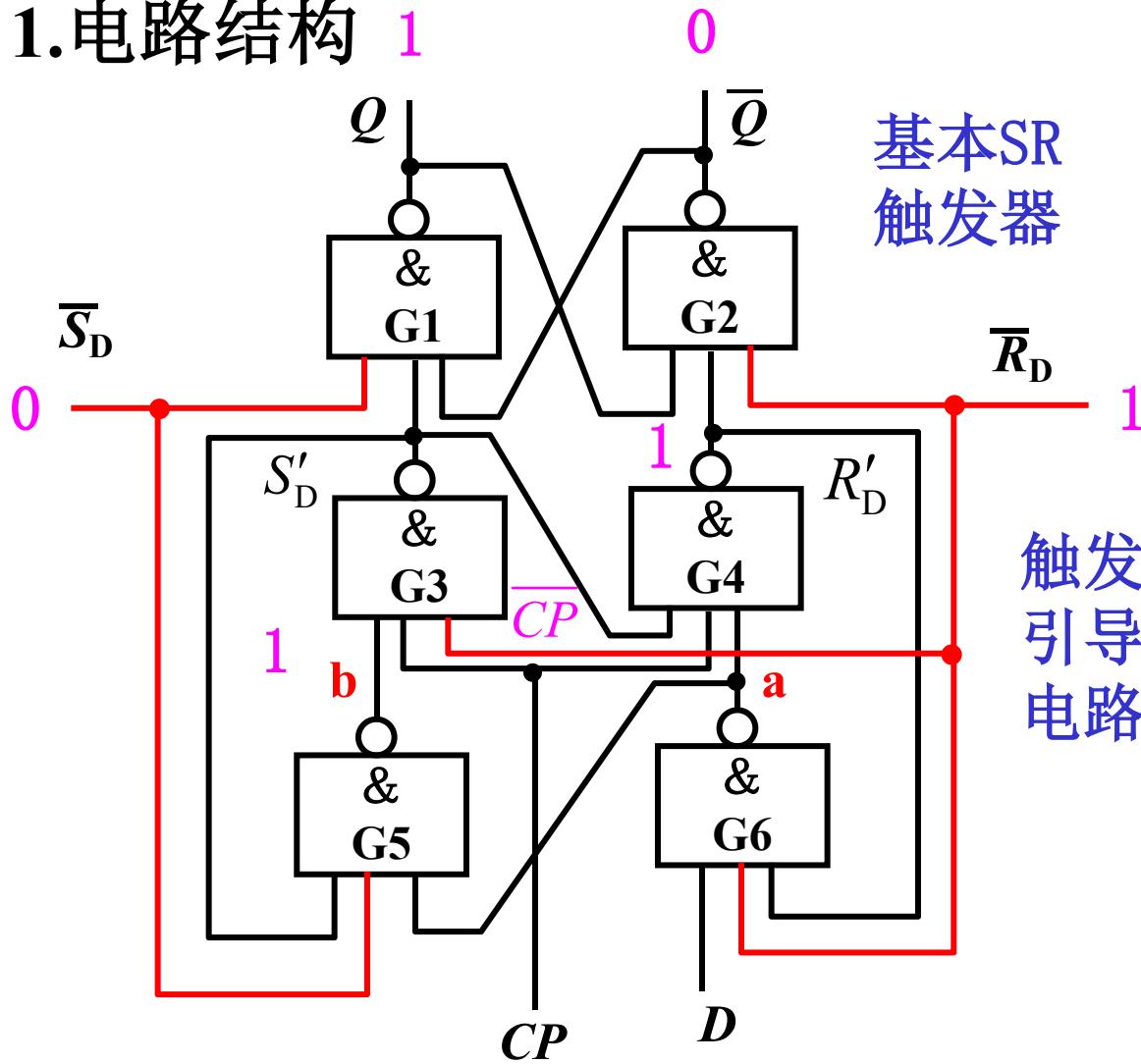
1. 没有异步清零端DFF
2. 有异步清零端DFF
3. 有异步清零、置位端DFF

## 4. 4边沿触发器



# 一、维持阻塞型DFF

## 1. 电路结构



控制信号  $\bar{S}_D$ 、 $\bar{R}_D$

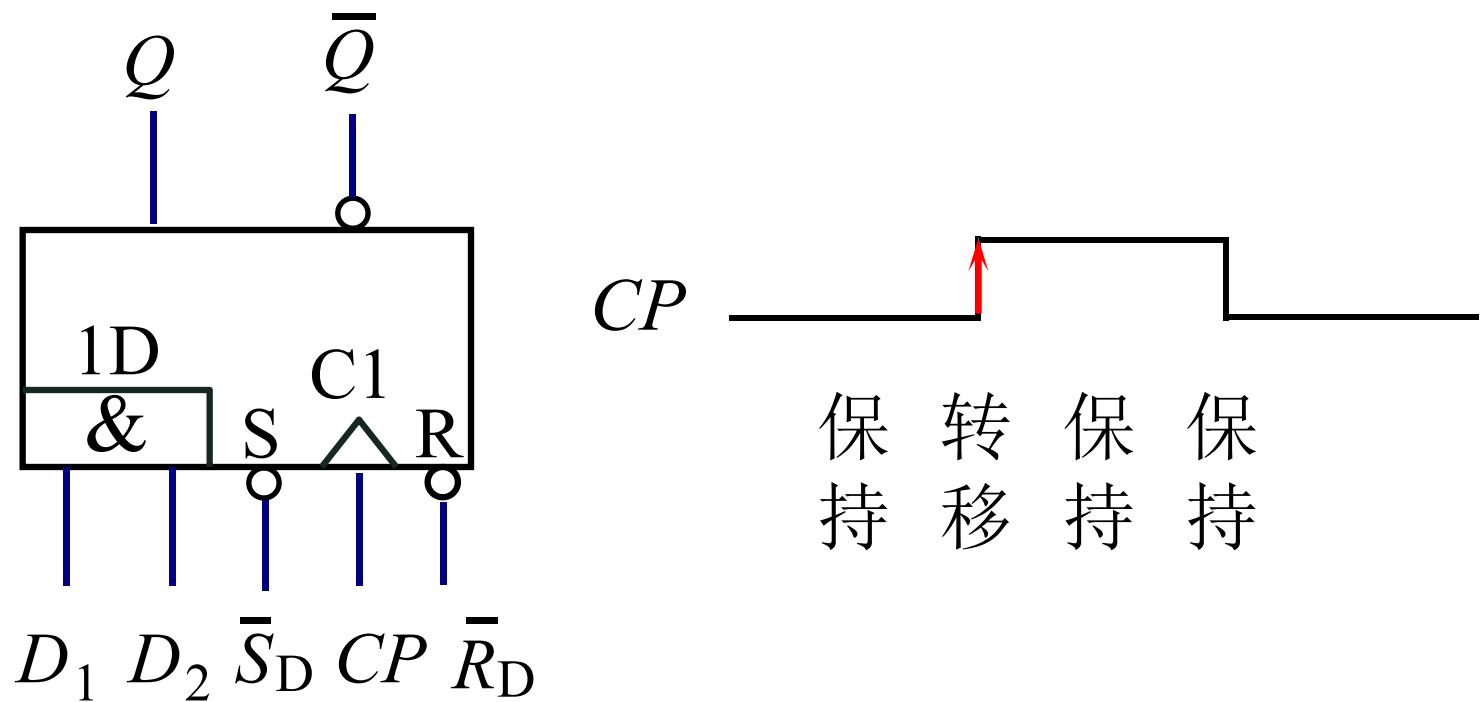
直接置1(置0)

