

From Software Testing to Intelligent Validation of Autonomous Systems

Du Test Logiciel à la Validation Intelligente des Systèmes Autonomes

Ecole des Jeunes Chercheurs en Programmation
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Course Overview

- Software Testing Introduction
- Code-based Testing
- Testing of Autonomous Systems
- Open Challenges in Software Testing

A Historical Perspective on Software Testing



9/9/1947



9/9	
0600	Auton started
1000	- stopped - anchor ✓ { 1.200 9.050.000.000 1500.000.000.000 3.07.000.000.000.000 1500.000.000.000 2.000.000.000.000.000.000 000 P00 2 2.130970000 coms 1.132670000
Relays 6-2 - 000 field switch open in relay	1.000 feet -
1100	Relay changed
1515	Started Control Tape (Sync check) started library folder 1022.
1645	 Relay #70 Panel F (out) in relay
1700	First actual trace of bug being found. referred to current circuit short term.



Grace Hooper

1960-80: Testing = Debugging

What have we learnt since then?

Causality: **Error → Fault → Failure**

In fact, 3 distinct activities:

- * Failure detection (Testing purpose)
- * Fault localization (Debugging purpose)
- * Error correction (Debugging purpose)

1980-90: Testing = Destruction

“Testing is the process of executing a program with the intent of finding errors” [G. Myers *The Art of Software Testing* 1979]

Consequently:

validation team ≠ development team

But, there is no specification to test the program against

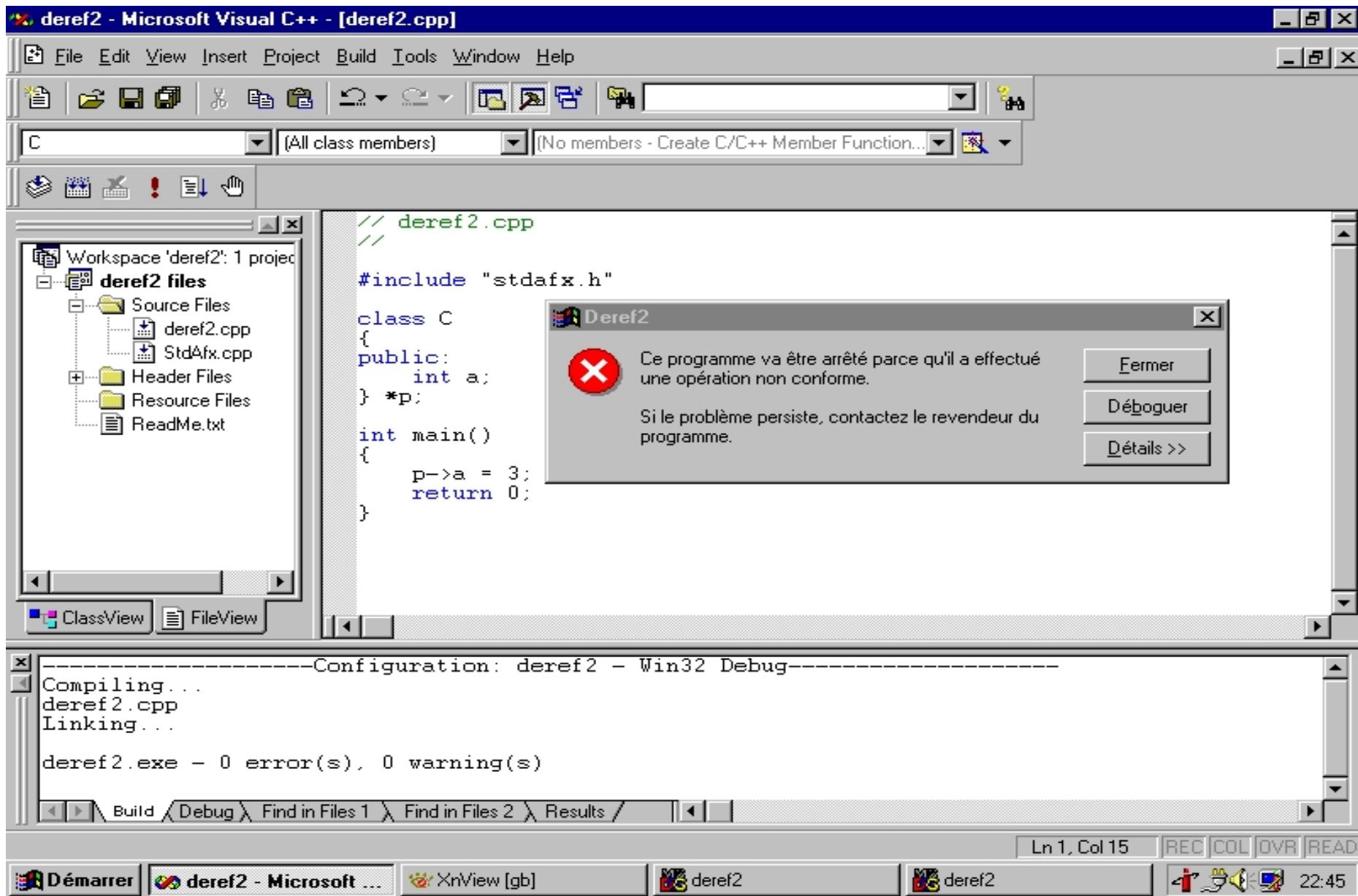
That dogmatic position was progressively given up!

1990-2000: Testing = Fault Prevention

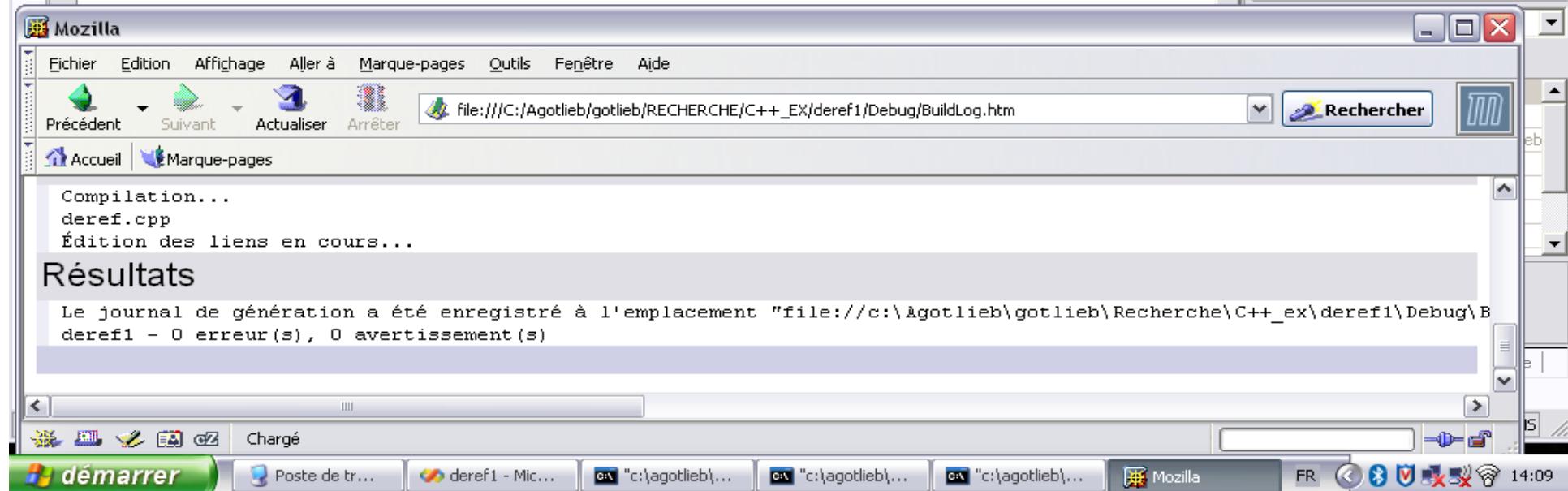
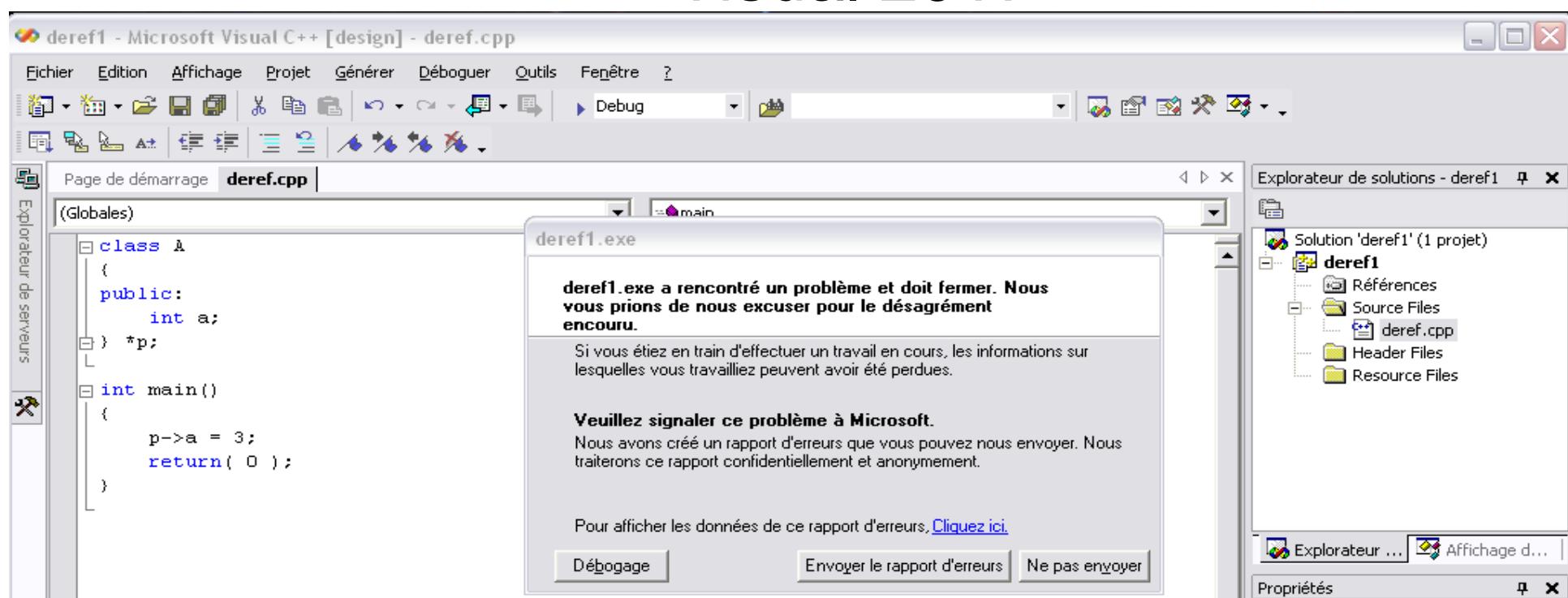
“To convince that a program conforms to its specifications by using static or dynamic analysis techniques”

- Program analysis → Control: Property checking
Before execution
- Program execution → Testing: Result evaluation
After execution

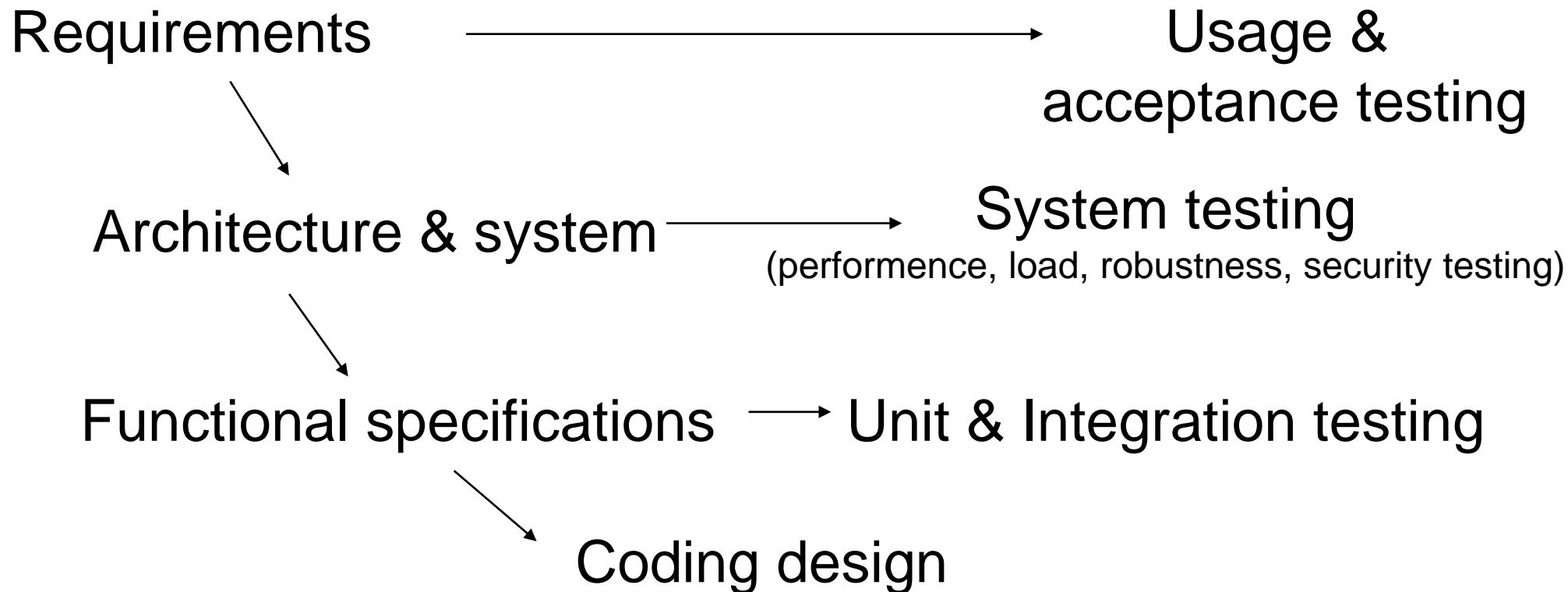
Visual 1998



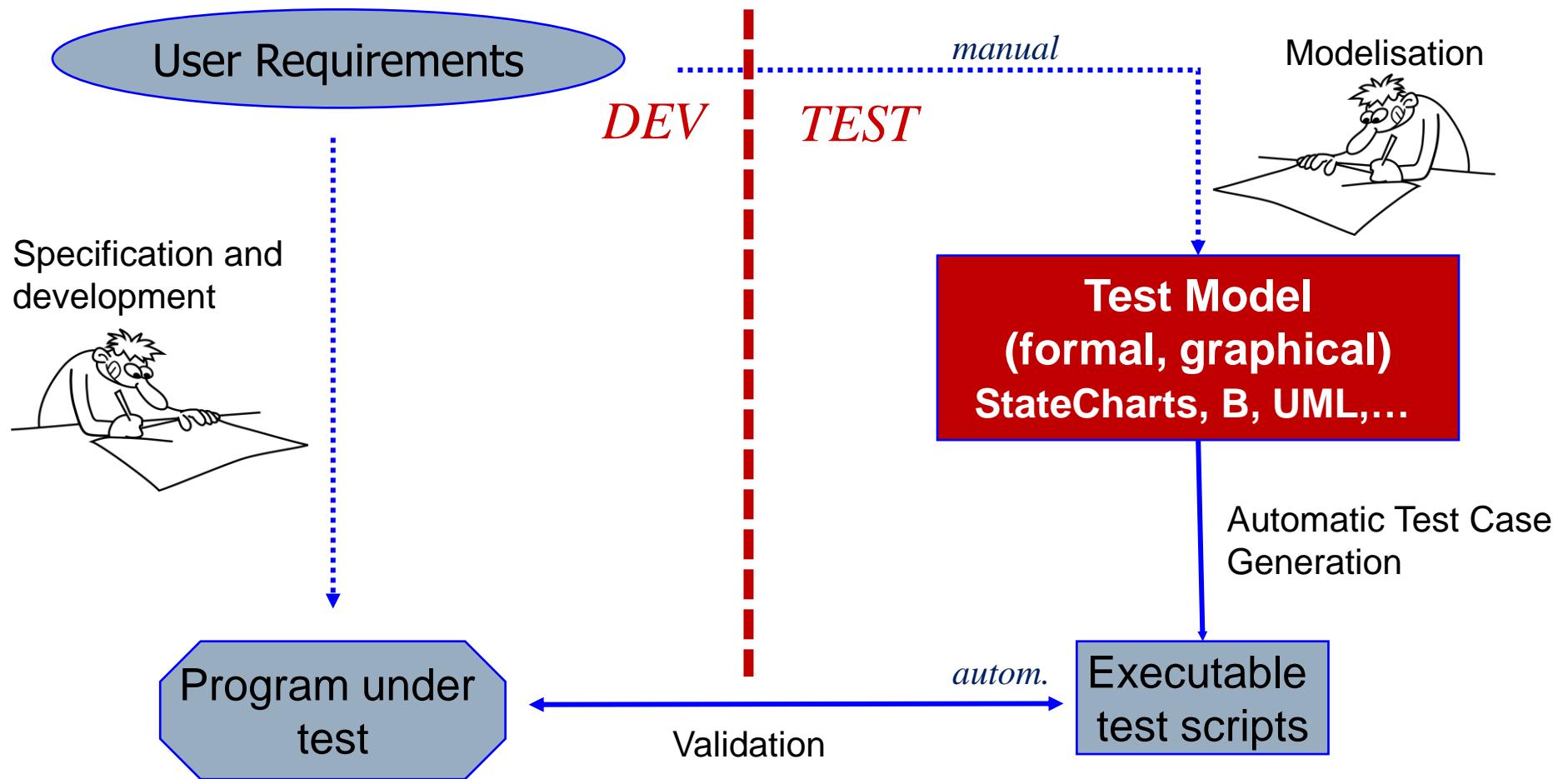
Visual 2017



Software testing in the V software developpement process:

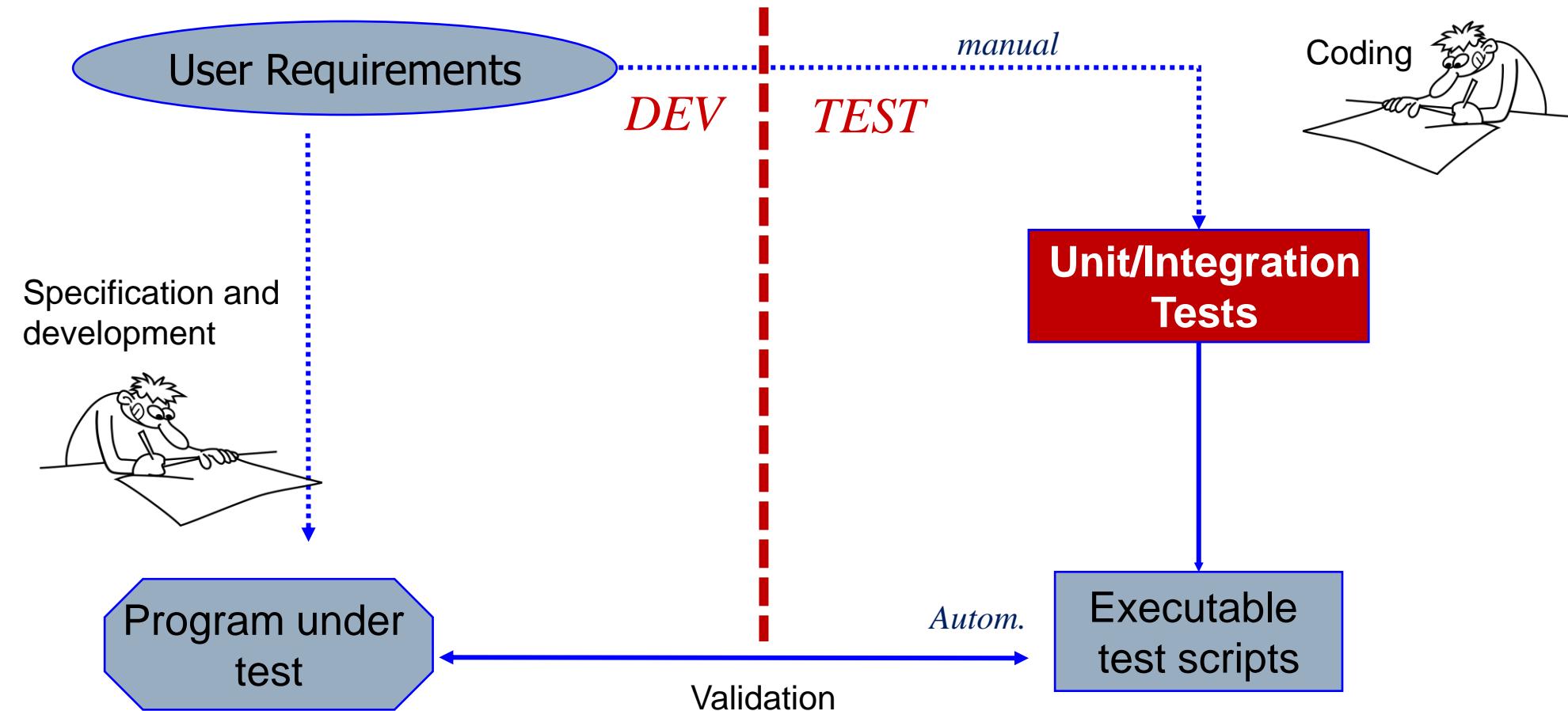


2000-2010 : Testing = Model-Based Testing (MBT)



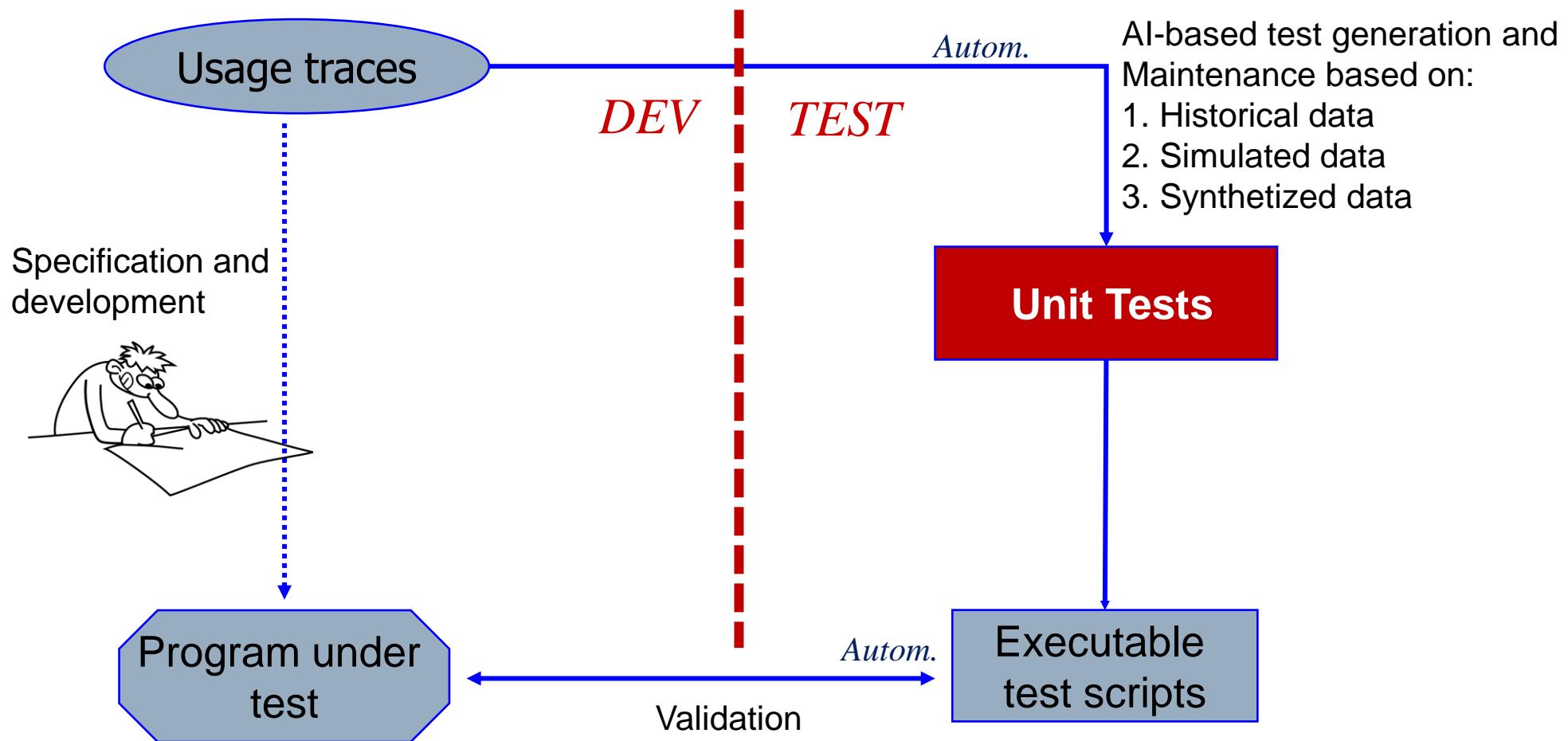
MBT added-value: Build a (test) model instead of test cases to validate/verify the program

2010-2020: Testing = Agile Testing/Test-Driven Dev. (TDD)



Writing tests instead of a specification model is considered more agile

2020-20...: Testing = Intelligent Testing / AI-driven Testing



AI is revolutionizing the way software systems are developed and tested

Terminology

(IEEE Standard Glossary of SE, BCS's standard for Softw. Testing)

- **Validation:** “The process of evaluating software at the end of software development to ensure compliance with intented usage” -- Are we developing the right product ?
- **Verification:** “The process of determining whether the products of a given phase of the software development process fulfill the requirements established during the previous phase” -- Are we developing the product right ?
- **Testing:** “Evaluating software by observing its execution”

Program Testing: Our Definition

- Testing = **Execute** a program P to detect **faults**, which are **non-conformities** w.r.t. the program specification F
- Looking for counter-examples:

$$\exists ?x \text{ tq } P(x) \neq F(x)$$

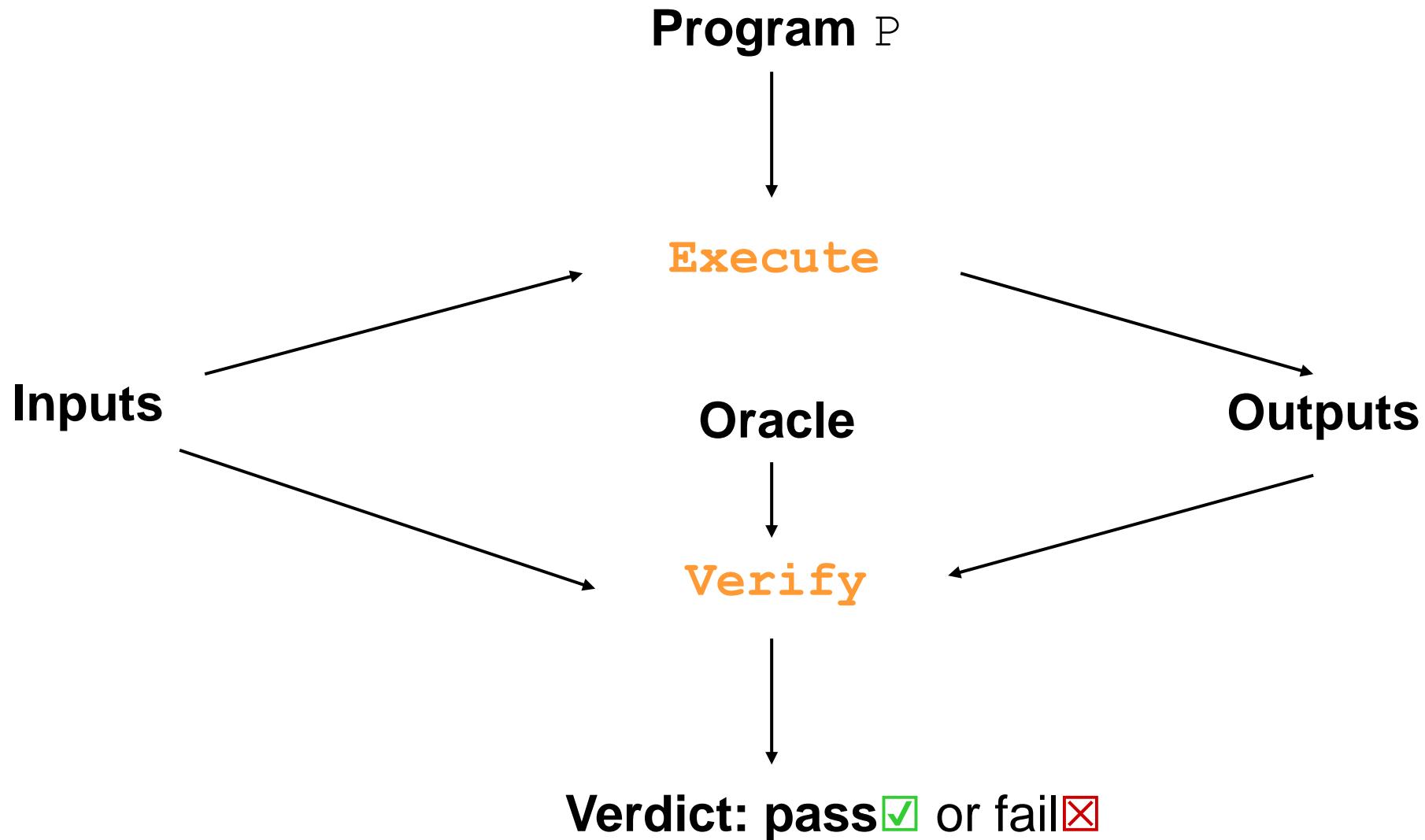
Program Correction: Fundamental Limitation

Impossibility to demonstrate the correction of a program in the general case as a consequence of **the undecidability of the Halting problem of a Turing machine**

“Program Testing can be used to prove the presence of bugs, but never their absence” [Dijkstra 74]

PS : Expert developer → ~1 fault / 10 LOC
~163 faults / 1000 instructions
[B. Beizer *Software Testing Techniques* 1990]

Test Process



Oracle Problem :

How to verify the computed outcomes?

