

数字电路与逻辑设计B

第十三讲

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电子与光学工程学院

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4. 3钟控触发器

一、钟控SRFF

1. 电路结构
2. 工作原理
3. 功能描述

二、钟控DFF

三、钟控触发器的空翻

4. 4边沿触发器

一、维持阻塞型DFF

1. 电路结构
2. 工作原理
3. 功能描述

二、边沿JKFF

三、TFF和T'FF

1. TFF
2. T'FF

4.5 触发器应用举例

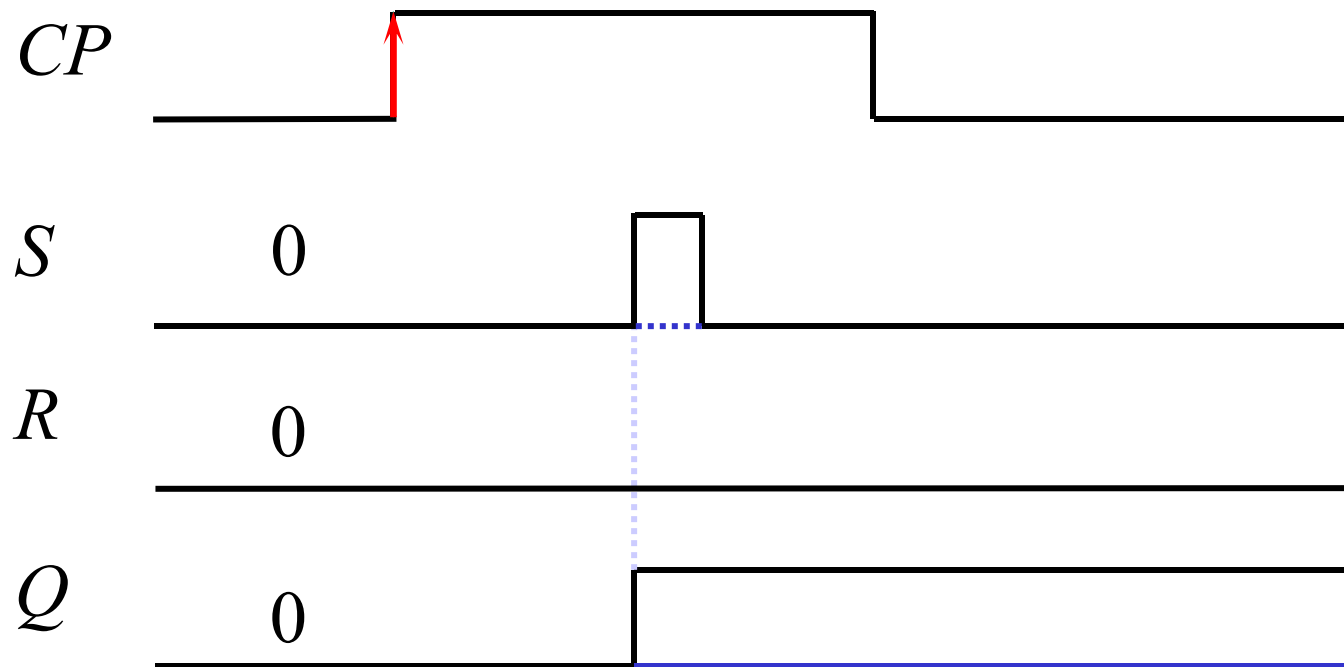
1. 消抖动开关
2. 单脉冲发生器
3. 分频器

4.6 Verilog描述触发器

一、行为建模描述DFF

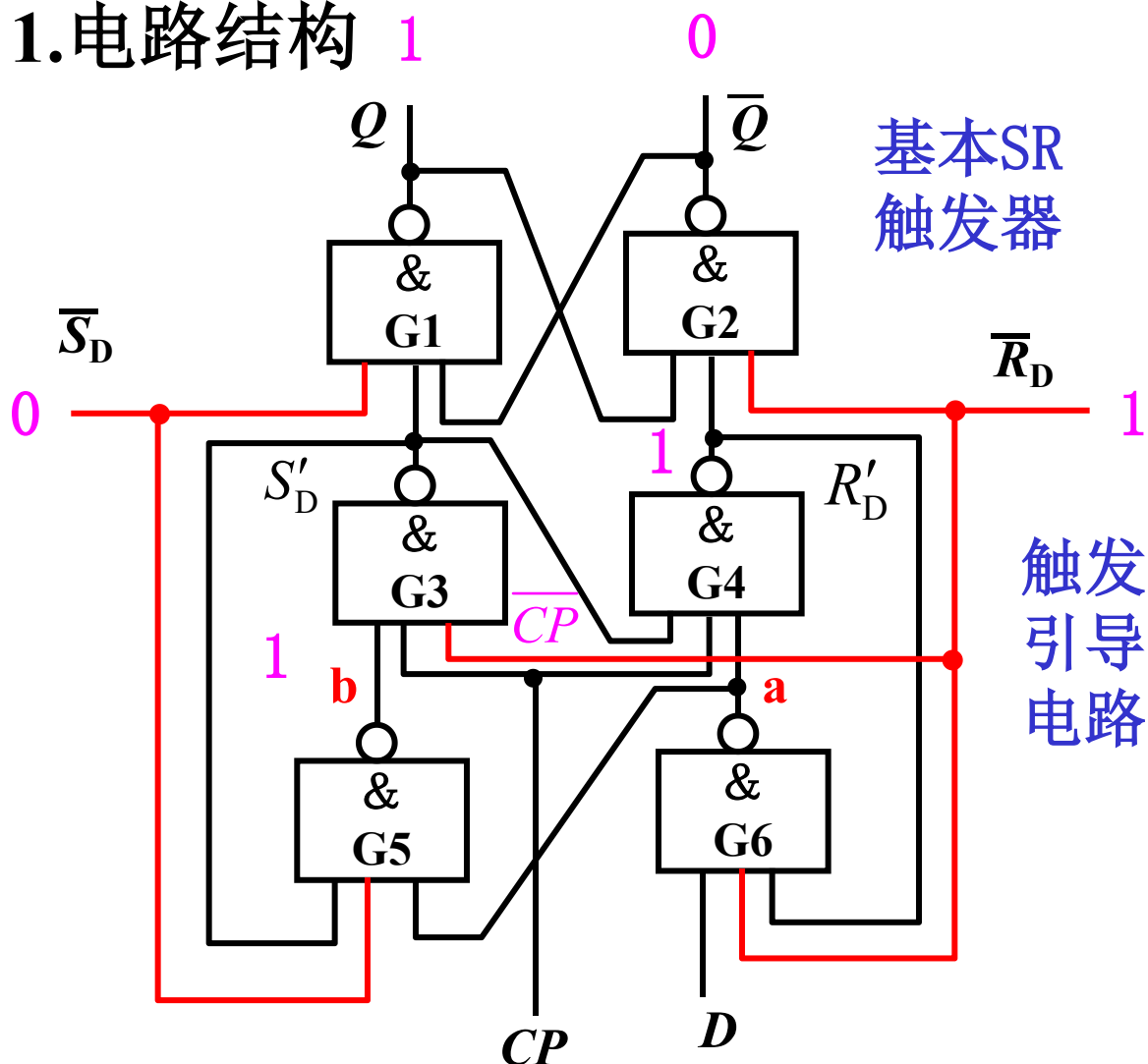
1. 没有异步清零端DFF
2. 有异步清零端DFF
3. 有异步清零、置位端DFF

