NIPS 2014

Generative Adversarial Nets

lan J. Goodfellow, Jean Pouget-Abadie, Mehdi Mirza, Bing Xu, David Warde-Farley, Sherjil Ozair, Aaron Courville, Yoshua Bengio

고민수

Summary

Background

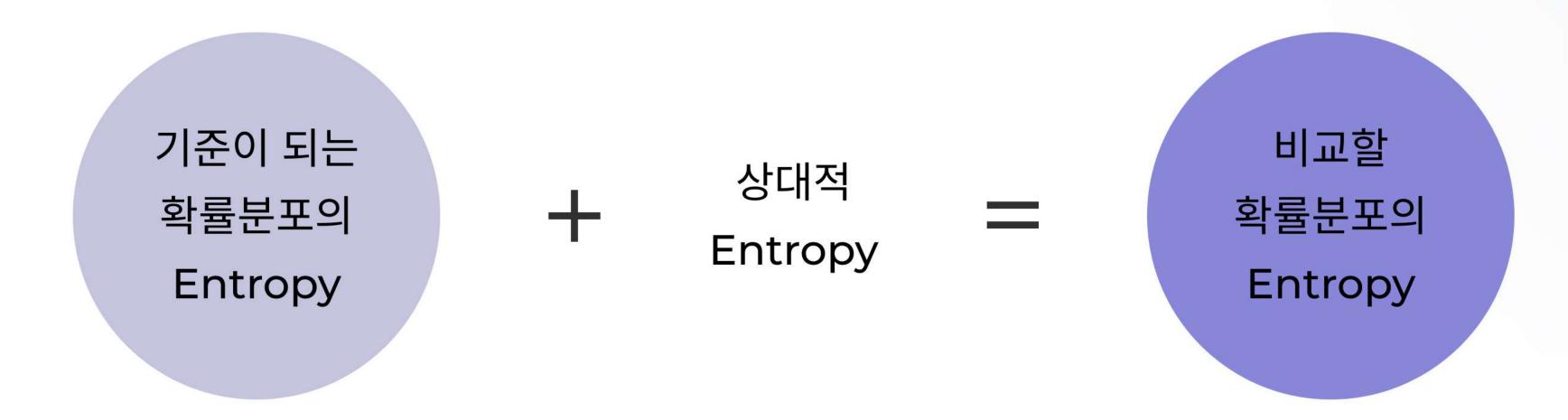
- KL divergence (KL)
- Autoencoder (AE)
- Variabel Autoencoder (VAE)

