Text as Data

Justin Grimmer

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August 24th, 2017

Discovery and Measurement

What is the research process? (Grimmer, Roberts, and Stewart 2017)

- 1) Discovery: a hypothesis or view of the world
- 2) Measurement according to some organization
- 3) Causal Inference: effect of some intervention

Text as data methods assist at each stage of research process

Causal Inference

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Discovery and Estimation





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Causal Inference in Text

Text as Intervention & Text as Response

- 1) Causal inference: latent representation of texts (g function to find latent features)
- 2) Discovery of features + Estimating effects→ train/test split

Which consumer complaints lead to a timely response?

"I have been cheated by Wells Fargo! They were to set me up on an interest free payment plan, and I trusted them to do that. However, they set me up on a payment plan that took me way beyond the interest free date...Wells Fargo really sucks! I will avoid doing business with them in the future."

Complaint B:

"My name is XXXX XXXX. I am a Wells Fargo account holder. Wells Fargo illegally withdrew money from my account without notice or explanation"

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Random assign A/B and assess response \rightsquigarrow what about the complaint makes it better?

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Random assign A, A' and assess response \rightsquigarrow are we interested in effect of one word?

Complaint A (Treatment 1):

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Latent Representation → true whether hand coded, supervised, or unsupervised

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- Explicit discovery phase in experiment

Automatically discover treatments + Estimate marginal effects

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- 3) Method for estimating marginal effect for discovered features (treatments)

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Conjoint With Discovered Treatments

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Conjoint With Discovered Treatments(or) Discover Features that Drive Response in A/B Test

- An individual sees a text (X_i) : text seen by i)
- Function: text \leadsto treatments in text $(\boldsymbol{Z}_i \equiv g(\boldsymbol{X}_i))$

 Z_i is a low-dimensional rep of X_i , describing treatments

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- 3) Sufficiency: For all \boldsymbol{X} and \boldsymbol{X}' such that $g(\boldsymbol{X}) = g(\boldsymbol{X}')$ then $E[Y_i(g(\boldsymbol{X}'))] = E[Y_i(g(\boldsymbol{X}'))].$

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Proposition 1

Assumptions 1-4 are sufficient to identify the AMCE $_k$ for arbitrary k.

Discovering Treatments and Estimating Marginal Effects

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 - b) Ensure we avoid "p-hacking" (false discovery)

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- 2) Classification Stability \rightsquigarrow same text leads to same label (retrained) Train/Test split ensures both hold.

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Discovering function from texts to treatments g()

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- Use both documents and responses to discover the function

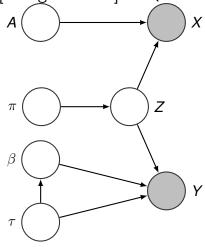
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Treatments on simplex imply marginalization impossible \leadsto increase in one category implies decrease in other category



Text and response depend on latent treatments

- Treatment assignment

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 $\pi_k \sim \prod_{m=1}^k \eta_m$
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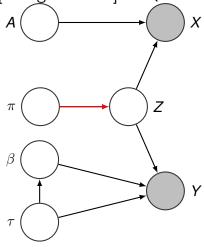
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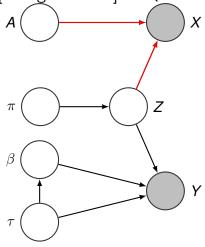
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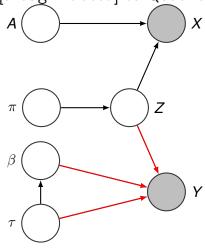
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- 5) In test set: infer treatments and measure their effect
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 - b) Estimate effect of treatments with regression, with a bootstrap procedure to estimate uncertainty

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"The service representative was harsh and not listening to my questions. Attempting to collect on a debt I thought was in a grace period ... They were aggressive and unwilling to hear it."

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- CFBP data: provides text of complaint and whether resolved "promptly"

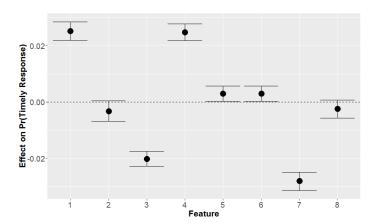
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Treatment	Keywords
1	payment, card, debt , xxx , payment , loan
3	amount, call, account, time, pay, modification
4	interest, branch, number, xxxx_xxxx, told, house
7	month, credit_card, collection, received, called, loan_modificat



Barbara Mikulski vy Barbara Schumacher

Schumacher was born and raised in the Highlandtown neighborhood of East Baltimore, the eldest of the three daughters of Christine Eleanor (nee Kutz) and William Schumacher. Her parents were both of Polish descent; her immigrant great-grandparents had owned a bakery in Baltimore. During her high school years at the Institute of Notre Dame, she worked in her parents' grocery store...

