

# 编译原理与设计

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## 语法制导翻译

- Formalisms for specifying translations for programming language constructs guided by context-free grammar
  - We associate Attributes to the grammar symbols representing the language constructs
  - Values for attributes are computed by Semantic Rules associated with grammar production
- Evaluation of semantic rules may
  - Insert information into the Symbol Table
  - Generate Code
  - Perform Semantic Check
  - Issue error message

• ...





## 语法制导翻译

- Two notations for attaching semantic rules
  - Syntax Directed Definitions. High-level specification hiding many implementation details (also called Attribute Grammars)
  - **Translation Schemes**. More implementation oriented: Indicate the order in which semantic rules are to be evaluated

SDD			SDTScheme	
$E \rightarrow E + T$	E.code = E.code  T.code  '+'		$E \rightarrow E + T$	$\{print'+'\}$
$E \rightarrow E - T$	E.code = E.code  T.code  '-'		$E \rightarrow E - T$	$\{print'-'\}$
$E \rightarrow T$	E.code = T.code		$E \rightarrow T$	
$T \rightarrow 0$	T.code = '0'		$T \rightarrow 0$	$\{print'0'\}$
$T \rightarrow 1$	T.code = '1'		$T \rightarrow 1$	$\{print'1'\}$
$T \rightarrow 9$	T.code = '9'		$T \rightarrow 9$	$\{print'9'\}$
				-

infix to postfix translation





- Syntax directed definition (SDD)
  - Specifies the values of attributes by associating semantic rules with the productions
  - a CFG along with attributes and rules, an attribute is associated with grammar symbols (attribute grammar), rules are associated with productions
  - is easier to read, easy for specification
- Syntax directed translation Scheme (SDT)
  - embeds program fragments (also called semantic actions) within production bodies
  - can be more efficient, easy for implementation



- A generalization of context-free grammar
- Grammar symbols have an associated set of Attributes
- Productions are associated with Semantic Rules for computing the values of attribute
- generates Annotated Parse-Trees where each node is of type record with a field for each attributes

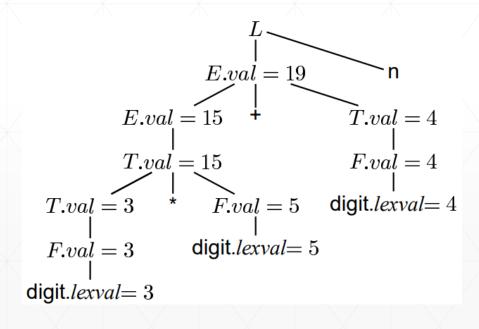
- Synthesized Attributes. Computed from the values of the attributes of the children node
- Inherited Attributes. Computed from the values of the attributes of both the siblings and the parent node

Production	SEMANTIC RULE		
L  o En	print(E.val)		
$E \to E_1 + T$	$E.val := E_1.val + T.val$		
$E \to T$	E.val := T.val		
$T \to T_1 * F$	$T.val := T_1.val * F.val$		
$T \to F$	T.val := F.val		
$F \to (E)$	F.val := E.val		
F  o digit	F.val := digit.lexval		

PRODUCTION	SEMANTIC RULE
$D \to TL$	L.in := T.type
T  oint	T.type := integer
T  oreal	T.type := real
$L  ightarrow L_1,$ id	$L_1.in := L.in; \ \ addtype(id.entry, L.in)$
L  o id	addtype(id.entry, L.in)

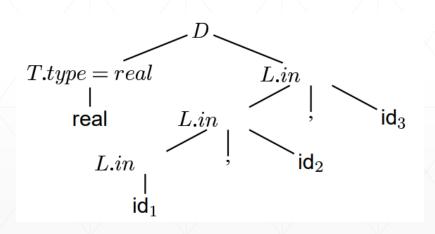
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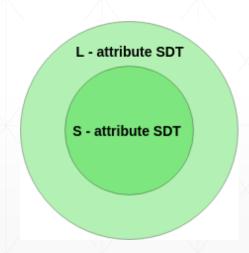
- S-Attributed Definitions. A Syntax Directed Definition that uses only synthesized attributes
  - evaluated by a bottom-up, or post order, traversal of the parsetree





