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# 06-Solutions

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## 1 Solutions

```
In [2]: import numpy as np
        from pylab import *
        from matplotlib import pyplot as plt
```

### 1.1 Solution 1.1 : Starting Matplotlib

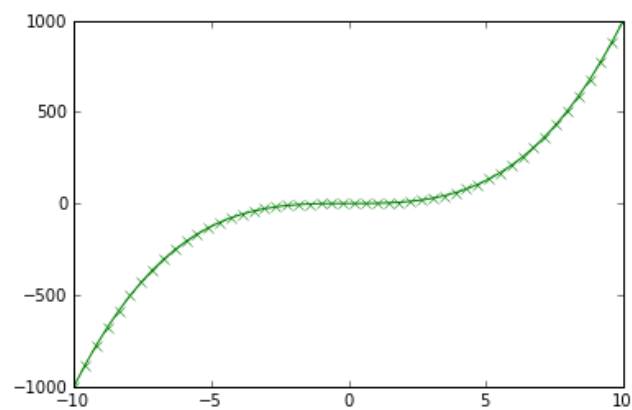
#### Part 1

See presented material.

#### Part 2

```
In [4]: x = np.linspace(-10, 10)
        y = x**3
        plot(x, y, 'gx-')
```

Out [4]: [<matplotlib.lines.Line2D at 0x10fd538d0>]

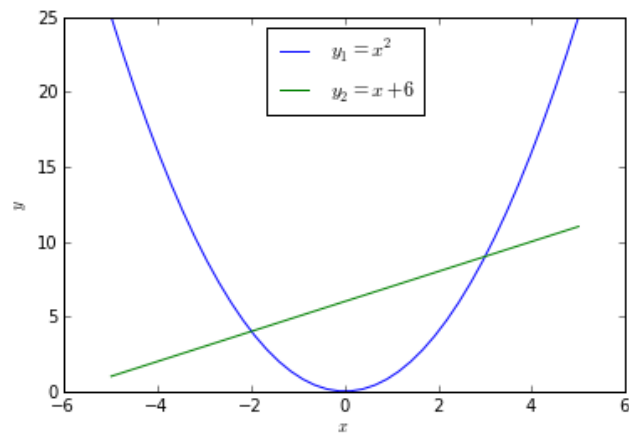


### 1.2 Solution 1.2 : Plot layout and saving

#### Part 1

```
In [5]: from matplotlib import pyplot as plt
```

```
x = np.linspace(-5, 5, 40)
y = x**2
fig, axis = plt.subplots(1)
axis.plot(x, y, label='$y_1 = x^2$')
axis.plot(x, x + 6, label='$y_2 = x + 6$')
axis.legend(loc='upper center')
axis.set_xlabel('$x$')
axis.set_ylabel('$y$')
fig.savefig('data/ex_1.2.pdf')
```



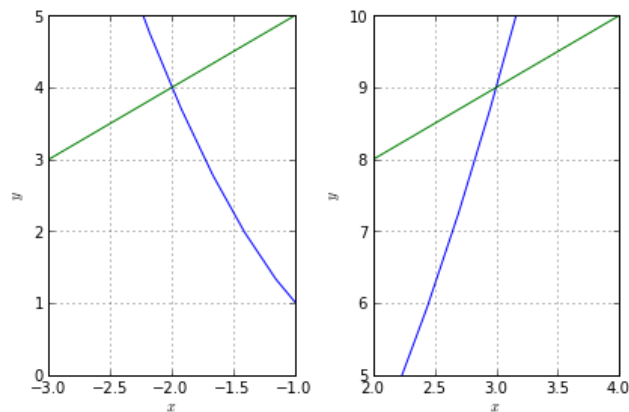
## Part 2

```
In [6]: fig, axes = plt.subplots(1, 2)

# [(xlim, ylim), ...]
regions = [((-3, -1), (0, 5)),
           ((2, 4), (5, 10))]

for axis, (xlim, ylim) in zip(axes, regions):
    axis.plot(x, y)
    axis.plot(x, x + 6)
    axis.set_xlim(xlim)
    axis.set_ylim(ylim)
    axis.set_xlabel('$x$')
    axis.set_ylabel('$y$')
    axis.grid()

fig.tight_layout()
```



The plots indicate intersections at  $x = -2$  and  $x = 3$ , consistent with  $y = (x + 2)(x - 3) = x^2 - x - 6$ .

