

PHYS1901 Thermal physics

Lecture 1

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FACULTY OF SCIENCE

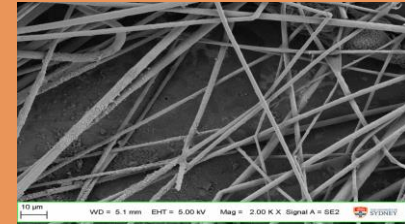
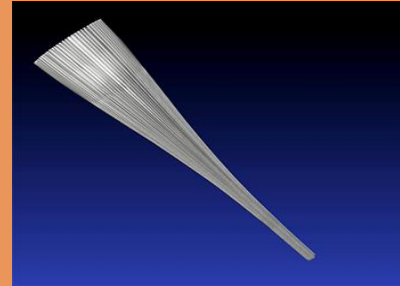
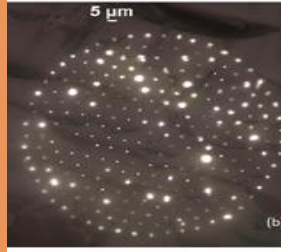
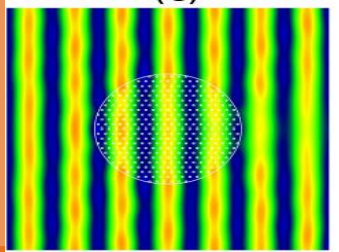
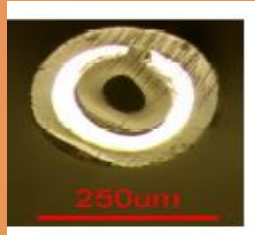


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My research:

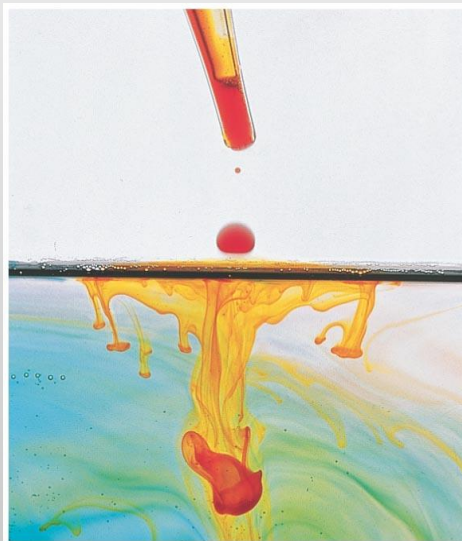
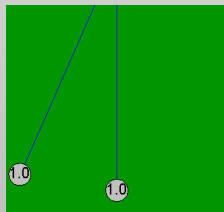
Photonics and Metamaterials – structured matter for artificial properties, by design

- Designer electromagnetic properties
- Invisibility
- lenses for the invisible
- Fabrication using drawing techniques (lots of thermal physics there!)
- Applications in photonics on a chip (CUDOS)





- Fundamental science
- Irreversibility
- Joining microscopic and macroscopic



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Resources and format

- › **Textbook:** Young & Friedman
- › **Lectures:** Mon, Wed, Thu 2pm, Messel, 18 April – 8 June 2017
- **Assignments** due by 7pm Friday 26 May (#5) & 2 June (#6)
- › **Web Resources:** see eLearning for links to PHYS1901
- › Outline, Module Outline, Lecture Notes, Recordings, Muddiest Point
- › Mastering Physics.

Lecture plan:

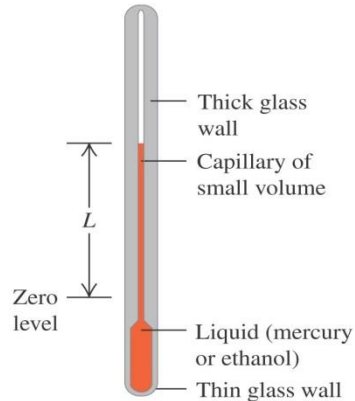
- › **Text** : Young & Freedman.
- › **Lec. 1.** Temperature and Heat Expansion: §17-1 – §17-4
- › **Lec. 2.** Heat: §17-5 – §17-6
- › **Lec. 3.** Methods of Heat Transfer: §17-7
- › **Lec. 4.** Thermal Properties of Matter: §18-1 – §18-5
- › **Lec. 5.** Work in Thermodynamics: §19-1 – §19-3
- › **Lec. 6.** 1st Law of Thermodynamics: §19-4 – §19-6
- › **Lec. 7.** Thermodynamics of an Ideal Gas: §19-7 – §19-8
- › **Lec. 8.** Engines: §20-1 – §20-4
- › **Lec. 9.** 2nd Law of Thermodynamics: §20-5 – §20-6
- › **Lec. 10.** Entropy: §20-7 – §20-8



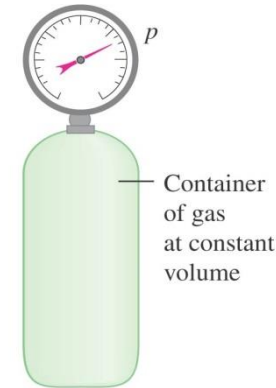
- › How would you define the temperature?

