01 machine learning workflow

September 29, 2021

1 Basic Walk-Through: k-nearest Neighbors

This notebook contains several examples that illustrate the machine learning workflow using a dataset of house prices.

We will use the fairly straightforward k-nearest neighbors (KNN) algorithm that allows us to tackle both regression and classification problems.

In its default sklearn implementation, it identifies the k nearest data points (based on the Euclidean distance) to make a prediction. It predicts the most frequent class among the neighbors or the average outcome in the classification or regression case, respectively.

```
[1]: import warnings warnings.filterwarnings('ignore')
```

```
[2]: %matplotlib inline
     from pathlib import Path
     import numpy as np
     import pandas as pd
     import seaborn as sns
     import matplotlib.pyplot as plt
     from scipy.stats import spearmanr
     from sklearn.neighbors import (KNeighborsClassifier,
                                    KNeighborsRegressor)
     from sklearn.model_selection import (cross_val_score,
                                          cross_val_predict,
                                          GridSearchCV)
     from sklearn.feature_selection import mutual_info_regression
     from sklearn.preprocessing import StandardScaler, scale
     from sklearn.pipeline import Pipeline
     from sklearn.metrics import make_scorer
     from yellowbrick.model_selection import ValidationCurve, LearningCurve
```

```
[3]: sns.set_style('whitegrid')
```

1.1 Get the Data

1.1.1 Kings County Housing Data

Data from Kaggle

Download via API:

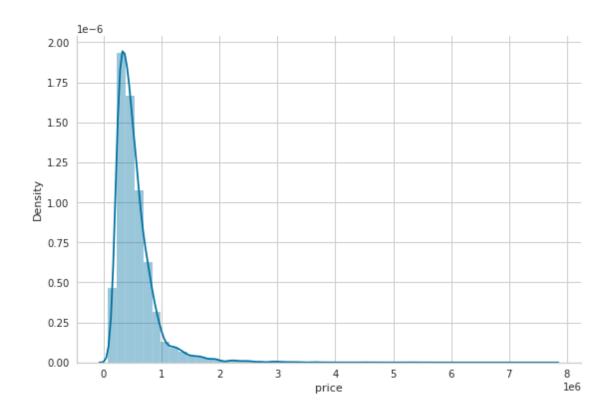
kaggle datasets download -d harlfoxem/housesalesprediction

```
[4]: DATA_PATH = Path('...', 'data')
[5]: house_sales = pd.read_csv('kc_house_data.csv')
    house_sales = house_sales.drop(
         ['id', 'zipcode', 'lat', 'long', 'date'], axis=1)
    house_sales.info()
    <class 'pandas.core.frame.DataFrame'>
    RangeIndex: 21613 entries, 0 to 21612
    Data columns (total 16 columns):
     #
         Column
                        Non-Null Count
                                       Dtype
         -----
                        _____
     0
                        21613 non-null float64
         price
     1
         bedrooms
                        21613 non-null
                                        int64
     2
         bathrooms
                        21613 non-null float64
     3
         sqft_living
                        21613 non-null int64
     4
         sqft_lot
                        21613 non-null int64
     5
         floors
                        21613 non-null float64
         waterfront
     6
                        21613 non-null
                                       int64
     7
         view
                        21613 non-null int64
     8
         condition
                        21613 non-null int64
     9
         grade
                        21613 non-null
                                       int64
        sqft_above
                        21613 non-null int64
         sqft_basement 21613 non-null
                                       int64
     11
     12
        yr_built
                        21613 non-null
                                        int64
     13
         yr_renovated
                        21613 non-null
                                        int64
        sqft_living15
                        21613 non-null
                                        int64
         sqft_lot15
                        21613 non-null
                                        int64
    dtypes: float64(3), int64(13)
    memory usage: 2.6 MB
```

1.2 Select & Transform Features

1.2.1 Asset Prices often have long tails

```
[6]: sns.distplot(house_sales.price)
sns.despine()
plt.tight_layout();
```



1.2.2 Use log-transform

Useful for dealing with skewed data.

```
[7]: X_all = house_sales.drop('price', axis=1)
y = np.log(house_sales.price)
```

