

Project Title
CS 598 PS - ML in Signal Processing

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Abstract

A set of classifiers were built that could be used to predict if an individual has Major Depression given fMRI data about them performing a set of tasks. To accomplish this task, a dense fMRI dataset was coarsened via a local voxel averaging scheme and then features were discovered using Principal Component Analysis (PCA) and Non-negative Matrix Factorization (NMF). Using the new feature representations, classifiers were constructed using the following approaches: Random Forests, Gaussian Discriminant Analysis (GDA), and a Deep Neural Network (DNN). All of the above classification methods had high testing accuracy. This high accuracy was interesting and appears to stem from the feature representation causing the reduced data to be very separable with respect to their classes.

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1 Project Background

1.1 Dataset Description

The dataset used within this analysis was obtained from OpenfMRI. It contains data from 19 individuals with Major Depressive Disorder and 20 individuals with no mental illness. fMRI data was then collected for all these individuals while they did a set of tasks related to listening to different clips of audio. The resulting dataset is a time series information of Blood Oxygenation at a dense point cloud of locations within the patients brains.

1.2 What is fMRI Data?

fMRI stands for Functional Magnetic Resonance Imaging. The idea of how this works is that tissue is placed within a strong magnetic field. To help capture a picture of the tissue, radio waves are sent into the tissue. Blood that is deoxygenated will then reflect the waves in a manner that can be processed by sensors and algorithms to generate a fMRI dataset. Figure 1 shows example visualizations of some subset of the fMRI data used within this problem.

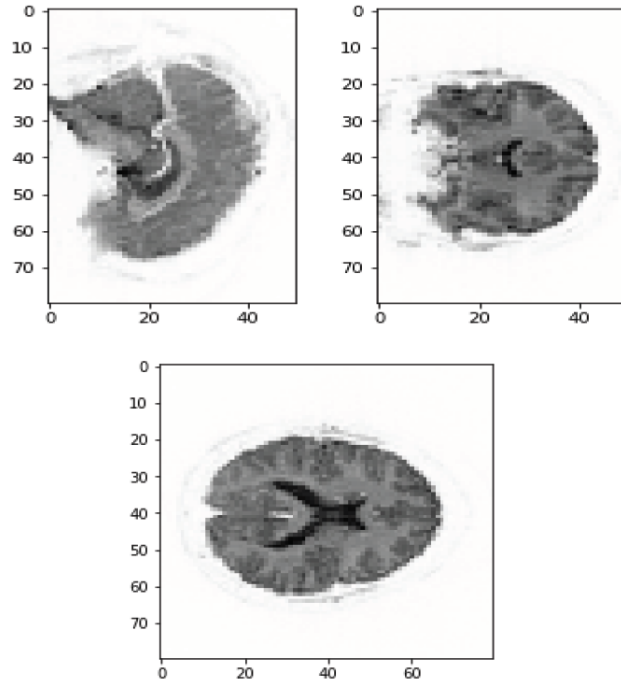


Figure 1: Image slices of the Intensities of Blood Oxygenation levels of some brain at the initial time

1.3 Problem Being Investigated

2 Problem Solution

2.1 Unsupervised Learning

The objective of our unsupervised learning tasks was to spatially reduce the dimensions of the fMRI dataset. The coarsened fMRI dataset consists of 180 measurement sessions each session containing a time series of 3-dimensional points clouds where each point cloud consists of 16 by 16 by 10 spatial dimensions corresponding to the blood oxygen activation at the measured coordinate in the brain. For every measurement session, we had 435200 measured samples in total which we wanted to reduce so that the sessions can be easily classified as belonging to patients in the control group or to patients in the major depressive disorder group. We decided that only reducing the dataset in the spatial dimensions was the best method to reduce the overall dimensions of our dataset because we observed that sequential variance was more important than spatial variance for fMRI classification. The two methods we used to reduce the dimensions were PCA and NMF. NMF was a natural choice for dimensionality reduction since the blood oxygen levels were all non-negative values.

