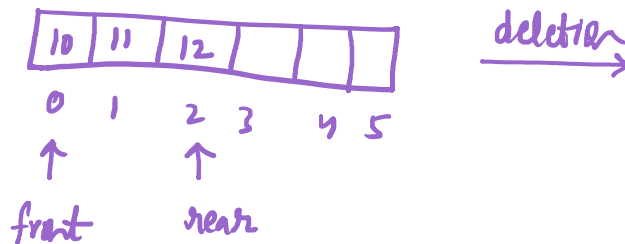
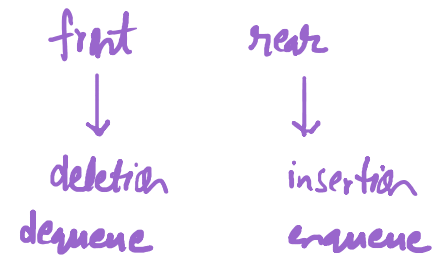
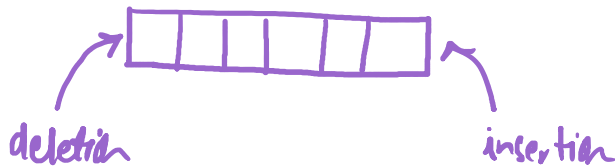
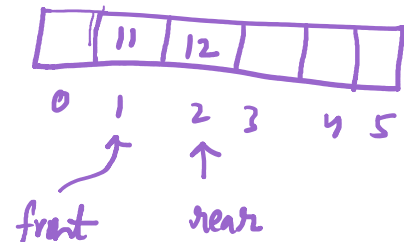


Queue :- FIFO (first in first out)

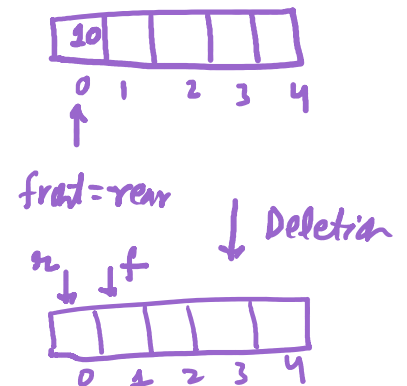
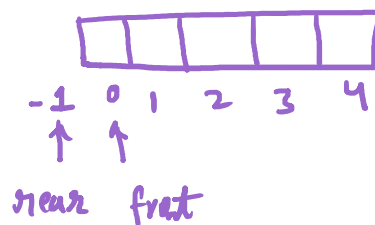
Linear Data Structure in which insertion & deletion are performed at two different ends.



deletion →



Initialization :-



$$\# \text{ elements in queue} = \text{rear} - \text{front} + 1$$

Insertion / Enqueue (x)

```
if (rear == n-1)
    print "Overflow. Queue is full";
    return;
q[++rear] = x;
```

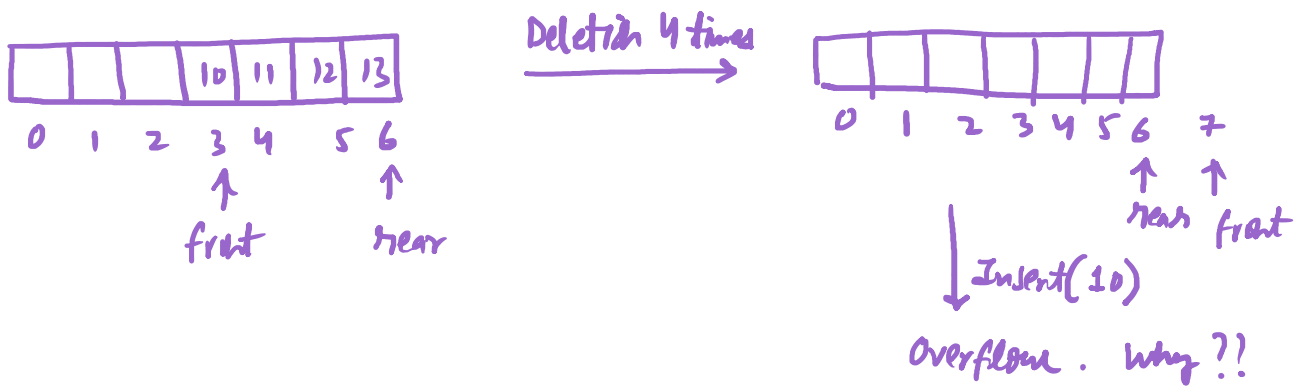
Deletion / Dequeue ()

```
if (front > rear)
    print "Under flow. Queue is empty";
    return q[front++];
```



