Business-Guided Regression Designs

Embedded Blocks

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Business-Guided Model Designs

- Developing credit risk models is not just a regulatory exercise; first and foremost, they should serve business needs.
- Recognizing this, businesses and modelers should collaborate closely when designing models.
- Often, model quality is not solely determined by strong statistical performance but by how well it supports business needs while maintaining sufficient statistical performance.
- Designing a model is not just about collaboration between businesses and modelers in selecting risk factors for the final model. It is usually a highly iterative process that incorporates multiple dimensions.
- A recent trend in credit risk model development shows that practitioners often opt for a blockwise or modular approach rather than developing a model using a fully consolidated dataset.
- Providing inputs for various modeling areas and ensuring robust statistical modeling are key objectives for businesses and modelers.
- Good practice shows that inputs from business experts plays a key role in model development. Modelers
 consider and incorporate these inputs into the overall model design.
- This presentation focuses on the embedded blocks approach, which is briefly described in the following slides. The rest of the presentation provides a simplified simulation study demonstrating the implementation of this design in R and Python.

Embedded Blocks Approach

- Practitioners usually prefer a blockwise (modular) approach over running a single optimization algorithm
 on a consolidated modeling dataset.
- This modular strategy employs multiple submodels or blocks based on business inputs, data coverage, and industry insights. These submodels are then combined to form a unified model score.
- One blockwise approach is the staged approach, where predictions from the previous block serve as
 offsets for models in subsequent blocks.
- The rationale for embedding is similar to other blockwise approaches and can be attributed to:
 - data sources, particularly their cost, quality, reliability, and availability;
 - risk factor prioritization;
 - extensive knowledge of end-users about predictive risk factors.
- All the above points essentially relate to prioritizing risk factors from different perspectives.
- Implementing embedded blocks and other blockwise designs presents various challenges in practice. One
 of the biggest is properly handling the different samples used within the block model development.
- Given these challenges, modelers are strongly encouraged to consider the statistical consequences of
 using different samples and to collaborate closely with the business to better integrate process-related
 considerations.

Simulation Setup

- Assume a modeling dataset with 12 risk factors and binary target.
- Further, assume that these risk factors are classified into two groups based on the opinion of business experts.
- An additional business input that modelers should incorporate into model development is prioritizing risk factors from the first group, making them a mandatory driver for the model run on the next block of risk factors.
- Finally, assume that the modelers chose Weights of Evidence (WoE) encoding for categorical risk factors.
- The dataset used for this simulation can be accessed at the following link.

Dataset Overview

```
## 'data frame'.
                  1000 obs of 13 variables:
   $ Creditability
                         : num 00000...
   $ Account Balance
                       : chr "1" "1" ...
   $ Duration
                         : chr
                               "03 [16,36)" "02 [8,16)" ...
   $ Payment Status
                    : chr "4" "4" ...
   $ Purpose
                        : chr "2" "0" ...
  $ Credit_Amount
                               "01 (-Inf,3914)" "01 (-Inf,3914)" ...
                        : chr
## $ Savings
                         : chr "1" "1" ...
## $ Employment
                        : chr "2" "3" ...
## $ Installment
                         : chr "4" "2" ...
## $ Gender_Marital_Status: chr "2" "3" ...
## $ Guarantors
                        : chr "1" "1" ...
## $ Available_Asset
                        : chr "2" "1" ...
## $ Age
                         : chr "01 (-Inf.26)" "03 [35.Inf)" ...
```

Blocks Design Overview

```
rf block
                   Duration
                Installment
      Gender Marital Status
                 Guarantors
## 5
                        Age
            Account_Balance
## 6
## 7
            Payment_Status
                    Purpose
## 8
## 9
              Credit_Amount
## 10
                    Savings
## 11
                 Employment
## 12
            Available_Asset
```

Simulation Results - R Code

-0.8180987 0.3466246

-0.8180987 0.3466246

-0.8180987 0.3466246

4

5

6

```
library(openxlsx)
library(dplvr)
#data import
fp <- "https://andrija-djurovic.github.io/adsfcr/bgrd/db_00_bgrd.xlsx"
db <- read.xlsx(xlsxFile = fp,
                sheet = 1)
#utils function import (woe.calc)
source("https://raw.githubusercontent.com/andrija-djurovic/adsfcr/refs/heads/main/bgrd/utils.R")
#woe encoding
db.woe <- db
rf <- names(db)[-1]
for (i in 1:length(rf)) {
     rf.i <- rf[i]
      woe.res.i <- woe.calc(db = db,
                           x = rf.i,
                           y = "Creditability")
     db.woe[, rf.i] <- woe.res.i[[2]]
#sample of encoded dataset
head(db.woe[, c(1:3, 10:12)])
     Creditability Account_Balance
                                    Duration Gender_Marital_Status
                                                                   Guarantors Available_Asset
## 1
                       -0.8180987 -0.1086883
                                                        -0.2353408 0.0005250722
                                                                                    -0.02857337
                    -0.8180987 0.3466246
## 2
                                                       0.1655476 0.0005250722
                                                                                     0.46103496
                   -0.4013918 0.3466246
## 3
                                                    -0.2353408 0.0005250722
                                                                                     0.46103496
```

0.1655476 0.0005250722

0.1655476 0.0005250722

0.1655476 0.0005250722

0.46103496

-0.02857337

0.46103496

Simulation Results - R Code cont.