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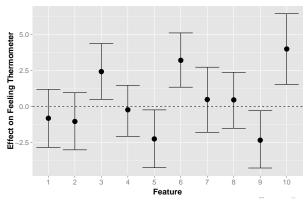
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- Observe text
- Feeling thermometer rating: 0-100
- 1,886 participants, 5,303 responses
- 2,651 training, 2,652 test

Candiate Biographies on Wikipedia: Results

Treatment	Keywords		
3	director, university, received, president, phd, policy		
5	elected, house, democratic, seat		
6	united_states, military, combat, rank		
9	law, school_law, law_school, juris_doctor, student		
10	war, enlisted, united_states, assigned, army		

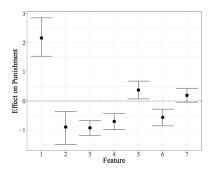


Two Examples from Jane Esberg (2017)

1.1 Spain Political Prisoner Trials

Text data: Random sample of 1,800 (out of 3,900) Spanish Tribunal of Public Order criminal summaries (1964-1975).

Outcome: Trial decision (punishment in years).



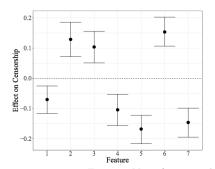
Feature						
1	2	3	4			
crime	delinquent	drunk	accusation			
adult	francoist	boss	disorder			
responsible	youth	disturbance	pretend			
author	policy	alcohol	financial			
legal	subversive	yelling	traffic			
5	6	7				
communist	gun	illicit				
party	possession	licence				
propaganda	pistol	revolver				
organization	fire	milimeter				
violence	munition	belonging				

Figure 1: Trial summary features and effect on punishment in Spain

Two Examples from Jane Esberg (2017)

1.2 Chile Movie Censorship

Text data: IMDb keywords for the 6,000 movies reviewed under Chile's dictatorship. Outcome: Whether a film was banned (0/1).

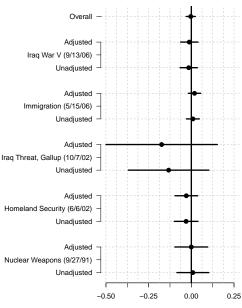


Feature						
1	2	3	4			
singing	lust	death	rifle			
photograph	cleavage	blood	cowboy			
drinking	nudity	cruelty	gunfighter			
relationship	erotic	corpse	saloon			
tears	mini skirt	knife	battle			
5	6	7				
hero	voyeur	tough guy				
showdown	undressing	quick draw				
fistfight	peeping tom	explosion				
martial arts	scantily clad	warrior				
ambush	nudity	lone				

Figure 2: Movie features and effect on censorship in Chile

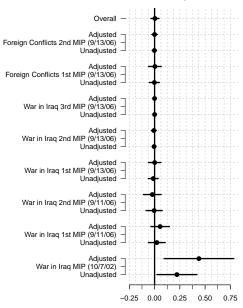
How do presidents "going public" affect public opinion?



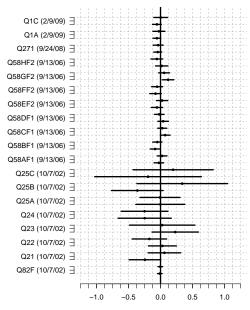


Average Treatment Effect

Effect on Most Important Problem

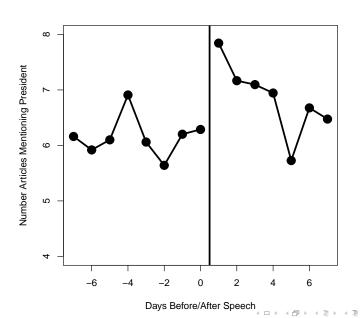


Effect on Responses Related to Topic of Speech



Average Treatment Effect \triangleleft \square \triangleright \triangleleft \blacksquare \triangleright \triangleleft \square

How do presidents "going public" affect public opinion the media agenda?



