

Hierarchical Multi-Label Classification of Building Management System Time-Series Data

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Abstract

The Brick by Brick (BBB) challenge focuses on automating the classification of building management system (BMS) time-series data to enhance energy efficiency and operational insights. This dataset presents a multi-label hierarchical classification problem, requiring models to capture dependencies among labels.

Our solution involves extracting statistical and spectral features from raw time-series data and expanding the training set using a splitting-based augmentation technique, increasing its size 28-fold. Labels are organised into five hierarchical tiers, and we train an ensemble of Random Forest (RF) and XGBoost (XGB) models using 10-fold cross-validation and sequential tiered predictions. Our submission achieves a **macro F1-score of 0.528** on the public + private data leaderboard, highlighting the effectiveness of hierarchical ensemble learning and data augmentation for multi-label classification in smart building applications.

CCS Concepts

• Computing methodologies \rightarrow Ensemble methods; • Applied computing \rightarrow Engineering.

Keywords

Time-series classification, Multi-label classification, Hierarchical classification, Building management systems (BMS), Feature extraction, Data augmentation, Smart buildings, Machine learning

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1 Introduction

The **Brick by Brick (BBB) competition** is a multi-label classification challenge using time-series data from IoT sensors in three Australian buildings. The goal is to develop methods that accurately classify samples while accounting for hierarchical relationships in the dataset.

The dataset, derived from *Building TimeSeries (BTS)* [4], spans three years and contains over 10,000 time-series data points. It is standardised using the Brick schema. The main challenges include high variance in signal values, the limited performance of native multi-label models due to category similarity, and extreme class imbalance affecting minority labels.

To tackle these challenges, our approach involves:

- abundant hand-crafted feature extraction to perform classification based on statistical, temporal, and spectral domain features of the signals;
- (2) data augmentation for both training and testing by splitting the time-series into multiple chunks;
- (3) hierarchical label structuring and classification to simplify the multi-label task to a multi-class one and utilise the relationship between labels; and
- (4) an ensemble of machine learning classifiers, including Random Forest (RF) [2] and XGBoost (XGB) [3].

2 Methods

In the following sections we describe our methodology, including data pre-processing, model training, and post-processing strategies. An overview of the complete pipeline is shown in Figure 1.

2.1 Dataset and Task Definition

The Brick by Brick dataset contains 94 unique labels, each representing different aspects of the building management system, with some labels related to others through a hierarchy. Given a univariate time-series data sample, the objective is to classify it with the appropriate label(s).

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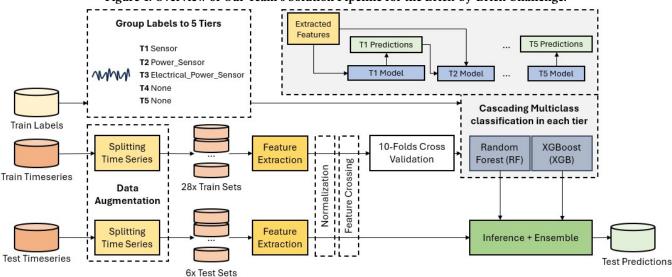


Figure 1: Overview of Our Team's Solution Pipeline for the Brick-by-Brick Challenge.

2.2 Feature Extraction

We applied a feature extraction process that combines statistical, temporal, and spectral domains to extract possible insights from raw time-series data. Most of our features were computed using the TSFEL library [1], such as statistical features mean, variance, skewness, kurtosis, entropy, and various first-order and secondorder time-based differences. Spectral domain features included spectral entropy, spectral centroid, fundamental frequency, and power bandwidth, among others, offering insights into the signal's frequency distribution and energy characteristics. Additionally, the continuous wavelet transform (CWT) was applied to compute features such as wavelet entropy, wavelet energy, and wavelet standard deviation, capturing possible time-frequency patterns. In addition to using TSFEL, we also computed time-based features such as timestamp's slope, burstiness, event density, and time entropy to quantify temporal patterns in the time recordings, independent of the recorded values. These features provided a fundamental representation of the dataset's distribution and variation over time. A total of 70 features were extracted, and the complete list can be found in Table 2.

