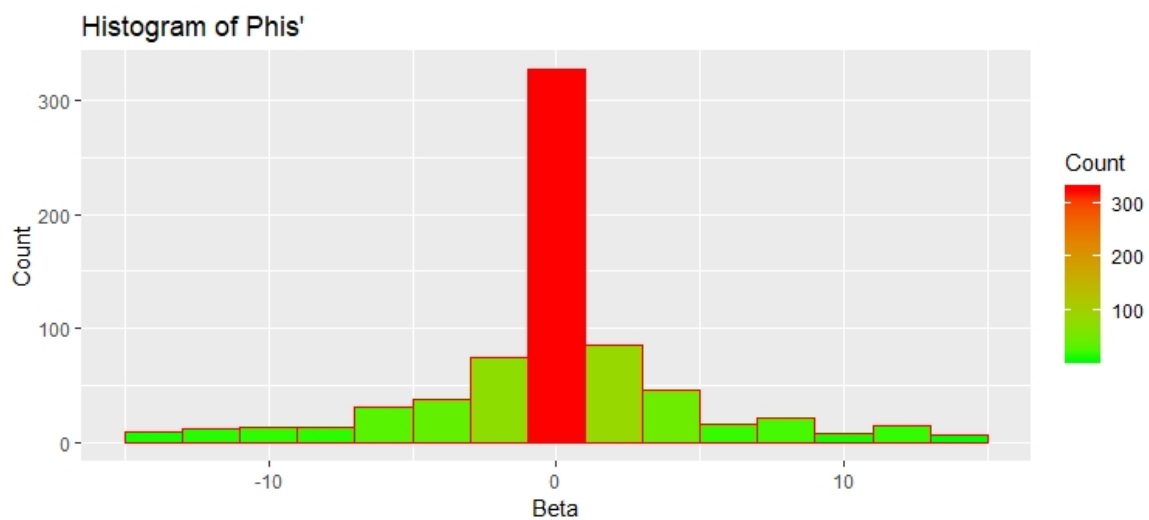
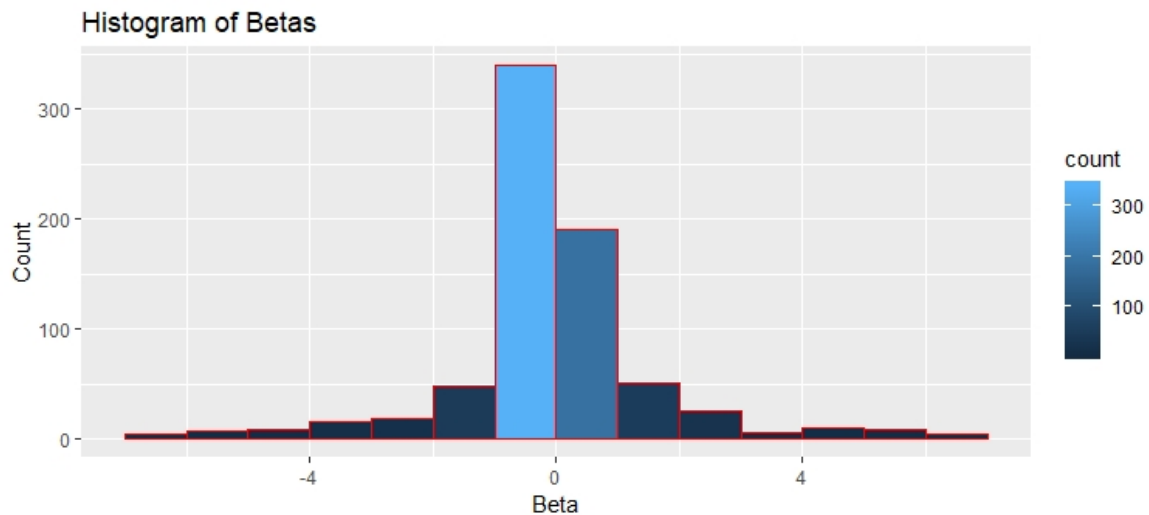


Growth and Development: Problem set 3

1 Question One

We use the dataUGA from Albert's data which contains the Uganda ISA LSM dataset for Uganda for all waves.



