

Week 4

Friday, June 26, 2020 2:26 PM

Supervised Learning

Def :

Given a data set of input-output pairs,
Learn a function to map input to output

Supervised learning tasks :

- **Classification :**
 - o Supervised learning task of learning a function mapping an input point to a discrete category
 - o We use a hypothesis function :
 - $h()$

- **Nearest-neighbor classification :**
 - o **Algorithm that, given an input chooses**
The class of the nearest data point to the input
 - o **K-nearest-neighbor classification :**
 - **Algorithm that, given an input chooses the most common class of the nearest K data point to the input**

- **the hypothesis function:**

we have :

- o Weight vector (w_0, w_1, w_2, \dots)
- o Input vector ($1, x_1, x_2, \dots$)

$h_w(X) = 1$ if : $W \cdot X \geq 0$
0 otherwise

- **Calculating the weight W :**

- o **Perceptron learning rule :**
 - Given data input(x, y), update each weight according to :
 - $W_i = W_i + \alpha(y - h_w(x)) * X_i$
 - ◆ Y : actual value
 - ◆ $h_w(x)$: estimated value
 - ◆ α : learning rate
- **We end up with a threshold function :**
 - Threshold type :
 - ◆ Hard threshold :
 - ◇ 1 or 0 and there is no notion of how strong the prediction is
 - ◆ Soft thresholder :
 - ◇ By taking advantage of logistic regression We can use a logistic function
 - ◇ Prediction between 0 : 1

Support vector Machine

Def :

Design to try to find the maximum margin separator

- Maximum margin separator :
 - o Boundary that maximize the distance between any of the data points

Regression

Def :

Supervised learning task of learning a function that
map an input point to a continuous value

Evaluating Hypotheses

Loss function :

Function that express how poorly our hypothesis perform

- Examples : _____

- **0-1 loss function :**
 - $L(\text{actual}, \text{predicted}) =$
 - ◆ 0 if actual = predicted
 - ◆ 1 otherwise
- **L₁ Loss function :**
 - $L(\text{actual}, \text{prediction}) = |\text{actual} - \text{prediction}|$
- **L₂ Loss function :**
 - $L(\text{actual} - \text{prediction}) = (\text{actual} - \text{prediction})^2$
- -----

Overfitting

Def :

A model that fit too closely to a particular data set therefore
May fail to generalize to future data

- **To avoid this :**
 - Use **regularization :**
 - Penalizing hypothesis that are more complex to favor simpler, more general hypothesis
 - $\text{Cost}(h) = \text{Loss}(h) + \lambda \text{ complexity}(h)$
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 - Use **Handout cross-validation :**
 - Splitting data into two sets :
 - Training set
 - Test set

Such that learning happen on the training set
And is evaluated on the test set
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 - Use **K-fold cross-validation :**
 - Splitting data into k sets,
And experiment k times, using each set as
Test set once, and using remaining data
as a training set

Reinforcement learning

Def :

**Given a set of rewards and punishment,
Learn which action to take in the future**

- **Markov Decision Process :**
 - Model for decision-making, representing
States, actions and their rewards
 - Set of states (s)
 - Set of actions Actions(s)
 - Transition model $P(s' | s, a)$
 - Reward function $R(s, a, s')$
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- **Example :**
 - **Q-learning :**
 - Method for learning a function $Q(s, a)$
Estimate of the value of performing action a
In state s
 - **Overview :**
 - Start with $Q(s, a) = 0$ for all s, a
 - When taken an action and receive a reward :
 - ◆ Estimate the value of $Q(s, a)$ based on
current reward and expected future rewards
 - ◆ Update $Q(s, a)$ to take in account our old estimate as well as
Our new estimate
 - **Sudo code :**
 - Start with $Q(s, a) = 0$ for all s, a
 - Every time we take an action a in state s and observe a reward r,
We update :

$$Q(s, a) = Q(s, a) + \alpha (\text{new value estimate} - \text{old value estimate})$$
 - Old estimate : $Q(s, a)$

- New estimate : $\{r + \text{future reward estimate}\}$
 - ♦ Future reward estimate : $\max_a \{Q(s', a')\}$

So :

$$Q(s, a) =$$

$$Q(s, a) + \alpha ([r + \gamma \max_{a'} \{Q(s', a')\}] - Q(s, a))$$

- Greedy decision-making :
 - When in a state s , choose the action that give the highest $Q(s, a)$
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- ϵ - greedy :
 - Set ϵ equal to how often we want to make a random move
 - With $P \rightarrow (1 - \epsilon)$ choose the best move
 - With $p \rightarrow (\epsilon)$ choose a random move
- -----
- Function approximation :
 - Approximating $Q(s, a)$, often by combining various features,
 - Rather than storing one value for every state action pair

Unsupervised learning

Def :

Given input without any additional feedback, learn patterns

- Clustering :
 - Organizing a set of objects into groups in such a way that similar Objects tend to be in the same group
- K-means clustering :
 - Algorithm for clustering data based on repeatedly assigning points to clusters And updating those clusters center