时钟信号  $CP$

何时转移

激励信号  $D$

转移何处



(b) 逻辑符号

图 4.4.1 维阻 DFF

## 2.工作原理

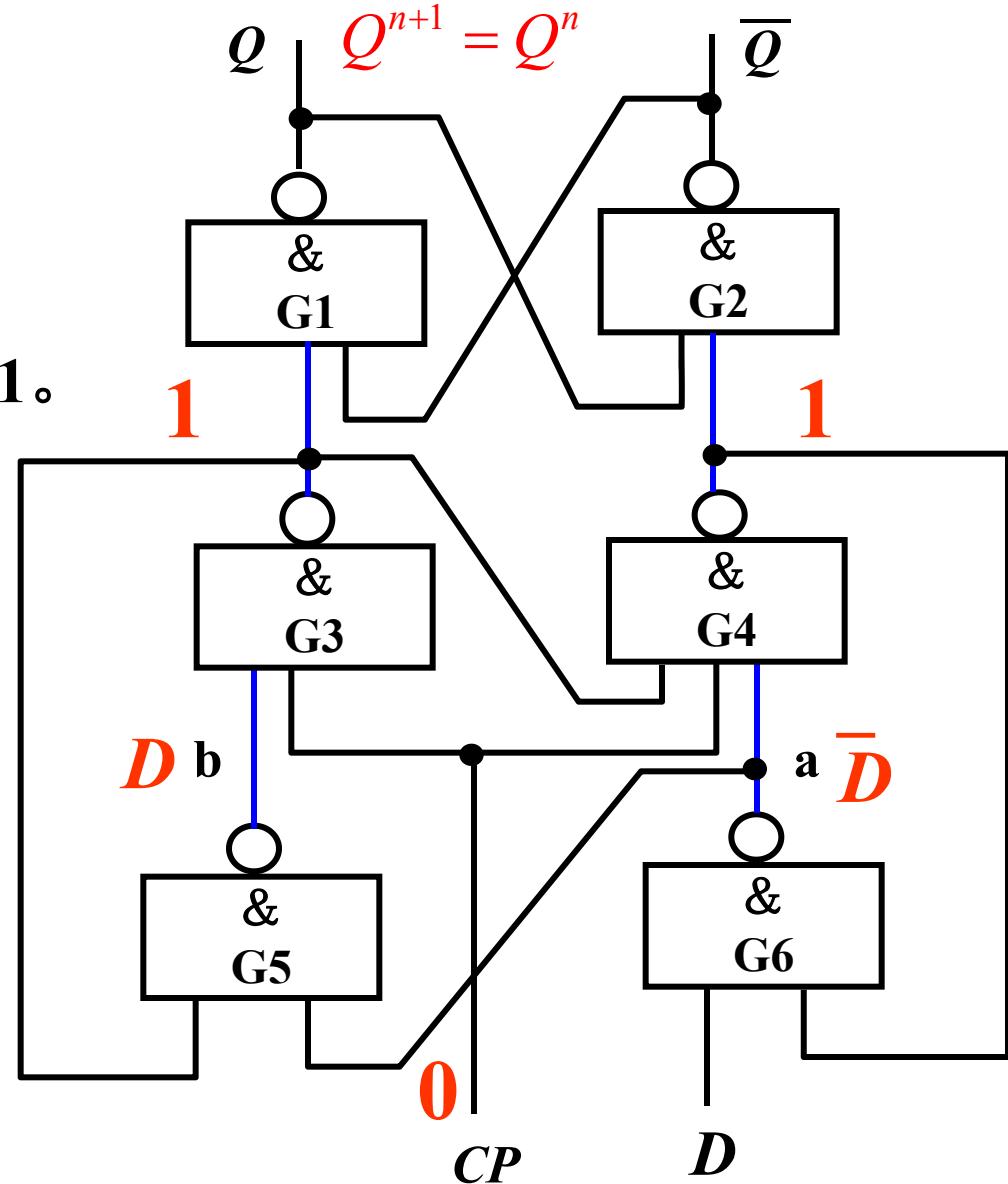
$CP=0$ 期间

(1) G3、G4被锁，输出均为1。

输出保持原状态不变

$Q^{n+1} = Q^n$  保持

(2)  $a = \bar{D}$ ,  $b = D$ 。



## 2. 工作原理

$CP \uparrow$  到达时

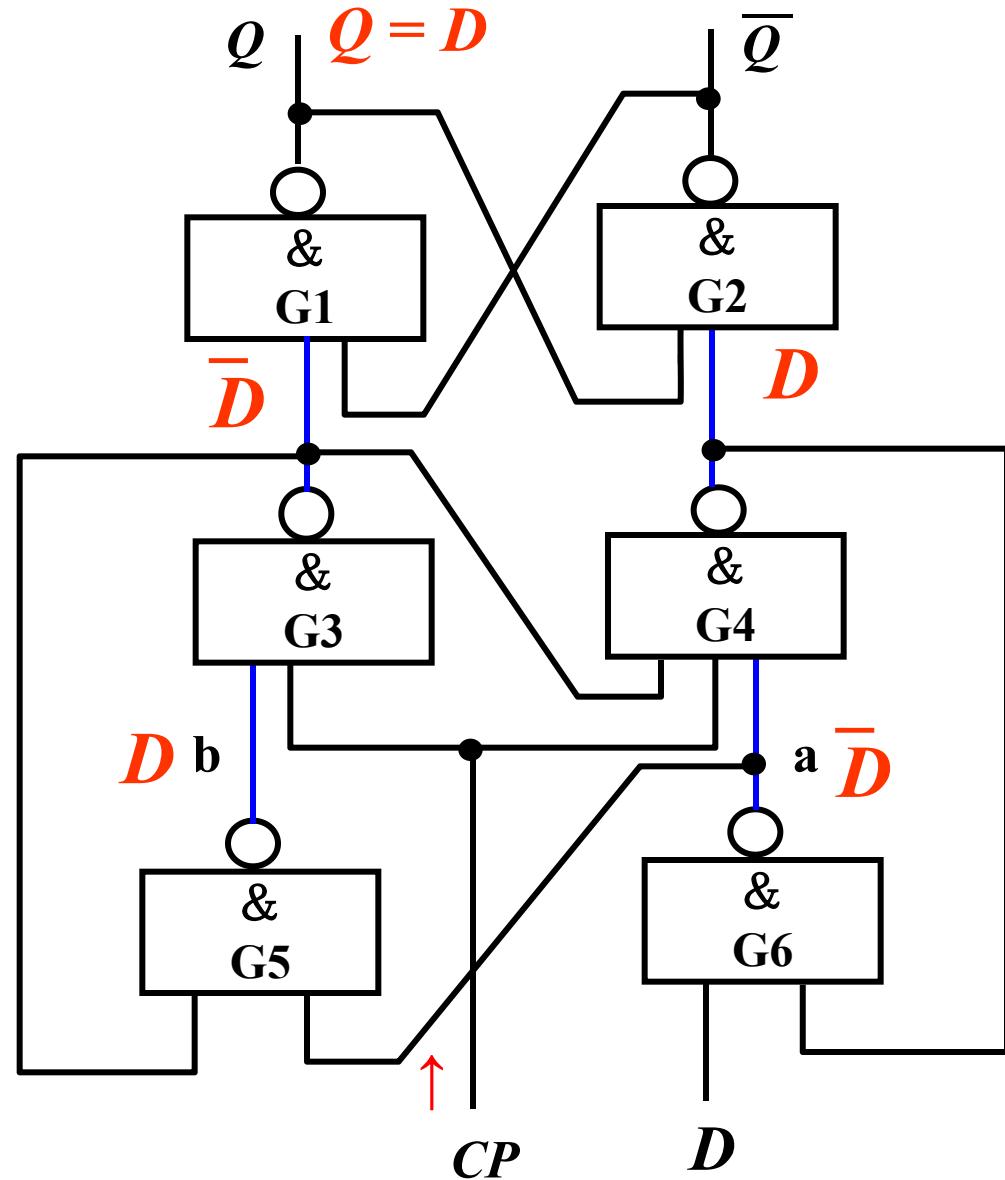
$G_3, G_4$ 开启，使

$$S'_D = \bar{D} \quad R'_D = D$$

因此

$$\begin{aligned} Q^{n+1} &= \bar{S}'_D + R_D Q^n \\ &= D + DQ^n = D \end{aligned}$$

