

## Getting Started in XDPP1100 Custom Firmware Development

### **About this document**

#### **Scope and purpose**

This document shows on how to develop custom firmware on XDPP1100 to extend its capabilities beyond the default firmware.

#### Intended audience

Firmware engineers, Switched Mode Power Supplies (SMPS) engineers

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#### restricted

## XDPP1100 Firmware Number Format Getting Started in XDPP1100 Custom Firmware Development



Introduction

#### 1 Introduction

The XDPP1100 is a digital power supply controller offering superior levels of integration and performance in a single-chip solution. The flexible nature of the IC makes it suitable for a wide variety of power conversion application. Multiple peripherals inside the device have been specifically optimized to enhance the performance of isolated DC-DC applications and reduce the solution component count in the IT and network infrastructure space.

At the core of the XDPP1100 controller are the digital control loop peripherals. Each implements a high-speed digital control loop consisting of a dedicated voltage Analog-to-Digital Converter (ADC), a high resolution current ADC, a PID-based digital compensator, and DPWM outputs with 78.125-ps pulse width resolution. The device also offers 6 channels of 9-bit, 1Msps general purpose ADC, timers, interrupt control, PMBus, and two I2C communications ports.

The device is based on a 32-bit, 100MHz ARM® Cortex™-M0 RISC microcontroller that performs real-time monitoring, configures peripherals, and manages communications. The ARM® microcontroller executes its program out of programmable OTP as well as on-chip RAM and ROM.

The default firmware in XDPP1100 comes with vast list of features such as support for multiple power topologies commonly found in DC/DC server/telecom bricks power conversion, built-in PMBus commands, voltage mode control (VMC), Peak Current Mode Control (PCMC), and many others.

The default firmware made several assumptions on the system with the good intention for minimum programming effort at the system level. However, it is still possible to develop custom firmware for XDPP1100 to fulfill different system requirements as well as for proprietary control algorithms.

ARM® Cortex™-M0 used as the CPU core of XDPP1100 has no Floating-Point Unit (FPU) and only support fixed-point arithmetics.

Critical peripherals in XDPP1100 such as ADC, PWM, PID Controller and FF (FeedForward) Block are designed to be tightly coupled and operated together to enable high performance DC/DC power conversion. Users only need to configure the right registers to enable certain features in the PID and FF block. The hardwares will take care of all the calculations.

For these reasons, there is a need to have a number formating to represent real-world values, such as voltage, current and temperature that are being processed in the hardware.

In addition, PMBus comes with its own formats which are elaborated briefly in this section. For more details, user is encouraged to refer to the PMBus standards directly from <a href="http://www.pmbus.org/Home">http://www.pmbus.org/Home</a>.

This section discuss on the fixed-point arithmetics and number representation used in XDPP1100 and how it interacts with PMBus number format.

### **Getting Started in XDPP1100 Custom Firmware Development**



**Physical Quantities** 

## 2 Physical Quantities

## 2.1 Integers

Examples of integers are -4, -3, -2, -1, 0, 1, 2, 3 and 4. Integers have no fractions/decimal points.

Integers can be thought of as **discrete**, equally spaced points on an infinitely long number line. It can visually be represented in the following diagram:

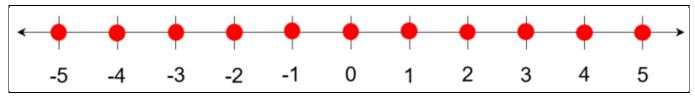


Figure 1 Integers Visualization

Positive integers, with zero included, are also known as Whole Numbers.

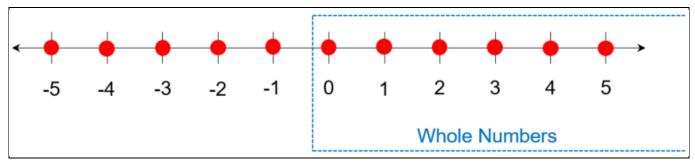


Figure 2 Whole Numbers Visualization

Some physical quantities quantified with integers/whole numbers are: number of steps taken per day, number of persons in the room.

Some physical quantities quantified with integers/whole numbers in digital controller:

- Number of ADC samples needed to trigger fault
- Number of data to be transmitted/received



**Physical Quantities** 

#### 2.2 Rational Numbers

Examples of rational numbers are -1.3, -1.0, -0.7, 0.0, 0.7 and 1.3.

Rational numbers includes Integers as well as fractions/decimal points. It excludes special numbers such as  $\pi$ , e and roots ( $\sqrt{}$ ). It can visually be represented in the following diagram:



Figure 3 Rational Numbers Visualization

Most physical quantities related to electrical and power such as Voltage (V), Current (A), Power (W) and Temperature (T) can be represented by rational numbers.

Time (sec, nanosec), usually is represented by positive rational numbers.

