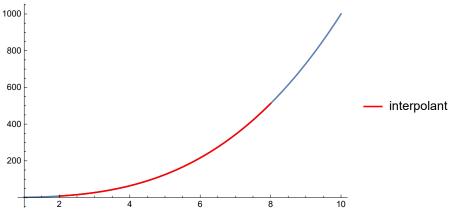
## Lagrange interpolation

KZ

$$\begin{split} &\text{fun[fun_, x0_, h_, n_]} := \text{Module} \big[ \{x1 = \{\}, x\}, x = x0; \\ &\text{Do[AppendTo[x1, x];} \\ &x += h, n + 1]; \\ &\frac{\text{Product} \big[ \big( t - i + 1 \big), \{ i, 1, n + 1 \} \big]}{n!} * \\ &\text{Sum} \big[ \frac{\Big( -1 \Big)^{n-k} \, \text{Binomial[n, k]}}{t - k} \, \text{fun[x1[k]], \{k, 1, n + 1\}} \big] \big] \end{split}$$

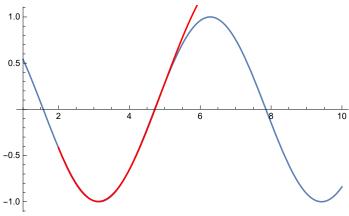
## Test 1

$$\begin{aligned} &\text{pol} = \text{fun}\big[\#^3\ \&,\ 1,\ 1,\ 3\big]; \\ &\text{Show}\big[\big\{\text{Plot}\big[k^3,\ \{k,\ 1,\ 10\}\big], \\ &\text{Plot}\big[\text{pol}\ /.\ t \to k,\ \{k,\ 2,\ 8\},\ \text{PlotStyle} \to \text{Red},\ \text{PlotLegends} \to \{\text{"interpolant"}\}\big]\big\}\big] \end{aligned}$$



Test 2

 $Show[\{Plot[Cos[k], \{k, 1, 10\}], Plot[pol1 /. t \rightarrow k, \{k, 2, 8\}, PlotStyle \rightarrow Red]\}]$ 



pol2 = fun[Cos[#] &, 1, 1, 10];

## $Show[\{Plot[Cos[k], \{k, 1, 10\}], Plot[pol2 /. t \rightarrow k, \{k, 2, 8\}, PlotStyle \rightarrow Red]\}]$