OLS Regression Results

```
=====
Dep. Variable:          d_c      R-squared:                0.041
Model:                  OLS      Adj. R-squared:           0.041
Method:                 Least Squares  F-statistic:             136.6
Date:                   Mon, 04 Mar 2019  Prob (F-statistic):      8.46e-59
Time:                   13:10:13   Log-Likelihood:          -10349.
=====
```

```

No. Observations:      6355    AIC:                2.070e+04
Df Residuals:          6352    BIC:                2.072e+04
Df Model:              2
Covariance Type:      nonrobust
=====
              coef      std err          t      P>|t|      [0.025      0.975]
-----+-----
Intercept    -0.0077      0.017     -0.448      0.655     -0.041      0.026
dy           0.1987      0.012     16.459      0.000      0.175      0.222
dc_bar       0.0187      0.068      0.276      0.782     -0.114      0.151
=====
Omnibus:            4860.374    Durbin-Watson:           1.980
Prob(Omnibus):      0.000    Jarque-Bera (JB):       1585812.534
Skew:               -2.600    Prob(JB):               0.00
Kurtosis:           80.213    Cond. No.               5.68
=====

```

Warnings:

[1] Standard Errors assume that the covariance matrix of the errors is correctly specified.

Comment

From the plot of the β and ϕ , we see that the distribution of income (β) is clustered around 0, this implies the market is not fully complete.

For the test of risk sharing efficiency: regress individual consumption on aggregate income (or aggregate consumption and individual income; if risk sharing is efficient, individual income should be non-significant). Efficient risk sharing implies that individual consumption varies only with aggregate consumption. Time-invariant household effects can be controlled for by first differencing the data, yielding a regression model of the form:

$$\Delta \ln c_{i,t} = \beta_i \Delta \ln y_{i,t} + \phi \ln \bar{C}_t + \epsilon_{i,t}$$

where

$$\Delta \ln c_{i,t} = -0.0077 + 0.1987 \Delta \ln y_{i,t} + 0.0187 \ln \bar{C}_t \quad (1)$$

where efficient risk sharing implies $\beta = 0$ and $\phi = 1$ where coefficient β captures the extent to which the household manages to smooth consumption in the face of income shocks. Coefficient ϕ measures the extent of risk pooling within the group.

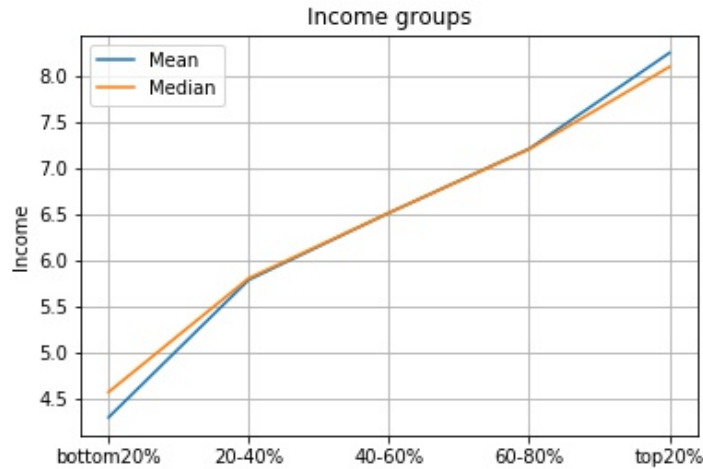
However, this is not the case in 3 as $\beta \neq 0$ and $\phi \neq 1$ even the individual income should be significant, so we say **full risk-sharing is not achieved**.

Interestingly, the median β and ϕ is 0.

	β	ϕ
Mean	2.88	-16.42
Median	0	0

2 Question Two

2 A



	Log average income
2009-2010	15.38
2010-2011	14.88
2011-2012	15.29
2013-2014	14.29

Table 1: Average income across all waves

	Mean	Median
Bottom 20%	-0.25	0
20 – 40%	0.24	0.2
40 – 60%	0	0
60 – 80%	5.07	3.56
Top 20%	-0.60	0

Table 2: Statistics of β for all groups

Comment: To begin with from table 1, we see that the average income across all waves fluctuates about the same value and we can say the average income of Ugandans has been stagnant over the past 8 years. It is evident from table 2 above that the bottom 20% all the way to the middle class 40 – 60% are more insured as their β are close to 0. Interestingly, the top 60 – 80% who we may refer to as the 'upper middle class' are the least insured while the top 20% are more insured. We need not say the rich people are more insured as they have to protect their wealth against shocks while poor people are also more insured as they rely on each other in case of emergencies.