### **Getting Started in XDPP1100 Custom Firmware Development**



**Binary Representation** 

## 3 Binary Representation

Representing the abovementioned physical quantities into the computer has its own challenges because computers only recognize and operate with **binary numbers** in a form of 1 and 0.

This section discuss on how binary numbers can be manipulated for representing the real-world physical quantities.

## 3.1 Unsigned Integers

When binary numbers (BIN) are grouped together with certain length (a.k.a. N-bit length), it can be used to represent Whole Number (DEC). In addition, binary numbers can be converted into Hexadecimal numbers (HEX) to shorten the need of writing a long numbers.

Table 1 BIN2DEC: Binary Representation of Whole Number using Unsigned Integers

Min Value			Max Value			
Bit Length	BIN	HEX	DEC	BIN	HEX	DEC
4-bit	0000	0x0	0	1111	0xF	15
8-bit	0000 0000	0x00	0	1111 1111	0xFF	255

The following table shows some worked examples of Binary Numbers and its Hexadecimal equivalents.

Table 2 DEC2BIN: Worked examples of Unsigned Integers

Bit Length	Value (DEC)	Value (BIN)			
4-bit	10	1010			
	9	1001			
8-bit	171	1010 1011			
	205	1100 1101			

Table 3 BIN2DEC: Worked examples of Unsigned Integers

Bit Length	Value (BIN)	Value (DEC)
4-bit	1101	14
	0100	4
8-bit	1000 1000	136
	0111 1010	122

It is also interesting to note that binary numbers have **discrete** property, the same to the real-world physical Integers. This can be observed when the right-most, i.e. **Least Significant Bit (LSB)**, of the binary number is incremented/decremented by 1.

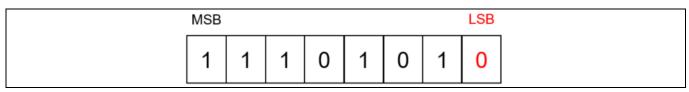


Figure 4 LSB Illustration



#### **Binary Representation**

Table 4 BIN numbers Discrete Property

Bit Length	Value (BIN)	Value (DEC)
4-bit	1010	10
	1011	11
8-bit	1010 1010	170
	1010 101 <mark>1</mark>	171

It can be seen that the **Whole Numbers (positive integers)** can be easily represented by a *grouped Binary Numbers/Hexadecimal Numbers*. In computer science, this representation is called as "**Unsigned Integer**".

### 3.1.1 Summary

Mathematically, Unsigned Integers can be summarized as the following:

Table 5 Unsigned Integers Formulae

Property	Formula
Bit Length	N
Min Value (DEC)	0
Max Value (DEC)	2 <sup>N</sup> - 1

Unfortunately, this is still not enough to fully represent the negative range of real-world physical Integer number. For this reason, "**Signed Integer**" representation is introduced.

## **Getting Started in XDPP1100 Custom Firmware Development**



**Binary Representation** 

## 3.2 Signed Integers (Two's Complement)

A sign-bit can be embedded in the binary numbers to indicate positive/negative integer and complete the representation of real-world physical Integers number. The sign-bit is usually placed at the left-most, i.e. **Most Significant Bit (MSB)**, of the binary numbers at the expense of losing the number range.

Positive number has "0" as the sign-bit whereas negative number has "1" as the sign-bit.

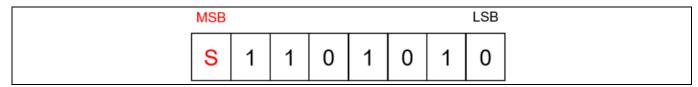


Figure 5 MSB Illustration with Sign-bit

In computer science, a mathematical operation called "Two's Complement" is used to represent the full range of real-world physical Integers. There is another operation called "One's Complement" which is not used in XDPP1100.

Table 6 BIN2DEC: Binary Representation of Integers using Signed Integers

	Min Value			Max Value		
Bit Length	BIN	HEX	DEC	BIN	HEX	DEC
4-bit	1000	0x8	-8	0111	0x7	7
8-bit	1000 0000	0x80	-128	0111 1111	0x7F	127

Some worked examples of Signed Integers using Two's Complement are shown below.

Table 7 DEC2BIN: Worked Examples of Signed Integers

Bit Length	Value (DEC)	Value (BIN)
4-bit	6	0110
	-6	1010
8-bit	100	0110 0100
	-100	1001 1100

Table 8 BIN2DEC: Worked Examples of Signed Integers

Bit Length	Value (BIN)	Value (DEC)
4-bit	0100	4
	1001	-7
	0000	0
	1111	-1
8-bit	0100 0101	69
	1101 1010	-38
	0000 0000	0
	1111 1111	-1



#### **Binary Representation**

### 3.2.1 DEC2BIN Conversion Tips

Sometimes it is handy to know a quick number conversion tricks.

DEC2BIN quick example: Convert -6 to BIN.