$Q^{n+1} = D$  触发



## 2. 工作原理

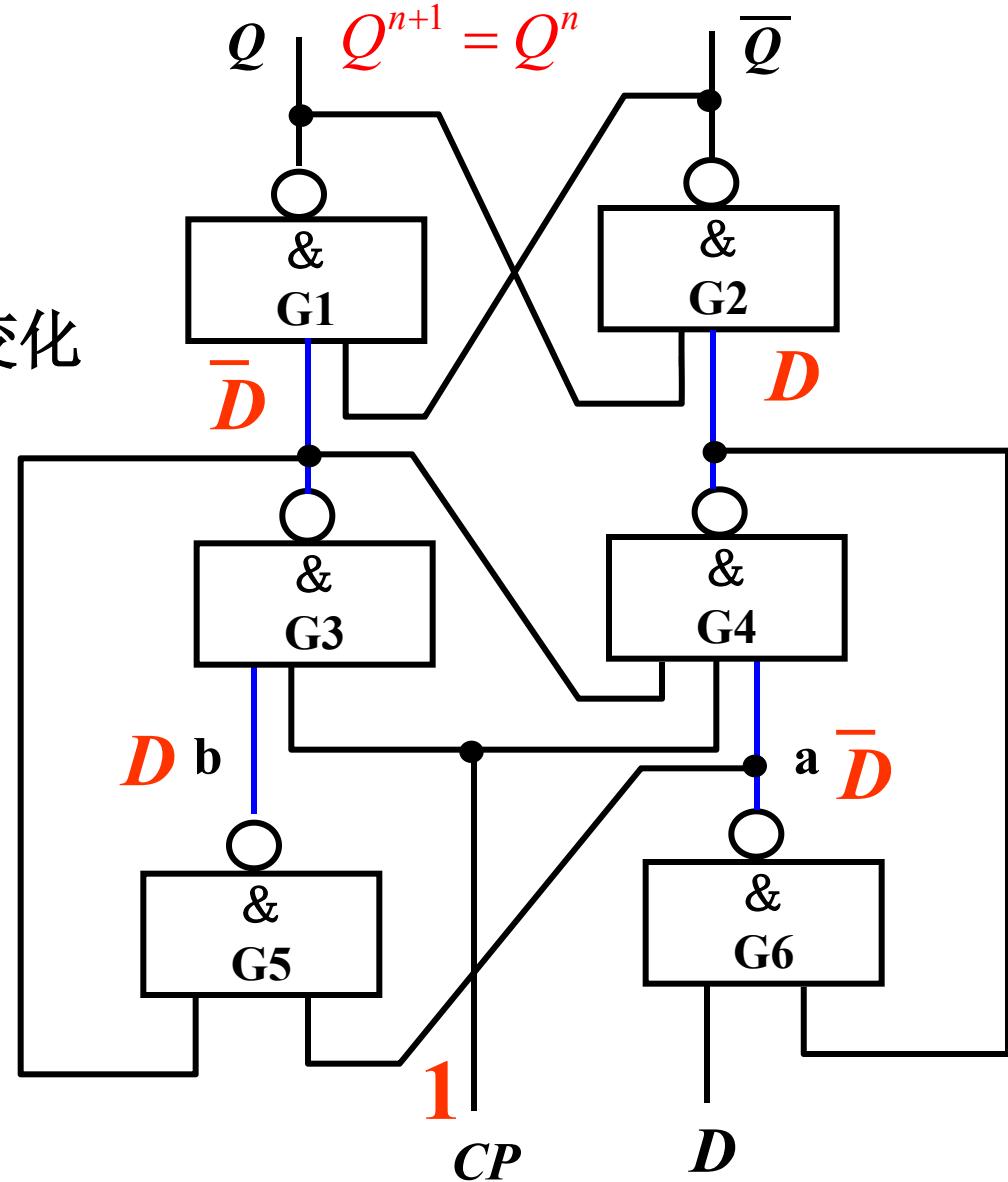
$CP=1$ 期间

$G_3, G_4$ 开启，无论D是否变化

$S'_D = \bar{D}$   $R'_D = D$  不变

因此

$Q^{n+1} = Q^n$  保持

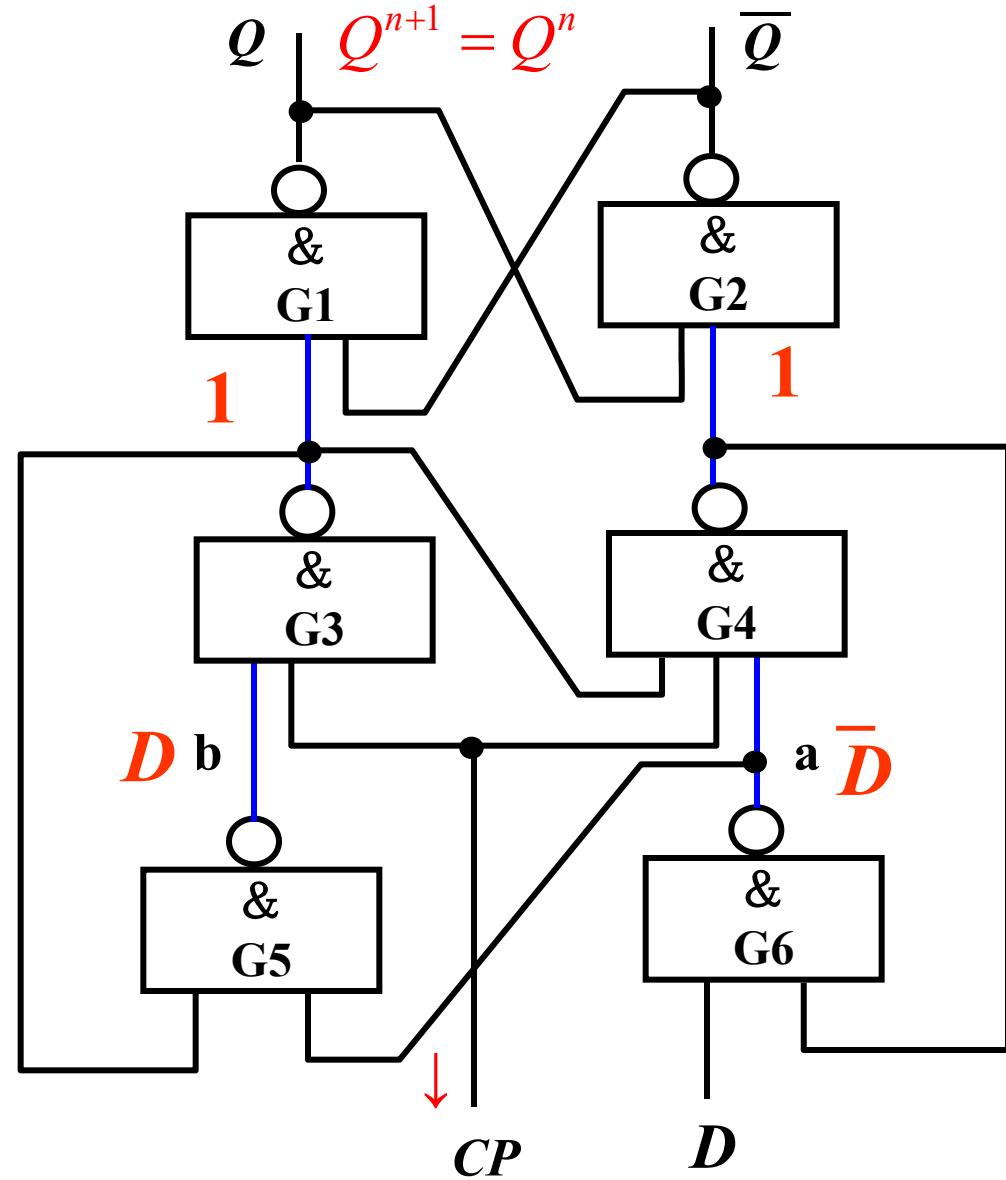


## 2.工作原理

$CP \downarrow$ 到达时

$G_3, G_4$ 被锁，输出为1  
输出保持原状态不变

$Q^{n+1} = Q^n$  保持



### 3.功能描述

(1)次态方程:  $Q^{n+1} = [D] \cdot CP \uparrow$

(2)功能表

表4.4.1 维阻DFF功能表

$\overline{S}_D$	$\overline{R}_D$	$D$	$CP$	$Q^{n+1}$	功能名称
1	1	0	$\uparrow$	0	同步置0
1	1	1	$\uparrow$	1	同步置1
0	1	$\phi$	$\phi$	1	异步置1
1	0	$\phi$	$\phi$	0	异步置0
1	1	$\phi$	0	$Q^n$	保持