1.2.3 Mutual information regression

See sklearn docs. Covered later in Chapter 6 of the book.

```
[8]: sqft_living
                      0.347760
     grade
                      0.342861
     sqft_living15
                      0.269146
     sqft_above
                      0.258574
    bathrooms
                      0.202894
     sqft_lot15
                      0.085729
    bedrooms
                      0.079577
     floors
                      0.078963
```

```
      yr_built
      0.076893

      sqft_basement
      0.069330

      sqft_lot
      0.062372

      view
      0.058605

      waterfront
      0.010809

      yr_renovated
      0.009336

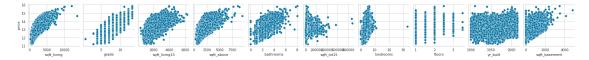
      condition
      0.004629
```

dtype: float64

```
[9]: X = X_all.loc[:, mi_reg.iloc[:10].index]
```

1.2.4 Bivariate Scatter Plots

[10]: g = sns.pairplot(X.assign(price=y), y_vars=['price'], x_vars=X.columns)
sns.despine();



1.2.5 Explore Correlations

[11]: X.info()

<class 'pandas.core.frame.DataFrame'>
RangeIndex: 21613 entries, 0 to 21612

Data columns (total 10 columns):

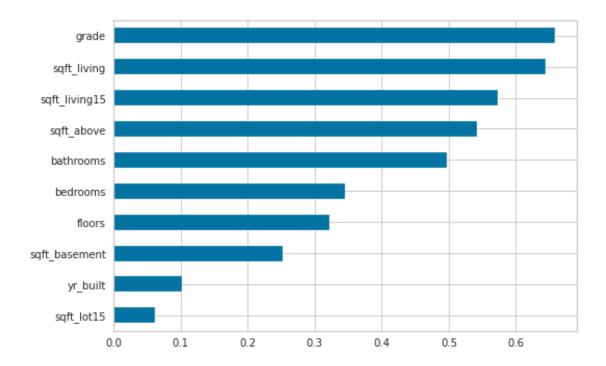
Column Non-Null Count Dtype

#	COTUIIII	Non-Null Count	Drype
0	$sqft_living$	21613 non-null	int64
1	grade	21613 non-null	int64
2	sqft_living15	21613 non-null	int64
3	sqft_above	21613 non-null	int64
4	bathrooms	21613 non-null	float64
5	sqft_lot15	21613 non-null	int64
6	bedrooms	21613 non-null	int64
7	floors	21613 non-null	float64
8	<pre>yr_built</pre>	21613 non-null	int64
9	sqft_basement	21613 non-null	int64

dtypes: float64(2), int64(8)

memory usage: 1.6 MB

```
[12]: correl = X.apply(lambda x: spearmanr(x, y)[0])
correl.sort_values().plot.barh();
```



1.3 KNN Regression

1.3.1 In-sample performance with default settings

KNN uses distance to make predictions; it requires standardization of variables to avoid undue influence based on scale

```
[13]: X_scaled = scale(X)
```

```
[14]: model = KNeighborsRegressor()
model.fit(X=X_scaled, y=y)
```

[14]: KNeighborsRegressor()

```
[15]: y_pred = model.predict(X_scaled)
```

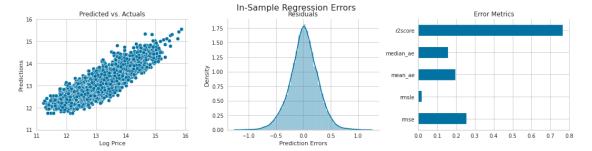
${\bf 1.3.2} \quad {\bf Regression \ Error \ Metrics}$

Computing the prediction error The error is the deviation from the true value, whereas a residual is the deviation from an estimated value, e.g., an estimate of the population mean.

```
[17]: error = (y - y_pred).rename('Prediction Errors')

[18]: scores = dict(
    rmse=np.sqrt(mean_squared_error(y_true=y, y_pred=y_pred)),
    rmsle=np.sqrt(mean_squared_log_error(y_true=y, y_pred=y_pred)),
    mean_ae=mean_absolute_error(y_true=y, y_pred=y_pred),
    median_ae=median_absolute_error(y_true=y, y_pred=y_pred),
    r2score=explained_variance_score(y_true=y, y_pred=y_pred)
)
```

```
[19]: fig, axes = plt.subplots(ncols=3, figsize=(15, 4))
    sns.scatterplot(x=y, y=y_pred, ax=axes[0])
    axes[0].set_xlabel('Log Price')
    axes[0].set_ylabel('Predictions')
    axes[0].set_ylim(11, 16)
    axes[0].set_title('Predicted vs. Actuals')
    sns.distplot(error, ax=axes[1])
    axes[1].set_title('Residuals')
    pd.Series(scores).plot.barh(ax=axes[2], title='Error Metrics')
    fig.suptitle('In-Sample Regression Errors', fontsize=16)
    sns.despine()
    fig.tight_layout()
    fig.subplots_adjust(top=.88)
```



