

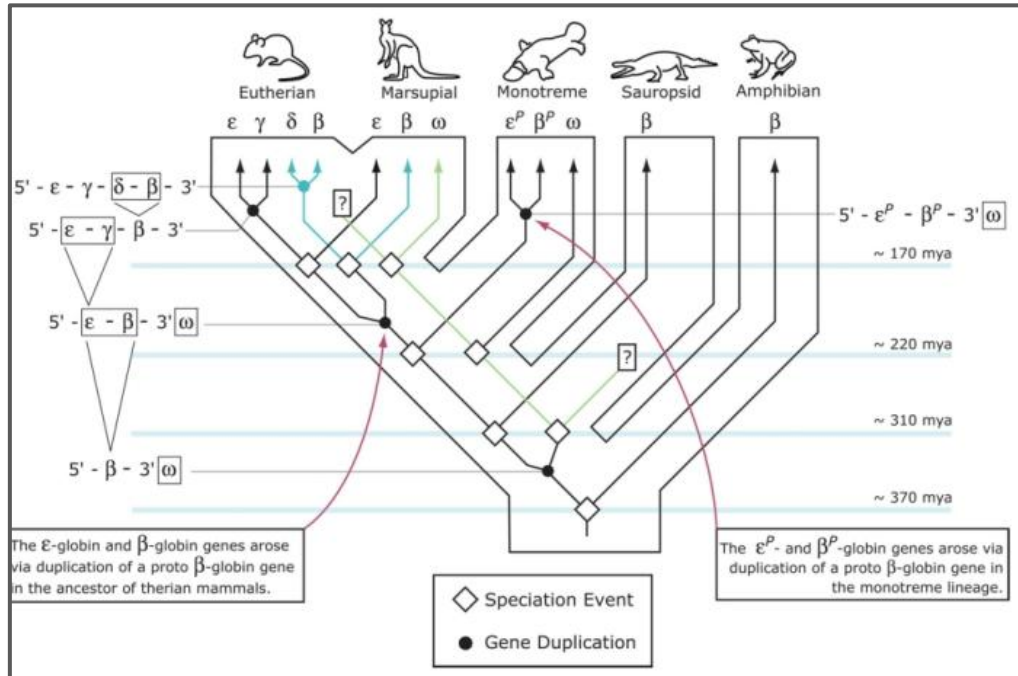
# An introduction to gene families

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# What is a (homologous) gene family?

A gene family **within a group S of species** is a **group of genes** that have evolved from a unique ancestral gene from the **Last Common Ancestor of S**, through **speciation, gene duplication, gene loss, gene transfer**.



**Remark.** This definition occults possible issues with HGT from an unsampled outgroup species.

Genes within a homologous family are assumed to have maintained significant **sequence similarity**, but **also other genomic features**, and often to have **similar or related biological functions**.

# Orthologs, paralogs, xenologs

A gene family is naturally associated to a **gene tree G** that describes their evolution.

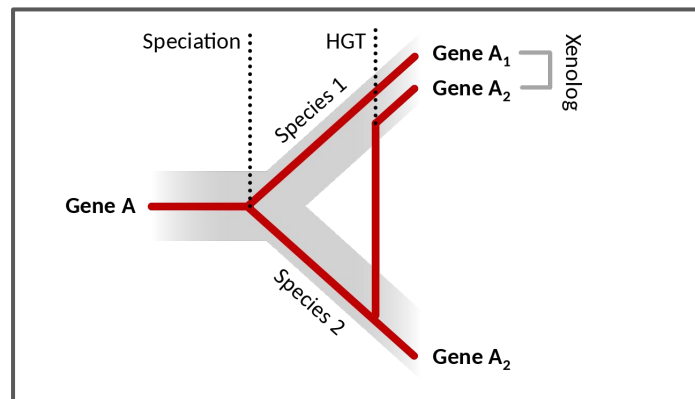
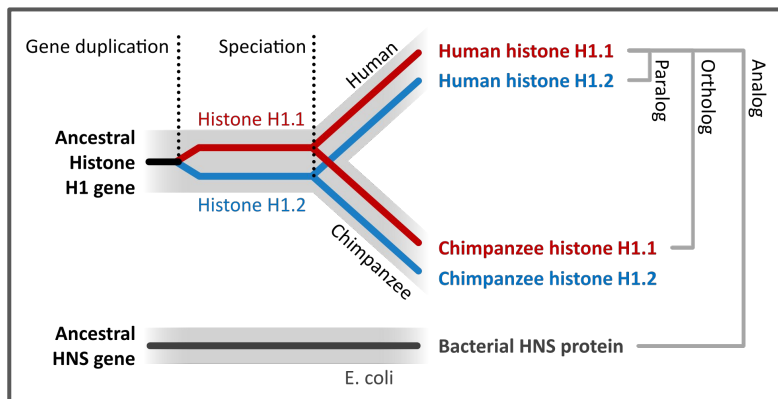
**Orthologs:** pair of genes with no HGT on their path in **G** and whose **LCA** is a **speciation**.

**Paralogs:** pair of genes with no HGT on their path in **G** and whose **LCA** is a **duplication**.

Within the same species: **in-paralogs**, in different species: **out-paralogs**.

**Xenologs:** pair of genes with an HGT on their path in **G**.

[Fitch 2000; Darby, 2017]



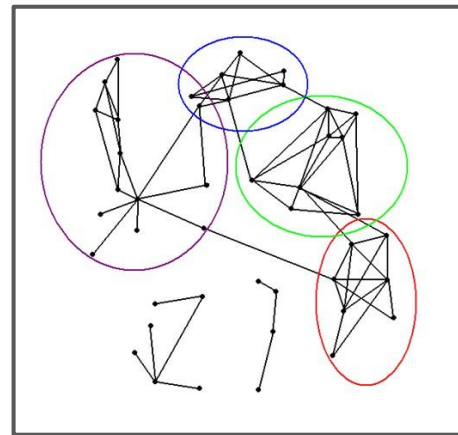
# Computing gene families: a clustering problem

The problem of finding gene families from a set of genomes is often seen as a **graph clustering problem**.