### (3)激励表

表4.4.2 维阻DFF激励表

$Q^n$	$\rightarrow$	$Q^{n+1}$	$D$
0		0	0
0		1	1
1		0	0
1		1	1

#### (4) 波形图

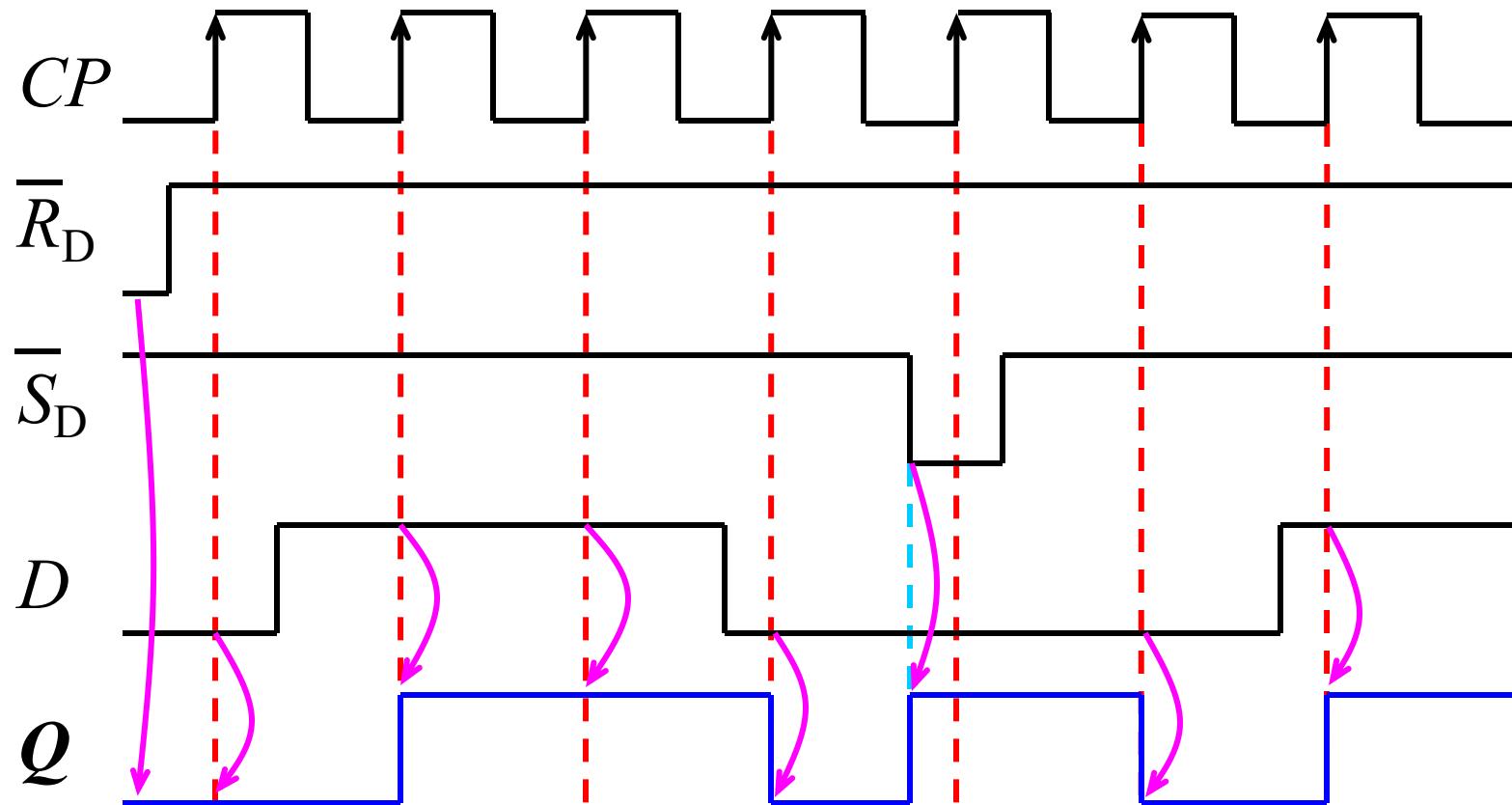


图 4.4.2 DFF的波形图

1. 同步转移时决定边沿DFF “转移至何状态” 的是\_\_\_\_\_。

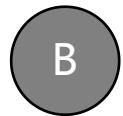
- A 控制信号
- B 时钟信号
- C 激励信号

提交

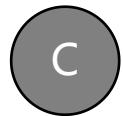
2. 边沿DFF中，控制优先权最高的是\_\_\_\_\_。



A 控制信号



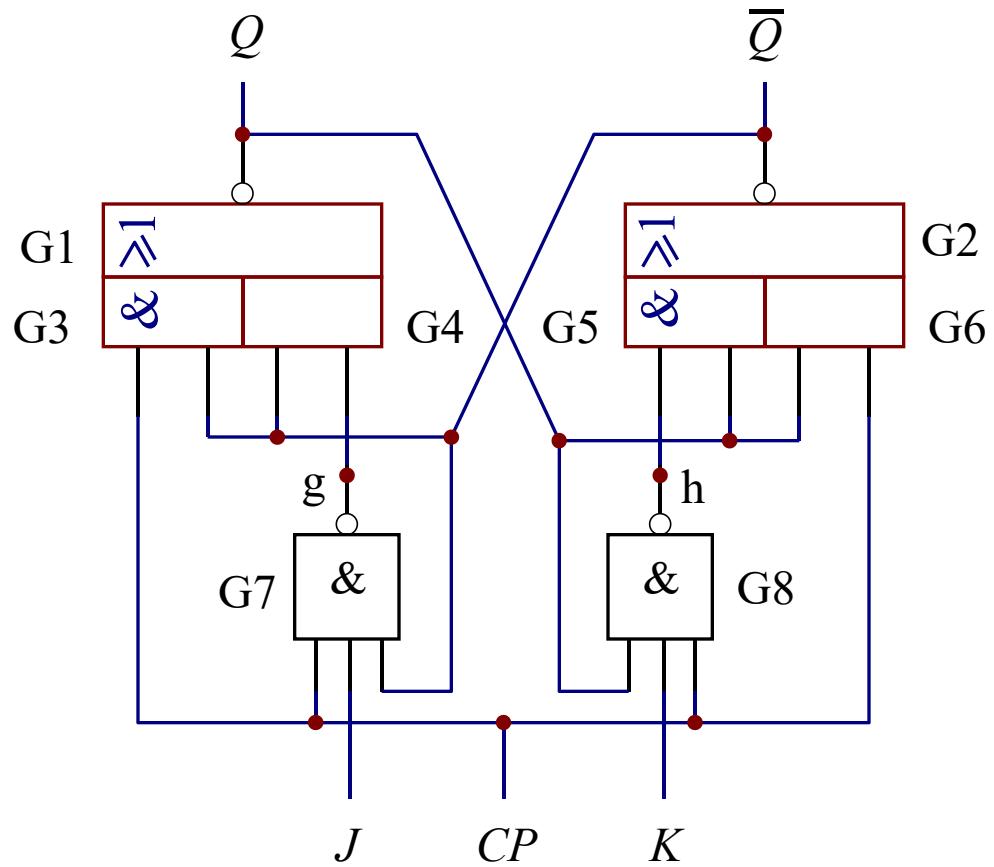
B 时钟信号



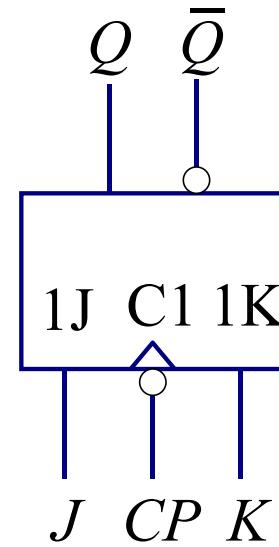
C 激励信号

提交

## 二、边沿JKFF



(a) 逻辑图



(b) 逻辑符号

(1) 次态方程

$$Q^{n+1} = [J\bar{Q}^n + KQ^n] \cdot CP \downarrow$$

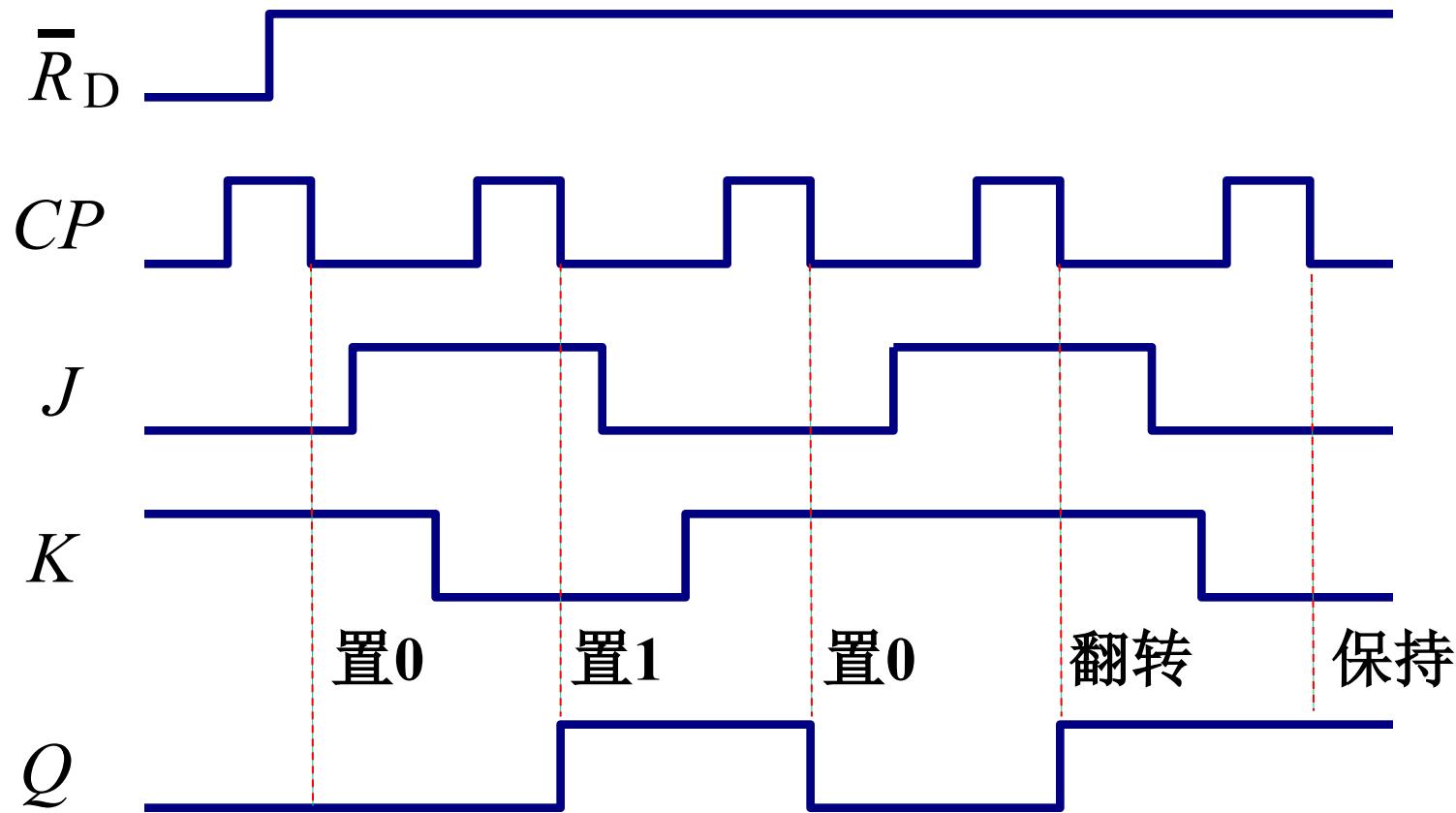
(2) 功能表

$\bar{S}_D$	$\bar{R}_D$	$J$	$K$	$CP$	$Q^{n+1}$	$\bar{Q}^{n+1}$	功能名称
