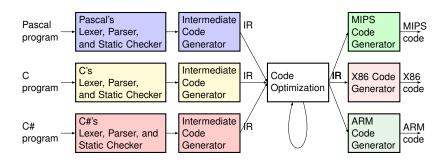
Code Generation

Modern Compiler Project



Why or Why not IR?

At the end of semantic analysis,

- If generating intermediate code, or IR,
 - ➤ IR is machine independent, and separates machine dependent/independent parts;
 - Front-end is retargetable;
 - Optimization at intermediate level is reusable;
 - Simply semantic routines in the code.
- If generating machine code directly
 - Avoid the overhead of extra code generation passes;
 - Can exploit the high level hardware features e.g. MMX;

Static Single Assignment (SSA)

Common Types of IR

Postfix representation – used in earlier compilers
$a + b * c \rightarrow c b * a +$
Abstract syntax tree
Discussed before — attribute tptr attached to each non-terminal symbol
Three address code
Will discuss next

Assist many code optimization in modern compilers

Three Address Code

Generic form is X := Y op Z

where X, Y, Z can be variables, constants, or compiler-generated temporaries

- Characteristics
 - Similar to assembly code e.g. include statements of flow of control;
 - It is machine independent;
 - Statements use symbolic names rather than register names;
 - > Actual locations of labels are yet to be determined.

Example

An example:

```
x * y + z / w
is translated to
t1 := x * y; t1, t2, t3 are temporary variables
t2 := z / w
t3 := t1 + t2
```

- Sequential representation of an AST
- Temporaries may be replaced by pointers to the desired result

Common Three-Address Statements (I)

Assignment statement:
x:= y op z
where op is an arithmetic or logical operation (binary operation)
Assignment statement:
x:= op y
where op is an unary operation such as -, not, shift)
Copy statement:
x:= y
Unconditional jump statement:
goto L
where L is label

Common Three-Address Statements (II)

```
Conditional jump statement:
          if (x relop y) goto L
    where relop is a relational operator such as =, \neq, >, <
 Procedural call statement:
          param x_1, ..., param x_n, call F_v, n
    As an example, foo(x1, x2, x3) is translated to
          param x<sub>1</sub>
          param x<sub>2</sub>
          param x<sub>3</sub>
          call foo, 3
    Procedural call return statement:
          return y
    where y is the return value (if applicable)
```

Common Three-Address Statements (III)

Indexed assignment statement:

```
x := y[i]
or
y[i] := x
```

where x is a scalable variable and y is an array variable

Address and pointer operation statement:

```
x := & y; a pointer x is set to location of y
```

$$y := x$$
; y is set to the content of the address

; stored in pointer x

*y := x ; object pointed to by x gets value y

Implementation of Three-Address Code

- There are three possible ways to store the code
 - quadruples
 - > triples
 - indirect triples
- Using quadruples op arg1, arg2, result

- There are four(4) fields at maximum
- Arg1 and arg2 are optional
- Arg1, arg2, and result are usually pointers to the symbol table

Examples:

$$x:= a + b$$
 => + a, b, x
 $x:= -y$ => -y, , x
 $goto L$ => $goto$, , L

Using Triples

To avoid putting temporaries into the symbol table, we can refer to temporaries by the positions of the statements that compute them

Example: a := b * (-c) + b * (-c)

		Qua	druples	;		Triple	S
	ор	arg1	arg2	result	ор	arg1	arg2
(0)	-	С		t1	-	С	
(1)	*	b	t1	t2	*	b	(0)
(2)	-	С		t3	-	С	
(3)	*	b	t3	t4	*	b	(2)
(4)	+	t2	t4	t5	+	(1)	(3)
(5)	:=	t5		а	:=	а	(4)

More About Triples

■ Triples for array statements

$$x[i] := y$$

is translated to

- (0) [] := x i
- (1) := (0) y
- That is, one statement is translated to two triples

Using Indirect Triples

- Problem with triples
 - Cannot move code around because statement numbers will change

	Quadruples				Triples		
	ор	arg1	arg2	result	ор	arg1	arg2
(0)	-	С		t1	-	С	
(1)	*	b	t1	t2	*	b	(0)
(2)	-	С		t3	-	С	
(3)	*	b	t3	t4	*	b	(2)
(4)	+	t2	t4	t5	+	(1)	(3)
(5)	:=	t5		а	:=	а	(4)