We are given a set of elements (genes of several species), forming the vertices of a graph.

Edges represent some sort of **similarity**.

We want to find groups of genes that are similar between them and sufficiently dissimilar from the other groups (or dense clusters that are weakly linked to other clusters).



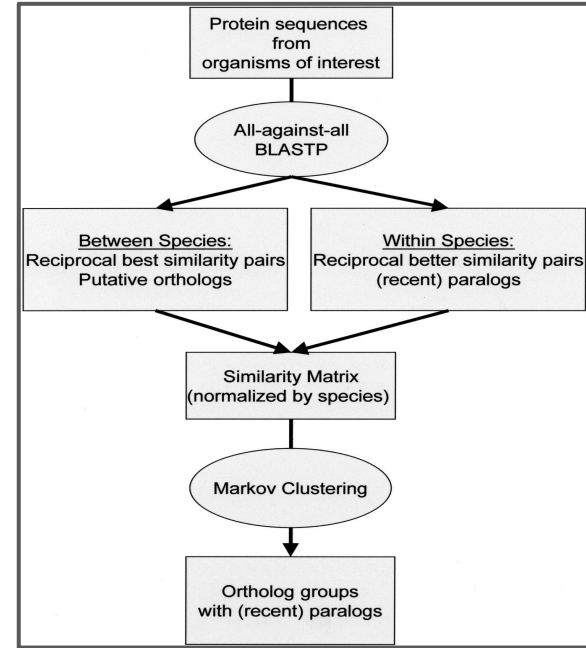
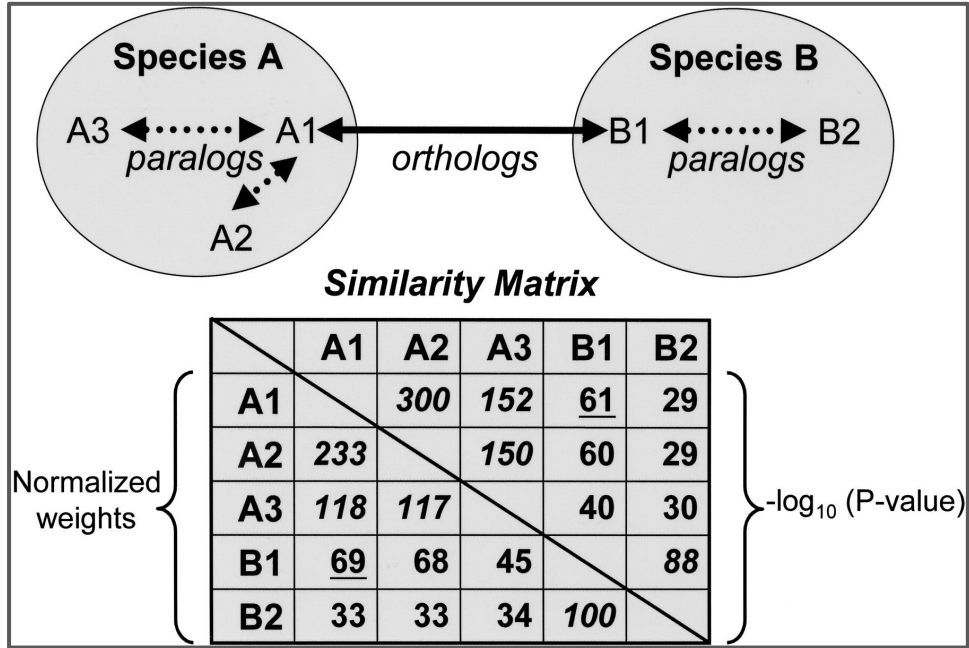
## Questions.

Which similarity signal should we consider?

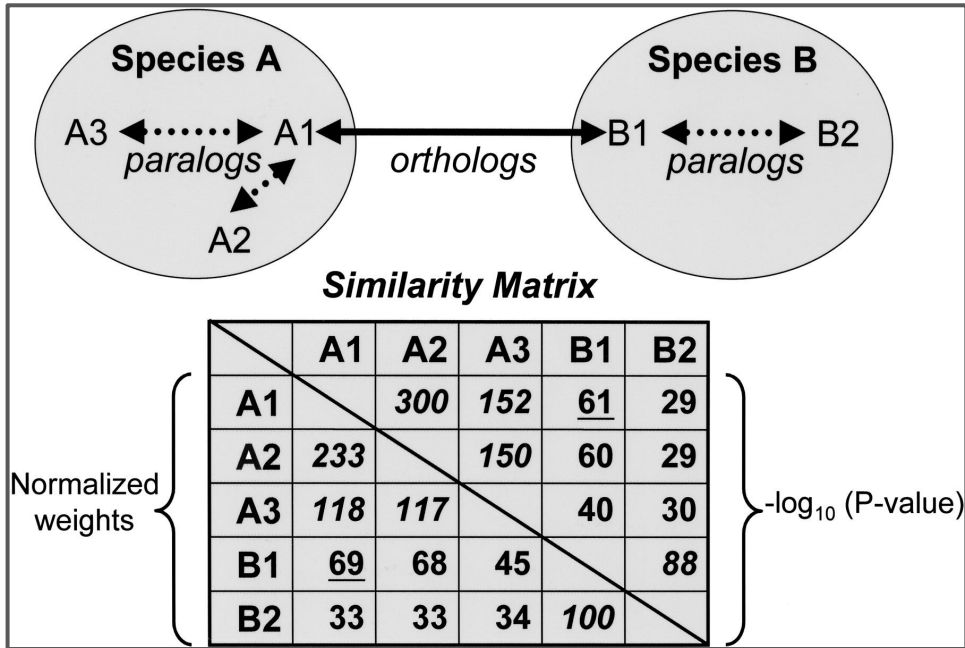
How should we cluster?

