The University of Melbourne

School of Computing and Information Systems

COMP90051

Statistical Machine Learning 2018 Semester 2 – Practice

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Exam duration: 180 minutes (for real exam)

Reading time: 15 minutes

Length: This paper has 6 pages including this cover page.

Authorised materials: None

Calculators: Not permitted

Instructions to invigilators: The examination paper is to remain in the examination room. Please provide extra script books on request.

Instructions to students: The total marks for the real paper is 50 (this practice is just 22). This paper has four parts, A-D. You should attempt all questions.

Please ensure your student number is written on all script books and answer sheets during writing time. Please start the answer to each question on a new page in the script book. The left-hand unlined pages of script books are for draft working and notes and *will not be marked*.

Mobile phones, tablets, laptops, and other electronic devices, wallets and purses must be placed beneath your desk. All electronic devices (including mobile phones and phone alarms) must be switched off and remain under your desk until you leave the examination venue. No items may be taken to the toilet.

Library: The real paper is to be lodged with the Baillieu Library.

Student id:		

COMP90051 Statistical Machine Learning Practice Exam

Semester 2, 2018

Total marks: 50 in real exam based on more questions; 22 in this practice exam Students must attempt all questions

Section A: Short Answer Questions [6 marks]

Answer each of the questions in this section as briefly as possible. Expect to answer each sub-question in a couple of lines per mark.

Question 1: General Machine Learning [6 marks]

- (a) What are the free parameters of a Gaussian mixture model? What algorithm is used to fit them for maximum likelihood estimation? [2 marks]
- (b) In words or a mathematical expression, what quantity is minimised by linear regression? [1 mark]
- (c) In words or a mathematical expression, what is the marginal likelihood for a Bayesian probabilistic model? [1 mark]
- (d) In words, what does $Pr(A, B \mid C) = Pr(A \mid C) Pr(B \mid C)$ say about the dependence of A, B, C? [1 mark]
- (e) In words or a mathematical expression, what is the *chain rule* of probability? [1 mark]

Section B: Method Questions [4 marks]

In this section you are asked to demonstrate your conceptual understanding of a subset of the methods that we have studied in this subject.

Question 2: Ensemble Methods [2 marks]

Please write the following in your script book, and there connect each dot on the left with one dot on the right, to create the best possible correspondence

Stacking	0	0	Weighted-voting over weak classifiers	[0.5 marks]
Boosting	0	0	Trees with reduced feature sets	[0.5 marks]
Bagging	0	0	Bootstrap aggregation	[0.5 marks]
Random forests	0	0	Meta-classifier over base classifiers	[0.5 marks]

Question 3: Kernel methods [2 marks]

- (a) Consider a 2-dimensional dataset, where each point is represented by two features and the label (x_1, x_2, y) . The features are binary, the label is the result of XOR function, and so the data consists of four points (0,0,0), (0,1,1), (1,0,1) and (1,1,0). Design a feature space transformation that would make the data linearly separable. [1 mark]
- (b) Why do the *primal* and *dual* optima for the *hard/soft-margin support vector machines* coincide? [1 mark]

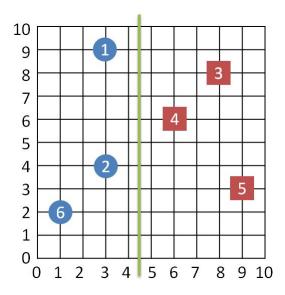
Section C: Calculation Questions [7 marks]

In this section you are asked to demonstrate your understanding of a subset of the methods that we have studied in this subject, in being able to perform calculations.

NOTE: in the real exam, ome questions from this section will be a bit harder/longer

Question 4: Kernel Methods [2 marks]

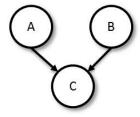
Consider the data shown below with hard-margin linear SVM decision boundary shown between the classes. The right half is classified as red squares and the left half is classified as blue circles. Answer the following questions and explain your answers.



- (a) Which points (by index 1-6) would be the support vectors of the SVM? [1 mark]
- (b) What is the value of the hard margin SVM loss for point 3? [1 mark]

Question 5: Statistical Inference [3 marks]

Consider the following directed PGM

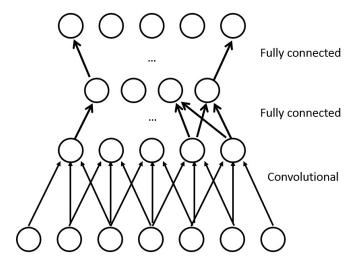


where each random variable is Boolean-valued (True or False).

- (a) Write the format (with empty values) of the conditional probability tables for this graph. [1 mark]
- (b) Suppose we observe n sets of values of A, B, C (complete observations). The maximum-likelihood principle is a popular approach to training a model such as above. What does it say to do? [1 mark]
- (c) Suppose we observe 5 training examples: for (A, B, C) (F, F, F); (F, F, T); (F, T, F); (T, F, T); (T, T, T). Determine maximum-likelihood estimates for your tables. [1 mark]

Question 6: Artificial Neural Networks [2 marks]

How many parameters does the following convolutional neural network have? Show your working.



Section D: Design and Application Questions [5 marks]

In this section you are asked to demonstrate that you have gained a high-level understanding of the methods and algorithms covered in this subject, and can apply that understanding. Expect your answer to each question to be from one third of a page to one full page in length. These questions may require significantly more thought than those in Sections A–C and should be attempted only after having completed the earlier sections.

Question 7: Bushfire Evacuation Alerts [5 marks]

Your task is to design a system for alerting residents of the Dandenongs that they should evacuate for an impending bushfire. The Dandenongs is an area of Victoria that suffers from regular bushfires in the summer when temperatures are high, and humidity low. When fires are close to a fictional town called Bayesville, you must alert residents that they should evacuate. If fires are too close, then you should not advise evacuation as residents are safer if they stay where they are (at home).

The Country Fire Association has deployed sensors around the area that monitor whether a fire is in progress at each sensor's location; in particular if any of three sensors S_1, S_2, S_3 are 'on' then residents should evacuate. However if either of the closer sensors C_1, C_2 are 'on' then residents should stay put.

- (a) Model the above problem as a directed probabilistic graphical model (PGM). In particular, you need not provide any probability tables, just the graph relating random variables S_1, S_2, S_3, C_1, C_2 and an additional r.v. A for alerting residents to evacuate. [1 mark]
- (b) How many conditional probability tables should be specified for your model, and what should these tables' dimensions be? [1 mark]
- (c) Suppose you are told by the Fire Commissioner that the sensors are always accurate. What could you say about your CPTs? [1 mark]
- (d) How would you change your model if the Commissioner then tells you that the sensor S_1 is not perfectly accurate? [1 mark]
- (e) Given this final model, assuming you have trained it and completed all the necessarily CPTs, how would you use it to drive the alarm to evacuate? [1 mark]

— End of Exam —