Commodity_Portfolio

September 29, 2021

1 Commodity Portfolio

1.1 Commodity is raw material or primary agricultural product that can be bought and sold, such as copper or coffee.

```
[1]: import numpy as np
  import pandas as pd
  import matplotlib.pyplot as plt
  import matplotlib.mlab as mlab
  import seaborn as sns
  from tabulate import tabulate
  from scipy.stats import norm
  import math

import warnings
  warnings.filterwarnings("ignore")

# fix_yahoo_finance is used to fetch data
  import fix_yahoo_finance as yf
  yf.pdr_override()
```

```
[2]: # input
symbols = ['ARLP','MPC','GOLD','BHP']
start = '2012-01-01'
end = '2019-01-01'

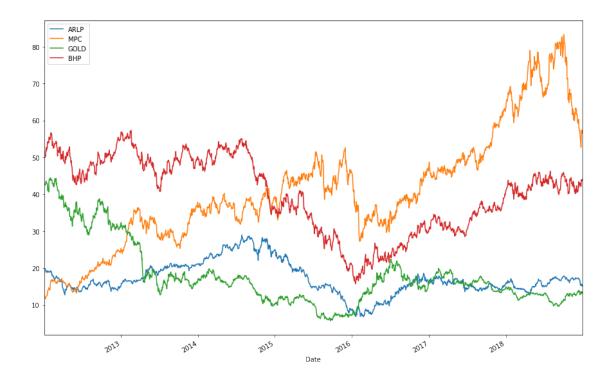
# Read data
df = yf.download(symbols,start,end)['Adj Close']

# View Columns
df.head()
```

```
[2]: ARLP BHP GOLD MPC
Date
2012-01-03 18.545843 51.582966 42.415550 12.555681
2012-01-04 19.356390 51.603657 43.049412 12.687211
```

```
2012-01-05 19.883854 50.630791 42.870869 11.995728
    2012-01-06 19.888695 49.989105 42.442329 11.898020
    2012-01-09 19.545115 50.168499 42.594097 11.634952
[3]: df.tail()
[3]:
                     ARLP
                                 BHP
                                           GOLD
                                                      MPC
    Date
    2018-12-24 15.314299 42.069092 13.496727 52.730476
    2018-12-26 15.665341 43.952785 13.506620 56.642548
    2018-12-27 15.165105 43.634289 13.635920 57.370602
    2018-12-28 15.516149 43.606987 13.049107
                                                56.535770
    2018-12-31 15.217760 43.943687 13.466837 57.283234
[4]: from datetime import datetime
    from dateutil import relativedelta
    d1 = datetime.strptime(start, "%Y-%m-%d")
    d2 = datetime.strptime(end, "%Y-%m-%d")
    delta = relativedelta.relativedelta(d2,d1)
    print('How many years of investing?')
    print('%s years' % delta.years)
    How many years of investing?
    7 years
[5]: for s in symbols:
        df[s].plot(label = s, figsize = (15,10))
    plt.legend()
```

[5]: <matplotlib.legend.Legend at 0x232c5f5ce10>



```
[6]: for s in symbols:
    print(s + ":", df[s].max())
```

ARLP: 28.93988 MPC: 83.25367 GOLD: 44.486782 BHP: 57.307228

```
[7]: for s in symbols:
print(s + ":", df[s].min())
```