2.2 Supervised Learning

2.2.1 Gaussian Discriminant Analysis

As a fairly straight forward model for classification, Gaussian discriminant functions with full covariance estimates were used. The idea is to perform a Maximum a Posteriori (MAP) estimate of which class ω^* , out of a set of classes $\{\omega_k\}$, is best representative given some input x . This can be expressed as:

$$\omega^* = \arg \max_{\omega_k} g_k(x)$$

where $g_k(\cdot)$ is the discriminant function for class ω_k . For a full Gaussian estimate, $g_k(\cdot)$ can be readily written as:

$$\begin{aligned} g_k(x) &= a_k + b_k^T x + x^T C_k x \\ a_k &= \log P(\omega_k) - \frac{1}{2} \log |\Sigma_k| - \frac{1}{2} \mu_k^T \Sigma_k^{-1} \mu_k \\ b_k &= \Sigma_k^{-1} \mu_k \\ C_k &= -\frac{1}{2} \Sigma_k^{-1} \end{aligned}$$

where μ_k and Σ_k are the expected value and covariance for x given we are in class ω_k . Using this representation, a classifier can be efficiently learned and used to obtain quadratic decision boundaries.

2.2.2 Random Forests

2.2.3 Deep Neural Networks

Since deep convolutional neural networks have recently achieved state-of-the-art performance on various pattern recognition and classification tasks, we wanted to compare the performance of CNNs versus random forest classifiers and Gaussian discriminate analysis. The architecture of the CNN is shown in **figure 2**. It was suggested by Sarraf and Tofghi **CITE!!!!** that LeNet-5, a network first designed by LeCunn et Al. **CITE!!!!** for handwritten digit classification, could be trained with minimal to no changes on fMRI data and still produce 96.86

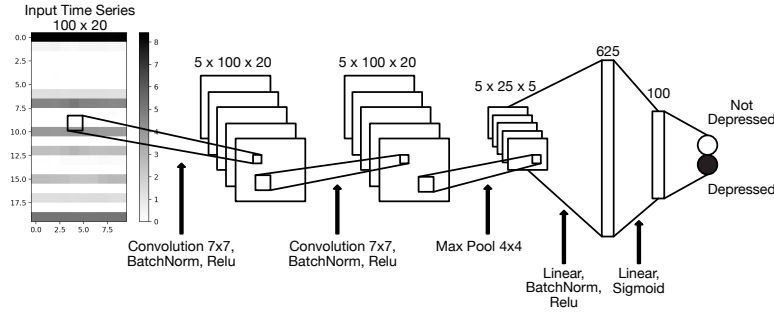


Figure 2: Deep Neural Network Configuration

2.3 Numerical Results

After performing the necessary coarsening and dimensionality reduction, a set of models were built for predicting if someone has Major Depressive Disorder based on their fMRI data. All models performed well but, as **Figure 4** shows, their success for a given number of features was dependent on the modeling approach.

Random Forests proved to not only perform well for the provided NMF features, but was very fast to compute. GDA performed well using PCA feature as the number of PCA features increased and was also very efficient to compute. Now while the Deep Neural Network required more computational complexity to train, it showed great performance as well. As can be seen in Figure 4, GDA required the most number of features to achieve greater than 90% classification performance while the Random Forests and Deep Neural Network needed only 5 or more features to achieve high accuracy.

References

- [1] Gene H. Golub, Charles F. Van Loan. *Matrix Computations 4th Edition*. The John Hopkins University Press, Baltimore, Maryland, 2013.
- [2] Henrik V. Sorensen, C. Sidney Burrus. *Efficient Computation of the DFT with Only a Subset of Input or Output Points*. IEEE Transactions on Signal Processing, Volume: 41, Issue: 3, pgs. 1184 - 1200, Mar 1993.

Appendices