Convert absolute value of Whole Number to binary: 6 in binary is 0110
 Flip all the bits. 1 becomes 0 and 0 becomes 1: 0110 becomes 1001
 Add 1 to LSB: 1001 + 1 = 1010

Therefore, -6 in Binary is 1010.

### 3.2.2 BIN2DEC Conversion Tips

BIN2DEC quick example: Convert 1010 to DEC.

Flip all the bits. 1 becomes 0 and 0 becomes 1: 1010 becomes 0101
 Add 1 to LSB: 0101 + 1 = 0110

3. Convert binary number to Whole Number, add the sign: -(0110) in decimal is -6

Therefore, 1010 in Decimal is -6.

### 3.2.3 Summary

Mathematically, Signed Integers can be summarized as following:

Table 9 Signed Integers Formulae

Property	Formula
Bit Length	N
Min Value (DEC)	-(2 <sup>(N-1)</sup> )
Max Value (DEC)	2 <sup>(N-1)</sup> -1

We are now able to fully represent real-world physical Integer number. Unfortunately, we are still unable to represent fractions and decimal points. This is the last piece of the puzzle in order to represent Rational Numbers. For this reason, **Q-Number format** representation is introduced.

### **Getting Started in XDPP1100 Custom Firmware Development**



#### **Binary Representation**

### 3.3 Q-Number Format

Q-Number format enables fraction and decimal points representation on Signed Integers representation, making Rational Numbers possible in the CPU.

Q-Number format is usually denoted as **Qm.n** where:

- m represents the Integers
- n represents the decimal points/fractions

Using Q-Number format perspective:

- Unsigned Integer representation can be denoted as Ux.0
- Signed Integer representation can be denoted as Sx.0

Table 10 Unsigned Integer (U8.0) and Signed Integer (S8.0) in Qm.n

Format	Bit Length	Min Value		Max V	alue
		BIN	DEC	BIN	DEC
U8.0	8	0000 0000	0	1111 1111	255
S8.0	8	1000 0000	-128	0111 1111	127

Adding decimal points/fraction can be done by setting the value of "n". Setting **n** to **3** on the above U8.0 and S8.0 examples yield Q-Numbers of U8.3 and S8.3, respectively. Adding "n" will also lengthen the binary numbers from 8 to 11 and therefore the new Bit Length can be calculated as:

$$Bit\ Length\ (N) = m + n$$

In U8.0 and S8.0, every increment of LSB correspond to an increased value of 1 in DEC value. In U8.3 and S8.3 however, every increment of LSB correspond to different value. This property is called LSB Weight, which can be calculated as:

LSB Weight = 
$$2^{-(n)}$$

Quick calculation will show that for U8.0 and S8.0, the LSB weight is 1 whereas for U8.3 and S8.3, the LSB weight is 0.125.

Table 11 Unsigned Integer (U8.3) and Signed Integer (S8.3) in Qm.n DEC

Format	Bit Length	LSB Weight	Min Value (DEC)	Max Value (DEC)
U8.3	8 + 3 = 11	2^(-3) = 0.125	0	$(2^{(11)} - 1) * (2^{(-3)}) = 255.875$
S8.3	8 + 3 = 11	2^(-3) = 0.125	$(-(2^{(11-1)})) * (2^{(-3)}) = -128$	$(2^{(11-1)}-1)*(2^{(-3)})=127.875$

U8.3 and S8.3 representation in binary numbers:

Table 12 Unsigned Integer (U8.3) and Signed Integer (S8.3) in Qm.n BIN

Format	Bit Length	LSB Weight	Min Value (BIN)	Max Value (BIN)
U8.3	8 + 3 = 11	2^(-3) = 0.125	0000 0000.000	1111 1111.111
S8.3	8 + 3 = 11	2^(-3) = 0.125	1000 0000.000	0111 1111.111

Notice that the Binary representation of the Q-Number is still conformant to the usual Two's Complement.

More worked examples of Q-Number formats below:

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### **Binary Representation**

Table 13 Worked examples of Qm.n numbers Set 1

Format	Bit Length	LSB Weight	Min Value (DEC)	Max Value (DEC)
U8.3	8 + 3 = 11	2^(-3) = 0.125	0	255.875
U3.8	8 + 3 = 11	2^(-8) = 0.00390625	0	7.99609375
S8.3	8 + 3 = 11	2^(-3) = 0.125	-128	127.875
S3.8	8+3=11	2^(-8) = 0.00390625	-4	3.99609375

### Table 14 Worked examples of Qm.n numbers Set 2

Format	Bit Length	LSB Weight	Min Value (DEC)	Max Value (DEC)
U8.0	8 + 0 = 8	2^(-0) = 1	0	255
U0.8	8 + 0 = 8	2^(-8) = 0.00390625	0	0.99609375
S8.0	8 + 0 = 8	2^(-0) = 1	-128	127
S0.8	8 + 0 = 8	2^(-8) = 0.00390625	-0.5	0.49609375