Using Indirect Triples

- Problem with triples
 - Cannot move code around because statement numbers will change

	Quadruples					Triple	S
	ор	arg1	arg2	result	ор	arg1	arg2
(0)	-	С		t1	-	С	
(1)	*	b	t1	t2	*	b	(0)
(2)	+	t2	t2	t5	+	(1)	(1)
(3)	:=	t5		а	:=	а	(4)

Using Indirect Triples

- Listing pointers to triples instead of using triples directly
- Can move pointers around as long as the database (storing all triples) do not change
- > Same amount of space as quadruples, i.e. more than triples

	Indirect Triples
	(ptr to triple database)
(0)	(0)
(1)	(1)
(2)	(2)
(3)	(3)
(4)	(4)
(5)	(5)

		Triple	S
	ор	arg1	arg2
(0)	-	С	
(1)	*	b	(0)
(2)	-	С	
(3)	*	b	(2)
(4)	+	(1)	(3)
(5)	:=	а	(4)

After Optimization

	Indirect Triples
	(ptr to triple database)
(0)	(0)
(1)	(1)
(2)	(4)
(3)	(5)

	Triple Database		
	op arg1 arg2		
(0)	-	С	
(1)	*	b	(0)
(2)	-	С	
(3)	*	b	(2)
(4)	+	(1)	(1)
(5)	:=	а	(4)

- After optimization, some entries in triple database can be reused
 - > That is, entries in the triple database are independent

After Optimization

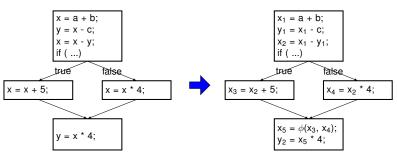
	Indirect Triples
	(ptr to triple database)
(0)	(0)
(1)	(1)
(2)	(4)
(3)	(5)

	Tri	Triple Database		
	ор	arg1	arg2	
(0)	-	С		
(1)	*	b	(0)	
(2)	(em	pty)		
(3)	(sto	ring nev	v triple)	
(4)	+	(1)	(1)	
(5)	:=	а	(4)	

- After optimization, some entries in triple database can be reused
 - > That is, entries in the triple database are independent

Static Single Assignment (SSA)

- Developed by R. Cytron, J. Ferrante, et al. in 1980s
 - Every variable is assigned exactly once i.e. one DEF
 - ightharpoonup Convert original variable name to name version e.g. $x o x_1, x_2$ in different places
 - ightharpoonup Use ϕ -function to combine two DEFs of same original variable



Benefits of SSA

- SSA can assist compiler optimizations
 - > e.g. remove dead code

$$x = a + b;$$

 $y = x - c;$
 $y = x * b;$
 $x_1 = a + b;$
 $y_1 = x_1 - c;$
 $y_2 = x_1 * b;$

.... y₁ is defined but never used, it is safe to remove

Will discuss more in compiler optimization phase



Generating IR using Syntax Directed Translation

- What is our parsing scheme?
 - Bottom-up LR/LALR parsing
 - Natural to translate synthesized attributes
 - Hack to translate L-attributed inherited attributes

- What is our parsing scheme?
 - ➤ Bottom-up LR/LALR parsing
 - Natural to translate synthesized attributes
 - Hack to translate L-attributed inherited attributes
 - To be solved: how to translate non-L-attributed inherited attributes?

- What is our parsing scheme?
 - Bottom-up LR/LALR parsing
 - Natural to translate synthesized attributes
 - Hack to translate L-attributed inherited attributes
 - To be solved: how to translate non-L-attributed inherited attributes?
- What language structures do we need to translate?
 - Declarations
 - variables, procedures (need to enforce static scoping), ...
 - Assignment statement
 - > Flow of control statement
 - if-then-else, while-do, for-loop, ...
 - Procedure call
 - **>** ..