GAN

- Idea
- Optimization
- Advanced GAN

KL Divergence

KL Divergence: Kullback Leibler Divergence



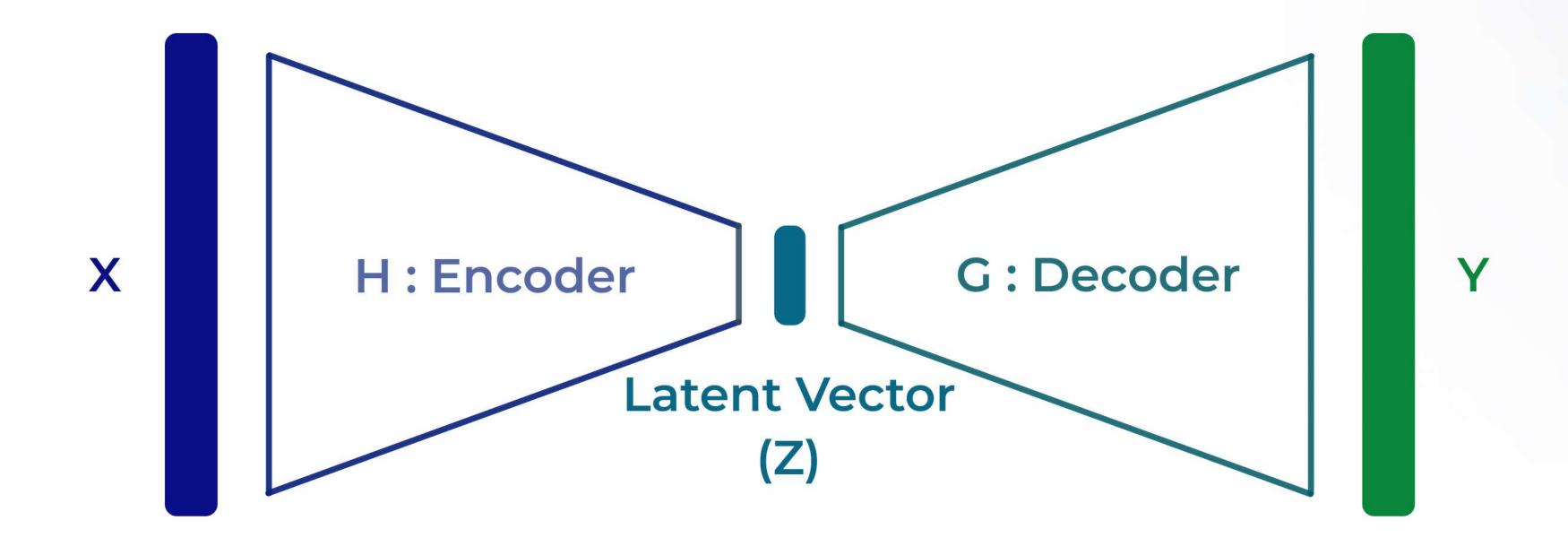
KL Divergence의 2가지 특징

- 항상 0보다 같거나 크다
- 비대칭적, 순서가 바뀌면 같지 않다

JSD(Jensen-Shannon Divergence)

• JSD(P||Q) = (KL(P||Q)+KL(Q||P))/2

Autoencoder



입출력이 동일한 네트워크

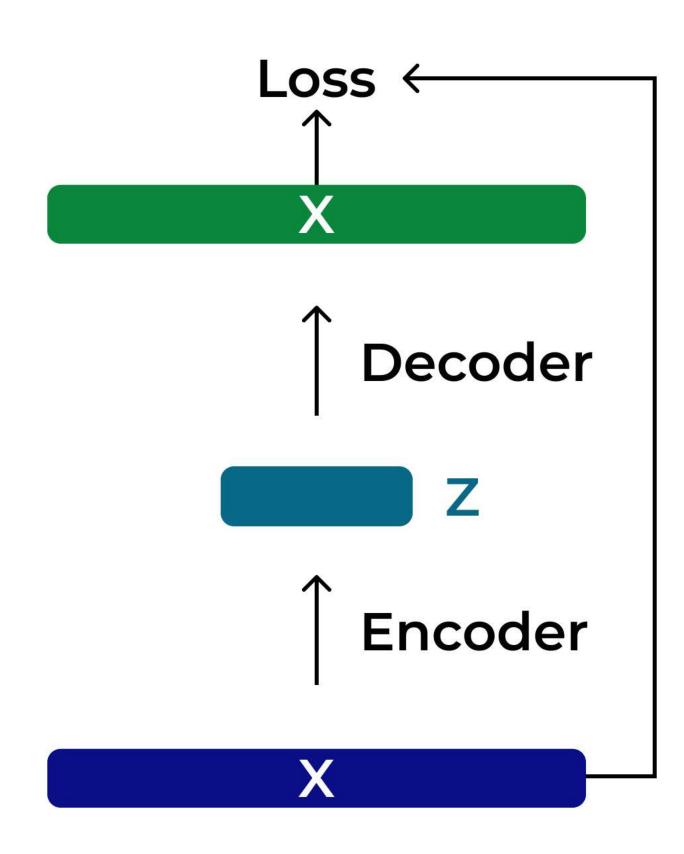
- Y가 X가 되도록 하는 네트워크
- 비지도학습문제를 지도학습문제로 전환
- Loss는 MSE 또는 cross-entropy를 사용

