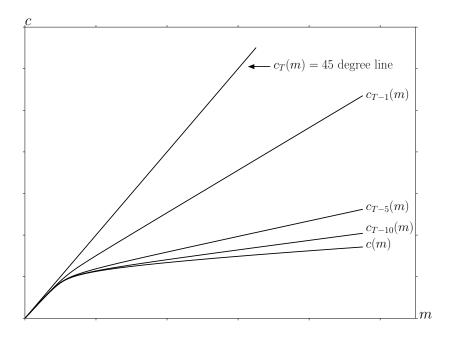


Figure 1 Perfect Foresight Relation of GIC, FHWC, RIC, and PFFVAC An arrowhead points to the larger of the two quantities being compared; so, following the diagonal arrow imposes that absolute patience is smaller than the limit defined by the finite value of autarky factor, $\mathbf{p} < \mathcal{G}(R/\mathcal{G})^{1/\gamma}$ (this is one way of writing the PF-FVAC, equation (9)). (The \neq symbols indicate that the diagram is not commutative; that is, the different ways of reaching the conclusion that the PF-FVAC holds are not equivalent to each other).

{fig:RelatePFGICF



 ${\bf Figure~2}~~{\bf Convergence~of~the~Consumption~Rules}$

{fig:cFuncsConverge

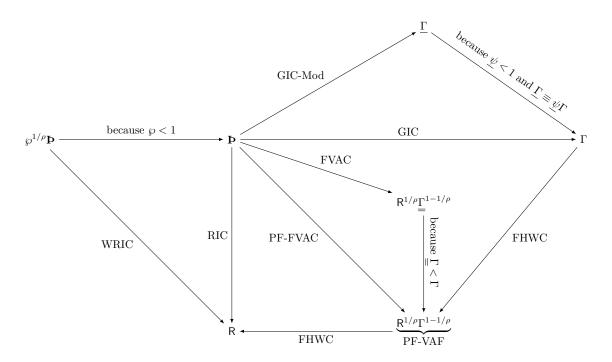


Figure 3 Relation of All Inequality Conditions See Table 2 for Numerical Values of Nodes Under Baseline Parameters

{fig:Inequalities}

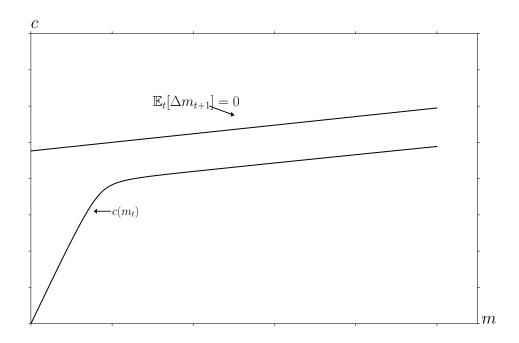


Figure 4 Example Solution under {FVAC,GIC-Mod}

 $\{ fig: FVACnotGIC \}$

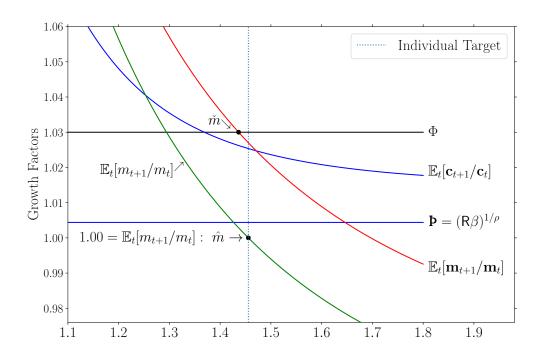


Figure 5 'Stable' (Target; Balanced Growth) m Values

{fig:cNrmTargetFig

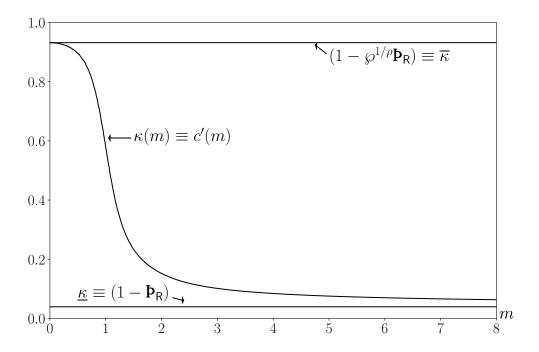


Figure 6 Limiting MPC's

{fig:mpclimits}

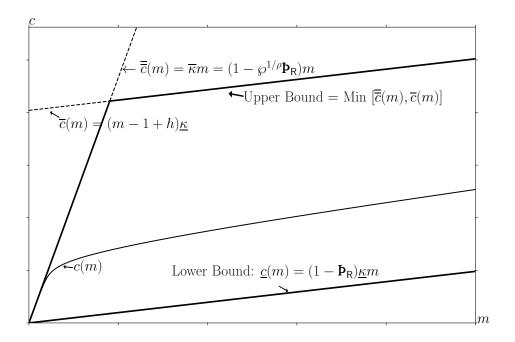


Figure 7 Upper and Lower Bounds on the Consumption Function



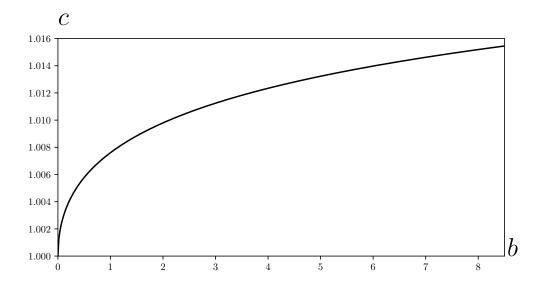


Figure 8 Appendix: Nondegenerate c Function with EHWC and RHC

{fig:PFGICHoldsFI