Is-there other non-graph representable signal we should consider?

# A sequence-based method: OrthoMCL (Li et al, 2003)



# OrthoMCL: graph construction



**Orthologs:** best-reciprocal hits: A1 best hit of B1 in species A and B1 best hit of A1 in species B.

**In-paralogs:** sequences within the same genome that are (reciprocally) more similar to each other than either is to any sequence from another genome.

**Similarity score:** P-value of the pairwise alignment.

**Normalization:** to account for the high similarity of in-paralogs.

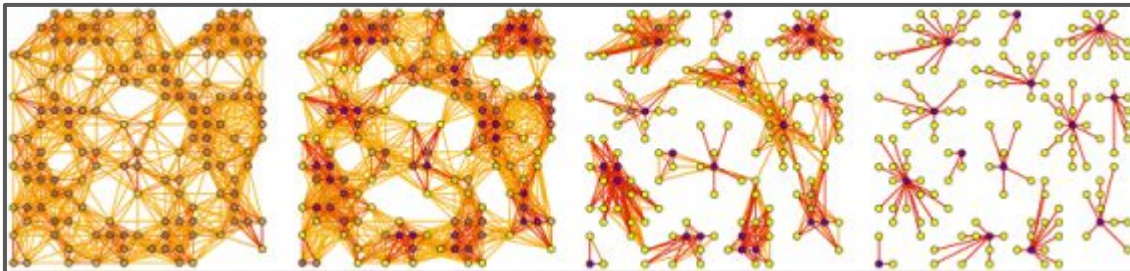
# OrthoMCL: (Markov) clustering

**Principle:** A random walk is initially more likely to stay within a cluster than to leave a cluster. So often visited edges are within clusters and rarely visited edges are between clusters. But this effect tames with the length of the walk.

Input is an undirected graph, power parameter  $e$ , and inflation parameter  $r$ .

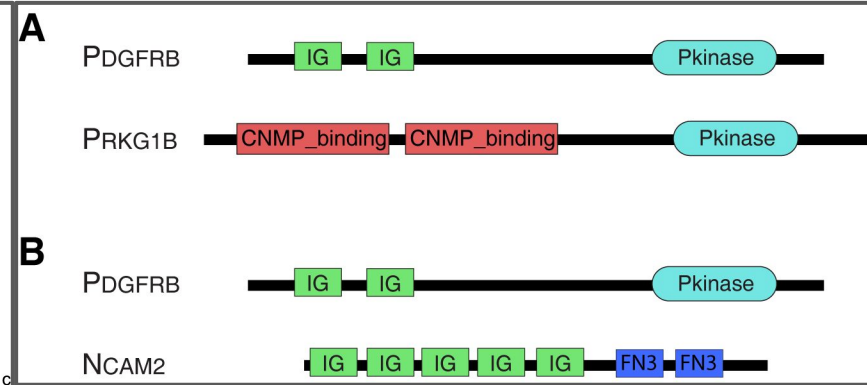
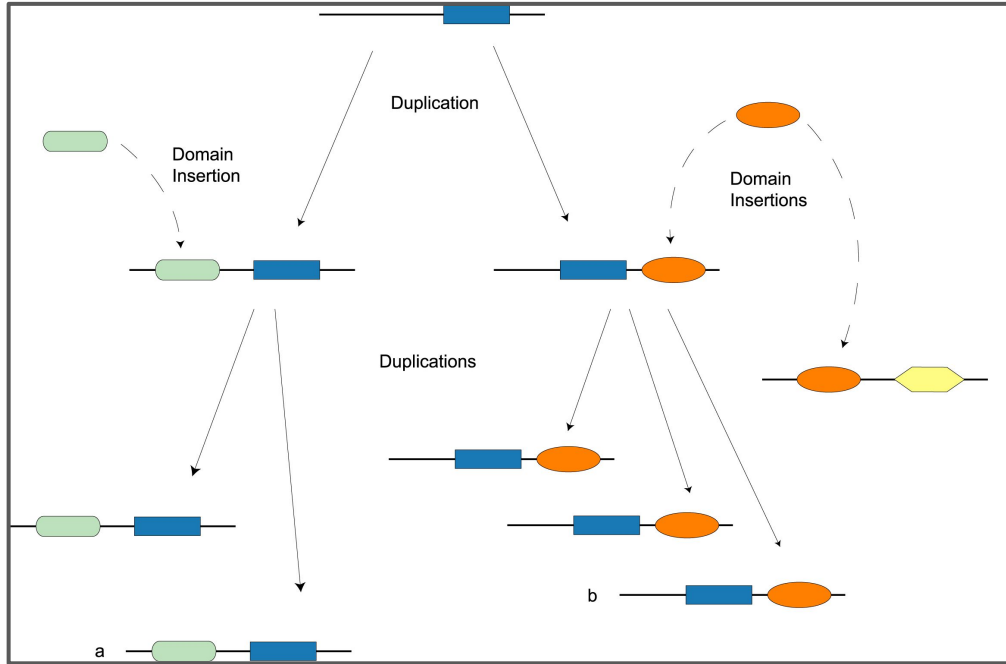
1. Create the associated stochastic matrix
2. Add self loops to each node (optional)
3. Normalize the matrix
4. Expand by taking the  $e$ th power of the matrix (**random walk**)
5. Inflate by taking inflation of the resulting matrix with parameter  $r$
6. Repeat steps 4 and 5 until a steady state is reached (convergence).

