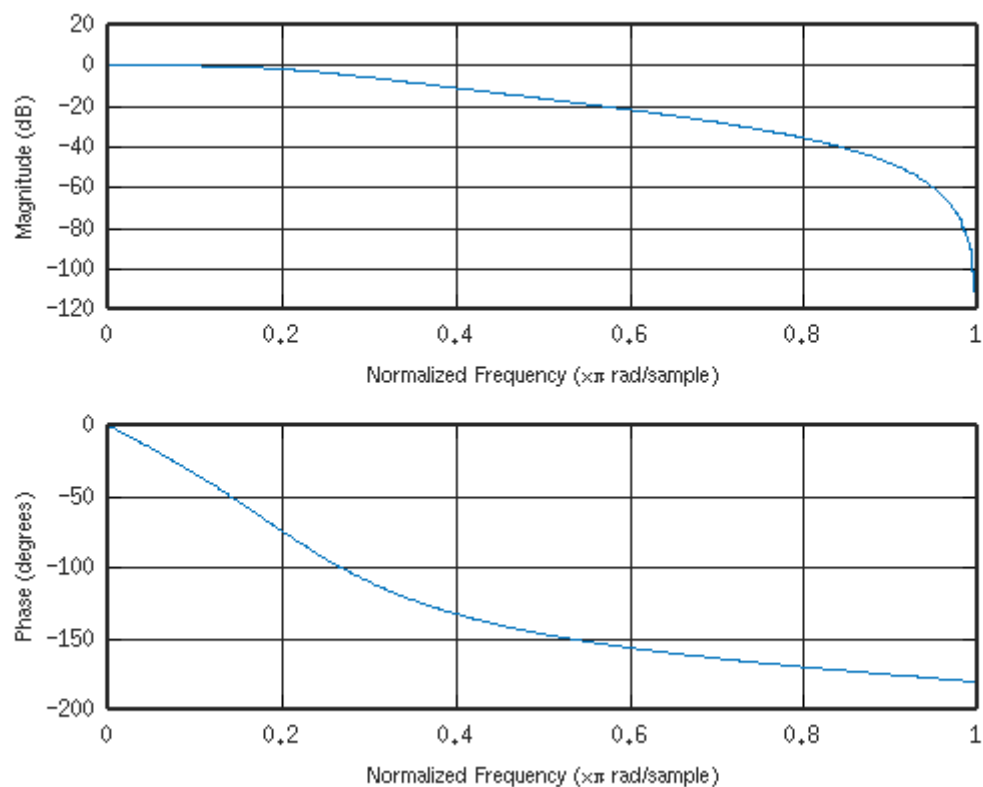


Goal: To determine the time domain response of the transfer function

The transfer function for a linear, time-invariant, digital filter can be expressed as a transfer function in the Z-domain; if it is causal, then it has the form:^[1]

$$H(z) = \frac{B(z)}{A(z)} = \frac{b_0 + b_1 z^{-1} + b_2 z^{-2} + \dots + b_N z^{-N}}{1 + a_1 z^{-1} + a_2 z^{-2} + \dots + a_M z^{-M}}$$

Octave filter



-0.167980, -265.000

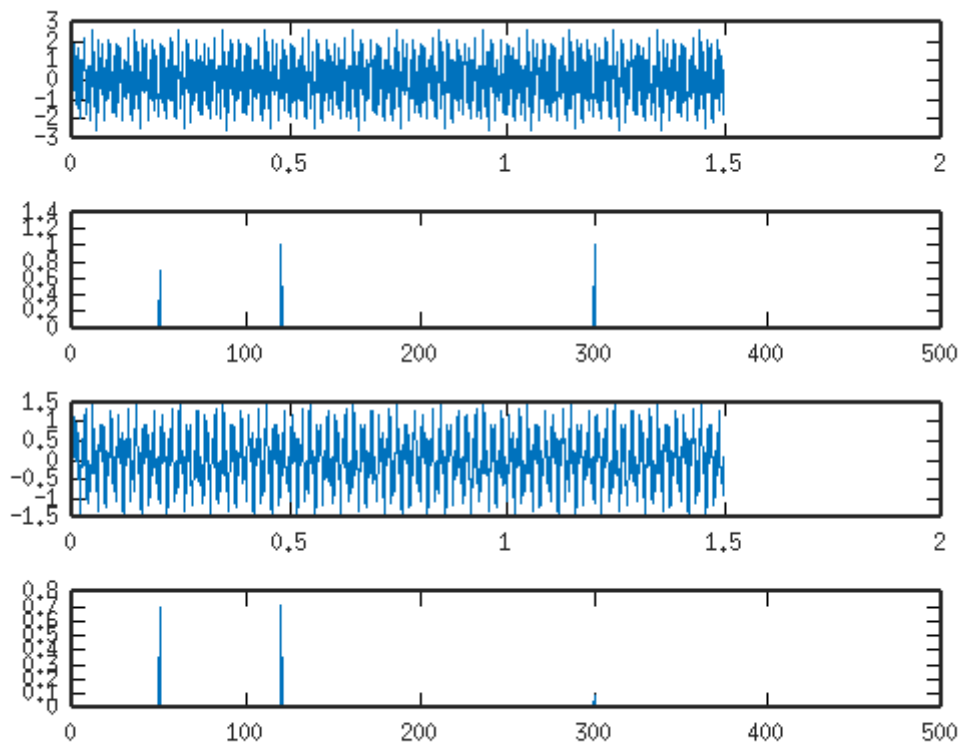
Testcase

The first signal x is 3 sine waves 50, 120, and 300 Hz

The 2nd is the FFT of the signal x .

The 3rd is the filtered with the Butterworth filter.

The 4th show that only the 50 & 120 Hz are present.



421.525, 4.77541

Starting first with order 2

a = 1.00000 -0.98241 0.34767

b = 0.091315 0.182630 0.091315

[A,B,C,D] = tf2ss(b,a);

A =

5.5511e-17 3.4767e-01
-1.0000e+00 9.8241e-01

B =

-0.059568
0.272338

C =

0 1

D = 0.091315

butt6120lp

normalize freq

nf = 0.24000

zeros

ans =

-1
-1
-1
-1
-1
-1

poles

ans =

0.61925 + 0.56170i
0.49120 + 0.32617i
0.43881 + 0.10665i
0.43881 - 0.10665i
0.49120 - 0.32617i
0.61925 - 0.56170i

theta =

0.73670
0.58617
0.23842
-0.23842
-0.58617
-0.73670

b

b =

Columns 1 through 6:

0.00085754 0.00514522 0.01286305 0.01715073 0.01286305 0.00514522

Column 7:

0.00085754

a

a =

1.000000 -3.098542 4.416437 -3.556586 1.685139 -0.441124 0.049558

Ultibo Core (Release: Beetroot Version: 2.0.007 Date: 3 September 2020)

00:00:12

TFTP Demo.

Butterworth lowpass filter coefficients.

Produced by bulp.

Filter order: 6

Cutoff freq.: 0.240000000000000

Scaling factor: 0.000857536445007

0.000857536445007

0.005145218670045

0.012863046675112

0.017150728900150

0.012863046675112

0.005145218670045

0.000857536445007

1.000000000000000

-3.098541673366

4.416436920796

-3.556586400823

1.685139137025

-0.441124009092

0.049558357940

00:00:12

Local Address 192.168.1.245

TFTP Ready.

00:00:12