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\mathbb{B} = \{\mathbf{T}, \mathbf{F}\}
\mathbb{N} = \{0, 1, 2, ...\} or \mathbb{N} = \{1, 2, 3, ...\}
A \subseteq B \iff \forall x (x \in A \Longrightarrow x \in B)
A = B \iff \forall x (x \in A \iff x \in B) \iff A \subseteq B \text{ and } B \subseteq A
A \subset B \iff A \subseteq B \text{ and } A \neq B
\emptyset = \{\}
\forall x (x \notin \emptyset)
\{1, 2, 2, 1\} = \{1, 2\}
\mathcal{P}(A) = \{ S \mid S \subseteq A \}
(a,b) = (c,d) \iff a = c \text{ and } b = d
A \times B = \{(a, b) \mid a \in A \text{ and } b \in B\}
(a_1, ..., a_n) = (b_1, ..., b_n) \Longleftrightarrow \forall i, a_i = b_i
A_1 \times \dots \times A_n = \{(a_1, ..., a_n) \mid a_i \in A_i \text{ for all } i \in \{1, ..., n\}\}
A^n = \{(a_1, ..., a_n) \mid a_i \in A \text{ for all } i = 1, ..., n\} = A \times \cdots \times A
A \cup B = \{x \mid x \in A \text{ or } x \in B\} \text{ and } \bigcup_{i \in I} A_i = \{x \mid x \in A_i \text{ for some } i \in I\}
A \cap B = \{x \mid x \in A \text{ and } x \in B\}
A - B = \{x \mid x \in A \text{ and } x \notin B\}
A \oplus B = \{x \mid x \in A \cup B \text{ and } x \notin A \cap B\}
f: A \to B \iff \forall x \in A, \exists ! y \in B, f(x) = y
f: \mathbb{R} \to \mathbb{R} \text{ and } S \subseteq \mathbb{R}
f[S] = \{ f(x) \mid x \in S \}
f is increasing \iff (a < b \implies f(a) \le f(b))
(a, b] = \{x \mid a < x \le b\}
|\_|: \mathbb{R} \to \mathbb{Z}
|x| = n \iff n \in \mathbb{Z} \text{ and } n \le x < n+1
|x| = -x if x < 0 else x
x = a/b \iff bx = a \text{ and } b \neq 0
(f+g)(x) = f(x) + g(x)
(fg)(x) = f(x)g(x)
(f/g)(x) = f(x)/g(x) if g(x) \neq 0
(f \circ g)(x) = f(g(x))
id_A: A \to A \text{ and } \forall x, id_A(x) = x
graph(f) = \{(x, y) \mid f(x) = y\}
asso(\cdot) = ((x \cdot y) \cdot z = x \cdot (y \cdot z))
comm(\cdot) = (x \cdot y = y \cdot x)
idem(\cdot) = (x \cdot x = x)
Sgrp(\cdot) = \{asso(\cdot)\}\
CSgrp(\cdot) = Sgrp(\cdot) \cup \{comm(\cdot)\}\
Slat(\cdot) = CSgrp(\cdot) \cup \{idem(\cdot)\}\
Lat(\vee, \wedge) = Slat(\vee) \cup Slat(\wedge) \cup \{(x \wedge y) \vee x = x, \ (x \vee y) \wedge x = x\}
\mathbf{L} = \langle L, \vee, \wedge \rangle is a lattice if \mathbf{L} \models Lat(\vee, \wedge)
Math fonts A
\mathbb{A}BbbA
\mathbf{A}mbfA
\mathfrak{A}mfrakA, \mathfrak{A}mbffrakA
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AmitA, AmbfitA
AmsansA, AmbfsansA, AmitsansA, AmbfitsansA
\mathcal{A}mscrA, \mathcal{A}mbfscrA
\mathbf{A}mttA
Greek alphabet
\alpha alpha
\beta beta
\chi chi
\delta delta, \Delta Delta
\gamma gamma, \Gamma Gamma
\epsilon epsilon, var epsilon
\eta eta
\kappa kappa
\lambda lambda, \Lambda Lambda
\mu m u
\nu nu
\omega omega, \Omega Omega
\phi phi, \varphi varphi, \Phi Phi
\pi pi, \Pi Pi
\psi psi, \Psi Psi
\rho rho
\sigma sigma, \Sigma Sigma
\tau tau
\theta theta, \vartheta vartheta, \Theta Theta
vupsilon
\xi xi, \Xi Xi
\zeta zeta
Logic symbols
\neg neg, \lor vee, \land wedge
\Longrightarrow Longright arrow, \Longleftarrow Longle ft arrow
\iff Longleftrightarrow
\forall forall, \exists exists, \not\exists nexists
\Diamond lozenge, \Box square
\vdash vdash, \not\vdash nvdash, \Vdash Vdash
\vDash vDash, \nvDash nvDash, \vDash models
  downzigzagarrow\\
:therefore, \blacksquare QED
Set symbols
\in in, \notin notin
\ni ni, \not\ni nni
\emptyset emptyset, \wp wp
\subset subset, \not\subset nsubset
\subseteq subseteq, \not\subseteq nsubseteq, \subsetneq subsetneq
\supset supset, \not\supset nsupset
\supseteq supseteq, \not\supseteq nsupseteq, \supseteq supsetneq
\cap cap, \cup cup, \uplus uplus
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\scalebox{$\setminus$} setminus, \complement complement
\bigcap bigcap, \bigcup bigcup, \vdash \bigcup biguplus
\aleph aleph, \exists beth
Infix operations +, -, *, /,
barcap, barcup
\overline{\lor}barvee, \overline{\land}barwedge
\cdot cdot, \circ circ, \bullet bullet
\div div, \div dotminus, minusdot
\mp mp, \pm pm
\bigcirc odot, \ominus ominus, \oplus oplus
⊘oslash, obslash
\sqcap sqcap, \sqcup sqcup, \coprod amalg
\times times, \bowtie ltimes, \bowtie bowtie
triangleleft, triangleright
upand, \ wr
Functions cos, sin, tan, cot, csc, sec, log, exp, ln
\Im Im, \Re Re
\sqrt{sqrt, cbrt, fourthroot}
Infix relations =, <, >, |, :
\approx approx, \cong cong, \equiv equiv
\leq le, leq, \nleq nleq, \geq ge, geq, \ngeq ngeq
\leq leqq, \geq geqq
\ll ll, \gg gg
\neq ne, neq
\geq ngtr, \not < nless
\mid mid, \nmid nmid
\prec prec, \not\prec nprec
\preceq preceq, \preceq npreceq
\succ succ, \not\succ nsucc
\succeq succeq, \succeq nsucceq
\parallel parallel, \nmid nparallel
\propto propto, \sim sim
\sqsubseteq sqsubset, \sqsubseteq sqsubseteq
\exists sqsupset, \exists sqsupseteq
Operators lim, sup, inf, d/d, max, min
\bigcirc bigcirc, \bigcirc bigodot
\bigoplus bigoplus, \bigotimes bigotimes
\prod bigsqcap, \bigsqcup bigsqcup
bigstar, \times bigtimes, \bigcup bigcupdot
\bigvee bigvee, \bigwedge bigwedge
\int int, \iiint iint, \iiint iiint
\oint oint, \oiint oiint, \oiint oiint
\partial partial, \nabla del
\prod prod, \sum sum, \coprod coprod
Arrows
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\downarrow downarrow, \uparrow uparrow, \downarrow updownarrow
\Downarrow Downarrow, \uparrow Uparrow, \updownarrow Updownarrow
\hookrightarrow hookrightarrow, \rightarrowtail rightarrowtail, \twoheadrightarrow two head rightarrow
\mapsto mapsto, \leftarrow mapsfrom
\rightarrow to, rightarrow, \leftarrow leftarrow, \leftrightarrow leftrightarrow
\Rightarrow Rightarrow, \Leftarrow Leftarrow, \Leftrightarrow Leftrightarrow
Brackets (, ), [, ], \{, \}
\langle langle, \rangle rangle
\lceil lceil, \rceil rceil \rceil
\lfloor lfloor, \rfloor rfloor
[\![ llbracket, ]\!] rrbracket
Other!,
\angle angle, Angle
\perp bot, \top top
breve, check, hat,
\checkmark checkmark
\clubsuit clubsuit, \diamondsuit diamondsuit, \heartsuit heartsuit, \spadesuit spadesuit
\dagger dagger
^{\circ} degree
...dots, .\cdot : adots, \cdots cdots, \cdot . : ddots
\ell ell
\in euro
\flat flat, \sharp sharp
{\smallfrown} frown, {\smile} smile
hbar
\infty infty
```