After feature extraction, we applied normalisation to both the training and test samples to minimise the domain gap. Given the large variance in some features, classical normalisation methods like min-max or z-score would suppress differences for samples with small feature values. Therefore, we implemented a custom binnormalisation approach. For each feature, we ranked the samples in ascending order and used the p-th percentile as the splitting point, with $p \in \{1,1000\}$. Additionally, we applied feature crossing to capture interactions between features. We identified pairs of features with correlation less than 0.2 and combined them into new features by adding, resulting in 19 new features.

2.3 Data Augmentation

To increase the diversity and volume of the training dataset, we implemented a **splitting-based augmentation** technique. Each time-series sample was split into multiple segments, and features were extracted from each segment independently. Specifically, we applied splits of n=2,3,4,5,6 and 7, meaning each sample was divided into halves, thirds, quarters, fifths, sixths, and sevenths, respectively. Including the original samples, this augmentation expanded the training dataset to **28 times** its original size and significantly improved model generalisation. Additionally, we applied this technique to the test set with splits of n=2 and 3 and expanded the test dataset to **6 times** its original size.

2.4 Hierarchical Label Structure

The competition dataset is derived from a condensed label version of the Brick Schema. Given the hierarchical nature of the labels, we structured the classification process into five hierarchical tiers:

- Tier 1 contains the most general parent labels: Alarm, Command, Parameter, Status, Sensor, and Setpoint.
- Tiers 2-5 include increasingly specific subcategories of parent labels.

The hierarchical tiers were constructed through an iterative refinement process based on label co-occurrence. Initially, all labels were assigned to Tier 1, with Tiers 2–5 left empty. Starting from Tier 1, labels that only ever appeared in the presence of another label—without occurring independently—were identified as subsets and moved to the next lower tier. This process was then repeated for Tier 2, where labels that exclusively co-occurred with another Tier 2 label were moved to Tier 3, and so on. The procedure continued until all labels were distributed across five tiers, ensuring that the hierarchical dependencies inherent in the dataset were accurately captured.

2.5 Ensemble Learning with Tiered Classifiers

We trained an ensemble of Random Forest (RF) [2] and XGBoost (XGB) [3] classifiers to make predictions at each hierarchical tier. The ensemble training process consisted of:

- K-Fold Cross-Validation: We applied 10-fold cross-validation, training a separate classifier on each fold. This resulted in 10 classifiers per model and tier, totaling 50 Random Forest and 50 XGBoost classifiers across all tiers.
- Handling "None" Labels: Since many samples contained no meaningful labels in later tiers, we implemented a maximum ratio threshold for "None" labels in each tier during training. Training folds were downsampled to ensure that "None" labels did not dominate the training distribution.
- Sequential Training: Predictions from Tier 1 were used as additional features for Tier 2, with this process continuing iteratively for subsequent tiers. This ensured that hierarchical dependencies were effectively captured and leveraged during training.
- Hyperparameter Tuning: Each classifier was fine-tuned using grid search and validation metrics to optimise performance.
- Class Weights: Initial training was conducted with equal class weights for all labels. The training process was then repeated using class weights derived from the macro F1-score of each label on the validation set.

2.6 Prediction and Post-Processing

For test set inference, we extracted the same statistical and spectral features as in training. The trained ensemble classifiers then made predictions for each tier:

- **Soft Voting Ensemble:** Classifiers within the ensemble were weighted equally, and soft voting was used to aggregate predictions.
- Hierarchical Predictions: Predictions at each tier were either a label or "None." If a "None" label was predicted at a tier, all subsequent tiers for that sample were also set to "None."
- Final Label Assignment: The predictions across all five tiers were combined into a single multi-label classification output, representing the final labels for each test sample.

2.7 Implementation Details

Hyperparameters: We conducted a grid search for both Random Forest and XGBoost. Since tuning the Random Forest did not yield improvements, we retained its default parameters. For XGBoost, we set n_estimators=400, subsample=0.8, colsample_bytree=0.8, and kept the remaining parameters at their default values. Additionally, all random seeds were fixed to 42 to ensure reproducible results.