### Table 15 Worked examples of Qm.n numbers Set 3

Format	Bit Length	LSB Weight	Min Value (DEC)	Max Value (DEC)
U83	8 + (-3) = 5	2^(-(-3)) = 8	0	248
U38	3 + (-8) = -5 (Invalid)			
S83	8 + (-3) = 5	2^(-(-3)) = 8	-128	120
S38	3 + (-8) = -5 (Invalid)			

#### Table 16 Worked examples of Qm.n numbers Set 4

Format	Bit Length	LSB Weight	Min Value (DEC)	Max Value (DEC)
U-8.3	-8 + 3 = -5 (Invalid)			
U-3.8	-3 + 8 = 5	2^(-8) = 0.00390625	0	0.12109375
S-8.3	-8 + 3 = -5 (Invalid)			
S-3.8	-3 + 8 = 5	2^(-8) = 0.00390625	-0.0625	0.05859375

## **3.3.1 Summary**

Mathematically, Qm.n can be summarized as following:

Table 17 Qm.n Formulae

Property Formula					
Bit Length (N)		m + n	m + n		
LSB Weight		2 <sup>(-n)</sup>			
Um.n	Min Value	0	Min Value of Um.0 * LSB Weight		
	Max Value	(2 <sup>(N)</sup> - 1) * (2 <sup>(-n)</sup> )	Max Value of Um.0 * LSB Weight		
Sm.n	Min Value	$(-(2^{(N-1)})) * (2^{(-n)})$	Min Value of Sm.0 * LSB Weight		
	Max Value	$(2^{(N-1)}-1) * (2^{(-n)})$	Max Value of Sm.0 * LSB Weight		



**Q-Number Arithmetics** 

## 4 Q-Number Arithmetics

## 4.1 Addition

Table 18 Example 1 (U8.0 + U8.0 = U9.0)

i abic io	Example 1 (00.0 · 00.0 · 00.0)			
	Op 1 (U8.0)	Op 2 (U8.0)	Result (U9.0)	
BIN	0110 1001.	0110 1010.	1. Convert to binary:	
			Operand 1 = 105. In binary: 0110 1001. (U8.0)	
			Operand 2 = 106. In binary: 0110 1010. (U8.0)	
			2. Sign extend both Operands:	
			Operand 1 = 0 0110 1001. (U9.0)	
			Operand 2 = 0 0110 1010. (U9.0)	
			3. Add both Operands to get Result:	
			Result = 1 0001 0100. (U9.0)	
			Result = 211	
DEC	105	106	211	

### Table 19 Example 2 (U8.0 + U8.0 = U9.0)

	• •	•	
	Op 1 (U8.0)	Op 2 (U8.0)	Result (U9.0)
BIN	1010 1010.0	0110 1010.0	1. Convert to binary:
			Operand 1 = 170. In binary: 1010 1010. (U8.0)
			Operand 2 = 106. In binary: 0110 1010. (U8.0)
			2. Sign extend both Operands:
			Operand 1 = 0 1010 1010. (U9.0)
			Operand 2 = 0 0110 1010. (U9.0)
			3. Add both Operands to get Result:
			Result = 1 0001 0100. (U9.0)
			Result = 276
DEC	170	106	276



**Q-Number Arithmetics** 

Table 20 Example 3 (U8.0 + U4.4 = U9.4)

	Op 1 (U8.0)	Op 2 (U4.4)	Result (U9.4)
BIN	1010 1010.	0110.1010	1. Convert to binary:
			Operand 1 = 170. In binary: 1010 1010. (U8.0)
			Operand 2 = 106. In binary: 0110.1010 (U4.4)
			2. Align LSBs of both Operands:
			Operand 1 = 1010 1010.0000 (U8.4)
			Operand 2 = 0110.1010 (U4.4)
			3. Sign extend both Operands:
			Operand 1 = 0 1010 1010.0000 (U9.4)
			Operand 2 = 0 0000 0110.1010 (U9.4)
			4. Add both Operands to get Result:
			Result = 0 1011 0000.1010 (U9.4)
			Result = 176.625
DEC	170	6.625	176.625

Table 21 Example 4 (U8.0 + U0.8 = U9.8)

I able 2 I	Example 4 (C	78.0 · 00.8 – 03.8)	
_	Op 1 (U8.0)	Op 2 (U0.8)	Result (U9.8)
BIN	1010 1010.	.0110 1010	1. Convert to binary:
			Operand 1 = 170. In binary: 1010 1010. (U8.0)
			Operand 2 = 0.4140625. In binary: .0110 1010 (U0.8)
			2. Align LSBs of both Operands:
			Operand 1 = 1010 1010.0000 0000 (U8.8)
			Operand 2 = 0000 0000.0110 1010 (U8.8)
			3. Sign extend both Operands:
			Operand 1 = 0 1010 1010.0000 0000 (U9.8)
			Operand 2 = 0 0000 0000.0110 1010 (U9.8)
			4. Add both Operands to get Result:
			Result = 0 1010 1010. 0110 1010 (U9.8)
			Result = 170.4140625
DEC	170	0.4140625	170.4140625



