Interstellar Interceptors

Mission design for rendezvous with objects in hyperbolic orbits

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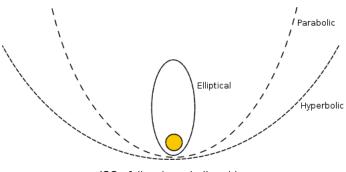
Universidad Internacional de Valencia

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What are interstellar objects?

Definition

Interstellar objects (ISOs) are asteroids, comets or planetary bodies moving through interstellar medium (ISM) without being gravitationally bound to a star.



ISOs follow hyperbolic orbits

Why are interstellar objects important?

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Motivation of this work

Devise orbits for rendezvous with ISOs to study their physical properties.

Discovered interstellar objects

There are two confirmed ISOs to this day:



1I/'Oumuamua



2I/Borisov

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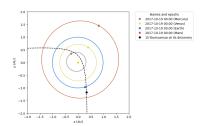
11/'Oumuamua

2I/Borisov

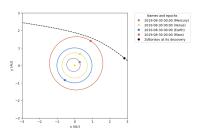
These interlopers present the following orbit attributes:

- Hyperbolic orbits
- High relative velocity
- High inclination w.r.t. the ecliptic plane
- Discovered close to the direction of the Solar Apex

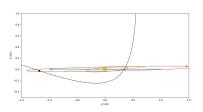
Orbits of 11/'Oumuamua and 21/Borisov



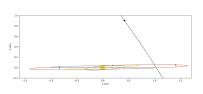
1I/'Oumuamua orbit top view



2I/Borisov orbit top view



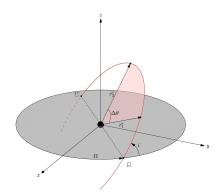
1I/'Oumuamua orbit side view



2I/Borisov orbit side view

Navigating through space: the Lambert's problem

Lambert's problem is the Boundary Value Problem (BVP) in the context of the restricted two-body problem dynamics.

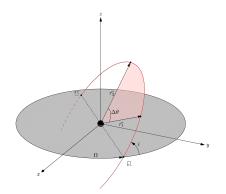


Geometry of the Lambert's problem

$$\ddot{\vec{r}} = -\frac{\mu}{r^3}\vec{r} \quad \begin{cases} & \vec{r}(t_1) = \vec{r_1} \\ & \vec{r}(t_2) = \vec{r_2} \end{cases}$$

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Solve for the orbit which passes through $\vec{r_1}$ and $\vec{r_2}$ over a finite amount of time $\Delta t = t_2 - t_1$.