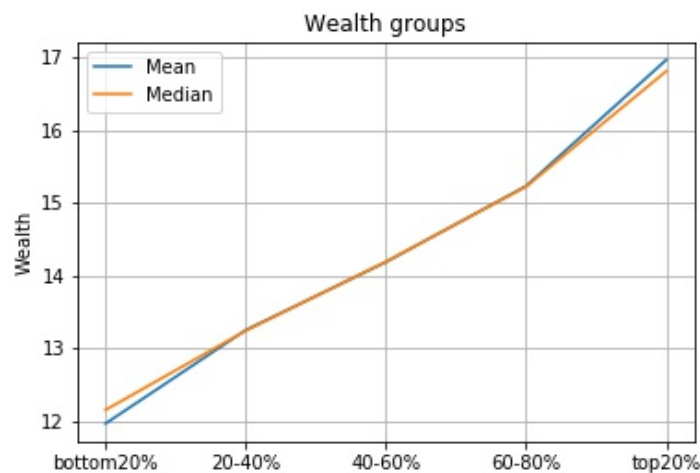
2 B

The downside to this problem is that we don't have the dataset that contains the wealth or land size across all waves, hence we resort to using the dataset from problem set 1 as it contains wealth but not for only one wave (2013-2014). Unfortunately, we can't calculate the following regression:

$$\Delta \ln c_{i,t} = \beta_i \Delta \ln y_{i,t} + \phi \ln \bar{C}_t + \epsilon_{i,t}$$

where $y_{i,t}$ represents household wealth, and Δ the denotes the change between period t and $t + 1$ since we have only one period in this case, we can't do this. We decided to fit:

$$\ln c_i = \beta_i \ln y_i + \epsilon_{i,t}$$



OLS Regression Results

```

=====
Dep. Variable:          logc      R-squared:                0.338
Model:                  OLS      Adj. R-squared:            0.338
Method:                 Least Squares      F-statistic:          1589.
Date:                  Tue, 05 Mar 2019    Prob (F-statistic):    3.81e-281
Time:                  12:40:58           Log-Likelihood:        -2507.9
No. Observations:      3114             AIC:                  5020.
Df Residuals:          3112             BIC:                  5032.
Df Model:               1
Covariance Type:       nonrobust
=====

```

	coef	std err	t	P> t	[0.025	0.975]
Intercept	12.1166	0.078	156.039	0.000	11.964	12.269
logw	0.2144	0.005	39.867	0.000	0.204	0.225

```

=====
Omnibus:                4.694      Durbin-Watson:          1.567
Prob(Omnibus):           0.096      Jarque-Bera (JB):        5.059
Skew:                    0.042      Prob(JB):                0.0797
Kurtosis:                 3.179      Cond. No.                 116.
=====

```

Warnings:

[1] Standard Errors assume that the covariance matrix of the errors is correctly specified.

We see that β is 0.005 which is almost zero.

3 Question Three

4 Question Four

Rural Households

OLS Regression Results

```

=====
Dep. Variable:          d_c      R-squared:          0.049
Model:                  OLS      Adj. R-squared:       0.049
Method:                 Least Squares      F-statistic:       128.1
Date:                  Tue, 05 Mar 2019      Prob (F-statistic): 5.79e-55
Time:                  15:07:11      Log-Likelihood:    -8347.8
No. Observations:      4939      AIC:               1.670e+04
Df Residuals:          4936      BIC:               1.672e+04
Df Model:              2
Covariance Type:       nonrobust
=====

```

	coef	std err	t	P> t	[0.025	0.975]
Intercept	-0.0167	0.020	-0.817	0.414	-0.057	0.023
d_y	0.2233	0.014	15.926	0.000	0.196	0.251
dc_bar	-0.0057	0.083	-0.069	0.945	-0.168	0.156

```

=====
Omnibus:                3861.426      Durbin-Watson:       1.992
Prob(Omnibus):          0.000      Jarque-Bera (JB):    1101174.795
Skew:                   -2.732      Prob(JB):            0.00
Kurtosis:               75.946      Cond. No.            5.97
=====

```

Warnings:

[1] Standard Errors assume that the covariance matrix of the errors is correctly specified.