- L-Attributed Definitions. uses both synthesized attributes and inherited attributes with a restriction that inherited attribute can inherit values from left siblings only
  - Inherited attributes can be evaluated by pre order









#### Attributed Evaluation

#### Unrestricted definition

- No restrictions on attribute dependency
- Perform a topological sort on the attribute dependency graph and evaluate in topological order
- Expensive to evaluate

#### S-attributed definition

- Synthesized attributes only
- Attributes may be evaluated bottom-up
- Evaluated very efficiently

#### L-attributed definition

- Permits both synthesized and some inherited attributes
   Inherited attributes restricted to left siblings
- Attributes may be evaluated depth-first, left to right





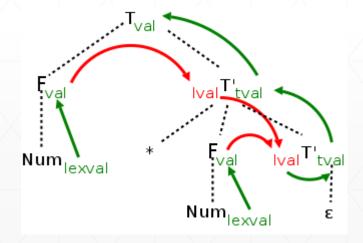
- Dependency Graphs
  - Implementing a Syntax Directed Definition consists primarily in finding an order for the evaluation of attributes
  - Dependency Graphs are the most general procedure to evaluate syntax directed translations with both synthesized and inherited attribute
  - shows the interdependencies among the attributes of the various nodes of a parse tree
    - There is a node for each attribute
    - If attribute **b** depends on an attribute **c** there is a link from the node for **c** to the node for b ( $b \leftarrow c$ )



## Dependency Graph

- Attribute at the head of an arrow depends on the on the one at the tail
- Must evaluate the head attribute after evaluating the tail attribute

Production	Semantic Rules	Type	
T → F T'	T'.lval = F.val	Inherited	
1 -> 1 1	T.val = T'.tval	Synthesized	
T' → * F T <sub>1</sub> '	$T'_1.lval = T'.lval * F.val$	Inherited	
1 111	T'.tval = T' <sub>1</sub> .tval	Synthesized	
T' → ε	T'.tval = T'.lval	Synthesized	
F → num	F.val = num.lexval	Synthesized	







- Dependency Graph evaluation order
  - The evaluation order of semantic rules depends from a Topological Sort derived from the dependency graph
  - Any topological sort of a dependency graph gives a valid order to evaluate the semantic rules

### Topological sort

- Choose a node having no incoming edges
- Delete the node and all outgoing edges.
- Repeat





- Evaluation of S-Attributed Definitions
  - The parser keeps the values of the synthesized attributes in its stack.
  - Whenever a reduction  $A \to \alpha$  is made, the attribute for A is computed from the attributes of  $\alpha$  which appear on the stack.
  - Thus, a translator for an S-Attributed Definition can be implemented by extending the stack of an LR-Parser.
    - Synthesized attributes are computed just before each reduction:
      - Before the reduction  $A \to XYZ$  is made, the attribute for A is computed: A.a := f(val[top], val[top-1], val[top-2]).

×		
state	val	
Z	Z.x	
Y	<i>Y.x</i>	
X	X.x	





- Evaluation of S-Attributed Definitions
  - Example. Consider the S-attributed definitions for the arithmetic expressions. To evaluate attributes the parser executes the following code

PRODUCTION	CODE		
$L \to E$ n	print(val[top-1])		
$E \to E_1 + T$	val[ntop] := val[top] + val[top - 2]		
$E \to T$			
$T \to T_1 * F$	val[ntop] := val[top] * val[top - 2]		
$T \to F$			
$F \to (E)$	val[ntop] := val[top - 1]		
$F  o \operatorname{digit}$			

- The variable ntop is set to the *new top of the stack*. After a reduction is done *top* is set to ntop.
  - When a reduction  $A \to \alpha$  is done with  $|\alpha| = r$ , then ntop = top r + 1.