In Theory:

- By predicting the expected result
- By using a formulae extracted from the specification
- By using another program
- By using known properties about multiple executions of the program

In Practice :

- Approximative predictions (due to floating-point computations,...)
- Unknown formula (because Program = Formulae)
- Non bug-free oracles and incorrect properties

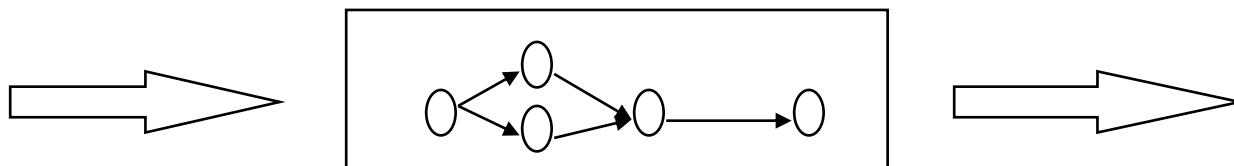
Test Input Selection Problem

How to choose inputs for testing?

A. Black-box Testing: Using specifications to generate test inputs



B. Code-Based Testing: Using the program code and structure



A. Black-box Testing

Using a specification model:

- **Informal** (Partition Testing, Boundary Testing, ...)
- **Half-formal** (Use cases, Sequence diagrams, UML/OCL, Causes/effects graphs...)
- **Formal** (Algebraic specifications, B Machines, Transition systems, IOLTS, ...)

B. Code-Based Testing

Using a model computed from the source code of the program under test

- model = Internal representation of the program structure
- Heavy usage of **Graph Theory**, in particular, coverage techniques

Code-Based Testing is indispensable (1)

Specification:

Return the product of
i by j

(i = 0, j = 0) --> 0

(i = 10, j = 100) -->1000

...

--> OK

```
prod(int i,int j )  
{  
    int k ;  
    if( i==2 )  
        k := i << 1 ;  
    else  
        (...)  
    return k ;  
}
```

Code-Based Testing is indispensable! (2)

Specifications :

renvoie le produit de
i par j

($i = 0, j = 0$) --> 0

($i = 10, j = 100$) --> 1000

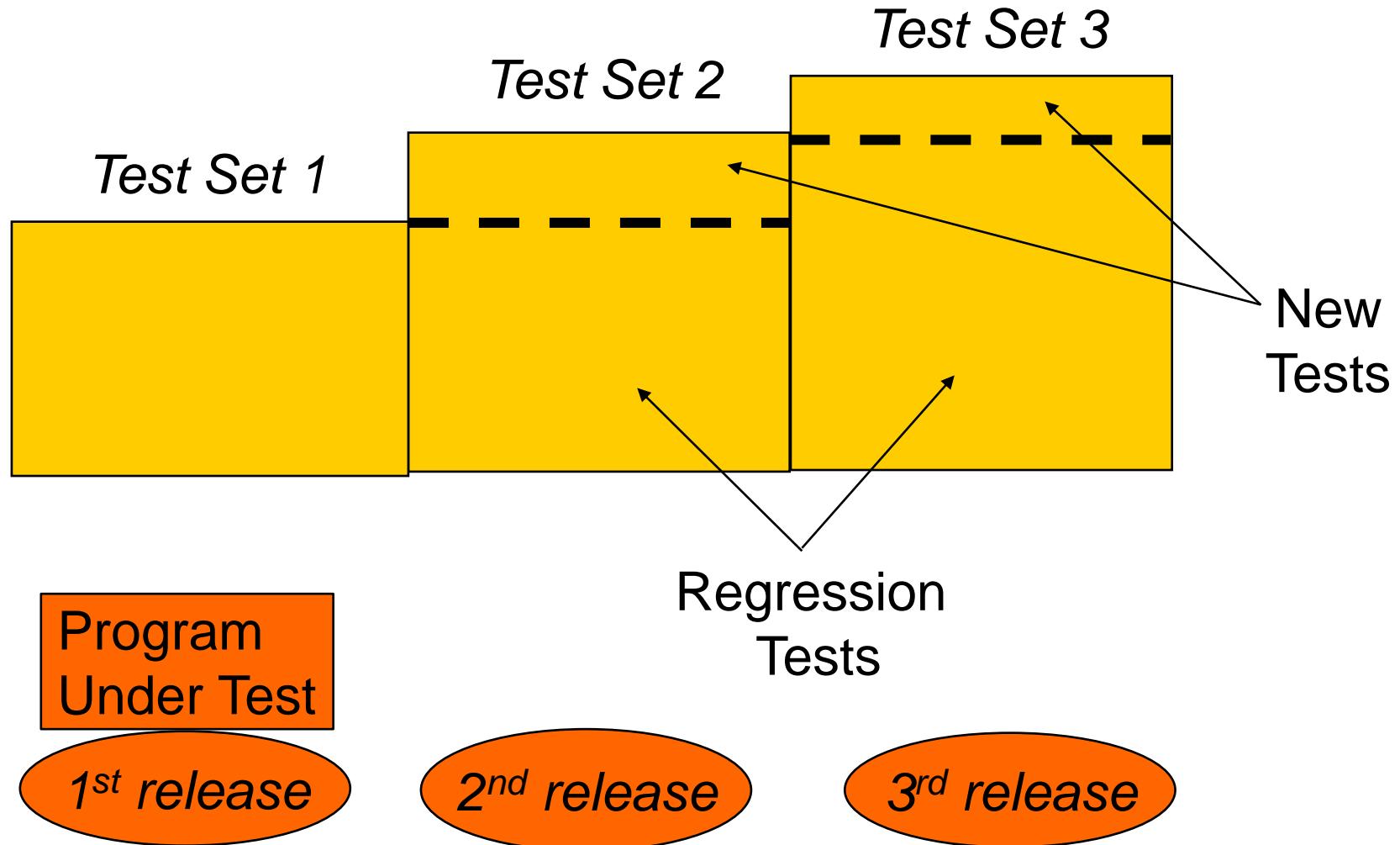
...

Undetected fault if only
black-box testing is
used par

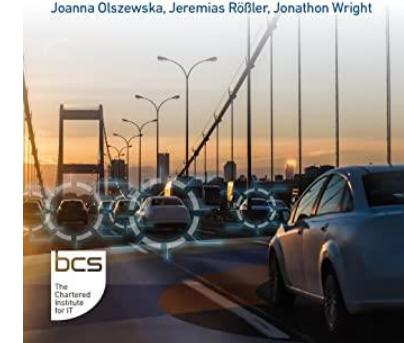
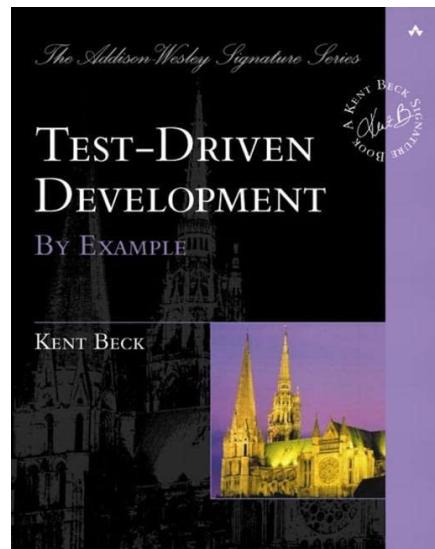
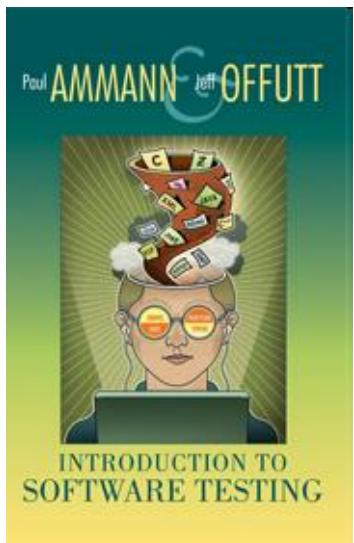
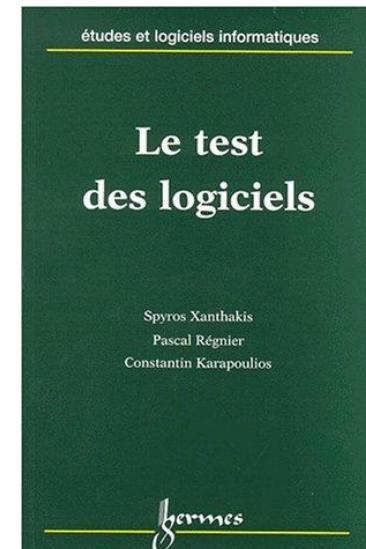
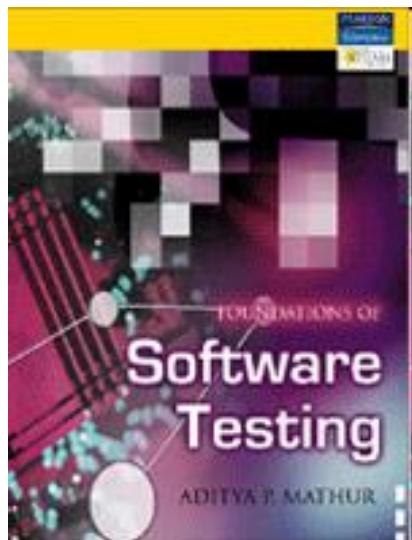
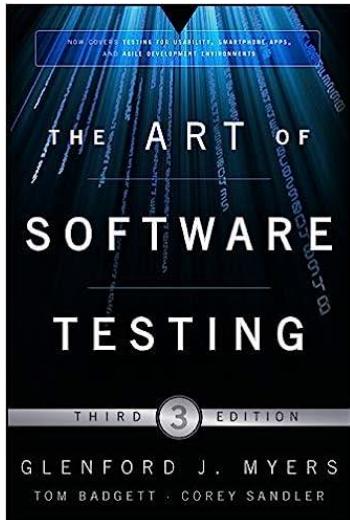
patch → $k := j << 1$

```
prod(int i,int j )  
{  
    int k ;  
    if( i==2 )  
        k := i << 1 ;  
    else  
        (...)  
    return k ;  
}
```

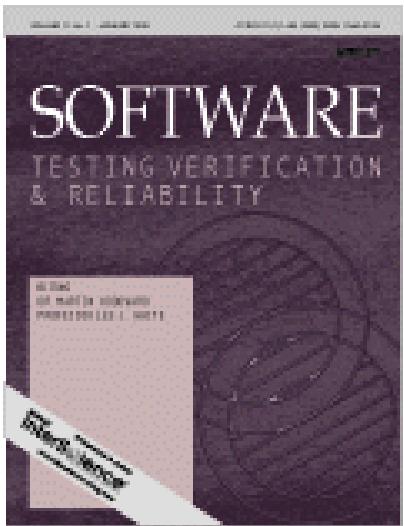
Regression Testing



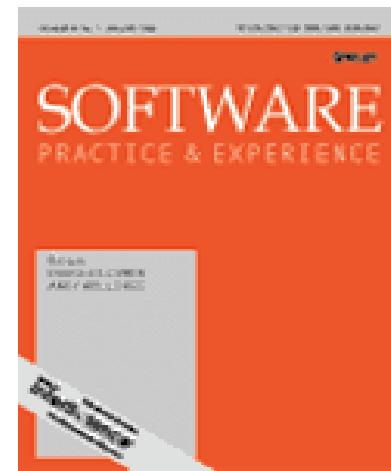
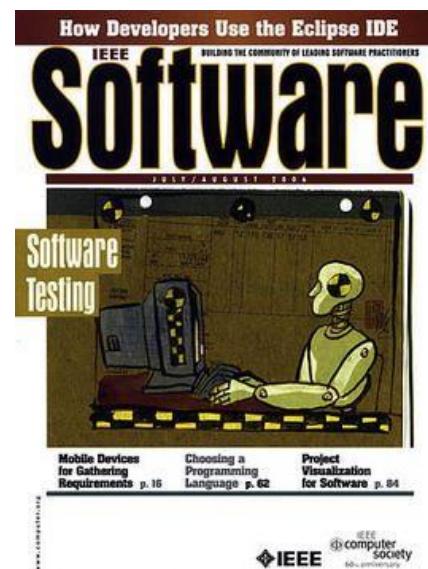
Bibliography: Reference Books



Bibliography: Journals



IEEE TRANSACTIONS ON SOFTWARE ENGINEERING

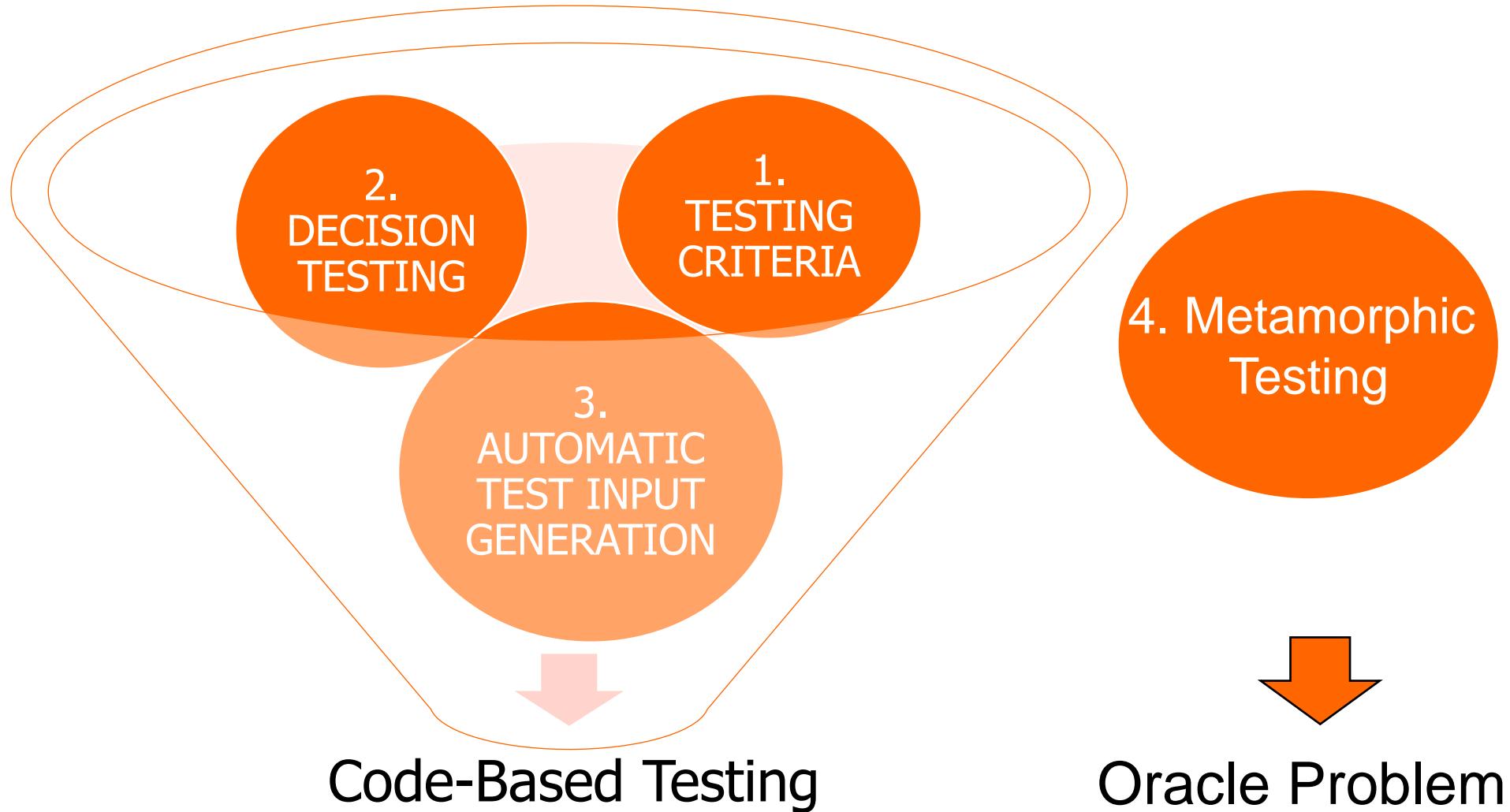


Optimisation par essais particulaires
Maurice Clerc
Optimisation graphique et interactive de sites web
Antoine Oliver, Omer Regragui, Nicolas Morenuschi, Gilles Venturini
Construction de services distribués : une approche à base d'agents mobiles
Siegfried Roessner
Une approche pour réduire la complexité du flux de contrôle dans les programmes C
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Edgar W. Dijkstra
P.A. de Marneffe

Journées
Lavoisier

Course Overview

- Software Testing Introduction
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1. TESTING CRITERIA

Internal Representations

Program Structure Abstractions

- Control Flow Graph (CFG)
- Def/Use Graph
- Program Dependence Graph

Control Flow Graph (CFG)

Oriented and connex graph (N, A, e, s) where

N: set of nodes =

Instructions block sequentially executed

E: set of arcs, $N \times N$ relation,

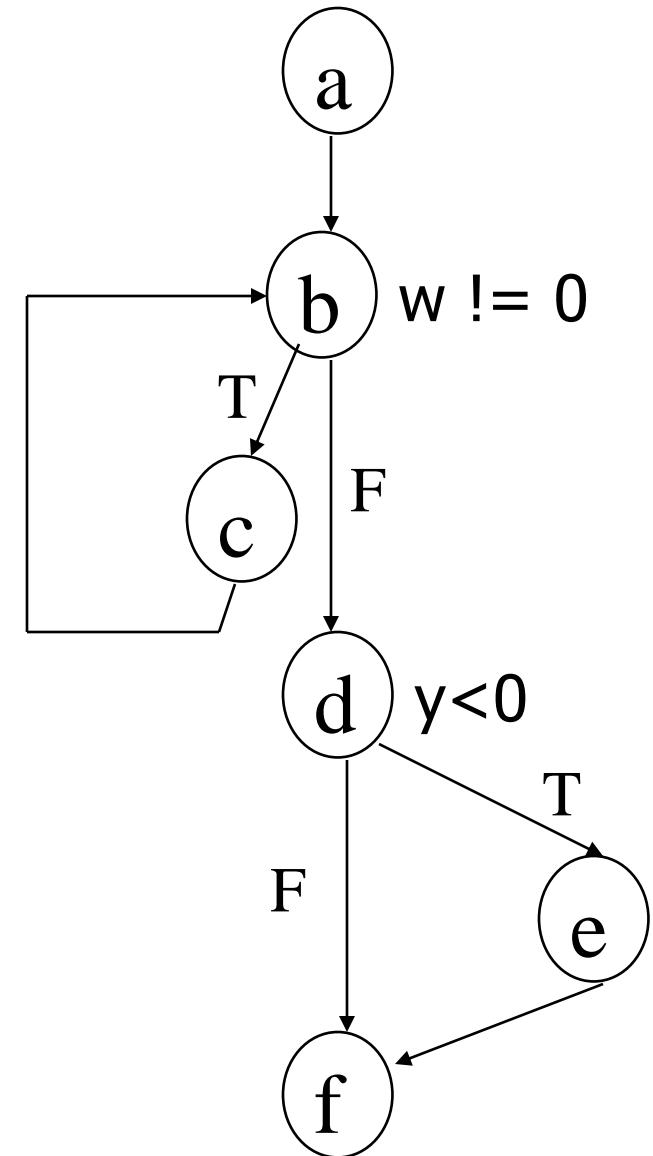
Some arcs are labelled with {T, F} = Possible branching of the control flow

e: Program input node

s: Program output node

Control Flow Graph (CFG): Example

```
double P(short x, short y) {  
    short w = abs(y) ;  
    double z = 1.0 ;  
while ( w != 0 )  
{  
    z = z * x ;  
    w = w - 1 ;  
}  
if ( y<0 )  
    z = 1.0 / z ;  
return(z) ;  
}
```



Structural Criterion: *All_nodes* / *All_statements*

Motivation: To cover all program instructions at least once during testing

Def: A subset C of program paths of the CFG

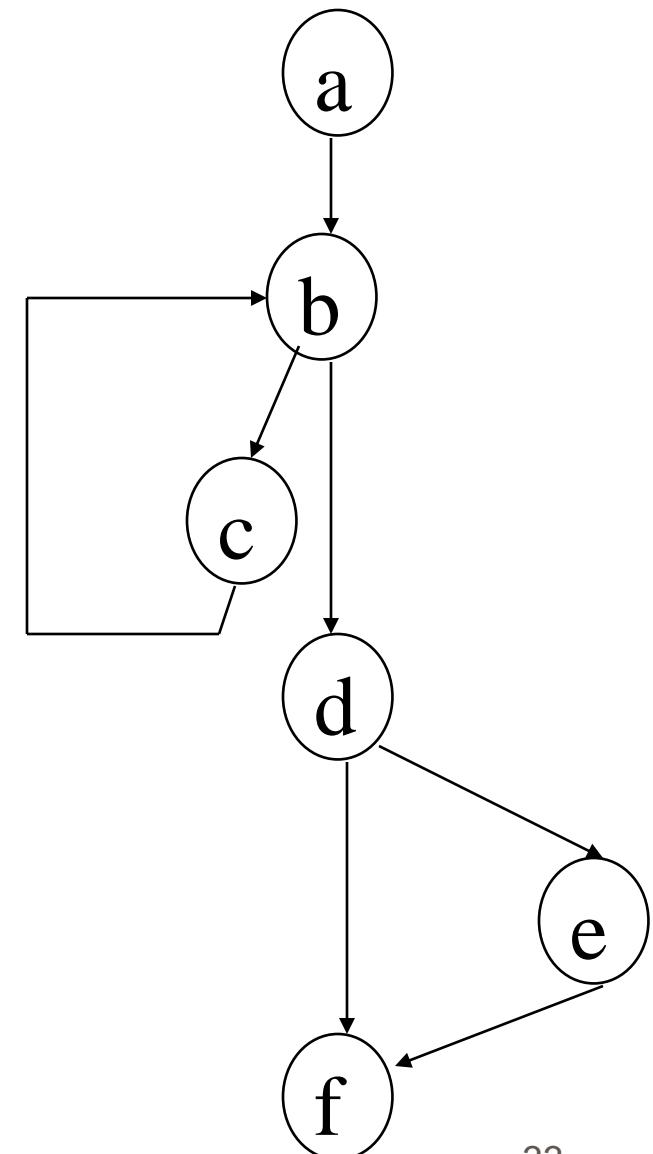
(N, A, e, s) satisfies ***All_nodes***

iff $\forall n \in N, \exists C_i \in C$

such that n is a node of C_i

Example: Here, only one path is necessary

a-b-c-b-d-e-f [6/6 nodes]



Structural Criterion: *All_arcs* / *All_decisions*

Motivation: To cover all program decisions at least once during testing

Def: A subset C of paths of the CFG

(N, A, e, s) satisfies ***All_arcs***

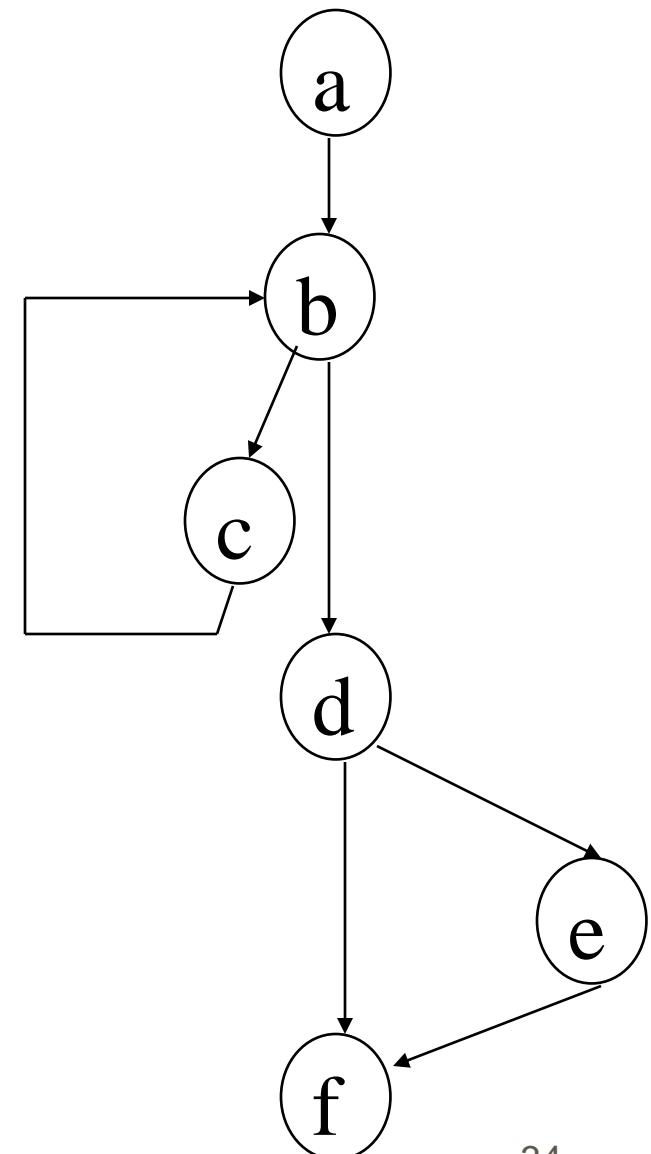
iff $\forall a \in A, \exists C_i \in C$

such that a is an arc of C_i

Example: Here, 2 paths are necessary

$a-b-c-b-d-e-f$ [6/7 arcs]

$a-b-d-f$ [3/7 arcs]



Structural Criterion: *All_simple_paths* | *All_k_paths*

Motivation: To cover all execution paths which do not iterate more than once in loops or do not exceed a given length