### 1.3 Solution 1.3 : Plotting 2D data

```
In [7]: # From the Exercise
from scipy.stats import norm

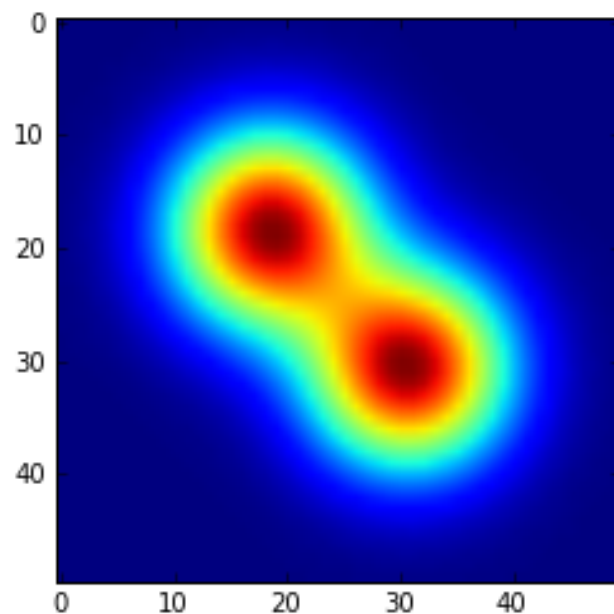
def f(a, x):
    y = norm(loc=a).pdf(x)
    Y = np.reshape(y, (1, len(y)))
    return Y.T * Y

x = np.linspace(-4, 4, 50)
Z = f(-1, x) + f(1, x)
```

#### Part 1

```
In [8]: plt.imshow(Z)
```

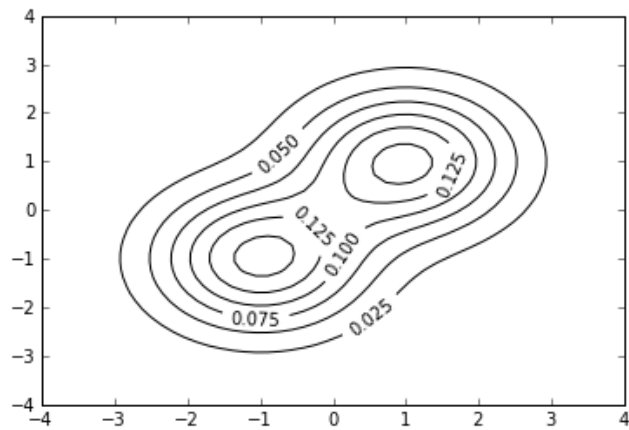
```
Out [8]: <matplotlib.image.AxesImage at 0x10fd236d0>
```



#### Part 2

```
In [9]: fig, ax = plt.subplots()
X, Y = np.meshgrid(x, x)
p = ax.contour(X, Y, Z, colors='k')
ax.clabel(p)
```

```
Out [9]: <a list of 6 text.Text objects>
```



### Part 3

In [10]: imshow?

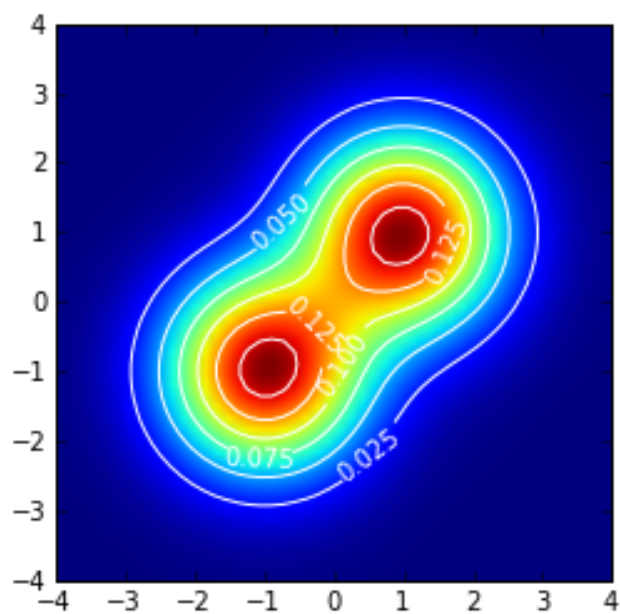
```
In [13]: fig, ax = plt.subplots()

# Flip Z vertically
Z_vflip = Z[:, ::-1]
ax.imshow(Z_vflip, extent=[x[0], x[-1], x[0], x[-1]])

# Alternatively this will use the lower-left corner as the image origin
# ax.imshow(Z, origin='lower', extent=[x[0], x[-1], x[0], x[-1]])

X, Y = np.meshgrid(x, x)
p = ax.contour(X, Y, Z, colors='w')
ax.clabel(p)
```