Advanced AE

- 분류모델의 새로운 학습 매커니즘
- · CNN의 결합
- Anomaly Detection

Autoencoder

CNN 결합 - Convutional Autoencoder (CAE)



Decoder

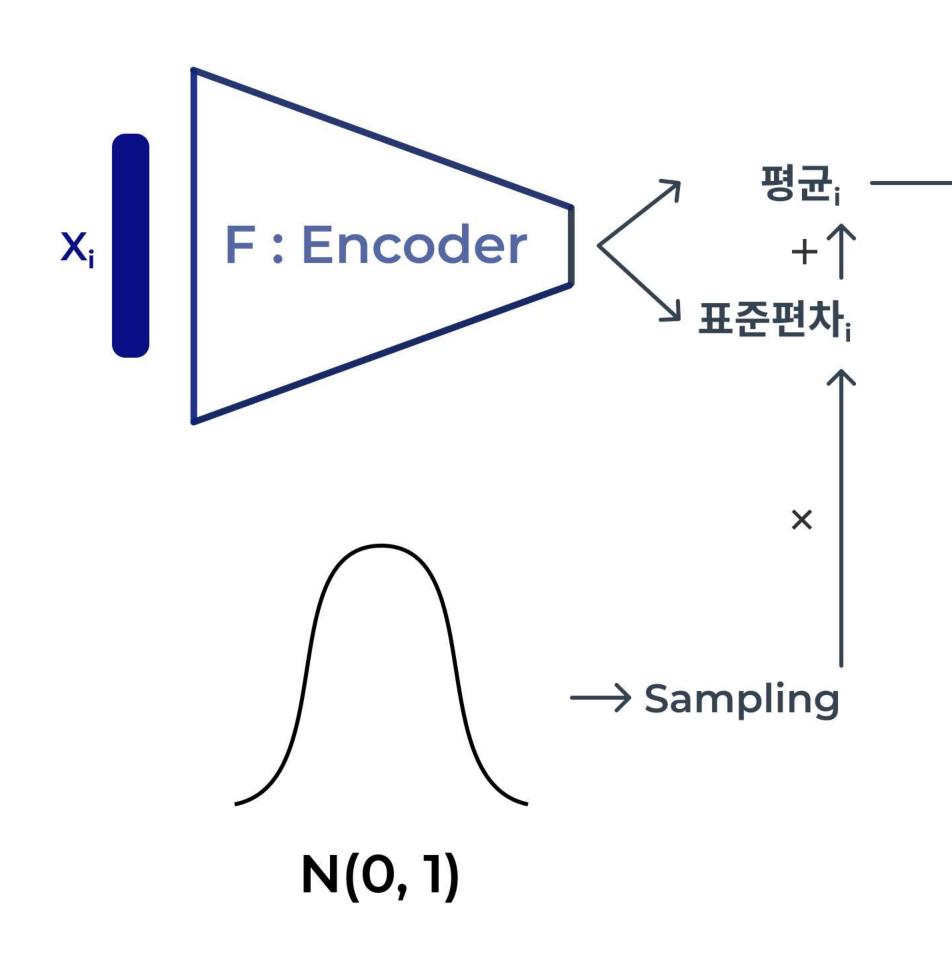
- ReLU, LeakyReLU 사용
- Up-sampling

Encoder

- ReLU, LeakyReLU 사용
- · CNN
- 이미지의 추상화, 압축이 뛰어남

Variational Autoencoder

Autonecoder에 대한 수학적 접근 - X를 통해 X가 나올 확률이 가장 커지는 Distribution



Arg Minimize