Attributes to Evaluate in Translation

- Statement **S**
 - S.code a synthesized attribute that holds IR code of S
- Expression **E**
 - E.code a synthesized attribute that holds IR code for computing E
 - E.place a synthesized attribute that holds E's value
- Variable declaration:
 - **T V** e.g. int a,b,c;
 - Type information T.type T.width
 - Variable information V.type, V.offset

Attributes to Evaluate in Translation

- Statement **S**
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 - E.place a synthesized attribute that holds E's value
- Variable declaration:
 - **T V** e.g. int a,b,c;
 - Type information T.type T.width
 - Variable information V.type, V.offset
 - What is V.offset?

- ☐ When there are multiple variables defined in a procedure,
 - we layout the variable sequentially
 - use variable offset, to get address of x
 - address(x) ← offset
 - offset += sizeof(x.type)

```
void foo() {
    int a;
    int b;
    long long c;
    int d;
}
```

- ☐ When there are multiple variables defined in a procedure,
 - we layout the variable sequentially
 - use variable offset, to get address of x

Address

- address(x) ← offset
- offset += sizeof(x.type)

```
void foo() {
    int a;
    int b;
    long long c;
    int d;
}

Ox0000

Offset=0

Offset=0
```

- When there are multiple variables defined in a procedure,
 - we layout the variable sequentially
 - use variable offset, to get address of x
 - address(x) ← offset
 - offset += sizeof(x.type)

```
void foo() {
    int a;
    int b;
    long long c;
    int d;
}

0x00

0x00

0x00

0x00

0x00

0x00
```

```
Address
0x0000
0x0004
0x0008
0x000c
0x0010
```

Offset=0 Addr(a) \leftarrow 0

- ☐ When there are multiple variables defined in a procedure,
 - we layout the variable sequentially
 - use variable offset, to get address of x

Address

- address(x) ← offset
- offset += sizeof(x.type)

```
void foo() {
    int a;
    int b;
    long long c;
    int d;
}

0x0000

0x00008

int d;

0x0000c

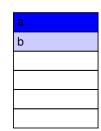
0x0010
```

Offset=4 Addr(a) \leftarrow 0

- ☐ When there are multiple variables defined in a procedure,
 - we layout the variable sequentially
 - use variable offset, to get address of x
 - address(x) ← offset
 - offset += sizeof(x.type)

```
void foo() {
  int a;
  int b;
  long long c;
  int d;
}
```

```
Address
0x0000
0x0004
0x0008
0x000c
0x0010
```

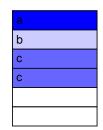


Offset=8 Addr(a) \leftarrow 0 Addr(b) \leftarrow 4

- When there are multiple variables defined in a procedure,
 - we layout the variable sequentially
 - use variable offset, to get address of x
 - address(x) ← offset
 - offset += sizeof(x.type)

```
void foo() {
    int a;
    int b;
    long long c;
    int d;
}

Address
0x0000
0x00004
0x00008
0x0000c
0x0010
```



Offset=16 Addr(a) \leftarrow 0 Addr(b) \leftarrow 4

Addr(b)←4 Addr(c)←8

- When there are multiple variables defined in a procedure,
 - we layout the variable sequentially
 - use variable offset, to get address of x
 - address(x) ← offset
 - offset += sizeof(x.type)

```
void foo() {
    int a;
    int b;
    long long c;
    int d;
}

Address

0x0000

0x00004

0x00008

0x0000c

0x0010
```

а	
b	
С	
С	
d	

Offset=20 Addr(a) \leftarrow Addr(b) \leftarrow Addr(c) \leftarrow Addr(d) \leftarrow

More About Storage Layout (I)

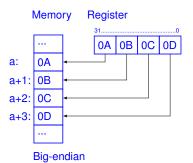
Allocation alignment

In reality, addr(x) mod sizeof(x.type) == 0

More About Storage Layout (II)

Endianness

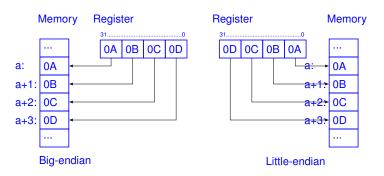
- Big endian stores MSB (most significant byte) in lowest address
- ➤ Little endian stores **LSB** (least significant byte) in lowest address



More About Storage Layout (II)

Endianness

- Big endian stores MSB (most significant byte) in lowest address
- Little endian stores LSB (least significant byte) in lowest address



More About Storage Layout (III)

- To be solved in the future
 - How to layout non-local variables?
 - How to layout dynamically allocated variables?