Temperature, T , is a measure of how "hot" or "cold" something is; this *depends* on how much "microscopic energy" it contains.

(a) Changes in temperature cause the liquid's volume to change.



(b) Changes in temperature cause the pressure of the gas to change.

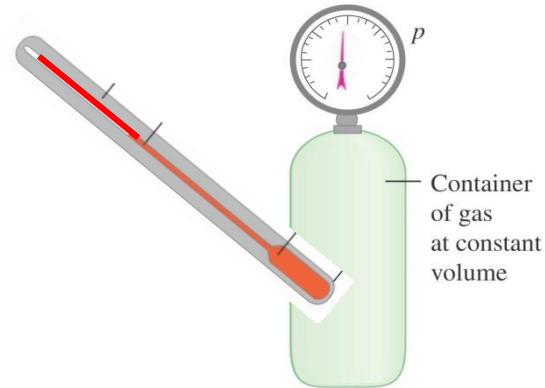


- Any physical property that depends on T (e.g. L or p) can be used in a thermometer
- A thermometer measures *its own temperature*

- › How would you define the temperature?
- › What does it mean if two objects have the same temperature?

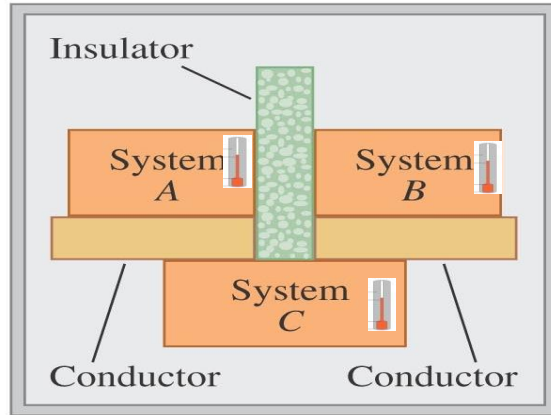
Two thermometers in contact
First – reading change (heat flows)
Eventually – readings stabilize
Thermal equilibrium is reached
(no more heat flow)

(b) Changes in temperature cause
the pressure of the gas to change.

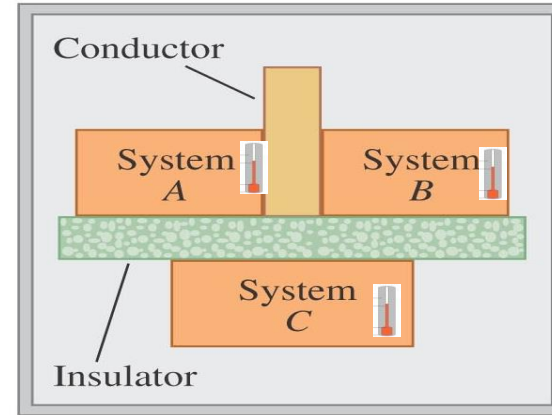


Thermal equilibrium

(a) If systems *A* and *B* are each in thermal equilibrium with system *C* ...



(b) ... then systems *A* and *B* are in thermal equilibrium with each other.



“Zeroth law of thermodynamics”

