

# Algorithm design for ACM-ICPC

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KAIST

Winter School on Algorithms and Combinatorics 2010

# ACM-ICPC



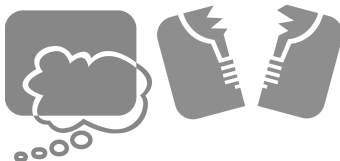
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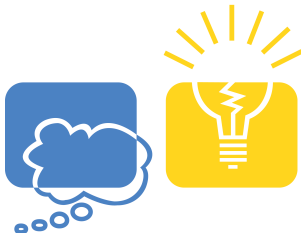
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- 3 students compete in a team, using only 1 machine.
- About 10 problems and 5 hours are given.
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# Picture from World Finals 2008-2009



# Problem: Room Assignments

WSAC 2011 is going to be held, from last year's success.

Lastly, Wonha has been asked to assign rooms to participants.

But in this time, we're able to assign exactly one room for each participant.

Organizer has reserved rooms as many as the number of the participants.

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## Problem: Room Assignments (cont.)

So he designed sophisticated but fair way to assign rooms.

At the registration time, every participant chooses two preferred rooms, and writes down their numbers on both side of the coin.

And then, everyone throws their own coin.

If there is no conflict, assignment is done. . . but otherwise, everyone should re-throw their coin until assignment is done.

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Wonha, a little undergraduate, is also participant too.

He already rated the preference of each room in a numerical way.

Formally speaking, he rated the preference of room  $k$  by integer  $v_k$ .

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# Problem: Room Assignments (cont.)

## Input

```
C                # Number of test cases ( $1 \leq C \leq 200$ )
N                # Number of rooms ( $2 \leq N \leq 50000$ )
a_1 b_1          # Preferred two rooms
a_2 b_2          #  $1 \leq a_k < b_k \leq N$ 
..
a_{N-1} b_{N-1}
v_1 v_2 .. v_N # Rating ( $1 \leq v_k \leq 1000000$ )
```

# Problem: Room Assignments (cont.)

## Output

For each test case,

- Print a single line containing the two different room numbers  $a$  and  $b$ , which should be selected by Wonha.
- If there is more than one optimal selection, break ties by choosing lexicographically smallest solution.
- If there is no way to select two rooms such that an assignment is possible, print "impossible" instead.

# Modeling

We're going to model the objects using graph.

- **Vertex** - each room.
- (undirected) **Edge** - each person.
  - **Endpoint of edge** - selected rooms.
  - **Direction of edge** - result of coin toss.



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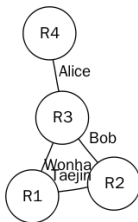
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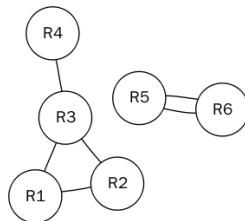
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# Observation: independence

Two disconnected components are independent.



We should focus on each component.

# Observation: classifying components

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- $V = E \dots ?$
- $V < E \dots$  by pigeonhole principle, assignment is impossible.

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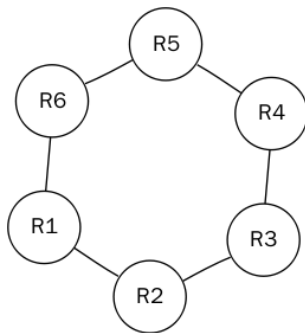
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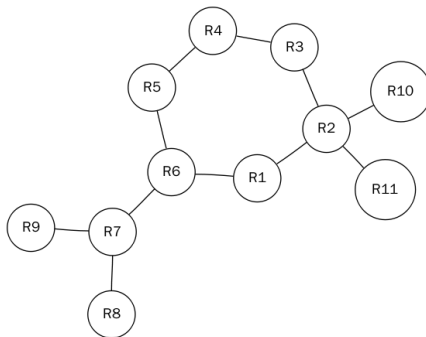
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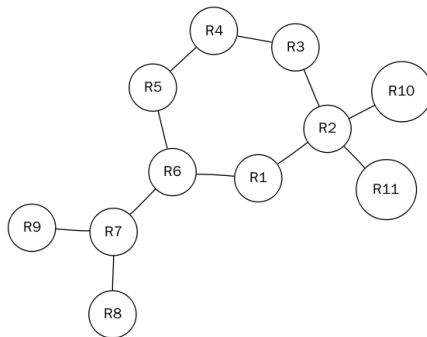
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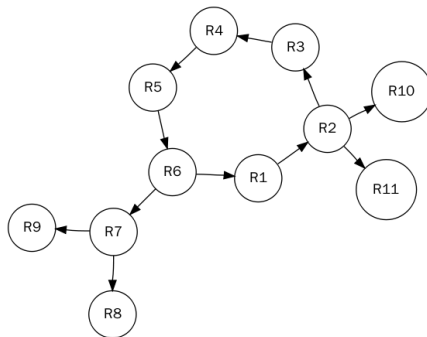
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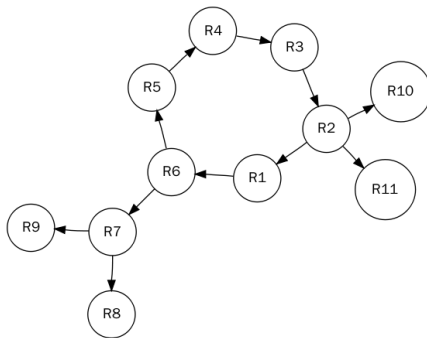
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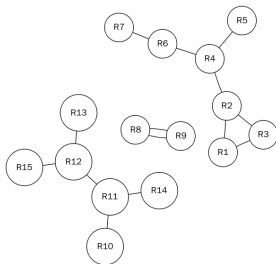
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We're going to add a single edge.