**Remark.** A simple principle, but that depends heavily on the inflation parameter  $r$ .



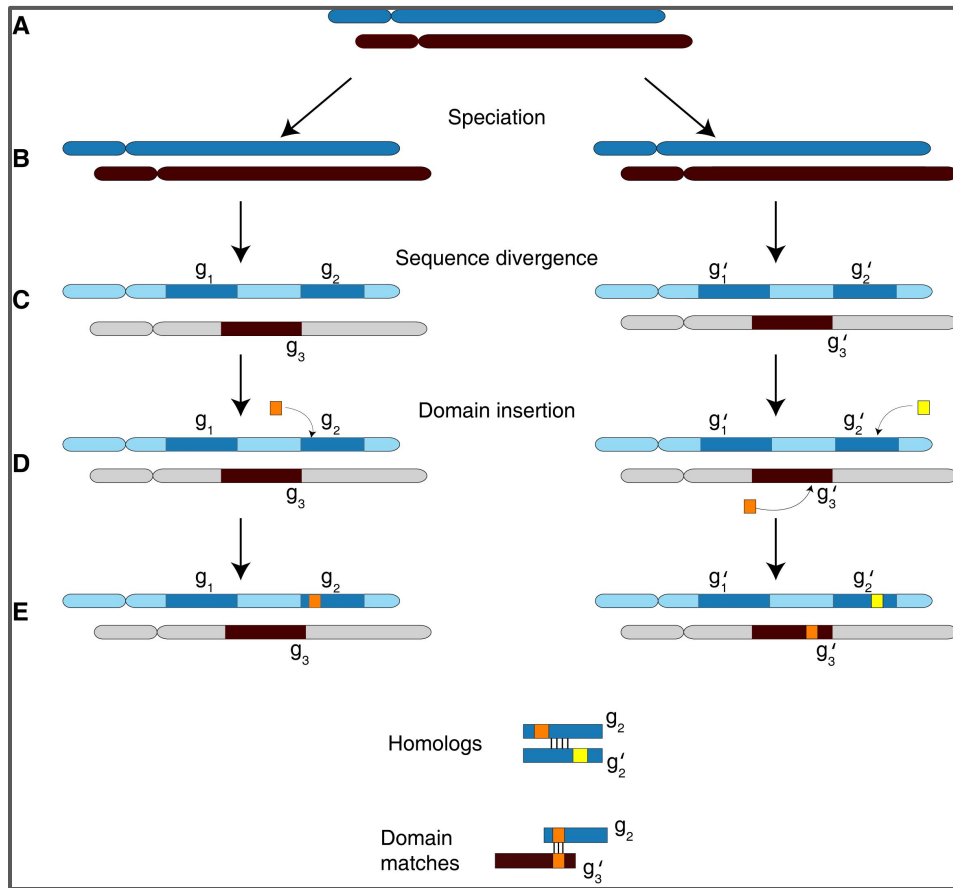
# Neighborhood correlation (Song et al, 2008)

**Motivation:** Multi-domain proteins are ubiquitous, and are quite prone to domain insertion (non-vertical evolution), that can confuse sequence similarity.





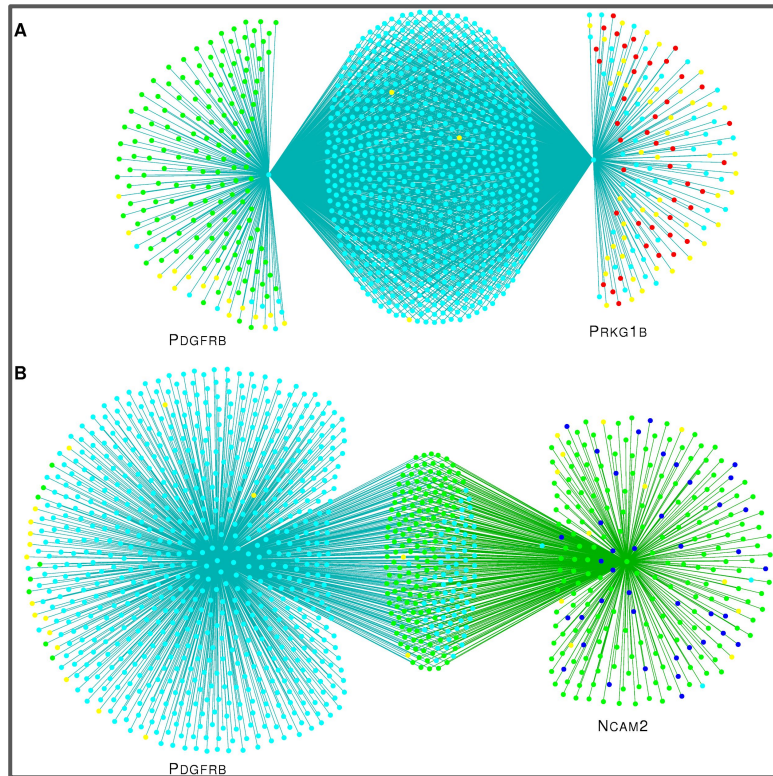
# Homology versus domain-match



Despite comparable sequence similarity, the genomic context ( $g_1$  and  $g_1'$  are clear homologs) suggests that  $g_2$  and  $g_2'$  are homologous, while  $g_2$  and  $g_3'$  are not.

# The Neighborhood Correlation (NC) score

**Idea:** In the sequence similarity graph, true homolog pairs will share a larger number of neighbours (genes that are from the same family) than domain-sharing pairs.