[1] 0.1890835 -1.8657478 -0.6275319 -1.7645730 -1.5177348 -1.9723970

```
#block 1 model
frm.b1 <- "Creditability ~ Duration + Installment + Gender Marital Status +
                         Guarantors + Age"
b1.r <- glm(formula = frm.b1,
           family = "binomial",
           data = db.woe)
round(x = summary(b1.r)$coefficients,
     digits = 4)
                       Estimate Std. Error z value Pr(>|z|)
## (Intercept)
                       -0.8560 0.0733 -11.6733 0.0000
## Duration
                        -1.0292 0.1474 -6.9821 0.0000
## Installment
                        -1.1127 0.4566 -2.4369 0.0148
## Gender Marital Status -1.1202 0.3503 -3.1977 0.0014
## Guarantors
                        -0.9451 0.4108 -2.3007 0.0214
## Age
                        -0.9362 0.2301 -4.0684 0.0000
#block 1 model predictions
db.woe$block_1 <- unname(predict(object = b1.r))
head(db.woe$block_1)
```

Simulation Results - R Code cont.

```
Estimate Std. Error z value Pr(>|z|)
## (Intercept)
                -0.1409
                            0.1278 -1.1020
                                           0.2705
## block 1
                  0.8308
                            0.1240 6.7002
                                          0.0000
## Account_Balance -0.7892
                         0.1043 -7.5657 0.0000
## Payment_Status -0.7193
                          0.1544 -4.6598 0.0000
## Purpose
                 -0.9934
                         0.2047 -4.8532 0.0000
## Credit_Amount -0.5773
                         0.2341 -2.4662 0.0137
## Savings
                -0.7580 0.1979 -3.8303 0.0001
## Employment
               -0.6073 0.2754 -2.2046 0.0275
## Available_Asset -0.5371
                            0.2544 -2.1114 0.0347
```

Simulation Results - Python Code

```
import numpy as np
import pandas as pd
import statsmodels.api as sm
import statsmodels.formula.api as smf
import requests
#data import
fp = "https://andrija-djurovic.github.io/adsfcr/bgrd/db_00_bgrd.xlsx"
db = pd.read_excel(io = fp,
                   sheet_name = 0,
                   dtype = "category")
db["Creditability"] = pd.to_numeric(db["Creditability"])
blocks = pd.read_excel(io = fp,
                       sheet_name = 1)
#utils function import (woe calc)
url = "https://raw.githubusercontent.com/andrija-djurovic/adsfcr/refs/heads/main/bgrd/utils.pv"
r = requests.get(url)
exec(r.text)
#woe encoding
db woe = db.copv()
rf = db.columns[1:].tolist()
for i in range(len(rf)):
    rf i = rf[i]
    woe res i = woe calc(db = db.
                         x = rf i.
                         v = "Creditability")
    db woe[rf i] = woe res i["x trans"]
```

Simulation Results - Python Code cont.

```
#block 1 model
frm_b1 = "Creditability ~ Duration + Installment + Gender_Marital_Status + \
                          Guarantors + Age"
b1_r = smf.glm(formula = frm_b1,
              family = sm.families.Binomial(),
              data = db_woe).fit()
round(b1_r.summary2().tables[1], 4)
                         Coef Std Err
                                                z P>|z| [0.025 0.975]
## Intercept
                        -0.8560
                                  0.0733 -11.6733 0.0000 -0.9997 -0.7123
## Duration
                        -1 0292
                                  0.1474 -6.9821 0.0000 -1.3181 -0.7403
## Installment
                        -1.1127
                                  0.4566 -2.4369 0.0148 -2.0076 -0.2178
## Gender Marital Status -1.1202 0.3503 -3.1977 0.0014 -1.8067 -0.4336
## Guarantors
                        -0.9451
                                  0.4108 -2.3007 0.0214 -1.7503 -0.1400
## Age
                        -0.9362
                                  0.2301 -4.0684 0.0000 -1.3872 -0.4852
#block 1 model predictions
db_woe["block_1"] = b1_r.predict(which = "linear")
db_woe["block_1"].iloc[0:5]
## 0
       0.189083
## 1
      -1.865748
```

-0.627532

3 -1.764573 ## 4 -1.517735 ## Name: block 1, dtype: float64

2 ## 3

Simulation Results - Python Code cont.

Credit Amount -0.5773 0.2341 -2.4662 0.0137 -1.0362 -0.1185

0.1979 -3.8303 0.0001 -1.1459 -0.3702

0.2544 -2.1114 0.0347 -1.0356 -0.0385

-0.6073 0.2754 -2.2046 0.0275 -1.1471 -0.0674

-0.7580

Savings

Employment

Available Asset -0.5371

```
#block 2 model
frm_b2 = "Creditability ~ block_1 + Account_Balance + Payment_Status + Purpose + \
                        Credit_Amount + Savings + Employment + Available_Asset"
b2_r = smf.glm(formula = frm_b2,
              data = db_woe,
              family = sm.families.Binomial()).fit()
round(b2_r.summary2().tables[1], 4)
                  Coef. Std.Err.
                                         z P>|z| [0.025 0.975]
## Intercept
                -0.1409
                            0.1278 -1.1020 0.2705 -0.3914 0.1097
## block 1
                   0.8308
                          0.1240 6.7002 0.0000 0.5877 1.0738
## Account Balance -0.7892
                           0.1043 -7.5657 0.0000 -0.9936 -0.5847
## Payment Status -0.7193
                           0.1544 -4.6598 0.0000 -1.0219 -0.4168
## Purpose
               -0.9934 0.2047 -4.8532 0.0000 -1.3946 -0.5922
```

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