1.3.3 Cross-Validation

Manual hyperparameter tuning; using Pipeline ensures proper scaling for each fold using train metrics to standardize test data.

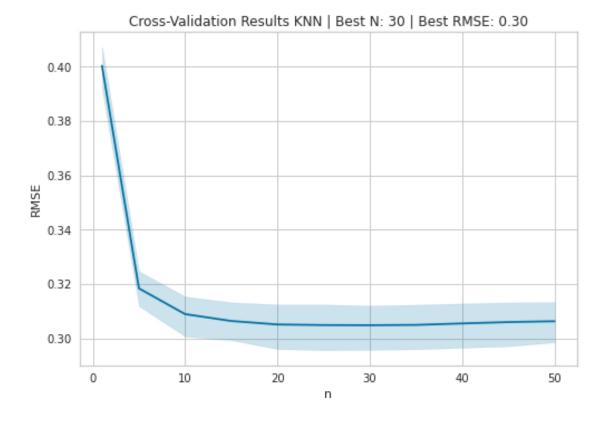
```
[20]: def rmse(y_true, pred):
    return np.sqrt(mean_squared_error(y_true=y_true, y_pred=pred))

rmse_score = make_scorer(rmse)
```

```
[22]: cv_rmse = pd.DataFrame.from_dict(cv_rmse, orient='index')
best_n, best_rmse = cv_rmse.mean(1).idxmin(), cv_rmse.mean(1).min()
cv_rmse = cv_rmse.stack().reset_index()
cv_rmse.columns = ['n', 'fold', 'RMSE']
```

```
[23]: ax = sns.lineplot(x='n', y='RMSE', data=cv_rmse)
ax.set_title(f'Cross-Validation Results KNN | Best N: {best_n:d} | Best RMSE:

→{best_rmse:.2f}');
```



Actuals vs Predicted



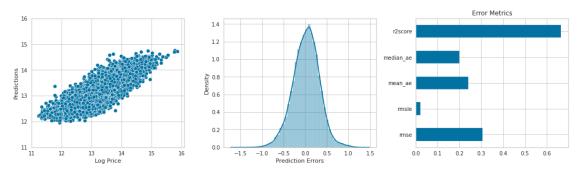
```
Cross-Validation Errors
[25]: error = (y - y_pred).rename('Prediction Errors')

[26]: scores = dict(
    rmse=np.sqrt(mean_squared_error(y_true=y, y_pred=y_pred)),
    rmsle=np.sqrt(mean_squared_log_error(y_true=y, y_pred=y_pred)),
    mean_ae=mean_absolute_error(y_true=y, y_pred=y_pred),
    median_ae=median_absolute_error(y_true=y, y_pred=y_pred),
    r2score=explained_variance_score(y_true=y, y_pred=y_pred)
)

[27]: fig, axes = plt.subplots(ncols=3, figsize=(15, 5))
    sns.scatterplot(x=y, y=y_pred, ax=axes[0])
```

```
axes[0].set_xlabel('Log Price')
axes[0].set_ylabel('Predictions')
axes[0].set_ylim(11, 16)
sns.distplot(error, ax=axes[1])
pd.Series(scores).plot.barh(ax=axes[2], title='Error Metrics')
fig.suptitle('Cross-Validation Regression Errors', fontsize=24)
fig.tight_layout()
plt.subplots_adjust(top=.8);
```