ARLP: 6.822119 MPC: 11.634952

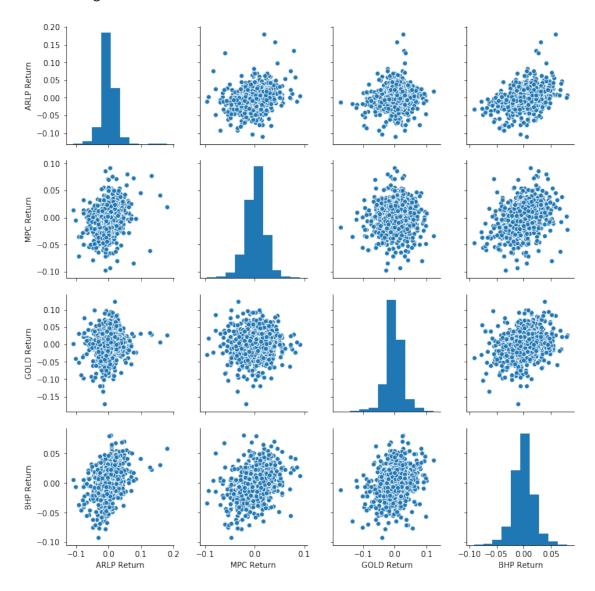
GOLD: 5.700737999999999 BHP: 15.747570000000001

```
[8]: returns = pd.DataFrame()
for s in symbols:
    returns[s + " Return"] = (np.log(1 + df[s].pct_change())).dropna()
returns.head(4)
```

[8]: ARLP Return MPC Return GOLD Return BHP Return
Date
2012-01-04 0.042777 0.010421 0.014834 0.000401

[9]: sns.pairplot(returns[1:])

[9]: <seaborn.axisgrid.PairGrid at 0x232c7fc4828>



```
[10]: # dates each bank stock had the best and worst single day returns.
print('Best Day Returns')
print('-'*20)
print(returns.idxmax())
print('\n')
```

```
print('Worst Day Returns')
print('-'*20)
print(returns.idxmin())
```

Best Day Returns

ARLP Return 2016-01-26
MPC Return 2012-02-01
GOLD Return 2016-06-03
BHP Return 2016-01-21
dtype: datetime64[ns]

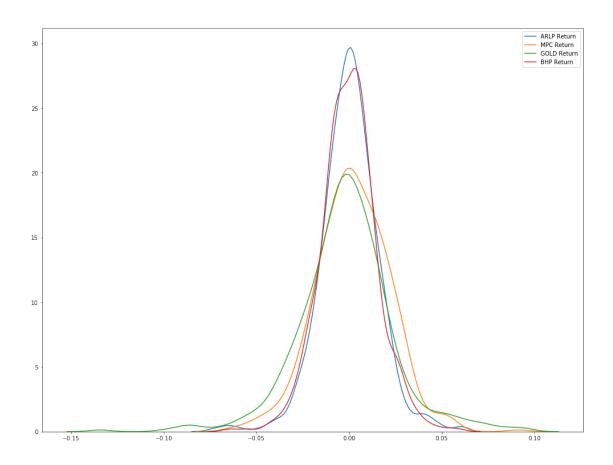
Worst Day Returns

ARLP Return 2017-06-16
MPC Return 2015-08-21
GOLD Return 2015-07-20
BHP Return 2016-03-08
dtype: datetime64[ns]

```
[11]: plt.figure(figsize=(17,13))
```

for r in returns:

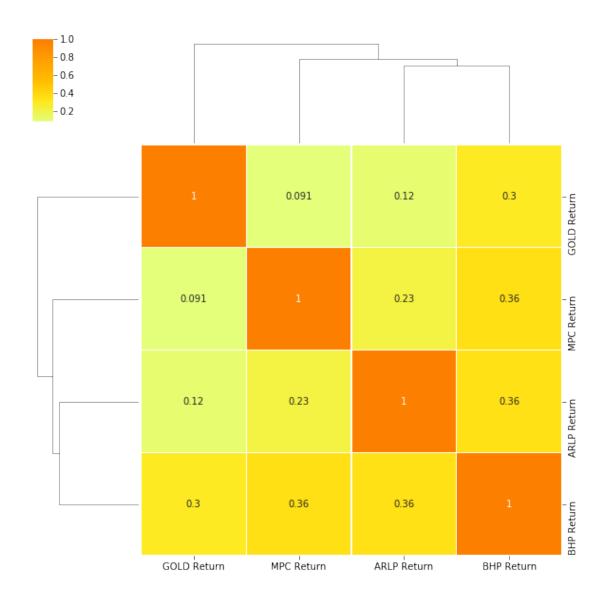
sns.kdeplot(returns.ix["2012-01-01" : "2013-12-31 "][r])



```
[12]: returns.corr()
[12]:
                   ARLP Return MPC Return GOLD Return BHP Return
     ARLP Return
                      1.000000
                                  0.225818
                                               0.122109
                                                           0.356251
     MPC Return
                      0.225818
                                  1.000000
                                               0.091037
                                                           0.357620
     GOLD Return
                      0.122109
                                  0.091037
                                               1.000000
                                                           0.299729
     BHP Return
                      0.356251
                                               0.299729
                                  0.357620
                                                           1.000000
[13]: # Heatmap for return of all the banks
      plt.figure(figsize=(15,10))
      sns.heatmap(returns.corr(), cmap="cool",linewidths=.1, annot= True)
     sns.clustermap(returns.corr(), cmap="Wistia",linewidths=.1, annot= True)
```