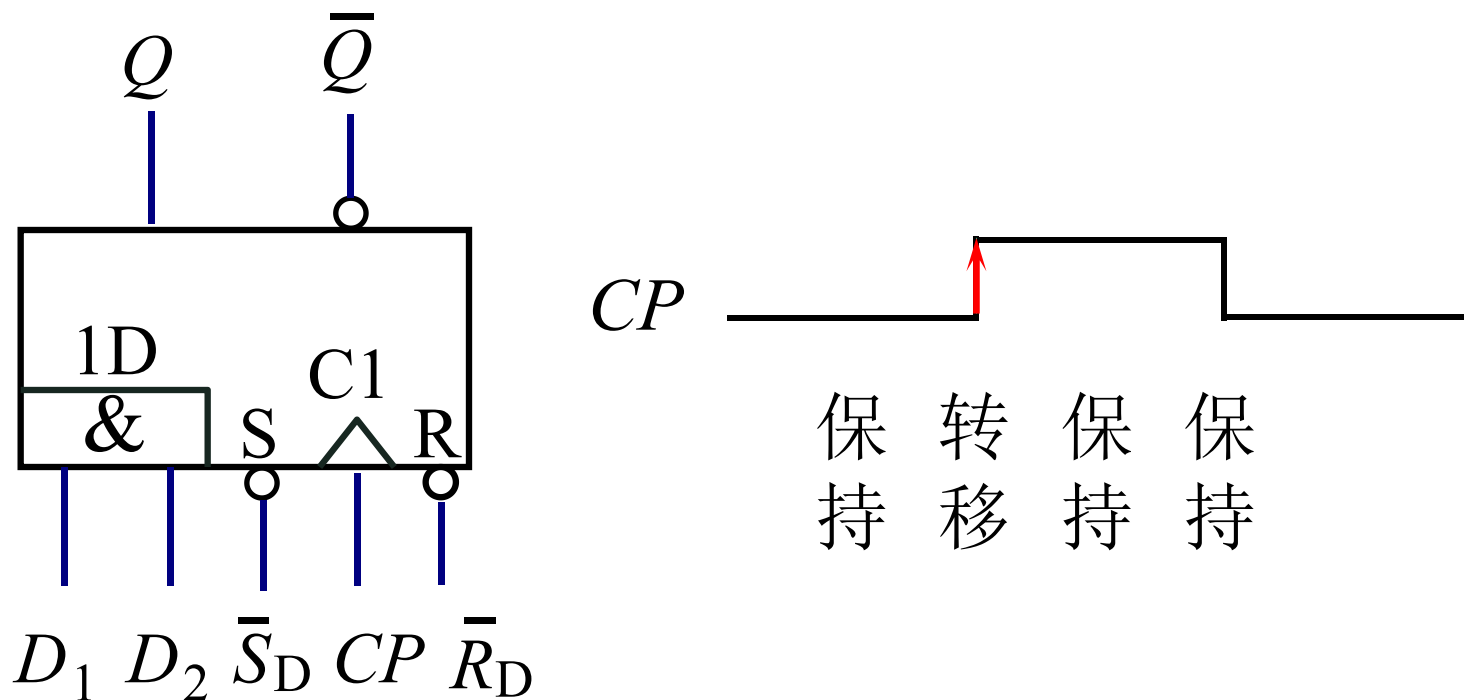
4. 4边沿触发器



一、维持阻塞型DFF

1. 电路结构





(b) 逻辑符号

图 4.4.1 1维阻DFF

2.工作原理

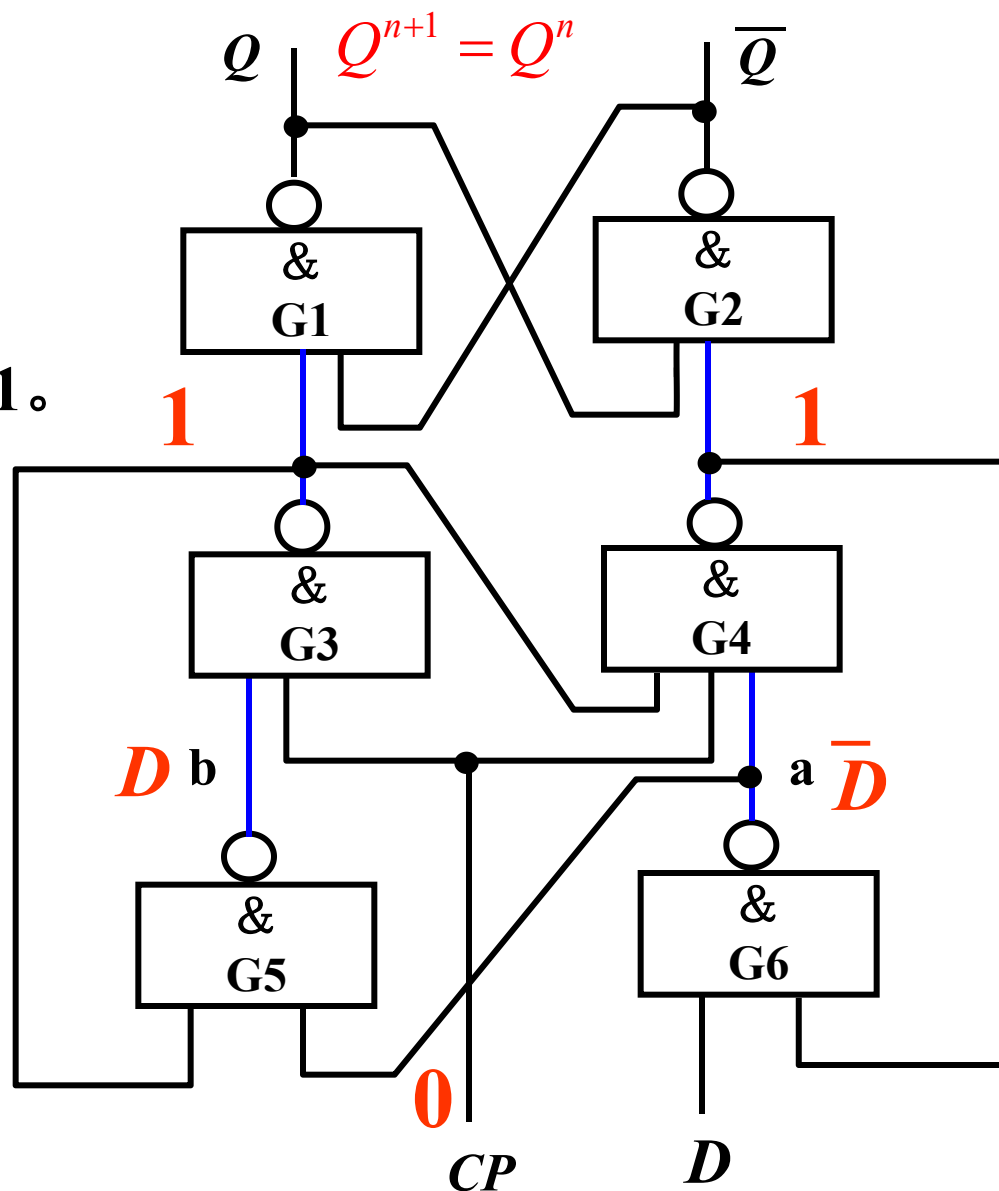
CP=0期间

(1) G3、G4被锁，输出均为1。

输出保持原状态不变

$$Q^{n+1} = Q^n \text{ 保持}$$

(2) $a = \bar{D}$, $b = D$ 。



2.工作原理

CP ↑到达时

G₃、**G**₄开启，使

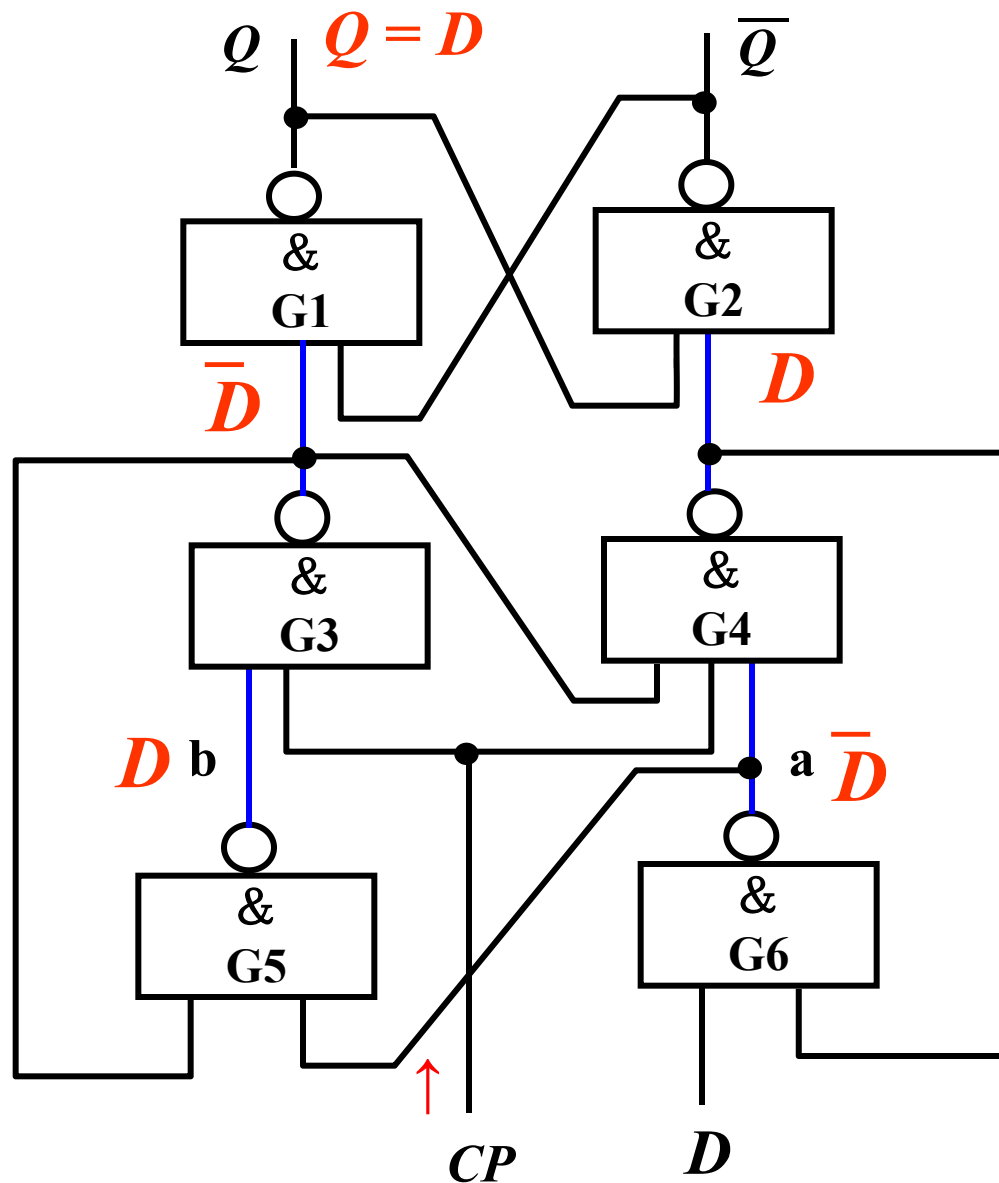
$$S'_D = \bar{D} \quad R'_D = D$$

因此

$$Q^{n+1} = \bar{S}'_D + R'_D Q^n$$

$$= D + DQ^n = D$$

$$Q^{n+1} = D \quad \text{触发}$$



2.工作原理

