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## Direct-mapped cache

CPU requests one single word at a time, from MM.

Cache intercepts this request and checks if that word is in cache. If the word is in cache (a cache hit), it returns the word to the CPU. Otherwise (cache miss), a block of words is grabbed from memory (the requested word plus words nearby) and put into cache.

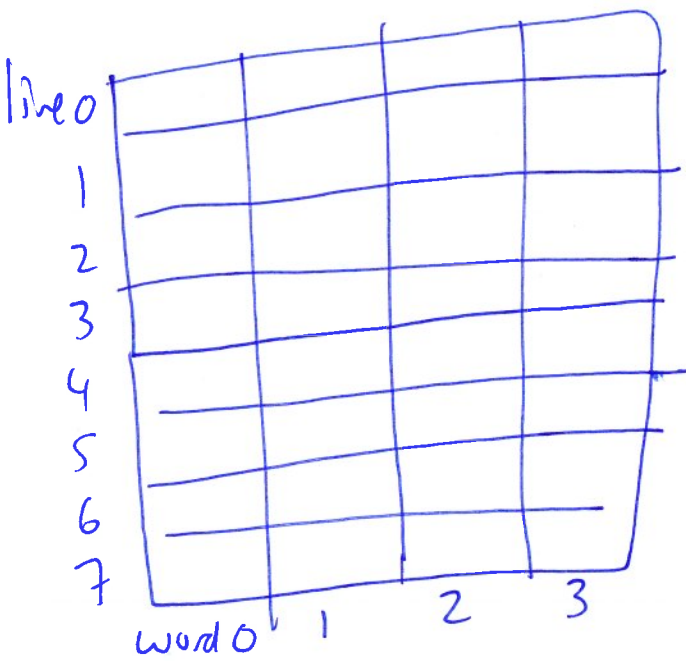
One block of memory is the same size as one line of cache



each line of cache holds 4 words

Memory: block 0

cache

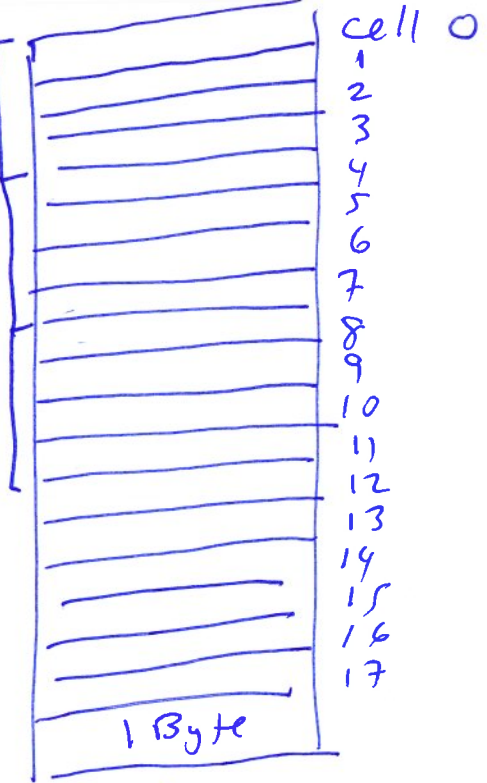


8 lines of cache

∴ each block of mem holds 4 words too

block 1

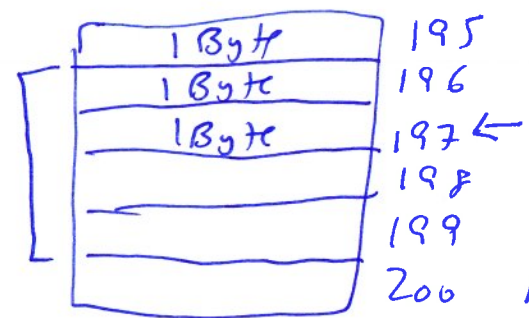
2



1 Byte/word

$$\log_2 512 = 9$$

block 49



cell 197 is in block 49

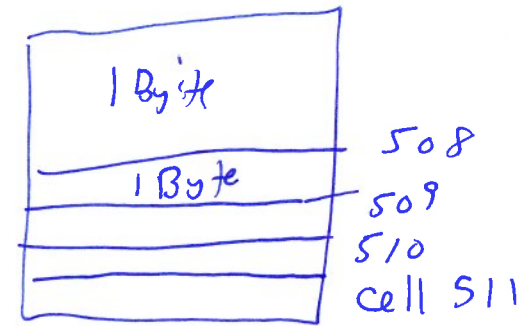
$$197 \div 4 = 49 \text{ R } 1$$

↑                    ↑  
block                word

Cache vs memory

- smaller
- closer to cpu
- faster
- more expensive
- works with lines

works with words  
also with blocks



# Cache

line 0	cell 0 cell 32	cell 1 cell 33	cell 2	cell 3
1	cell 4	cell 5 CELL 197	6	7
2	8	9	10	11
3	12	13	14	15
4	16	17	18	19
5	cell 20 cell 436	21	22	23
6	24	25	26	27
7	28	29	30	cell 31 63

word 0      2      3

cell 197 is in block 49

block 49 gets directly

mapped into

cache line ~~436~~ % 8 = 1

or  $436 \% 32 = 20$

line 1

word 1

line 0 holds one block at a time:

block 0 could be there

block 8 could be there

16  
⋮  
48

436 go?  $436 / 4 =$

line 5

word 0

109 R 0  
block #      word #

$109 \% 8 = 5$

where in cache  
does cell #

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Spatial locality is being put to use  
in blocks/lines.

eg. ~~all~~ when cell 197 is requested by CPU,  
cells 196, 198, 199 are also brought.

Very likely they'll be requested soon.

eg request for cell 436 brings in cells 436, 437, 438, 439

eg request for cell 15 also brings in cells 12, 13, 14, 15

Bigger line sizes  $\Rightarrow$  better use of spatial locality.

"Direct mapped" means each block of MM is  
directly mapped to one line of cache. There is  
no choice. eg. MM block 0 is always directly  
mapped to cache line 0.

Always ask yourself:

★ How much bigger is MM than cache?

MM:  $2^9$  words

cache:  $2^5$  words

$$\therefore \text{MM is } 2^9 \frac{w}{m} \div 2^5 \frac{w}{c} =$$

$$\boxed{2^4 \frac{c}{m} \text{ times bigger}}$$

Very useful

dfn: logarithm: exponent

$$\log_2 512 = \log_2 2^9 = 9$$

$$\log_{10} 10000 = \log_{10} 10^4 = 4$$

Same cache: 8 lines  
4 words/line

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Imagine a huge memory:

where in cache does cell 3200 000 go?  
↑ word 0, line 0

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cell 3200998 go?



$$998 \% 32 = \underline{6}$$



(~~the~~ position  
6)