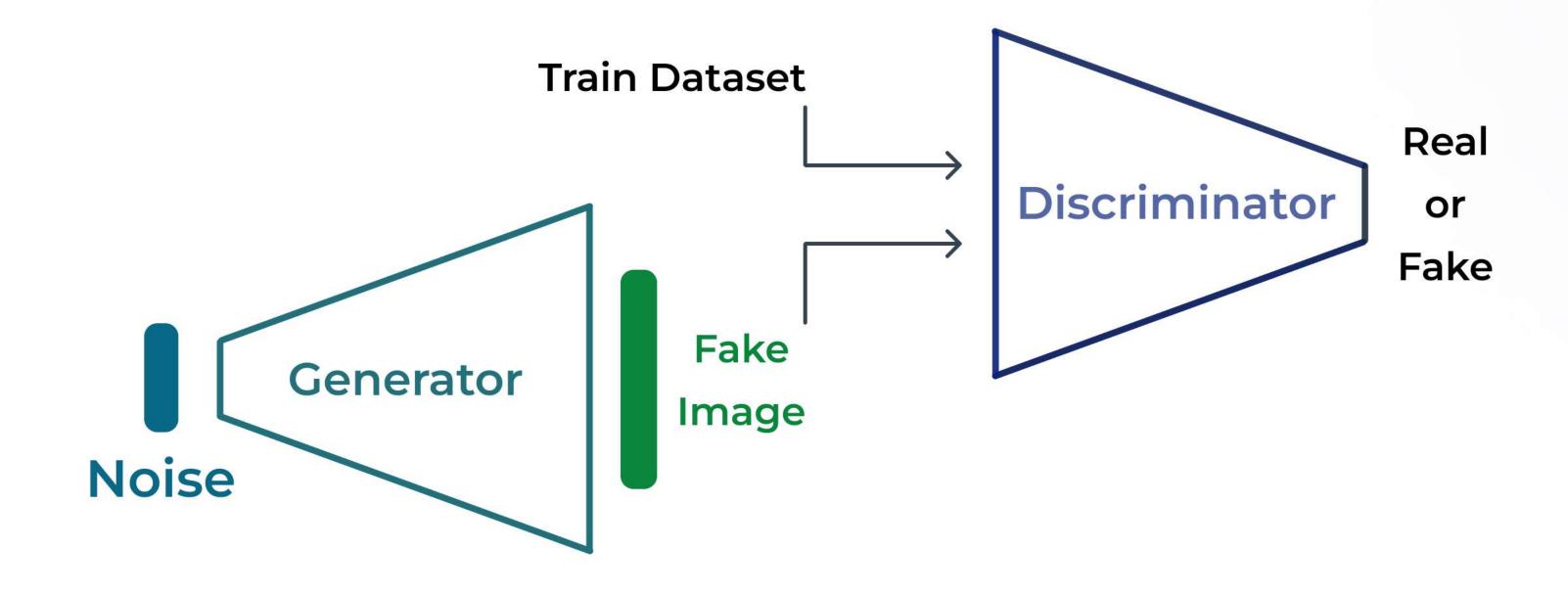
Sampling

- Reconstruction Error : X에 대한 복원오차
- Regularization : 샘플링함수의 추가조건

Assumptions

- 계산할 수 없는 부분 무시 (O보다 크다는 것을 근거)
- Reparameterization trick, 랜덤 샘플링 1개를 대표값
- Encoder, Gaussian 분포 가정
- Decoder, Bernoulli 분포 가정

Generative Adversarial Nets



MIN MAX V(D,G) = $E_{x\sim Pdata(x)}[log(D(x))] + E_{z\sim Pz(z)}[log(1-D(G(Z))]$