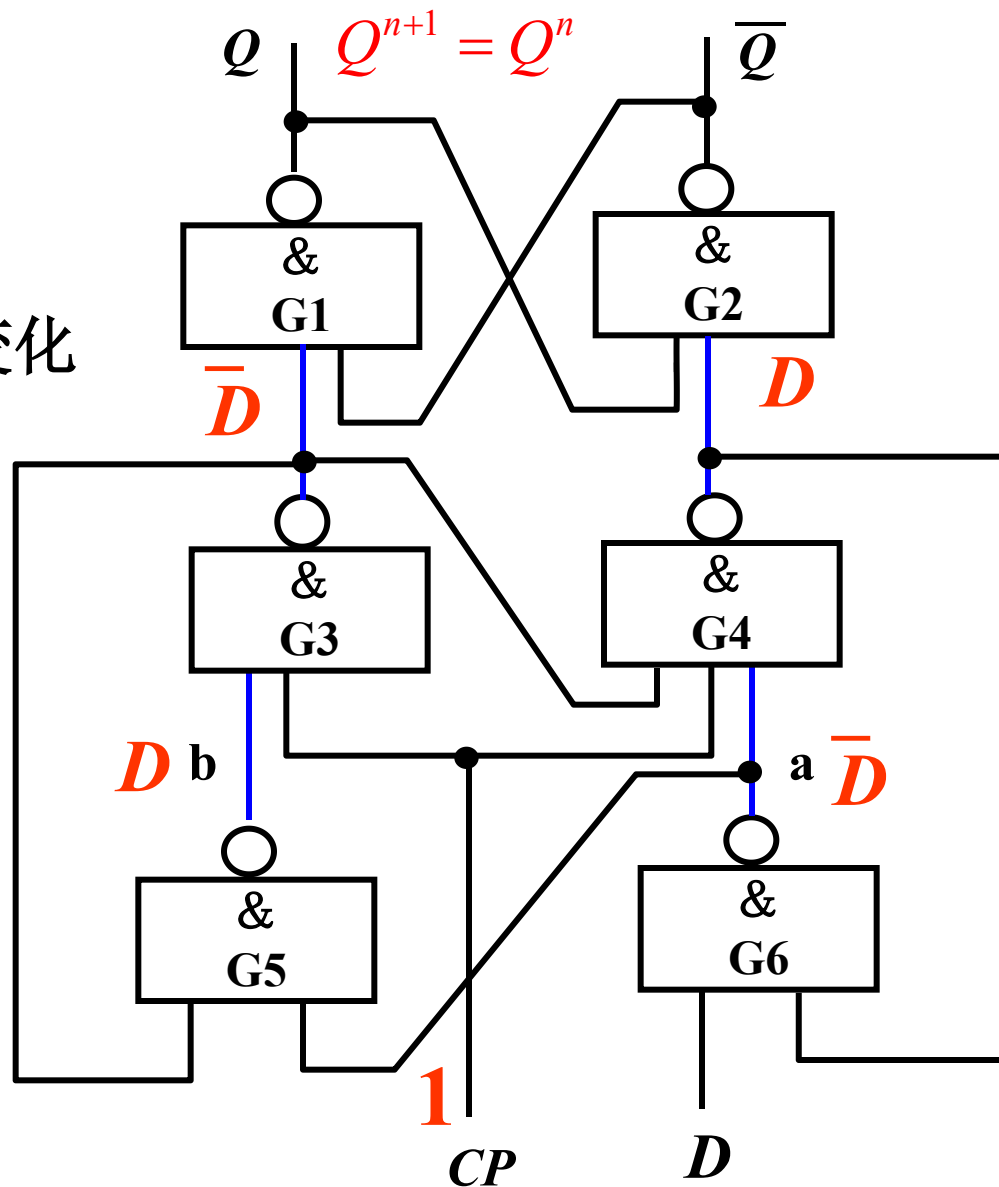
CP=1期间

G_3 、 G_4 开启，无论D是否变化

$S'_D = \bar{D}$ $R'_D = D$ 不变

因此

$$Q^{n+1} = Q^n \text{ 保持}$$

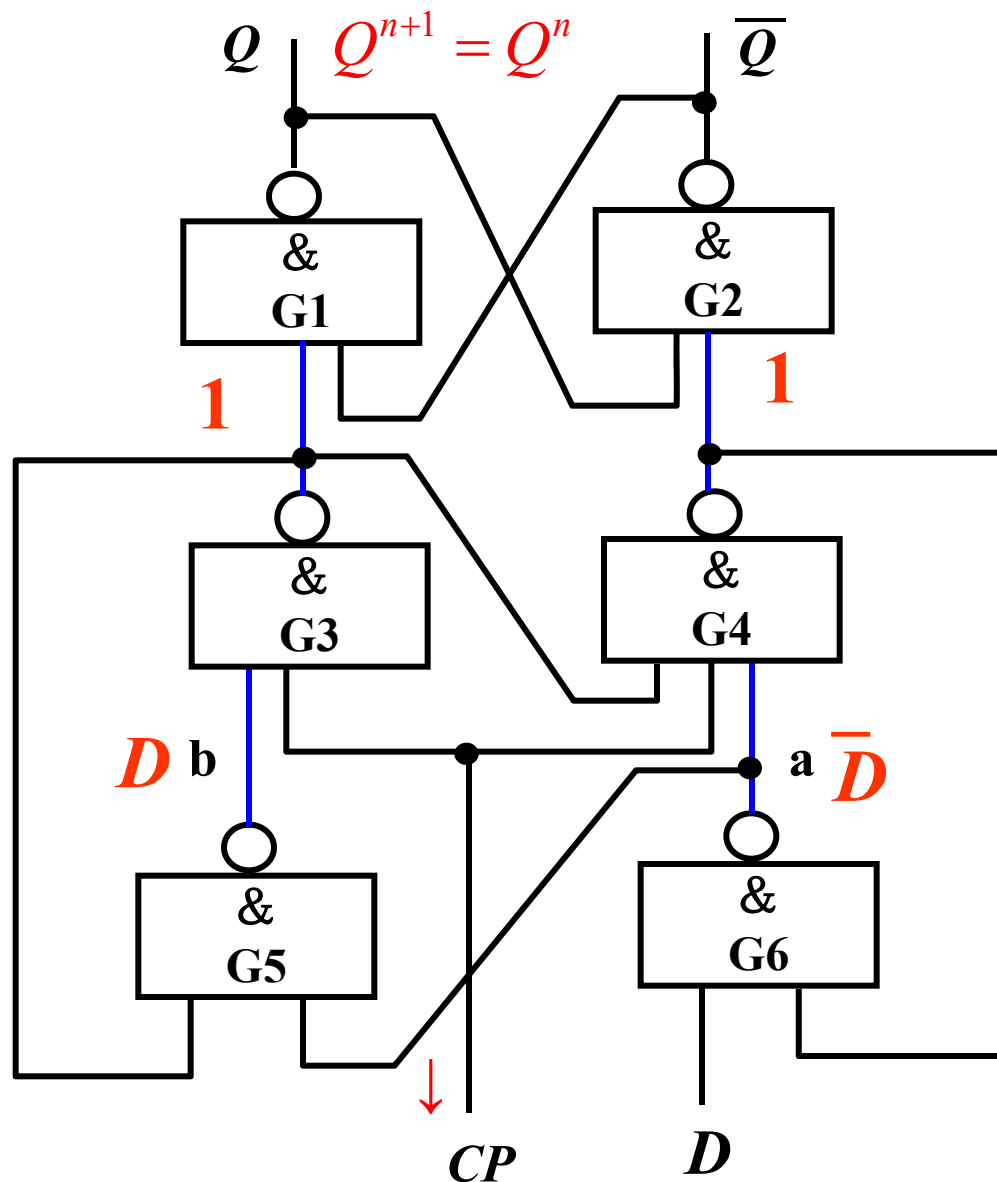


2.工作原理

$CP\downarrow$ 到达时

G_3 、 G_4 被锁，输出为1
输出保持原状态不变

$$Q^{n+1} = Q^n \text{ 保持}$$



3.功能描述

(1)次态方程: $Q^{n+1}=[D]\cdot CP \uparrow$

(2)功能表

表4. 4. 1 维阻DFF功能表

\overline{S}_D	\overline{R}_D	D	CP	Q^{n+1}	功能名称
1	1	0	\uparrow	0	同步置0
1	1	1	\uparrow	1	同步置1
0	1	ϕ	ϕ	1	异步置1
1	0	ϕ	ϕ	0	异步置0
1	1	ϕ	0	Q^n	保持