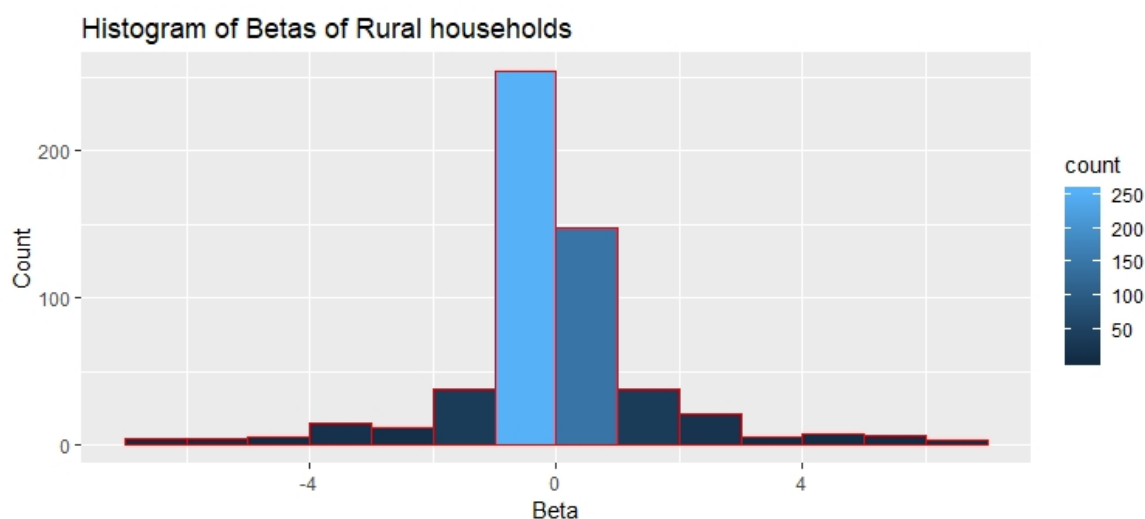
We fit a regression of the form:

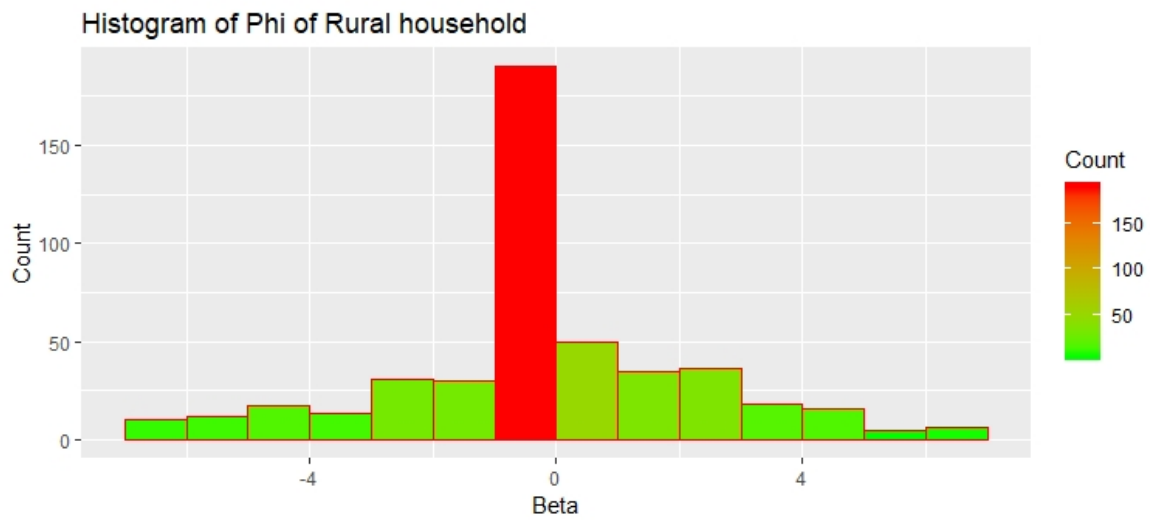
$$\Delta \ln c_{i,t} = \beta_i \Delta \ln y_{i,t} + \phi \ln \bar{C}_t + \epsilon_{i,t}$$

where

$$\Delta \ln c_{i,t} = -0.0167 + 0.223 \Delta \ln y_{i,t} - 0.0057 \ln \bar{C}_t \quad (2)$$