- → Two players game
- → Real_data의 분포와 created_data의 분포의 차이를 최소화

Discriminator

$$D^*(x) = argMaxV(D) = E_{x\sim data(x)}[\log D(x)] + E_{z\sim p(z)}[\log (1-D(G(z))]$$

$$= E_{x\sim data(x)}[\log D(x)] + E_{z\sim pg(x)}[\log (1-D(x))]$$

$$= \int_{x} P_{data(x)}[\log D(x) dx + \int_{x} P_{g}(x)[\log (1-D(x))] dx$$

$$= \int_{x} P_{data(x)}[\log D(x) + P_{g}(x)[\log (1-D(x))] dx$$

$$= \int_{x} P_{data(x)}[\log D(x) + P_{g}(x)[\log (1-D(x))] dx$$

$$= \int_{x} P_{data(x)}[\log D(x) + P_{g}(x)[\log (1-D(x))] dx$$

$$= \lim_{x \to a} P_{data(x)}[\log D(x) + P_{g}(x)[\log (1-D(x))] dx$$

$$= \lim_{x \to a} P_{data(x)}[\log D(x) + P_{g}(x)[\log (1-D(x))] dx$$

$$= \lim_{x \to a} P_{data(x)}[\log D(x) + P_{g}(x)[\log (1-D(x))] dx$$

$$= \lim_{x \to a} P_{data(x)}[\log D(x) + P_{g}(x)[\log (1-D(x))] dx$$

$$= \lim_{x \to a} P_{data(x)}[\log D(x) + P_{g}(x)[\log (1-D(x))] dx$$

$$= \lim_{x \to a} P_{data(x)}[\log D(x) + P_{g}(x)[\log (1-D(x))] dx$$

$$= \lim_{x \to a} P_{data(x)}[\log D(x) + P_{g}(x)[\log (1-D(x))] dx$$

$$= \lim_{x \to a} P_{data(x)}[\log D(x) + P_{g}(x)[\log (1-D(x))] dx$$

$$= \lim_{x \to a} P_{data(x)}[\log D(x) + P_{g}(x)[\log (1-D(x))] dx$$

$$= \lim_{x \to a} P_{data(x)}[\log D(x) + P_{g}(x)[\log (1-D(x))] dx$$

$$= \lim_{x \to a} P_{data(x)}[\log D(x) + P_{g}(x)[\log (1-D(x))] dx$$

$$= \lim_{x \to a} P_{data(x)}[\log D(x) + P_{g}(x)[\log (1-D(x))] dx$$

$$= \lim_{x \to a} P_{data(x)}[\log D(x) + P_{g}(x)[\log (1-D(x))] dx$$

$$= \lim_{x \to a} P_{data(x)}[\log D(x) + P_{g}(x)[\log (1-D(x))] dx$$

$$= \lim_{x \to a} P_{data(x)}[\log D(x) + P_{g}(x)[\log (1-D(x))] dx$$

$$= \lim_{x \to a} P_{data(x)}[\log D(x) + P_{g}(x)[\log (1-D(x))] dx$$

$$= \lim_{x \to a} P_{data(x)}[\log D(x) + P_{g}(x)[\log (1-D(x))] dx$$

$$= \lim_{x \to a} P_{data(x)}[\log D(x) + P_{g}(x)[\log (1-D(x))] dx$$

