

# INCOME TAX AVOIDANCE AND EVASION:

A Narrow Bracketing Approach

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# INTRODUCTION

# OVERVIEW

## Tax structure, Non-compliance, and Tax Administration

Evasion and avoidance alter effective tax rates

Relevant phenomenon affecting all economic subjects

Numerous aspects of the phenomenon have not been addressed yet

## RELATED LITERATURE

Becker, 1968; Yitzhaki 1974

Economics of Crime applied to Tax Evasion

Alm, 1988; Alm & Mccallin 1990

First models considering both Avoidance and Evasion

Feldstein 1999

Taxonomy of Avoidance Schemes

Slemrod 2001

Impact of Avoidance on Leisure-Work Choice

Hoopes et al. 2012

Effectiveness of Anti-Avoidance Deterrence

# RESEARCH GOALS

Provide a model where both **evasion** and **avoidance** are considered

Account for insights from **psychology** and **behavioural economics**

Analyse the impact of different **tax enforcement** instruments on **compliance**

# THE MODEL

# THE MODEL

**Evasion is costless** but carries a fine if detected

**Avoidance** bought from promoters - “no saving, no fee”

**Avoidance is costly** but is not fined when detected

Taxpayers are **heterogeneous in income**

Taxpayers are **risk averse** (CRRA)



# BEHAVIOURAL ASPECTS: LONG

## Decision Framing

**Multi-dimensional decisions** tend to be **sequentially broken down**

Stock market participation puzzle (Barberis et al. 2006),  
Equity premium puzzle (Benartzi and Thaler 1995; Gneezy and Potters 1997)

Choice among lotteries (Battalio et al. 1990; Langer and Weber 2001)

Desirability of this trait is debated (Koszegi and Rabin 2009)

Its pervasiveness is scientifically supported (Tversky and Kahneman 1981)

# BEHAVIOURAL ASPECTS: LONG

## Decision Staging

How **complex matters are broken down** is guided by their most **salient traits** (Kahneman 2003, McCaffery and Baron (2004))

**Lawfulness** of avoidance Vs **illegality** of evasion (Kirchler 2003, Barker 2009)

We assume that :

Taxpayers exhaust the scope for legal avoidance before performing evasion, e.g.,

The joint decision **{avoidance, evasion}** is sequentially decomposed into narrow brackets:

**{avoidance}** followed by **{evasion}**

## BEHAVIOURAL ASPECTS: SHORT

**Multi-dimensional decisions** tend to be **sequentially broken down** (Tversky and Kahneman 1981)

**Salient traits** of the decision determines **decision staging** (Kahneman 2003, McCaffery and Baron 2004)

**Lawfulness** of avoidance Vs **illegality** of evasion (Kirchler 2003, Barker 2009)

### Modelling The Decision

Taxpayers exhaust the scope for legal avoidance  
before performing evasion:

The joint decision **{avoidance, evasion}** is sequentially decomposed into narrow brackets **{avoidance}** followed by **{evasion}**

# MODEL

## Relevant Parameters and variables:

$w$  Taxpayer exogenous income  $[\bar{w}, \underline{w}]$

$t \in (0, 1)$  Linear Tax Rate

$\phi \in (0, 1)$  Linear fee on avoided tax

$f > 0$  Linear fine levied on evaded tax debt

$p \in (0, 1)$  Probability of audit

$A \in [0, w]$  Avoided income

$E \in [0, w - A]$  Evaded income

$x$  Declared income

If audited:

Evaded income is discovered

Avoidance scheme is shut down with  $p_L \in (0, 1]$

# EXPECTED AFTER-TAX INCOME

## Disposable income if not audited

$$\mathbb{E}[U](A, E) = [1 - p] U(w^n) + pp_L U(w^{as}) + p[1 - p_L] U(w^{au})$$

## Where:

Taxpayer income if not audited

$$w^n(A, E) = w - t[w - A - E] - \phi tA$$

Taxpayer income if audited upon successful legal challenge

$$w^{as}(A, E) = w - t[w - E] - [1 + f] tE - \phi tA$$

Taxpayer income if audited upon unsuccessful legal challenge

$$w^{au}(A, E) = w - t[w - A - E] - [1 + f] tE - \phi tA$$

ANALYSIS

# TAXPAYER'S PROBLEM

Taxpayer's optimal Avoidance and Evasion under Narrow Bracketing:

$$A^* = \arg \max_A \mathbb{E}[U] (A, 0)$$

$$E^* = \arg \max_E \mathbb{E}[U] (A^*, E)$$

We characterize first the simpler case where  $p_L = 1$

At an interior optimum it is:

$$A^* = \frac{pR(t)}{1 - \phi} [R(p) R(\phi) - 1] w$$

$$E^* = \frac{pR(t)}{1 - \phi} \frac{[1 - p] [1 - fR(\phi)]}{f} w$$

Where  $R(z) = (1 - z)/z$

# SOME REMARKS

The conditions for an interior optimum are:

$$R(p)R(\phi) > 1 > fR(\phi)$$

$$\frac{pR(t)}{1-\phi} \frac{[1-p][1-fR(\phi)] + f[R(p)R(\phi) - 1]}{f} < 1.$$

Avoidance and Evasion are linearly and negatively related

$$E^*(A^*) = \frac{p[wR(t) - \phi A^*][R(p) - f]}{f} - pA^*$$



## COMPARATIVE STATICS

	$A^*$	$E^*$	$A^* + E^*$
$w$	+	+	+
$t$	—	—	—
$f$	0	—	—
$\phi$	—	+	+ / —
$p$	—	+ / —	+ / —

Comparative statics for interior  $A^*, E^*, A^* + E^*$

Note that:

$$\frac{\partial E^*}{\partial z} = \left. \frac{\partial E^*}{\partial z} \right|_{A^* = \text{cons.}} + \frac{\partial E^*}{\partial A^*} \frac{\partial A^*}{\partial z},$$

## COMPARATIVE STATICS

	$A^*$	$E^*$	$A^* + E^*$
$w$	+	+	+
$t$	-	-	-
$f$	0	-	-
$\phi$	-	+	+/-
$p$	-	+/-	+/-

Comparative statics for interior  $A^*, E^*, A^* + E^*$

And it is:

$$\frac{\partial E^*}{\partial p} = \frac{[R(p) - 1] [1 - fR(\phi)]}{R(p) + fR(\phi)} \frac{\partial E^*}{\partial A^*} \frac{\partial A^*}{\partial p}$$

## COMPARATIVE STATICS

## The “Yitzhaki Puzzle”

	$A^*$	$E^*$	$A^* + E^*$
$w$	+	+	+
$t$	−	−	−
$f$	0	−	−
$\phi$	−	+	+ / −
$p$	−	+ / −	+ / −

Comparative statics for interior  $A^*, E^*, A^* + E^*$

# AUDIT PROBABILITY VS FINE

For a constant expected return to evasion, evasion is reduced by increasing the fine rate and decreasing the audit probability (Christiansen, 1980)

Restricting the attention only to evasion the finding is confirmed

$$\left. \frac{\partial E^*}{\partial p} \right|_{p[1+f]-1=const.} > 0$$

However, a revenue maximizing tax agency is interested in:

$$\left. \frac{\partial [A^* + E^*]}{\partial p} \right|_{p[1+f]-1=const.} \geq 0$$

Fine rate only affects **evasion** while **audit probability** affects both **avoidance** and **evasion**

# PROBABILISTIC ANTI-AVOIDANCE

Attempts to shut-down avoidance schemes may be unsuccessful

Adopting the more realistic assumption  $p_L \in (0, 1]$

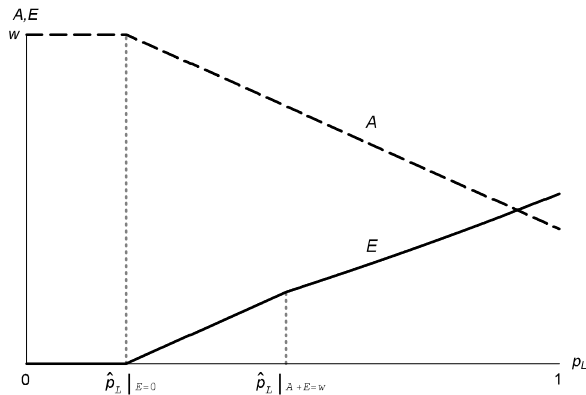
Optimal avoidance (and its CS) is the same with  $p \rightarrow pp_L$

$$A^* = \frac{pp_L R(t)}{1-\phi} [R(pp_L) R(\phi) - 1] w$$

Optimal evasion is no longer analytically tractable

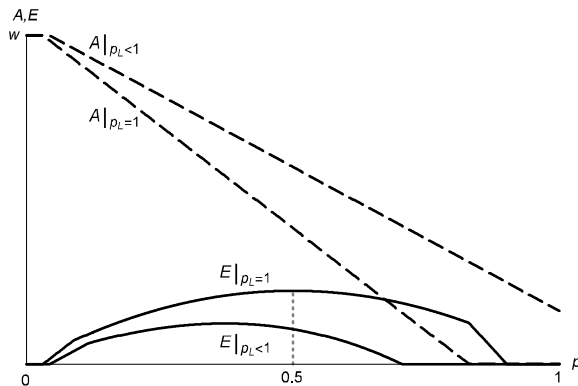
Further analysis by means of numerical optimization procedures confirms qualitative findings of CS on  $E^*$  and  $A^* + E^*$

# PROBABILISTIC ANTI-AVOIDANCE



Optimal avoidance and evasion for  $p_L \in [0, 1]$ .

# PROBABILISTIC ANTI-AVOIDANCE



Optimal avoidance and evasion for  $p_L < 1$  and  $p_L = 1$ .

# CONCLUSION



## CONCLUDING REMARKS

Tax **enforcement instruments are heavily affected** when avoidance and behavioural findings are accounted for

Evasion is negatively related to avoidance

**Evasion** and **avoidance increase** with **income**

"Yitzhaki puzzle" not addressed (**yet**)

# Thank You!

Questions?