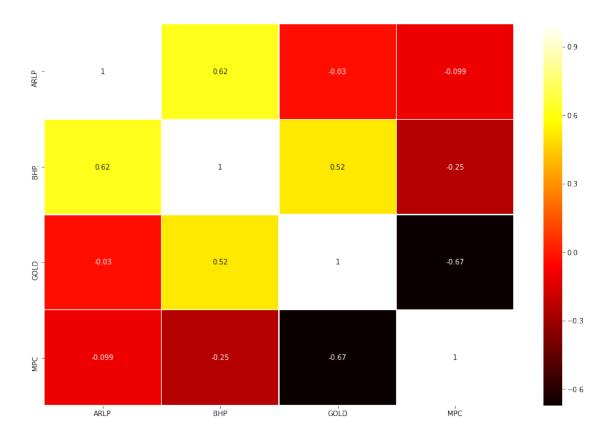
[13]: <seaborn.matrix.ClusterGrid at 0x232c8823dd8>

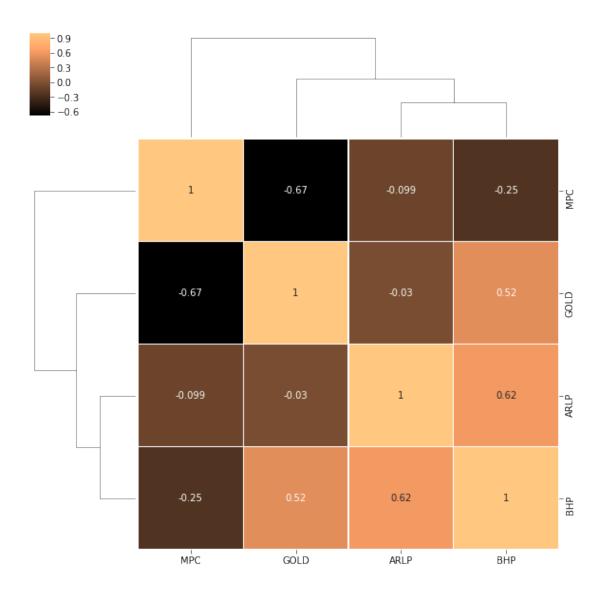




```
[14]: plt.figure(figsize=(15,10))
sns.heatmap(df.corr(), cmap="hot",linewidths=.1, annot= True)
sns.clustermap(df.corr(), cmap="copper",linewidths=.1, annot= True)
```

[14]: <seaborn.matrix.ClusterGrid at 0x232c8823ac8>





```
[15]: Cash = 100000
    print('Percentage of invest:')
    percent_invest = [0.25, 0.25, 0.25]
    for i, x in zip(df.columns, percent_invest):
        cost = x * Cash
        print('{}: {}'.format(i, cost))
```

Percentage of invest:

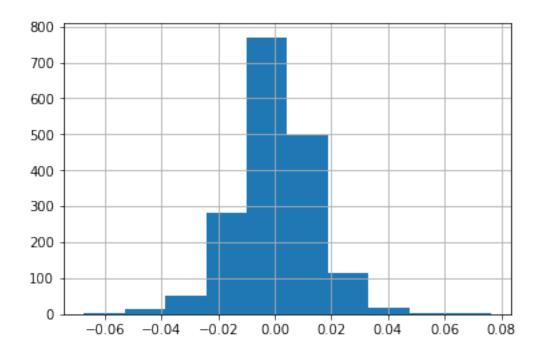
ARLP: 25000.0 BHP: 25000.0 GOLD: 25000.0 MPC: 25000.0

```
[16]: print('Number of Shares:')
      percent_invest = [0.25, 0.25, 0.25, 0.25]
      for i, x, y in zip(df.columns, percent_invest, df.iloc[0]):
          cost = x * Cash
          shares = int(cost/v)
          print('{}: {}'.format(i, shares))
     Number of Shares:
     ARLP: 1348
     BHP: 484
     GOT.D: 589
     MPC: 1991
[17]: print('Beginning Value:')
      percent_invest = [0.25, 0.25, 0.25, 0.25]
      for i, x, y in zip(df.columns, percent_invest, df.iloc[0]):
          cost = x * Cash
          shares = int(cost/y)
          Begin_Value = round(shares * y, 2)
          print('{}: ${}'.format(i, Begin_Value))
     Beginning Value:
     ARLP: $24999.8
     BHP: $24966.16
     GOLD: $24982.76
     MPC: $24998.36
[18]: print('Current Value:')
      percent_invest = [0.25, 0.25, 0.25, 0.25]
      for i, x, y, z in zip(df.columns, percent_invest, df.iloc[0], df.iloc[-1]):
          cost = x * Cash
          shares = int(cost/y)
          Current Value = round(shares * z, 2)
          print('{}: ${}'.format(i, Current_Value))
     Current Value:
     ARLP: $20513.54
     BHP: $21268.74
     GOLD: $7931.97
     MPC: $114050.92
[19]: result = []
      percent_invest = [0.25, 0.25, 0.25, 0.25]
      for i, x, y, z in zip(df.columns, percent_invest, df.iloc[0], df.iloc[-1]):
          cost = x * Cash
          shares = int(cost/y)
          Current_Value = round(shares * z, 2)
          result.append(Current_Value)
```

```
print('Total Value: $%s' % round(sum(result),2))
     Total Value: $163765.17
[20]: # Calculate Daily Returns
     returns = df.pct_change()
     returns = returns.dropna()
[21]: # Calculate mean returns
     meanDailyReturns = returns.mean()
     print(meanDailyReturns)
     ARLP
            0.000125
     BHP
            0.000093
            -0.000290
     GOLD
     MPC
            0.001070
     dtype: float64
[22]: # Calculate std returns
     stdDailyReturns = returns.std()
     print(stdDailyReturns)
     ARLP
            0.021900
     BHP
            0.019195
     GOLD
            0.026890
     MPC
            0.020326
     dtype: float64
[23]: # Define weights for the portfolio
     weights = np.array([0.25, 0.25, 0.25, 0.25])
[24]: # Calculate the covariance matrix on daily returns
     cov_matrix = (returns.cov())*250
     print (cov_matrix)
              ARLP
                         BHP
                                  GOLD
                                            MPC
     ARLP 0.119897 0.037452 0.017702 0.025148
     BHP
          0.037452 0.092108 0.038577 0.034777
     GOLD 0.017702 0.038577 0.180765 0.012091
     MPC
          [25]: # Calculate expected portfolio performance
     portReturn = np.sum(meanDailyReturns*weights)
[26]: # Print the portfolio return
     print(portReturn)
```