Example: Here, 4 simple paths are necessary to cover *All_simple_paths*

a-b-d-f

a-b-d-e-f

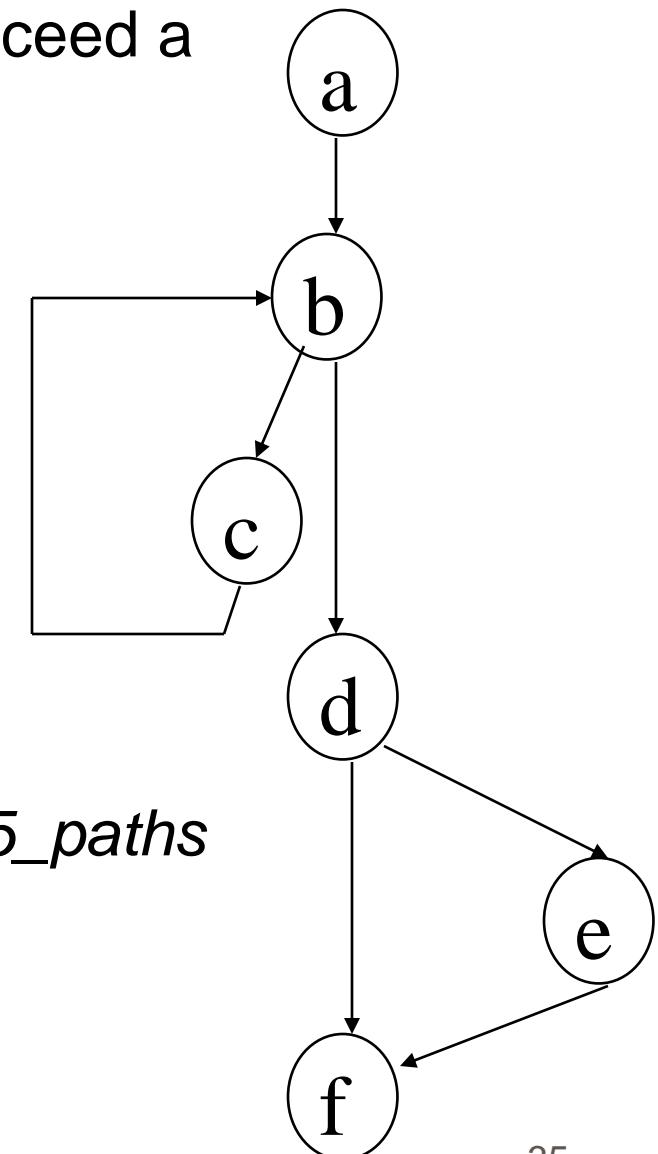
a-b-c-b-d-f

a-b-c-b-d-e-f

Example: 2 paths are necessary to cover *All_5_paths*
(Paths with less than 5 instruction blocs)

a-b-d-f

a-b-d-e-f



Structural Criterion: *All_paths*

Def: A set C of paths of the CFG (N, A, e, s) satisfies ***all_paths*** if C contains all paths from e to s

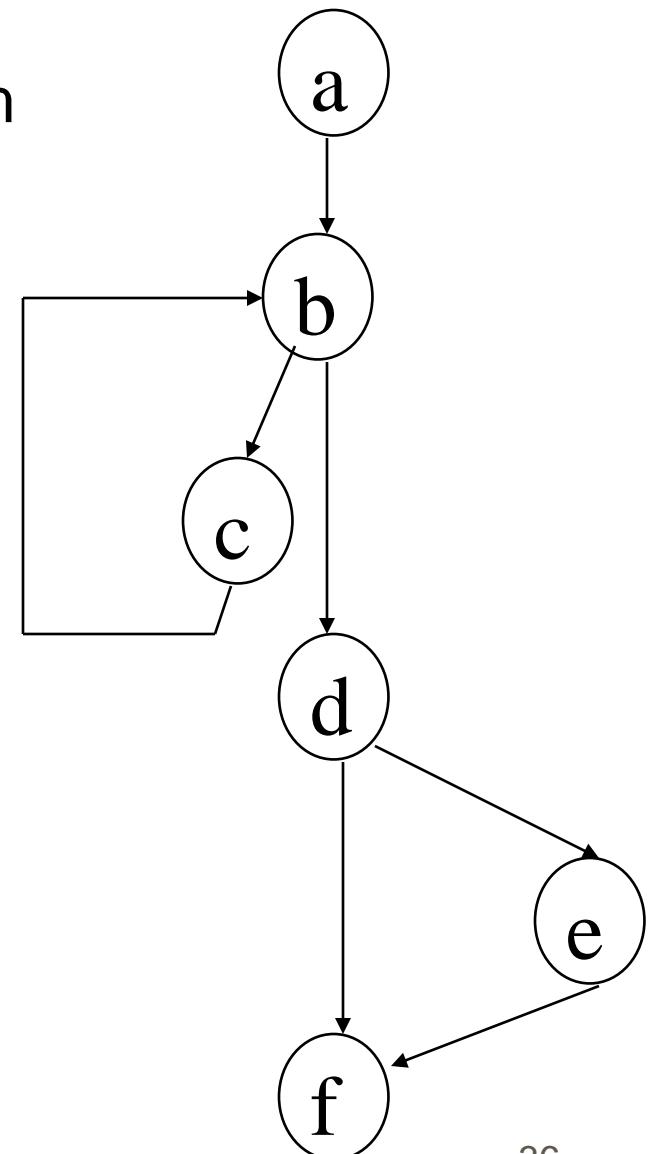
Here, it is **impossible** as there is an ∞ of paths. Note also that some paths may be **infeasible**!

All_paths is stronger than ***All_k_paths***

All_k_paths is stronger than ***All_arcs***

All_arcs is stronger than ***All_nodes***

...



Executed Path: `exec (P, X)`

Principle:

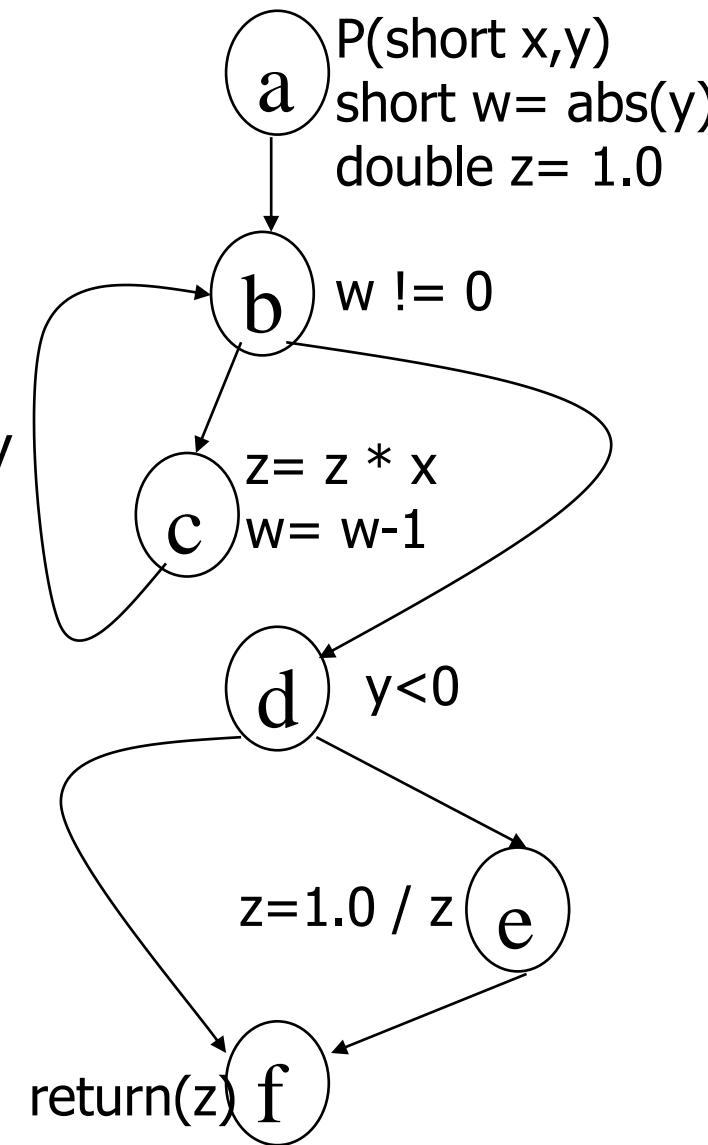
x executes a **single path** of the CFG (no concurrency, no dynamic bindings)

Def: Sequence of CFG nodes, not necessarily finite, followed by the execution flow when P is feeded with x as input

Examples:

`exec (P, (0, 0)) = a-b-d-f`

`exec (P, (3, 2)) = a-b- (c-b)2-d-f`



Infeasible Path Problem

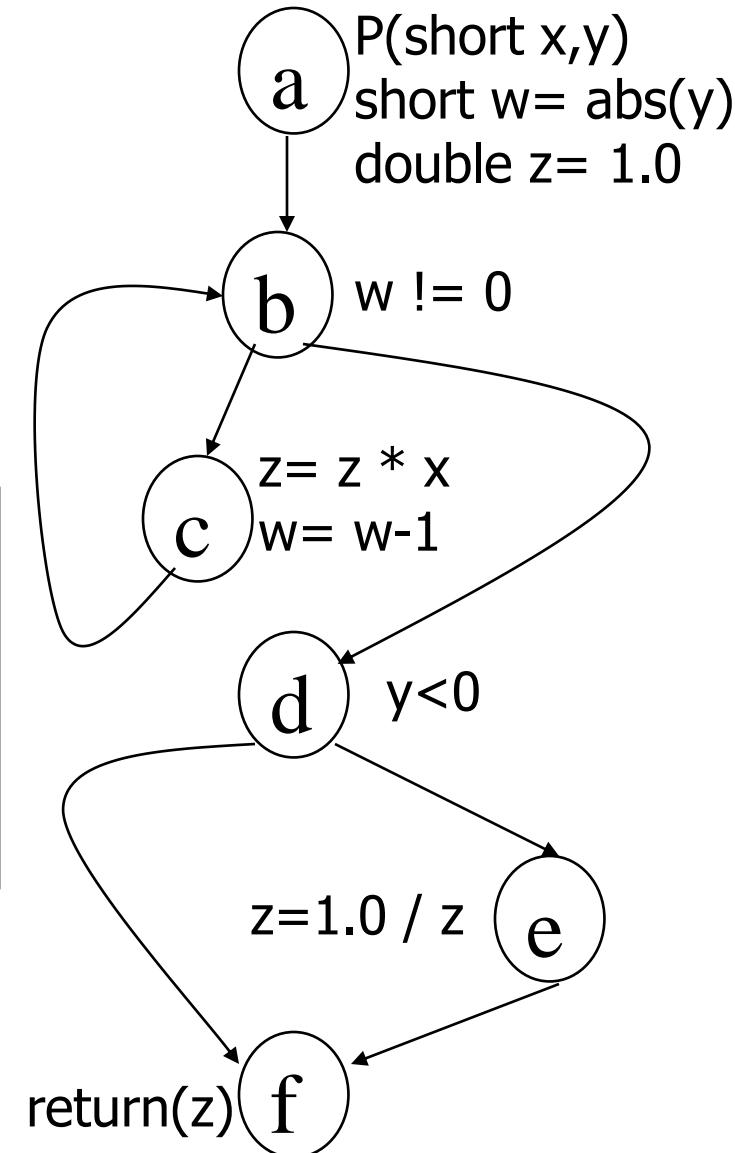
Let c be a CFG path of P ,
Does x exist such that $c = \text{exec}(P, x)$?

Here, $a-b-d-e-f$ is infeasible!

Weyuker 79

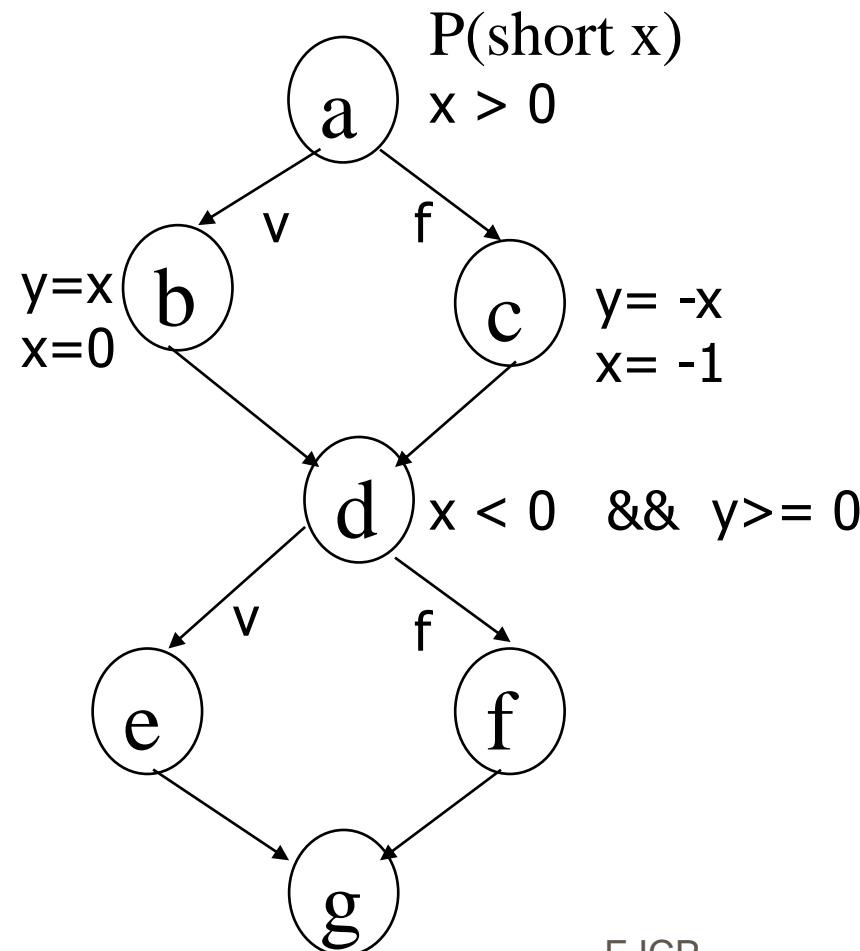
Determining if a node, an arc, or a path of the CFG is feasible is undecidable in the general case

Sketch of proof: Reduction to the Halting problem of a Turing Machine



Exercise:

Find the infeasible paths of the program



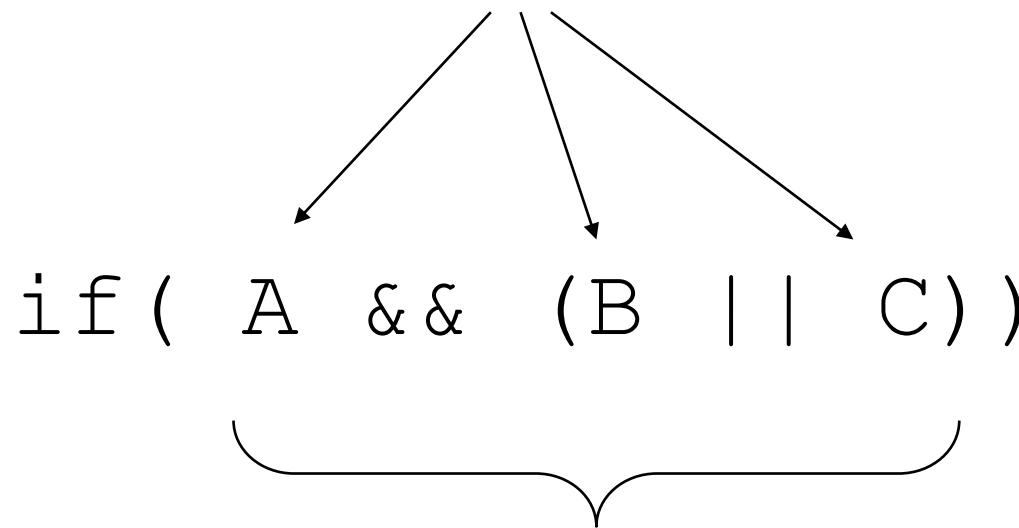
Measuring code coverage

- 3 distinct techniques
 - Instrumenting source code
 - + Easy to implement
 - + Powerful as everything regarding executions can be recorded
 - Add untrusted code in trusted source code
 - Instrumenting binary code
 - + Do not modify source code
 - Difficult to implement
 - Use a debugger
 - + Do not modify source code
 - Specific to each compiler

2. DECISION TESTING

Condition / Decision in a Program

Condition (bool., Arith. expr., ...)



Decision

(Logical predicate in a control structure of the program)

Notation: Dec is the truth value of the decision

Some Testing Criteria associated to Decisions

```
if( A && (B || C) )
```

1. Decision Criterion (DC) : A=1 , B=1 , C=0 – Dec=1
 A=0 , B=0 , C=0 – Dec=0
2. Condition Criterion (CC) : A=1 , B=1 , C=0 – Dec=1
 A=0 , B=0 , C=1 – Dec=0
3. Modified Condition/Decision Criterion (MC/DC)
4. Multiple Condition/Decision Criterion: $2^3=8$ test cases

Modified Condition/Decision Criterion (1)

Objective: Démontrer l'action de chaque condition sur la valeur de vérité de la décision

```
if( A && (B || C) )
```

Principle : for each condition, find 2 test cases which flip Dec when all the other conditions are fixed

Ex: For A **A=0**, B=1, C=1 -- **Dec=0**
 A=1, B=1, C=1 -- **Dec=1**

Modified Condition/Decision Criterion (2)

```
if( A && (B || C) )
```

for A A=0, B=1, C=1 -- Dec=0

 A=1, B=1, C=1 -- Dec=1

for B A=1, B=1, C=0 -- Dec=1

 A=1, B=0, C=0 -- Dec=0

for C A=1, B=0, C=1 -- Dec=1

~~A=1, B=0, C=0~~ -- Dec=0

Here, 5 test cases are sufficient for covering MC/DC !

Exercise: Can we do better?

```
if( A && (B || C) )
```

for A A= , B= , C= -- Dec=

 A= , B= , C= -- Dec=

for B A= , B= , C= -- Dec=

 A= , B= , C= -- Dec=

for C A= , B= , C= -- Dec=

 A= , B= , C= -- Dec=

Modified Condition/Decision Criterion (3)

Property: If $n = \#$ conditions then
covering MC/DC requieres at least $n+1$ TC and max $2n$ TC

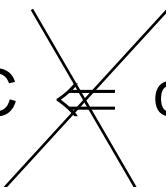
$$n+1 \leq \# \text{Test cases} \leq 2^n$$

Coupled Conditions: Flipping the truth value of one condition impacts the truth value of another one

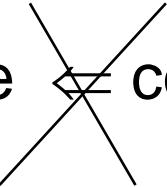
When there is no coupled conditions, the minimum ($n+1$) can always be reached [Ref ?]

Links with object-code coverage?

Covering MC/DC \Rightarrow covering all the decisions of the object-code
But

Covering MC/DC  covering all the decisions of the object-code

Covering all paths of the object-code \Rightarrow covering MC/DC
But

Covering all paths of the object-code  covering MC/DC

From the Galileo development standard

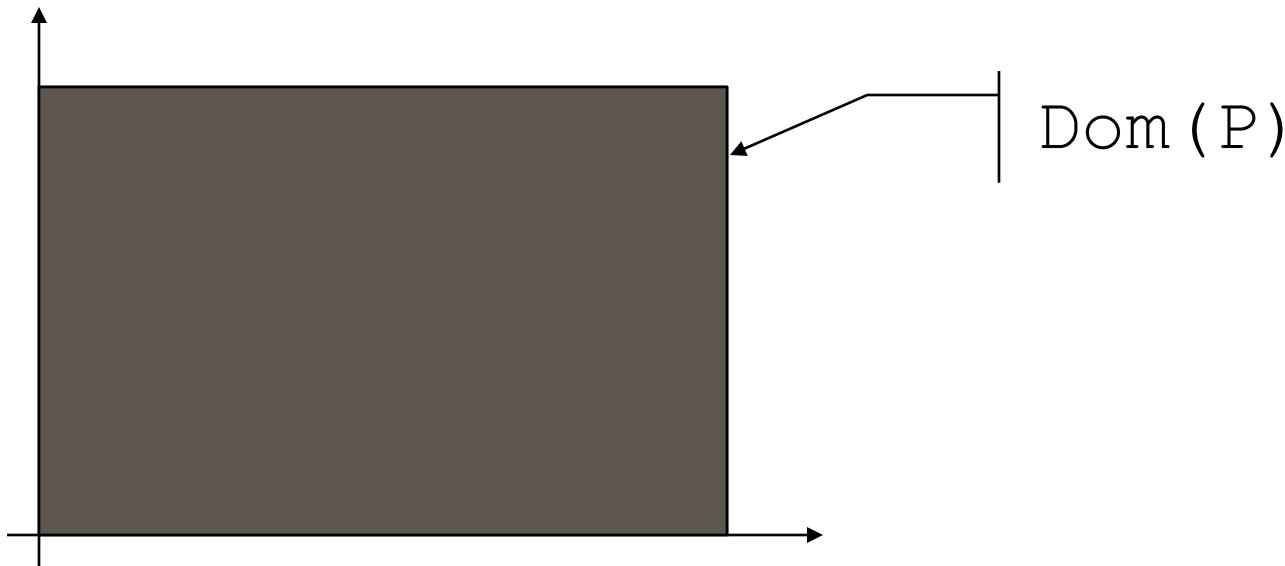
<i>Structural coverage</i>	DAL A	DAL B	DAL C	DAL D	DAL E
Statement coverage (source code)	100%	100%	100%	90%	N/A
Statement coverage (object code)	100%	N/A	N/A	N/A	N/A
Decision coverage (source code)	100%	100%	N/A	N/A	N/A
Modified Condition & Decision Coverage (Source code)	100%	N/A	N/A	N/A	N/A

3. Automatic Test Input Generation

Most Used Techniques

- Exhaustive Testing
- Testing by Sampling
- Random Testing (a.k.a. Fuzzing)
- Symbolic Execution

Exhaustive Testing

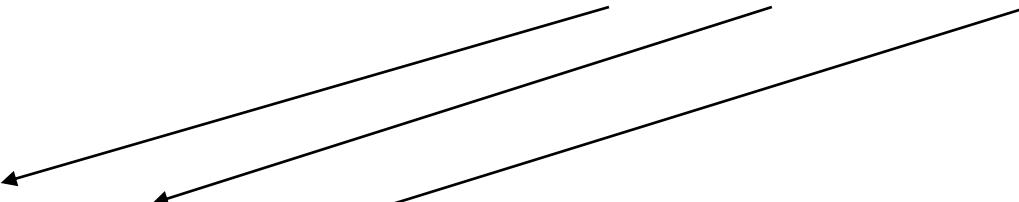


- Exhaustive sampling of the program input space
- Selection of all inputs and execution of the program
- Equivalent to a correction proof (when the execution terminates)

Exhaustive Testing: Limitations and Advantages

- Usually untractable!

$P(ush\ x_1, ush\ x_2, ush\ x_3) \quad \{ \dots \}$

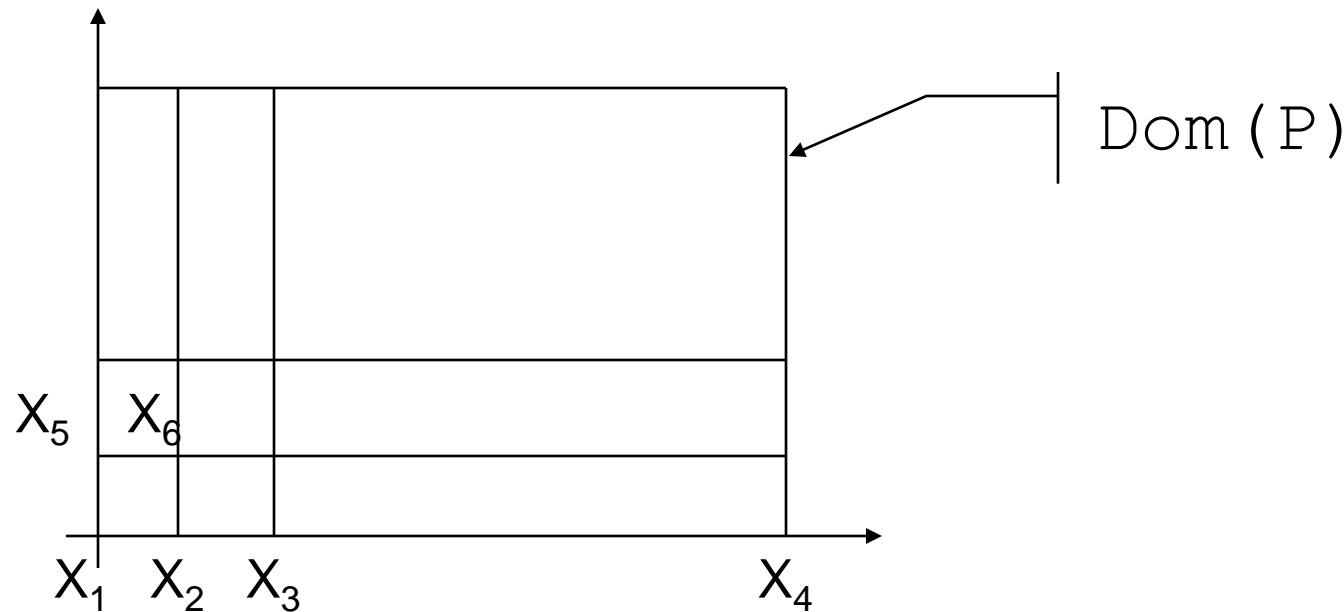


$2^{32} \times 2^{32} \times 2^{32}$ values = 2^{96} distinct test inputs

- Interesting estimation of the size of the input search space, against a test objective

Test Objective Example: To reach a selected instruction in the code

Testing by Sampling



Weak version of exhaustive testing

Examples :

$\{0, 1, 2, 2^{32}-1\}$ pour un ush

$\{\text{NaN}, -\text{INF}, -3.40282347e+38, -1.17549435e-38, -1.0, -0.0, \dots\}$

for a 32-bit floating-point number (IEEE 754)

Random Testing

Uniform probability distribution on the program input space

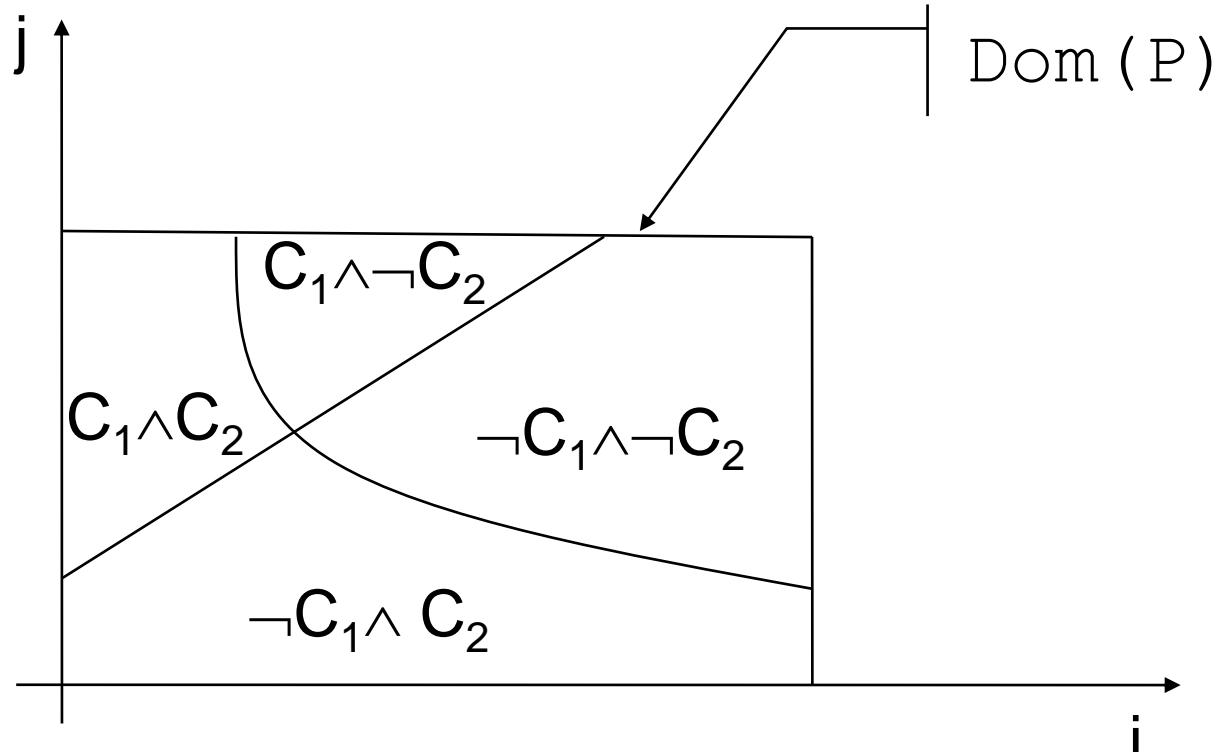
(i.e., each test input is equi-probable)

- Using **pseudo-random generators**
- Require an **automated oracle** (e.g., Metamorphic Testing)
- Stopping criteria must be fixed (number of test inputs, covering a structural criterion, time-out, etc.)