Hardware & Software: The experiments were conducted using the hardware and software specifications listed in Table 3. The full implementation code and complete list of packages can be found in https://gitlab.aicrowd.com/leocd/brickbybrick2024_naivebaes.

3 Results

Our model secured third place on the public + private data leader-board, significantly outperforming the provided baselines. Specifically, our method achieved 0.528 macro f1-score, 0.593 precision, 0.546 recall, and 0.477 mean average precision, as shown in Table 1.

3.1 Performance and Comparison with Baselines

The performance analysis, visualised in Figure 2, shows a high variance in per-class precision and recall due to the strong class imbalance in the training set. The mean precision-recall curve shows the model's trade-off between precision and recall, with an overall tendency toward precision. As shown in Table 1, our model significantly outperforms all baselines. Our hierarchical multi-label approach enables structured predictions, achieving a strong balance between precision and recall.

3.2 Time and Memory Requirements

Preprocessing the training dataset takes 11 hours for 28 sets (25 minutes per set), while the test dataset takes 22 hours for 6 sets (240 minutes per set). Each XGBoost model trains on each fold of all 28 training sets in 4 minutes. With 10 folds and 5 prediction tiers, this results in a total runtime of 2.3 hours. Meanwhile, each Random Forest model trains on each fold in 41.3 seconds, totaling 25 minutes. Prediction, followed by post-processing, requires an additional 30 minutes. Each full experiment generates 100 GB of data, with 20 GB of memory required for model inference.

4 Conclusion

We presented a hierarchical multi-label classification approach that achieved third place in the competition, using a splitting-based data augmentation technique to expand the dataset, a hierarchical label structure to capture class dependencies, and an ensemble learning strategy with sequential tiered predictions.

Future work could explore the n-split data augmentation technique to determine the optimal value of n for maximising performance and further improving the model. Additionally, other methods such as the sliding window or shuffling window techniques could be investigated.

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Table 1: Results on the Public + Private Dataset (Main Metric is the Macro F1-Score).

Method	Accuracy	Precision	Recall	F1-score	mAP
Zero	0.9769	0.0000	0.0000	0.0000	0.0000
Random Uniform	0.5005	0.0231	0.4993	0.0356	0.0233
Random Proportional	0.9563	0.0239	0.0224	0.0097	0.0234
Mode	0.9664	0.0000	0.0106	0.0001	0.0000
One	0.0231	0.0231	1.0000	0.0396	0.0231
Our Submission	0.987	0.593	0.546	0.528	0.477