$$= \lim_{x \to a} P_{data(x)}[\log D(x) + P_{g}(x)[\log (1-D(x))] dx$$

$$= \lim_{x \to a} P_{data(x)}[\log D(x) + P_{g}(x)[\log (1-D(x)] dx$$

$$= \lim_{x \to a} P_{data(x)}[\log D(x) + P_{g}(x)[\log (1-D(x)] dx$$

$$= \lim_{x \to a} P_{data(x)}[\log D(x) + P_{g}(x)[\log (1-D(x)] dx$$

$$= \lim_{x \to a} P_{data(x)}[\log D(x) + P_{g}(x)[\log (1-D(x)] dx$$

$$= \lim_{x \to a} P_{data(x)}[\log D(x) + P_{g}(x)[\log (1-D(x)] dx$$

$$= \lim_{x \to a} P_{data(x)}[\log D(x) + P_{g}(x)[\log (1-D(x)] dx$$

$$= \lim_{x \to a} P_{data(x)}[\log D(x) + P_{g}(x)[\log (1-D(x)] dx$$

$$= \lim_{x \to a} P_{data(x)}[\log D(x) + P_{g}(x)[\log D(x)] dx$$

$$= \lim_{x \to a} P_{data(x)}[\log D(x) + P_{g}(x)[\log D(x)] dx$$

$$= \lim_{x \to a} P_{data(x)}[\log D(x) + P_{g}(x)[\log D(x)$$

Generator

$$\begin{split} \text{MinV(G)} &= \mathsf{E}_{x \sim \mathsf{data}(x)}[\log D^*(x)] + \mathsf{E}_{z \sim \mathsf{Pg}(x)}[\log (1 - D^*(x))] \\ &= \int_x \mathsf{P}_{\mathsf{data}(x)} \log \frac{\mathsf{P}_{\mathsf{data}(x)}}{\mathsf{P}_{\mathsf{data}(x)} + \mathsf{Pg}(x)} \, \mathrm{d}x + \int_x \mathsf{Pg}(x) \log (1 - \frac{\mathsf{P}_{\mathsf{data}(x)}}{\mathsf{P}_{\mathsf{data}(x)} + \mathsf{Pg}(x)}) \, \mathrm{d}x \\ &= \int_x \mathsf{P}_{\mathsf{data}(x)} \log \frac{2^* \mathsf{P}_{\mathsf{data}(x)}}{\mathsf{P}_{\mathsf{data}(x)} + \mathsf{Pg}(x)} \, \mathrm{d}x + \int_x \mathsf{Pg}(x) \log (1 - \frac{2^* \mathsf{P}_{\mathsf{data}(x)}}{\mathsf{P}_{\mathsf{data}(x)} + \mathsf{Pg}(x)}) \, \mathrm{d}x - \log 2 \\ &= \mathsf{KL}(\mathsf{P}_{\mathsf{data}}|| \frac{\mathsf{P}_{\mathsf{data}(x)} + \mathsf{Pg}(x)}{2}) + \mathsf{KL}(\mathsf{Pg}|| \frac{\mathsf{P}_{\mathsf{data}(x)} + \mathsf{Pg}(x)}{2}) - \log 4 \\ &= 2^* \mathsf{JSD}(\mathsf{P}_{\mathsf{data}}||\mathsf{Pg}) - \log 4 \end{split}$$