0.0002495645004287287

```
[27]: # Create portfolio returns column
     returns['Portfolio'] = returns.dot(weights)
[28]: returns.head()
[28]:
                  ARLP
                            BHP
                                    GOLD
                                             MPC Portfolio
    Date
                                                  0.017382
     2012-01-04 0.043705 0.000401 0.014944 0.010476
     2012-01-05 0.027250 -0.018853 -0.004147 -0.054502 -0.012563
     2012-01-09 -0.017275 0.003589 0.003576 -0.022110 -0.008055
     2012-01-10 -0.012131 0.027644 0.012996 0.028101
                                                  0.014152
[29]: returns.tail()
[29]:
                  ART.P
                            BHP
                                    GOLD
                                             MPC Portfolio
     Date
     2018-12-24 -0.005698 -0.018471 0.039634 -0.042651 -0.006796
     2018-12-26  0.022922  0.044776  0.000733  0.074190
                                                  0.035655
     2018-12-27 -0.031933 -0.007246 0.009573 0.012853 -0.004188
     2018-12-31 -0.019231 0.007721 0.032012 0.013221
                                                  0.008431
[30]: # Calculate cumulative returns
     daily_cum_ret=(1+returns).cumprod()
     print(daily_cum_ret.tail())
                  ARLP
                           BHP
                                   GOLD
                                             MPC Portfolio
    Date
    2018-12-24  0.825754  0.815562  0.318202  4.199730
                                                  1.254303
    2018-12-26  0.844682  0.852079  0.318436  4.511308
                                                  1.299026
    1.293586
    2018-12-28  0.836638  0.845376  0.307649
                                        4.502804
                                                  1.282246
    2018-12-31  0.820548  0.851903  0.317498  4.562336
                                                  1.293057
[31]: returns['Portfolio'].hist()
     plt.show()
```



```
[32]: # 99% confidence interval
# 0.01 empirical quantile of daily returns
var99 = round((returns['Portfolio']).quantile(0.01), 3)
[33]: print('Value at Risk (99% confidence)')
```

print(var99)

Value at Risk (99% confidence) -0.038

```
[34]: # the percent value of the 5th quantile
print('Percent Value-at-Risk of the 5th quantile')
var_1_perc = round(np.quantile(var99, 0.01), 3)
print("{:.1f}%".format(-var_1_perc*100))
```

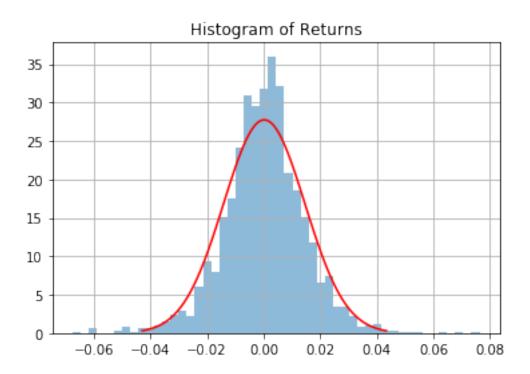
Percent Value-at-Risk of the 5th quantile 3.8%

```
[35]: print('Value-at-Risk of 99% for 100,000 investment') print("${}".format(-var99 * 100000))
```

Value-at-Risk of 99% for 100,000 investment \$3800.0

```
[36]: # 95% confidence interval
# 0.05 empirical quantile of daily returns
```

```
var95 = round((returns['Portfolio']).quantile(0.05), 3)
[37]: print('Value at Risk (95% confidence)')
      print(var95)
     Value at Risk (95% confidence)
     -0.022
[38]: print('Percent Value-at-Risk of the 5th quantile')
      print("{:.1f}%".format(-var95*100))
     Percent Value-at-Risk of the 5th quantile
     2.2%
[39]: # VaR for 100,000 investment
      print('Value-at-Risk of 99% for 100,000 investment')
      var_100k = "${}".format(int(-var95 * 100000))
      print("${}".format(int(-var95 * 100000)))
     Value-at-Risk of 99% for 100,000 investment
     $2200
[40]: mean = np.mean(returns['Portfolio'])
      std_dev = np.std(returns['Portfolio'])
[41]: returns['Portfolio'].hist(bins=50, normed=True, histtype='stepfilled', alpha=0.
      →5)
      x = np.linspace(mean - 3*std_dev, mean + 3*std_dev, 100)
      plt.plot(x, mlab.normpdf(x, mean, std_dev), "r")
      plt.title('Histogram of Returns')
      plt.show()
```