Out [13]: <a list of 6 text.Text objects>



## 1.4 Solution 2.1 : Numpy arrays

### Part 1

```
In [14]: print np.arange(20) + 1      # 1.
          print np.arange(0, 30, 3)    # 2.
          print np.linspace(0, 1, 8)   # 3.
          n = np.arange(10) + 1        #
          print 2*n + n**2              # 4.

[ 1  2  3  4  5  6  7  8  9 10 11 12 13 14 15 16 17 18 19 20]
[ 0  3  6  9 12 15 18 21 24 27]
[ 0.          0.14285714  0.28571429  0.42857143  0.57142857
 0.71428571
 0.85714286  1.          ]
[  3   8  15  24  35  48  63  80  99 120]
```

### Part 2. Broadcasting

```
In [8]: A = np.arange(1, 9)
        A = A.reshape(2,4)
        print A
```

```
[[1 2 3 4]
 [5 6 7 8]]
```

```
In [9]: B = np.array([1,2])
        print B
```

```
[1 2]
```

```
In [10]: print A + B.reshape((2,1))
```

```
[[ 2  3  4  5]
 [ 7  8  9 10]]
```

## 1.5 Solution 2.2 : trapezoidal integration

### Part 1

```
In [11]: x = np.linspace(0, 3, 10)
        y = x**2
```

### Part 2

```
In [12]: y[1:] + y[:-1]
```

```
Out [12]: array([ 0.11111111,  0.55555556,  1.44444444,  2.77777778,
                  4.55555556,  6.77777778,  9.44444444, 12.55555556,
                  16.11111111])
```

### Part 3

```
In [22]: def trapz(x, y):  
         dx = x[1:] - x[:-1]  
         dy = y[1:] + y[:-1]  
         return np.sum(dx * dy) / 2
```

### Part 4

```
In [23]: trapz(x, y)
```

```
Out [23]: 9.0555555555555554
```

### Part 5 (extension)

```
In [15]: # Solution 2.2.5  
import scipy.integrate  
  
scipy.integrate.trapz(y, x)
```

```
Out [15]: 9.0555555555555554
```

## 1.6 Solution 3 : Creating NetCDF

### Part 1

```
In [16]: from netcdftime import num2date, date2num  
         from datetime import datetime, timedelta  
  
         dates = []  
         units = 'seconds since 2013-03-19 00:00:00'  
         dt = datetime(2013, 3, 19, 0, 0, 0)  
         while dt < datetime(2013, 3, 19, 12, 0, 0):  
             dt = dt + timedelta(minutes=5)  
             dates.append(dt)  
  
         times = date2num(dates, units=units)  
         print num2date(times[:5], units)  
         print num2date(times[-5:], units)  
  
[2013-03-19 00:05:00 2013-03-19 00:10:00 2013-03-19 00:15:00  
 2013-03-19 00:20:00 2013-03-19 00:25:00]  
[2013-03-19 11:40:00 2013-03-19 11:45:00 2013-03-19 11:50:00  
 2013-03-19 11:55:00 2013-03-19 12:00:00]
```

### Part 2

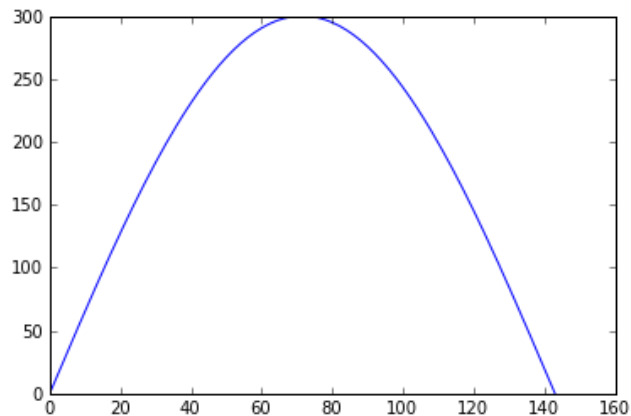
```
In [25]: ! rm data/ex5.nc
```

```
In [26]: from netCDF4 import Dataset  
  
# 1.
```

```
d = Dataset('data/ex5.nc', 'w', format='NETCDF4_CLASSIC')
time_d = d.createDimension('time', len(times))
time_v = d.createVariable('time', np.int32, ('time', ))
o3_v = d.createVariable('o3', np.float64, ('time', ))
```