Systems in thermal equilibrium have same temperature

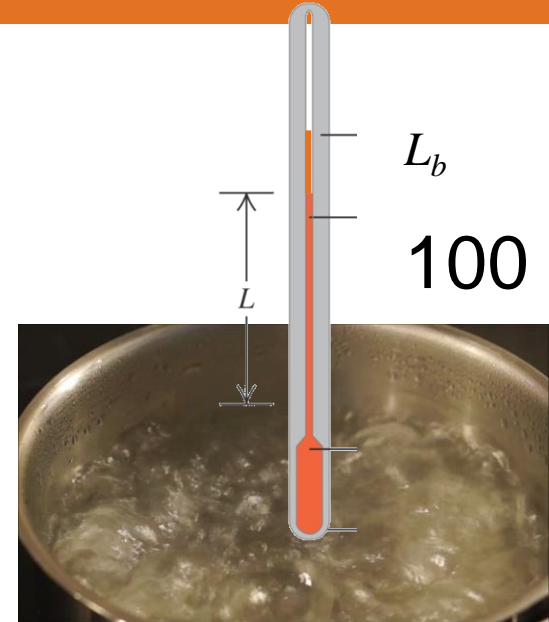
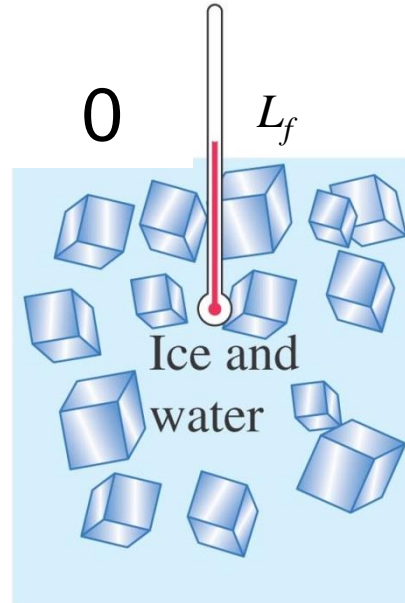
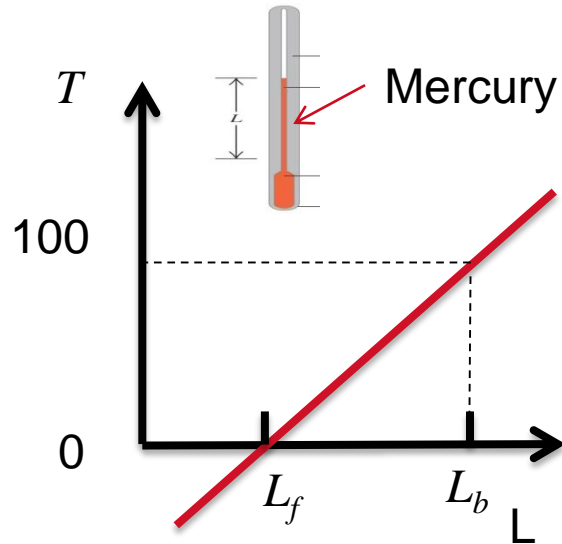
If $T_A = T_C$ and $T_B = T_C$ then $T_A = T_B$

- › How would you define the temperature?

Two systems having the same temperature = they are in thermal equilibrium
A given temperature is a class of equivalence of objects in thermal equilibrium

- › How would you define a temperature scale?