0	0	$\Phi$	$\Phi$	$\Phi$	1	1	不允许
1	0	$\Phi$	$\Phi$	$\Phi$	0	1	异步置0
0	1	$\Phi$	$\Phi$	$\Phi$	1	0	异步置1
1	1	0	0	$\downarrow$	$Q^n$	$\bar{Q}^n$	保持
1	1	0	1	$\downarrow$	0	1	置0
1	1	1	0	$\downarrow$	1	0	置1
1	1	1	1	$\downarrow$	$\bar{Q}^n$	$Q^n$	翻转

### (3) 激励表

$Q^n \longrightarrow Q^{n+1}$		$J$	$K$
0	0	0	$\varphi$
0	1	1	$\varphi$
1	0	$\varphi$	1
1	1	$\varphi$	0

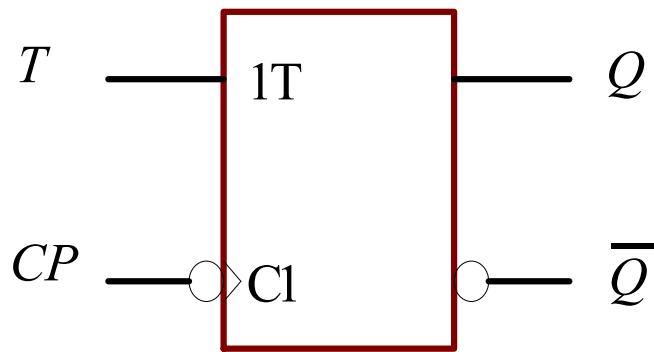
#### (4) 波形图



### 三、TFF和T'FF

#### 1.TFF

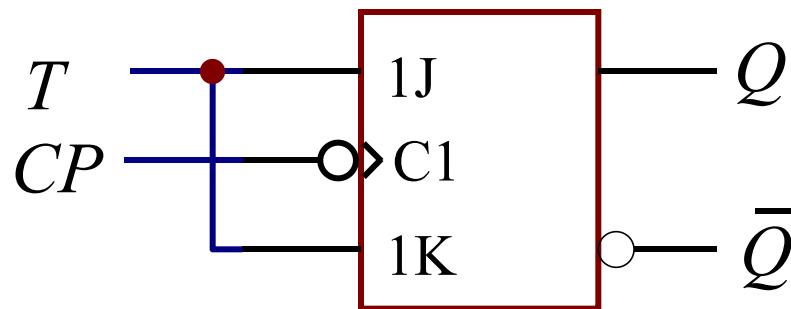
(1)下降沿触发



(b) 功能表和次态方程

T	$Q^{n+1}$
0	$Q^n$
1	$\bar{Q}^n$

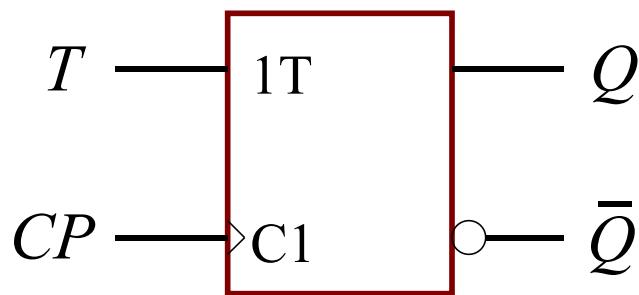
$$Q^{n+1} = [T\bar{Q}^n + \bar{T}Q^n] \cdot CP \downarrow$$