(3)激励表

表4. 4. 2 维阻DFF激励表

$Q^n \longrightarrow Q^{n+1}$	D
0 0	0
0 1	1
1 0	0
1 1	1

(4) 波形图

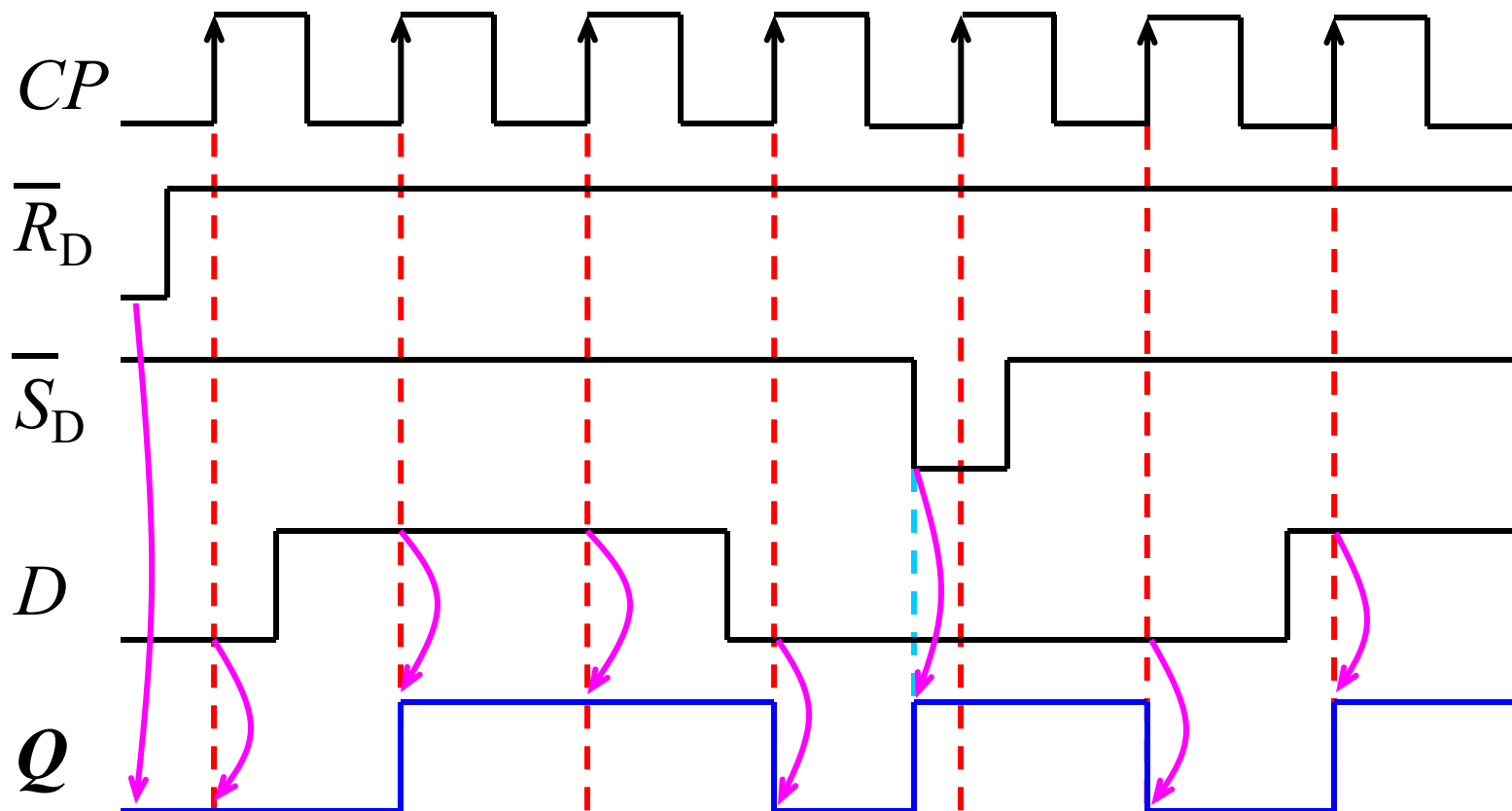


图 4. 4. 2 DFF的波形图

1. 同步转移时决定边沿DFF “转移至何状态” 的是_____。

☐ A 控制信号

☐ B 时钟信号

☒ C 激励信号

提交

2. 边沿DFF中，控制优先权最高的是_____。

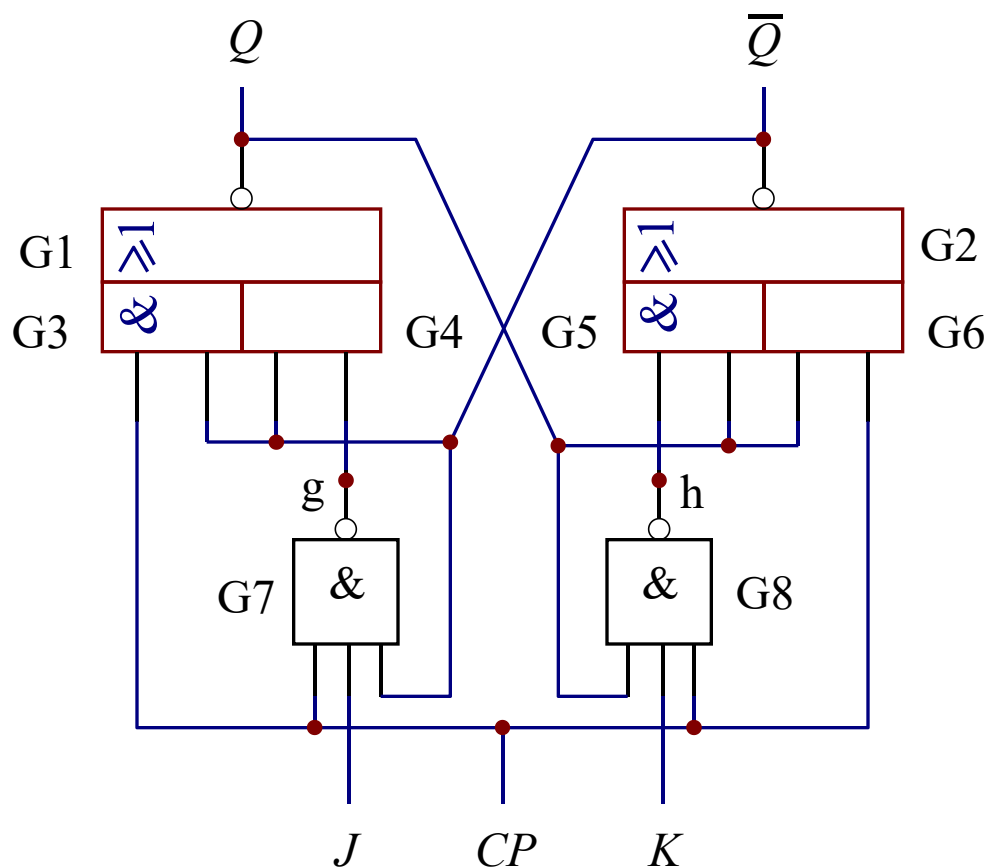
☒ A 控制信号

☐ B 时钟信号

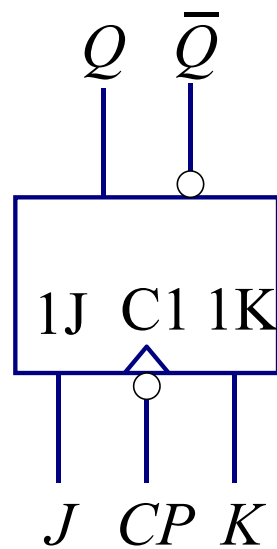
☐ C 激励信号

提交

二、边沿JKFF