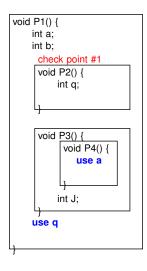
Processing Declarations

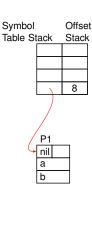
- Translating the declaration in a single procedure
 - enter(name, type, offset) insert the variable into the symbol table

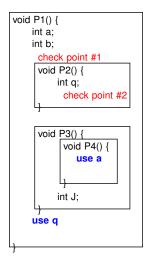
```
\begin{array}{ll} P \rightarrow M \ D \\ M \rightarrow \varepsilon & \{ \ offset=0; \} \ /^* \ reset \ offset \ before \ layout \ ^*/ \\ D \rightarrow D \ ; \ D \\ D \rightarrow T \ id \\ T \rightarrow integer \\ T \rightarrow real & \{ \ T.type=interger; \ T.width=4; \} \\ T \rightarrow T1[num] & \{ \ T.type=array(num.val, \ T1.type); \\ T.width=num.val \ ^* \ T1.width=4; \} \\ T \rightarrow T1 & \{ \ T.type=ptr(T1.type); \ T.width=4; \} \end{array}
```

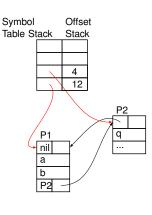
Processing Nested Declarations

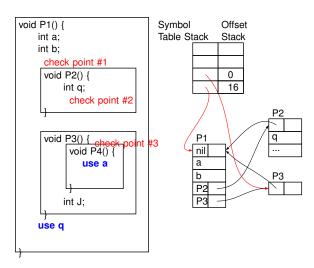
- Need scope information
 - create a new symbol table when encounter a sub-procedure declaration
 - mktable(ptr); ptr points back to its parent table
 - procedure name is stored in parent symbol table, with a pointer pointing to the new table
 - enterproc(parent_table_ptr, proc_id, child_table_ptr)
 - suspend the processing of parent symbol table
 - introducing an offset stack
 - track active variable names
 - introducing an active symbol table stack

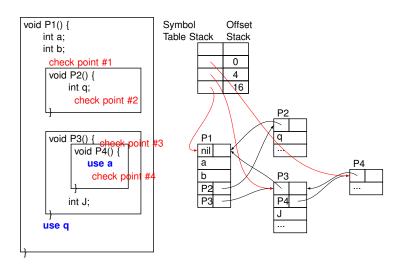


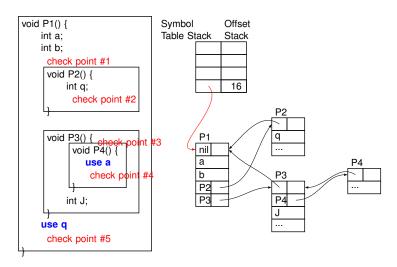












Processing Nested Declarations

■ Syntax directed translation rules

```
\begin{array}{ll} P \rightarrow M \; D & \{\; pop(tblptr); \; pop(offset); \; \} \\ \\ M \rightarrow \varepsilon & \{\; t=mktable(nil); \; push(t, \; tblptr); \; push(0,offset); \; \} \\ D \rightarrow D1; \; D2 & \\ D \rightarrow void \; pid() \; \{\; N \; D1; \; S\; \} \; \{\; t=top(tblptr); \; pop(tblptr); \; pop(offset); \\ & \; enter \; proc(\; top(tblptr), \; pid, \; t); \; \} \; /^* \; new \; symbol \; table \; ^*/ \\ \\ D \rightarrow T \; id; & \{\; enter(top(tblptr), \; id, \; T.type, \; top(offset)); \\ & \; top(offset) = top(offset) + \; T.width; \; \} \\ \\ N \rightarrow \varepsilon & \{\; t=mktable(top(tblptr)); \\ & \; push(t, \; tblptr); \; push(0, \; offset); \\ \end{array}
```