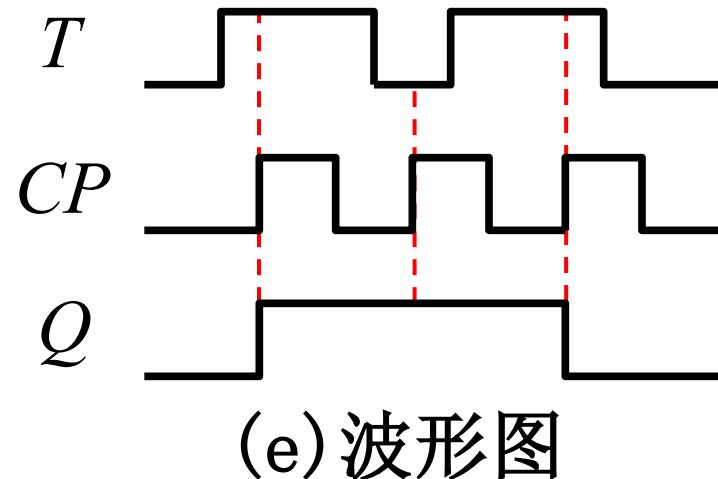
### 三、TFF和T'FF

#### 1.TFF

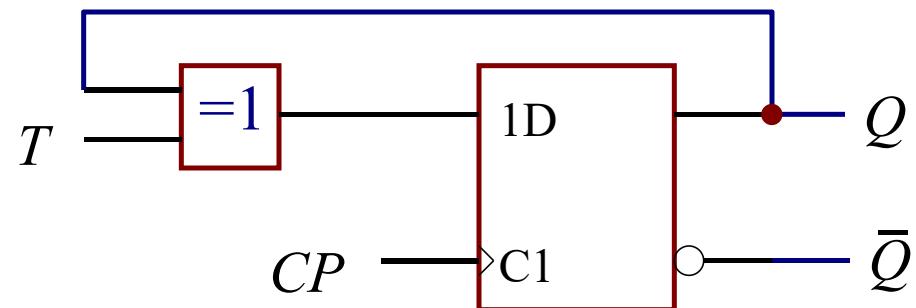
(2)上升沿触发



(d) 逻辑符号



(e) 波形图

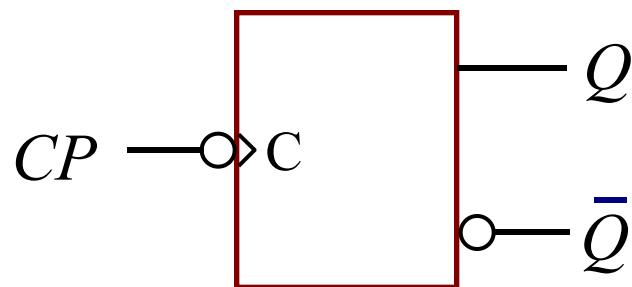


(f) 实现电路

### 三、 TFF和T'FF

#### 2.T' FF

(1)下降沿触发

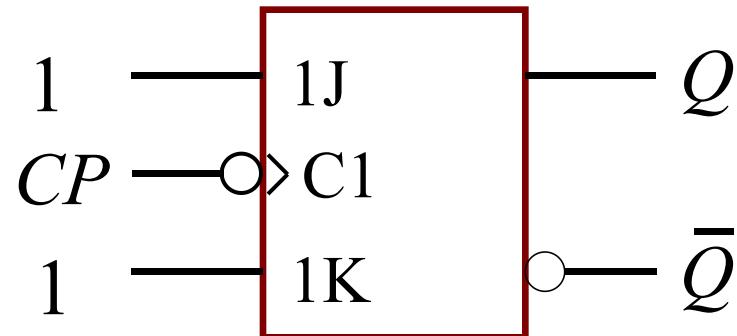


(g)逻辑符号

(h)功能表和次态方程

$CP$	$Q^{n+1}$
0	$Q^n$
↓	$\bar{Q}^n$

$$Q^{n+1} = [\bar{Q}^n] \cdot CP \downarrow$$

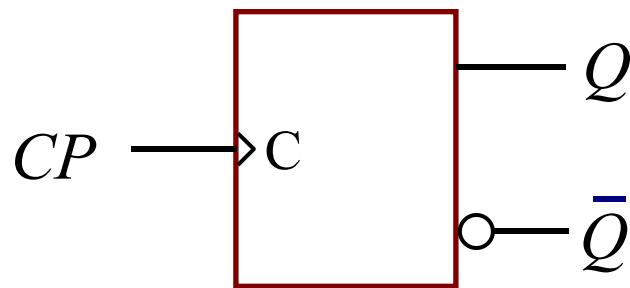


(i)实现电路

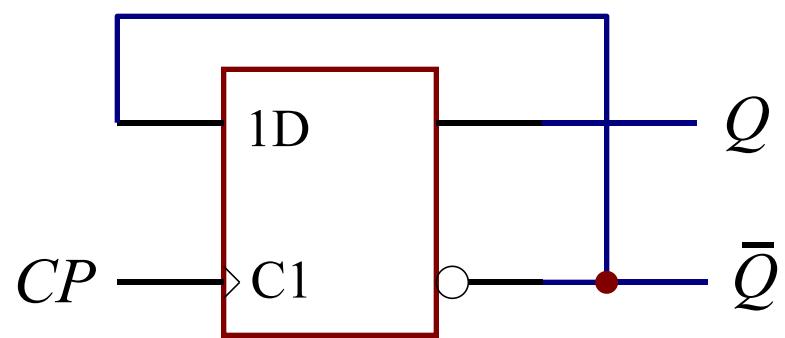
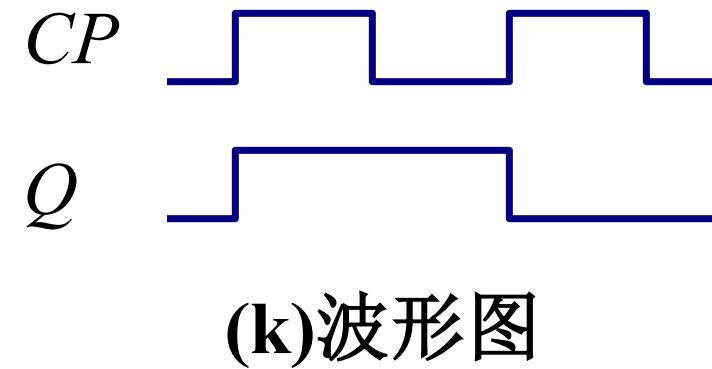
### 三、TFF和T'FF

#### 2.T' FF

(2)上升沿触发



(j)逻辑符号



(l)实现电路

3.在时钟信号作用下，实现功能最多的是边沿\_\_。

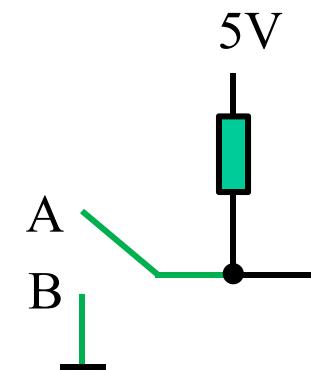
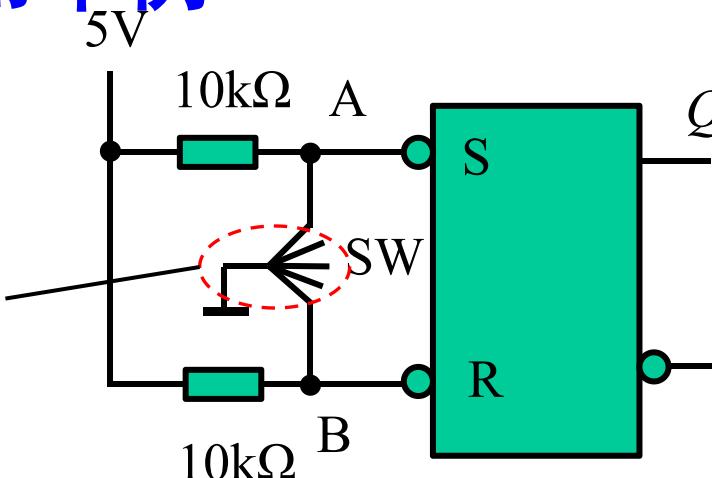
- A SRFF
- B DFF
- C JKFF
- D TFF