(a) 逻辑图



(b) 逻辑符号

(1)次态方程

$$Q^{n+1}=[J\bar{Q}^n+\bar{K}Q^n]\cdot CP \downarrow$$

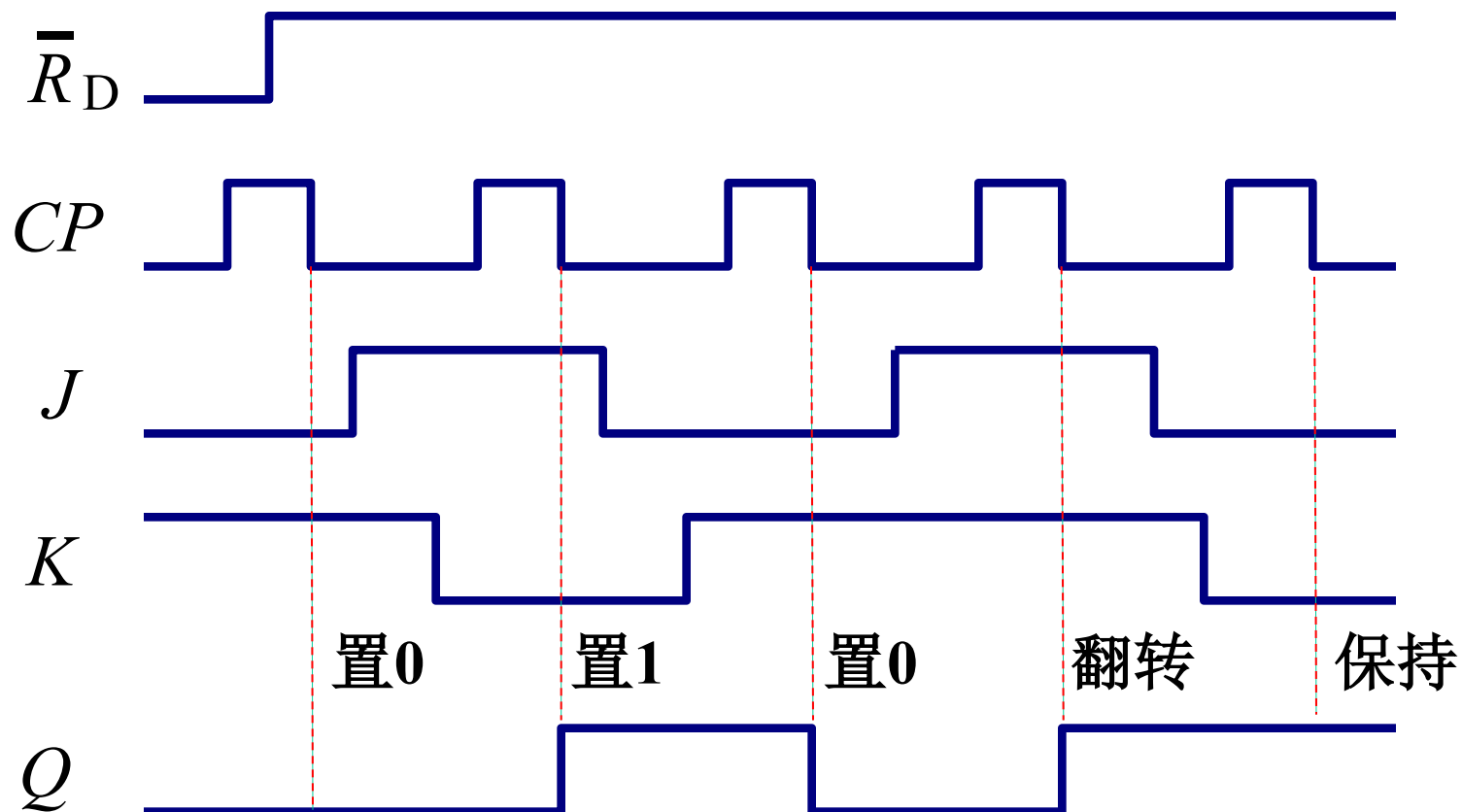
(2)功能表

\bar{S}_D	\bar{R}_D	J	K	CP	Q^{n+1}	\bar{Q}^{n+1}	功能名称
0	0	ϕ	ϕ	ϕ	1	1	不允许
1	0	ϕ	ϕ	ϕ	0	1	异步置0
0	1	ϕ	ϕ	ϕ	1	0	异步置1
1	1	0	0	\downarrow	Q^n	\bar{Q}^n	保持
1	1	0	1	\downarrow	0	1	置0
1	1	1	0	\downarrow	1	0	置1
1	1	1	1	\downarrow	\bar{Q}^n	Q^n	翻转

