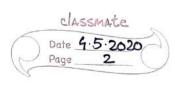
	DALANCED SLIDING	BALANCED SLIDING WINDOW PROTOCOL		
0	its a packet frans reliable in-order del			for
	PQ channel			
PS	1234567	2 3	$\rightarrow$ $\mid$ $\mid$	QR
PR	<b>│</b>	<b>←</b>	A1	Qs
	QP channel			
			<u></u>	و
	P process		Q process	
	(transmitter) (reciever)			
1.	· ·			
ENERGY	· ·		Acres of	
- Kir	in think of P trying to send a file to Q			
	in parts (1-7). a acknowledges the reciept of			
	a part with an acknowledgement packet. (AI).			
		J		
	THE CHANNELS	5 T		
		f .	ř.	
THE REAL PROPERTY.	2 separate channels are PQ and QP.			
A CONTRACTOR OF THE PARTY OF TH	V .	_		

- they can drop packets - they can't corrupt packets

- they can reorder " Ceven if they could we could use checksom)



## THE PROCESSES

- 2 separate processes P and Q.
  - each sends packets through a channel.
- each recieves packets through another channel.
   each only sends packet within a "window".
- position of "window" is determined by the

packets recieved by each.

here, P = transmitter process

Q = reciever process

REQUIRED PROPERTIES

packets recieved at Q are the ones sent by P.

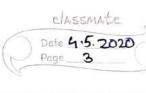
packets recieved at P are the ones sent by Q.

2 eventual delivery

1) Safe delivery

eventually all packets sent by P are recieveth

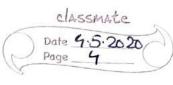
eventually all packets sent by a are recieved but P.



MODELLING AS SYSTEM consider process P: ps 1 - packets to send to Q State - packets recieved from Q Cack.) psn - no. of contiguous packets sent by P

prn - no. of contiguous packets recieved by P functions constant & Pro - window size of P PS as a file pr window of P = (prn, pr, +w) trivial conditions: prn & psn note: P can send any packet in its window, but for determinism, we can add a state

variable Pt (turn) indicating which one to send.



similarly for process Q, we have: as, ar, as, ar, ar, a. (a,) arn remember, we ~ are acknow. qr reciept here 95 window of Q = (2rn-qw, 2rn] trivial conditions: 95, 5 9m note: in general, com (prn-Posprn] of Psn & prn window of P = note: with trivial conditions for Pand Q are 4 cases: both acknowledgers valid. X 1. psn & prn, qsn & qrn p= reciever, q= transmitter 1 2. psn & prn, qsn 22m p=transmitter, q=reciever V3 psn > prn, qsn < qrn ? 4. psn > prn, qsn > qrn both transmitters Cant granentee eventeual delivery for both without acknowledgement).

## SYSTEM DEFINITION

$$S = \langle X_s, X_s^{\circ}, U_s, \xrightarrow{s}, \rangle$$

$$X_{s}^{\circ} = \{ p_{s} = [1, 2, 3, 4, 5, 6, 7] \}$$

$$p_{q}(i) = \{ p_{s} = [1, 2, 3, 4, 5, 6, 7] \}$$

$$pq(i) = \phi + i,$$

$$qr(i) = \phi + i,$$

$$qr(i) = \phi + i,$$

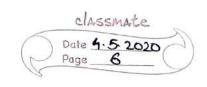
$$qs = [-1, -2, -3, -4, -5, -6, -7]$$

$$qp(i) = \phi + i,$$

$$pe just \phi$$

$$pr(i) = \phi + i \cdot 3$$

be just 
$$\phi$$
too pr(i) =  $\phi$  ti



Us = & psend (i), precv (i), quend (i), qrecv (i) } Eps, pq...} psend(i) & ps, pq! ... } iff pq' = & i -> ps (i) } pq and ie Cprn, prn+pul, and i e [o, n] Eqs, qp, 3 qsend(i) } Eqs, qp' ... 3 iff ap' = & i -> qs(i) } qp, and i ∈ Cqrn-qu, qrn ], and

ie [o, n), and

9.5 ci) + p

ib you set

qs(i) = 
$$\phi$$
  $\forall$  i

initially

Classmate

(e [o, n) SAFE DELIVERY

apai) \$ \$ and

( gr (i) = ps(i) or \$\phi\$ \tag{\tag{required} to} prove 2 pr (i) = qs (i) or \$\phi\$ \ti

coe can prove this in 4 steps! 1.1 paci) = psci) or \$ +i ) > 1.

1.2 qr(i) = pq(i) or \$ +i

2.1 qp(i) = qs(i) or  $\phi + i$   $\Rightarrow 2$ 

22 pr(i) = 2p(i) or \$\phi\$ \tag{\psi}

1.1 BASE CASE

paci) = \$\psi \tau i Ctrivially true)

INDUCTIVE CASE

assume pop satisfies (1)

the only action Us that changes pop is psend(i).

£ps, pq,...3 psend(i) } ξps, pq',...3

ibb pq' = ξi→ ps(i)3 pq, and

ie  $(pr_n, pr_n + p_\omega]$ , and ie ([0, n)

>> pq'(i) = ps(i) for some i

similarly (1.2), (2.1), (2.2) can be proved.

Counich means no packet is modified in between or reordered).

EVENTUAL DELIVERY

Pro Psn

1 think of this

2 think of this

3 qsn

qsn

qsn

P: prn = 2 psn = 10 po = 10 window = (2, 12]

Q: qsn=8 qrn=10 qw=4 window=(6,10]

so, P has sent to packets

packets.

Q has recieved all 10 packets

Q has sent ACK for 8 packets

but P has recieved ACK for only 2 packets

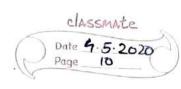
now, what if channel QP drops any packet 2-6. Since Q's window

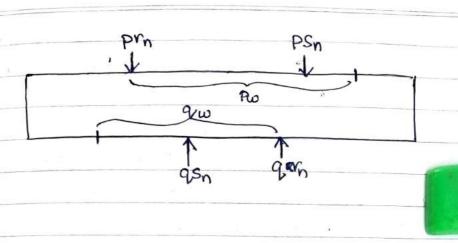
is (6, 10] it wont resend those ACK

but, P can't slide ints window forward.

so, when qw < Pw

Pound Q can stay stuck on channel loss.
Cdeadlock).





in order to guarentee eventual delivery despite channel loss, we need to ensure. That window of Q atleast includes the start of window of P.

P. window = (prn, prn + pw].

Q: window = (qrn-qw, qrn]

RTP: qrn-qw & prn

prn + pw 7, psn by window def.

psn / qrn by trivial cond.

=> prn >, qrn - Pw

=> prn >, qrn - 2w as 2w >, Pw

=> quin - quo & prn (proved)

now, for P's window to slide forward by 1 step, P has to recieve packet as (pr.) from QP.

since we proved that pro lies in window of Q, we can say when Q sends qs (pro) P eventually recieves it.

Similar argument can be made of sliding of Q's window by 1 step.

since we can guarentee sliding of window by 1 step at each sotep, and that is equivalent to packet reception and its acknowledgement, we can thus say that eventual delivery is guarenteed.