Selection Criterion C

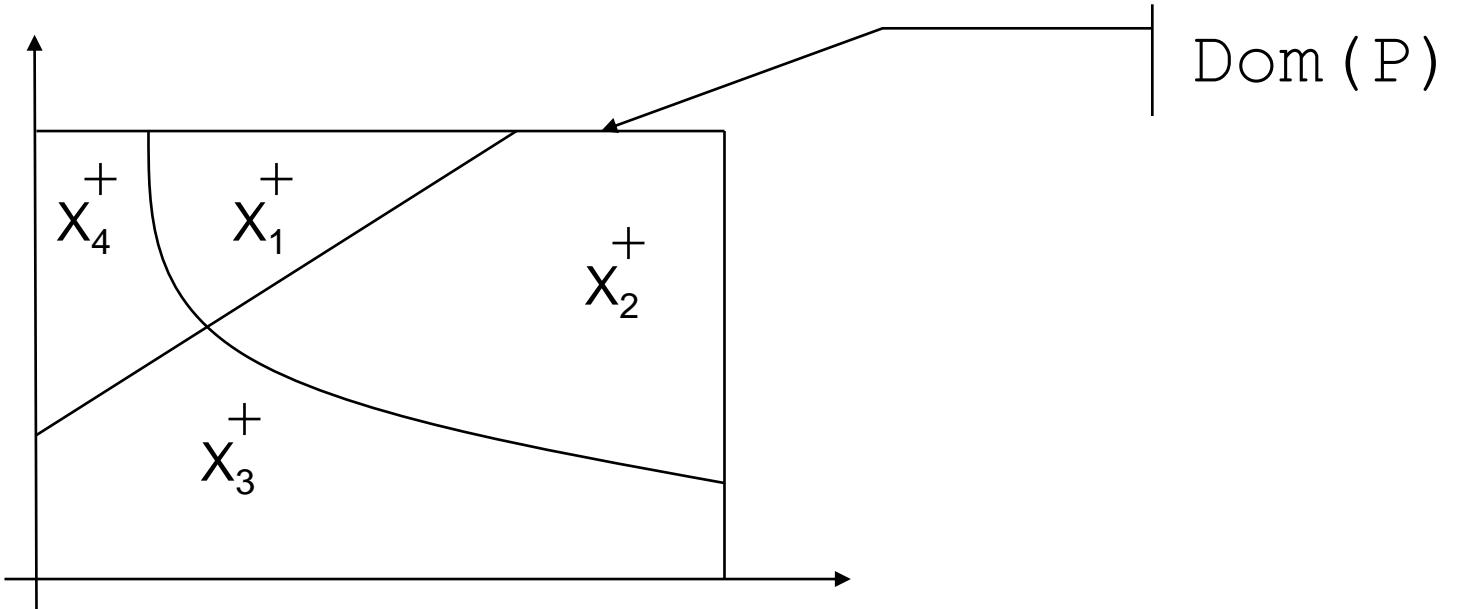
- Process of test inputs selection
- Sometimes, it induces a « partition » over the program input space (e.g., All_paths of P)

```
P( int i, int j )
{
if( C1 )
else ...
if( C2 )
else ...
}
```



Deterministic Coverage of Criterion C

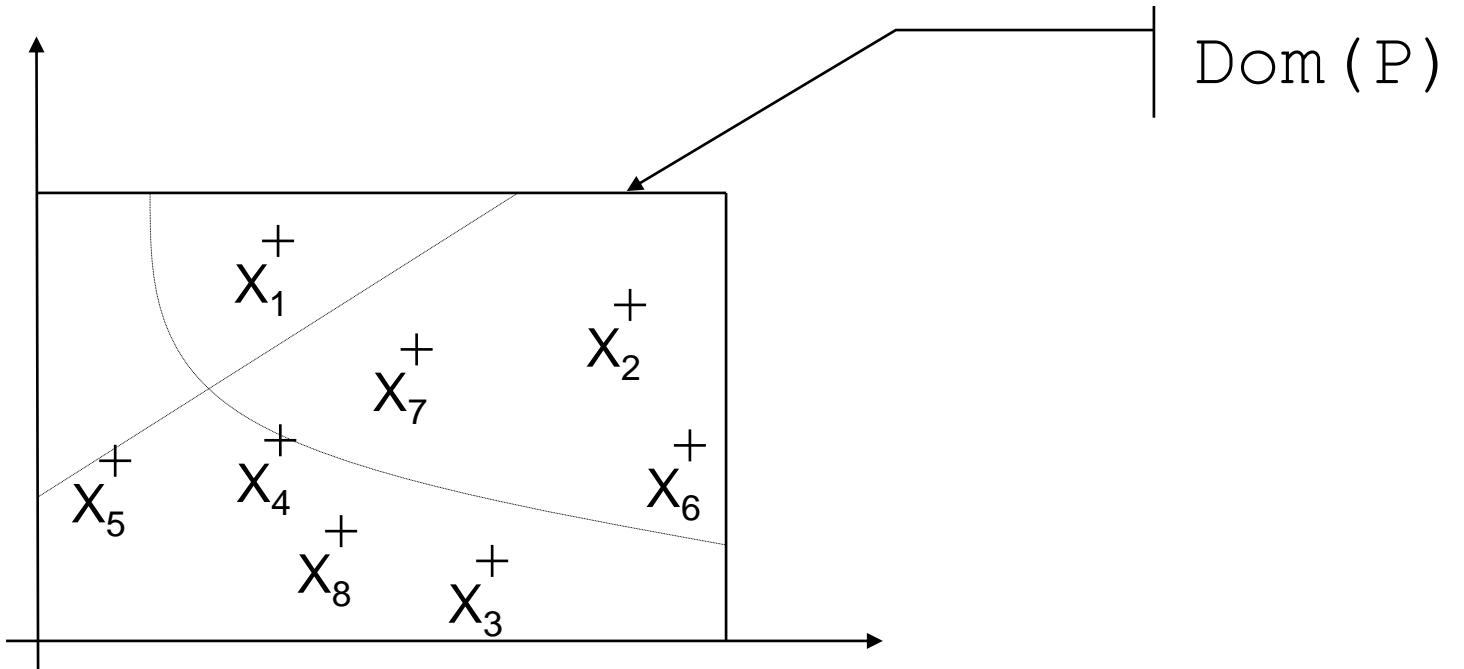
Selection of at least one element per subdomain of the partition



Based on the uniformity assumption that a single input is sufficient to test the whole subdomain

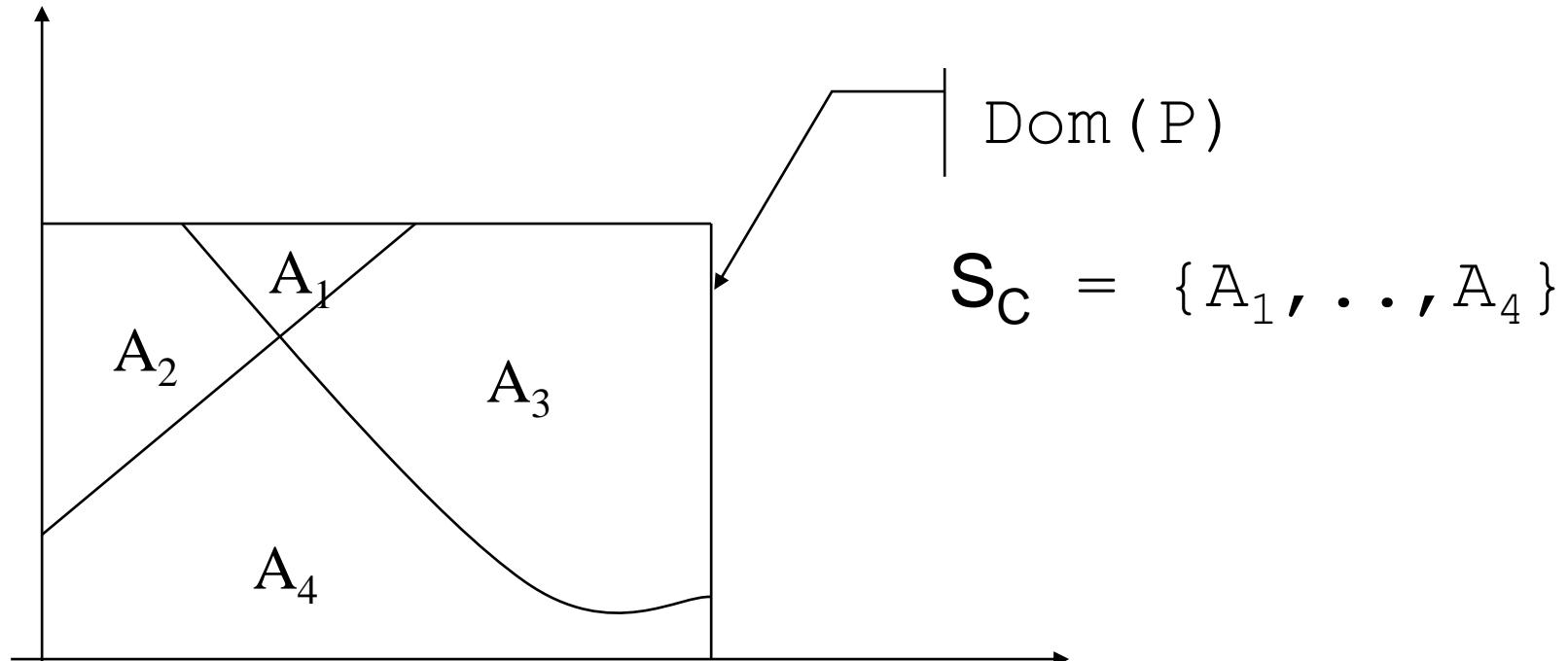
Probabilistic Coverage of Criterion C

Random selection of test inputs according to a distribution profile



Is Random Testing Efficient to Cover a Criterion?

$p\{x \in A\}$: probability that a random test input x covers an element A



Here $p\{x \in A_1\} < p\{x \in A_2\} < p\{x \in A_3\} < p\{x \in A_4\}$

Hence, random testing covers better A_4 than A_1

RT is well adapted to test the program robustness, but hill-conditioned to test corner-cases

Symbolic execution

Symbolic state: $\langle \text{Path}, \text{State}, \text{Path Conditions} \rangle$

Path $= n_i -..- n_j$ is a path expression of the CFG

State $= \langle v_i, \phi_i \rangle_{v \in \text{Var}(P)}$ where ϕ_i is an algebraic expression over X

Path Cond. $= c_1, \dots, c_n$ where c_i is a condition over X

X denotes symbolic variables associated to the program inputs and $\text{Var}(P)$ denotes internal variables

Symbolic execution

Ex: $a - b - (c - b)^2 - d - f$ with X, Y

$\langle a,$

$\langle z, 1. \rangle, \langle w, \text{abs}(Y) \rangle,$

$\text{true} \rangle$

$\langle a - b,$

$\langle z, 1. \rangle, \langle w, \text{abs}(Y) \rangle,$

$\text{abs}(Y) \neq 0 \rangle$

$\langle a - b - c,$

$\langle z, X \rangle, \langle w, \text{abs}(Y) - 1 \rangle,$

$\text{abs}(Y) \neq 0 \rangle$

$\langle a - b - c - b,$

$\langle z, X \rangle, \langle w, \text{abs}(Y) - 1 \rangle,$

$\text{abs}(Y) \neq 0, \text{abs}(Y) - 1 \neq 0 \rangle$

$\langle a - b - c - b - c,$

$\langle z, X^2 \rangle, \langle w, \text{abs}(Y) - 2 \rangle,$

$\text{abs}(Y) \neq 0, \text{abs}(Y) - 1 \neq 0 \rangle$

$\langle a - b - (c - b)^2,$

$\langle z, X^2 \rangle, \langle w, \text{abs}(Y) - 2 \rangle,$

$\text{abs}(Y) \neq 0, \text{abs}(Y) = 1, \text{abs}(Y) - 2 = 0 \rangle$

$\langle a - b - (c - b)^2 - d,$

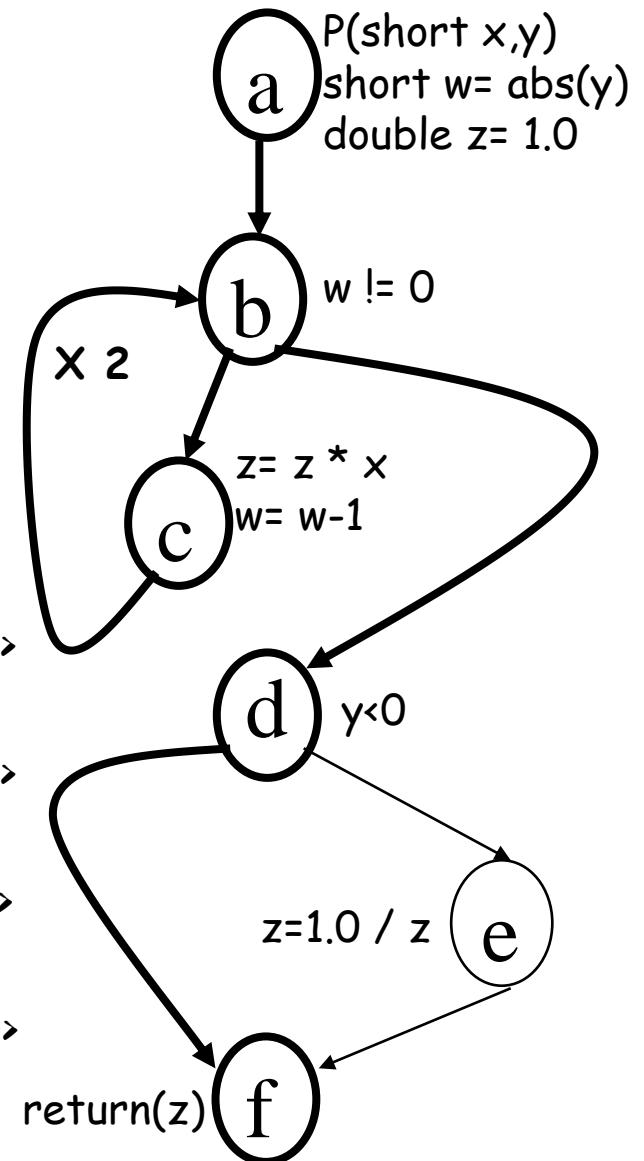
$\langle z, X^2 \rangle, \langle w, \text{abs}(Y) - 2 \rangle,$

$\text{abs}(Y) \neq 0, \text{abs}(Y) = 1, \text{abs}(Y) = 2, Y \geq 0 \rangle$

$\langle a - b - (c - b)^2 - d - f,$

$\langle z, X^2 \rangle, \langle w, 0 \rangle,$

$Y = 2 \rangle$



Computing Symbolic States

- <Path, State, PC> is computed by induction over each statement of Path
- When the Path conditions are unsatisfiable then Path is non-feasible and reciprocally (i.e., symbolic execution captures the concrete semantics)

ex : ~~<a-b-d-e-f,...}, abs(Y)=0 \wedge Y<0 >~~

- Forward vs backward analysis:

Forward → interesting when states are needed

Backward → saves memory space, as complete states are not computed

Backward analysis

Ex: $a - b - (c - b)^2 - d - f$ with X, Y

$f, d: Y \geq 0$

$b: Y \geq 0, w = 0$

$c: Y \geq 0, w-1 = 0$

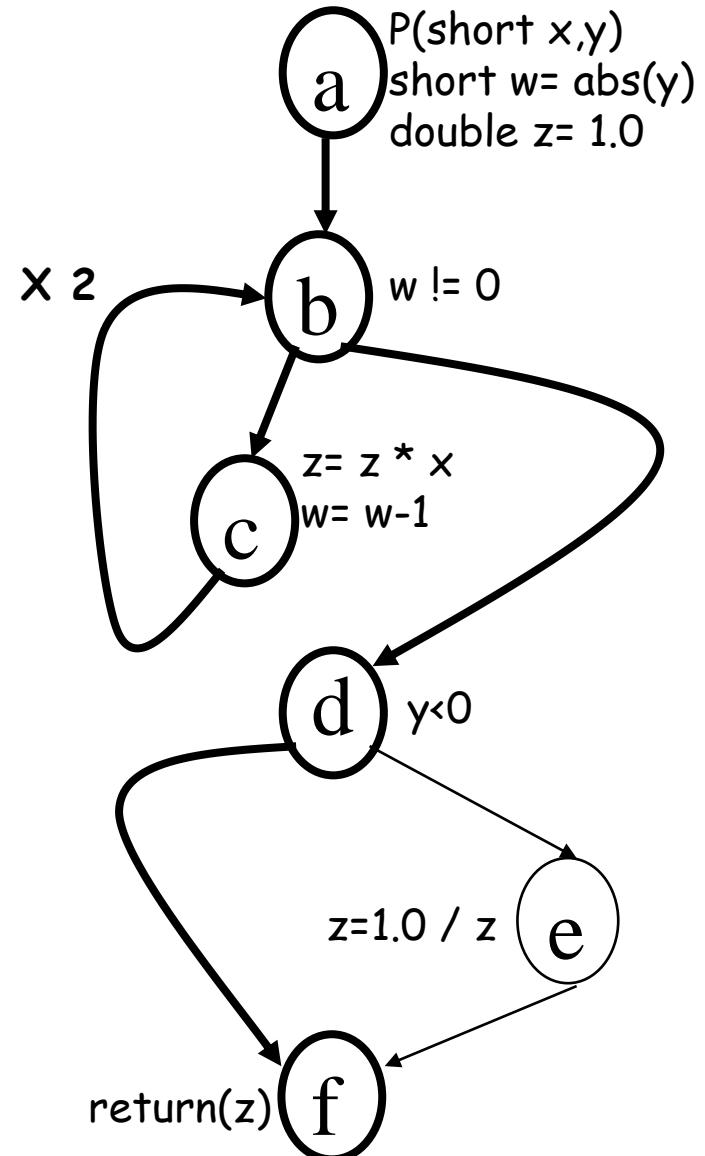
$b: Y \geq 0, w-1 = 0, w \neq 0$

$c: Y \geq 0, w-2 = 0, w-1 \neq 0$

$b: Y \geq 0, w-2 = 0, w-1 \neq 0, w \neq 0$

$a: Y \geq 0, \text{abs}(Y)-2 = 0,$
 $\text{abs}(Y)-1 \neq 0, \text{abs}(Y) \neq 0$

$Y = 2$



Constraint Solving in Symbolic Evaluation

- Mixed Integer Linear Programming approaches
(i.e., simplex + Fourier's elimination + branch-and-bound)

CLP(R,Q) in **ATGen**
Ipsolve in **DART/CUTE**

(Meudec 2001)
(Godefroid/Sen et al. 2005)

- SMT-solving (= SAT + Theories)

STP in **EXE and KLEE**
Z3 in **PEX and SAGE**

(Cadar et al. 2006)
(Tillmann and de Halleux 2008)

- Constraint Programming techniques (constraint propagation and labelling)

Colibri in **PathCrawler**
Disolver in **SAGE**
EUCLIDE
ECLAIR

(Williams et al. 2005)
(Godefroid et al. 2008)
(Gotlieb 2009)
(Bagnara Bagnara Gori 2013)

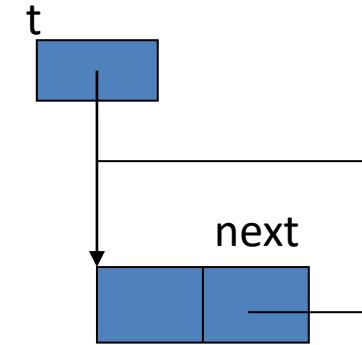
Problems for Symbolic Evaluation Techniques

- Combinatorial explosion of paths
- Symbolic execution constrains the shape of dynamically allocated objects

```
int P(struct cell * t) {  
    if( t == t->next ) { ... }
```



constrains t to:



- Floating-point computations ↗

F Charreteur, B Botella, A Gotlieb. **Modelling dynamic memory management in constraint-based testing**. Journal of Systems and Software. Elsevier, 2009

```
float foo( float x) {  
    float y = 1.0e12, z ;  
1. if( x < 10000.0 )  
2.     z = x + y;  
3. if( z > y)  
4.     ...
```

Is the path 1-2-3-4 feasible ?

Path conditions:

$x < 10000.0$

$x + 1.0e12 > 1.0e12$

On the reals : $x \in (0,10000)$

On the floats : no solution !

Conversely,

```
float foo( float x) {  
    float y = 1.0e12, z ;  
  
    1. if( x > 0.0 )  
    2.     z = x + y;  
    3. if( z == y)  
    4.     ...
```

Is the path 1-2-3-4 feasible ?

Path conditions:

$$x > 0.0$$

$$x + 1.0e12 = 1.0e12$$

On the reals : no solution

On the floats: $x \in (0, 32767.99\dots)$

Solution: build a dedicated constraint solver over the floats !

B Botella, A Gotlieb, C Michel. **Symbolic execution of floating-point computations.** STVR 2006

R Bagnara, M Carlier, R Gori, A Gotlieb. **Symbolic path-oriented test data generation for floating-point programs.** IEEE ICST 2013

Dynamic Symbolic Evaluation (DSE)

- Symbolic execution of a concrete execution (also called concolic execution)
- By using input values, **feasible paths only** are (automatically) selected
- Randomized algorithm, implemented by instrumenting each statement of P

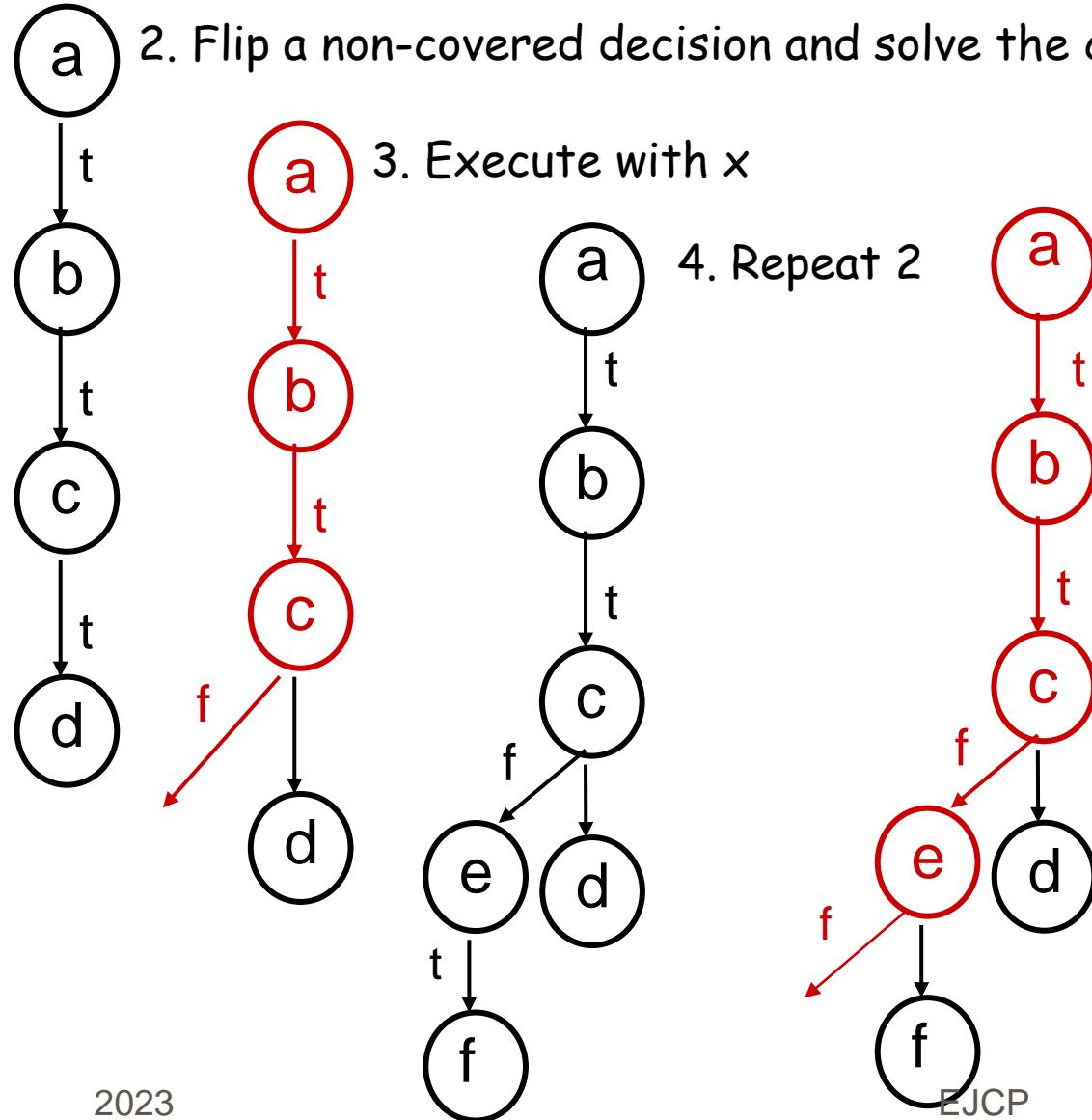
Main CBT tools:

PathCrawler (Williams et al. 2005),
PEX (Tillman et al. Microsoft 2008),
SAGE (Godefroid et al. 2008)
KLEE (Cadar et al. 2008)

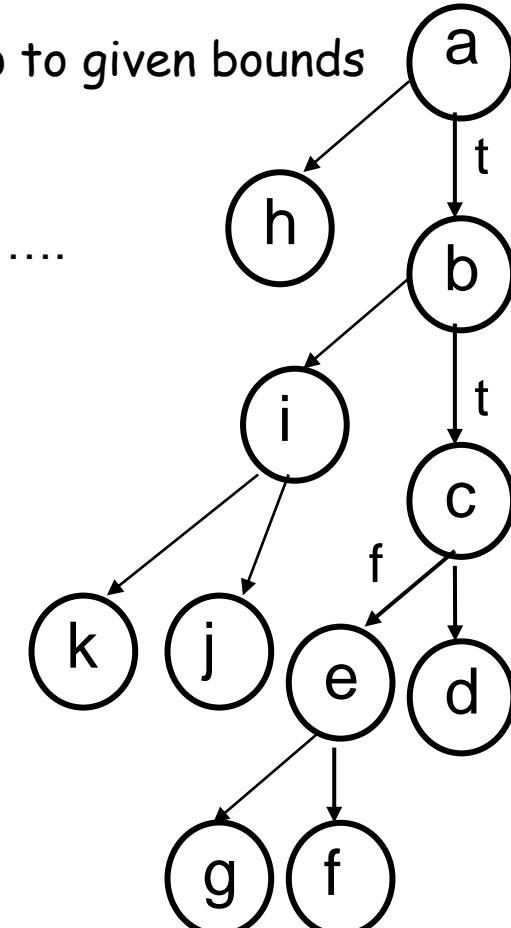
Dynamic Symbolic Execution for All-k-paths