Processing Assignment Statements

- After processing the declarations, let us translate sequential assignment statement
 - > useful functions:

```
lookup (id) — search id in symbol table, return nil if noneemit() — print three address IRnewtemp() — get a new temporary variable
```

```
\begin{array}{lll} S \rightarrow \text{id:=} & \{ \text{ P=lookup(id); if (P==nil) perror(...); else emit(P ':=' E.place);} \} \\ E \rightarrow E1 + E2 \{ \text{ E.place = newtemp; emit(E.place ':=' E1.place '+' E2.place);} \} \\ E \rightarrow E1 * E2 \{ \text{ E.place = newtemp; emit(E.place ':=' E1.place '*' E2.place);} \} \\ E \rightarrow - E1 & \{ \text{ E.place = newtemp; emit(E.place ':=' '-' E1.place);} \} \\ E \rightarrow ( E1 ) & \{ \text{ E.place = E1.place;} \} \\ E \rightarrow \text{id} & \{ \text{ P=lookup(id); E.place=P;} \} \end{array}
```

Processing Array Reference

Recall the generalized form to compute the address of a n-dimensional array variable

```
S → L := E { t= newtemp(); emit( t '=' L.addr '*' L.width); emit(t '=' L.base '+' t); emit (t '=' E.addr); 

E → L { E.addr = newtemp(); t= newtemp(); emit( t '=' L.addr '*' L.width); emit ( E.addr '=' L.base '+' t ); 

L → id [ E1 ] { L.array = lookup(id); L.dim=1; emit(L.addr '=' E.addr); } 

L → L1 [ E ] { L.array = lookup(id); L.dim = L1.dim + 1; emit( L.addr '=' L1.addr '*' L.max[L.dim]); emit( L.addr '=' L.addr '+' E.addr); }
```

Recall Generalized Row/Column Major

Row major: addressing a k-dimension array item (low_i = base = 0)
1-dimension: $A_1 = a_1^*$ width $a_1 = i_1$ 2-dimension: $A_2 = a_2^*$ width $a_2 = a_1^*N_2 + i_2$ 3-dimension: $A_3 = a_3^*$ width $a_3 = a_2^*N_3 + i_3$...
k-dimension: $A_k = a_k^*$ width $a_k = a_{k-1}^*N_k + i_k$

For example:

1-dimension: int x[100]; x[i₁]

2-dimension: int x[100][200]; x[i₁][i₂]

3-dimension: int x[100][200][300]; x[i₁][i₂][i₃]

Processing Boolean Expressions

- Generic boolean expression: a op b
 - ➤ where op can be <, >, >=, ...
 - result is either true or false
- We can encode true and false such that the result is represented by its program location