**Q-Number Arithmetics** 

Table 22 Example 5 (U8.1 + U1.8 = U9.8)

	Op 1 (U8.1)	Op 2 (U1.8)	Result (U9.8)
BIN	1010 1010.1	1.0110 1010	1. Convert to binary:
			Operand 1 = 170.5. In binary: 1010 1010.1 (U8.1)
			Operand 2 = 1.4140625. In binary: 1.0110 1010 (U1.8)
			2. Align LSBs of both Operands:
			Operand 1 = 1010 1010.1000 0000 (U8.8)
			Operand 2 = 0000 0001.0110 1010 (U8.8)
			3. Sign extend both Operands:
			Operand 1 = 0 1010 1010.1000 0000 (U9.8)
			Operand 2 = 0 0000 0001.0110.1010 (U9.8)
			4. Add both Operands to get Result:
			Result = 0 1010 1011. 1110.1010 (U9.8)
			Result = 171.9140625
DEC	170.5	1.4140625	171.9140625

Table 23 Example 6 (U8.4 + U-4.8 = U9.8)

I able 23	Example 6 (0	0.4 + 0-4.6 - 09.6)	
	Op 1 (U8.4)	Op 2 (U-4.8)	Result (U9.8)
BIN	1010 1010.1010	.xxxx 0101	1. Convert to binary:
			Operand 1 = 170.625. In binary: 1010 1010.1010 (U8.4)
			Operand 2 = 0. 00390625. In binary: .xxxx 0101 (U-4.8)
			2. Align LSBs of both Operands:
			Operand 1 = 1010 1010.1010 0000 (U8.8)
			Operand 2 = .xxxx 0101 (U-4.8)
			3. Sign extend both Operands:
			Operand 1 = 0 1010 1010.1010 0000 (U9.8)
			Operand 2 = 0 0000 0000.0000 0101 (U9.8)
			4. Add both Operands to get Result:
			Result = 0 1010 1010.1010 0101 (U9.8)
			Result = 170. 64453125
DEC	170.625	0.01953125	170.64453125



## **Q-Number Arithmetics**

## Table 24 Example 7 (U8.-4 + U-4.8 = U9.8)

	Op 1 (U84)	Op2 (U-4.8)	Result (U9.8)
BIN	1010 xxxx.	.xxxx 0101	1. Convert to binary:
			Operand 1 = 80. In binary: 1010 xxxx. (U84)
			Operand 2 = 0. 00390625. In binary: .xxxx 0101 (U-4.8)
			2. Align LSBs of both Operands:
			Operand 1 = 1010 xxxx. (U84)
			Operand 2 = .xxxx 0101 (U-4.8)
			3. Sign extend both Operands:
			Operand 1 = 0 1010 0000.0000 0000 (U9.8)
			Operand 2 = 0 0000 0000.0000 0101 (U9.8)
			4. Add both Operands to get Result:
			Result = 0 1010 0000.0000 0101 (U9.8)
			Result = 160.00390625
DEC	160	0.00390625	160.00390625

### Table 25 Example 8 (S8.0 + 8.0 = S9.0)

	Op 1 (S8.0)	Op 2 (S8.0)	Result (S9.0)
BIN	1001 0110.	1001 0110. 1100 1100. 1. Convert to binary:	
			Operand 1 = -106. In binary: 1001 0110. (S8.0)
			Operand 2 = -52. In binary: 1100 1100. (S8.0)
			2. Sign extend both Operands:
			Operand 1 = 1 1001 0110. (S9.0)
			Operand 2 = 1 1100 1100. (S9.0)
			3. Add both Operands to get Result:
			Result = 1 0110 0010. (S9.0)
			Result = -158
DEC	-106	-52	-158

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## XDPP1100 Firmware Number Format

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## **Q-Number Arithmetics**

Table 26 Example 9 (\$8.0 + 8.0 = \$9.0)

	Op 1 (S8.0)	Op 2 (S8.0)	Result (S9.0)
BIN	0110 1010.	1100 1100.	1. Convert to binary:
			Operand 1 = 106. In binary: 0110 1010. (S8.0)
			Operand 2 = -52. In binary: 1100 1100. (S8.0)
			2. Sign extend both Operands:
			Operand 1 = 0 0110 1010. (S9.0)
			Operand 2 = 1 1100 1100. (S9.0)
			3. Add both Operands to get Result:
			Result = 0 0011 0110. (S9.0)
			Result = 54
DEC	106	-52	54



**Q-Number Arithmetics** 

## 4.2 Substraction

Table 27 Example 1 (U8.0 - U8.0 = U8.0)

	Op 1 (U8.0)	Op 2 (U8.0)	Result (U8.0)
BIN	0110 1010.	0011 0100.	1. Convert to binary:
			Operand 1 = 106. In binary: 0110 1010. (U8.0)
			Operand 2 = 52. In binary: 0011 0100. (U8.0)
			2. Sign extend both Operands:
			Operand 1 = 0 0110 1010. (U9.0)
			Operand 2 = 0 0011 0100. (U9.0)
			3. Two's complements of Operand 2:
			Operand 1 = 0 0110 1010. (U9.0)
			Operand 2 = 1 1100 1100. (S9.0)
			4. Add both Operands to get Result:
			Result = 0 0011 0110. (U9.0)
			Result = 0 0011 0110. (S9.0)
			Result = 0011 0110. (U8.0)
			Result = 54
DEC	106	52	54

Table 28 Example 2 (U8.0 – U8.0 = 99.0)

i abie zo	Example 2 (08.0 - 08.0 - 35.0)				
	Op 1 (U8.0)	Op 2 (U8.0)	Result (S9.0)		
BIN	0011 0100.	0110 1010.	1. Convert to binary:		
			Operand 1 = 52. In binary: 0011 0100. (U8.0)		
			Operand 2 = 106. In binary: 0110 1010. (U8.0)		
			2. Sign extend both Operands:		
			Operand 1 = 0 0011 0100. (S9.0)		
			Operand 2 = 0 0110 1010. (S9.0)		
			3. Two's complements of Operand 2:		
			Operand 1 = 0 0011 0100. (S9.0)		
			Operand 2 = 1 1001 0110. (S9.0)		
			4. Add both Operands to get Result:		
			Result = 1 1100 1010. (S9.0)		
			Result = -54		
DEC	52	106	-54		



**Q-Number Arithmetics** 

Table 29 Example 3 (S8.0 - S8.0 = S9.0)

	Op 1 (S8.0)	Op 2 (S8.0)	Result (S9.0)
BIN	0110 1010.	0011 0100.	1. Convert to binary:
			Operand 1 = 106. In binary: 0110 1010. (S8.0)
			Operand 2 = 52. In binary: 0011 0100. (S8.0)
			2. Sign extend both Operands:
			Operand 1 = 0 0110 1010. (S9.0)
			Operand 2 = 0 0011 0110. (S9.0)
			3. Two's complements of Operand 2:
			Operand 1 = 0 0110 1010. (S9.0)
			Operand 2 = 1 1100 1100. (S9.0)
			4. Add both Operands to get Result:
			Result = 0 0011 0110. (S9.0)
			Result = 54
DEC	106	52	54

### Table 30 Example 4 (S8.0 - S8.0 = S9.0)

	Op 1 (S8.0)	Op 2 (S8.0)	Result (S9.0)
BIN	0011 0100.	0110 1010.	1. Convert to binary:
			Operand 1 = 52. In binary: 0011 0100. (S8.0)
			Operand 2 = 106. In binary: 0110 1010. (S8.0)
			2. Sign extend both Operands:
			Operand 1 = 0 0011 0100. (S9.0)
			Operand 2 = 0 0110 1010. (S9.0)
			3. Two's complements of Operand 2:
			Operand 1 = 0 0011 0100. (S9.0)
			Operand 2 = 1 1001 0110. (\$9.0)
			4. Add both Operands to get Result:
			Result: 1 1100 1010. (S9.0)
			Result = -54
DEC	52	106	-54



**Q-Number Arithmetics** 

Table 31 Example 5 (S8.0 – S4.4 = S9.4)

Op 1 (S8.0)	Op 2 (S4.4)	Result (S9.4)
0011 0100.	0110.1010	1. Convert to binary:
		Operand 1 = 52. In binary: 0011 0100. (S8.0)
		Operand 2 = 6.625. In binary: 0110.1010 (S4.4)
		2. Align LSBs of operands:
		Operand 1 = 0011 0100.0000 (S8.4)
		Operand 2 = 0110.1010 (S4.4)
		3. Sign extend both Operands:
		Operand 1 = 0 0011 0100.0000 (S9.4)
		Operand 2 = 0 0000 0110.1010 (S9.4)
		4. Two's complements of Operand 2:
		Operand 1 = 0 0011 0100.0000 (S9.4)
		Operand 2 = 1 1111 1001.0110 (S9.4)
		5. Add both Operands to get Result:
		Result = 0 0010 1101.0110 (S9.4)
		Result = 45.375
52	6.625	45.375
	0011 0100.	0011 0100. 0110.1010



**Q-Number Arithmetics** 

Table 32 Example 6 (S4.4 - S8.0 = S9.4)