提交

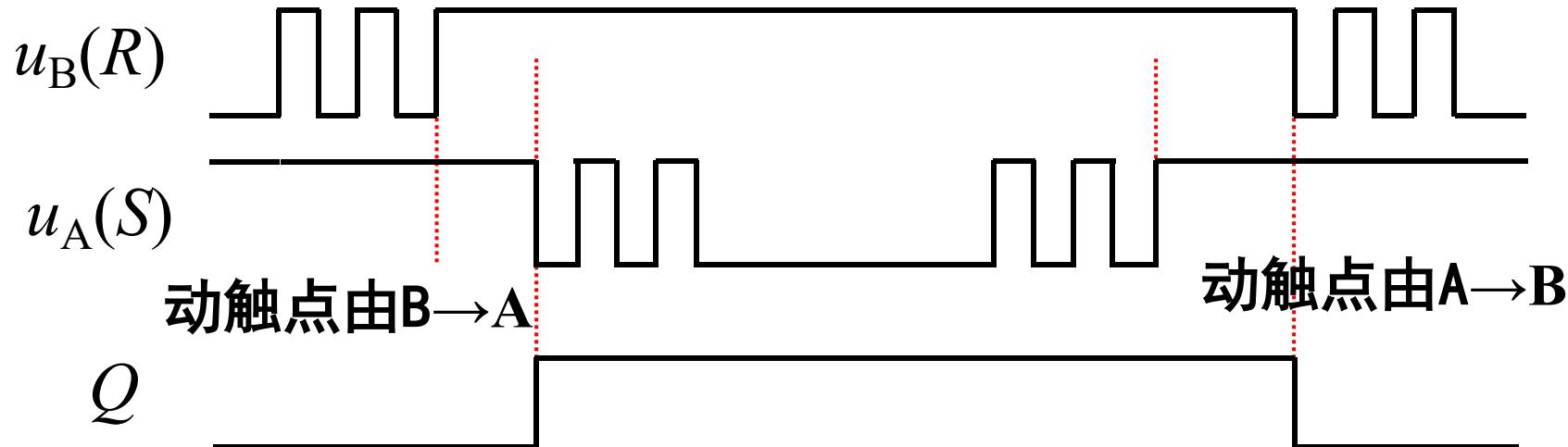
## 4.5 触发器应用举例

### 1. 消抖动开关

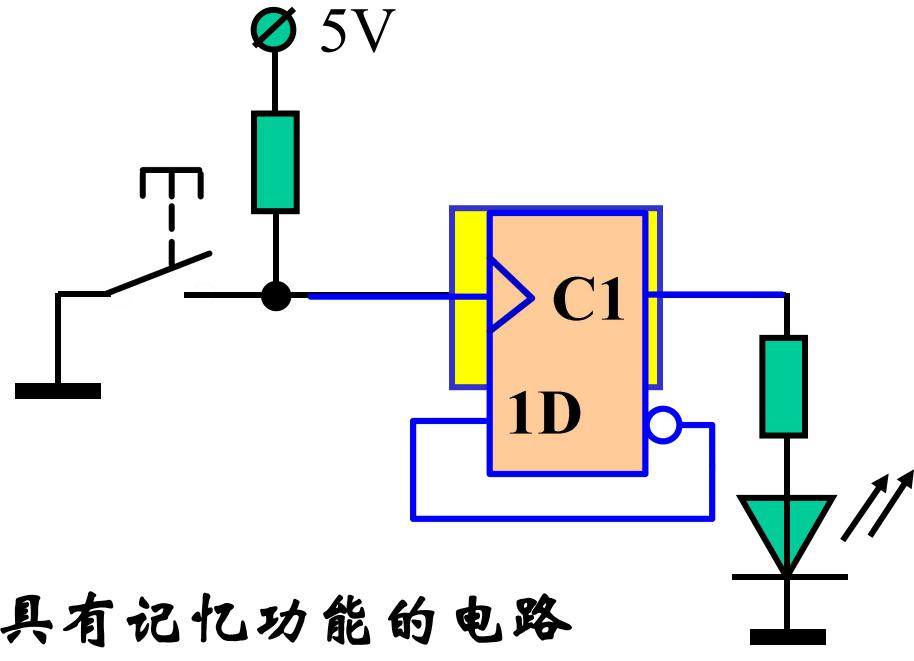
普通机械开关



触点在闭合和断开瞬间会产生接触不稳定



## 【再讨论】为何引入触发器？



原来功能

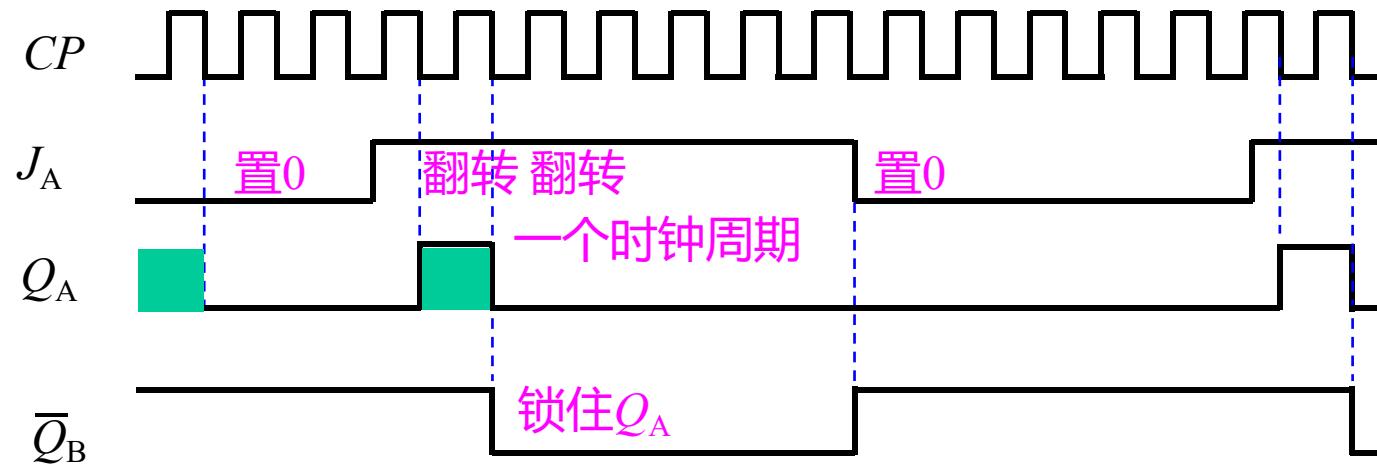
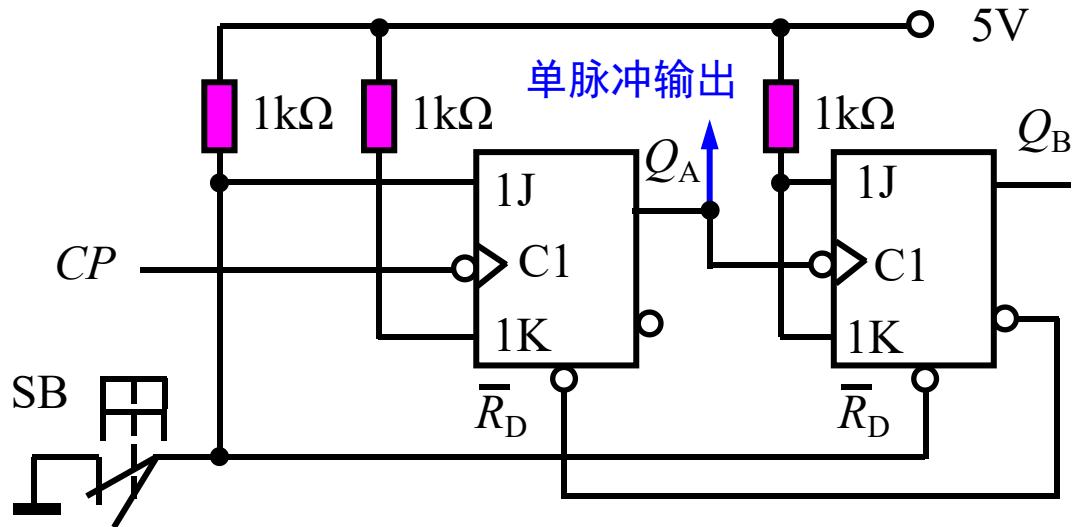
按键断开 LED熄灭

按键闭合 LED点亮

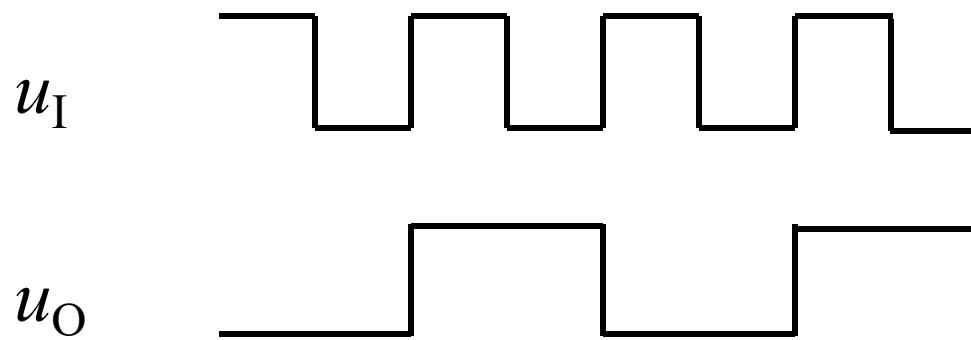
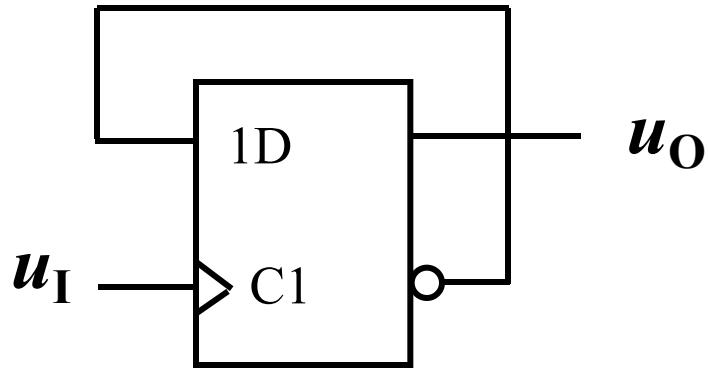
改进功能