1. Draw an input at random, execute it and record path conditions

2. Flip a non-covered decision and solve the constraints to find a new input x

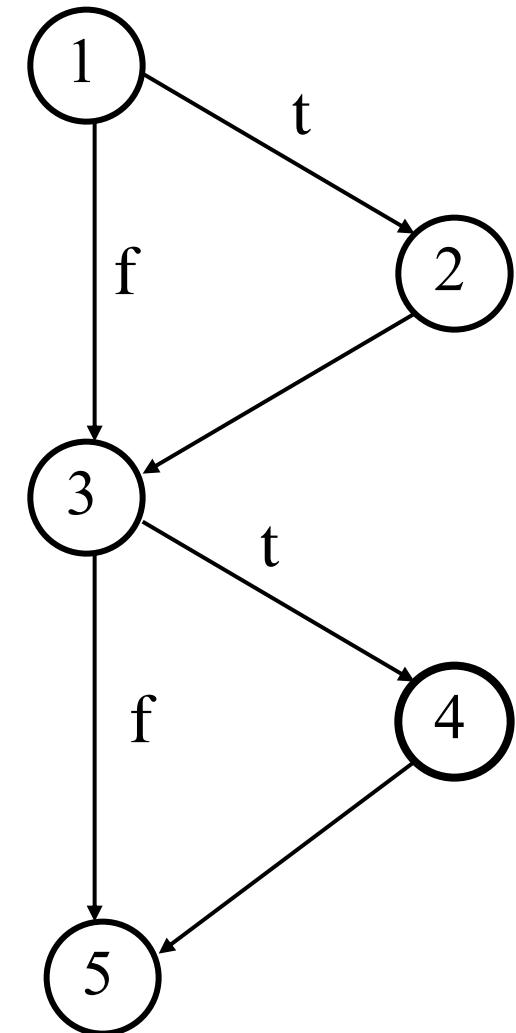


Up to given bounds



Example (1)

```
f(    int i    )  
{  
    j = 2;  
    if( i ≤ 16 )  
        j = j * i;  
  
    if( j > 8)  
        j = 0;  
  
    return j;  
}
```



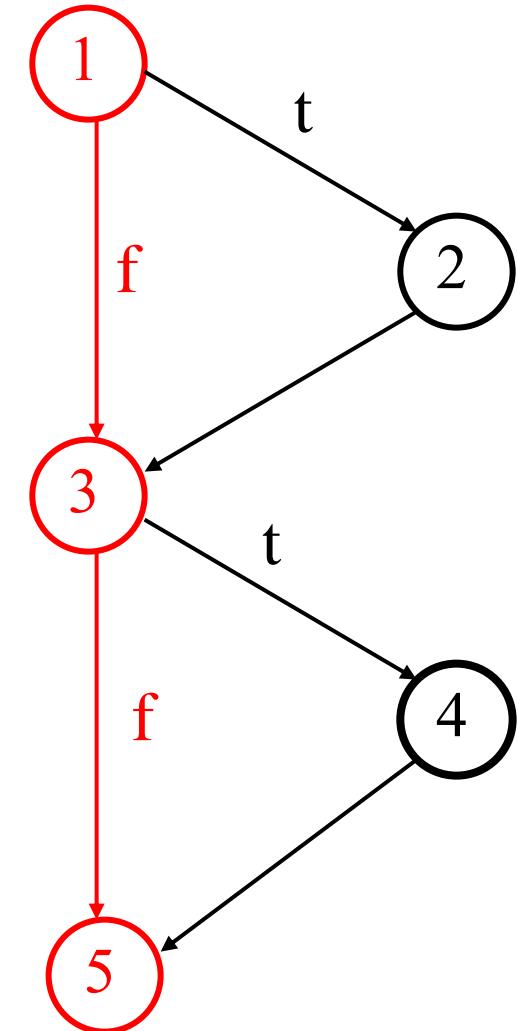
Example (2)

```
f( int i )  
{  
    j = 2;  
    if( i ≤ 16 )  
        j = j * i;  
  
    if( j > 8)  
        j = 0;  
  
    return j;  
}
```

Random input generation

($i = 15448$)

→ Path 1-3-5



Example (3)

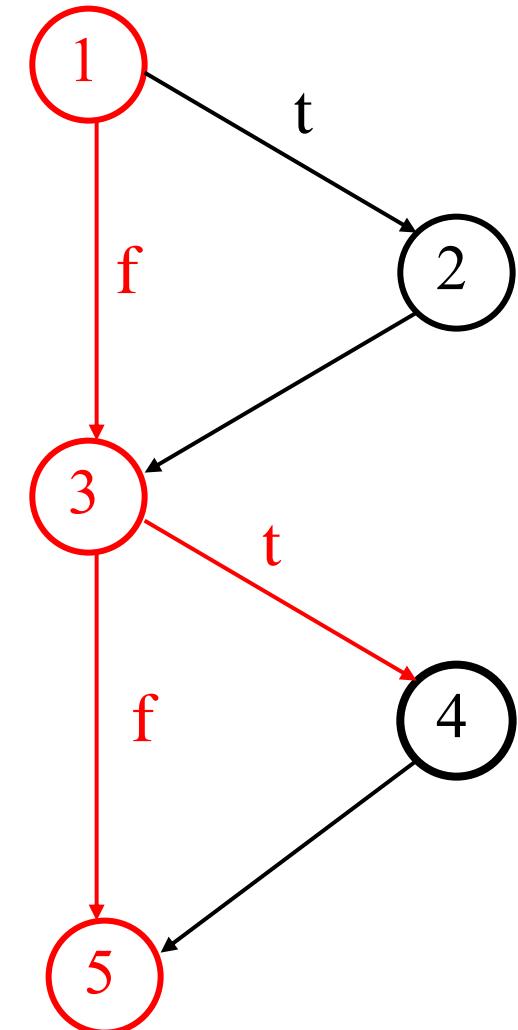
```
f( int i )  
{  
    j = 2;  
    if( i <= 16 )  
        j = j * i;  
  
    if( j > 8)  
        j = 0;  
  
    return j;  
}
```

Try to solve

$$\begin{aligned}j_1 &= 2 \\i &> 16\end{aligned}$$

$$j_1 > 8$$

Unsatisfiable, therefore
Path 1-3-4 is non-feasible



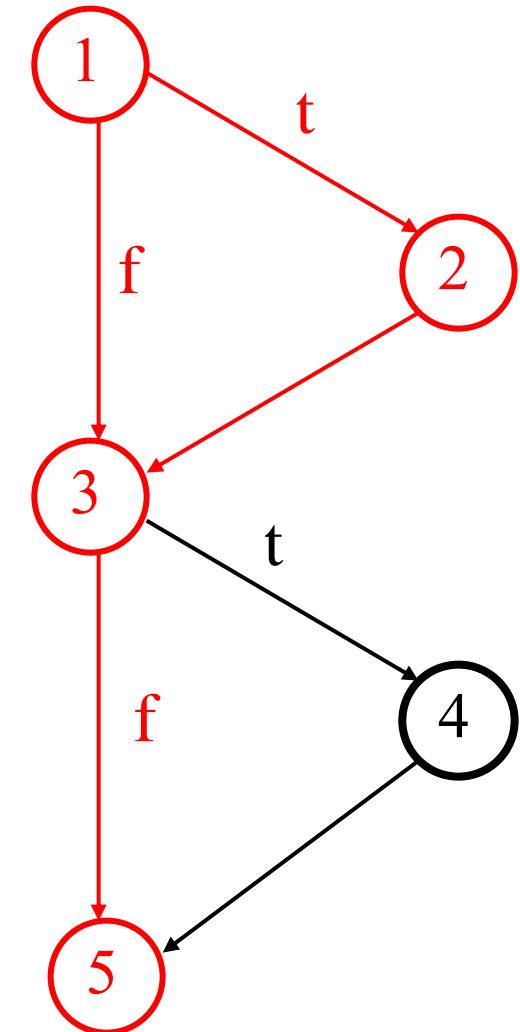
Example (4)

```
f( int i )  
{  
    j = 2;  
    if( i <= 16 )  
        j = j * i;  
  
    if( j > 8)  
        j = 0;  
  
    return j;  
}
```

Bactrack and try to solve

$j_1=2$
 $i \leq 16$

$\rightarrow (i = 2) \text{ -- Path } 1-2-3-5$



Example (5)

```
f( int i )  
{  
    j = 2;  
    if( i <= 16 )  
        j = j * i;  
  
    if( j > 8)  
        j = 0;  
  
    return j;  
}
```

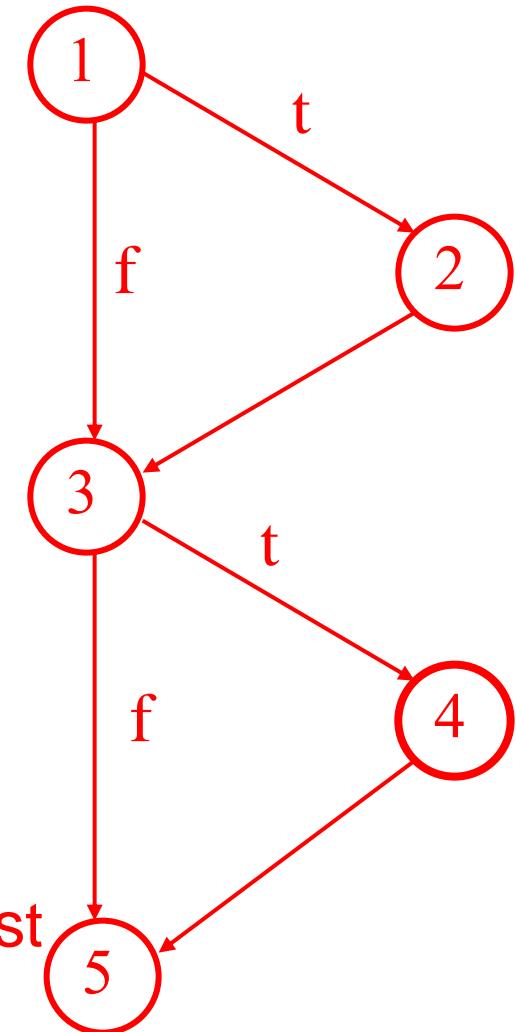
Bactrack and try to solve

$$\begin{aligned}j_1 &= 2 \\i &\leq 16 \\j_2 &= j_1 * i\end{aligned}$$

$$j_2 > 8$$

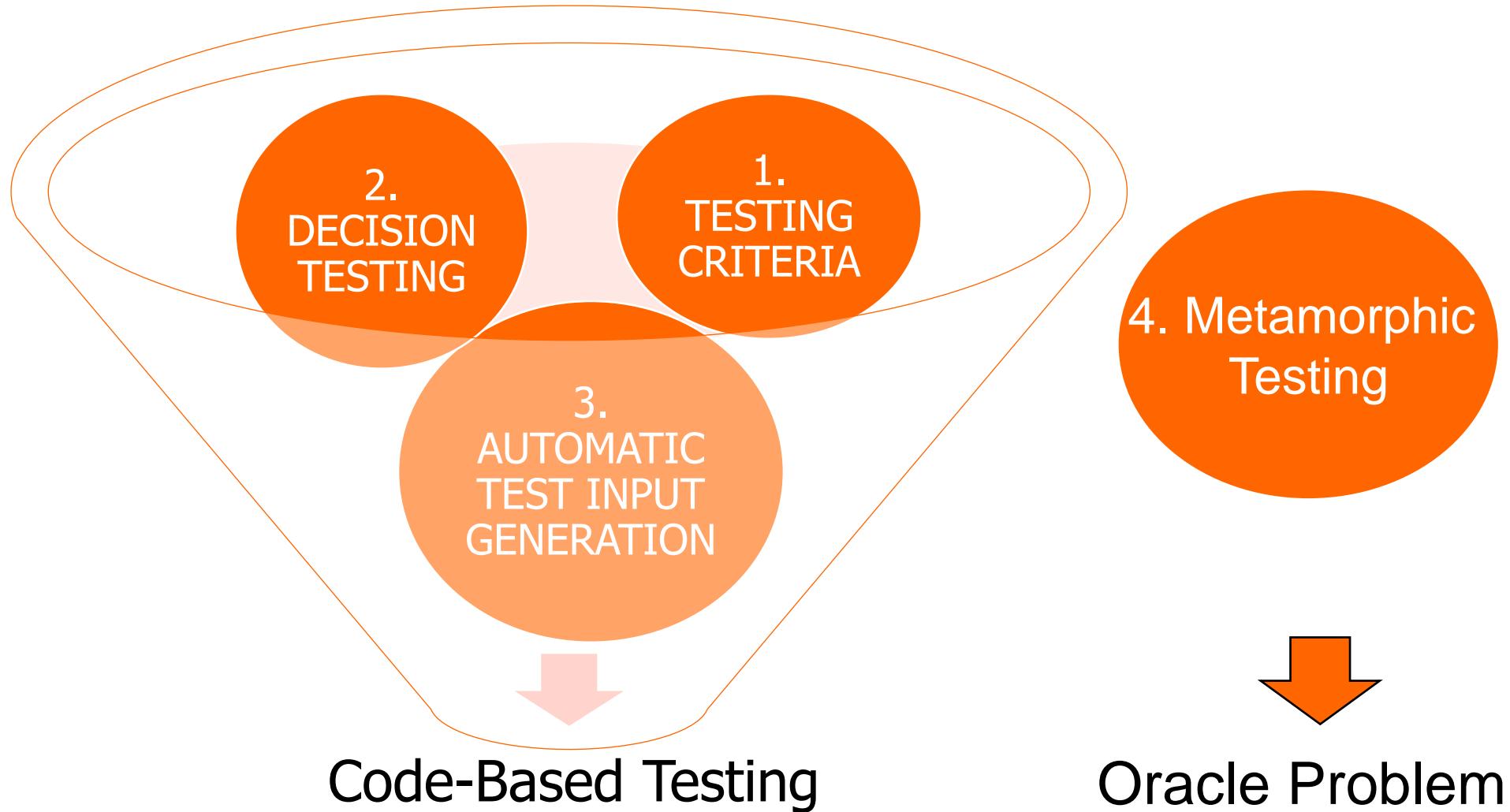
$\rightarrow (i = 10) \text{ -- Path } 1-2-3-4-5$

All-paths covered with three test data ($i = 15448, i = 2, i = 10$)



Dynamic Symbolic Execution: Discussion

- Requires to bound the number of iterations in loops
→ suitable for automatic test data generation
for the **All-k-paths criterion**
- Performance of the method depends on the first initial random input
- Numerous extensions to handle pointers as input parameters,
logical decisions, function calls, bit-to-bit operations



4. Metamorphic Testing

Non-testable programs

[Weyuker TSE 82]

← No (complete and correct) oracle available

Because

- No formal specifications, incomplete specifications;
- Expected results too difficult to compute;
- Inferred/generalized from a set of instances;
- Depending on the execution environment;

Typical examples:

Third-party library functions, RESTful APIs

Complex mathematical functions (using floating-point computations)

Trained ML models

Optimization programs (optimal planners, assignment, scheduling, etc.)

Reactive and self-adaptive programs

Metamorphic Relation (MR) of a program P:

User-specified input-output relation about P

Let's start with a trivial example:

P : a program that implements the *gcd* of 2 integers

Problem: $P(1309, 693) = ?$

MR: $\forall u, \forall v, gcd(u, v) = gcd(v, u)$

Hence, if $P(1309, 693) \neq P(693, 1309)$ then verdict = Fail

* Note that many other programs than gcd satisfy $P(u, v) = P(v, u)$ so,
MRs are necessary, but not sufficient to establish program correctness

** Note also that there are many other possible MRs

MR: $\forall u, \forall v, gcd(p.u, p.v) = p \cdot gcd(u, v)$ if p is a prime number

MR: $\forall u, \forall v, gcd(u, v) = gcd(v, u-v)$ if $u > v$

Graph Theory

How to test a program P that computes a shortest path in an undirected graph G?

$\text{shortestPath}(G, a, b) = ?$

if $P(G, a, b) = a-e1-e2-e3-b$ and $P(G, b, a) = b-g1-g2-a$ then
verdict = Fail

MR: $\forall a, \forall b | \text{shortestPath}(G, a, b) | = | \text{shortestPath}(G, b, a) |$

* Note that MRs can be based on the usage of other functions (possibly under test)

** Note also that MRs can involve more than one additional computation

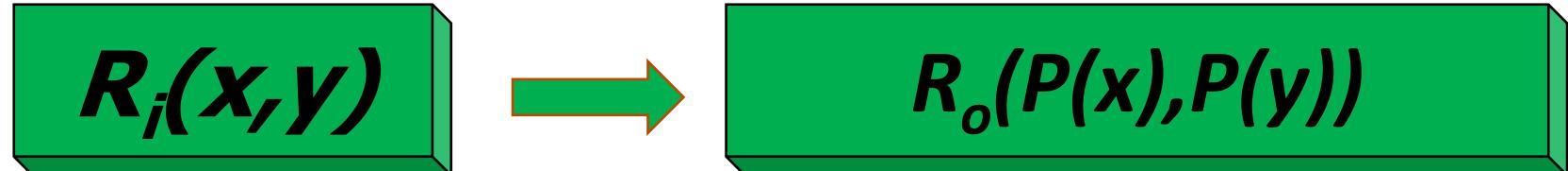
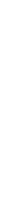
MR: $| \text{shortestPath}(G, a, b) | \leq | \text{shortestPath}(G, a, c) | + | \text{shortestPath}(G, c, b) |$

Search Engines

if $\text{search}(\text{"tom"} \text{ OR } \text{"jerry"})$ returns less items than $\text{search}(\text{"tom"} \text{ AND } \text{"jerry"})$
then verdict = Fail

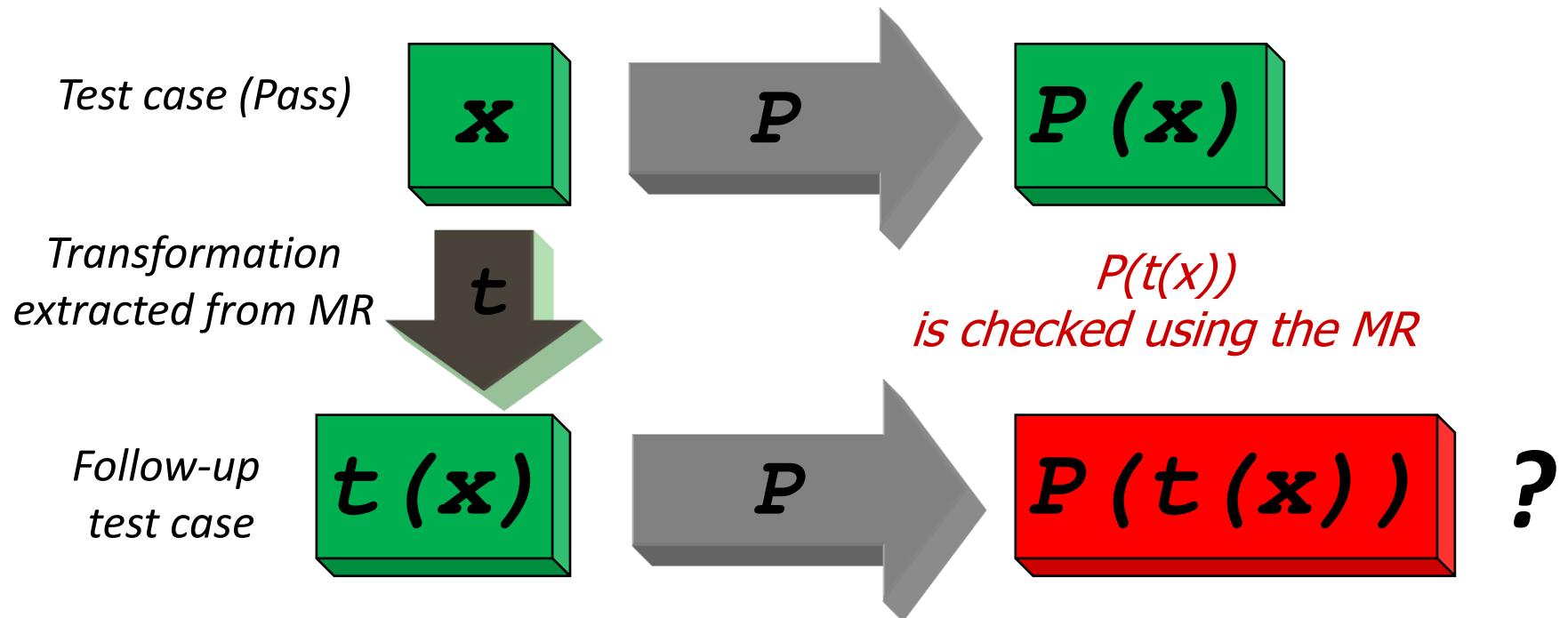
MR: $\forall k_1, \forall k_2 \quad |\text{search}(k_1 \text{ OR } k_2)| \geq |\text{search}(k_1 \text{ AND } k_2)|$

$x: (k_1 \text{ OR } k_2), y: (k_1 \text{ AND } k_2)$ implies $|\text{search}(x)| \geq |\text{search}(y)|$

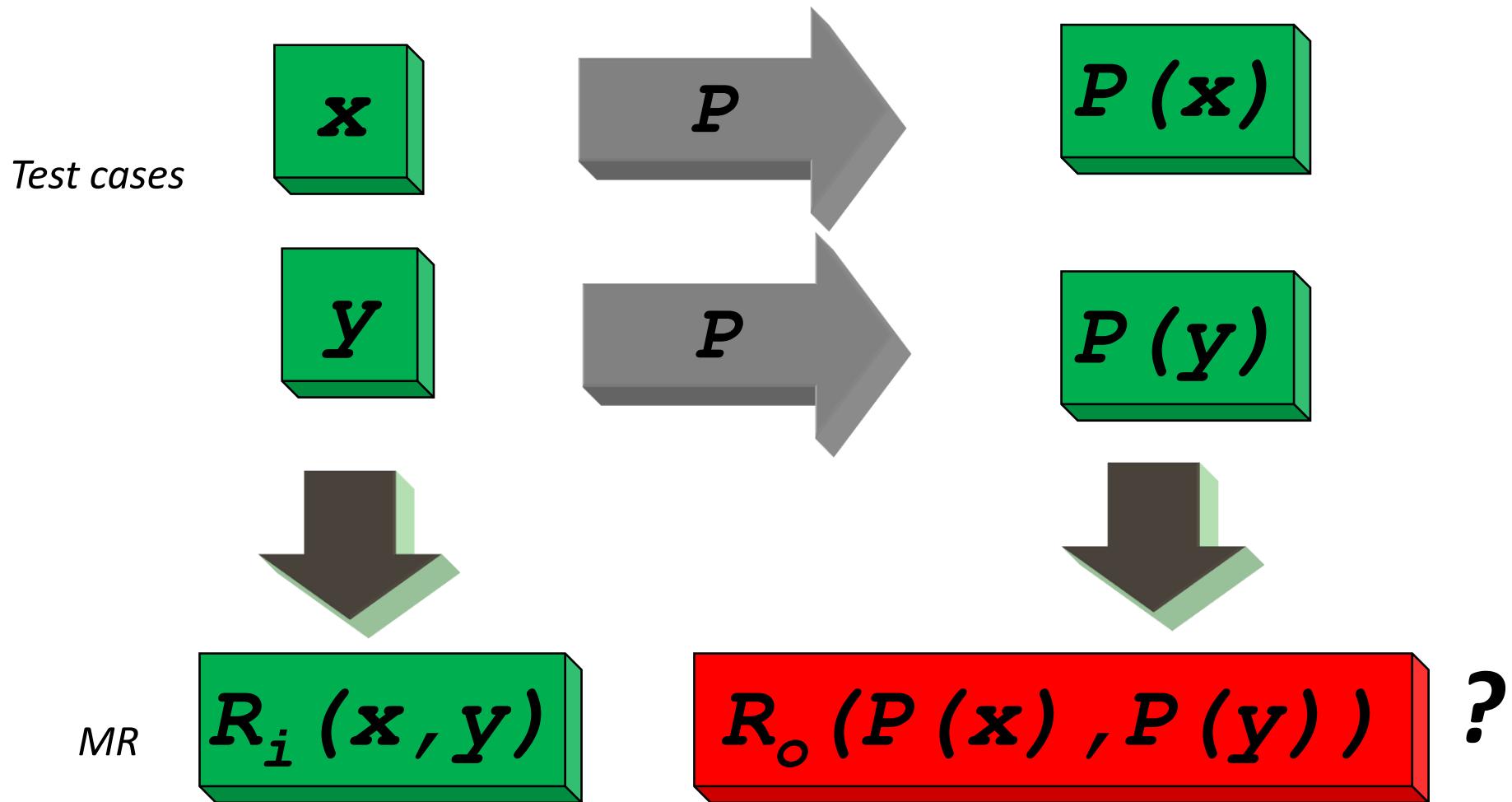


Main Usages

1. To generate follow-up test cases



2. To create partial oracles



Strategies for Finding Metamorphic Relations

1) Driven by transformation over input-data

Which transformations t over the inputs x do not change the outcome of P ?

i.e., **find t such that $P(x) = P(t(x))$**

Transformations t : add, remove or reorder elements, perturb inputs, shift or rotate images, ...

2) Driven by output-relation

Given two executions of P , what kind of relations do exist between these executions ?

i.e., Given $x, y, P(x), P(y)$, **find $R_o(P(x), P(t(x)))$**

Relations R_o : less_or_equal, length, subset, equivalent,...

3) Driven by domain-knowledge

Which invariant properties P has to satisfy ?

4)...

Applications of MT (1/3)

Testing online search engines (Flickr, Youtube, Spotify,...)

Testing compilers

*Testing bioinformatics programs
(Genes Regulat. Net. simulation)*

This article has been accepted for publication in a future issue of this journal, but has not been fully edited. Content may change prior to final publication. Citation information: DOI 10.1109/TSE.2017.2764464, IEEE Transactions on Software Engineering

IEEE TSE 2017

Metamorphic Testing of RESTful Web APIs

Sergio Segura, José A. Parejo, Javier Troya, and Antonio Ruiz-Cortés

Compiler Validation via Equivalence Modulo Inputs

Vu Le

Mehrdad Afshari

Zhendong Su

Department of Computer Science, University of California, Davis, USA
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PLDI'14

BMC Bioinformatics



Methodology article

Open Access

An innovative approach for testing bioinformatics programs using metamorphic testing

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*Corresponding author

Published: 19 January 2009

BMC Bioinformatics 2009, 10:24 doi: 10.1186/1471-2105-10-24

Received: 29 May 2008

Accepted: 19 January 2009

Applications of MT (2/3)

*Testing code obfuscators,
testing web interfaces,
penetration testing*

Testing simple ML models

Published in final edited form as:

Computer (Long Beach Calif). 2016 June ; 49(6): 48–55. doi:10.1109/MC.2016.176.