(3)激励表

$Q^n \longrightarrow Q^{n+1}$		J	K
0	0	0	φ
0	1	1	φ
1	0	φ	1
1	1	φ	0

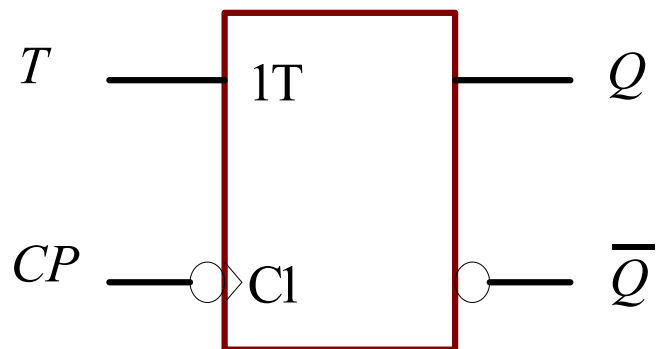
(4) 波形图



三、TFF和T'FF

1.TFF

(1)下降沿触发

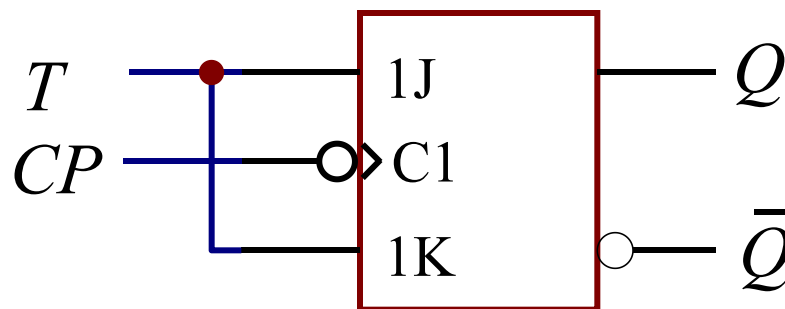


(a) 逻辑符号

(b) 功能表和次态方程

T	Q^{n+1}
0	Q^n
1	\bar{Q}^n

$$Q^{n+1} = [T\bar{Q}^n + \bar{T}Q^n] \cdot CP \downarrow$$

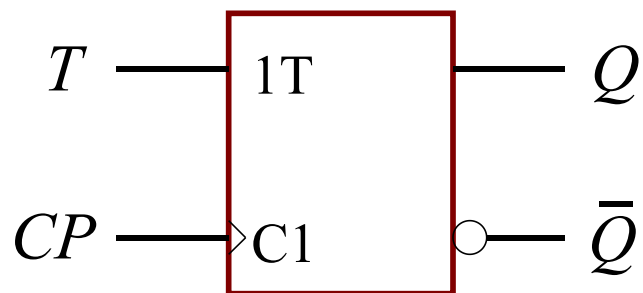


(c) 实现电路

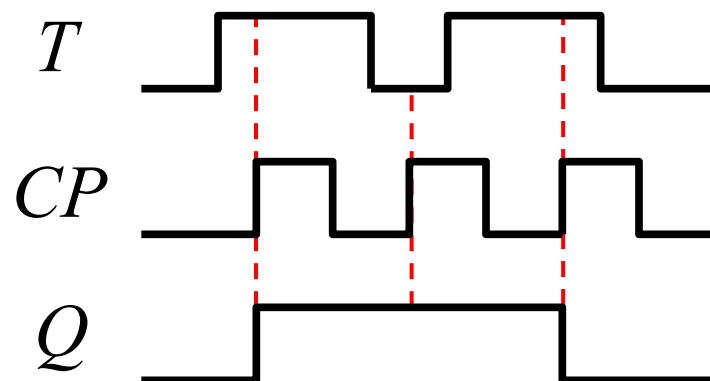
三、TFF和T'FF

1.TFF

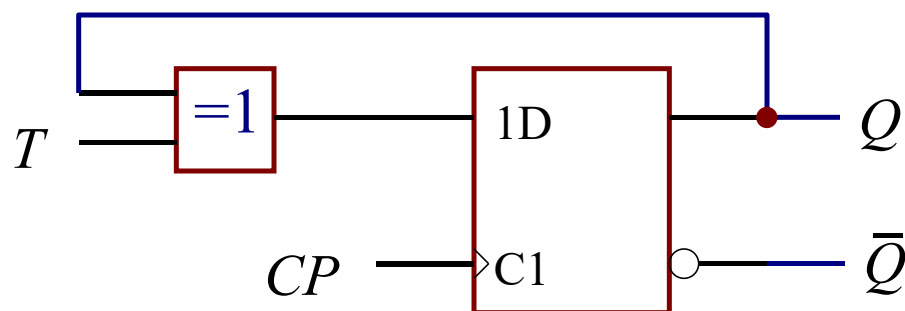
(2)上升沿触发



(d) 逻辑符号



(e) 波形图

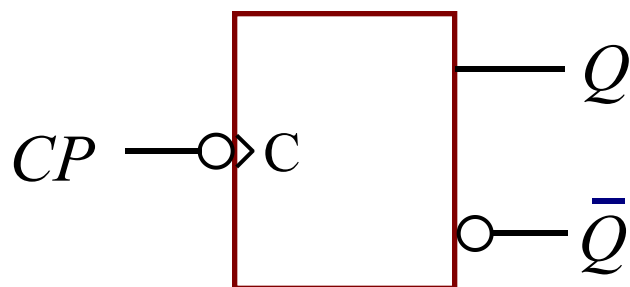


(f) 实现电路

三、TFF和T'FF

2.T'FF

(1)下降沿触发

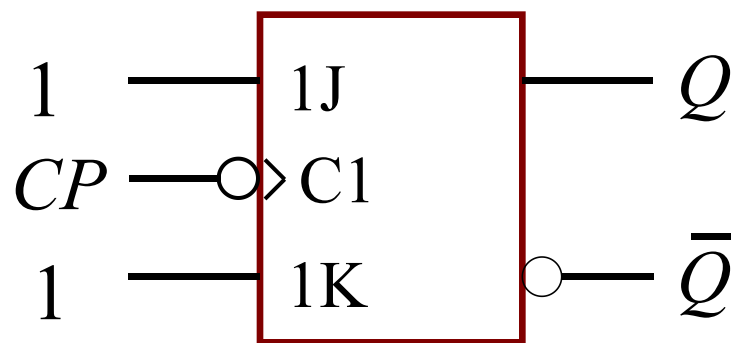


(g)逻辑符号

(h)功能表和次态方程

CP	Q^{n+1}
0	Q^n
\downarrow	\bar{Q}^n

$$Q^{n+1} = [\bar{Q}^n] \cdot CP \downarrow$$

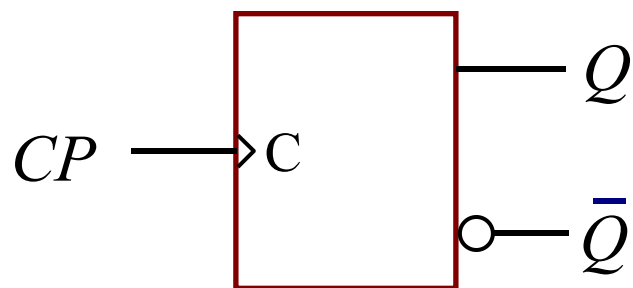


(i)实现电路

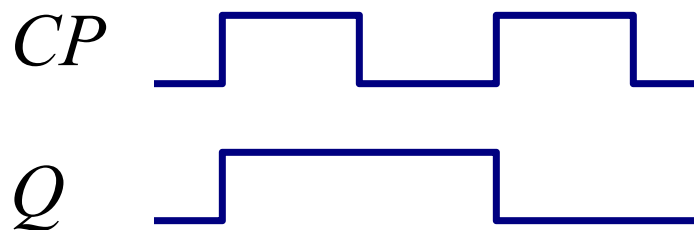
三、TFF和T'FF

2.T'FF

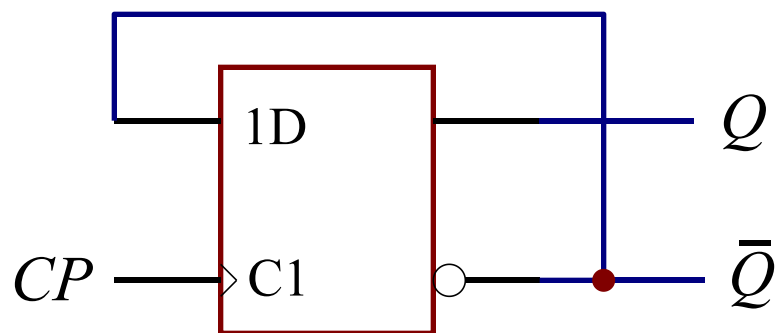
(2)上升沿触发



(j)逻辑符号



(k)波形图



(l)实现电路

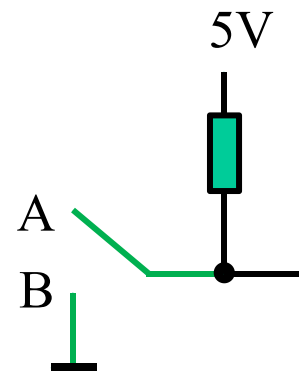
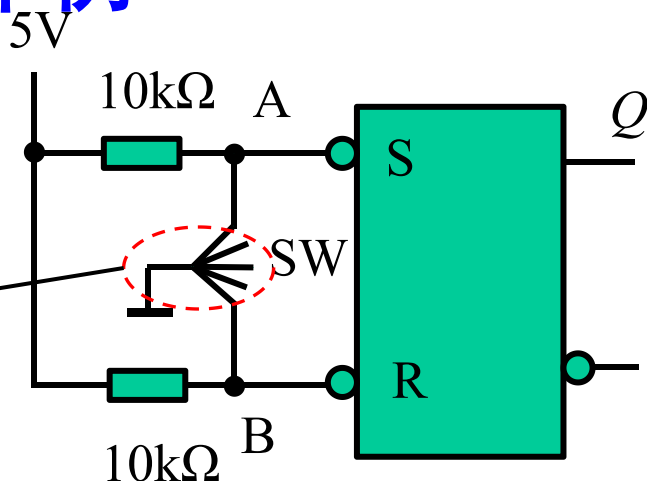
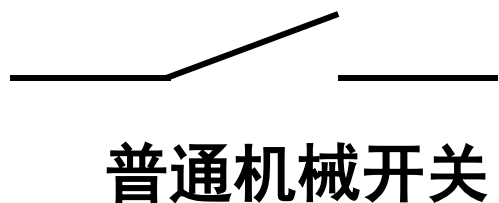
3.在时钟信号作用下，实现功能最多的是边沿__。