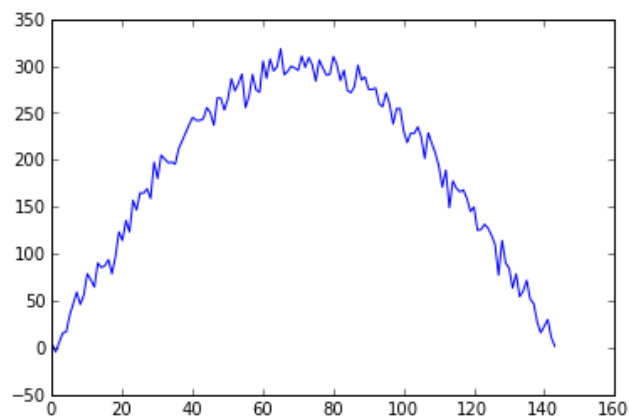
```
In [27]: # 2.
o3_v[:] = sin(np.linspace(0, pi, len(times))) * 300
plot(o3_v)
```

Out [27]: [matplotlib.lines.Line2D at 0x104a8d290]



```
In [28]: # 3.
o3_v[:] = o3_v + np.random.normal(size=len(times)) * 10
plot(o3_v)
```

Out [28]: [matplotlib.lines.Line2D at 0x104b2a890]



## 1.7 Solution 4.1 : Converting PP files to NetCDF

### Part 1

```
In [89]: import cf
from glob import glob

pp_files = glob('data/aatzja.pm90*.pp')
datasets = [cf.read(f) for f in pp_files]
fields = [d.select('cloud_area_fraction') for d in datasets]
```

## Part 2

```
In [90]: cloud_agg = cf.aggregate(fields)
print cloud_agg

cloud_area_fraction field summary
-----
Data          : cloud_area_fraction(time(12), latitude(73),
longitude(96)) 1
Cell methods   : time: mean
Dimensions     : time(12) = [1890-01-16 00:00:00, ..., 1890-12-16
00:00:00] 360_day
                  : latitude(73) = [90.0, ..., -90.0] degrees_north
                  : longitude(96) = [0.0, ..., 356.25] degrees_east
```

## Part 3

```
In [91]: cf.write(cloud_agg, 'data/ex_4.1.nc')
```

```
In []: %%sh
ncdump -h data/ex_4.1.nc
```

## 1.8 Solution 4.2 : Averaging and plotting gridded data

### Part 1

```
In [92]: %%sh
cdo zonmean data/ex_4.1.nc data/ex_4.1_zmean.nc

cdo zonmean: Processed 84096 values from 1 variable over 12 timesteps
( 0.00s )
```

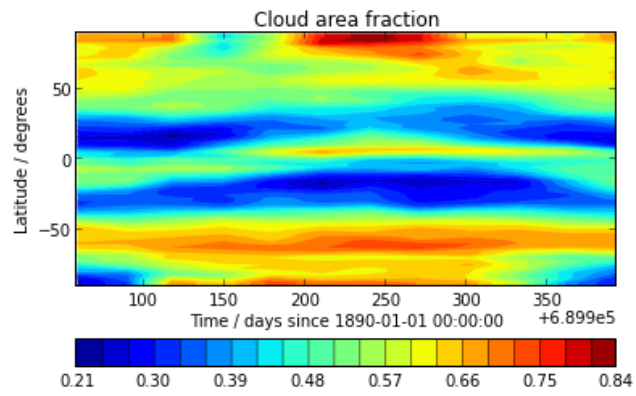
### Part 2

```
In [96]: import iris
from iris import quickplot as qplt

cloud_zmean = iris.load_cube('data/ex_4.1_zmean.nc')
qplt.contourf(cloud_zmean[:, :, 0], 20)
```

```
Out [96]: <matplotlib.contour.QuadContourSet instance at 0xb2bb3f8>
```





In []: