

\*\*\*\*\*Draft\*\*\*\*\*

# FFT Octave

09/08/20

\*\*\*\*\*Draft\*\*\*\*\*

Background:  
<https://youtu.be/67Uaxh-4EIQ>

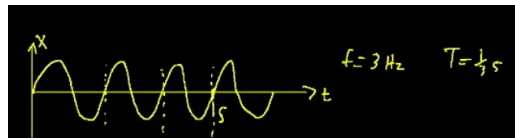
$$\cos(\omega t) = \cos(2\pi f t) = \cos\left(\frac{2\pi t}{T}\right)$$

$\frac{\text{rad}}{\text{s}}$

freq & period

$$\text{frequency } f, \text{ Hz} = \frac{\# \text{ cycles}}{\text{time}} \quad \text{Hz} = \frac{1}{\text{s}} \quad \left(\frac{\text{cycles}}{\text{s}}\right)$$

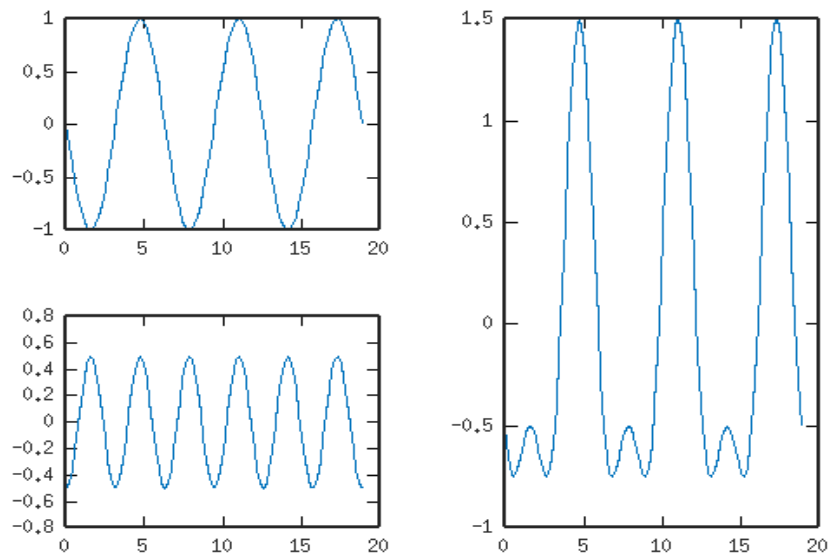
$$\text{period } T = \frac{\text{time}}{\# \text{ cycles}} \quad \frac{\text{s}}{(\text{cycles})} \quad f = \frac{1}{T}$$



$$\text{Angular frequency } \omega = \frac{\text{"angle"}}{\text{time}} \quad \frac{\text{rad}}{\text{s}}$$

<http://xoctave.com/blog/signal-processing-with-xoctave/>

```
clear
close all
pkg load signal
t = linspace(0,6*pi,100); % time
y1 = sin(-t); % first signal
y2 = -0.5*cos(2*t); % second signal
% plotting
figure,
subplot(2,2,1),plot(t,y1); % top chart
subplot(2,2,3),plot(t,y2), % bottom left chart
subplot(1,2,2),plot(t,y1+y2) % resulting right chart
```



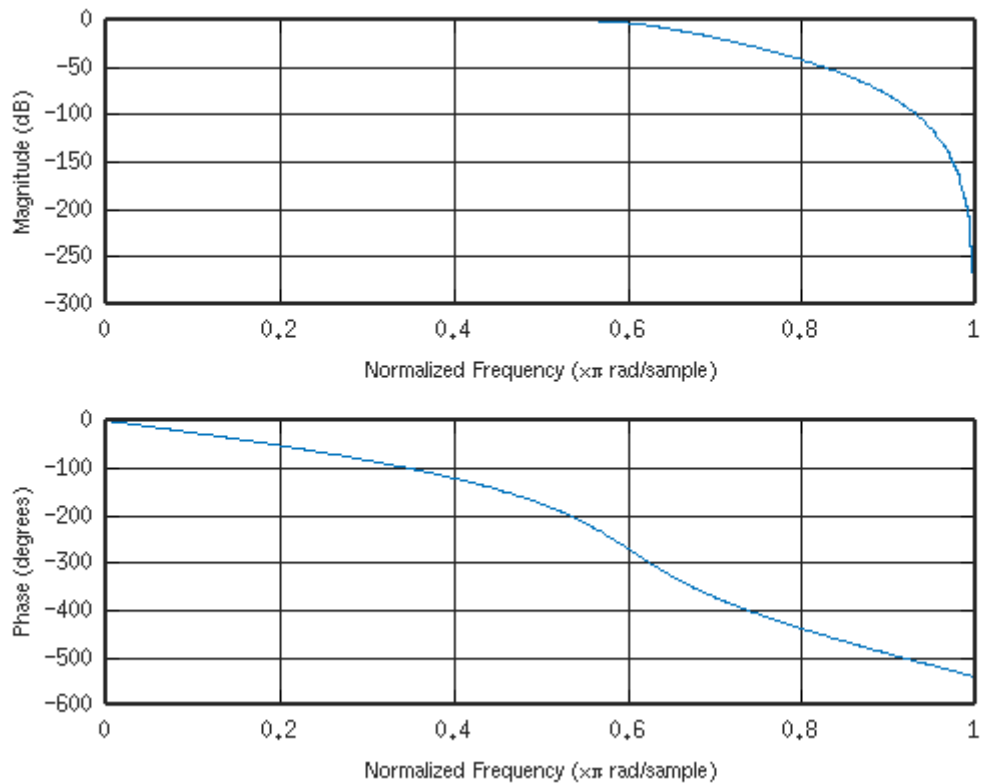
21.9818, 0.0607271

<https://www.mathworks.com/help/signal/ref/butter.html>

%Design a 6th-order lowpass Butterworth filter with a cutoff frequency of 300 Hz,  
 %which, for data sampled at 1000 Hz, corresponds to  $0.6\pi$  rad/sample.  
 %Plot its magnitude and phase responses. Use it to filter a 1000-sample random signal.

```
clear
close all
pkg load signal
fc = 300;
fs = 1000;

[b,a] = butter(6,fc/(fs/2));
freqz(b,a);
```



-0.0491648, 177.115

```
dataIn = randn(1000,1);
dataOut = filter(b,a,dataIn);
//github.com/develone/Butterworth_filter_coefficients-MATLAB-in-C.git
modifying bwlp.c by including liir.c
git diff
diff --git a/bwlp.c b/bwlp.c
index 018cde2..e91ef6b 100644
--- a/bwlp.c
+++ b/bwlp.c
@@ -41,6 +41,7 @@
#include <string.h>
#include <math.h>
#include "iir.h"
+#include "liir.c"
```

Use the following command to compile “gcc bwlp.c -lm -o lp”

Use the following command to create “./lp 6 .6 1 lpcoeffsc” B & A in the file lpcoeffsc.

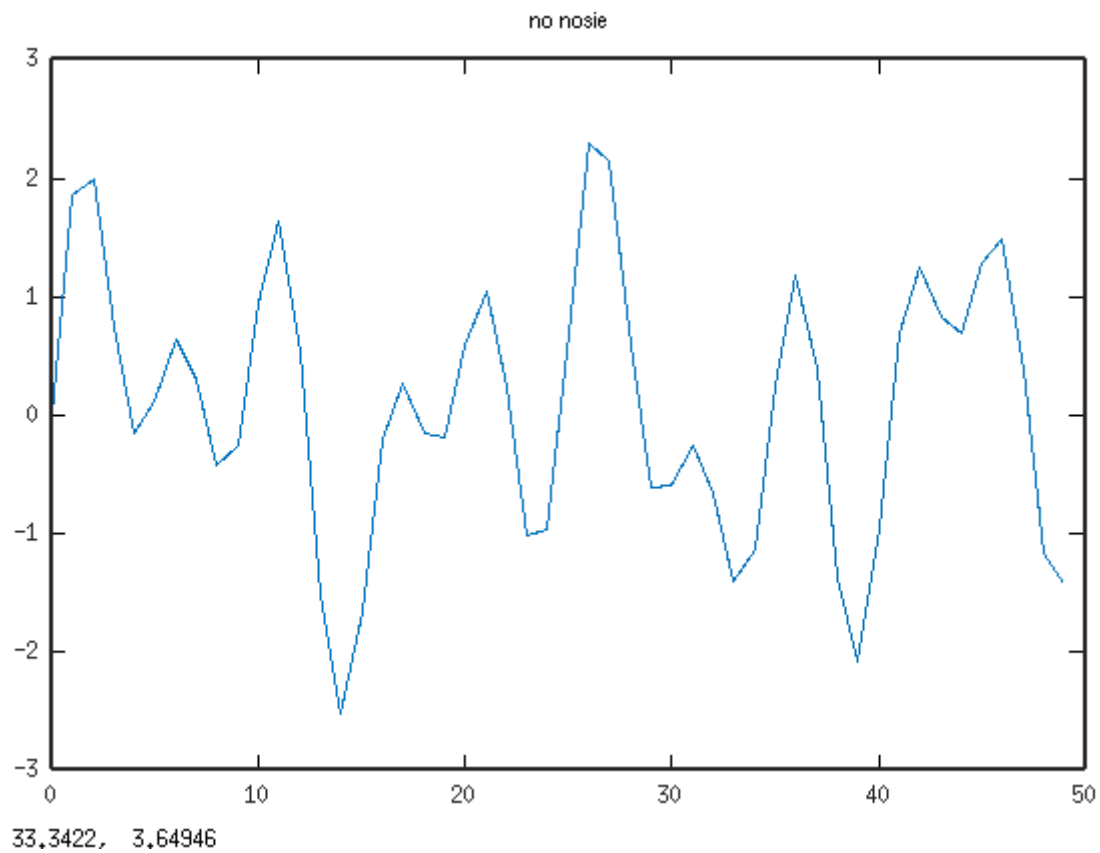
```
7
0.070115413492454
0.420692480954722
1.051731202386805
1.402308269849073
1.051731202386805
0.420692480954722
0.070115413492454
7
```

**1.000000000000**  
**1.187600680176**  
**1.305213349289**  
**0.674327525298**  
**0.263469348280**  
**0.051753033880**  
**0.005022526595**

Starting with an example in Matlab at “<https://www.mathworks.com/help/matlab/ref/fft.html>”

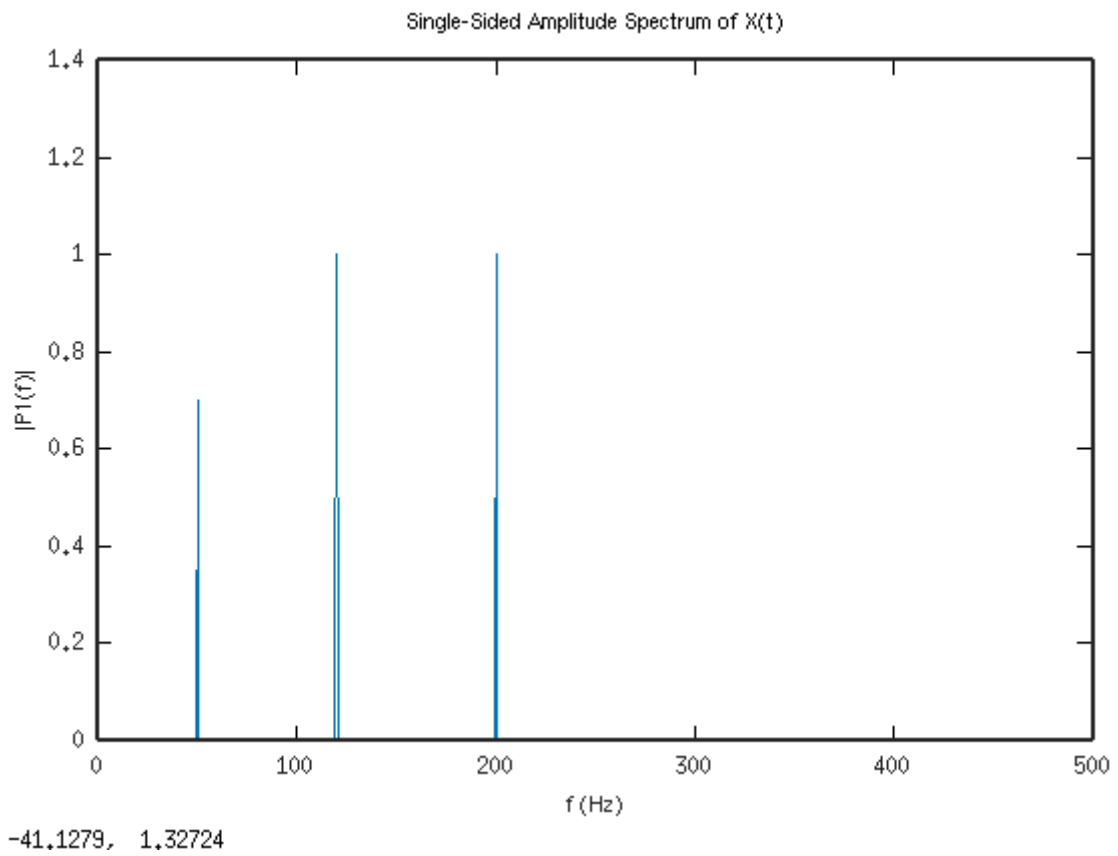
The signal below is combination of 3 frequencies. The 3 frequencies are 50, 120, and 200 Hz.

Figure 1



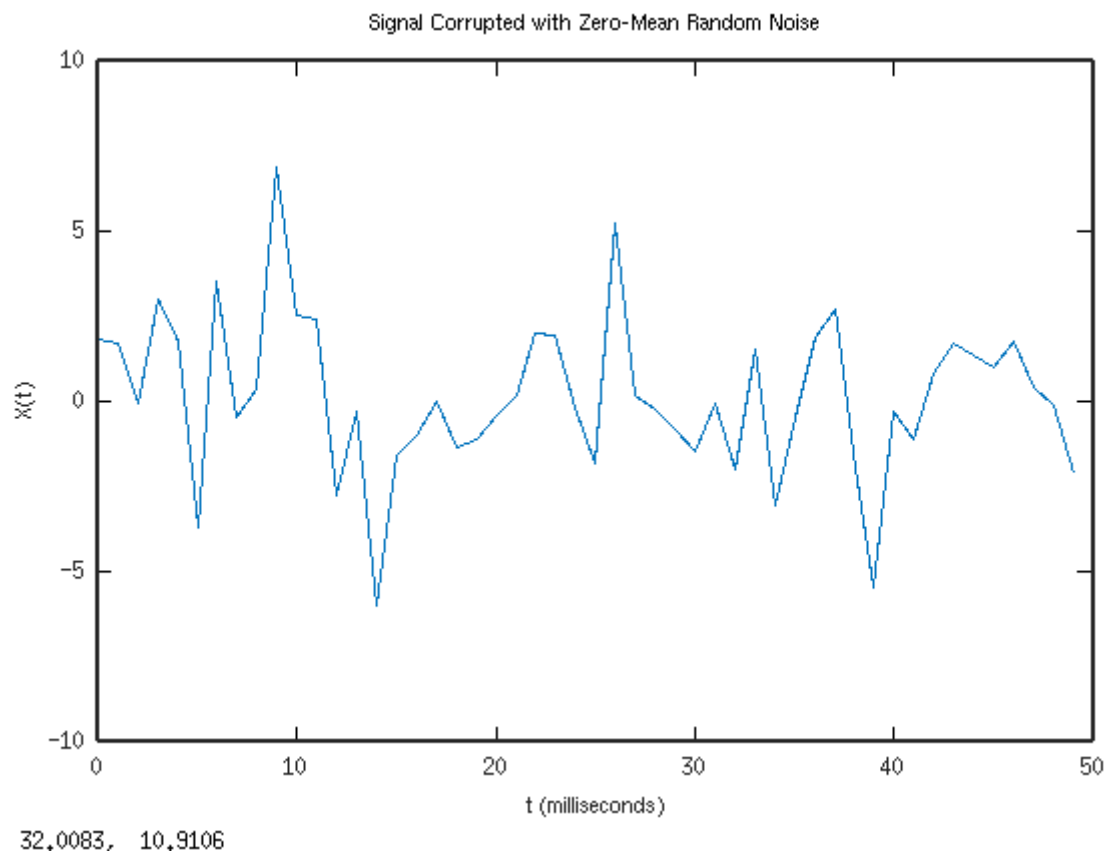
Taking the FFT demonstrates what frequencies make up the signal above.

Figure 2



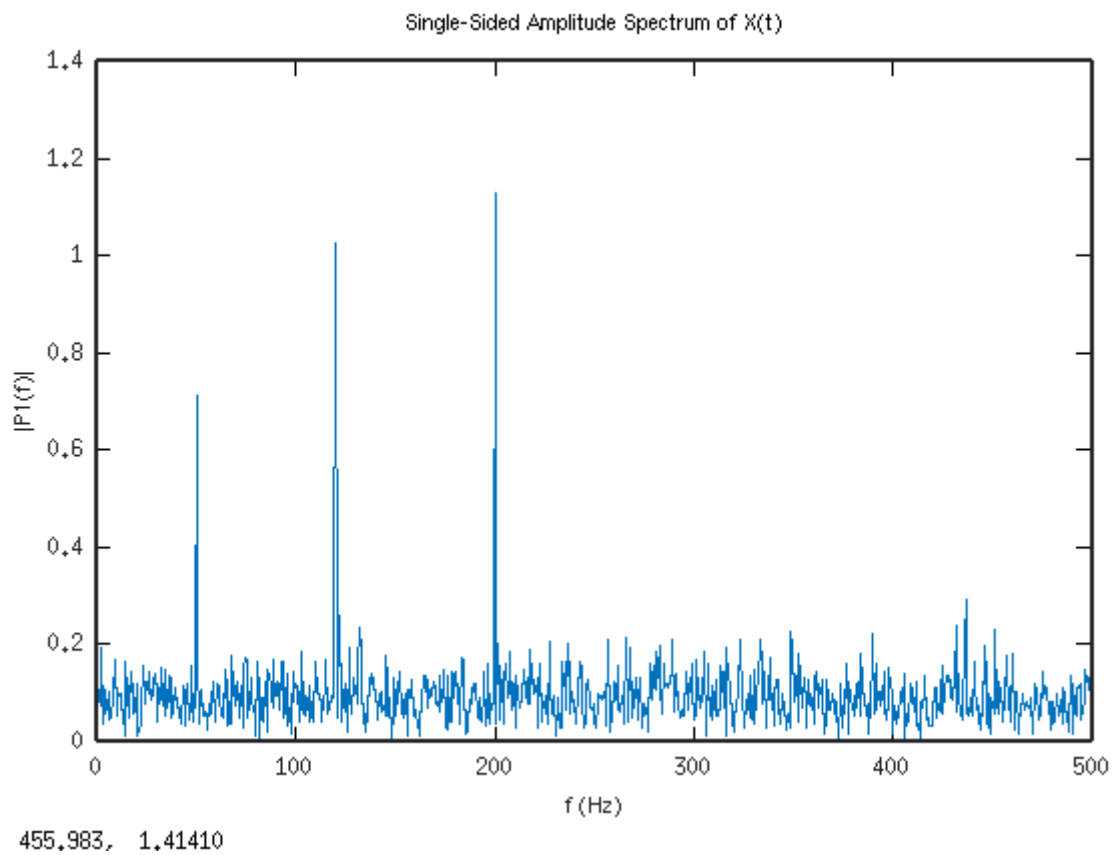
The signal below is combination of 3 frequencies with random noise. The 3 frequencies are 50, 120, and 200 Hz.

Figure 3



Taking the FFT demonstrates what frequencies make up the signal above.

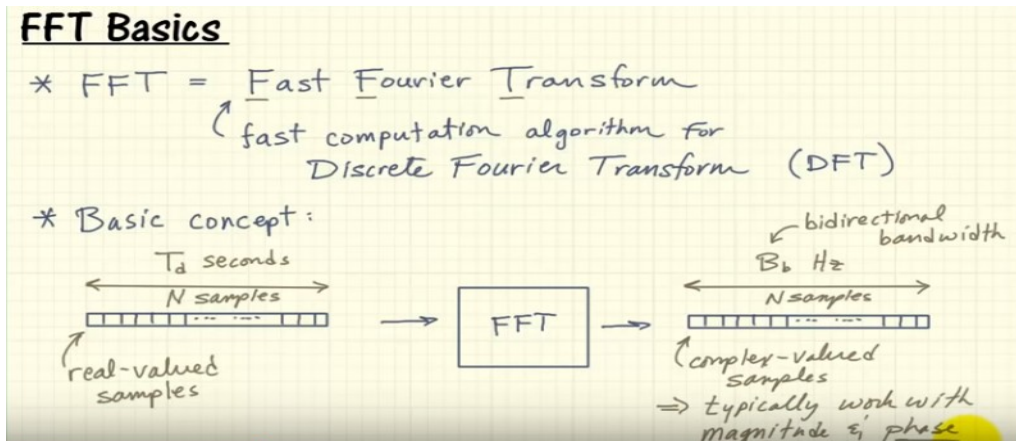
Figure 4



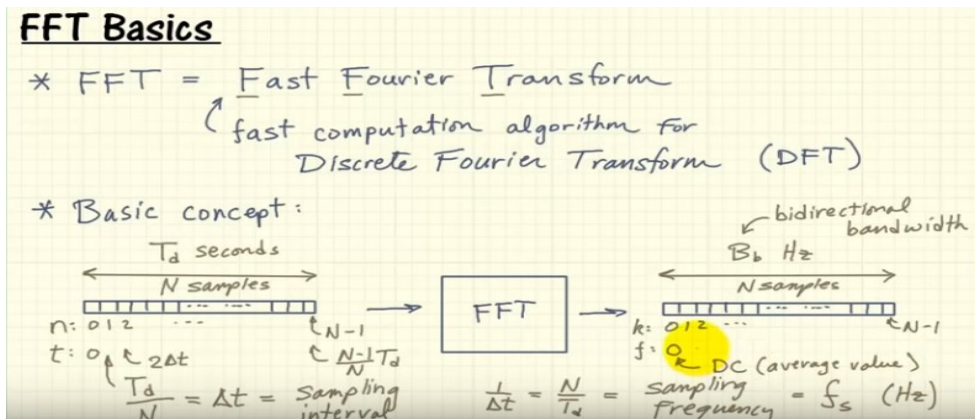
<https://www.youtube.com/watch?v=z7X6jgFnB6Y&feature=youtu.be>

fft.png

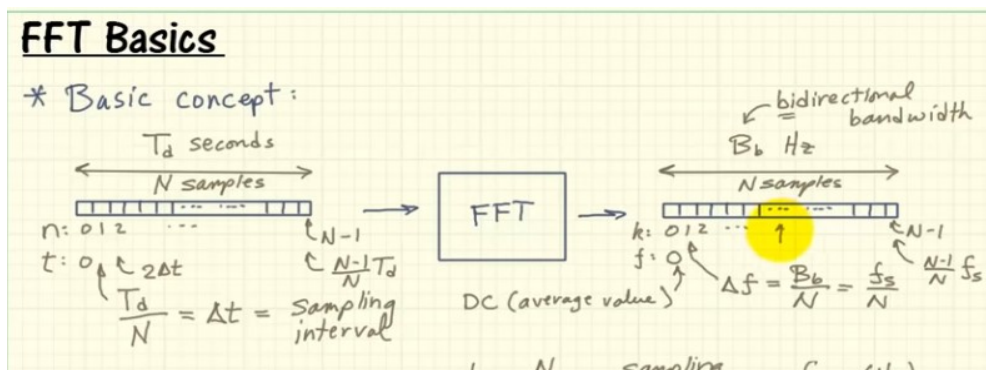
# FFT basic concepts



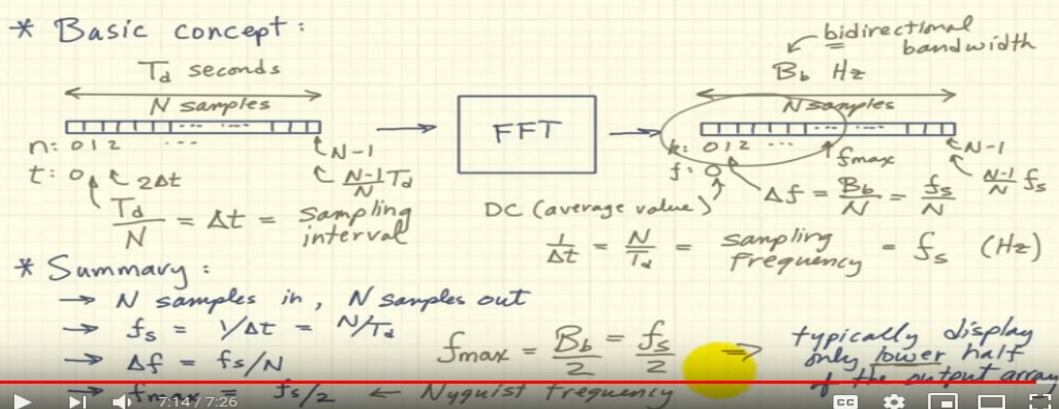
fft1.png



fft2.png



## FFT Basics



fft3.png

Octave code that produce the plots above.

```
clear
close all

Fs = 1000;      % Sampling frequency
T = 1/Fs;       % Sampling period
L = 1500;       % Length of signal
t = (0:L-1)*T;  % Time vector

%S = 0.7*sin(2*pi*50*t) + sin(2*pi*120*t);
S = 0.7*sin(2*pi*50*t) + sin(2*pi*120*t) + sin(2*pi*200*t);

X = S + 2*randn(size(t));

figure

plot(1000*t(1:50),X(1:50))
title('Signal Corrupted with Zero-Mean Random Noise')
xlabel('t (milliseconds)')
ylabel('X(t)')

Y = fft(X);

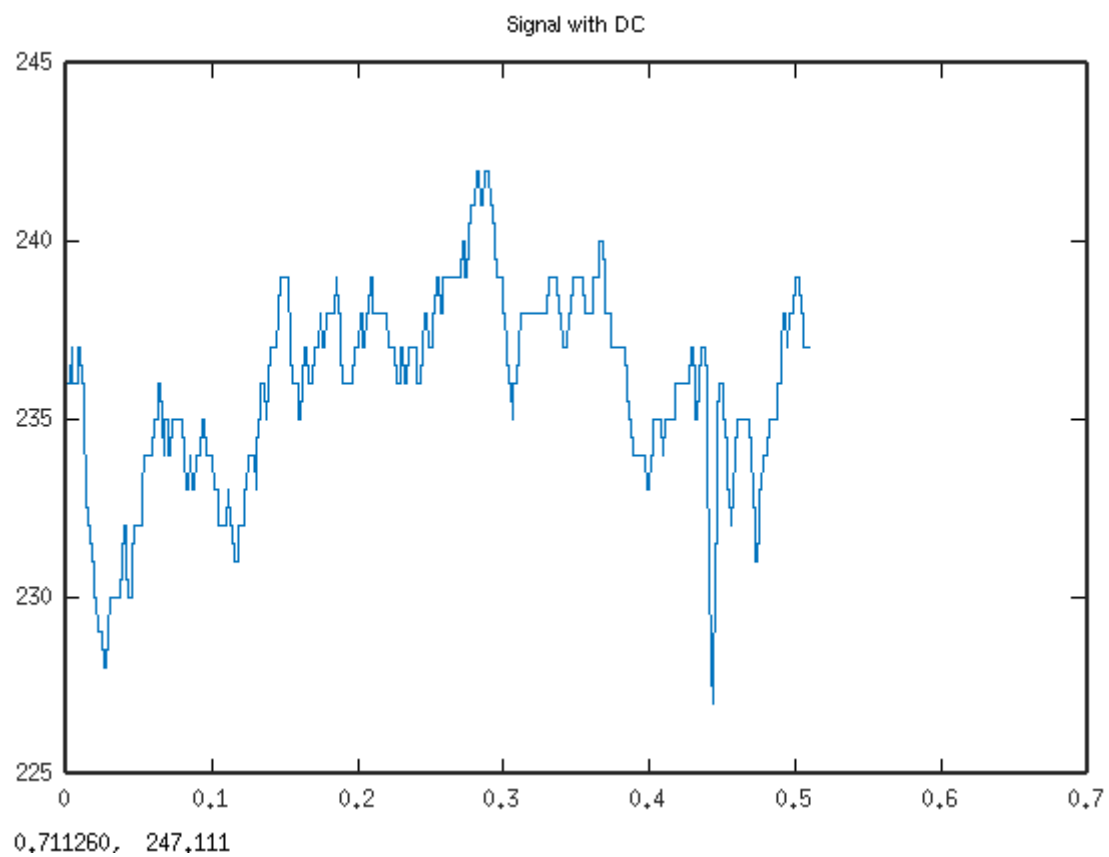
P2 = abs(Y/L);
P1 = P2(1:L/2+1);
P1(2:end-1) = 2*P1(2:end-1);

figure
f = Fs*(0:(L/2))/L;
plot(f,P1)
title('Single-Sided Amplitude Spectrum of X(t)')
xlabel('f (Hz)')
ylabel('|P1(f)|')

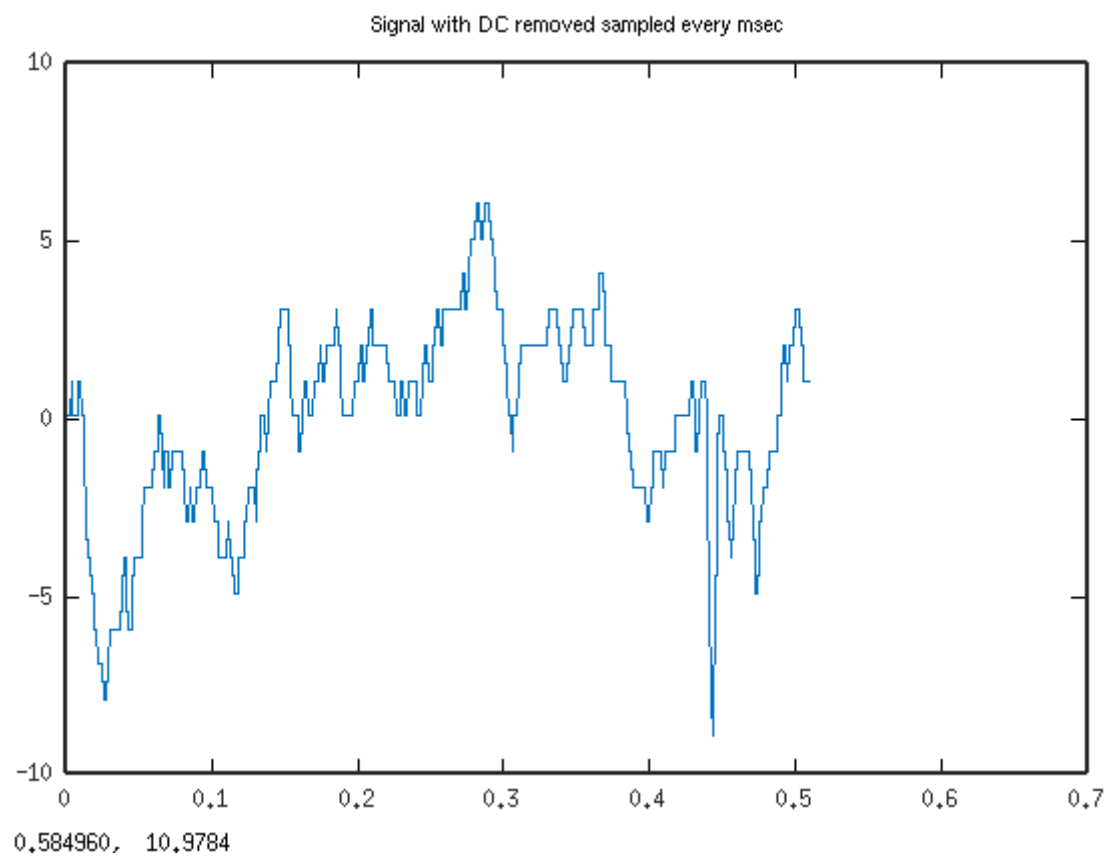
red.pgm 50th row sampled at 1KHz
```