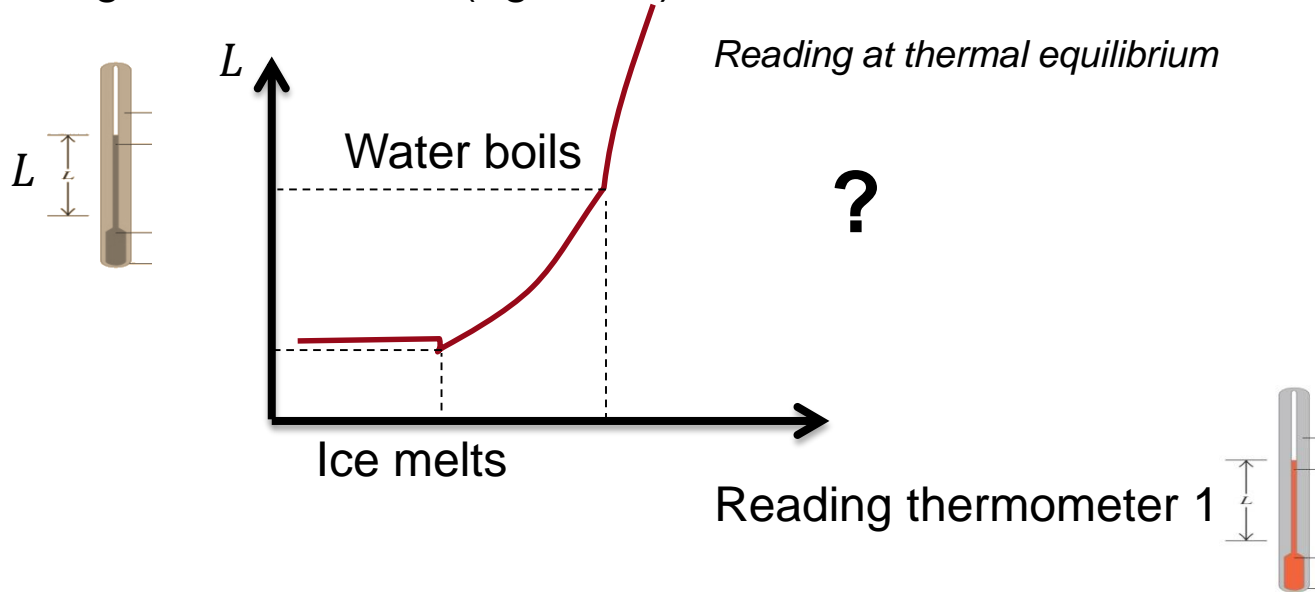
Defining a temperature scale



(original) Celsius temperature scale

Defining temperature scales

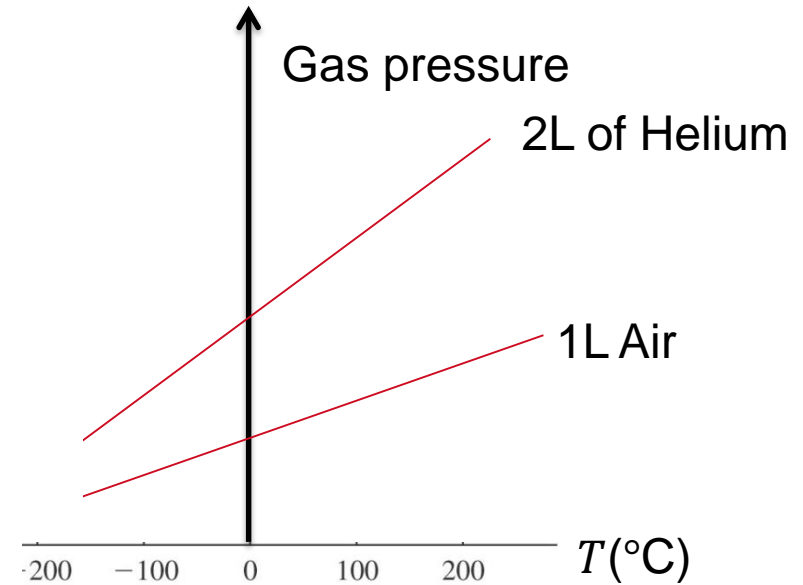
Reading thermometer 2 (eg water)



Definition of temperature scale seems arbitrary – and thermometer dependent!

Constant volume gas thermometer

(a) A constant-volume gas thermometer



Absolute temperature scale

Gas thermometer:

$$p = aT + b$$

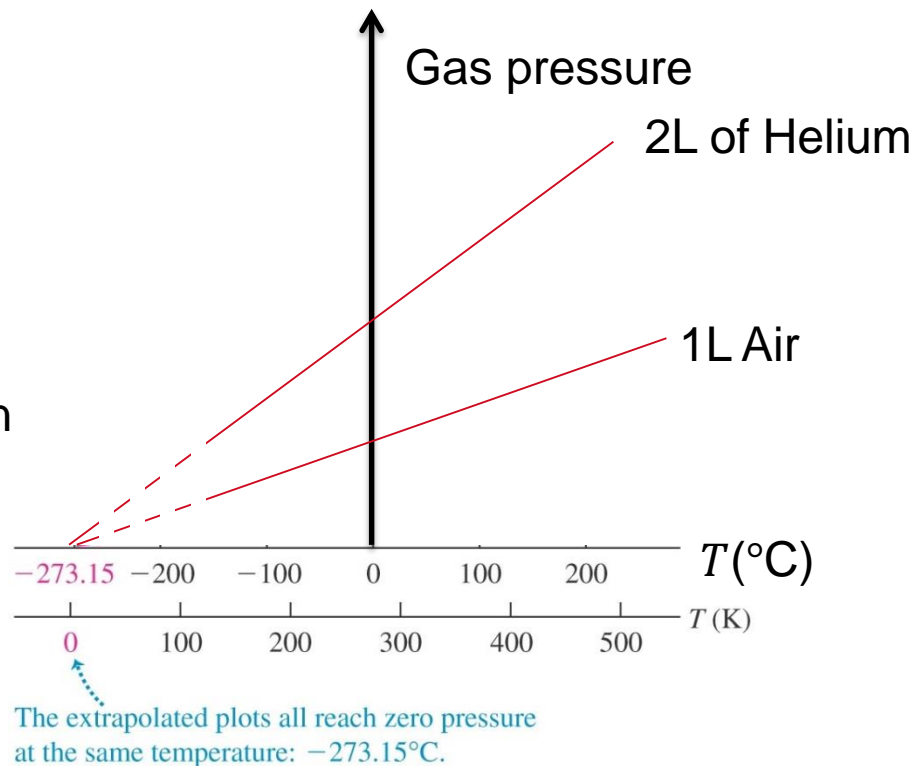
Slope a depends on details of the thermometer