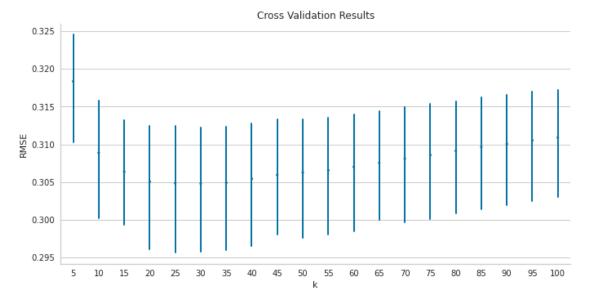
Cross-Validation Regression Errors



1.3.4 GridSearchCV with Pipeline

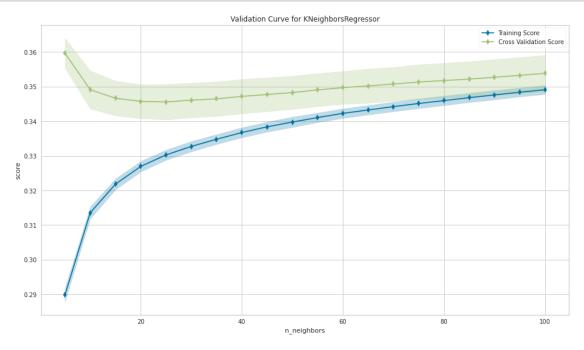
See sklearn docs.

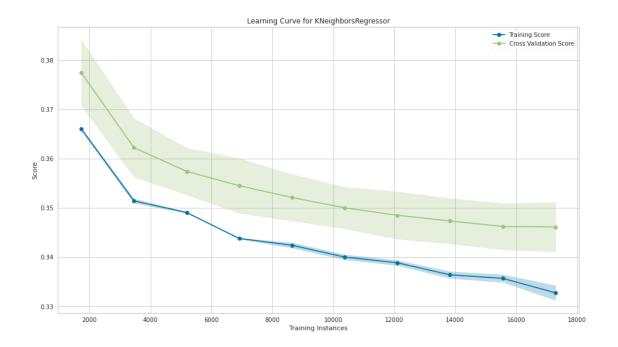
```
90, 95, 100)}, scoring=make_scorer(rmse))
```



1.3.5 Train & Validation Curves mit yellowbricks

See background on learning curves and yellowbrick docs.



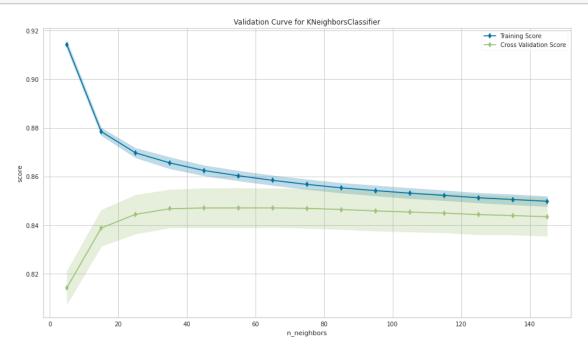


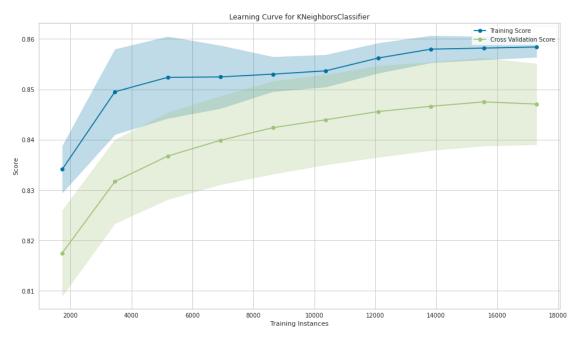
1.4 Binary Classification

```
[35]: y_binary = (y>y.median()).astype(int)
[36]: n_neighbors = tuple(range(5, 151, 10))
      n_folds = 5
      scoring = 'roc_auc'
[37]: pipe = Pipeline([('scaler', StandardScaler()),
                       ('knn', KNeighborsClassifier())])
      param_grid = {'knn__n_neighbors': n_neighbors}
      estimator = GridSearchCV(estimator=pipe,
                               param_grid=param_grid,
                               cv=n_folds,
                               scoring=scoring,
      #
                                 n_jobs=-1
      estimator.fit(X=X, y=y_binary)
[37]: GridSearchCV(cv=5,
                   estimator=Pipeline(steps=[('scaler', StandardScaler()),
                                              ('knn', KNeighborsClassifier())]),
```

```
param_grid={'knn__n_neighbors': (5, 15, 25, 35, 45, 55, 65, 75, 85, 95, 105, 115, 125, 135, 145)},
scoring='roc_auc')
```

```
[38]: best_k = estimator.best_params_['knn__n_neighbors']
```