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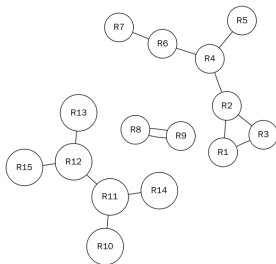
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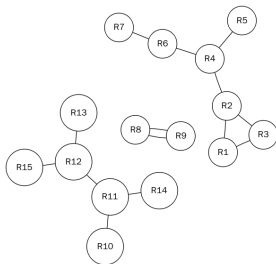


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# Separating the cases... done!

- **Tree-to-Tree:** A cycle is generated. Each of our endpoint rooms will have equal probability.
- **Tree-to-Other:** One endpoint will never be selected. Expectation is equal to other endpoint's rating.
- **Other-to-Other:** impossible!

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# Problem: "Densest" subsequence

## Problem description

From given sequence  $S$  with length  $N$ ,

- Find **densest** continuous subsequence and its mean
- ... with length at least  $L$ .

## Variations

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# Naïve approaches

## Most simple approach

Try every possible subsequence ... leads to  $O(n^3)$ . Infeasible.

## Yet inefficient approach

- Let's define  $\mu_{i,j}$  as mean of subsequence  $S[i \dots j]$  (inclusive).
- Evaluating  $\mu_{i,j+1}$  or  $\mu_{i+1,j+1}$  from  $\mu_{i,j}$  isn't difficult.
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# Approach for small $L$

## ■ Key observation:

- For a subsequence  $S[i \dots j]$ , with length  $\geq 2L$ .
  - Split that one into two subsequences, like  $\mu_{i, i+L-1}$  and  $\mu_{i+L, j}$
  - One of them has bigger mean.
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# Reinterpreting the problem

- Maximize  $\frac{\sum_{i \in S'} S[i]}{|S'|}$ , among all possible subsequence  $S'$ .
- Converting the problem into decision problem:
  - Is  $m$  upper bound for means of all subsequences?  

$$m \geq \frac{\sum_{i \in S'} S[i]}{|S'|}$$
  - In other words,  $f(S') = \sum_{i \in S'} (m - S[i]) \geq 0$ . We have to find minimum of  $f(S')$ .
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- We can **binary search** over all possible means, until sufficient precision is acquired.

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# Basic idea

- Iterate for an endpoint of subsequence.
- $L$  elements from the endpoint must be included: "base window"
- Maintain "blocks" ordered by its mean like this:
- Include some blocks into subsequence, if included subsequence results bigger mean.

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# Managing the list of blocks

## Removing blocks from the list

- Remove first block when it's better not to use.
- Why? These blocks are **never useful**, because we're looking for maximum!
- Each block is removed at most once.

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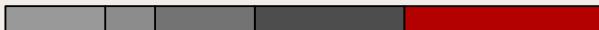
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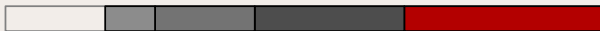


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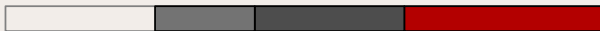


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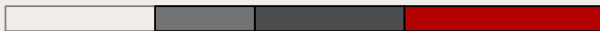


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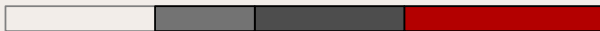


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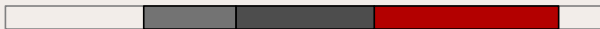
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- Merge some rear blocks to be in order of its means like this:
- Shifting base window increments the number of blocks.
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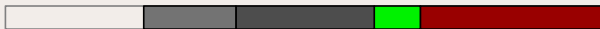


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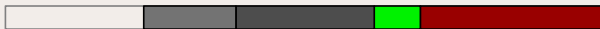


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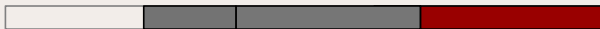


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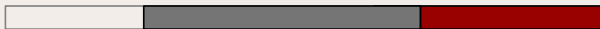


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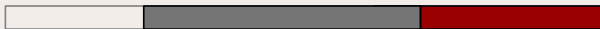


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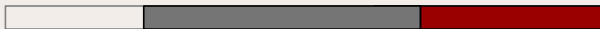


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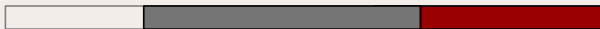


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- Anyone with age 13+ is eligible to compete.
- Annual event track consists of several rounds: some online rounds, local office onsites, onsite finals at Mountain View.
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