$$E \rightarrow a < b \equiv if (a < b) goto E.true$$

goto E.false

We can do short circuiting

```
E \rightarrow (a < b) \text{ or } (c < d \text{ and } e < f) \equiv \quad \text{if } (a < b) \text{ goto E.true} \\ \text{goto L1} \\ \text{L1: if } (c < d) \text{ goto L2} \\ \text{goto E.false} \\ \text{L2: if } (e < f) \text{ goto E.true} \\ \text{goto E.false} \\ \text{L3: if } (e < f) \text{ goto E.true} \\ \text{goto E.false} \\ \text{L4: if } (e < f) \text{ goto E.true} \\ \text{goto E.false} \\ \text{L5: if } (e < f) \text{ goto E.true} \\ \text{goto E.false} \\ \text{L6: if } (e < f) \text{ goto E.true} \\ \text{goto E.false} \\ \text{L7: if } (e < f) \text{ goto E.true} \\ \text{goto E.false} \\ \text{L8: if } (e < f) \text{ goto E.true} \\ \text{goto E.false} \\ \text{L8: if } (e < f) \text{ goto E.true} \\ \text{goto E.false} \\ \text{L9: if } (e < f) \text{ goto E.true} \\ \text{goto E.false} \\ \text{L9: if } (e < f) \text{ goto E.true} \\ \text{goto E.false} \\ \text{L9: if } (e < f) \text{ goto E.true} \\ \text{goto E.false} \\ \text{L9: if } (e < f) \text{ goto E.true} \\ \text{goto E.false} \\ \text{L9: if } (e < f) \text{ goto E.true} \\ \text{goto E.false} \\ \text{L9: if } (e < f) \text{ goto E.true} \\ \text{goto E.false} \\ \text{L9: if } (e < f) \text{ goto E.true} \\ \text{goto E.false} \\ \text{L9: if } (e < f) \text{ goto E.true} \\ \text{L9: if } (e < f) \text{ goto E.true} \\ \text{L9: if } (e < f) \text{ goto E.true} \\ \text{L9: if } (e < f) \text{ goto E.true} \\ \text{L9: if } (e < f) \text{ goto E.true} \\ \text{L9: if } (e < f) \text{ goto E.true} \\ \text{L9: if } (e < f) \text{ goto E.true} \\ \text{L9: if } (e < f) \text{ goto E.true} \\ \text{L9: if } (e < f) \text{ goto E.true} \\ \text{L9: if } (e < f) \text{ goto E.true} \\ \text{L9: if } (e < f) \text{ goto E.true} \\ \text{L9: if } (e < f) \text{ goto E.true} \\ \text{L9: if } (e < f) \text{ goto E.true} \\ \text{L9: if } (e < f) \text{ goto E.true} \\ \text{L9: if } (e < f) \text{ goto E.true} \\ \text{L9: if } (e < f) \text{ goto E.true} \\ \text{L9: if } (e < f) \text{ goto E.true} \\ \text{L9: if } (e < f) \text{ goto E.true} \\ \text{L9: if } (e < f) \text{ goto E.true} \\ \text{L9: if } (e < f) \text{ goto E.true} \\ \text{L9: if } (e < f) \text{ goto E.true} \\ \text{L9: if } (e < f) \text{ goto E.true} \\ \text{L9: if } (e < f) \text{ goto E.true} \\ \text{L9: if } (e < f) \text{ goto E.true} \\ \text{L9: if } (e < f) \text{ goto E.true} \\ \text{L9: if } (e < f) \text{ goto E.true} \\ \text{L9: if } (e < f) \text{ goto E.true} \\ \text{L9: if } (e < f) \text{ goto E.true} \\ \text{L9: if } (e < f) \text{ goto E.true} \\ \text{
```

Processing Flow of Control Statements

- We have converted boolean expression flow of control statements
- Flow of control statements
- $S \rightarrow \text{if E then S1} \mid \text{if E then S1 else S2} \mid \text{while E do S1}$
- S has an inherited attribute S.next
 - the address of IR statement after S
- E.true, E.false, S.next are non-L-attributed attributes
 - they depend on the statements that have not been processed yet e.g. what is S1.next?

Syntax Directed Translation

- Translating other attributes as we discussed in semantic analysis phase
- How to handle non-L attributes?
 - > E.true, E.false, S.next
- Solutions: two methods
 - Two pass approach process the code twice
 - Generate labels in the first pass
 - Replace labels with addresses in the second pass
 - One pass approach
 - Generate holes when address is needed but unknown
 - Fill in holes when addresses is known later on
 - Finish code generation in one pass

Two-Pass Based Syntax Directed Translation Scheme

- Attributes for two pass based approach
 - Expression E
 - Synthesized attributes: E.code
 - non-L attributes: E.true, E.false
 - Statement S
 - Synthesized attributes: S.code
 - --- non-L attributes: S.next
- lue Evaluation order: Given grammar rule $lue{A}
 ightarrow RHS$, we need to
 - (1). Evaluate the synthesized attribute of A
 - (2). Evaluate the inherited attributes of RHS
 - Use the synthesized attributes of RHS and inherited attributes of A

Two Pass based Rules

```
S → if E then S1
{ E.true = newlabel;
    E.false = S.next;
    S1.next = S.next;
    S.code = E.code || gen(E.true':') || S1.code; }

E.true:

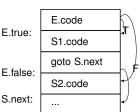
E.true:

S1.code

S1.code

E.false:
(S.next):
...
```

```
S \rightarrow \text{if E then S1 else S2} \\ \{ \text{ S1.next} = \text{S2.next} = \text{S.next}; \\ \text{E.true} = \text{newlabel}; \\ \text{E.false} = \text{newlabel}; \\ \text{S.code} = \text{E.code} \mid\mid \text{gen(E.true':')} \mid\mid \\ \text{S1.code} \mid\mid \text{gen('goto' S.next)} \mid\mid \\ \text{gen(E.false':')} \mid\mid \text{S2.code}; \} \\ \end{cases}
```