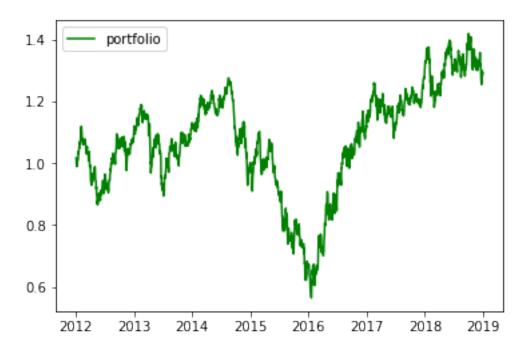
```
[42]: VaR_90 = norm.ppf(1-0.9, mean, std_dev)
VaR_95 = norm.ppf(1-0.95, mean, std_dev)
VaR_99 = norm.ppf(1-0.99, mean, std_dev)

[43]: Print(tabulata([[100]], VaR_00], [105], VaR_05], [100], VaR_00]
```

```
[43]: print(tabulate([['90%', VaR_90], ['95%', VaR_95], ['99%', VaR_99]], __ 

headers=['Confidence Level', 'Value at Risk']))
```

```
Confidence Level Value at Risk
-----
90% -0.0181786
95% -0.0234027
99% -0.0332022
```



```
[45]: # Print the mean
print("mean : ", returns['Portfolio'].mean()*100)

# Print the standard deviation
print("Std. dev: ", returns['Portfolio'].std()*100)

# Print the skewness
print("skew: ", returns['Portfolio'].skew())

# Print the kurtosis
print("kurt: ", returns['Portfolio'].kurtosis())
```

mean: 0.0249564500428729 Std. dev: 1.43836274854672 skew: -0.0329968419034671 kurt: 2.244962879713683

```
[46]: # Calculate the standard deviation by taking the square root
port_standard_dev = np.sqrt(np.dot(weights.T, np.dot(weights, cov_matrix)))

# Print the results
print(str(np.round(port_standard_dev, 4) * 100) + '%')
```

22.74%

```
[47]: # Calculate the portfolio variance
      port_variance = np.dot(weights.T, np.dot(cov_matrix, weights))
      # Print the result
      print(str(np.round(port_variance, 4) * 100) + '%')
     5.17%
[48]: # Calculate total return and annualized return from price data
      total return = returns['Portfolio'][-1] - returns['Portfolio'][0]
      # Annualize the total return over 5 year
      annualized_return = ((1+total_return)**(1/7))-1
[49]: # Calculate annualized volatility from the standard deviation
      vol_port = returns['Portfolio'].std() * np.sqrt(250)
[50]: # Calculate the Sharpe ratio
      rf = 0.001
      sharpe_ratio = (annualized_return - rf) / vol_port
      print(sharpe_ratio)
     -0.010041059879162777
[51]: # Create a downside return column with the negative returns only
      target = 0
      downside_returns = returns.loc[returns['Portfolio'] < target]</pre>
      # Calculate expected return and std dev of downside
      expected_return = returns['Portfolio'].mean()
      down_stdev = downside_returns.std()
      # Calculate the sortino ratio
      rf = 0.01
      sortino_ratio = (expected_return - rf)/down_stdev
      # Print the results
      print("Expected return: ", expected_return*100)
```

Expected return: 0.0249564500428729

Downside risk:

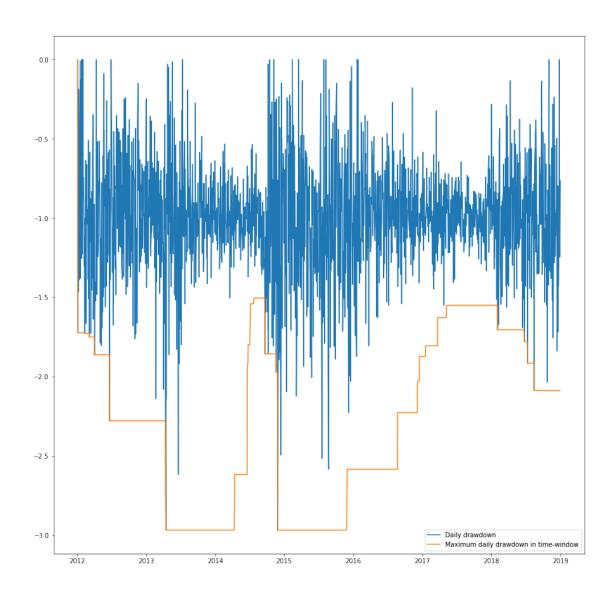
print('-' * 50)

print('-' * 50)

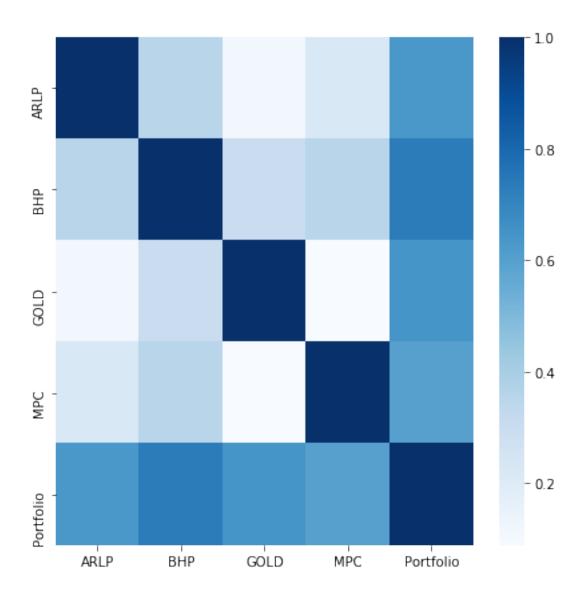
print("Downside risk:")
print(down_stdev*100)

print("Sortino ratio:")
print(sortino_ratio)

```
ARLP
                  1.873894
     BHP
                  1.580285
     GOLD
                  2.374853
     MPC
                  1.756525
     Portfolio
                  0.971359
     dtype: float64
     Sortino ratio:
     ARLP
                -0.520330
                -0.617005
     BHP
     GOLD
                -0.410570
     MPC
                -0.555098
     Portfolio -1.003794
     dtype: float64
[52]: # Calculate the max value
      roll_max = returns['Portfolio'].rolling(center=False,min_periods=1,window=252).
      # Calculate the daily draw-down relative to the max
      daily_draw_down = returns['Portfolio']/roll_max - 1.0
      # Calculate the minimum (negative) daily draw-down
      max_daily_draw_down = daily_draw_down.
      →rolling(center=False,min_periods=1,window=252).min()
      # Plot the results
      plt.figure(figsize=(15,15))
      plt.plot(returns.index, daily_draw_down, label='Daily drawdown')
      plt.plot(returns.index, max_daily_draw_down, label='Maximum daily drawdown in_
      →time-window')
      plt.legend()
      plt.show()
```

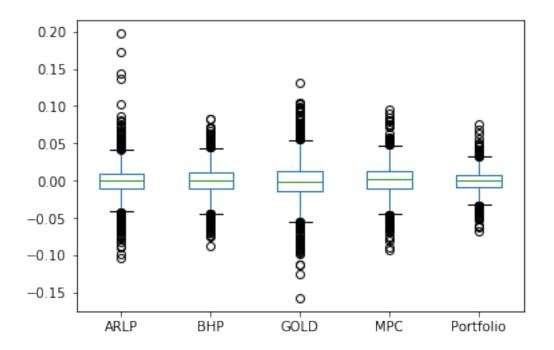


[53]: <matplotlib.axes._subplots.AxesSubplot at 0x232c8a6ec50>



```
[54]: # Box plot returns.plot(kind='box')
```