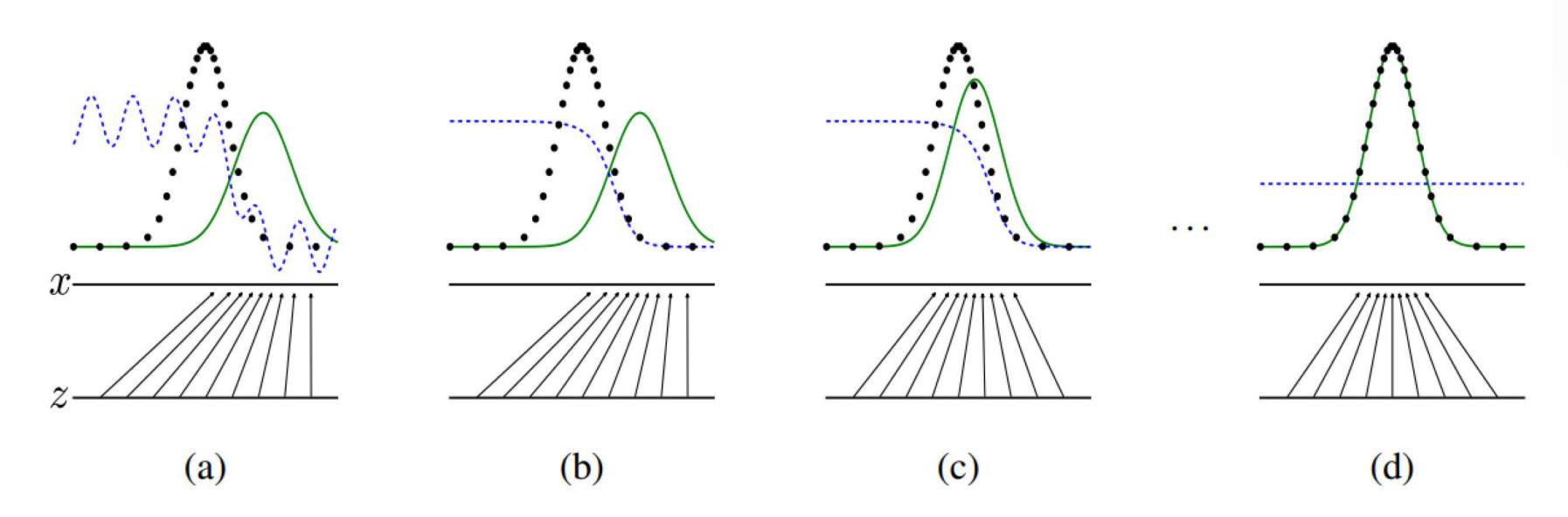
$$MinV(G) = JSD(P_{data}||P_g)$$

$$\rightarrow$$
 $P_{data} = P_g$ 가 되도록 한다 \rightarrow $D^*(x) = 1/2$ 가 되도록 한다 (가짜를 구분할 수 없음)

Generator

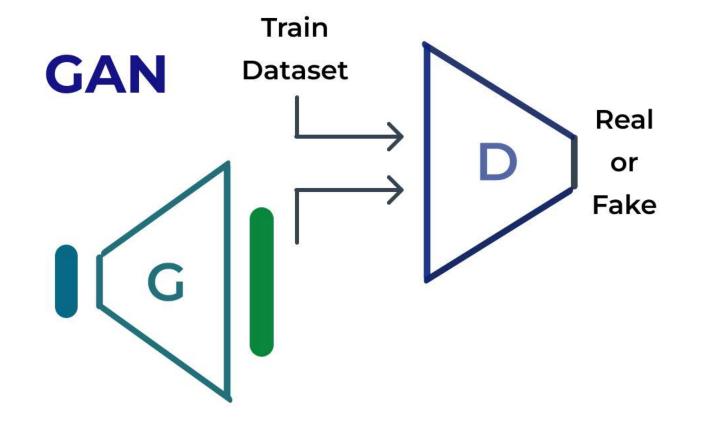
$$MinV(G) = JSD(P_{data}||P_g)$$

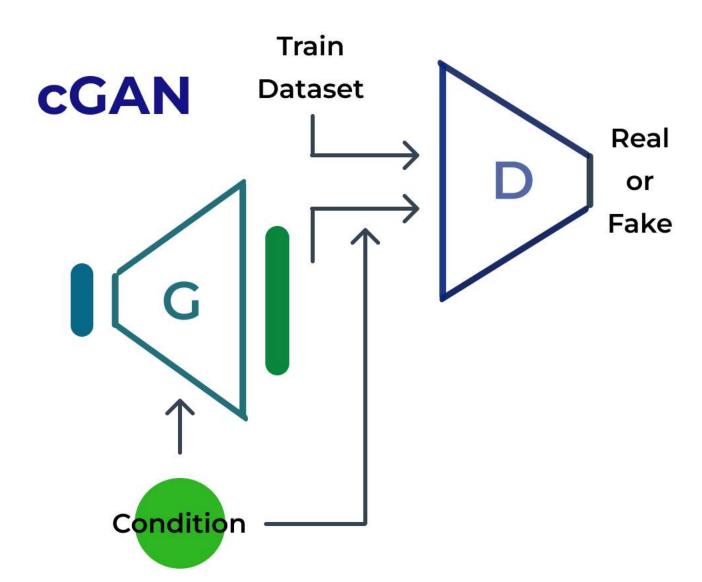
 \rightarrow $P_{data} = P_g 가 되도록 한다 <math>\rightarrow$ $D^*(x) = 1/2 가 되도록 한다 (가짜를 구분할 수 없음)$