按一次，LED在点  
亮与熄灭状态循环

## 2. 单脉冲发生器



### 3. 分频器

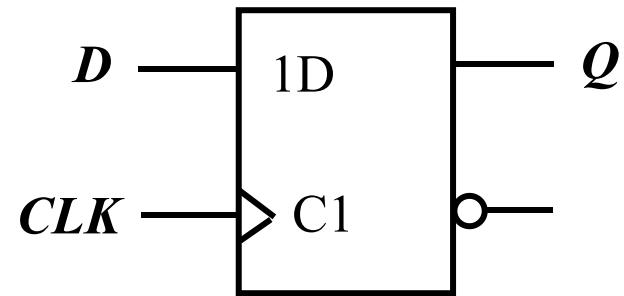


## 4. 6Verilog描述触发器

### 一、行为建模描述DFF

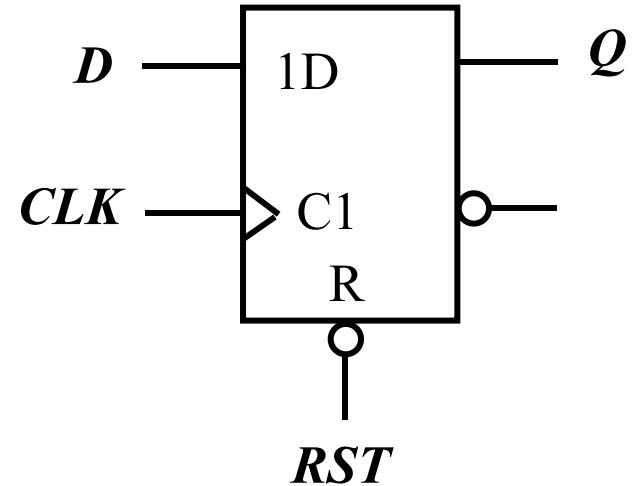
#### 1. 没有异步清零端DFF

```
//D flip-flop without reset
module DFF (Q, D, CLK);
output Q;
input D, CLK;
reg Q;
always @ (posedge CLK )
begin
Q <= D;
end
endmodule
```



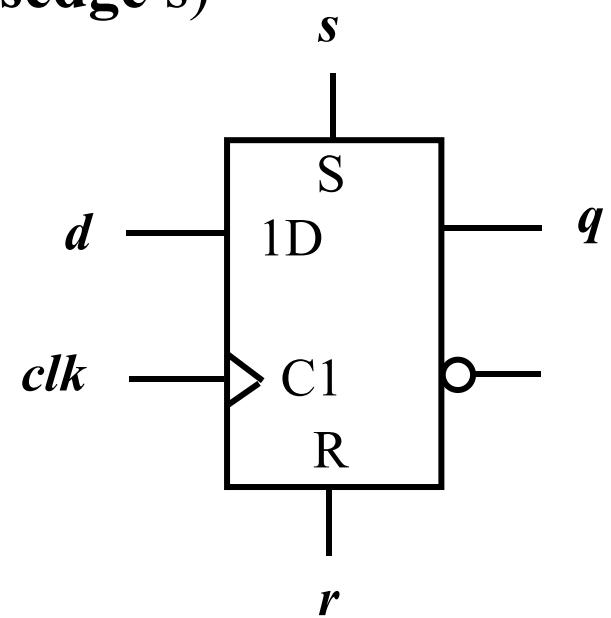
## 2. 有异步清零端DFF

```
//D flip-flop with asynchronous reset ( V2001,V2005)
module DFF (output reg Q, input D, CLK, RST);
always @ (posedge CLK , negedge RST)
begin
if (!RST) Q <= 1'b0; //same as: if (RST == 0)
else Q <= D;
end
endmodule
```



### 3. 有异步清零、置位端DFF

```
moduledff_rs_async(clk,r,s,d,q);
inputclk,r,s,d;
outputq;
regq;
always@(posedgeclk or posedge r or posedge s)
begin
if(r) q<=1'b0;
else if(s) q<=1'b1;
else q<=d;
end
endmodule
```



# 应用题

1.试用基本SRFF设计一个两组数字式抢答器。



# 作业题

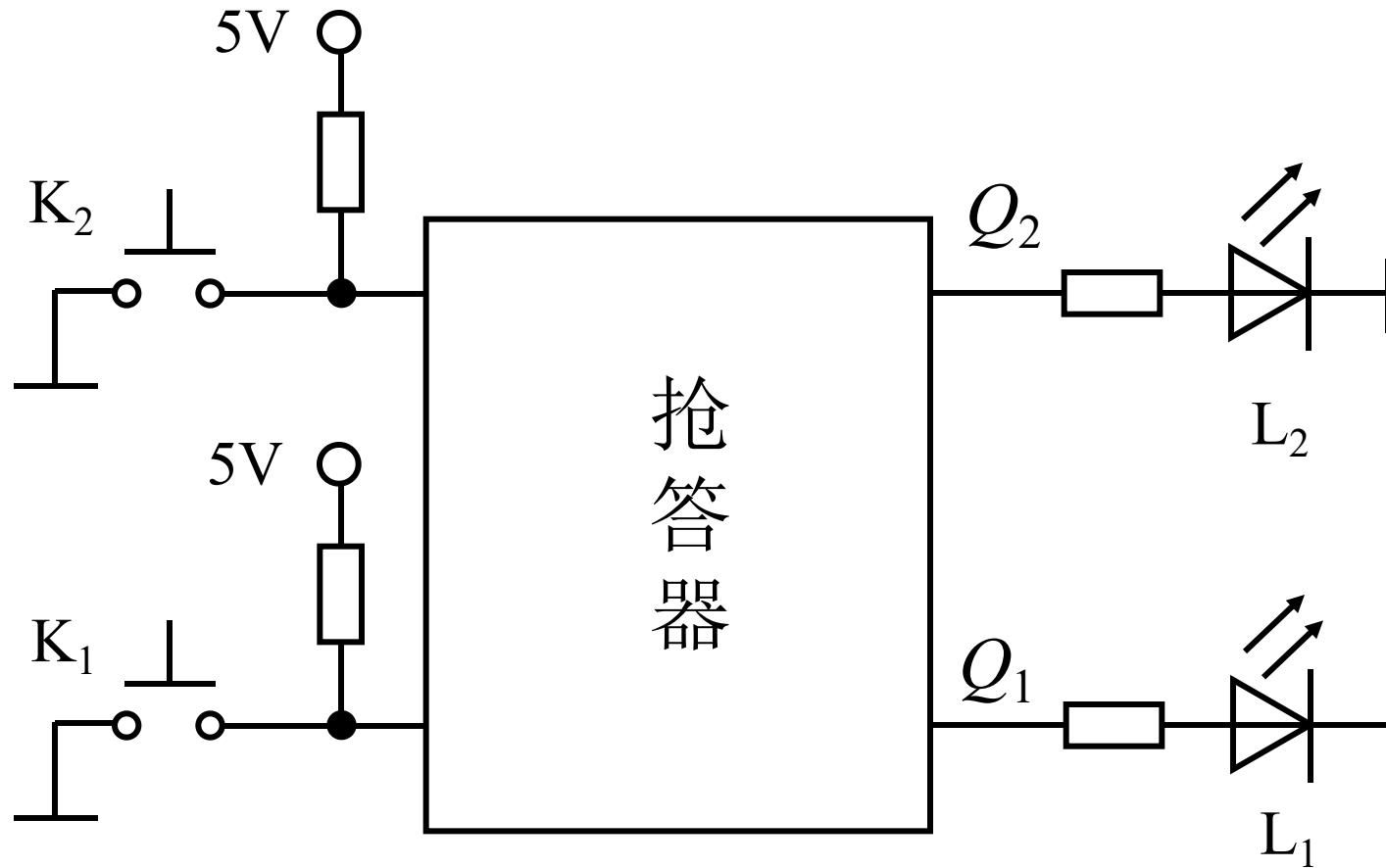
4.1

4.5

4.8

# 应用题

试用基本SRFF设计一个两组数字式抢答器。



$K_2$	$K_1$	$Q_2^n$	$Q_1^n$	$Q_2^{n+1}$	$Q_1^{n+1}$
0	0	0	0	1	1
0	1	0	0	1	0
1	0	0	0	0	1
1	1	0	0	0	0
x	x	0	1	0	1
x	x	1	0	1	0
x	x	1	1	1	1

$Q_2^n Q_1^n$

$K_2 K_1$	00	01	11	10
00	1	0	1	1
01	1	0	1	1
11	0	0	1	1
10	0	0	1	1

$$\bar{S}_{D2} = K_2 + Q_1^n, \bar{R}_{D2} = 1$$

$$\bar{S}_{D1} = K_1 + Q_2^n, \bar{R}_{D1} = 1$$

$$Q_2^{n+1} = \bar{K}_2 \bar{Q}_1^n + Q_2^n = \bar{\bar{S}}_{D2} + \bar{R}_{D2} Q_2^n$$

$$Q_1^{n+1} = \bar{K}_1 \bar{Q}_2^n + Q_1^n = \bar{\bar{S}}_{D1} + \bar{R}_{D1} Q_1^n$$