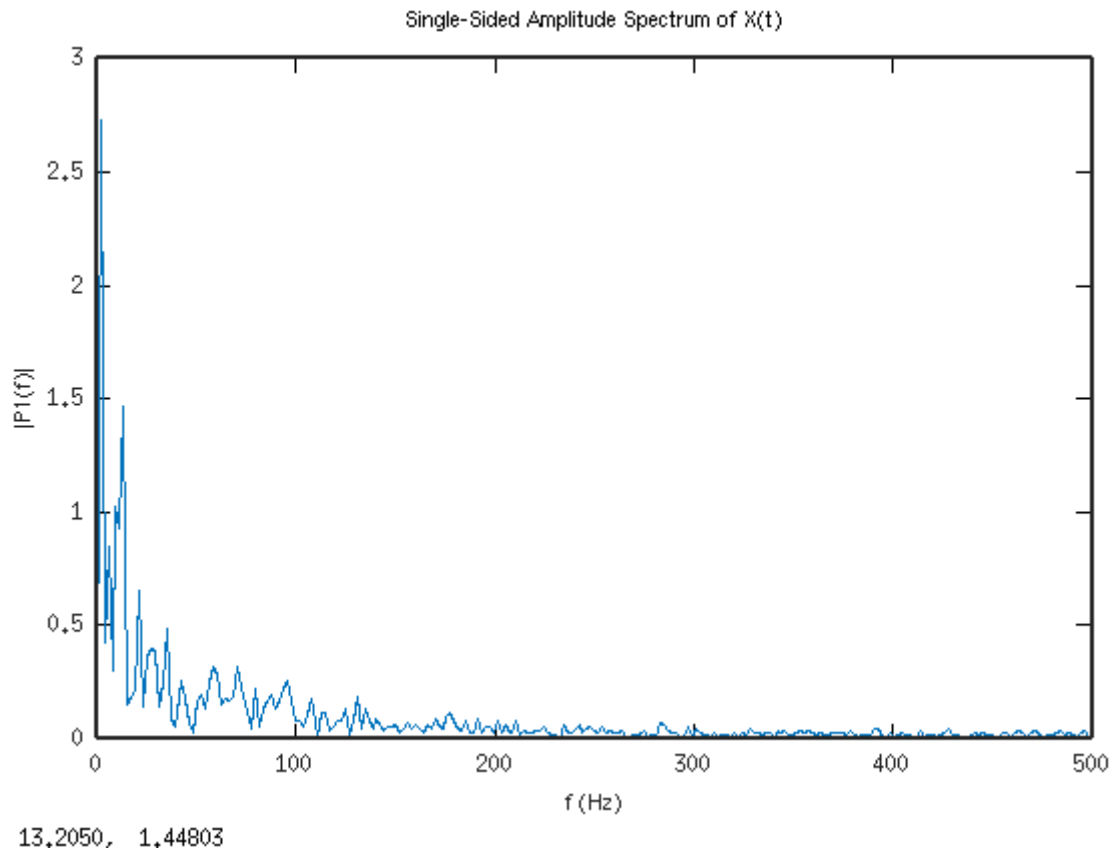




red.pgm 50<sup>th</sup> row sampled at 1KHz with DC removed.  
xbar = 235.90



FFT red.pgm 50<sup>th</sup> row.



```

clear
close all
%https://www.mathworks.com/matlabcentral/answers/1828-remove-dc-component-from-ee-
signals
Fs = 1000;      % Sampling frequency
T = 1/Fs;      % Sampling period
L = 512;       % Length of signal
t = (0:L-1)*T; % Time vector

A = imread('red.pgm');
figure
x = A(1:512,50);
xbar = mean(x)

plot(t,x)

title("Signal with DC")

f = fft(x);
f(1) = 0;
x_ac = real(ifft(f));
[x_ac, x - mean(x)];

figure
plot(t,x_ac)
title("Signal with DC removed sampled every msec")

```

```

Ys = fft(x_ac);

P2 = abs(Ys/L);
P1 = P2(1:L/2+1);
P1(2:end-1) = 2*P1(2:end-1);

figure
f = Fs*(0:(L/2))/L;
plot(f,P1)
title('Single-Sided Amplitude Spectrum of X(t)')
xlabel('f (Hz)')
ylabel('|P1(f)|')

```

Located an example of real fft using kissfft <https://github.com/heavyii/kissfft-example>  
 Extracted the 2048 samples of real data from kissfft-example and read it into octave.

100 FFTs using kiss-fft

time ./real-fft

hz = 1044.921875

hz = 1044.921875

hz = 1044.921875

hz = 1044.921875

hz = 1044.921875

.

.

.

hz = 1044.921875

hz = 1044.921875

hz = 1044.921875

hz = 1044.921875

real 0m0.026s

user 0m0.008s

sys 0m0.018s

Octave finds the hz at 1089.26 which is 4.24 % higher than kiss-fft.