No risk sharing as the $\beta \neq 0$ and $\phi \neq 1$





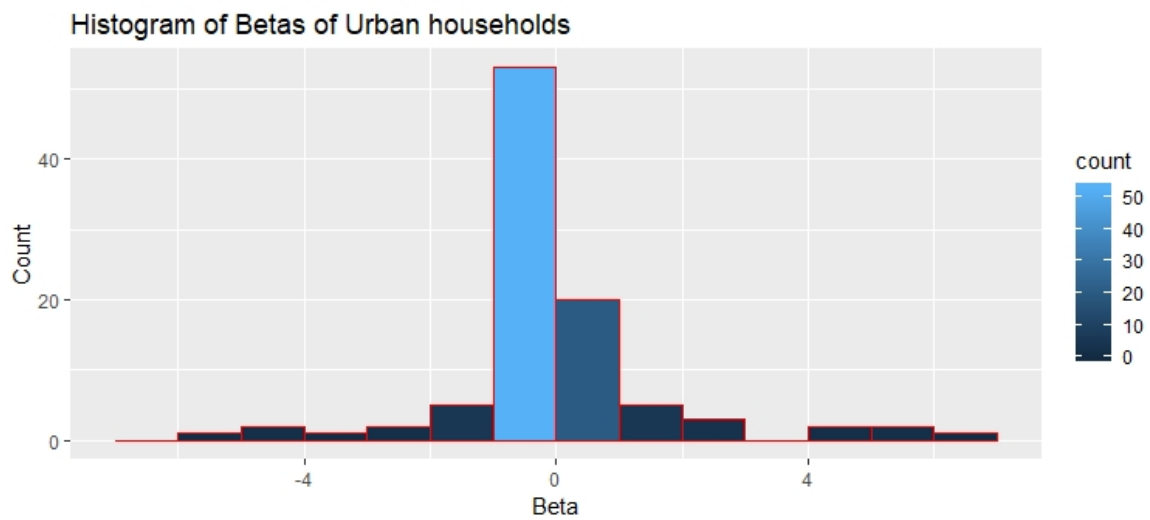
	β	ϕ
Mean	4.04	-20.83
Median	0	0

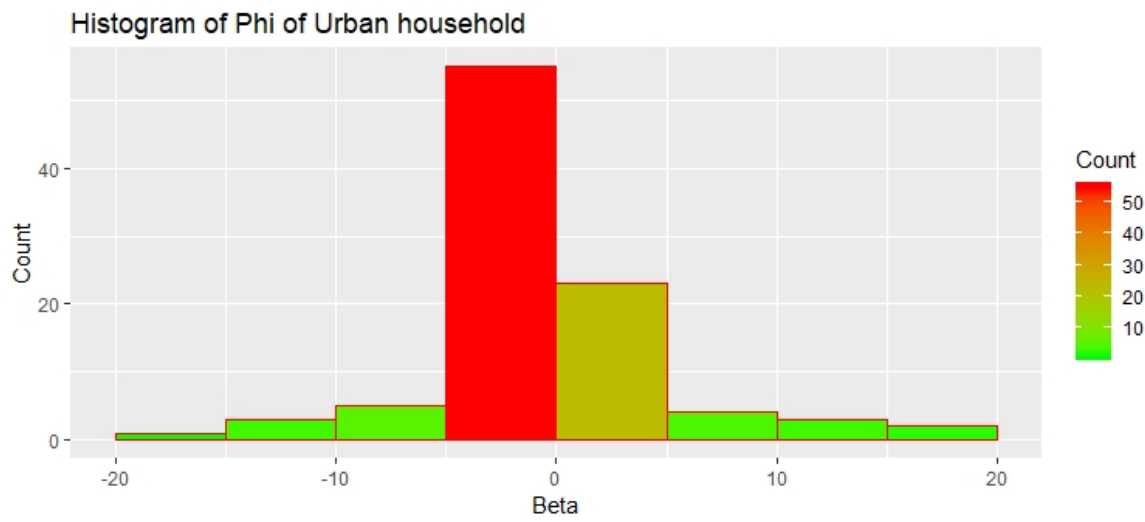
Table 3: Rural households

Urban Households

$$\Delta \ln c_{i,t} = -0.0177 + 0.0634 \Delta \ln y_{i,t} + 0.0563 \ln \bar{C}_t \quad (3)$$

No risk sharing as the $\beta \neq 0$ and $\phi \neq 1$





	β	ϕ
Mean	0.42	1.36
Median	0	0

Table 4: Urban households

We see from table 4 above that the average *beta* is close to 0 and ϕ is close to 1, which infers that urban households are more insured and partially share risk compared to rural households.