More Two Pass based SDT Rules

```
S \rightarrow id1 \text{ relop } id2
                           { E.code=gen('if' id1.place 'relop' id2.place 'goto' E.true) ||
                                      gen('goto' E.false); }
F \rightarrow F1 \text{ or } F2
                           { E1.true = E2.true = E.true:
                              E1.false = newlabel:
                             E2.false = E.false;
                             E.code = E1.code || gen(E1.false ':') || E2.code; }
E \rightarrow E1 and E2
                           { E1.false = E2.false = E.false;
                             E1.true = newlabel:
                             E2.true = E.true;
                             E.code = E1.code || gen(E1.true ':') || E2.code; }
E \rightarrow not E1
                           { E1.true = E.false; E1.false = E.true; E.code = E1.code; }
\mathsf{E} \to \mathsf{true}
                           { E.code = gen('goto' E.true); }
F → false
                           { E.code = gen('goto' E.false); }
```

Problem



■ Write SDT rule (two pass) for the following statement

```
\begin{array}{c} S \rightarrow \text{ while (a<b) do} \\ \text{ if (c<d)} \\ \text{ then S} \\ \text{ endif} \\ \text{ endwhile} \end{array}
```

Backpatching

- If a grammar contains synthesized attributes only, then its IR can be generated in one-pass
 - ... assuming LR/bottom-up parsing
- However, **we know** there are non-L-attributed inherited attributes in modern programs

Solution:

- We generate code using LR, leave holes in the code, record their locations in holelists, and fill in the holes when we know the target addresses
 - holelist is a synthesized attribute, we insert locations of holes to the list
 - All holes can be removed at the end of code generation

One-Pass Based Syntax Directed Translation Scheme

- Attributes for two pass based approach
 - Expression E
 - Synthesized attributes: E.code
 E.holes truelist, and E.holes falselist
 - > Statement S
 - Synthesized attributes: S.code and S.holes_nextlist
- igspace Evaluation order: Given grammar rule f A
 ightarrow RHS, we need to
 - (1). Evaluate the synthesized attribute of A
 - (2). Use the synthesized attributes of RHS
 - (3). Each holes_xxxlist might contain holes, we need process all holes_xxxlist of RHS
 - either pass to A's holes_xxxlist, or backpatch the hole

Backpatching Rules for Boolean Expressions

- 3 functions for implementing backpatching
 - makelist(i) creates a new list with statement index i in the list
 - merge(p1, p2) concentrates list p1 and list p2
 - backpatch(p, i) insert i as target label for each statement in list p

```
\label{eq:energy} \begin{array}{ll} E \rightarrow \text{E1 or M E2} & \{ \text{ backpatch}(\text{E1.holes\_falselist}, \text{ M.quad}); \\ & \text{ E.holes\_truelist} = \text{ merge}(\text{E1.holes\_truelist}, \text{ E2.holes\_truelist}); \\ & \text{ E.holes\_falselist} = \text{ E2.holes\_falselist}; \ \} \\ E \rightarrow \text{E1 and M E2} & \{ \text{ backpatch}(\text{E1.holes\_truelist}, \text{ M.quad}); \\ & \text{ E.holes\_falselist} = \text{ merge}(\text{E1.holes\_falselist}, \text{ E2.holes\_falselist}); \\ & \text{ E.holes\_truelist} = \text{ E2.holes\_truelist}; \ \} \\ M \rightarrow \varepsilon & \{ \text{ M.quad} = \text{nextquad}; \} \\ \end{array}
```

More One Pass SDT Rules

```
E \rightarrow not E1
                           { E.holes truelist = E1.holes falselist;
                              E.holes falselist = E1.holes truelist; }
E \rightarrow (E1)
                           { E.holes truelist = E1.holes truelist;
                              E.holes falselist = E1.holes falselist: }
\mathsf{E} \to \mathsf{id1} \ \mathsf{relop} \ \mathsf{id2}
                           { E.holes truelist = makelist(nextguad);
                              E.holes falselist = makelist(nextguad+1);
                              emit('if' id1.place 'relop' id2.place 'goto ____');
                              emit('goto '); }
E \rightarrow true
                           { E.holes_truelist = makelist(nextquad);
                              emit('goto '); }
E → false
                           { E.holes falselist = makelist(nextquad);
                              emit('goto '); }
```