\*\*\*\*\*Draft\*\*\*\*\*

**Testing kissfft using kissfft-example**

**08/27/20**

\*\*\*\*\*Draft\*\*\*\*\*

forked the kissfft-example

git clone <https://github.com/heavyii/kissfft-example.git>

```
git clone https://github.com/develone/kissfft-example.git
```

```
cd kissfft-example/
```

```
make
```

```
kiss_fftr.c: In function 'kiss_fftr_alloc':
```

```
kiss_fftr.c:53:18: warning: cast increases required alignment of target type [-Wcast-align]
```

```
    st->tmpbuf = (kiss_fft_cpx *) (((char *) st->substate) + subsize);
```

```
cp ../kissfft/kiss_fft.c .
```

```
cp ../kissfft/*.h .
```

```
cp ../kissfft/*.hh .
```

```
make
```

```
sudo pip install matplotlib
```

```
sudo apt-get install python-gi-cairo
```

```
./real-fft dump-raw-3.txt test-output.txt
```

```
image1
```

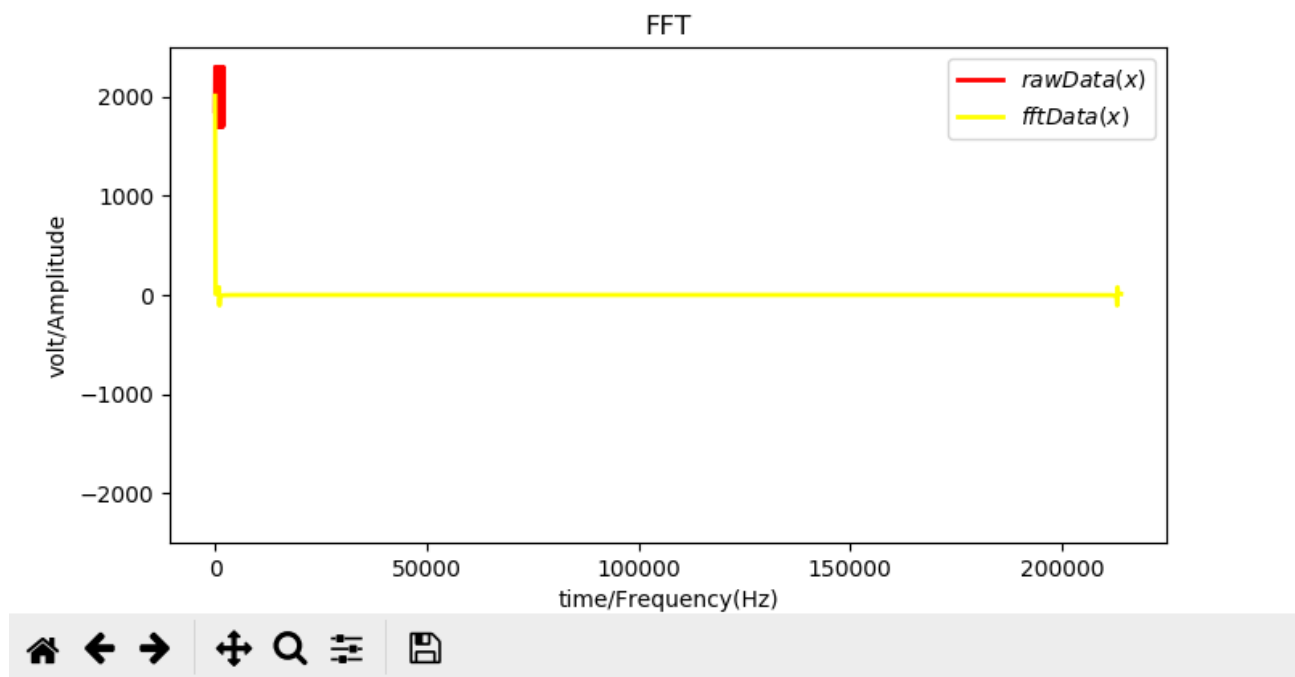


image2