1) (Assume) random assignment of treatments

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$$ATE_k = E[g(\mathbf{Y}(1))_k - g(\mathbf{Y}(0))_k]$$



Discovering (Estimating) Dependent Variable

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Train/Test Split

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 - b) Estimate effect of treatments on topic prevalence across categories

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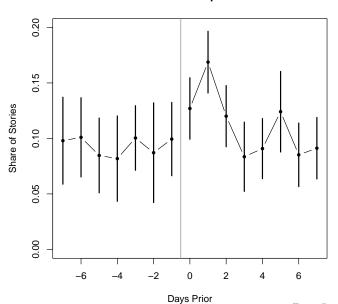
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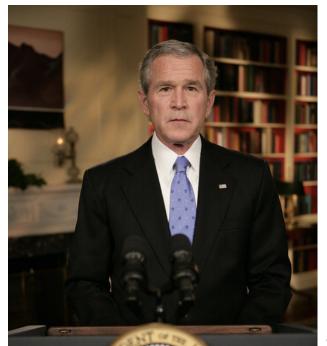
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- Effect estimate: interrupted time series design on topic prevalence (compare share immediately before to share immediately after)

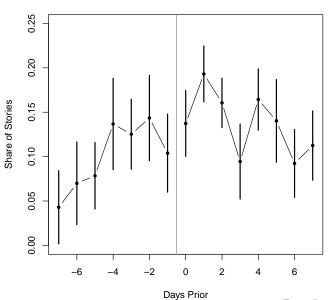


Health Care Speech





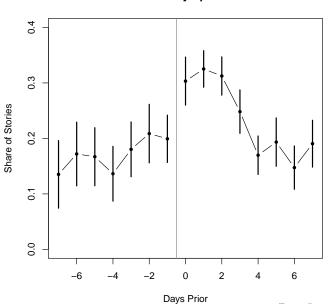
Surge Speech

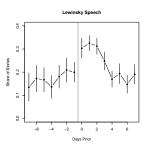




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Lewinsky Speech





Across speeches → consistent effect on agenda

■ Example application on a survey experiment about attitudes toward immigration.



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"A 28-year-old single man, a citizen of another country, was convicted of illegally entering the United States. Prior to this offense, he had served two previous prison sentences each more than a year. One of these previous sentences was for a violent crime and he had been deported back to his home country."

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"A 28-year-old single man, a citizen of another country, was convicted of illegally entering the United States. Prior to this offense, he had never been imprisoned before."

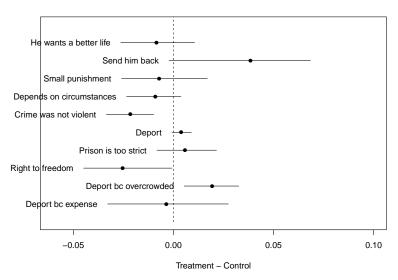
Immigration Experiment Results

Label	Highest Probability Words
He wants a better life	didnt, want, pay, better, life, probabl, isnt
Send him back	back, countri, send, home, well, charg
Small punishment	offens, reason, like, chanc, first, can, citizen
Depends on circum.	come, depend, doesnt, free, feel, law
Crime was not violent	crime, commit, violent, immigr, wasnt, look
Deport	deport, that, give, counti, peopl, look, guilti
Prison is too strict	enter, anyth, right, live, realli, illeg, anybodi
Right to freedom	just, tri, get, hes, came, freedom, put
Deport bc overcrowded	sent, prison, think, alreadi, anoth, done
Deport bc expense	dont, think, know, time, need, serv, crimin

Immigration Experiment Results

Label	Representative Document
He wants a better life	we're the land of opportunity everybody wants a better
	life
Send him back	send him back to his country
Small punishment	"it was his first offense, didn't hurt anybody, maybe a
	fine though, probation or something. that's nice serious
	like murder or robbery"
Depends on circumstances	it depends on reaason why he is coming into state if he
-	was coming to beter himself its ok if he has a record he
	should be disbarred or deported
Crime was not violent	because he didnt commit a crime that was effecting
	someone else's individual liberties
Deport	he should be deported
Prison is too strict	because he didnt do anything except illegally enter
Right to freedom	Because he's just trying to get his freedom. Maybe
	he's trying to away from a tough situation/that country-
	maybe it's not good for him.
Deport bc overcrowded	he should be sent to prison in another country our prisons
	are over crowded already
Deport bc expense	because i think he shold be deported-p-i don't think he
	should be supported in our prison system and i don't
	think he should be allowed to immigrate here
	The state of the s

Immigration Experiment Results



Conclusions and Future Directions

- Sequential (inductive) approach to social science: build theory with successive experiments
- Testing assumptions and new causal quantities of interest
- General Framework: Application to non-text settings (images, voting records)
- Text as Treatment , Text as Outcome , Text as Outcome and Treatment