CMPE160 PROJECT#4

Deadline: May  $21^{st}$ , 2004, 17:00

Project Description 1

In this project you will implement a sparse matrix abstract data type. When matrices are sparse (there

are many zero terms), we can reduce time and space complexity of matrix operations by retaining only the

nonzero terms. If the nonzero terms in the matrix form a pattern (e.g. a triangle or a band), a sequential

scheme, in which terms are represented by nodes with row, column and value fields, may be enough. But for

unstructured sparse matrices, a different representation should be used.

In this representation, each row and column of the matrix is represented by a circular linked list with

head nodes. Each node has a head field which is used to discriminate between a head node and a typical

node. Each head node has three additional fields: down, right and next. down is a link into a column list

and right into a row list. The head node for row i is also a head node for column i. next links the head

nodes together.

Entry nodes have six fields: head, row, col., down, right and value (Figure 1). down is a link to the

next nonzero term in the same column and right to the next nonzero term in the same row. row, col and

value fields keep the row number, column number and value of the term, respectively. Each entry node is

simultaneously in two different lists.

Head nodes are in three lists: a row list, a column list and the list of head nodes. There is a head node

for the list of head nodes and it is identical to the entry nodes. row and col fields of this node stores the

matrix dimensions.

The linked structure for sparse matrix A, Figure 2, is shown in Figure 3.

In this project, you will implement the **SparseMatrix** class according to the above representation. It

should contain the following methods:

Input: Read in a matrix and set up its linked representation. First, read in the matrix dimensions and the

number of nonzero terms. Then, read each term as (row number, column number, value) triples. Overload

>> operator.

Output: Display the whole matrix in a nice way. Overload << operator.

Add: Add two matrices, return the result as a new matrix. Overload + operator.

Subtract: Subtract two matrices, return the result as a new matrix. Overload - operator.

Multiply: Multiply two matrices, return the result as a new matrix. Overload \* operator.

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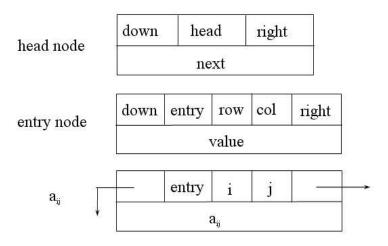


Figure 1: Node structure for sparse matrices

$$\begin{bmatrix} 0 & 0 & 11 & 0 \\ 12 & 0 & 0 & 0 \\ 0 & -4 & 0 & 0 \\ 0 & 0 & 0 & -15 \end{bmatrix}$$

Figure 2: 4x4 sparse matrix A

You will also write a main program that uses the sparse matrix class. It will read two matrices (A and B) from two files and then calculate C = A + B, D = A - B, E = C \* D and display matrix E.

## 2 Material to Submit

You will prepare the SDD of your project and submit its printout until May  $14^{th}$ , 2004, 17:00. You will submit the printout of the source listing of your program and a diskette containing the source code and the executable (.cpp and .exe). Send an e-mail with your source codes attached to dikmen@cmpe.boun.edu.tr with the name "yournumber.c" (e.g. 97022425.cpp or 01002425.cpp). The subject of the e-mail should be "cmpe160 project4". Deadline is May  $21^{st}$ , 2004, 17:00.

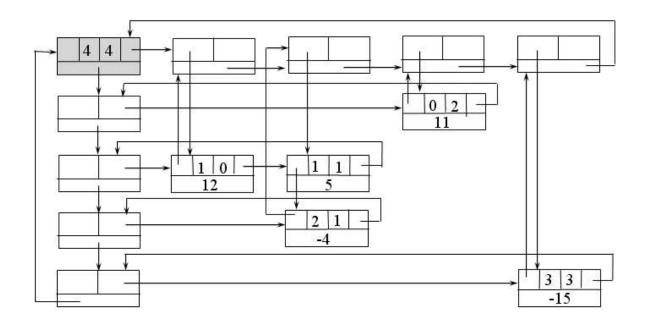


Figure 3: Linked representation of the sparse matrix  $\boldsymbol{A}$