Define new scale by

1. setting $b = 0$

Now $T = \frac{p}{a}$ (but a still depends on thermometer)

2. With a single calibration point we define slope a to define full T scale



The Kelvin scale

We define $T \equiv 273.16$ K at triple point of water
 $(T_{triple} \equiv 273.16\text{K} = 0.01^\circ\text{C})$

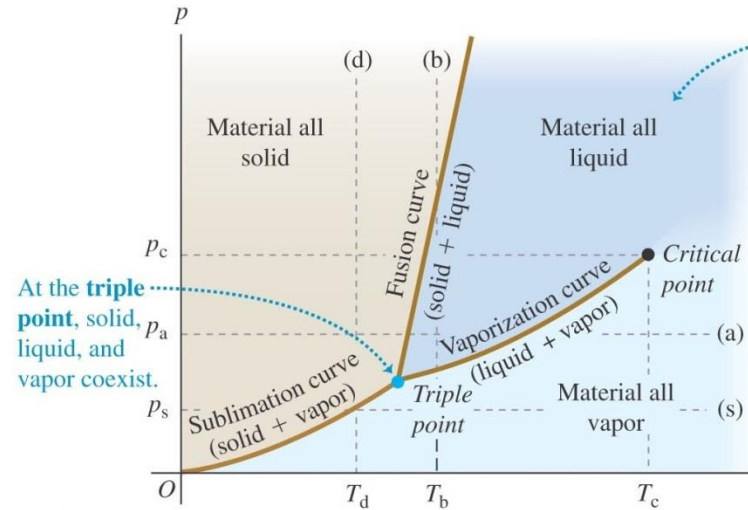
$p_{triple} = 610\text{Pa}, 0.006\text{ atm}$

Kelvin temperature scale:

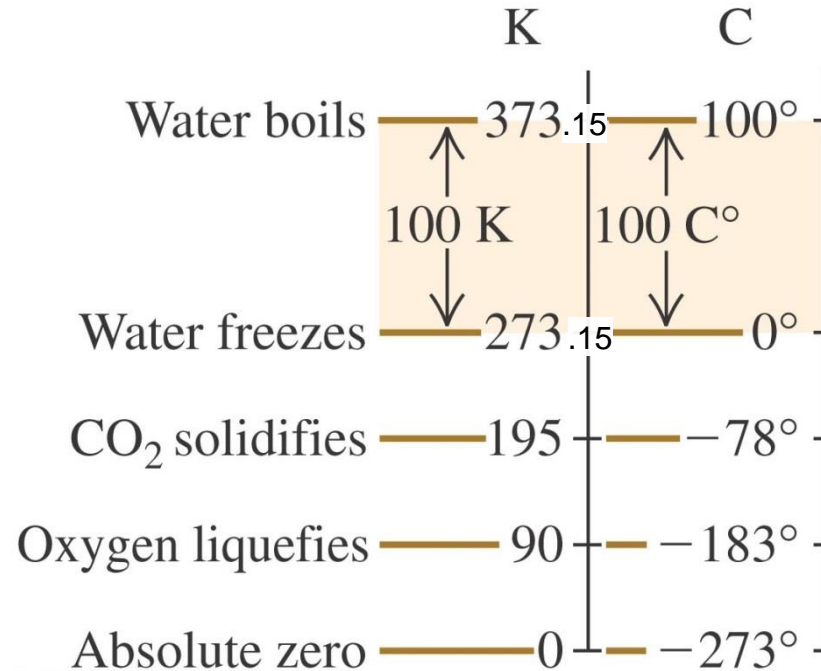
$$T(\text{K}) = T(^{\circ}\text{C}) + 273.15\text{ K}$$

0 K = absolute zero

Kelvin = SI unit of temperature



Kelvin vs Celsius scales



Definition:

Two systems having the same temperature = they are in thermal equilibrium
A given temperature is a class of equivalence of objects in thermal equilibrium

Scale:

A good standard thermometer: Constant volume gas thermometer

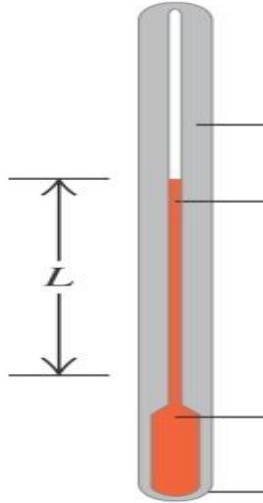
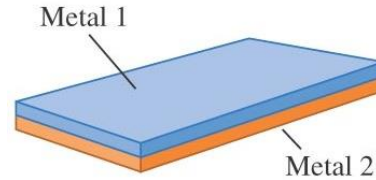
Absolute temperature: Kelvin scale for temperature:

$T = 0 \text{ K}$ at absolute zero

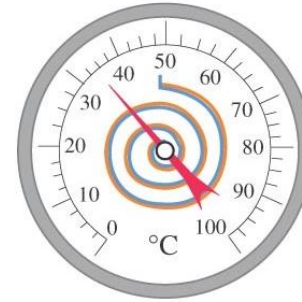
$T = 273.16 \text{ K}$ at water's triple point

Thermal expansion

(a) A bimetallic strip



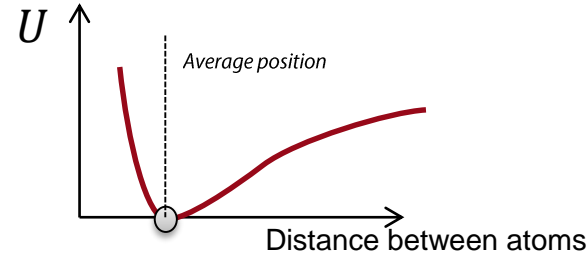
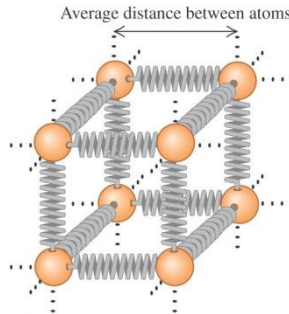
(c) A bimetallic strip used in a thermometer



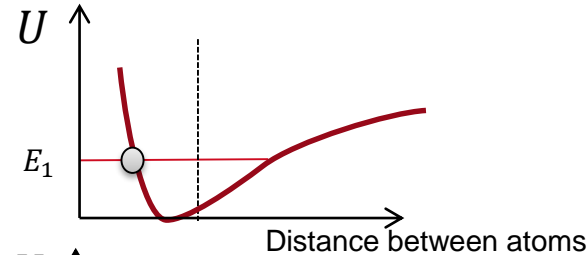
But why do liquids, metals expand?

Higher temperature = more energy per atom

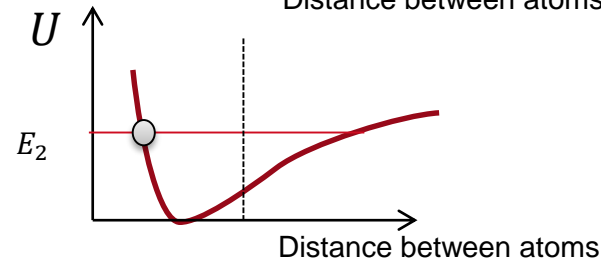
Energy of atom $E =$
Potential spring energy U
+
Kinetic energy K



$$E = U = K = 0$$



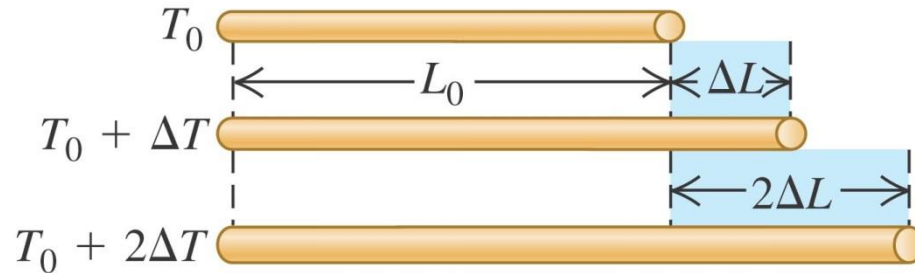
$$E_1 > 0$$



$$E_2 > 0$$

Coefficient of linear expansion

(a) For moderate temperature changes, ΔL is directly proportional to ΔT .