- ☐ A SRFF
- ☐ B DFF
- ☒ C JKFF
- ☐ D TFF

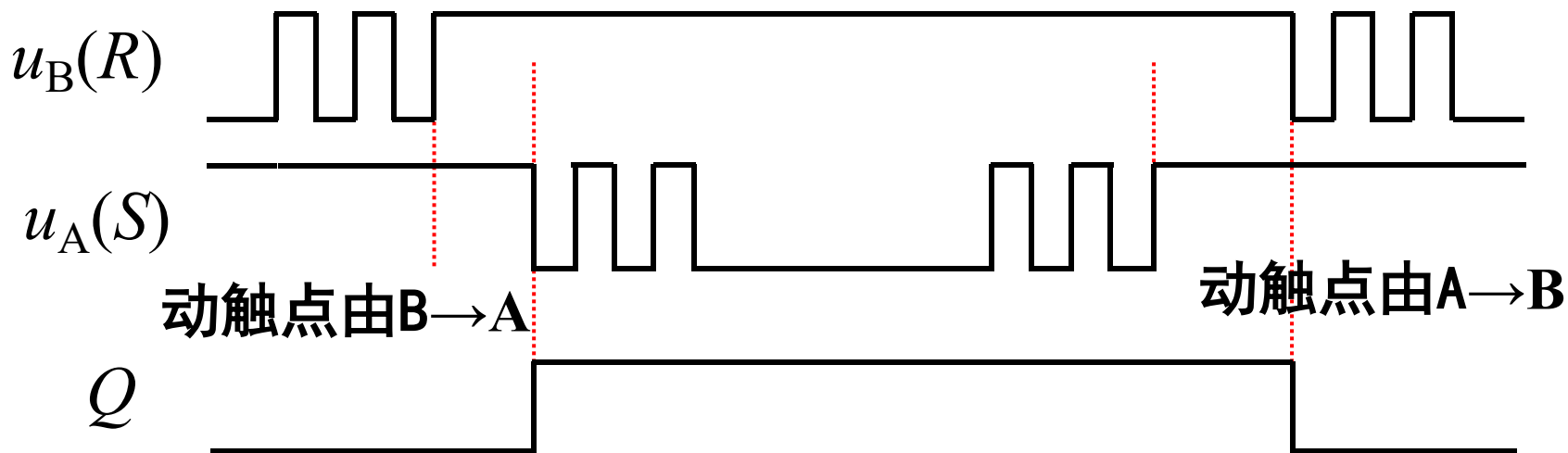
提交

4.5 触发器应用举例

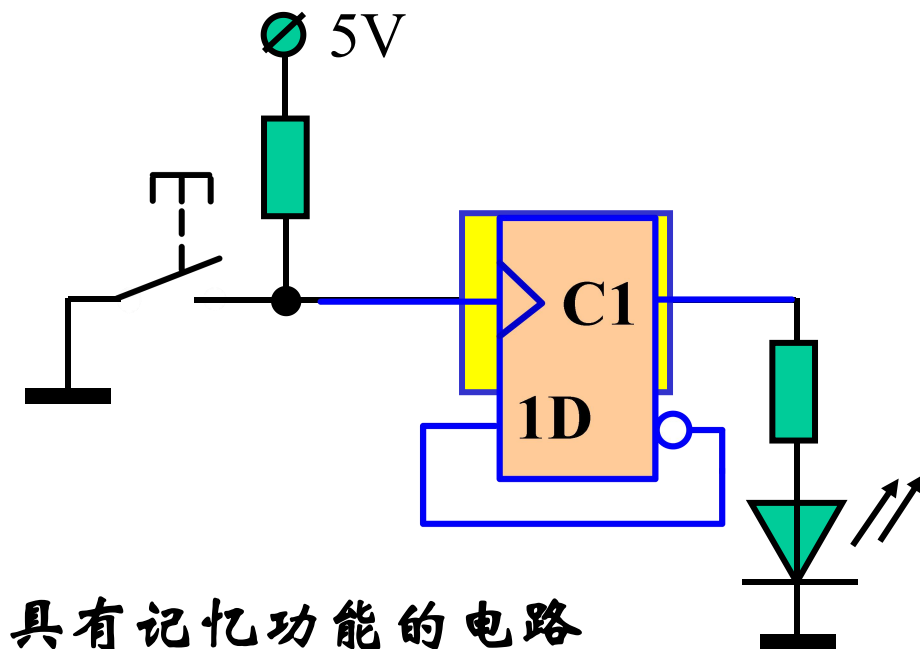
1. 消抖动开关



触点在闭合和断开瞬间会产生接触不稳定



【再讨论】为何引入触发器？



原来功能

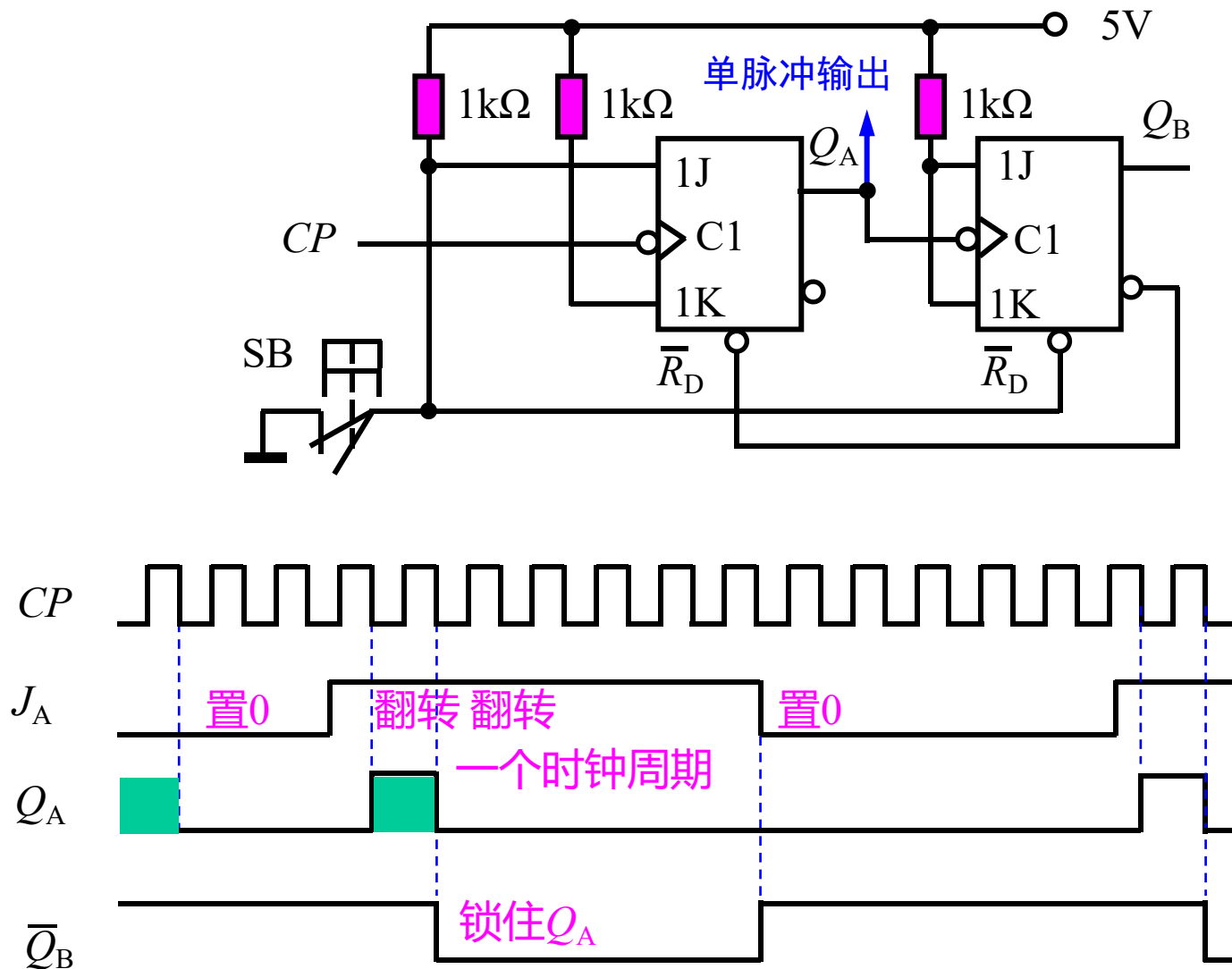
按键断开 LED熄灭

按键闭合 LED点亮

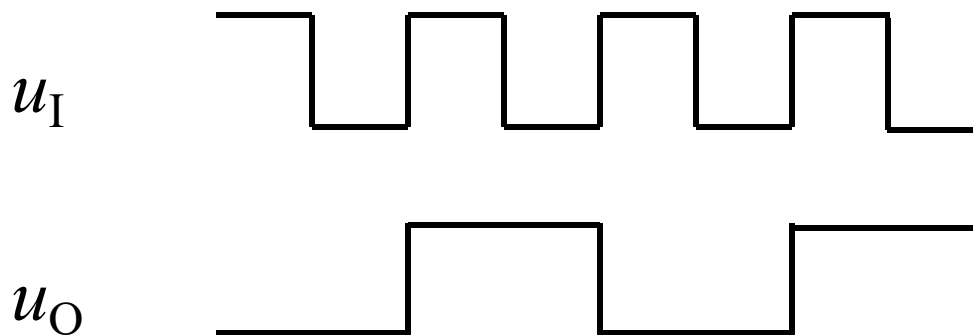
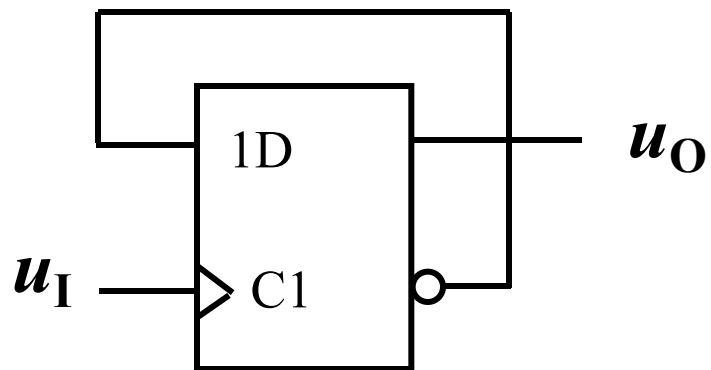
改进功能

按一次，LED在点亮与熄灭状态循环

2. 单脉冲发生器



3. 分频器

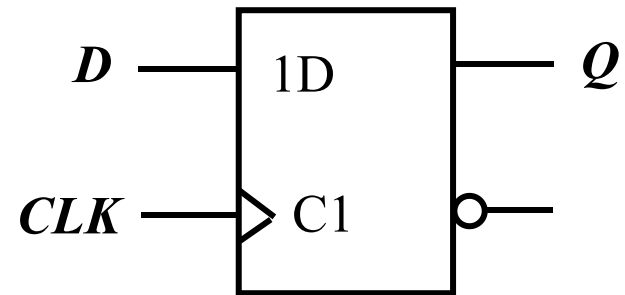


4. 6Verilog描述触发器

一、行为建模描述DFF

1. 没有异步清零端DFF

```
//D flip-flop without reset  
module DFF (Q, D, CLK);  
output Q;  
input D, CLK;  
reg Q;  
always @(posedge CLK )  
begin  
  Q <= D;  
end  
endmodule
```