Table 2: Spectral (____), Statistical (____), and Temporal (____) Features Used

Feature Name	Description	Feature Name	Description
Fundamental frequency	Computes the fundamental frequency of the signal. (fundamen-	Human range energy	Computes the human range energy ratio. (human_range_energy)
Max power spectrum	tal_frequency) Computes the maximum power spectrum density of the signal. (max power spectrum)	Maximum frequency	Computes the maximum frequency of the signal. (max_frequency)
Median frequency	Computes the median frequency of the signal. (median_frequency)	Power bandwidth	Computes power spectrum density bandwidth of the signal. (power bandwidth)
Wavelet entropy	Computes the CWT entropy of the signal. (wavelet_entropy)		,
Absolute energy Autocorrelation	Computes the absolute energy of the signal. (abs_energy) Calculates the first 1/e crossing of the autocorrelation function (ACF).	Area under the curve Average power	Computes the area under the curve of the signal (trapezoid rule). (auc) Computes the average power of the signal. (average_power)
Centroid	(autocorr) Computes the centroid along the time axis. (calc_centroid)	ECDF Percentile Count_0	Computes the cumulative sum of samples that are less than the given percentile. (ecdf_percentile_count)
ECDF Percentile Count_1 ECDF Percentile_1 Histogram mode Kurtosis Mean Mean absolute diff Median	Same as above but with a different percentile. (ecdf_percentile_count) Same as above but with a different percentile. (ecdf_percentile) Computes the mode from a histogram of the signal. (hist_mode) Computes the kurtosis of the signal. (kurtosis) Computes the mean value of the signal. (calc_mean) Computes mean absolute differences of the signal. (mean_abs_diff) Computes the median of the signal. (calc_median)	ECDF Percentile_0 Entropy Interquartile range Max Mean absolute deviation Mean diff Median absolute deviation	Computes the percentile value of the ECDF. (ecdf_percentile) Computes the Shannon entropy of the signal. (entropy) Computes the interquartile range of the signal. (interq_range) Computes the maximum value of the signal. (calc_max) Computes the mean absolute deviation of the signal. (mean_abs_deviation) Computes the mean of consecutive differences of the signal. (mean_diff) Computes the median absolute deviation of the signal. (mean_diff) dian abs deviation)
Median absolute diff	Computes median absolute differences of the signal. (median_abs_diff)	Median diff	Computes the median of consecutive differences of the signal. (median diff)
Min Neighbourhood peaks	Computes the minimum value of the signal. (calc_min) Computes the number of peaks in a defined neighborhood. (neighbourhood peaks)	Negative turning points Peak to peak distance	Computes number of negative turning points. (negative_turning) Computes the peak to peak distance. (pk_pk_distance)
Positive turning points Signal distance Slope Sum absolute diff Zero crossing rate value_mean value_max value_maxmin value_diffmin value_diffqmean value_diffqmean value_var value_diffvar	Computes number of positive turning points. (positive_turning) Computes the signal traveled distance. (distance) Computes the slope of the signal (linear regression). (slope) Computes the sum of absolute differences of the signal. (sum_abs_diff) Computes the zero-crossing rate of the signal. (zero_cross) Mean of the values (not from reference). Maximum of the values (not from reference). Difference between max and min of the values (not from reference). Interquartile mean of consecutive differences (not from reference). Difference between max and min of consecutive diffs (not from reference). Variance of the values (not from reference).	Root mean square Skewness Standard deviation Variance value_median value_qmean value_diffmax value_diffmean value_diffmedian value_diffstd	Computes the root mean square of the signal. (rms) Computes the skewness of the signal. (sakewness) Computes the standard deviation of the signal. (calc_std) Computes the variance of the signal. (calc_var) Median of the values (not from reference). Interquartile mean of the values (not from reference). Minimum of the values (not from reference). Max of consecutive differences (not from reference). Mean of consecutive differences (not from reference). Median of consecutive differences (not from reference). Standard deviation of the values (not from reference). Std of consecutive differences (not from reference).
time_diffmean time_diffmax time_diffmedian time_diffvar time_total time_entropy	Mean of timestamp differences (not from reference). Maximum of timestamp differences (not from reference). Median of timestamp differences (not from reference). Variance of timestamp differences (not from reference). Total time span (not from reference). Entropy of timestamp differences (not from reference).	time_diffqmean time_diffmin time_diffstd time_burstiness time_event_density time_slope	Interquartile mean of timestamp differences (not from reference). Minimum of timestamp differences (not from reference). Std of timestamp differences (not from reference). (std_diff = mean_diff)/(std_diff + mean_diff) (not from reference). Events per unit time (not from reference). Slope of timestamps (not from reference).

Table 3: Hardware and Software Specifications for the Experiments

	Software	
Component	Specification	(Python 3.9)
Processor	Intel® Core™ i7-12700H (24 MB cache, 16 cores, up to 4.70 GHz)	scikit-learn (1.6.1)
RAM	32 GB	xgboost (2.1.3)
GPU	Nvidia GTX 1060 (6 GB VRAM)	pandas (2.2.3)
Disk Space	100 GB free space required per experiment	numpy (1.26.4)
_		scipy (1.13.1)
		tsfel (0.1.9)

Per-Class Metrics Average Precision per Class (Sorted) 1.0 Metric Value AP 0.2 0.2 4 Mean Precision-Recall Curve Across Classes Class Co-occurrence (Predictions Only) 1.0 Mean PR Curve ±1 std Perfect Precision 0.8 0.6 0.4 0.2 0.0 0.2 0.8 Class j Precision Distribution Across Classes Recall Distribution Across Classes 1.0 0.8 0.8 0.6 0.2 0.2 0.0

Figure 2: Visualisation of Our Submission's Performance on the Public Dataset.