1.4.1 Classification Metrics

See sklearn docs for details.

```
f1_score,
  average_precision_score,
  precision_recall_curve)
```

Name	API
Area Under the Receiver Operating Characteristic	roc_auc_score(y_true, y_score[,])
Curve (ROC AUC)	
Receiver operating characteristic (ROC)	roc_curve(y_true, y_score[,])
Average precision (AP)	average_precision_score(y_true,
	y_score)
Precision-recall pairs	precision_recall_curve(y_true,)
Precision, recall, F-measure and support	<pre>precision_recall_fscore_support()</pre>
F1 Score	f1_score(y_true, y_pred[, labels,])
F-beta Score	fbeta_score(y_true, y_pred, beta[,])
Precision	precision_score(y_true, y_pred[,]
Recall	$recall_score(y_true, y_pred[,])$
Main classification metrics	$classification_report(y_true, y_pred)$
confusion matrix	$confusion_matrix(y_true, y_pred[,])$
Accuracy classification score	$accuracy_score(y_true, y_pred)$
Zero-one classification loss	$zero_one_loss(y_true, y_pred[,])$
Average Hamming loss	$hamming_loss(y_true, y_pred[,])$
Brier score	$brier_score_loss(y_true, y_prob[,])$
Cohen's kappa	$cohen_kappa_score(y1, y2[, labels,])$
Average hinge loss	$hinge_loss(y_true, pred_decision[,])$
Jaccard similarity coefficient	jaccard_similarity_score(y_true,
	$y_pred)$
Log loss, aka logistic loss or cross-entropy loss	$\log _loss(y_true, y_pred[, eps,])$
Matthews correlation coefficient (MCC)	matthews_corrcoef(y_true, y_pred[,])

Using Predicted Probabilities

```
[43]: pred_scores = dict(y_true=y_binary,y_score=y_score)
```

ROC AUC

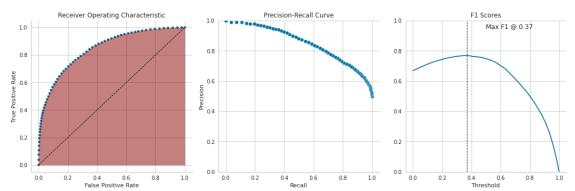
```
[44]: roc_auc_score(**pred_scores)
```

[44]: 0.8460248502754856

```
[45]: cols = ['False Positive Rate', 'True Positive Rate', 'threshold']
      roc = pd.DataFrame(dict(zip(cols, roc_curve(**pred_scores))))
     Precision-Recall
[46]: precision, recall, ts = precision_recall_curve(y_true=y_binary,__
       →probas_pred=y_score)
      pr curve = pd.DataFrame({'Precision': precision, 'Recall': recall})
     F1 Score - Optimize Threshold
[47]: f1 = pd.Series({t: f1_score(y_true=y_binary, y_pred=y_score>t) for t in ts})
      best_threshold = f1.idxmax()
     Plot
[48]: roc.info()
     <class 'pandas.core.frame.DataFrame'>
     RangeIndex: 67 entries, 0 to 66
     Data columns (total 3 columns):
          Column
                               Non-Null Count Dtype
      O False Positive Rate 67 non-null
                                               float64
          True Positive Rate 67 non-null
                                               float64
                              67 non-null
         threshold
                                               float64
     dtypes: float64(3)
     memory usage: 1.7 KB
[49]: fig, axes = plt.subplots(ncols=3, figsize=(15, 5))
      ax = sns.scatterplot(x='False Positive Rate', y='True Positive Rate', data=roc, u

size=5, legend=False, ax=axes[0])
      axes[0].plot(np.linspace(0,1,100), np.linspace(0,1,100), color='k', ls='--', u
      \rightarrowlw=1)
      axes[0].fill_between(y1=roc['True Positive Rate'], x=roc['False Positive_⊔
      →Rate'], alpha=.5,color='darkred')
      axes[0].set_title('Receiver Operating Characteristic')
      sns.scatterplot(x='Recall', y='Precision', data=pr_curve, ax=axes[1])
      axes[1].set_ylim(0,1)
      axes[1].set_title('Precision-Recall Curve')
      f1.plot(ax=axes[2], title='F1 Scores', ylim=(0,1))
      axes[2].set_xlabel('Threshold')
      axes[2].axvline(best_threshold, lw=1, ls='--', color='k')
```

```
axes[2].text(s=f'Max F1 @ {best_threshold:.2f}', x=.5, y=.95)
sns.despine()
fig.tight_layout();
```