I abic oz	Example 0 (34.4 30.0 – 33.4)				
	Operand 1 (S4.4)	Operand 2 (S8.0)	Result (S9.4)		
BIN	0110.1010	0011 0100.0	1. Convert to binary:		
			Operand 1 = 6.625. In binary: 0110.1010 (S4.4)		
			Operand 2 = 52. In binary: 0011 0100. (S8.0)		
			2. Align LSBs of operands:		
			Operand 1 = 0110.1010 (S4.4)		
			Operand 2 = 0011 0100.0000 (S8.4)		
			3. Sign extend both Operands:		
			Operand 1 = 0 0000 0110.1010 (S9.4)		
			Operand 2 = 0 0011 0100.0000 (S9.4)		
			4. Two's complements of Operand 2:		
			Operand 1 = 0 0000 0110.1010 (S9.4)		
			Operand 2 = 1 1100 1100.0000 (S9.4)		
			5. Add both Operands to get Result:		
			Result = 1 1101 0010.1010 (S9.4)		
			Result = -45.375		
DEC	6.625	52	-45.375		

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## **XDPP1100 Firmware Number Format Getting Started in XDPP1100 Custom Firmware Development**



**Q-Number Arithmetics** 

## 4.3 Multiplication & Division

This document will not discuss binary multiplication and division as they are not the core focus of this document. In general:

Table 33 Multiplication and Division

Op 1	Op 2	Operation	Result	
Sm1.n1 Sm2.n2 Op1 * Op2		Op1 * Op2	S(e + m1 + m2).(n1 + n2)	
		Op1/Op2	S(e + m1 – m2).(n1 – n2)	



**Exponent-Mantissa Format** 

## 5 Exponent-Mantissa Format

Rational Numbers can also be represented in Exponent-Mantissa format, for example:

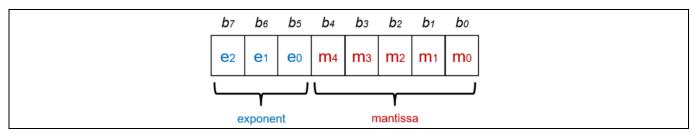


Figure 6 Exponent-Mantissa Representation

The formulae can be summarized as following. Let:

e = Exponent bit-length

m = Mantissa bit-length

w = Weighting factor

For a binary-represented Rational Numbers R denoted by eEmM:

Table 34 Exponent-Mantissa Format Formulae

Property	Formula	Representation
Bit Length	e + m	R[(e + m - 1) : 0]
Exponent		R[(e + m - 1) : m]
Mantissa	$2^m + R[(m-1):0]$	R[(m - 1) : 0]
Rational Numbers	Mantissa * 2 <sup>Exponent</sup> * 2 <sup>w</sup>	R[(e + m + 1) : 0]



**Pre-Assigned Binary Points Registers** 

## **6** Pre-Assigned Binary Points Registers

Some registers that are directly interfaced to the hardware may already have pre-assigned binary point and LSB weighting. In general:

- 1. Voltages referenced to the VS ADC's (e.g., internal vout, vrect and vcontrol) have a LSB at 1.25mV. This was chosen to match the VS ADC LSB weight.
- 2. Other voltages generally place the binary point at 1V to match PMBus.
- 3. Currents generally place the binary point at 1A to match PMBus.
- 4. Resistances (e.g., for Droop/loadline) generally place the binary point at 1m0hm to match PMBus.
- 5. Temperatures generally place the binary point at 1C to match PMBus.
- 6. Powers generally place the binary point at 1W to match PMBus.
- 7. Time parameters generally place the binary point based on the HW clock period associated with the parameter. Some variations in binary points are possible such as 5ns, 10ns, 20ns, etc. For some longer time parameters, binary points at 1ms is possible in order to match PMBus.



**PMBus Linear Data Format** 

## 7 PMBus Linear Data Format

PMBus Linear Data Format is represented as following:

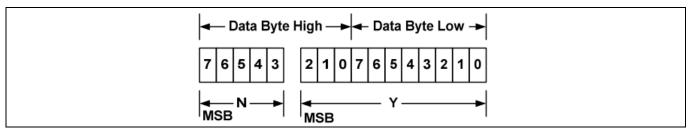


Figure 7 PMBus Linear Format Representation

The relation between Y, N and the "real world" value X is:

$$X = Y \cdot 2^N$$

Where X is "read world" value,

Y is an 11-bit, two's complement integer (also called Mantissa)

N is a 5-bit, two's complement integer (also called Exponent).

Some worked examples below:

Table 35 PMBus Linear Data Format Worked Examples

Real World	Exponent (N)		Mantissa (Y)		16-bit Representation
value (X)	DEC	BIN	DEC	BIN	
0.5	-1	1 1111	1	000 0000 0001	0xF801
0.5	-9	1 0111	256	001 0000 0000	0xB900
0.5625	-4	1 1100	9	000 0000 1001	0xE009
0.5625	-5	1 1011	18	000 0001 0010	0xD812
-45.375	-3	1 1110	-363	110 1001 0101	0xEE95
-45.375	-4	1 1100	-726	101 0010 1010	0xE52A

As can be seen from the above table, one particular real world value can be represented with different combinations of Linear Format representations. The choice is up to the developer. Typically, the choice depends on the Exponent selection followed by Mantissa calculation.