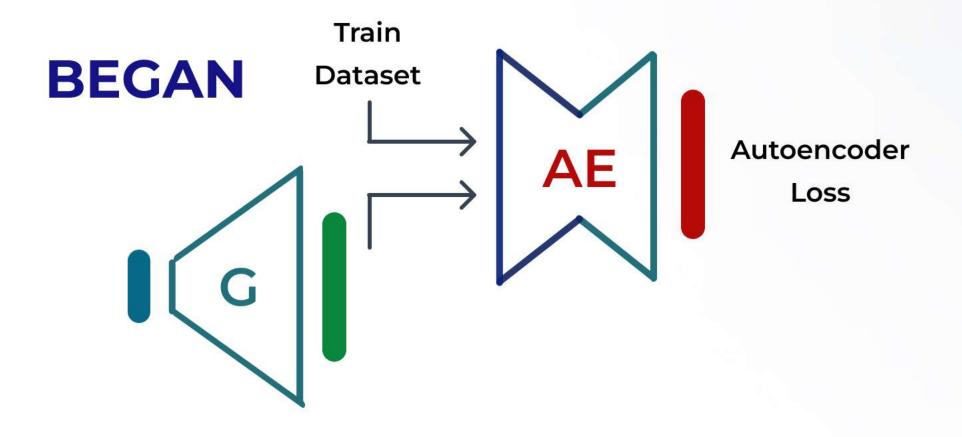


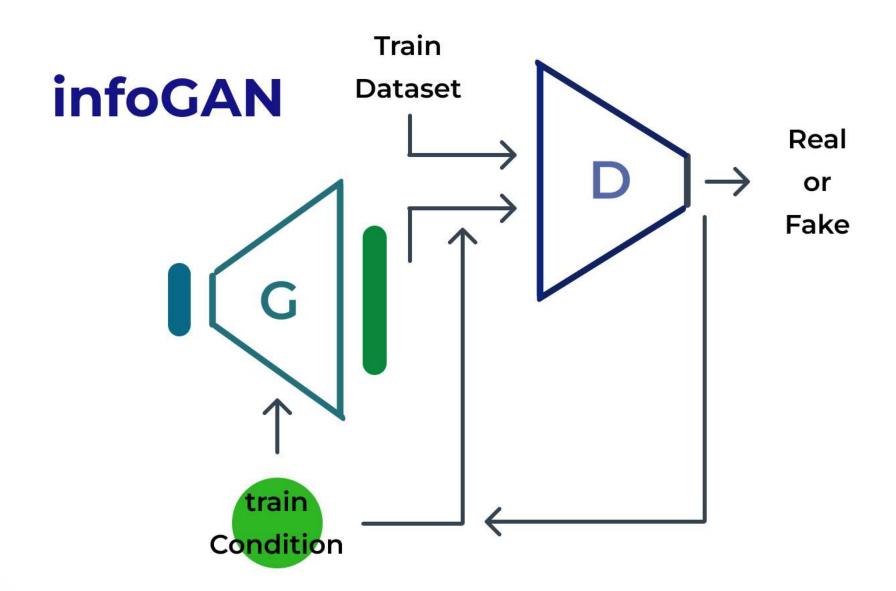
Real_data의 분포와 created_data의 분포의 차이를 최소화

advanced_GAN









Thank you

Generative Adversarial Nets

lan J. Goodfellow, Jean Pouget-Abadie, Mehdi Mirza, Bing Xu, David Warde-Farley, Sherjil Ozair, Aaron Courville, Yoshua Bengio