Backpatching Example

 \blacksquare E \rightarrow (a<b) or M1 (c<d and M2 e<f)

When reducing (a<b) to E1, we have

100: if(a<b) goto ____ 101: goto

 \square When reducing ε to M1, we have

When reducing (c<d) to E2, we have

102: if(c<d) goto ____ 103: goto ____

igspace When reducing arepsilon to M2, we have

When reducing (e<f) to E3, we have 104: if(e<f) goto ____

105: goto ____

E1.hole_truelist=(100)

E1.hole_falselist=(101)

M1.quad = 102

E2.hole_truelist=(102)

E2.hole_falselist=(103)

M2.quad = 104

E3.hole_truelist=(104) E3.hole_falselist=(105)

Backpatching Example (cont.)

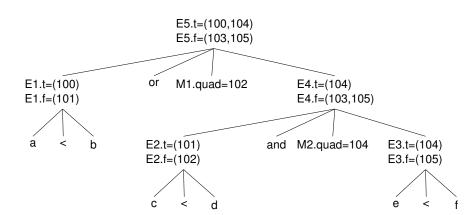
```
When reducing (E2 and M2 E3) to E4, we backpatch((102), 104);
          100: if(a<b) goto
                                        E4.hole truelist=(104)
          101: goto
                                       E4.hole falselist=(103,105)
          102: if(c<d) goto 104
          103: goto
          104: if(e<f) goto ____
          105: goto ____
   When reducing (E1 or M1 E4) to E5, we backpatch((101), 102);
          100: if(a<b) goto
                                       E5.hole truelist=(100, 104)
                                       E5.hole falselist=(103,105)
          101: goto 104
          102: if(c<d) goto 104
          103: goto
          104: if(e<f) goto ____
          105: goto ____
```

Backpatching Example (cont.)

```
When reducing (E2 and M2 E3) to E4, we backpatch((102), 104);
          100: if(a<b) goto
                                        E4.hole truelist=(104)
          101: goto
                                       E4.hole falselist=(103,105)
          102: if(c<d) goto 104
          103: goto
          104: if(e<f) goto ____
          105: goto ____
   When reducing (E1 or M1 E4) to E5, we backpatch((101), 102);
          100: if(a<b) goto
                                       E5.hole truelist=(100, 104)
                                       E5.hole falselist=(103,105)
          101: goto 104
          102: if(c<d) goto 104
          103: goto
          104: if(e<f) goto ____
          105: goto ____
   Are we done?
```

Backpatching Example (cont.)

```
When reducing (E2 and M2 E3) to E4, we backpatch((102), 104);
          100: if(a<b) goto ____
                                       E4.hole truelist=(104)
                                      E4.hole falselist=(103,105)
          101: goto
          102: if(c<d) goto 104
          103: goto
          104: if(e<f) goto ____
          105: goto
   When reducing (E1 or M1 E4) to E5, we backpatch((101), 102);
          100: if(a<b) goto
                                      E5.hole truelist=(100, 104)
                                      E5.hole falselist=(103,105)
          101: goto 104
          102: if(c<d) goto 104
          103: goto
          104: if(e<f) goto
          105: goto ____
Are we done?
     Yes for this expression
```



Problem

Write SDT rule (one pass using backpatching) for the following statement

```
\begin{array}{c} S \rightarrow \text{while E1 do} \\ \text{if E2} \\ \text{then S2} \\ \text{endif} \\ \text{endwhile} \end{array}
```

Solution Hint

Known Attributes Attributes to Evaluate/Process Two E1.code E1.true, E1.false E2.true, E2.false Pass E2.code S2.code S2.next S.next S.code One E1.code, E1.hole truelist S.code E1.hole falselist S.hole nextlist Pass E2.code, E2.hole truelist E2.hole falselist (E1.hole truelist, E1.hole falselist) (E2.hole truelist, E2.hole falselist) S.code, S.hole nextlist