# Naive Bayes Classifier

## A probabilistic classification algorithm

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### **Bayes Theorem**

$$P(A|B) = \frac{P(A) P(B|A)}{P(B)}$$

way of finding the probability, when we know certain other probabilities

### Practical example

Can I go kitesurfing when ...?

Wind condition	Go kitesurfing
Windy	Yes
No wind	No
Windy	Yes
Stormy	Yes
Stormy	No
Stormy	No
Windy	Yes

Wind cond	Kiting: Yes	Kiting: No	Total	Likelihood
No wind	0	1	1	1/7
Windy	3 \	0	3	3/7
Stormy	1	2	3	3/7
Total	4	3		
Likelihood	4/7	3/7		

P(Yes|Windy) = (P(Yes)\*P(Windy|Yes)) / P(Windy)

P(Yes|Windy) = ((4/7) \* (3/4)) / (3/7)

P(Yes|Windy) = 1

# Principle of Naive Bayes

$$P(y \mid x_1, \ldots, x_n) = rac{P(y)P(x_1, \ldots x_n \mid y)}{P(x_1, \ldots, x_n)}$$

Assumption: features are independent

$$P(y \mid x_1, \ldots, x_n) = rac{P(y) \prod_{i=1}^n P(x_i \mid y)}{P(x_1, \ldots, x_n)}$$

Since denominator is constant:

$$\hat{y} = rg \max_{y} P(y) \prod_{i=1}^{n} P(x_i \mid y),$$

#### Principle of Naive Bayes

This assumption of independence is not fulfilled in practice!

However, we use the formula anyway:

**NAIVE Bayes** 

## Types of Naive Bayes Classifier

dependent on the assumption about the distribution of the features

- 1) Gaussian Naive Bayes:
  - → features are normally distributed
- Multinomial Naive Bayes:
  - → features follow a multinomial distribution
- 3) Bernoulli Naive Bayes:
  - → features are independent, binary variables (e.g. True/False)

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#### Scikit-learn classes

accuracy Multinomial NB: 0.5789473684210527

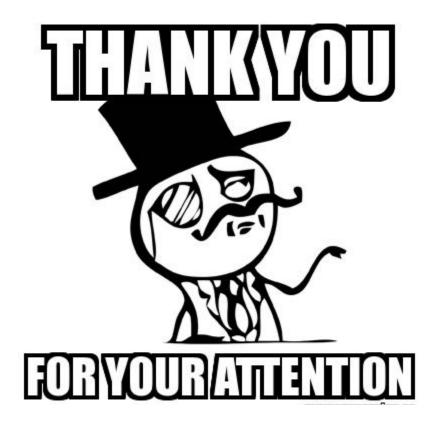
```
1 # no scaling needed
 2 from sklearn.datasets import load iris
 3 from sklearn.model selection import train test split
   from sklearn, naive bayes import BernoulliNB, CategoricalNB, ComplementNB, GaussianNB, MultinomialNB
   (X, y) = load_iris(return_X_y=True)
   (X train, X test, y train, y test) = train_test_split(X, y, random_state=0)
   bernoulli nb = BernoulliNB().fit(X train, y train) # binary features
10 categorical nb = CategoricalNB().fit(X train, y train) # categorical features
complement nb = ComplementNB().fit(X train, y train) # imbalanced data sets, designed to correct some assumpts
12 gaussian_nb = GaussianNB().fit(X_train, y_train) # gaussian distributed features
multinomial nb = MultinomialNB().fit(X train, y train) # multinomially distributed discrete features, frequence
14
15 print('accuracy Bernoulli NB: ', bernoulli nb.score(X test, y test))
16 print('accuracy Categorical NB:', categorical_nb.score(X_test, y_test))
17 print('accuracy Complement NB: ', complement_nb.score(X_test, y_test))
18 print('accuracy Gaussian NB: ', gaussian_nb.score(X_test, y_test))
19 print('accuracy Multinomial NB:', multinomial nb.score(X test, v test))
accuracy Bernoulli NB:
                        0.23684210526315788
accuracy Categorical NB: 0.8947368421052632
accuracy Complement NB: 0.5789473684210527
accuracy Gaussian NB:
                        1.0
```

#### Conclusion

- often used in:
  - Spam filtering
  - Recommendation systems

easy to implement

 Disadvantage: predictors should be independent, in real life cases predictors are often dependent → sometimes performance issues





#### Resources

- https://towardsdatascience.com/naive-bayes-classifier-81d512f50a7c
- https://databraineo.de/ask-the-doc/was-ist-der-naive-bayes-algorithmus/
- https://scikit-learn.org/stable/modules/naive\_bayes.html