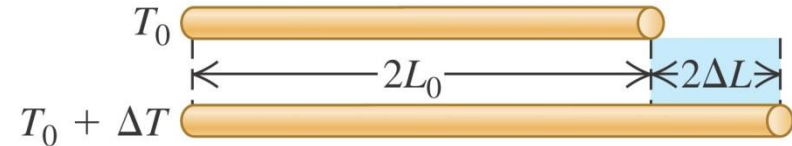
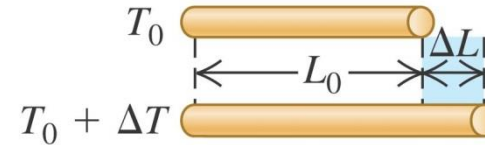


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$$\Delta L = \alpha L_0 \Delta T$$

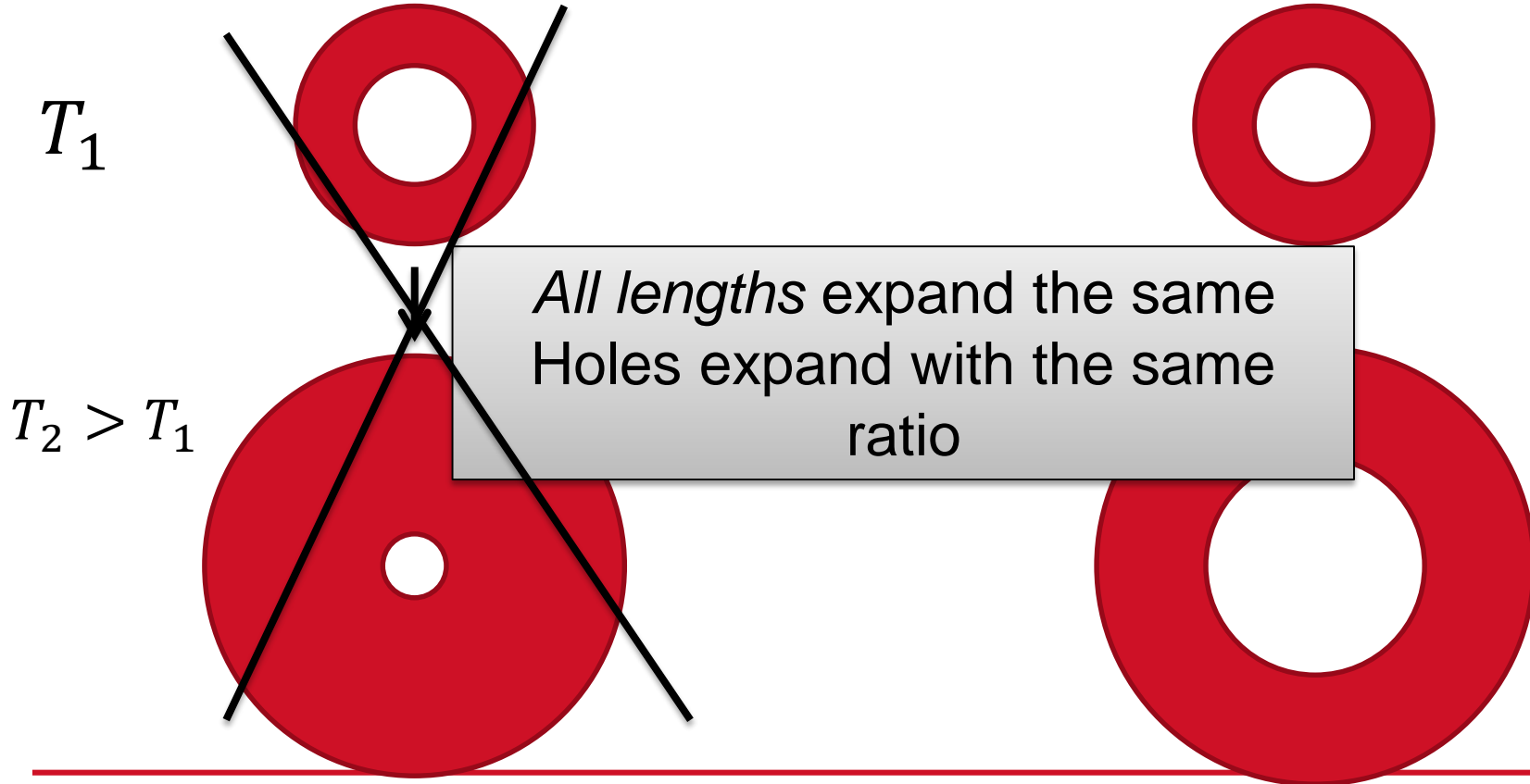
α coefficient of linear expansion

(b) ΔL is also directly proportional to L_0 .