Metamorphic Testing for Cybersecurity

Tsong Yueh Chen,

Department of Computer Science and Software Engineering, Swinburne University of Technology, Australia

Fei-Ching Kuo,

Department of Computer Science and Software Engineering, Swinburne University of Technology, Australia

Testing and Validating Machine Learning Classifiers by Metamorphic Testing[☆] JSS 2011

Xiaoyuan Xie^{a,d,e,*}, Joshua W. K. Ho^b, Christian Murphy^c, Gail Kaiser^c,
Baowen Xu^e, Tsong Yueh Chen^a

Applications of MT (3/3)

Testing DNNs in self-driving cars

DeepTest: Automated Testing of Deep-Neural-Network-driven Autonomous Cars

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Kexin Pei
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ICSE'18

Baishakhi Ray
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Generating driving scenes

DeepRoad: GAN-based Metamorphic Autonomous Driving System Testing

Mengshi Zhang¹, Yuqun Zhang^{2*}, Lingming Zhang³, Cong Liu³, Sarfraz Khurshid¹

¹ University of Texas at Austin

ASE'18

² Southern University of Science and Technology

³ University of Texas at Dallas

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2017 IEEE/ACM 2nd International Workshop on Metamorphic Testing (MET)

Testing autonomous drones

Metamorphic Model-based Testing of Autonomous Systems

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MT: Pros/Cons

- + Automated powerful testing method
- + Multiple MRs can be combined altogether
- + Lightweight method, easy to setup and deploy (once MRs have been identified)
- + Successful in testing ML models
- Designing MRs often require domain knowledge
- MRs have different fault-revealing capabilities
- Shallow underlying theory, lack of foundations
- Not yet used for systematically testing critical programs

Remaining Challenges

- Lack of foundational theory
- Need for automatic finding and selection of MRs
- MT for performance (execution time, energy consumption) is not yet sufficiently developed
- MT of Collaborative Robots

First Synthesis

- In the industrial world, software systems are mostly validated with **software testing** (no model checking, no correction proof)
- Code-based testing (**Testing criteria, MCDC**) has a long-term tradition and it has been popularized with dynamic symbolic execution (**DSE**) which combine coverage and SE
- **Metamorphic Testing** is crucial and fruitful technique to deal with the oracle problem
- Numerous tools, methods and approaches exist. That background cannot be ignored when engaging new research works
- Still, open challenges remain...

Course Overview

- Software Testing Introduction
- Code-based Testing
- Testing of Autonomous Systems
- Open Challenges in Software Testing

Autonomous Software-Systems

- Systems which have a certain degree of self-decision capabilities, e.g., self-driving cars, industrial robots, smart transportation systems,...
- Systems with increased capabilities of planning (what, how), scheduling (when, who) and executing complex functions, with limited human intervention, managing unexpected events, such as faults or hazards
- Not equal to automated systems, which have limited capacity to learn and adapt to unexpected events
- In robotics and automated driving, the main focus for autonomy is to complement human's capacity to take decisions based on vast amounts of uncertain raw data

IEEE Spectrum – Self-driving car



Universal Robot – UR3



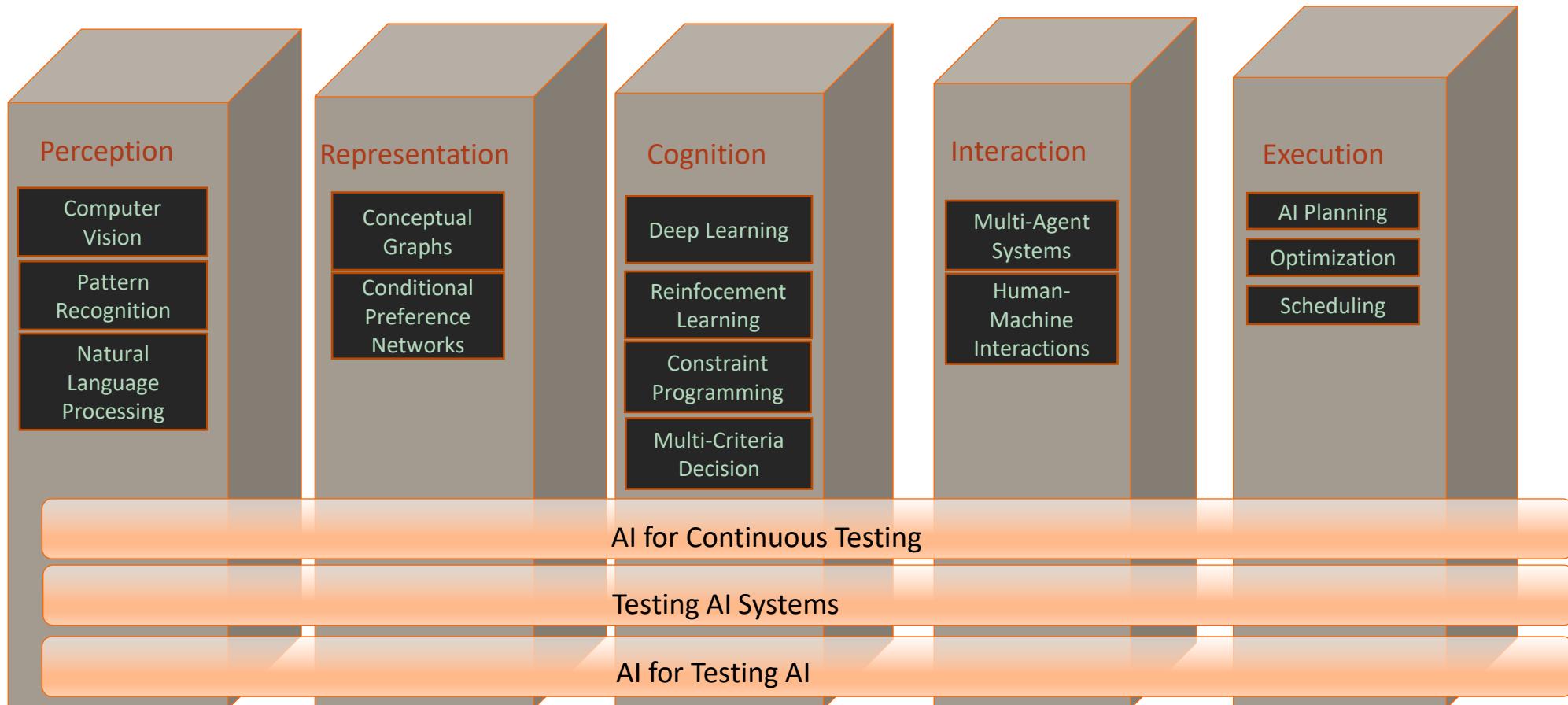
ABB Robotics – YUMI



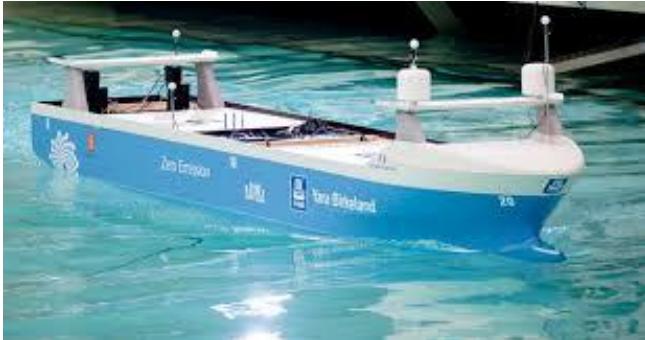
Kongsberg Maritime – Yara Birkeland



AI in the 5 Pillars of Autonomous Systems



Norwegian Yara Birkeland



This electrical autonomous cargo vessel will transport fertiliser from Yara's Porsgrunn plant via inland waterways to the deep-sea ports of Larvik and Brevik (31 nautical miles). Removing up to 40,000 truck journeys annually.

The system is based on a seven-axis robotic arm that takes the mooring ropes with loops and wraps them around bollards on the dock. The mooring system has redundant kinematics, with built-in movement compensation and track planning. The vessel's position against the quay will inform the robotic arm where each bollard is located, and the track planning is automatically generated by the control system.

Norwegian shore



Automated Mooring System

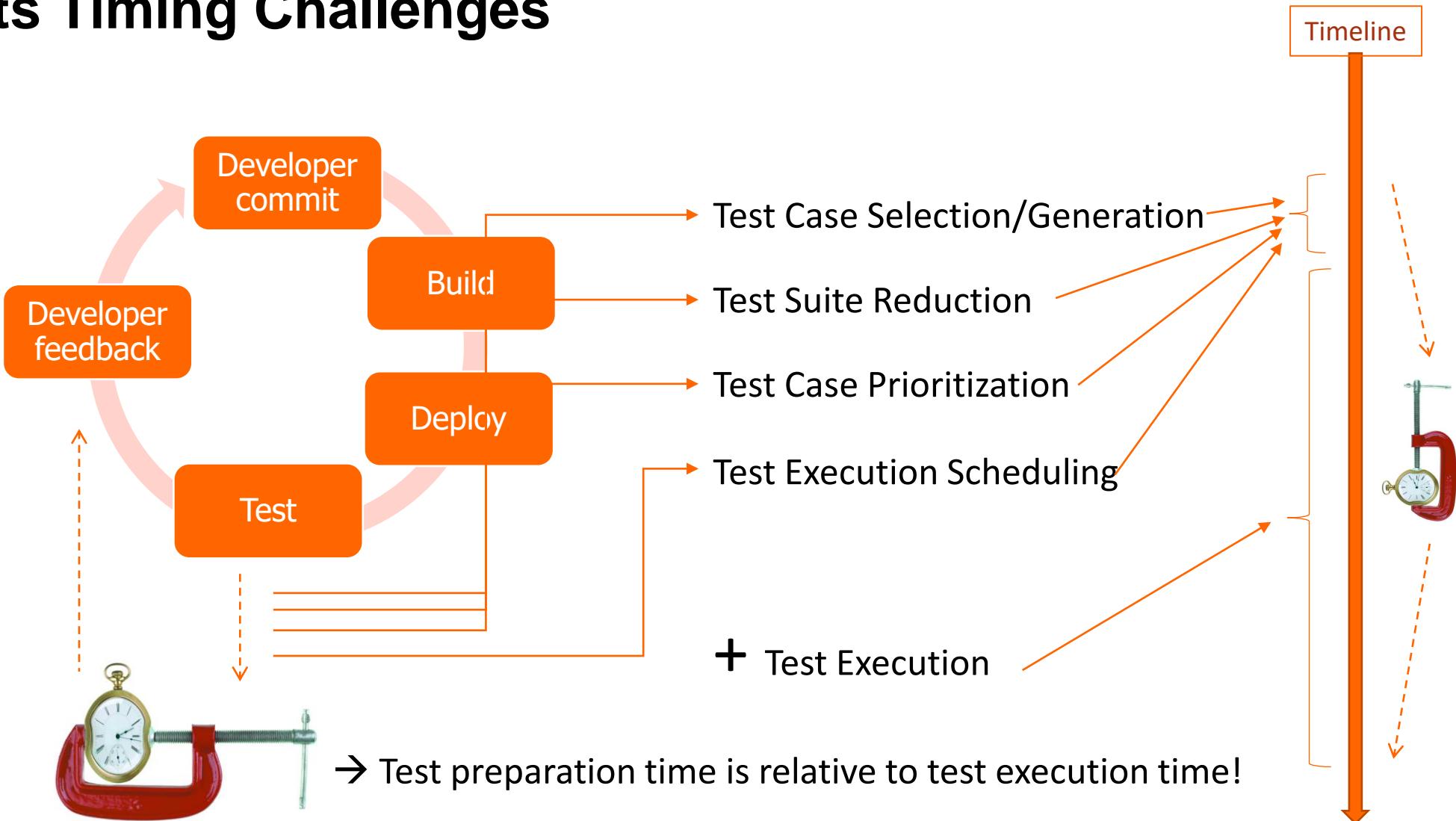


Source: MacGregor Inc.

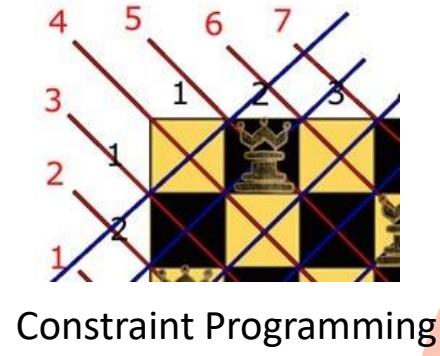
Testing Non-testable Autonomous Systems

- Testing perception systems needs to generate tests with (environment) hazards
- Test coverage over high-dimensional inputs is limited
- Non-linear motion planning involves solving complex constraint models
- Validation of learning systems needs test oracles which can hardly be defined
- Continuous testing is key but needs high control and more diversity

An Ideal Cycle of Continuous Integration and its Timing Challenges



Deployment of “Intelligent” Continuous Testing

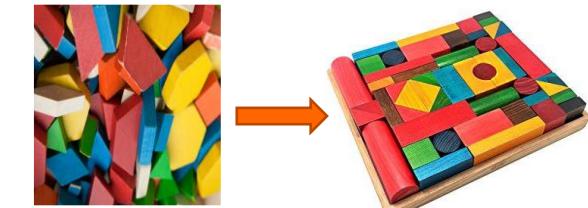


Constraint Programming

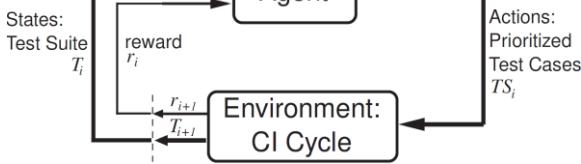
1. Test Suite Reduction

2. Test Execution Scheduling

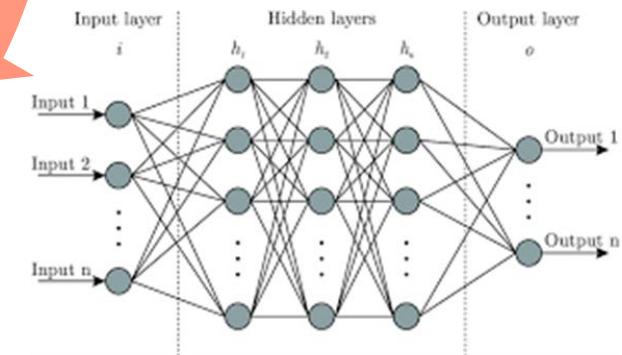
3. ML for testing autonomous Systems



Constraint-based Scheduling



Reinforcement Learning

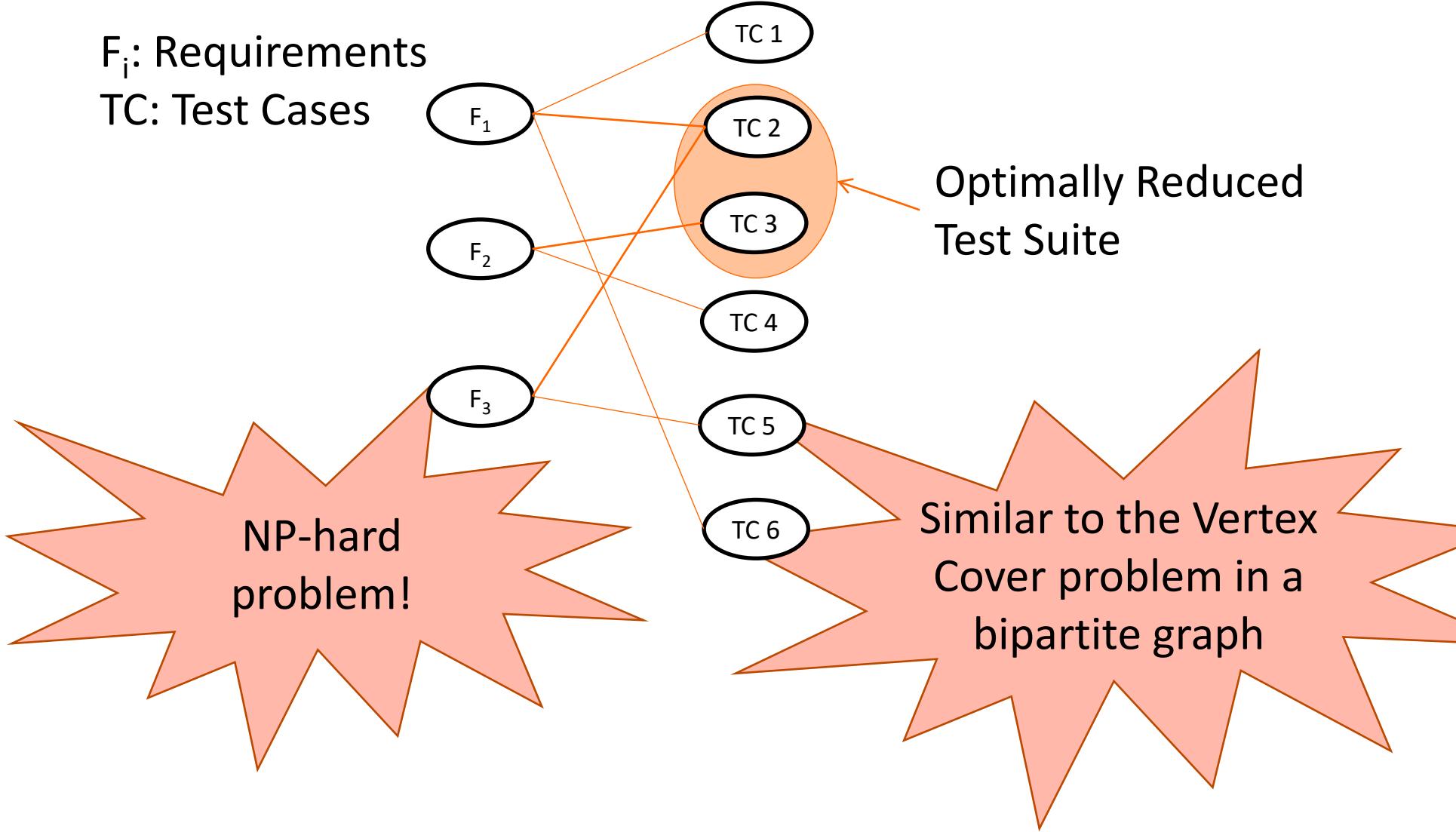


Artificial Neural Networks

Optimal Test Suite Reduction

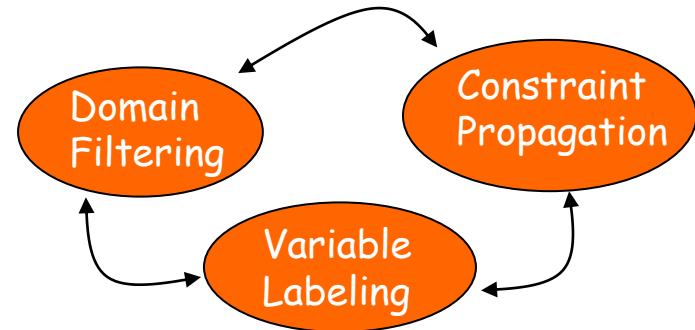
F_i : Requirements

TC: Test Cases



Constraint Programming (CP)

- Routinely used in Validation & Verification, CP handles efficiently hundreds of thousands of constraints and variables
- CP is versatile: user-defined constraints, dedicated solvers, programming search heuristics **but it is not a silver bullet** (developing efficient CP models and heuristics requires expertise)



→ **Global constraints:** relations over a non-fixed number of variables, implementing dedicated filtering algorithms

The **nvalue** global constraint

[Pachet Roy 1999, Beldiceanu 01]

nvalue(N, V)

Where:

N is a finite-domain variable

V = [V₁, ..., V_k] is a vector of variables

nvalue(N, V) holds iff N = card({V_i}_{i in 1..k})

nvalue(N, [3, 1, 3]) entails N = 2

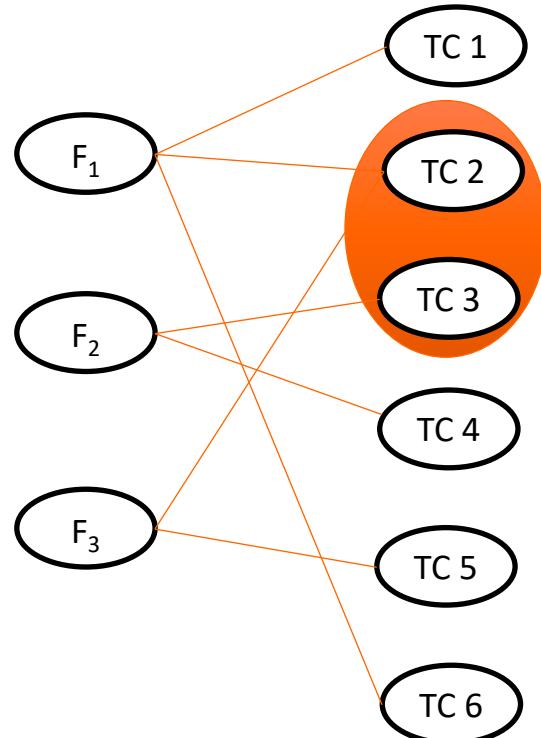
nvalue(3, [X₁, X₂]) fails

nvalue(1, [X₁, X₂, X₃]) entails X₁ = X₂ = X₃

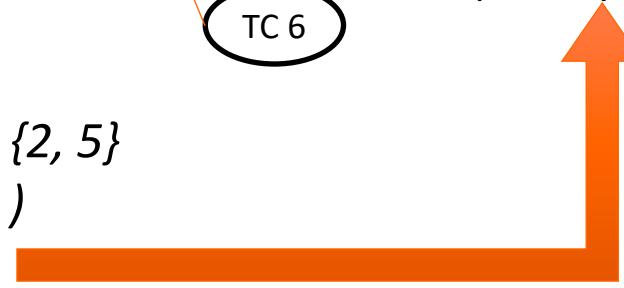
N in 1..2, **nvalue(N, [4, 7, X₃])** entails X₃ in {4,7}, N=2

Optimal Test Suite Reduction with nvalue

However,
only F_1, F_2, F_3
are available
for labeling!



Sol: $F_1 = 2, F_2 = 3, F_3 = 2$
Optimally Reduced Test Suite



$F_1 \in \{1, 2, 6\}, F_2 \in \{3, 4\}, F_3 \in \{2, 5\}$

nvalue(MaxNvalue, [F₁, F₂, F₃])

Minimize(MaxNvalue)

The global_cardinality constraint (gcc)

[Regin AAAI'96]

gcc(T, d, V)

Where

$T = [T_1, \dots, T_N]$ is a vector of N variables

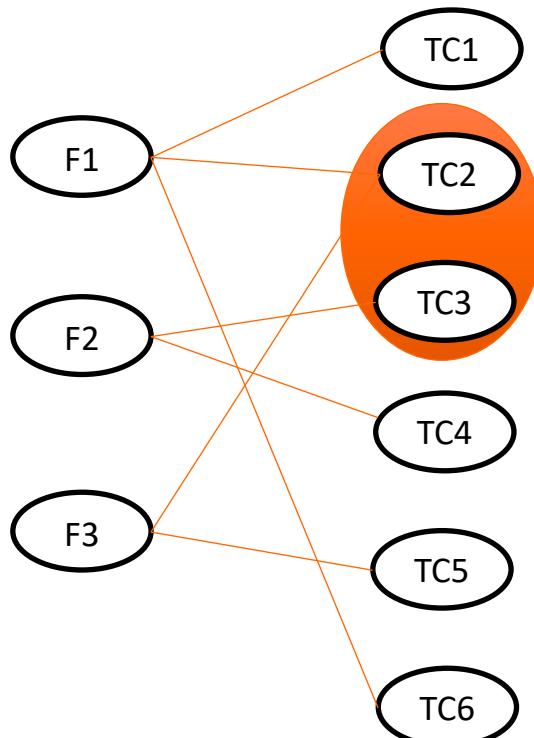
$d = [d_1, \dots, d_k]$ is a vector of k values

$V = [V_1, \dots, V_k]$ is a vector of k variables

gcc(T, d, V) holds iff $\forall i \text{ in } 1..k,$
 $V_i = \text{card}(\{j \mid T_j = d_i\})$

Filtering algorithms for **gcc** are based on max-flow computations

Mixt model using gcc and nvalue



$F_1 \text{ in } \{1, 2, 6\}, F_2 \text{ in } \{3, 4\}, F_3 \text{ in } \{2, 5\}$

gcc([F₁, F₂, F₃], [1,2,3,4,5,6], [V₁, V₂, V₃, V₄, V₅, V₆])

nvalue(MaxNvalue, [F₁, F₂, F₃])

Minimize(MaxNvalue)

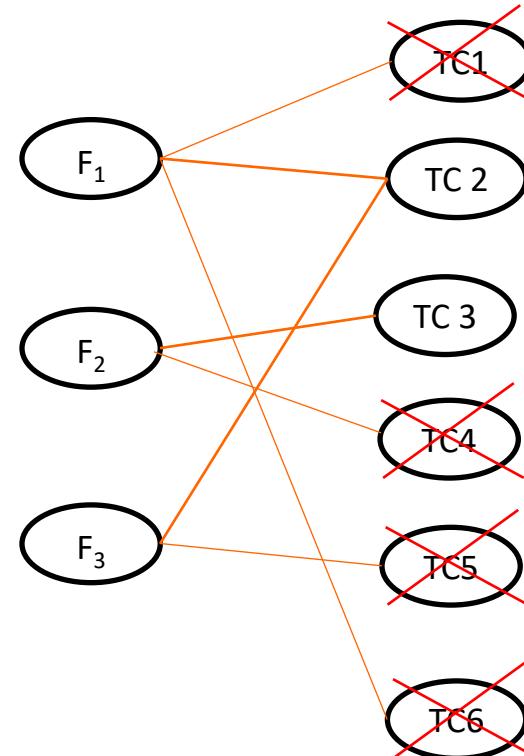
Model pre-processing

F_1 in $\{1, 2, 6\} \rightarrow F_1 = 2$
as $\text{cov}(\text{TC}_1) \subset \text{cov}(\text{TC}_2)$ and $\text{cov}(\text{TC}_6) \subset \text{cov}(\text{TC}_2)$
withdraw TC_1 and TC_6

F_3 is covered \rightarrow withdraw TC_5

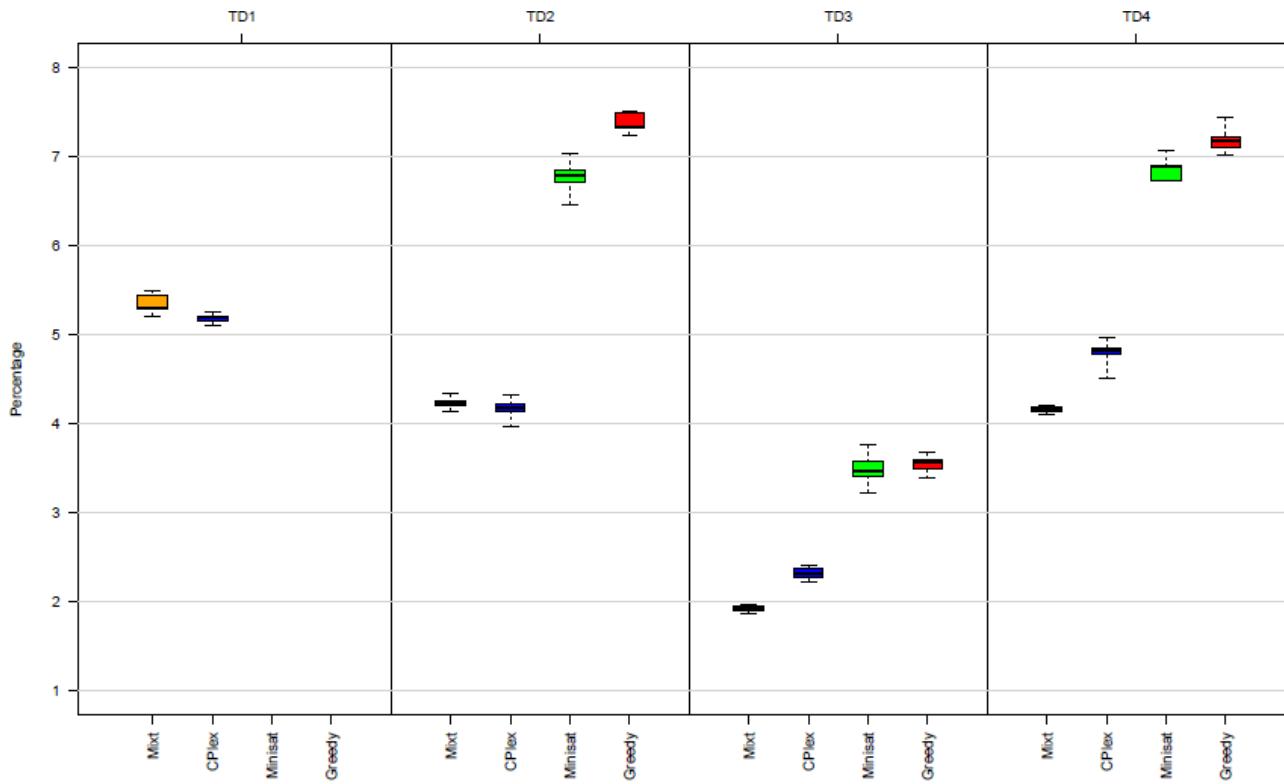
F_2 in $\{3,4\} \rightarrow$ e.g., $F_2 = 3$, withdraw TC_4

Pre-processing rules can be expressed once
and then applied iteratively



Comparison with CPLEX, MiniSAT, Greedy (uniform costs)

(Reduced Test Suite percentage in 60 sec)



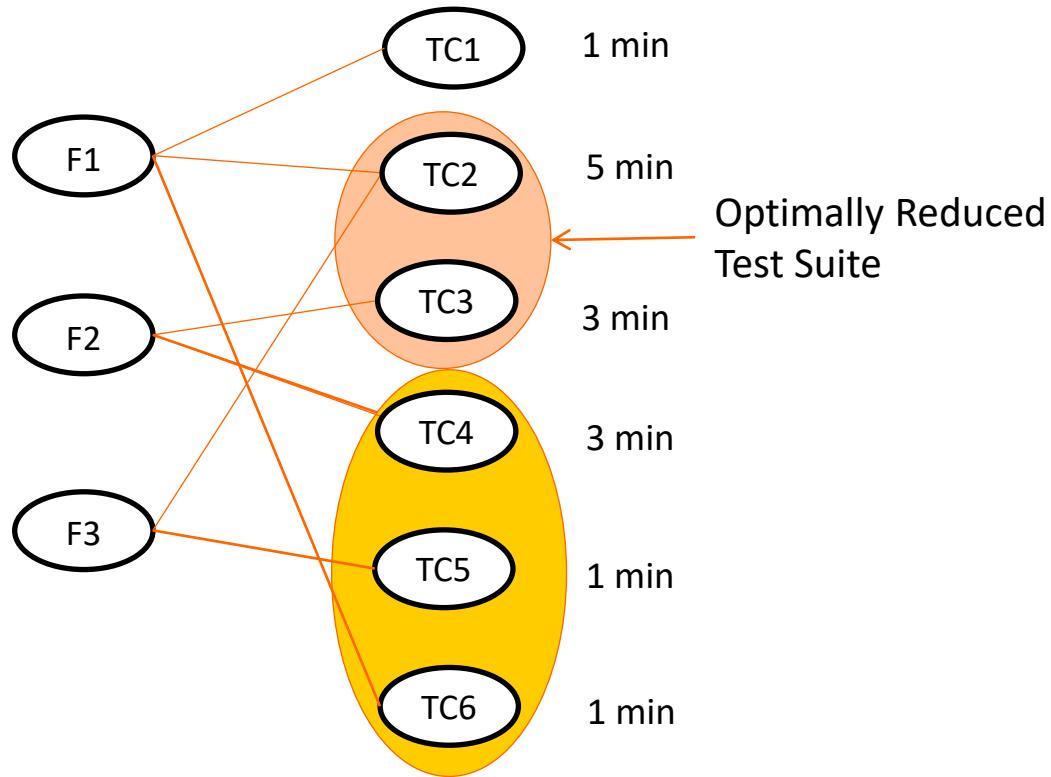
	TD1	TD2	TD3	TD4
Requirements	1000	1000	1000	2000
Test cases	2000	5000	5000	5000
Density	20	7	20	20

A. Gotlieb and D. Marijan - **FLOWER: Optimal Test Suite Reduction As a Network Maximum Flow** – ACM Int. Symp. on Soft. Testing and Analysis (ISSTA'14), San José, CA, Jul. 2014.