## **Getting Started in XDPP1100 Custom Firmware Development**



**More Resources** 

## **8** More Resources

More programming resources can be accessed easily from GUI main interface:

### 8.1 Firmware Documentation

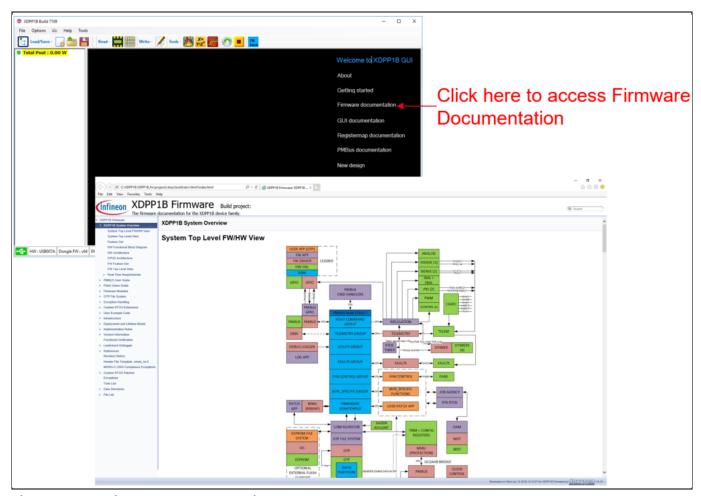


Figure 8 Firmware Documentation

## **Getting Started in XDPP1100 Custom Firmware Development**



**More Resources** 

## 8.2 Register Map Documentation

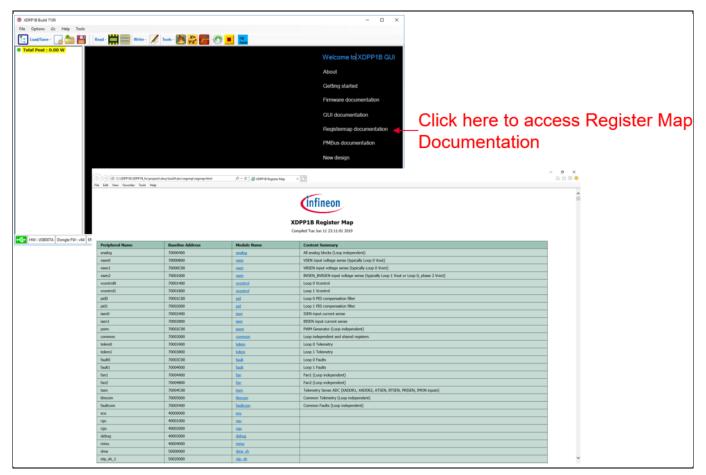


Figure 9 Register Map Documentation



**More Resources** 

#### 8.3 PMBus Documentation

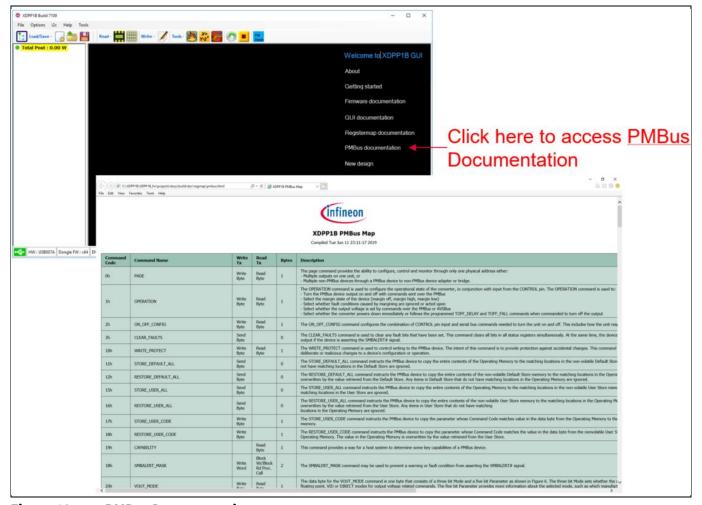


Figure 10 PMBus Documentation

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## XDPP1100 Firmware Number Format Getting Started in XDPP1100 Custom Firmware Development



#### References

## 9 References

http://www.pmbus.org/Home

http://www.superkits.net/whitepapers/Fixed%20Point%20Representation%20&%20Fractional%20Math.pdf

https://www2.keil.com/mdk5/cmsis/rtx

http://eguruchela.com/math/calculator/twos-complement

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# XDPP1100 Firmware Number Format Getting Started in XDPP1100 Custom Firmware Development



**Revision history** 

## **Revision history**

Document version	Date of release	Description of changes

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