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Linear expansion – holes ?



Linear expansion in practice

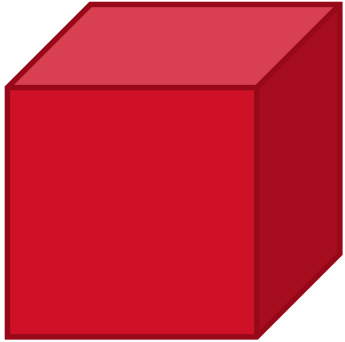


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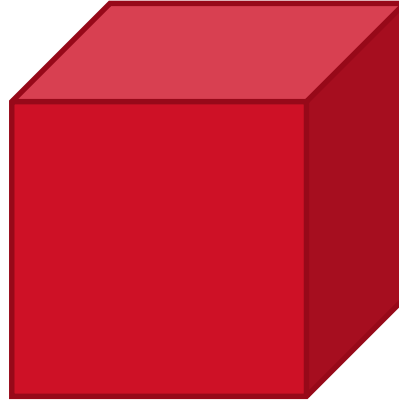


Ex. 17.11, 17.12 – Longest spanning Humber Bridge, UK (2220m) or tallest building Burj Khalifa, Dubai (828m), steel frames.

Volume expansion



V_0



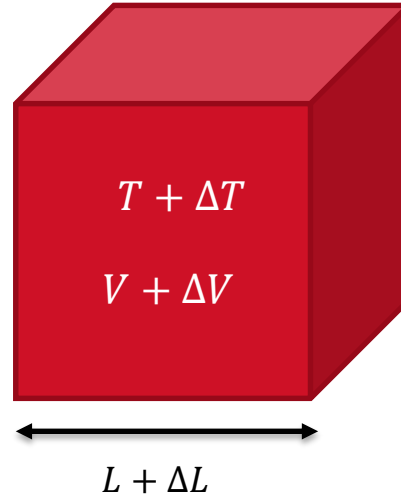
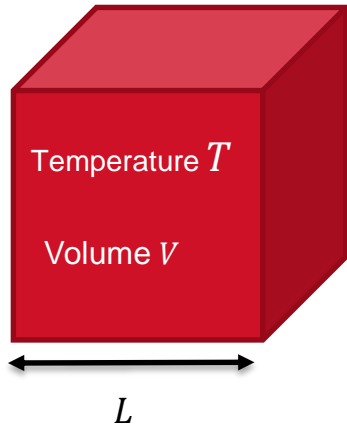
$V(T_0 + \Delta T) = V_0 + \Delta V$

$$\Delta V = \beta V_0 \Delta T$$

β coefficient of volume expansion

$$\beta_{\text{liquids}} > \beta_{\text{solids}}$$

Linear expansion and Volume expansion



$$\Delta V = \beta V_0 \Delta T$$

$$\Delta L = \alpha L_0 \Delta T$$

$$\frac{\Delta V}{\Delta L} \approx \frac{\partial V}{\partial L}$$

$$\begin{aligned} V_0 &= L_0^3 \quad \text{so} \quad \frac{\partial V}{\partial L} = 3L_0^2 \\ \text{and} \quad \frac{\Delta V}{\Delta L} &= \frac{\beta V_0}{\alpha L_0} \quad \text{so} \quad \left. \begin{aligned} & \\ & \end{aligned} \right\} \begin{aligned} &\beta V_0 = 3\alpha L_0^3 \\ &\Rightarrow \beta = 3\alpha \end{aligned} \end{aligned}$$

Example of volume expansion

Table 17.2 Coefficients of Volume Expansion

Solids	β [K^{-1} or $(\text{C}^\circ)^{-1}$]	Liquids	β [K^{-1} or $(\text{C}^\circ)^{-1}$]
Aluminum	7.2×10^{-5}	Ethanol	75×10^{-5}
Brass	6.0×10^{-5}	Carbon disulfide	115×10^{-5}
Copper	5.1×10^{-5}	Glycerin	49×10^{-5}
Glass	$1.2\text{--}2.7 \times 10^{-5}$	Mercury	18×10^{-5}
Invar	0.27×10^{-5}		
Quartz (fused)	0.12×10^{-5}		
Steel	3.6×10^{-5}		

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Ex. 17.14: Aluminium rivets in aircraft construction are made larger than the rivet holes, cooled with "dry ice" (solid CO_2) before insertion.