Average Precision

[50]: average_precision_score(y_true=y_binary, y_score=y_score)

[50]: 0.8484120767842546

Brier Score

[51]: brier_score_loss(y_true=y_binary, y_prob=y_score)

[51]: 0.16022724653171427

Use Predictions after thresholding

[52]: y_pred = y_score > best_threshold

[53]: scores = dict(y_true=y_binary, y_pred=y_pred)

F-beta Score

[54]: fbeta_score(**scores, beta=1)

[54]: 0.7684017044030412

[55]: print(classification_report(**scores))

pr	recision	recall	f1-score	support
0	0.82	0.63	0.71	10864
1	0.70	0.86	0.77	10749

```
weighted avg
                         0.76
                                    0.74
                                              0.74
                                                        21613
     Confusion Matrix
[56]: confusion_matrix(**scores)
[56]: array([[6872, 3992],
             [1552, 9197]])
     Accuracy
[57]: accuracy_score(**scores)
[57]: 0.743487715726646
     Zero-One Loss
[58]: zero_one_loss(**scores)
[58]: 0.25651228427335404
     Hamming Loss Fraction of labels that are incorrectly predicted
[59]: hamming_loss(**scores)
[59]: 0.256512284273354
     Cohen's Kappa Score that expresses the level of agreement between two annotators on a clas-
     sification problem.
[60]: cohen_kappa_score(y1=y_binary, y2=y_pred)
[60]: 0.4875765493181017
```

0.74

0.74

21613

21613

Hinge Loss

accuracy

macro avg

0.76

0.74

[61]: hinge_loss(y_true=y_binary, pred_decision=y_pred)

[61]: 0.7591727201221488

Jaccard Similarity

[62]: jaccard_score(**scores)

[62]: 0.6239061122040567

```
Log Loss / Cross Entropy Loss
[63]: log_loss(**scores)
[63]: 8.859768117629491
     Matthews Correlation Coefficient
[64]: matthews_corrcoef(**scores)
[64]: 0.5004700226167762
     1.5 Multi-Class
[65]: y_multi = pd.qcut(y, q=3, labels=[0,1,2])
[66]: n_neighbors = tuple(range(5, 151, 10))
      n_folds = 5
      scoring = 'accuracy'
[67]: pipe = Pipeline([('scaler', StandardScaler()),
                       ('knn', KNeighborsClassifier())])
      param_grid = {'knn__n_neighbors': n_neighbors}
      estimator = GridSearchCV(estimator=pipe,
                               param_grid=param_grid,
                               cv=n_folds,
                               n_{jobs=-1}
      estimator.fit(X=X, y=y_multi)
[67]: GridSearchCV(cv=5,
                   estimator=Pipeline(steps=[('scaler', StandardScaler()),
                                              ('knn', KNeighborsClassifier())]),
                   n_jobs=-1,
                   param_grid={'knn__n_neighbors': (5, 15, 25, 35, 45, 55, 65, 75, 85,
                                                     95, 105, 115, 125, 135, 145)})
[68]: y_pred = cross_val_predict(estimator.best_estimator_,
                                 X=X,
                                 y=y_multi,
                                 cv=5,
                                 n_{jobs=-1},
                                 method='predict')
[69]: print(classification_report(y_true=y_multi, y_pred=y_pred))
```

	precision	recall	f1-score	support
0	0.67	0.71	0.69	7226
1	0.52	0.52	0.52	7223
2	0.77	0.74	0.75	7164
accuracy			0.65	21613
macro avg	0.65	0.65	0.65	21613
weighted avg	0.65	0.65	0.65	21613