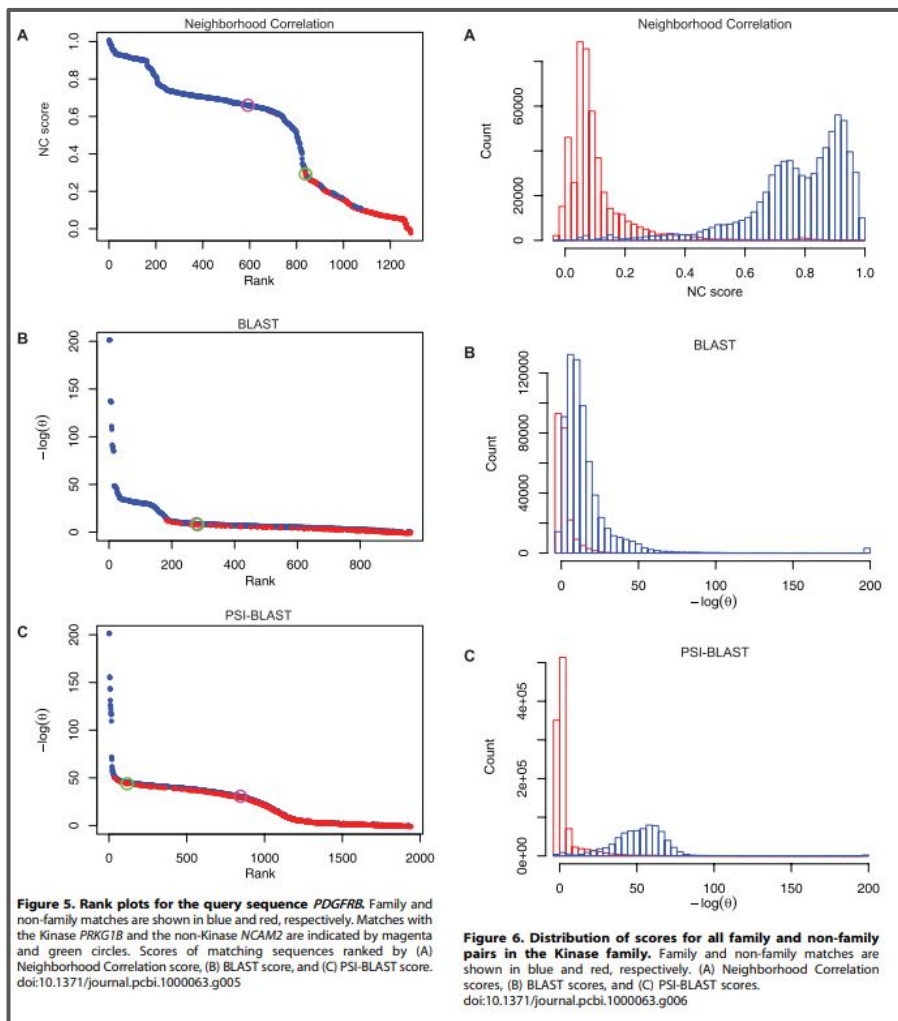


$$NC(x,y) = \frac{\sum_{i \in N} (S(x,i) - \bar{S}(x)) (S(y,i) - \bar{S}(y))}{\sqrt{\sum_{i \in N} (S(x,i) - \bar{S}(x))^2 \sum_{i \in N} (S(y,i) - \bar{S}(y))^2}} \quad (1)$$

where  $S(x,i)$  is the normalized bit score [58] of the optimal local alignment of query sequence  $x$  and database sequence  $i$ ,  $N$  is the number of sequences in the database, and  $\bar{S}(x)$  is the mean of  $S(x,i)$  over all sequences (see Methods). Note that  $NC(x,y)$  increases with the number, weight, and correlation of edges in the shared neighborhoods of  $x$  and  $y$  and decreases with the number and weight of edges in their unique neighborhoods.

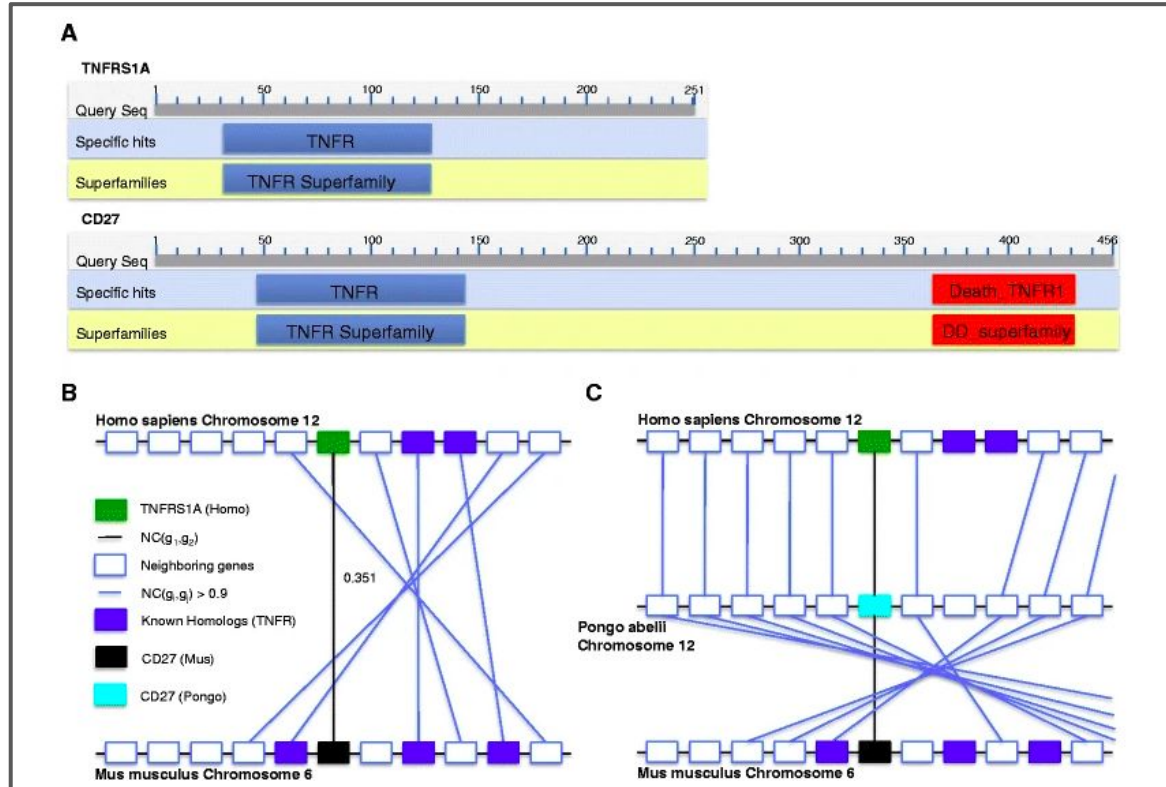
**Clustering:** keep only edges of NC score  $> 0.5$  and take connected components.

