Calculating a matrix *P*:

```
ln[7]:= n = 7;
G = {
    \{0, 1, 0, 0, 0, 0, 0\},\
    \{0, 0, 0, 1, 0, 0, 0\},\
    \{0, 1, 0, 1, 1, 0, 0\},\
    {0, 0, 0, 0, 0, 1, 0},
    \{1, 1, 0, 1, 0, 1, 0\},\
    \{0, 0, 0, 0, 0, 0, 1\},\
    {0, 1, 0, 0, 0, 0, 0}
   };
\zeta = 0.85;
r = Total[G, {2}];
P = \frac{\zeta G}{r} + \frac{1-\zeta}{n};
Print["Matrix P is ", P // MatrixForm]
              0.0214286  0.871429  0.0214286  0.0214286  0.0214286  0.0214286  0.0214286
               0.0214286 \ 0.0214286 \ 0.0214286 \ 0.871429 \ 0.0214286 \ 0.0214286 \ 0.0214286
               0.0214286 \quad 0.304762 \quad 0.0214286 \quad 0.304762 \quad 0.304762 \quad 0.0214286 \quad 0.0214286
Matrix P is 0.0214286 0.0214286 0.0214286 0.0214286 0.0214286 0.871429 0.0214286
               0.233929 \quad 0.233929 \quad 0.0214286 \quad 0.233929 \quad 0.0214286 \quad 0.233929 \quad 0.0214286
               0.0214286 \ 0.0214286 \ 0.0214286 \ 0.0214286 \ 0.0214286 \ 0.0214286 \ 0.0214286
```

We set m = 30 and find the value of expression $w = w_0 P^m$ by placing various initial vectors w_0 :

$$In[*]:= w0 = \left\{\frac{1}{3}, \frac{1}{3}, 0, 0, \frac{1}{3}, 0, 0\right\};$$

w = w0.MatrixPower[P, m];

Print["Stationary vector with w0 = ", w0 // MatrixForm, " is ", w // MatrixForm]

Stationary vector with w0 =
$$\begin{pmatrix} \frac{1}{3} \\ \frac{1}{3} \\ 0 \\ 0 \\ \frac{1}{3} \\ 0 \\ 0 \\ 0 \end{pmatrix}$$
 is
$$\begin{pmatrix} 0.0272723 \\ 0.239244 \\ 0.0214286 \\ 0.238904 \\ 0.0275 \\ 0.230545 \\ 0.215107 \end{pmatrix}$$

Exact solution:

ln[19]:= Solve[W == W.P && Total[W, {1}] == 1 && W \in Vectors[n, Reals], W]

 $\texttt{Out[19]=} \quad \{ \{ \texttt{W} \rightarrow \{ 0.0272723, \, 0.240424, \, 0.0214286, \, 0.237704, \, 0.0275, \, 0.229321, \, 0.216351 \} \} \}$