2. 有异步清零端DFF

//D flip-flop with asynchronous reset (V2001,V2005)

```
module DFF (output reg Q, input D, CLK, RST);
```

```
always @ (posedge CLK , negedge RST)
```

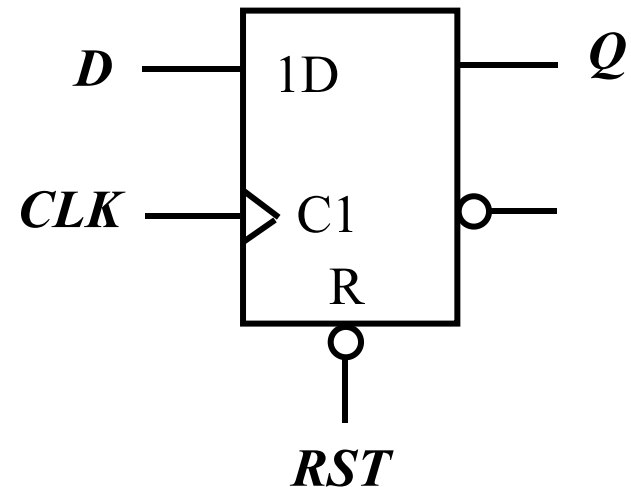
```
begin
```

```
if (!RST) Q <= 1'b0; //same as: if (RST == 0)
```

```
else Q <= D;
```

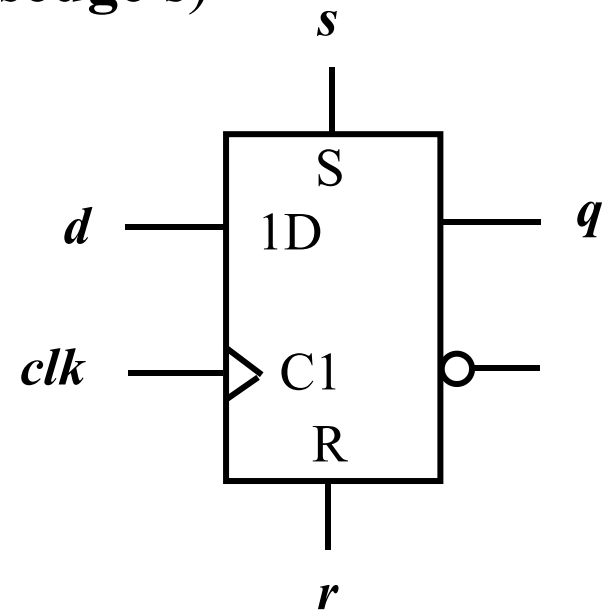
```
end
```

```
endmodule
```



3. 有异步清零、置位端DFF

```
module dff_rs_async(clk,r,s,d,q);  
input clk,r,s,d;  
output q;  
reg q;  
always@(posedge clk or posedge r or posedge s)  
begin  
  if(r) q<=1'b0;  
  else if(s) q<=1'b1;  
  else q<=d;  
end  
endmodule
```



应用题

1.试用基本SRFF设计一个两组数字式抢答器。

作业题

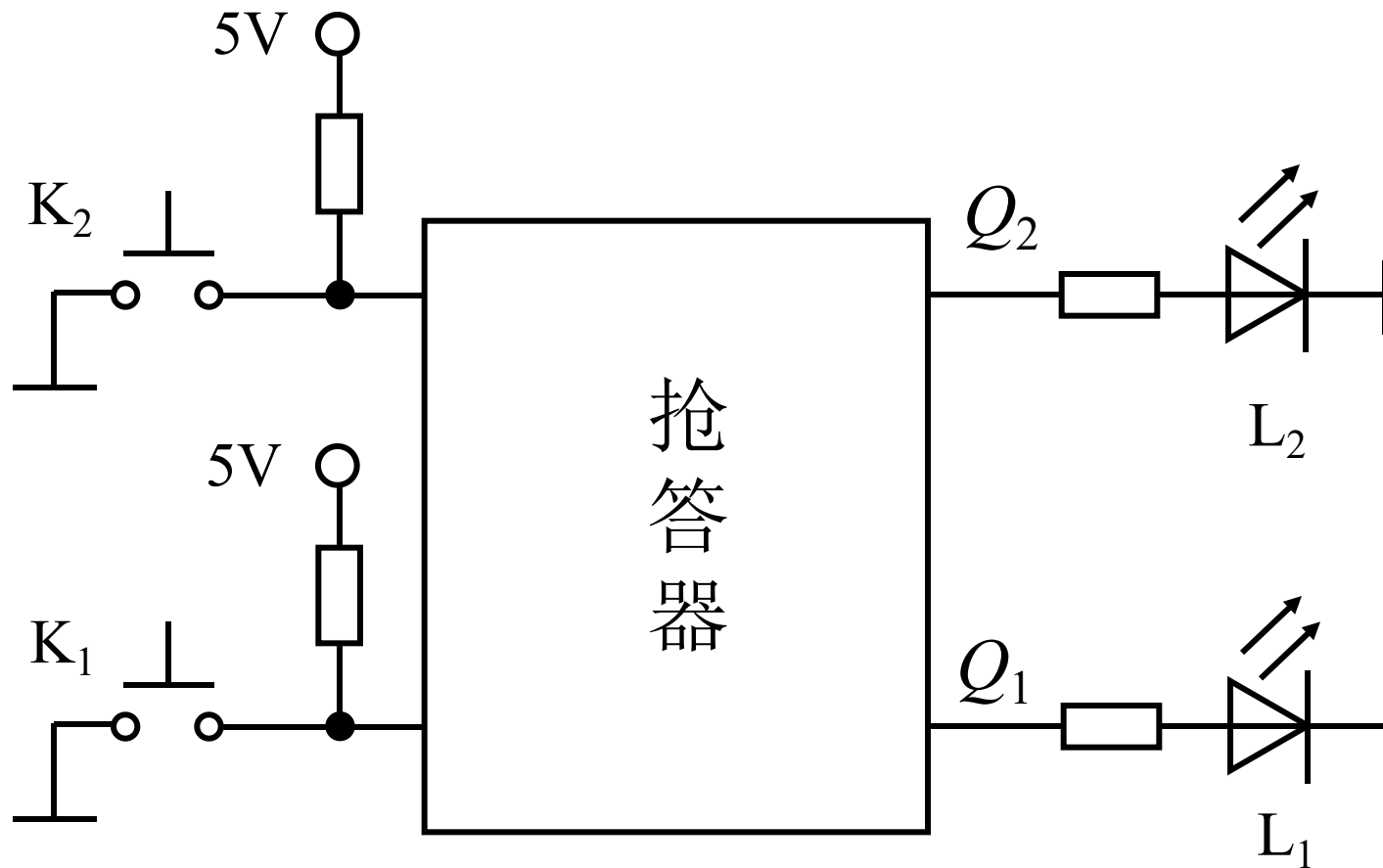
4.1

4.5

4.8

应用题

试用基本SRFF设计一个两组数字式抢答器。



K_2	K_1	Q_2^n	Q_1^n	Q_2^{n+1}	Q_1^{n+1}
0	0	0	0	1	1
0	1	0	0	1	0
1	0	0	0	0	1
1	1	0	0	0	0
x	x	0	1	0	1
x	x	1	0	1	0
x	x	1	1	1	1

$Q_2^n Q_1^n$

$K_2 K_1 \backslash$	00	01	11	10
00	1	0	1	1
01	1	0	1	1
11	0	0	1	1
10	0	0	1	1

The Karnaugh map for Q_2^{n+1} shows a 4x4 grid of cells. The columns are labeled 00, 01, 11, 10 and the rows are labeled 00, 01, 11, 10. The cells contain the values of Q_2^{n+1} for each combination of K_2, K_1 and Q_2^n, Q_1^n . Blue groupings (squares) are shown around the cells (00,00), (01,00), (00,01), and (01,01). Red groupings (squares) are shown around the cells (11,00), (10,00), (11,01), (10,01), (11,11), (10,11), (11,10), and (10,10).

$$\bar{S}_{D2} = K_2 + Q_1^n, \bar{R}_{D2} = 1$$

$$\bar{S}_{D1} = K_1 + Q_2^n, \bar{R}_{D1} = 1$$

$$Q_2^{n+1} = \bar{K}_2 \bar{Q}_1^n + Q_2^n = \bar{\bar{S}}_{D2} + \bar{R}_{D2} Q_2^n$$

$$Q_1^{n+1} = \bar{K}_1 \bar{Q}_2^n + Q_1^n = \bar{\bar{S}}_{D1} + \bar{R}_{D1} Q_1^n$$