# Some results



# GenFamClust (Ali et al, 2013, 2016)

**Principle:** The syntenic context around potential homologs strengthen the sequence similarity signal especially when it is close to the threshold accepted to define homologs.



# GenFamClust: synteny score and correlation

The synteny scores  $SyS(g_1, g_2)$  between genes  $g_1$  and  $g_2$  are computed from NC scores. We define synteny score  $SyS(g_1, g_2)$  between two genes  $g_1$  and  $g_2$  as

$$SyS(g_1, g_2) = \max\{NC(a, b) : a \in n(g_1), b \in n(g_2)\}$$

where  $n(g)$  represents the set of neighbor genes, upstream or downstream of  $g$ , at most at distance  $k$ , on a chromosome or contig. In our previous study [36], we determined that  $k = 5$  is a suitable number of neighbouring genes upstream or downstream to consider for estimating local synteny between genes of Metazoa.

Synten correlation score  $SyC(g_1, g_2)$  between genes  $g_1$  and  $g_2$  is defined as

$$SyC(g_1, g_2) = \frac{\sum_{i \in H} (SyS(g_1, i) - \overline{SyS}(g_1))(SyS(g_2, i) - \overline{SyS}(g_2))}{\sqrt{\sum_{i \in H} (SyS(g_1, i) - \overline{SyS}(g_1))^2 \sum_{i \in H} (SyS(g_2, i) - \overline{SyS}(g_2))^2}}$$

where  $ncHits(g_1) = \{i | i \in Q \cup R, NC(g_1, i) \geq \beta\}$  and  $H = ncHits(g_1) \cap ncHits(g_2)$ .

We use a heuristic decision boundary  $h(g_1, g_2)$  for a gene pair  $(g_1, g_2)$  as

$$h(g_1, g_2) = NC(g_1, g_2)^2 + 0.25 * SyC(g_1, g_2)^2 - 0.25$$

where a positive value for  $h(g_1, g_2)$  indicates that  $g_1$  and  $g_2$  are homologous, otherwise  $g_1$  and  $g_2$  are classified as non-homologous. This decision boundary was determined and

R = reference dataset for which homology has already been computed (Q, query dataset if no reference is available).

Clustering is done using single linkage clustering.

# SynFuse (Forteza, 2017): correcting gene families

## Motivation:

- ❑ All the methods for inferring homologous gene families rely essentially on parameterized clustering algorithms, applied to a graph where potential homology has been reduced to a single weight, with no post-processing of the results.
- ❑ On the *Anopheles* dataset, we can observe that there are many OrthoDB small families, that are likely the result of splitting true, larger, families.

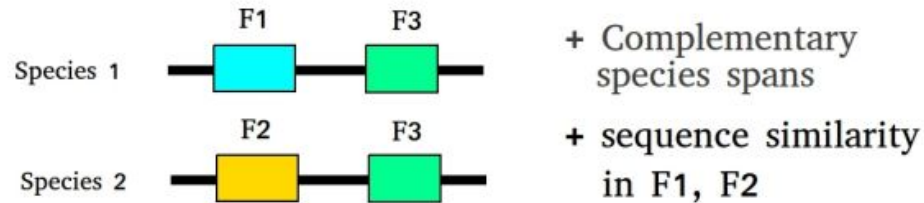
Our goal is to design a method that will address this specific error in gene families results.

## Principle:

- ❑ Identify candidate gene family pairs that show some signal that they might result from a wrong split of a single family, using synteny as the main signal, complemented by sequence similarity and phylogenetics.
- ❑ Design a *fusion score/test* that tells us if we accept to join both families into a single larger one.

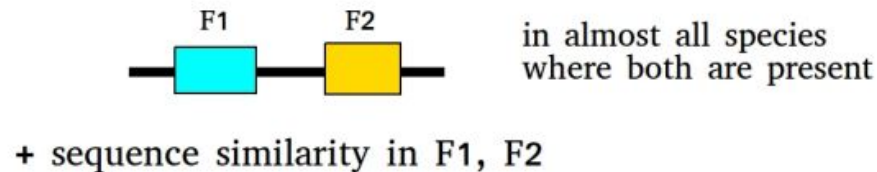
# SynFuse: candidates

## Shared neighbor candidates



e.g.  $F_1$  is present in species A, B, and  $F_2$  is in all species but A, B.

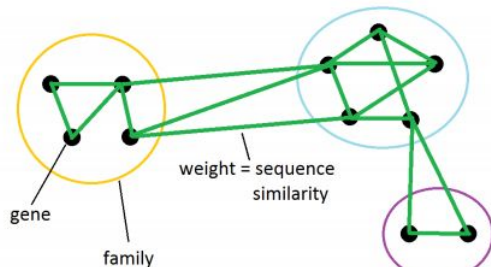
## Tandem duplicates





# SynFuse: fusion score

**Silhouette** examines the internal features of clusters. It compares cohesion and separation of clusters.



For a vertex  $x_i$ , the silhouette coefficient,  $s_i$ , is defined as

$$s_i = \frac{a_i - b_i}{\max(a_i, b_i)}$$

$a_i$  = average score between  $x_i$  and vertices in the same cluster.

