Week 14 Annotation

Monday, 18 April 2022 8:40 AM

1) Computation phase

by grotains are identified

by ab initio or evidence based

2) annstation phase by synthesize annotation

STEPI Regeat identification.

LINES, SINES, vinal segs.

Lines, vinal segs.

STEP 2 Evidence aligned to assumbly eq! RNA seq. aligned to assumbly

eg. 2. ab initio gene prediction

(eq. motifs > AUG (ktart),

TATAA boxes, etc).

STEP3: (mi prot KB, Swiss Prot, PDB.

(Linking genes to proteins)

STEP 4: Visualization (govorné browners)

HMM'S

{A, C, G, T}

TRANSITION

PROB = ast

= Prob of

framation

state a to

 $P(X:=t | X_{j-1} = b)$

$$P(V) = P(X_{L}, X_{L-1}, X_{L-2}, ..., X_{1})$$

$$= P(X_{L}|X_{L-1}, X_{L-2}, ..., X_{1}) \times P(X_{L-1}|X_{L-2}, ..., X_{1})$$

$$\times ... \times P(X_{2}|X_{1}) \times P(X_{1})$$

$$\times ... \times P(X_{2}|X_{1}) \times P(X_{1-2}|X_{1}, X_{1})$$

$$= P(X_{1}|X_{L-1}) \times P(X_{1-1}|X_{1-2}) \times P(X_{1-2}|X_{1}, X_{1})$$

$$\times ... \times P(X_{2}|X_{1}) \times P(X_{1})$$

$$P(X) = P(X_{1}) \prod_{i=2} \alpha_{X_{i-1}} \times X_{i} = 1$$

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$$O_{K$$

my = ang mart(x, ") Extente. $V_{k}(i) = prob-of the most probable pathe with observed ending in state k with observed$ synnol i then $V_{L}(i+1) = e_{L}(x_{i+1}) \max_{k \in \mathbb{Z}} (V_{L}(i) a_{k})$ $V_{L}(i+1) = e_{L}(x_{i+1}) \max_{k \in \mathbb{Z}} (V_{L}(i) a_{k})$ $V_{L}(6,5) = e_{L}(6) \left(v_{L}(3,4), v_{E}(3,4) \right)$ Fair coin on a biosed win LOADED COIN $\begin{array}{cccc}
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FORWARD ALGORITHM

Full prob. of a sequence X

$$P(x) = \sum_{x} p(x, \pi)$$

$$f(i) = p(x_1, x_2, \dots, x_i, \pi_i = k)$$

$$P(x) = \sum_{x} p(x, \pi)$$

$$P(x)$$