A. Gotlieb and D. Marijan - **Using Global Constraints to Automate Regression Testing** - AI Magazine 38, no. Spring (2017).

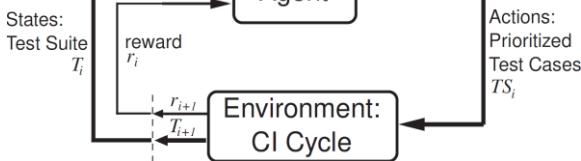
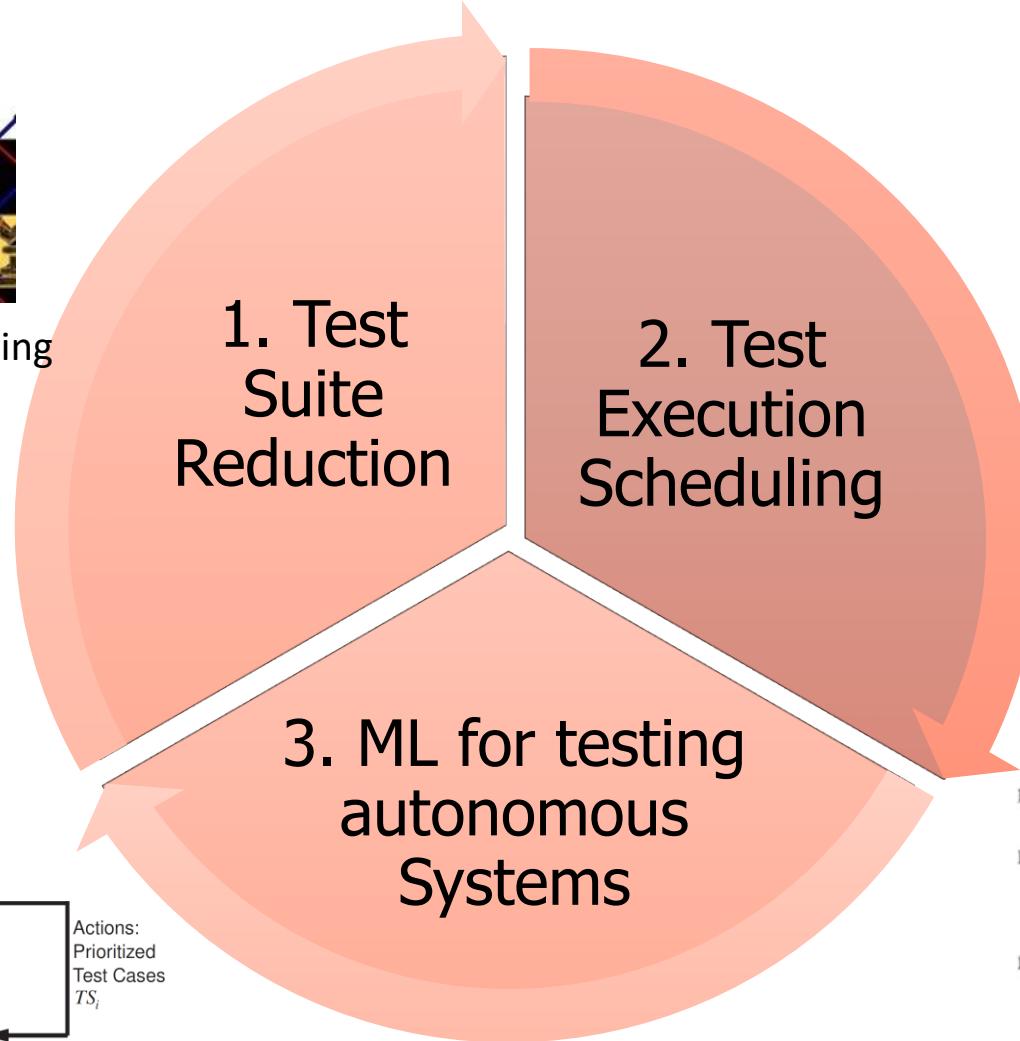
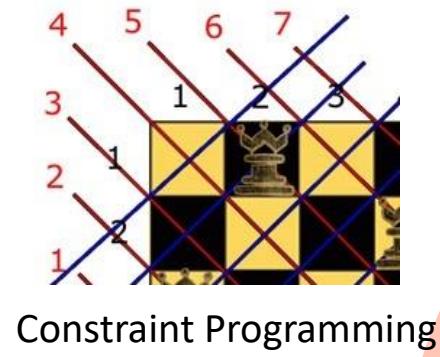
Other Criteria to Minimize

Requirement coverage
is always a prerequisite

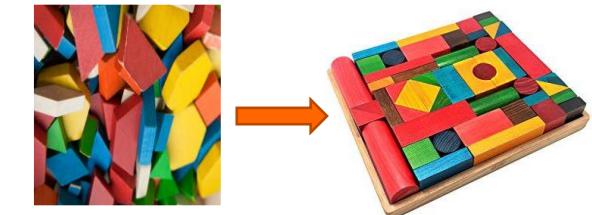


Execution time!

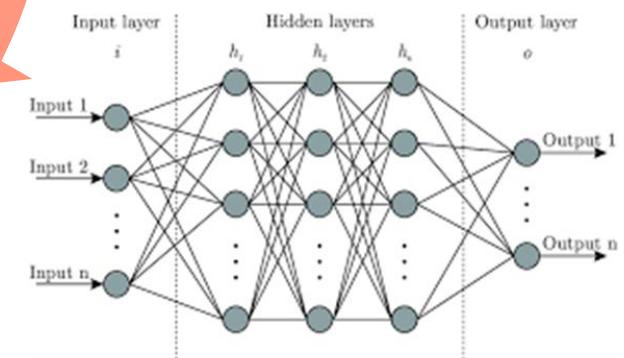
Deployment of “Intelligent” Continuous Testing



Reinforcement Learning



Constraint-based
Scheduling



Artificial Neural Networks

Test Selection and Test Suite Reduction: An Example at ABB Robotics

PRODUCT	BASIC SPECIFICATIONS	
IRB 14000 YuMi®	Load (kg)	0.50
	Reach (m)	0.559
	Protection	Std:IP30; Clean room ISO 5
	Mounting	Bench, table
	Safety	PL b Cat B
IRB 14050 Single Arm YuMi	Load (kg)	0.50
	Reach (m)	0.559
	Protection	Std:IP30; Clean room ISO 5
	Mounting	Any angle - table, wall, ceiling
	Safety	PL d Cat 3, PL b Cat b, SafeMove Pro option
IRB 1100	Load (kg)	4.00 4.00
	Reach (m)	0.475 0.58
	Armload (kg)	0.50 0.50
	Protection	Std: IP40
	Mounting	Any angle
IRB 120 and IRB 120T	Load (kg)	3.00
	Reach (m)	0.58
	Protection	Std: IP30 Option: Cleanroom class 5, certified by IPA
	Mounting	Floor, wall, inverted, and tilted angles

PRODUCT	BASIC SPECIFICATIONS	
IRB 1200	Load (kg)	5.00 7.00
	Reach (m)	0.90 0.70
	Protection	Std: IP40 Option: IP67, Clean room ISO 4, food grade lubricant
	Mounting	Any angle
IRB 140 and IRB 140T	Load (kg)	6.00
	Reach (m)	0.81
	Protection	Std: IP67 Option: Cleanroom class 6, Foundry Plus
	Mounting	Floor, wall, inverted, and tilted angles
IRB 1600	Load (kg)	6.00 6.00 10.0 10.0
	Reach (m)	1.20 1.45 1.20 1.45
	Protection	Std: IP54 Option: IP67 with foundry plus 2
	Mounting	Floor, wall, inverted, tilted angles, and shelf
IRB 1660ID	Load (kg)	4.00 6.00
	Reach (m)	1.55 1.55
	Protection	Std: IP40 (wrist IP67)
	Mounting	Floor, wall, inverted, and tilted angles

→ Select, schedule and execute about 150 TC per CI cycle

From a concrete set up:

Test Case Repository:

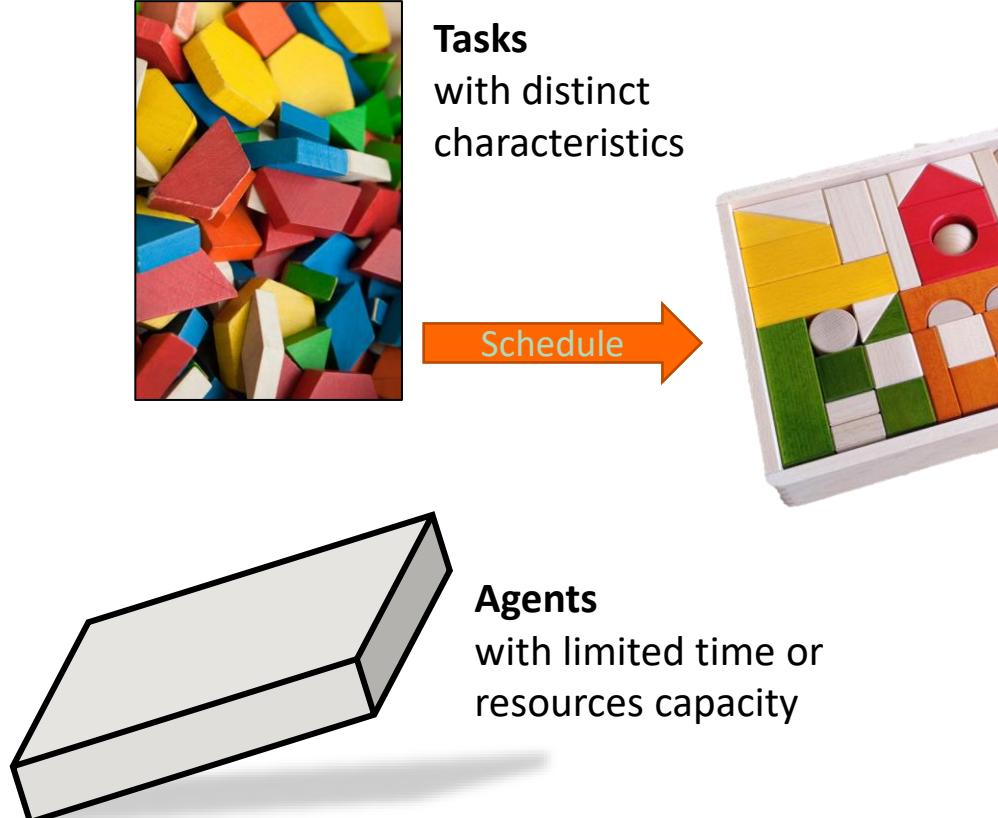
~10,000 Test Cases (TC)

~25 distinct Test Robots

~500 distinct features

10..30 code changes per day

Constraint-Based Scheduling



Assignment of Tasks to Agents such that:

1. Task execution is not interrupted or paused
2. Agents are *maximally* occupied
3. Tasks sharing a global resource are not executed at the same time
4. Diversity of assignment of tasks to agents is ensured

Goal:

Schedule as much tasks as possible on available agents such that the overall execution time is minimized

Test Case Execution Scheduling

$$(T, M, G, d, g, f)$$

T : a set of Test Cases

M : a set of Machines, e.g., robots

G : a set of (non-shareable) resources

$d: T \rightarrow N$ estimated duration

$g: T \rightarrow 2^G$ usage of global resources

$f: T \rightarrow 2^M$ possible machines

Disjunctive scheduling, non-preemptive, non-shareable resources, machine-independant execution time

Function to optimize:

TimeSpan: the overall duration of test execution T_E
(in order to minimize the round-trip time)

In practice, global optimality is desired but not mandatory, it's more important to control T_s w.r.t T_E
→ Time-contract global optimization

A simple example

d

f

g

Test	Duration	Executable on	Use of global resource
t_1	2	m_1, m_2, m_3	-
t_2	4	m_1, m_2, m_3	r_1
t_3	3	m_1, m_2, m_3	r_1
t_4	4	m_1, m_2, m_3	r_1
t_5	3	m_1, m_2, m_3	-
t_6	2	m_1, m_2, m_3	-
t_7	1	m_1	-
t_8	2	m_2	-
t_9	3	m_3	-
t_{10}	5	m_1, m_3	-



m_3



m_2



m_1

Test Cases: $t_1, t_2, t_3, t_4, t_5, t_6, t_7, t_8, t_9, t_{10}$

r_1



The **CUMULATIVE** global constraint

[Aggoun & Beldiceanu AAAI'93]

CUMULATIVE(t, d, r, m)

Where

$t = (t_1, \dots, t_N)$ is a vector of tasks, each t_i in $S_i .. E_i$

$d = (d_1, \dots, d_N)$ is a vector of task duration

$r = (r_1, \dots, r_N)$ is a vector of resource consumption rates

m is a scalar

$$\text{CUMULATIVE } (t, d, r, m) \text{ holds iff} \quad \sum_{i=1}^N r_i \leq m \\ t_i \leq t \leq t_i + d_i$$

Using the global constraint CUMULATIVE

CUMULATIVE((t_1, \dots, t_{10}), (d_1, \dots, d_{10}), (1, .., 1), 3),
 M_1, \dots, M_6 in 1..3,
 $M_7 = 1, M_8 = 2, M_9 = 3, M_{10}$ in {1,3},
 $(E_2 \leq S_3 \text{ or } E_3 \leq S_2), (E_2 \leq S_4 \text{ or } E_4 \leq S_2),$
 $(E_3 \leq S_4 \text{ or } E_4 \leq S_3),$
MAX(MaxSpan, (E_1, \dots, E_{10})),
LABEL(**MINIMIZE**(MaxSpan), (S_1, \dots, S_{10}), (M_1, \dots, M_{10})))

Test	Duration	Executable on	Use of global resource
t_1	2	m_1, m_2, m_3	-
t_2	4	m_1, m_2, m_3	r_1
t_3	3	m_1, m_2, m_3	r_1
t_4	4	m_1, m_2, m_3	r_1
t_5	3	m_1, m_2, m_3	-
t_6	2	m_1, m_2, m_3	-
t_7	1	m_1	-
t_8	2	m_2	-
t_9	3	m_3	-
t_{10}	5	m_1, m_3	-

An optimal solution:

$$S_1 = 0, S_2 = 4, S_3 = 8, S_4 = 0, S_5 = 4, S_6 = 7, S_7 = 2, S_8 = 9,$$

$$S_{10} = 3,$$

$$M_1 = 1, M_2 = 1, M_3 = 1, M_4 = 2, M_5 = 2, M_6 = 2, M_7 = 1,$$

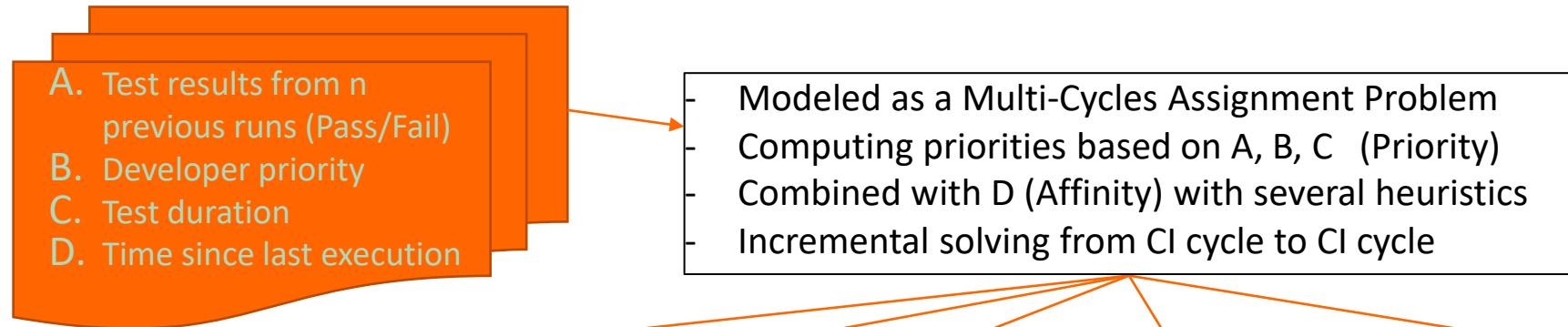
$$M_8 = 2, M_9 = 3, M_{10} = 3$$

$$\text{MaxSpan} = 11$$

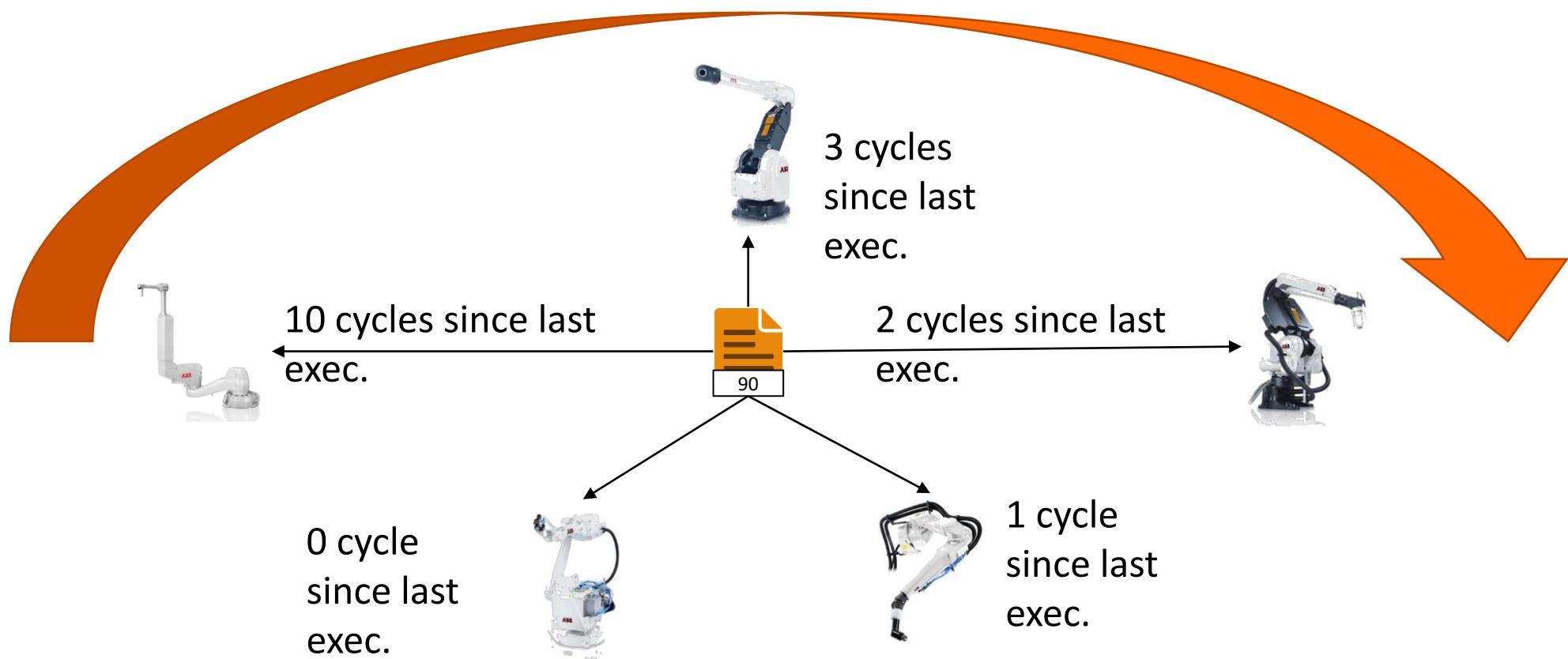
Limitations of this model

- Static model – In practice, robots and test cases are not necessarily available at each CI cycle → Need a more dynamic model!
- Historical data about test case success/failure is not taken into consideration!
- Diversity in scheduling among CI cycles is not handled

A New Approach Based on Priority and Affinity



Affinity: more diversity in the test execution process



Rotational Diversity

Definition 1. Multi-Cycle General Assignment Problem

$$\text{Maximize} \sum_{i \in \mathcal{A}^k} \sum_{j \in \mathcal{T}^k} x_{ij} v_{ij} \quad (1)$$

$$\text{subject to} \sum_{j \in \mathcal{T}^k} x_{ij} w_{ij} \leq b_i, \quad \forall i \in \mathcal{A}^k \quad (2)$$

$$\sum_{i \in \mathcal{A}^k} x_{ij} \leq 1, \quad \forall j \in \mathcal{T}^k \quad (3)$$

with

k : Index of the current cycle

\mathcal{A}^k : A set of integers i labeling m agents

\mathcal{T}^k : A set of integers j labeling n tasks

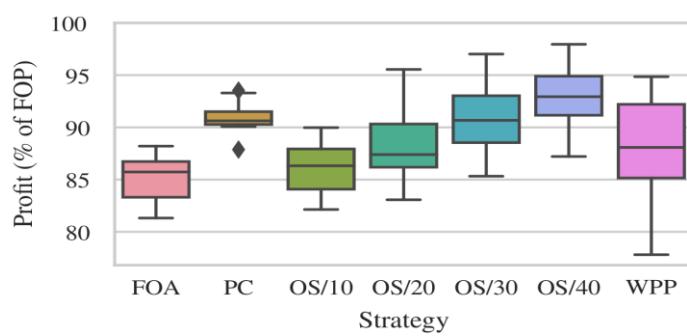
b_i : Capacity of agent i

v_{ij} : Value of task j when assigned to agent i

w_{ij} : Weight of task j on agent i

$$x_{ij} : \begin{cases} 1 & \text{Task } j \text{ is assigned to agent } i \wedge i \in \mathcal{C}_j^k \\ 0 & \text{otherwise} \end{cases} \quad (4)$$

$$(5)$$



$$\text{Priority only (FOP)} \quad v_{ij} \triangleq p_{ij}$$

$$\text{Affinity only (FOA)} \quad v_{ij} \triangleq a_{ij}$$

$$v_{ij} \triangleq \begin{cases} p_{ij} & \text{if } \gamma > \max_{j \in \mathcal{T}^k} AP_j^k \\ a_{ij} & \text{otherwise} \end{cases}$$

$$v_{ij} \triangleq p_{ij}^\alpha \cdot a_{ij}^\beta$$

Product Combination (PC)

Weighted Partial Profits (WPP)

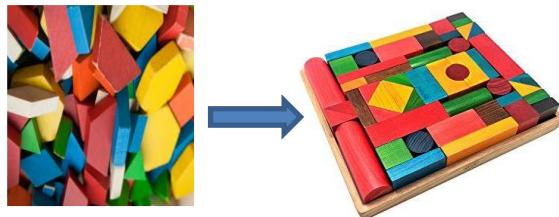
$$v_{ij} \triangleq \lambda_j^k \cdot \frac{p_{ij}}{\max_{i \in \mathcal{A}^k} \max_{j \in \mathcal{T}^k} p_{ij}} + (1 - \lambda_j^k) \cdot \frac{a_{ij}}{\max_{i \in \mathcal{A}^k} \max_{j \in \mathcal{T}^k} a_{ij}}$$

Agents	20	20	20	30	Total
Tasks	750	1500	3000	3000	
FOA	15 (24.4)	6 (15.7)	3 (9.5)	3 (8.5)	27 (14.5)
OS/10	14 (22.2)	6 (15.5)	3 (9.4)	3 (8.4)	26 (13.9)
OS/20	9 (18.6)	6 (15.3)	3 (9.2)	3 (8.3)	21 (12.9)
OS/30	7 (16.9)	5 (14.3)	3 (9.1)	3 (8.1)	18 (12.1)
OS/40	7 (16.2)	4 (13.1)	3 (8.9)	3 (7.9)	17 (11.5)
PC	15 (24.0)	7 (14.4)	3 (8.3)	3 (7.5)	28 (13.6)
WPP	14 (24.1)	7 (14.2)	3 (7.3)	3 (7.0)	27 (13.2)
FOP	3 (15.7)	0 (10.8)	0 (7.1)	0 (4.6)	3 (9.6)

(b) Diversity: Full rotations of all tasks (Avg. rotations per task)

SWMOD: Deployment of Time-aware Test Case Execution Scheduling at ABB Robotics

- ~1500 lines of SICStus Prolog Code with CP(FD)
- Fully integrated into the MS-TFS Continuous Integration
- Using the global constraint binpacking + rotational diversity
- Deployed at ABB since Feb. 2019