- Evaluation of L-Attributed Definitions
  - L-Attributed Definitions contain both synthesized and inherited attributes but do not need to build a dependency graph to evaluate them.
  - **Definition.** A syntax directed definition is *L-Attributed* if each *inherited* attribute of  $X_j$  in a production  $A \to X_1 \dots X_j \dots X_n$ , depends only on:
    - 1. The attributes of the symbols to the **left** (this is what L in L-Attributed stands for) of  $X_j$ , i.e.,  $X_1X_2...X_{j-1}$ , and
    - 2. The inherited attributes of A.
  - **Note.** An S-Attributed definition is also L-Attributed since the restrictions only apply to inherited attributes.



#### Evaluation of L-Attributed Definitions

- L-Attributed Definitions are a class of syntax directed definitions whose attributes can always be evaluated by single traversal of the parse-tree.
- The following procedure evaluate L-Attributed Definitions by mixing PostOrder (synthesized) and PreOrder (inherited) traversal.

**Algorithm L-Eval(n: Node).** *Input:* Parse-Tree node from an L-Attribute Definition. *Output:* Attribute evaluation.

#### Begin

For each child m of n, from left-to-right Do Begin; evaluate inherited attributes of m; L-Eval(m)

End;

evaluate synthesized attributes of n

End.



Evaluation of L-Attributed Definitions

Grammar rule:



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AST = Abstract Syntax Tree

```
Parse Tree
                        Abstract Syntax Tree
      exp
     term
   term * factor
factor ( exp )
  3 exp + term
     term factor
     factor 2
```



AST = Abstract Syntax Tree

```
Parse Tree
                     stmtList }
     epsilon stmtList
                              stmt
                            ID = exp;
         stmtList stmt
                            (y) / | \
stmtList
              stmt
           / | | \
           ID = exp;
epsilon
           (x)
                 INTLITERAL
                              factor
                    (0)
                                      (2)
                                ID
                                (x)
```

```
x = 0;
    while (x<10) {
       x = x+1;
    v = x*2;
         AST
         ===
         methodBody
declList
                      stmtList
              assign while assign
                   INT
                             ID
                  (0)
            (\mathbf{x})
                             (Y)
                                     ID INT
                                     (x) (2)
```

Input



- Use semantic actions to build the AST
  - LL parsing: extend procedures for nonterminals
  - Example:

```
\begin{array}{c} \textbf{S} \rightarrow \textbf{ES'} \\ \textbf{S'} \rightarrow \epsilon \mid \textbf{+} \textbf{S} \\ \textbf{E} \rightarrow \textbf{num} \mid \textbf{(S)} \end{array}
```

```
void parse_S() {
                                         Expr parse_S() {
 switch (token) {
                                           switch (token) {
   case num: case '(':
                                             case num: case '(':
     parse_E();
                                               Expr left = parse_E();
     parse_S'();
                                               Expr right = parse_S'();
                                               if (right == null) return left;
     return;
   default:
                                               else return new Add(left, right);
                                             default: throw new ParseError();
     throw new ParseError();
```



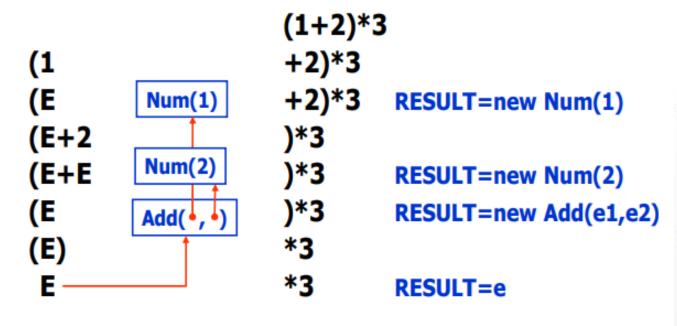
- LR parsing
  - Need to add code for explicit AST construction
- AST construction mechanism for LR Parsing
  - With each symbol X on stack, also store AST sub-tree for X on stack
  - When parser performs reduce operation for A  $\rightarrow$   $\beta$ , create AST subtree for A from AST fragments on stack for  $\beta$ , pop  $|\beta|$  subtrees from stack, push subtree for  $\beta$ .