$b_i$  = maximum average score between  $x_i$  and vertices of other clusters.

For a candidate pair (F1,F2), compute

- the sum of the silhouettes of genes in F1 and in F2, divided by  $|F1|+|F2|$ , denoted by  $s$ ,
- the weighted average silhouette of the genes in  $F1 \cup F2$ , denoted by  $s_{12}$ .

$$\text{FusionScore}(F1,F2) = s_{12} - s$$



# SynFuse: fusion test

Now, we have a fusion score for a given candidate.

How do we decide if this fusion score is good enough to join F1 and F2?

As we consider many candidate pairs, we face the issue of **Multiple Hypothesis Tests**: if we only set a threshold, we know that by considering an increasing number of candidate pairs, we will find some to fuse (False Positives, FP). So we want to control this rate of FP.

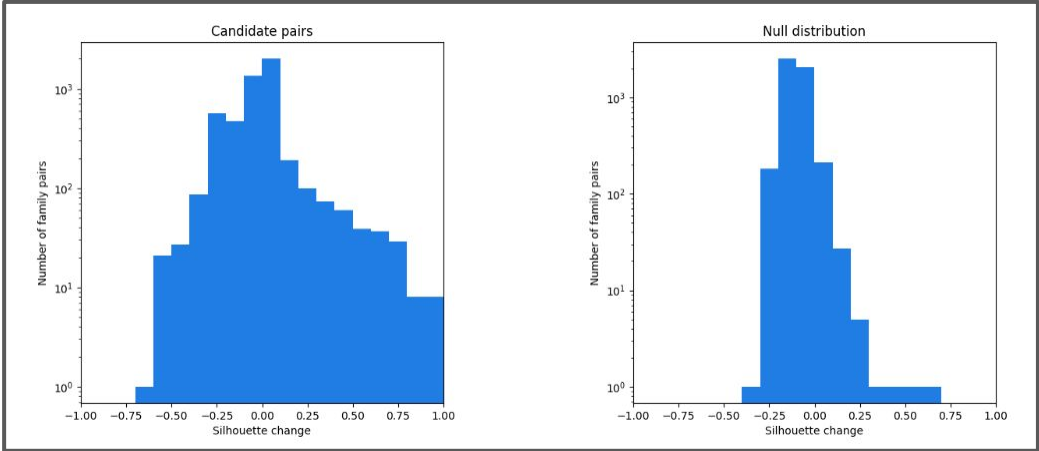
We use a **False Discovery Rate (FDR)** approach:

FDR gives the probability that a score higher than some threshold can be found randomly under a provided **null hypothesis distribution**.

For a threshold  $t$ , define  $s_b$  to be the number of observed data (silhouette change in candidate pairs) with a score above  $t$ , and  $s_n$  to be the number of null data with higher scores than  $t$ . We define  $FDR = s_n / s_b$ .

**Null hypothesis**: shuffle inter-clusters edges and shuffle intra-clusters edge weights.

# SynFuse: results

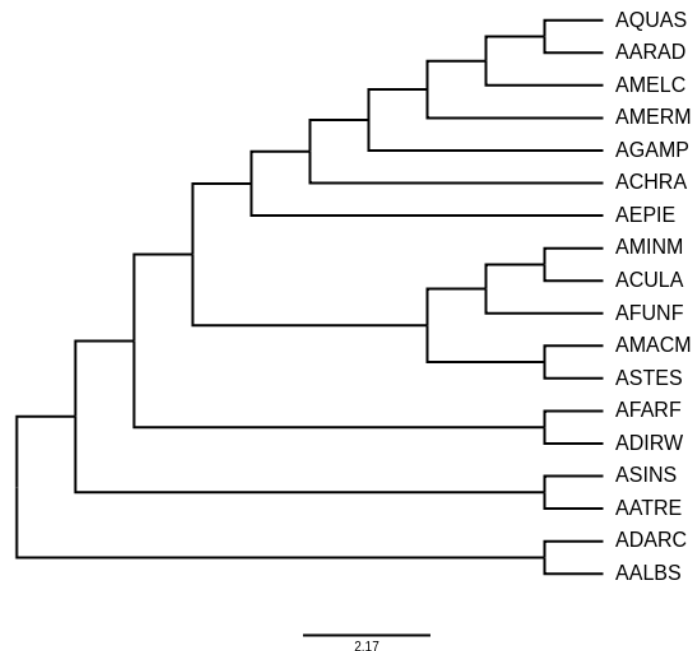


FDR (%)	t	#shared nbrs	#tandem dups	#total
1	0.264	40	371	411
2	0.163	42	478	520
3	0.116	44	538	582
4	0.103	45	561	606
5	0.098	46	568	614
6	0.086	47	588	635
7	0.077	47	600	647
8	0.062	49	633	682
9	-0.022	95	2299	2394
10	-0.035	100	2432	2532

# SynFuse: example MZ22528769,MZ22508297

ACULA	AXCM01016875	<b>MZ22528769</b>
ACULA	KI422741	<b>MZ22528769</b>
AFUNF	KB669281	<b>MZ22528769</b>

AALBS	KB672435	<b>MZ22508297</b>
AARAD	KB704596	<b>MZ22508297</b>
AATRE	KI421900	<b>MZ22508297</b>
ACHRA	KB680646	<b>MZ22508297</b>
ADARC	scaffold_224	<b>MZ22508297</b>
ADIRW	KB672880	<b>MZ22508297</b>
AEPIE	KB670636	<b>MZ22508297</b>
AFARF	KI421558	<b>MZ22508297</b>
AGAMP	3R	<b>MZ22508297</b>
AMACU	KI433519	<b>MZ22508297</b>
AMINM	KB663722	<b>MZ22508297</b>
AQUAS	KB666365	<b>MZ22508297</b>
ASINS	KI397843	<b>MZ22508297</b>
ASTES	KB664514	<b>MZ22508297</b>