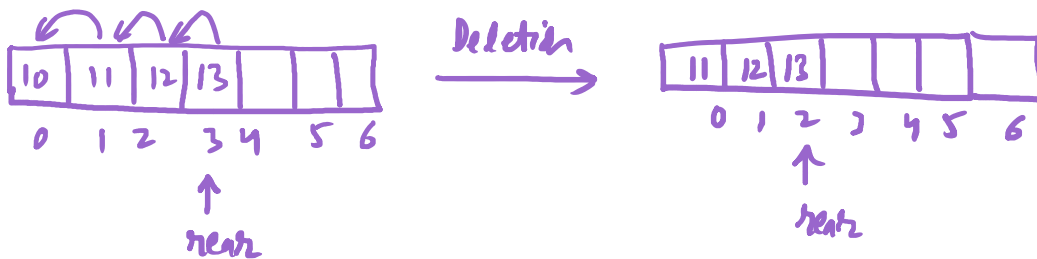
Deletion 4 times





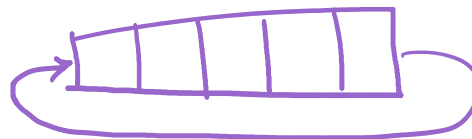
How to resolve this issue?

1) For deletion don't use front

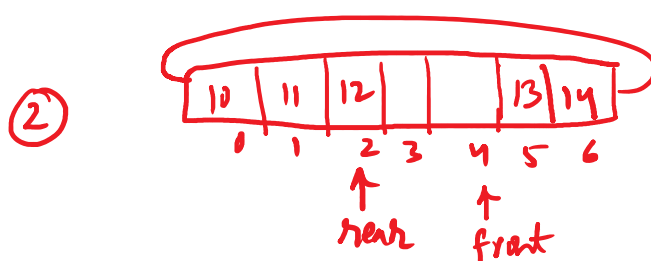
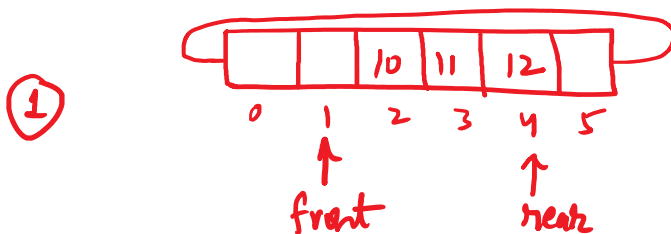


Problem: Time Complexity for deletion is  $O(n)$ .

2) Moving circularly



Circular Queue:-

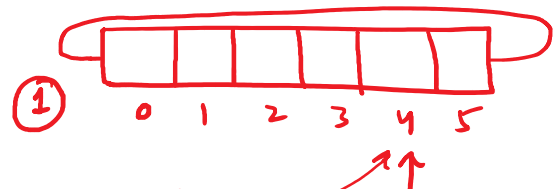


Initialization:-

$\text{front} = \text{rear} = n - 1$  ✓

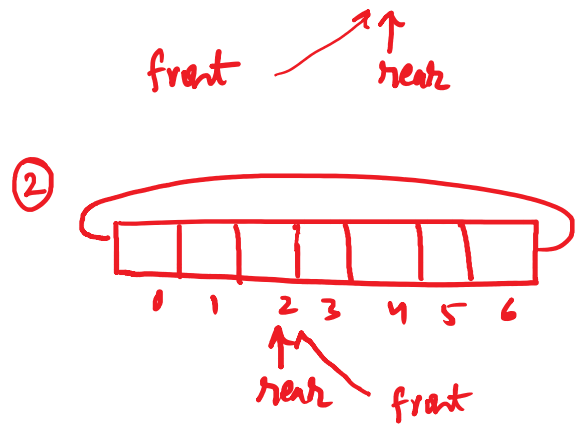
$\text{front} = 0$ ,  $\text{rear} = n - 1$

Empty Queue: if  $(\text{front} == \text{rear})$



### Deletion :-

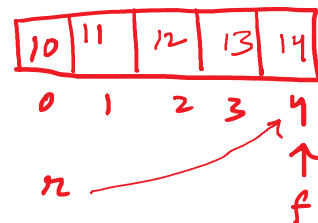
```
if (front == rear)
    print "Underflow. Queue is empty"
    return;
return q[ ++front % n ];
```



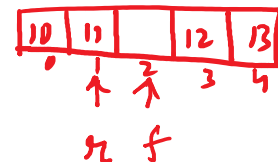
### Insertion :-

```
if (front == rear)
    print "Overflow. Queue is full"
    return;
q[ ++rear % n ] = x;
```

Full Queue : if (front == rear)

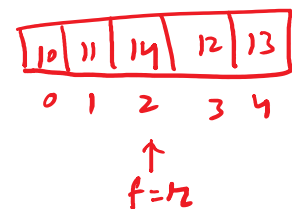


Problem :- Same condition for both Overflow & Underflow.



### Solutions :-

- 1) Check the value at front or rear. If it exists then its overflow else underflow.
- 2) Take flag variable. Whenever we call deletion then flag = 0 else flag = 1.  
    ↓                      ↓  
    Underflow            Overflow



↓ Insert (14)

- 3) Take a counter. Whenever we call deletion then counter -- else counter ++.  
    If counter == 0 then underflow. If counter == n then overflow.

## Doubly Ended Queue (DEQUE):- Read it

Combines both stacks + Queues together.