LR parsing

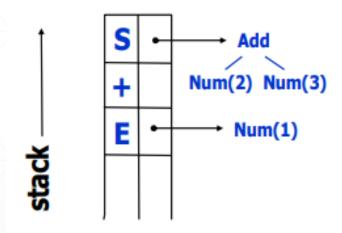
$$E \rightarrow num \mid (E) \mid E+E \mid E*E$$

#### Parser stack stores value of each symbol



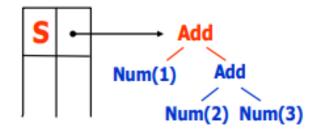


### • Example



Before reduction 
$$S \rightarrow E+S$$

$$S \rightarrow E+S \mid S$$
  
 $E \rightarrow num \mid (S)$ 

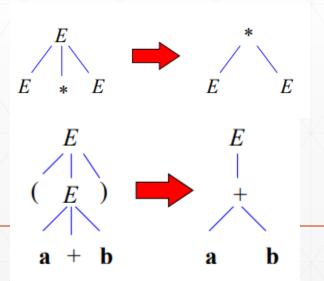


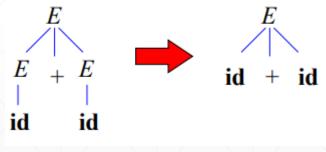
After reduction 
$$S \rightarrow E+S$$

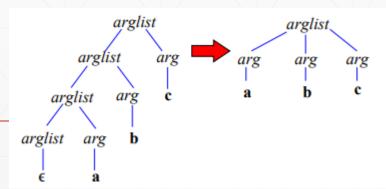
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## AST 构建

- Convert a concrete syntax tree to abstract syntax tree
  - Operators are promoted from leaves to internal nodes
  - Chains of single productions are collapsed
  - Syntactic details like parentheses semi-colons and commas are omitted
  - Subtree lists are flattened



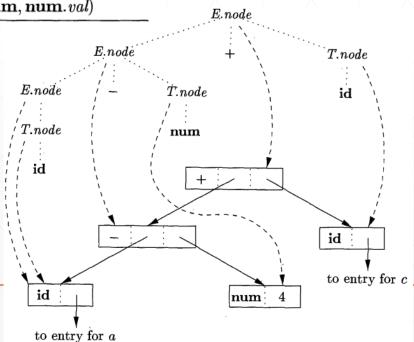






## Build the AST for Synthesized Attributes

	PRODUCTION	SEMANTIC RULES
1)	$E \to E_1 + T$	$E.node = \mathbf{new} \ Node('+', E_1.node, T.node)$
2)	$E \to E_1 - T$	$E.node = \mathbf{new} \ Node('-', E_1.node, T.node)$
3)	$E \to T$	E.node = T.node
4)	$T \to (E)$	T.node = E.node
5)	$T  o \mathbf{id}$	$T.node = \mathbf{new} \ Leaf(\mathbf{id}, \mathbf{id}.entry)$
6)	$T  o \mathbf{num}$	T.node = new Leaf(num, num.val)



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## 应用: AST 构建

### Build the AST for Synthesized Attributes

	PRODUCTION	SEMANTIC RULES
1)	$E \to T E'$	E.node = E'.syn
		E'.inh = T.node
2)	$E' \rightarrow + T E'_1$	$E'_1.inh = \mathbf{new} \ Node('+', E'.inh, T.node)$
		$E'.syn = E'_1.syn$
3)	$E' \rightarrow -T E_1'$	$E'_1.inh = \mathbf{new} \ Node('-', E'.inh, T.node)$
		$E'.syn = E'_1.syn$
4)	$E' \to \epsilon$	E'.syn = E'.inh
5)	$T \rightarrow (E)$	T.node = E.node
6)	$T  o \mathbf{id}$	$T.node = \mathbf{new} \ Leaf(\mathbf{id}, \mathbf{id}.entry)$
7)	$T  o \mathbf{num}$	$T.node = \mathbf{new} \ Leaf(\mathbf{num}, \mathbf{num}.val)$