# SynFuse: example

ACULA	KI422741	MZ22528769	ACUA021098	-	10	11927
ACULA	KI422741	MZ22518448	ACUA013350	+	30670	31553
AFUNF	KB669281	MZ22518448	AFUN003124	-	53423	54308
AFUNF	KB669281	MZ22528769	AFUN003125	+	79730	89714
AARAD	KB704596	MZ22518448	AARA014622	-	1602845	1603717
AARAD	KB704596	MZ22508297	AARA007168	+	1606383	1653782
AATRE	KI421900	MZ22518448	AATE002235	-	778705	779590
AATRE	KI421900	MZ22508297	AATE000430	+	801980	803622

...

Sequence similarity (NC score):

AARA007168	ACUA021098	0.30063245
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...

Silhouette improvement:

#F1	F2	edges	s1	s2	s12	s	d
MZ22528769	MZ22508297	20	0.611647	0.217636	0.920092	0.287167	0.632925

# SynFuse: example

ACULA	KI422741	<b>MZ22528769</b>	ACUA021098	-	10	11927
AARAD	KB704596	<b>MZ22508297</b>	AARA007168	+	1606383	1653782
Sequence similarity (NC score): AARA007168			ACUA021098		0.30063245	

AARA007168	1	-----	0
ACUA021098	1	ATGTGCGAAATCAACAGATCCGCCGGGCAACGTTCTGCTGTACGATGCTC	50
AARA007168	1	-----	0
ACUA021098	51	TCAAGGACTAGACGTAAACAGTAGGTTGGCGTTCATTGCTATTTGCCA	100
AARA007168	1	-----ATGGCTATA--GCCCAA--GCACATCCAC--CAAATGGT	33
ACUA021098	101	TGTGCTCGGTATGCG-ACACGGCAACAATCGCA-ATACACTAACAAACGCG	148
AARA007168	34	GCTCGTGCGCGGTAACCTCGAACGCGCCGAATGTGCCGAAATCGGAAT	83
ACUA021098	149	GTTTCG-GCTGCGGTAACCTCGAACGCGCCGAATGTGCCGAAATTTGGAAT	197
AARA007168	84	GAGCATGCTTGATCAAGGTGGTTCGTAAGCTGATGCGGCTATCGCTACGC	133
ACUA021098	198	GAGAATGCTTGATCAAGGTGGTTCGCGGCGCATGCGGCTATCGCGACCC	247
AARA007168	134	TGTTATGTGAAGGCGTTTCAATTTCCAGAGTATGGGTATCGGCGGTGGA	183
ACUA021098	248	TGTTCTGTGAAGGTGTTTCGATCCACAGAGTATGGGTATCGGTGGTGA	297
AARA007168	184	TTCTACTGACCATCTATAACAAGGCTCGGCGCATCGTAGAGTCTTTGGA	233
ACUA021098	298	TTTGTGTGACCATCTACAAAGGATCGGGTATCGTAGAGTATTGGA	347
AARA007168	234	CTCGCGAGAGGTGCTCGGCTCGAGCGCACTAAAAATATGTACGTCGGAA	283
ACUA021098	348	CTCGAGAGAGGTTGCTCCAGAGGCTGGCACCACAAAACATGTACGTCGGAA	397
AARA007168	284	ATGGCAAGCTGCATTGAAGTGGACTATCGATTGCCGTTCTCGGGGAA	333
ACUA021098	398	ACGGTAAGGACGCATCGAAGGTGGTTTATCGATTGCTGTTCCGGGAGAA	447
AARA007168	334	CTCAAGGGCTACTGGGAGTTGCTCAAAAGTATGGCAATGCCATGGAA	383
ACUA021098	448	GTCAAGGGCTATTGGGAGCTACATCAG-----	474
AARA007168	384	AAAGTTAGTTGAACGACGATCACTTTGTGTACCAAGGGTCTCTGGTGA	433
ACUA021098	475	-----	474
AARA007168	434	CAGATTATTTGGAGAAAAATTTGTCTCGCAAGAAGTCGTCACTTTATCG	483
ACUA021098	475	-----	474

The other ACULA gene from family **MZ22528769** is at the end of a short single-gene contig.

We can make the hypothesis that in both cases, the suffix of the gene was not assembled, resulting in clustering the incomplete genes as a separate family.

**Question:** could-we use this “signal” to try to improve the assembly by finding some contigs whose extremity contains the missing genes suffix?

# SynFuse: potential?

The general principle to try to correct a set of homologous gene families using synteny, sequence similarity and phylogenetics to detect pairs is likely sound.

The statistical approach can be discussed. It might be an overkill to go through a large number of silhouette computations. Moreover, computing the thresholds linked to a chosen FDR requires also a lot of computation time.

The fusion of tandem duplicate families: is-it a good idea?

Actually, is the silhouette based approach the good one? Could we consider other (more local) features of a fused family that tells us it was good decision to fuse a candidate pair? For example how would the Multiple Sequence Alignment (MSA) of  $F1 \cup F2$  would look like compared to the MSAs of  $F1$  and  $F2$ ?

# Conclusion

- ❑ Gene family are defined in a multi-faceted way, including signal from sequence similarity, syntenic context, species coverage, phylogenetics.
- ❑ Most method rely on a pure clustering approach where a subset of these facets are abstracted into a single edge weight and are highly parameterized and threshold-based.
- ❑ There is likely room for improvement, especially for post-processing the clustering from one (or several) method(s) accounting for the signals for homology that have not been considered in the graph construction step.