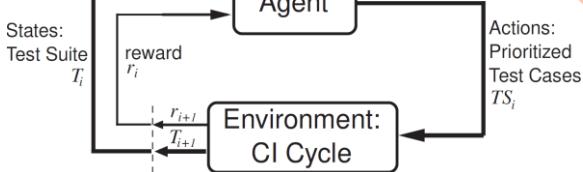
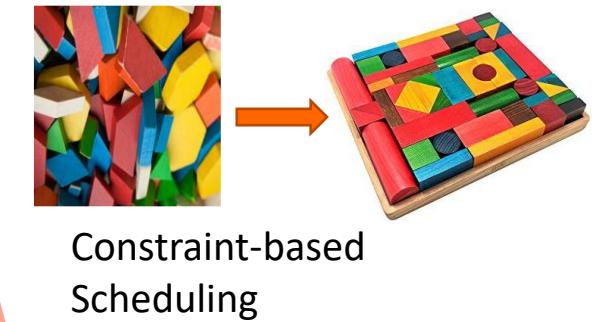
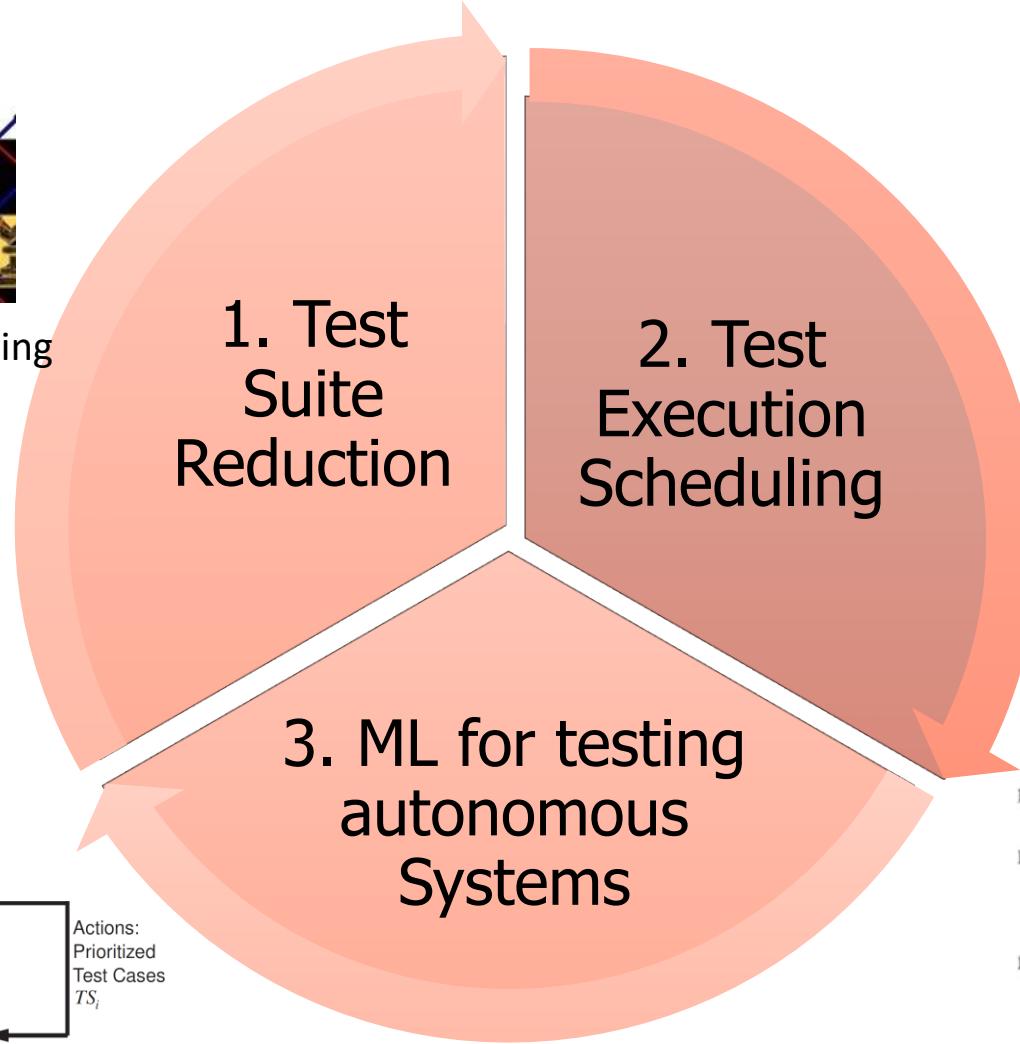
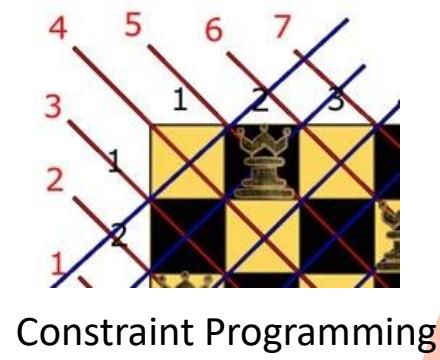
CP with **global constraints (cumulative, binpacking)** and rotational diversity can solve the test execution scheduling problem

Constraint-based Scheduling

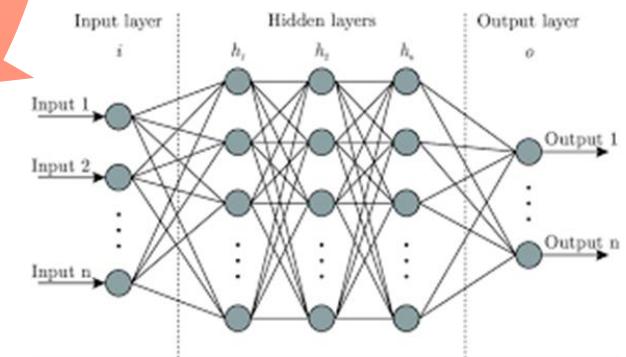


"SWMOD deployed at ABB Robotics and used every day to schedule tests throughout several ABB centers in the world (Norway, Sweden, India, China)"

Deployment of “Intelligent” Continuous Testing



Reinforcement Learning



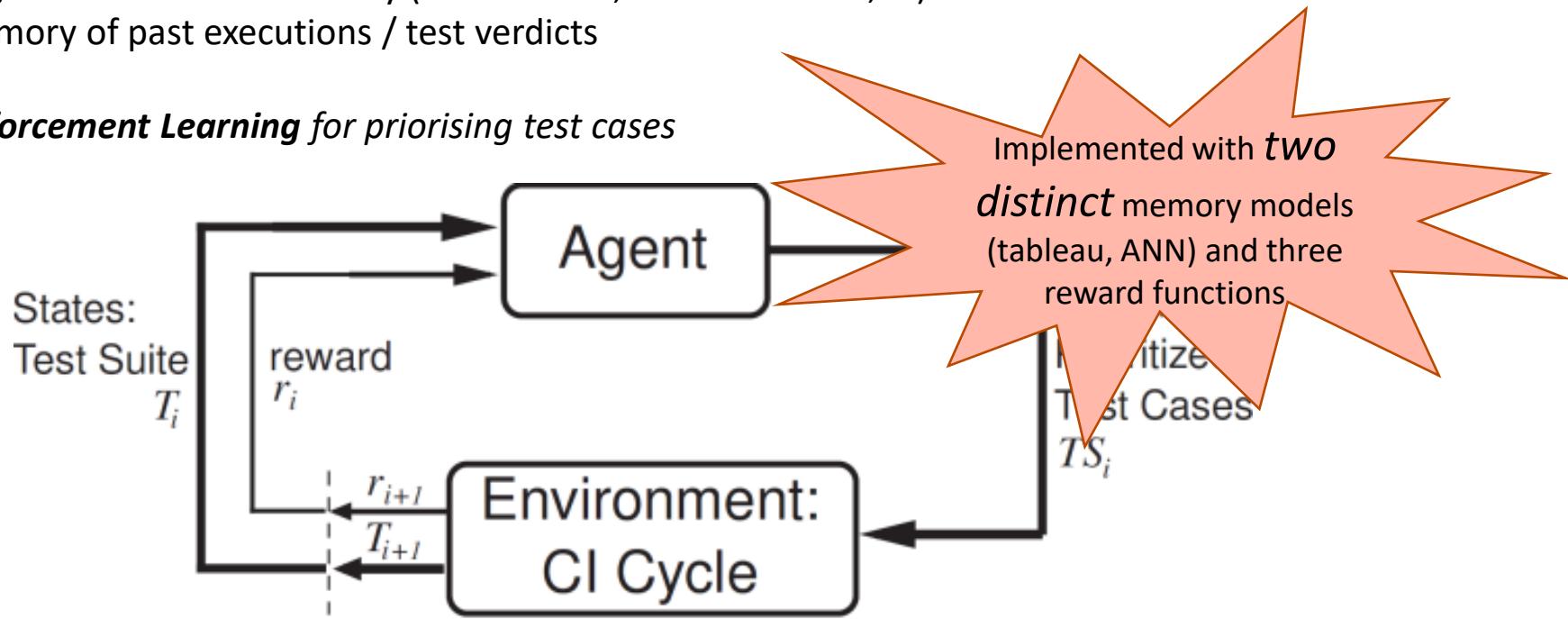
Artificial Neural Networks

Test Prioritization: Learning from previous test runs

Motivation:

Adapting priorities to the most interesting test cases based on past test verdicts (from previous CI cycles)

- Considering test case meta-data only (test verdicts, execution time, ...)
- Limited memory of past executions / test verdicts
- *Using Reinforcement Learning for prioritising test cases*



Reward Functions and Experimental Evaluation

Reward Function 1. Failure Count Reward

$$reward_i^{fail}(t) = |\mathcal{TS}_i^{fail}| \quad (\forall t \in \mathcal{T}_i)$$

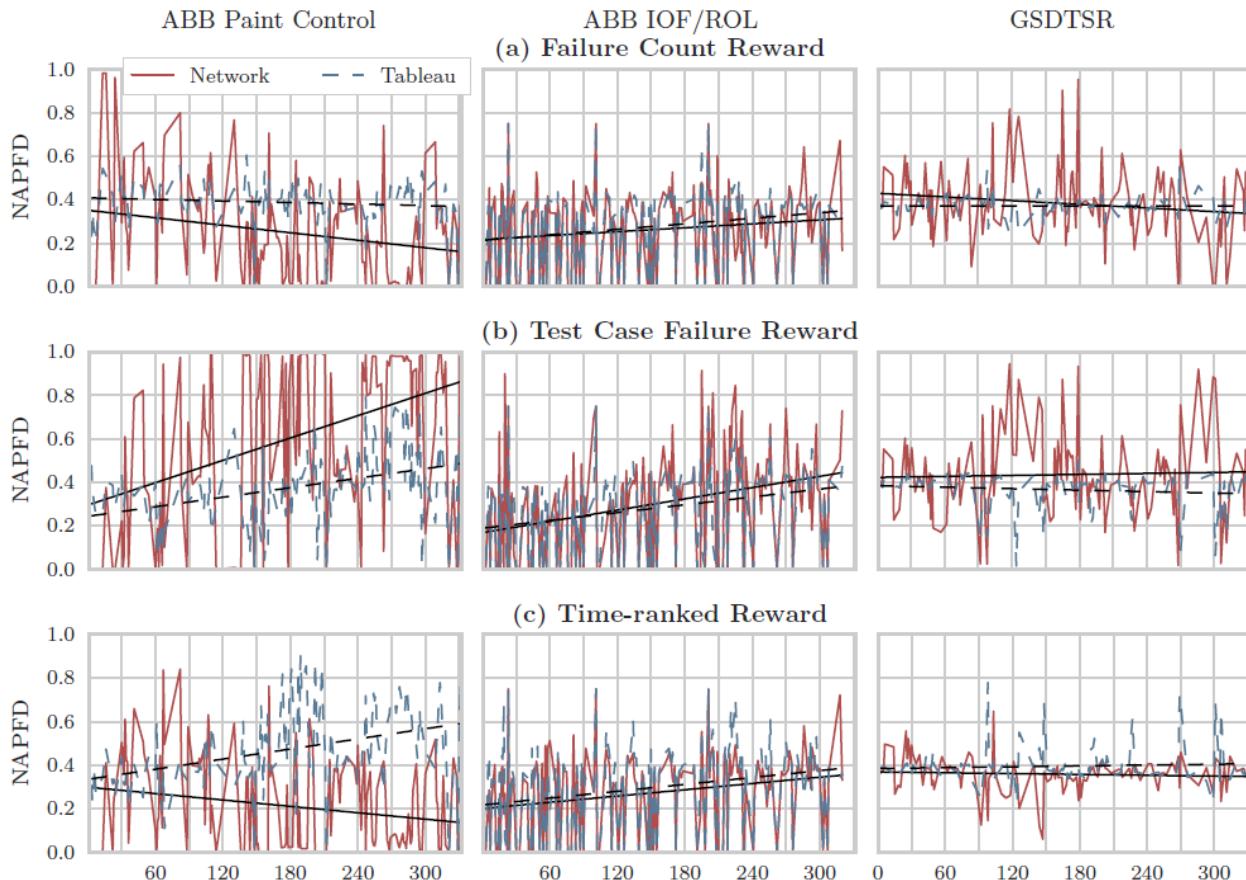
Reward Function 2. Test Case Failure Reward

$$reward_i^{tcfail}(t) = \begin{cases} 1 - t.verdict_i & \text{if } t \in \mathcal{TS}_i \\ 0 & \text{otherwise} \end{cases}$$

Reward Function 3. Time-ranked Reward

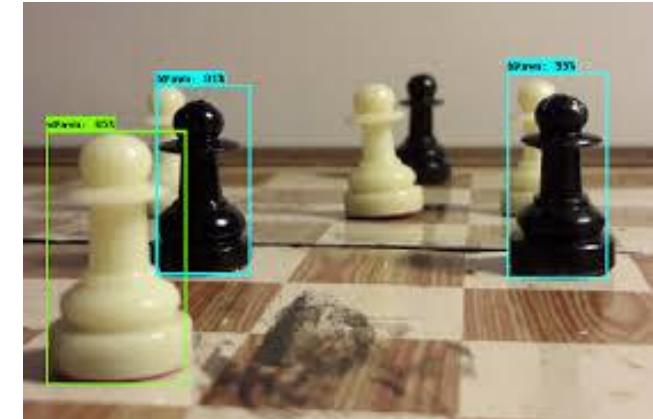
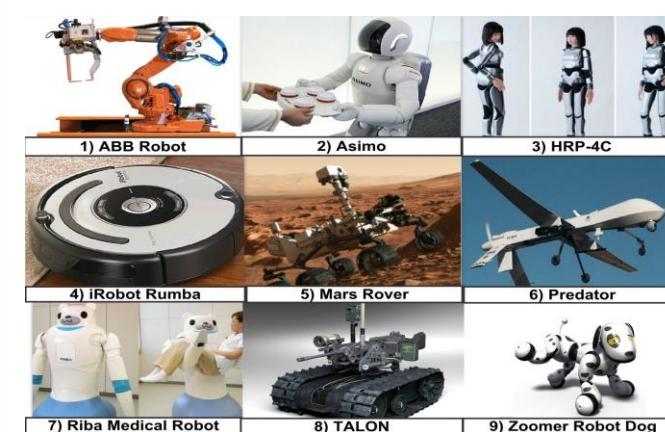
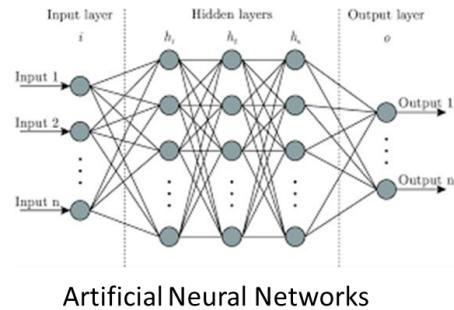
$$reward_i^{time}(t) = |\mathcal{TS}_i^{fail}| - t.verdict_i \times \sum_{\substack{t_k \in \mathcal{TS}_i^{fail} \wedge \\ rank(t) < rank(t_k)}} 1$$

3 Industrial data sets (1 year of CI cycles)
NAPFD: Normalized Average Percentage of Faults Detected

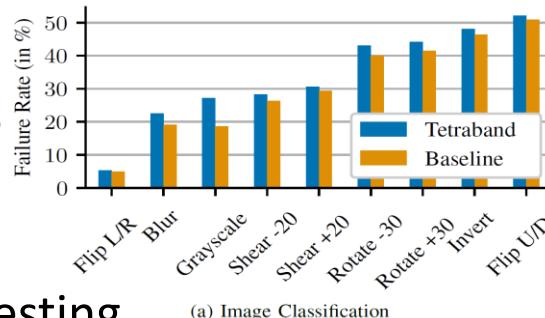


Adaptive Metamorphic Testing

Motivation: Learning which *Metamorphic Relation* works best to test vision-based systems



Using Contextual Bandits
(Reinforcement Learning) to
learn how to select
metamorphic relations
→ Adaptive Metamorphic Testing



	Airplane	Automobile	Bird	Cat	Deer	Dog	Frog	Horse	Ship	Truck	Avg.
Blur	10.60	11.40	13.10	9.81	7.30	13.50	17.70	9.00	6.00	6.20	10.46
Flip L/R	2.90	1.00	4.10	6.71	2.20	6.80	1.30	2.40	0.90	2.40	3.07
Flip U/D	14.90	74.60	37.80	33.13	59.10	53.90	29.30	92.40	72.20	43.30	51.06
Grayscale	4.70	5.40	28.10	7.91	18.10	26.00	14.30	6.70	4.80	5.30	12.13
Invert	16.50	29.40	29.50	33.13	41.40	70.30	41.80	38.30	27.30	35.70	36.33
Rotation	25.49	37.09	35.43	17.70	69.00	46.10	20.63	60.44	42.44	50.01	40.43
Shear	11.22	4.99	26.69	35.79	45.45	51.97	15.63	40.24	19.78	55.24	30.70
Avg.	12.33	23.41	24.96	20.60	34.65	38.37	20.10	35.64	24.77	28.31	26.31

Table 1: CIFAR-10 dataset: Effects of MRs by the true class of the image. Each cell value shows the percentage of images in the class, which are wrongly classified after applying the MR. Every class contains 1000 images. Rotation and Shear are parameterized by 30 degrees.

Take Away Message

- *Testing autonomous systems* brings new interesting challenges for software V&V research
- **Some AI techniques such as Constraint Programming (CP) and global constraints** are already very successful in test case generation, test suite reduction and test execution scheduling
- Testing autonomous systems such as collaborative robots or self-driving cars is challenging *as:*
 - **Expected behaviours** cannot be specified in advance
 - **Interactions with humans** involve more safety issues



Course Overview

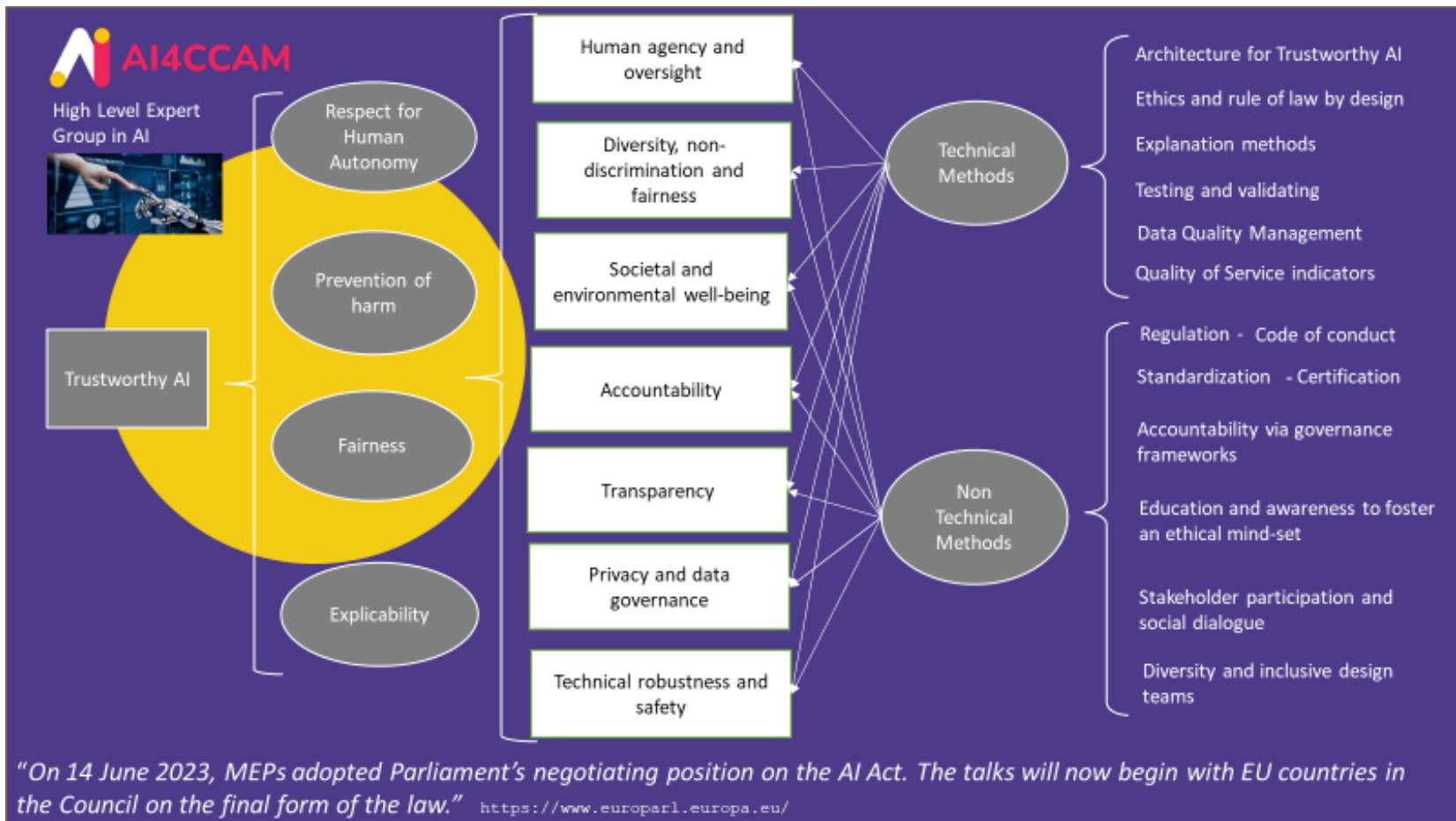
- Software Testing Introduction
- Code-based Testing
- Testing of Autonomous Systems
- Open Challenges in Software Testing

Testing Neuro-Symbolic AI models

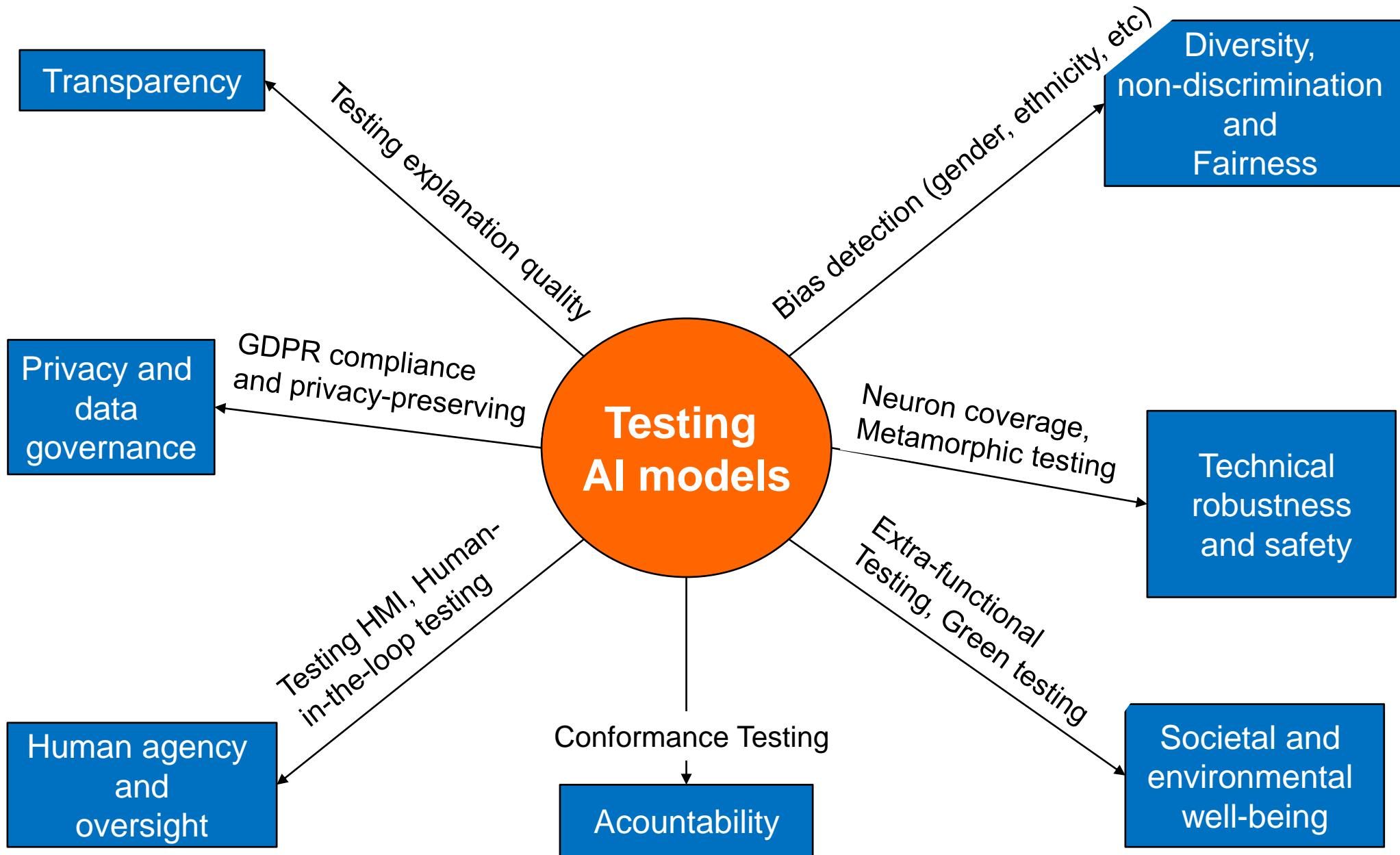
- Neuro-symbolic AI models combine NN (CNN, RNN, LSTM Transformers, etc.) with symbolic reasoning to improve
 1. The perf. of classification/regression models in ML
 2. The explicability of NN models
- Besides the oracle problem, testing these models is challenging as it requires to quantify the benefice of each part (NN vs Symbolic)
- Testing the quality/interest of explanations is an open research question – An overall field has been created, the field of XAI

Testing AI model Trustworthiness (1)

- Need to adopt a definition of Trustworthy AI (e.g., EU HLEG AI)



Testing AI model Trustworthiness: A Research Programme



VIAS Dept.

Validation Intelligence for Autonomous Software-Systems



Arnaud GOTLIEB

VIAS explores how to test the robustness, reliability, and transparency of software-systems (industrial robots, self-driving cars, navigation systems, etc.) with intelligent methods

1. Trustworthy Artificial Intelligence for Autonomous Systems
2. Testing Intelligent Transport Systems
3. Learning and Reasoning for Data-Intensive Systems

April 2023 (11 employees): 3 permanent researchers, 5 postdocs, 3 PhDs, 3 external PhDs + 2 ongoing recruitments

Funded by EC: **AI4CCAM** (HEU, Coordination, 2023-25), **TRANSACT** (ECSEL, 21-24), **MARS** (HEU, 23-26), **CERTIFAI** (HEU, 23-26)

Funded by RCN: **T-Largo** (2019-22), **T3AS** (19-22), **SMARTMED** (19-22), **TSAR** (19-23), **AutoCSP** (21-24)

RESIST_EA: 1st Inria-Simula Associate Team on Resilience of Software Systems (2021-2024)



The Research Council
of Norway