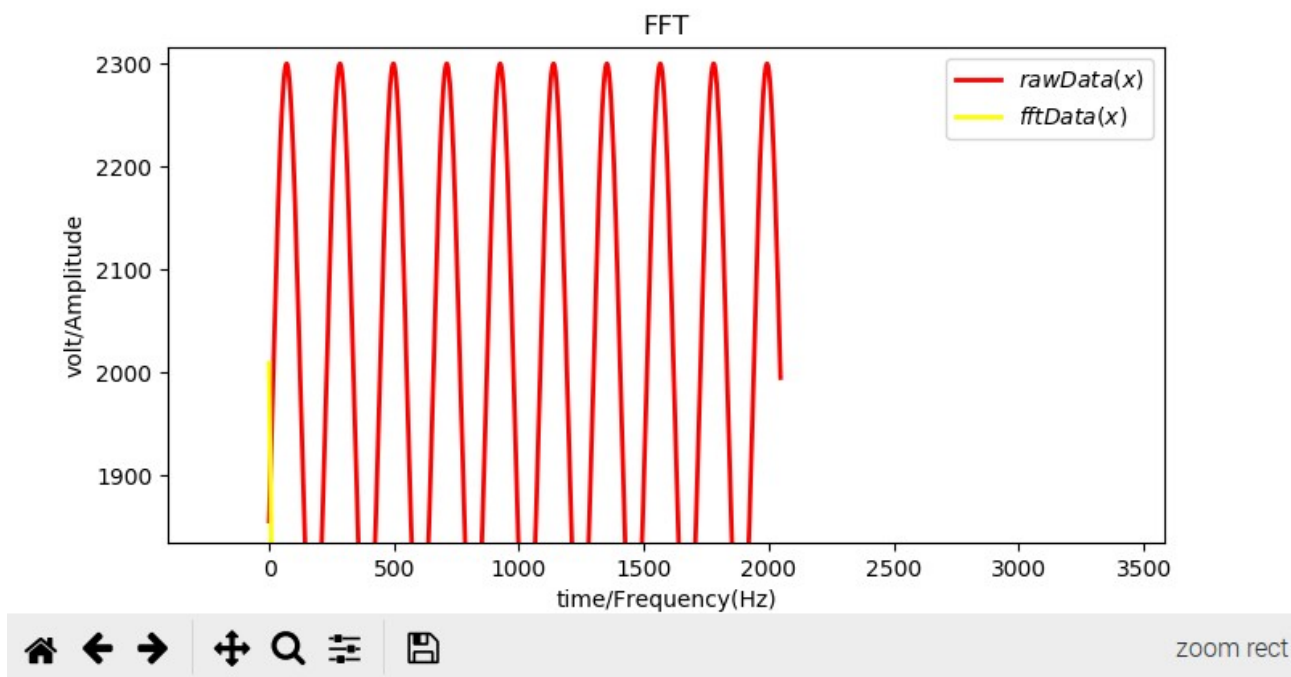


image3

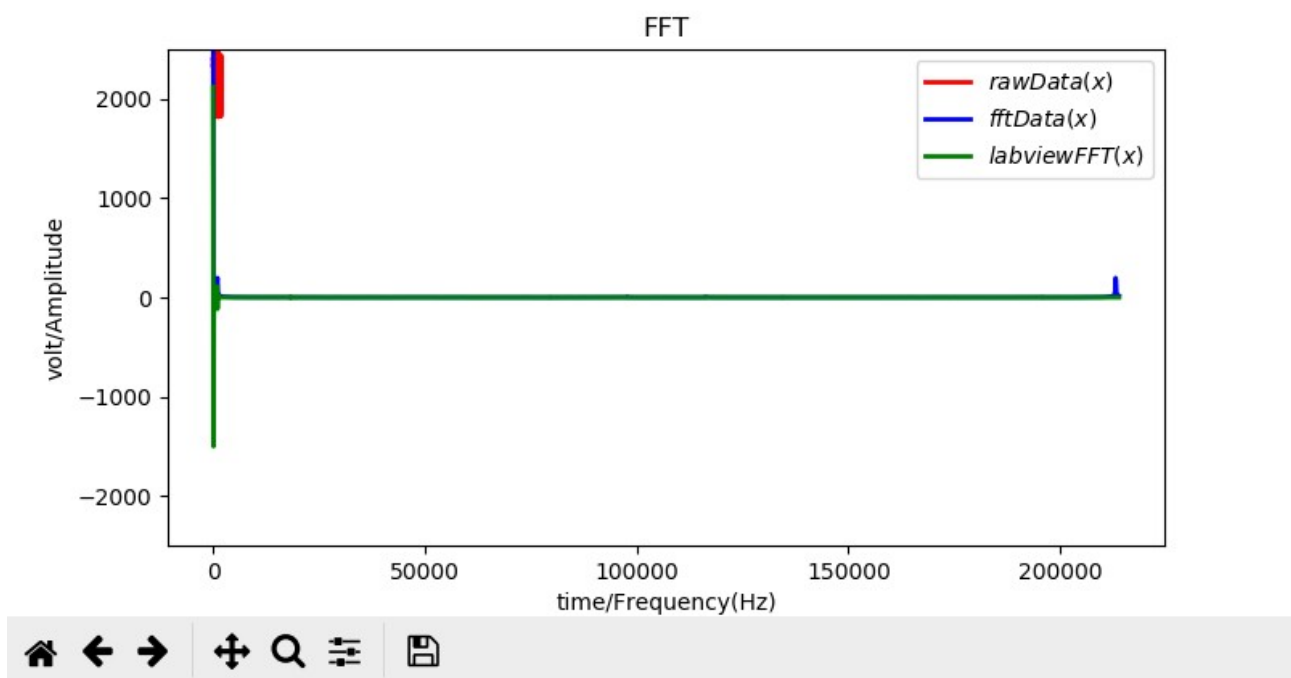


image4

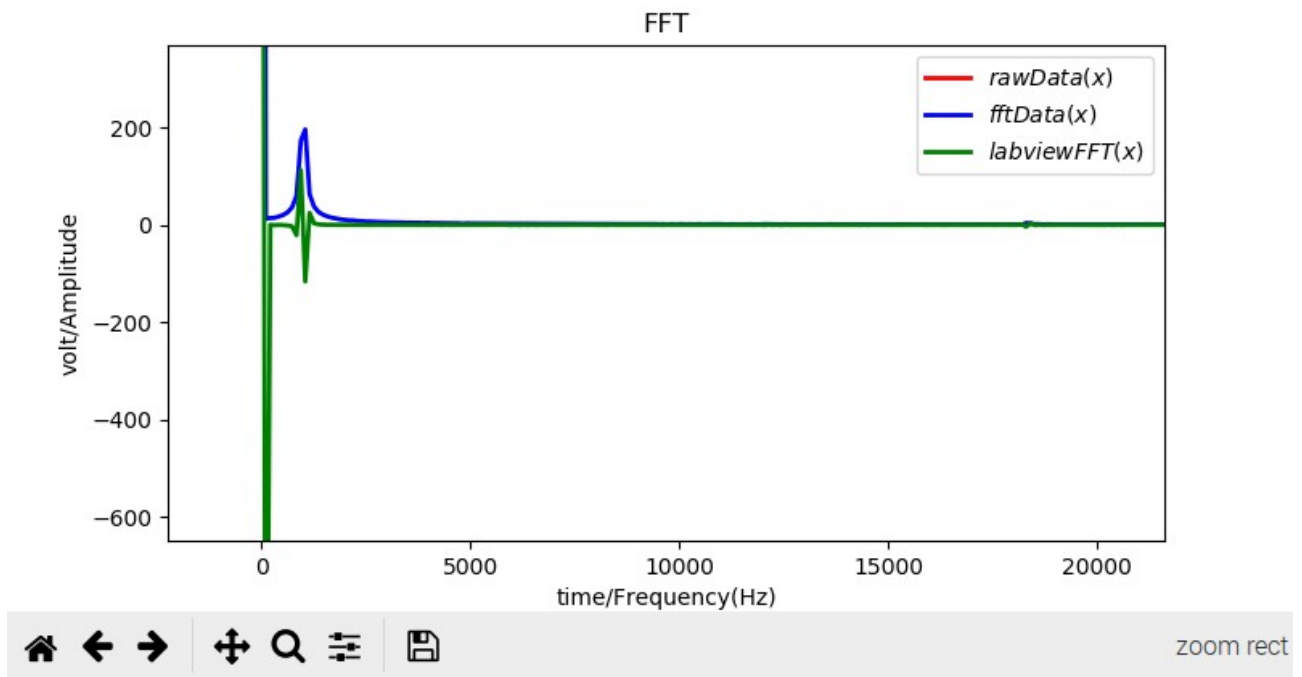


image5

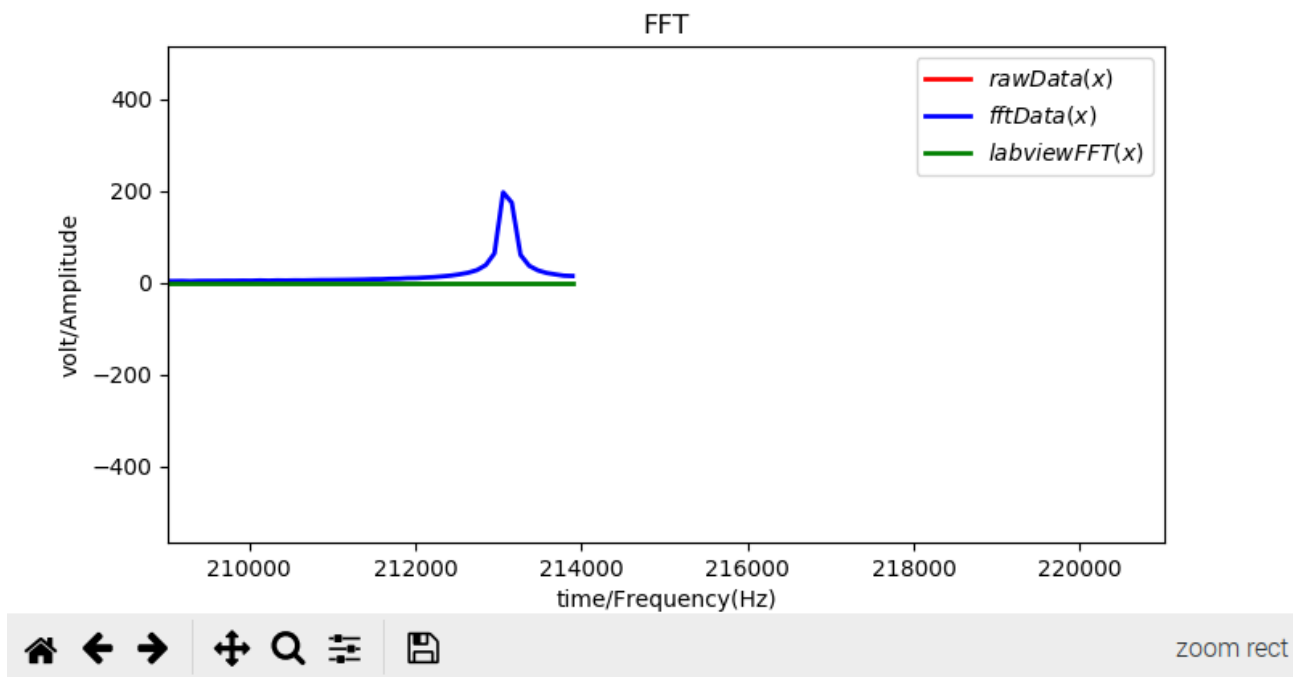
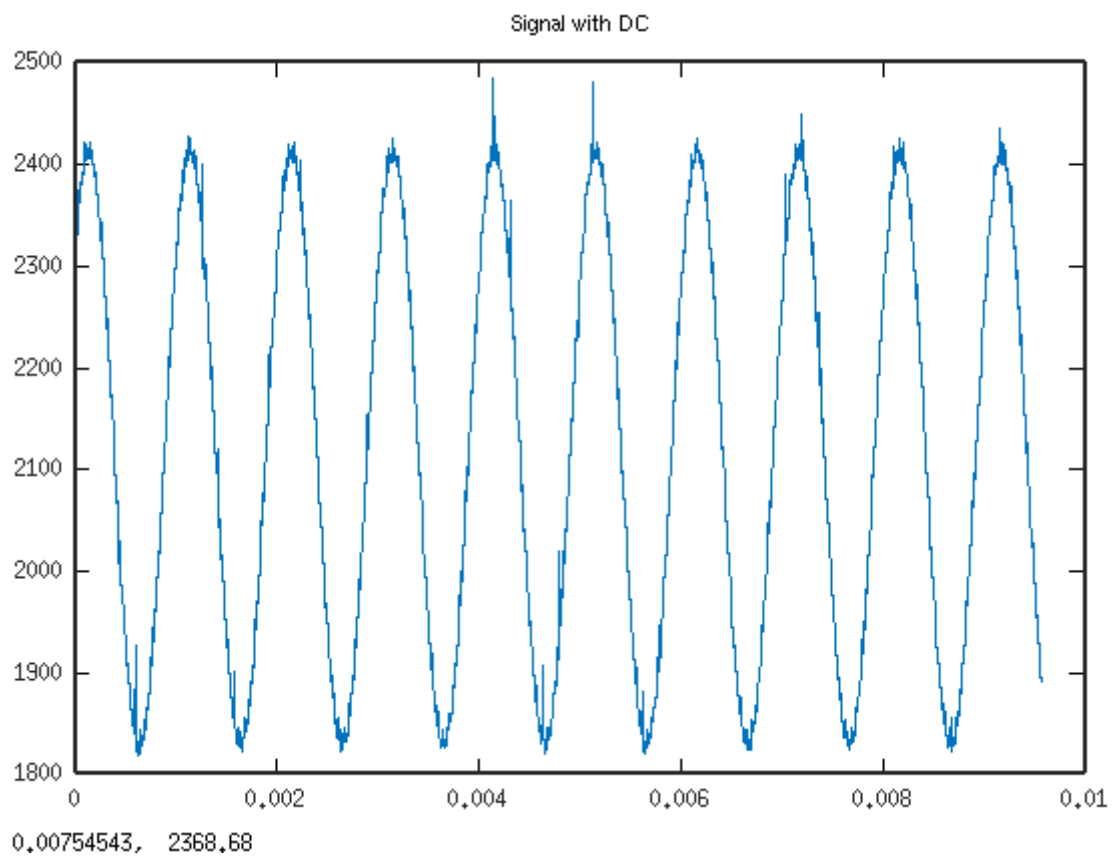
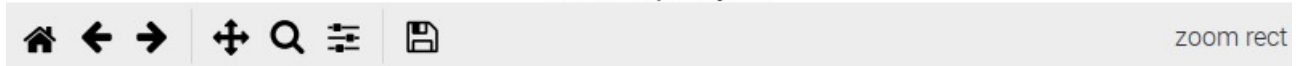
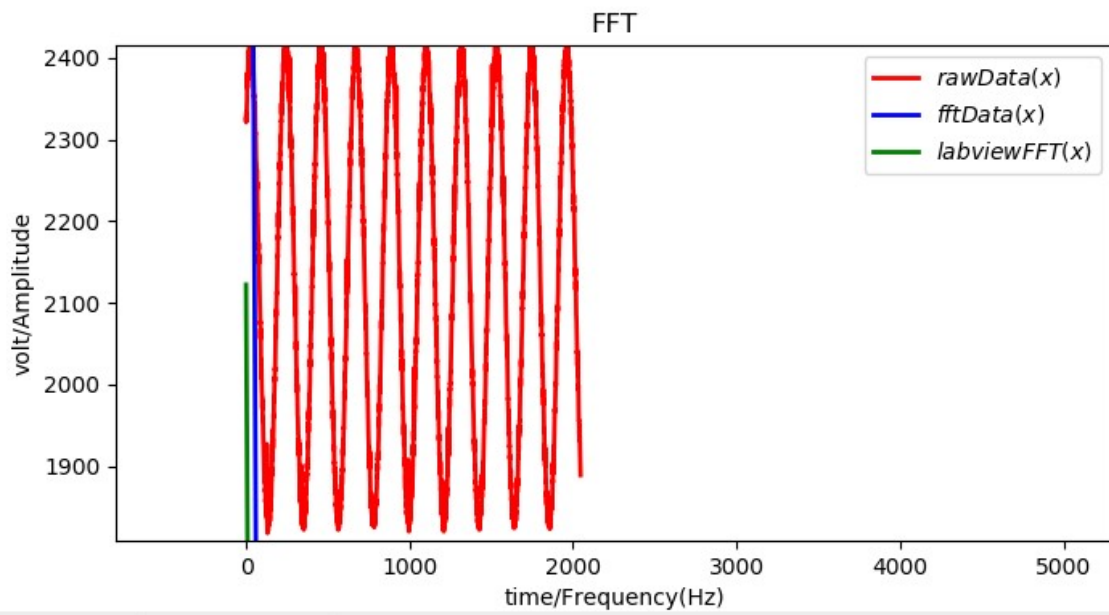
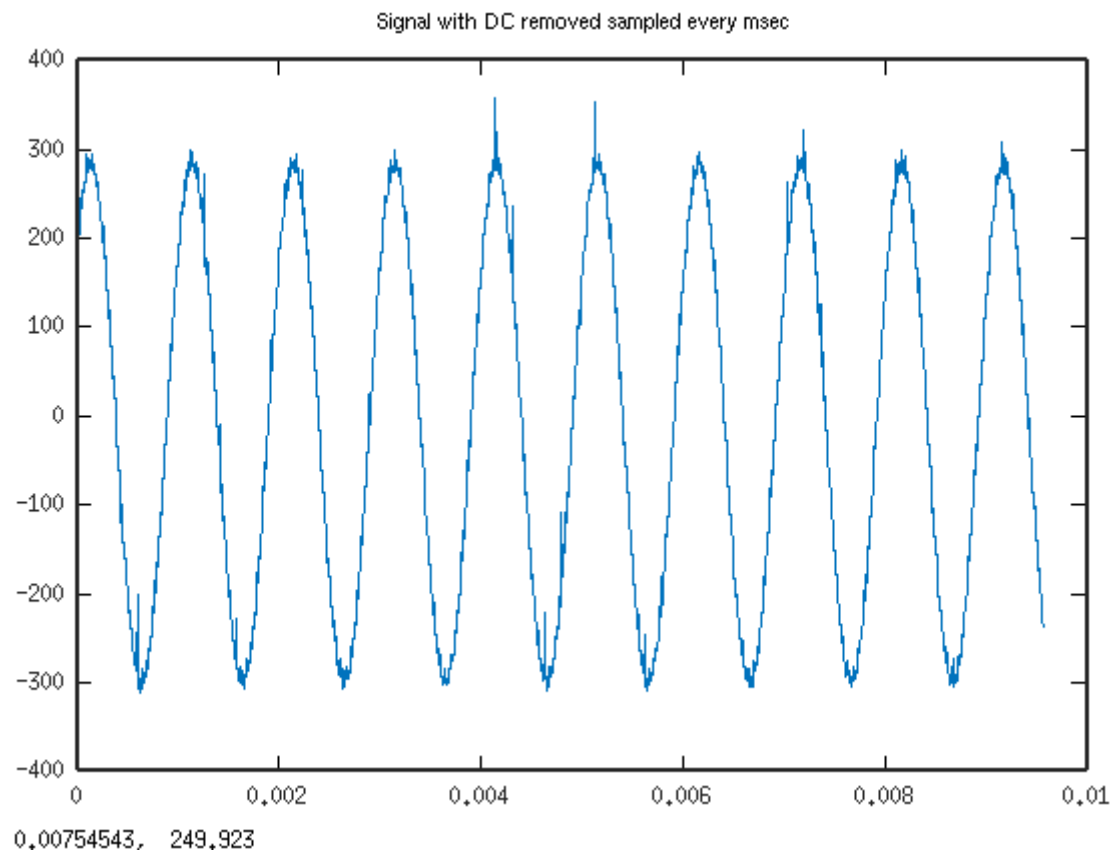


image6





Removed the DC from extracted data.

Compute the FFT.