[54]: <matplotlib.axes._subplots.AxesSubplot at 0x232c8a47ef0>

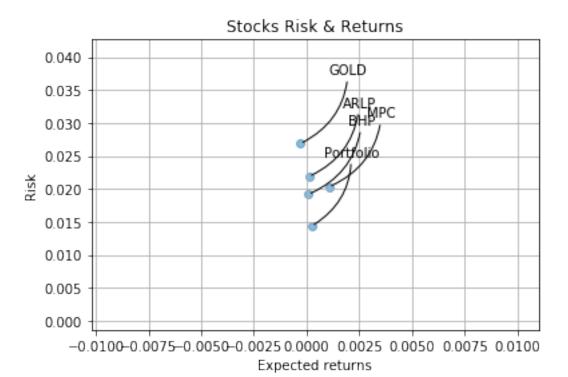


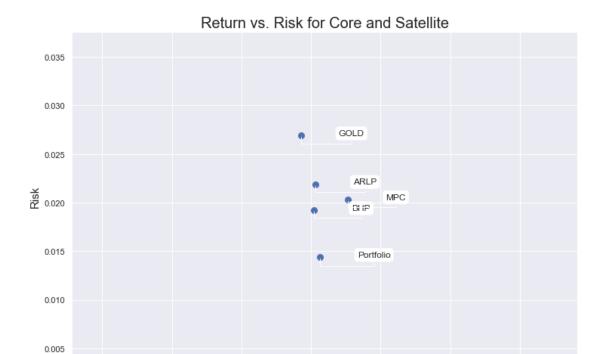
```
[55]: rets = returns.dropna()

plt.scatter(rets.mean(), rets.std(),alpha = 0.5)

plt.title('Stocks Risk & Returns')
plt.xlabel('Expected returns')
plt.ylabel('Risk')
plt.grid(which='major')

for label, x, y in zip(rets.columns, rets.mean(), rets.std()):
    plt.annotate(
        label,
        xy = (x, y), xytext = (50, 50),
        textcoords = 'offset points', ha = 'right', va = 'bottom',
        arrowprops = dict(arrowstyle = '-', connectionstyle = 'arc3,rad=-0.3'))
```





0.000

Expected Return

0.002

0.004

0.006

-0.002

-0.006

-0.004

```
[57]: table = pd.DataFrame()
      table['Returns'] = rets.mean()
      table['Risk'] = rets.std()
      table.sort_values(by='Returns')
[57]:
                  Returns
                               Risk
      GOLD
                -0.000290 0.026890
      BHP
                 0.000093
                           0.019195
      ARLP
                 0.000125
                           0.021900
      Portfolio
                 0.000250
                           0.014384
                 0.001070 0.020326
      MPC
[58]:
     table.sort_values(by='Risk')
[58]:
                               Risk
                  Returns
     Portfolio 0.000250
                           0.014384
      BHP
                 0.000093
                           0.019195
      MPC
                 0.001070
                           0.020326
      ARLP
                 0.000125
                           0.021900
      GOLD
                -0.000290
                           0.026890
[59]: rf = 0.001
      table['Sharpe_Ratio'] = ((table['Returns'] - rf) / table['Risk']) * np.sqrt(252)
```

table

| [59]: | | Returns | Risk | Sharpe_Ratio |
|-------|-----------|-----------|----------|--------------|
| | ARLP | 0.000125 | 0.021900 | -0.634288 |
| | BHP | 0.000093 | 0.019195 | -0.749947 |
| | GOLD | -0.000290 | 0.026890 | -0.761460 |
| | MPC | 0.001070 | 0.020326 | 0.054600 |
| | Portfolio | 0.000250 | 0.014384 | -0.828219 |